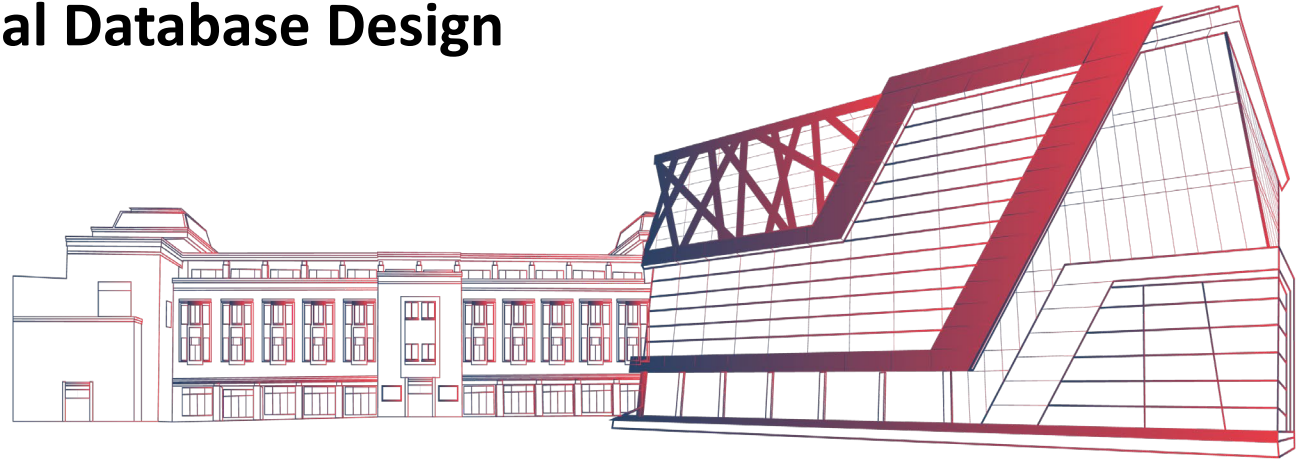


# UNIT III

## Relational Database Design



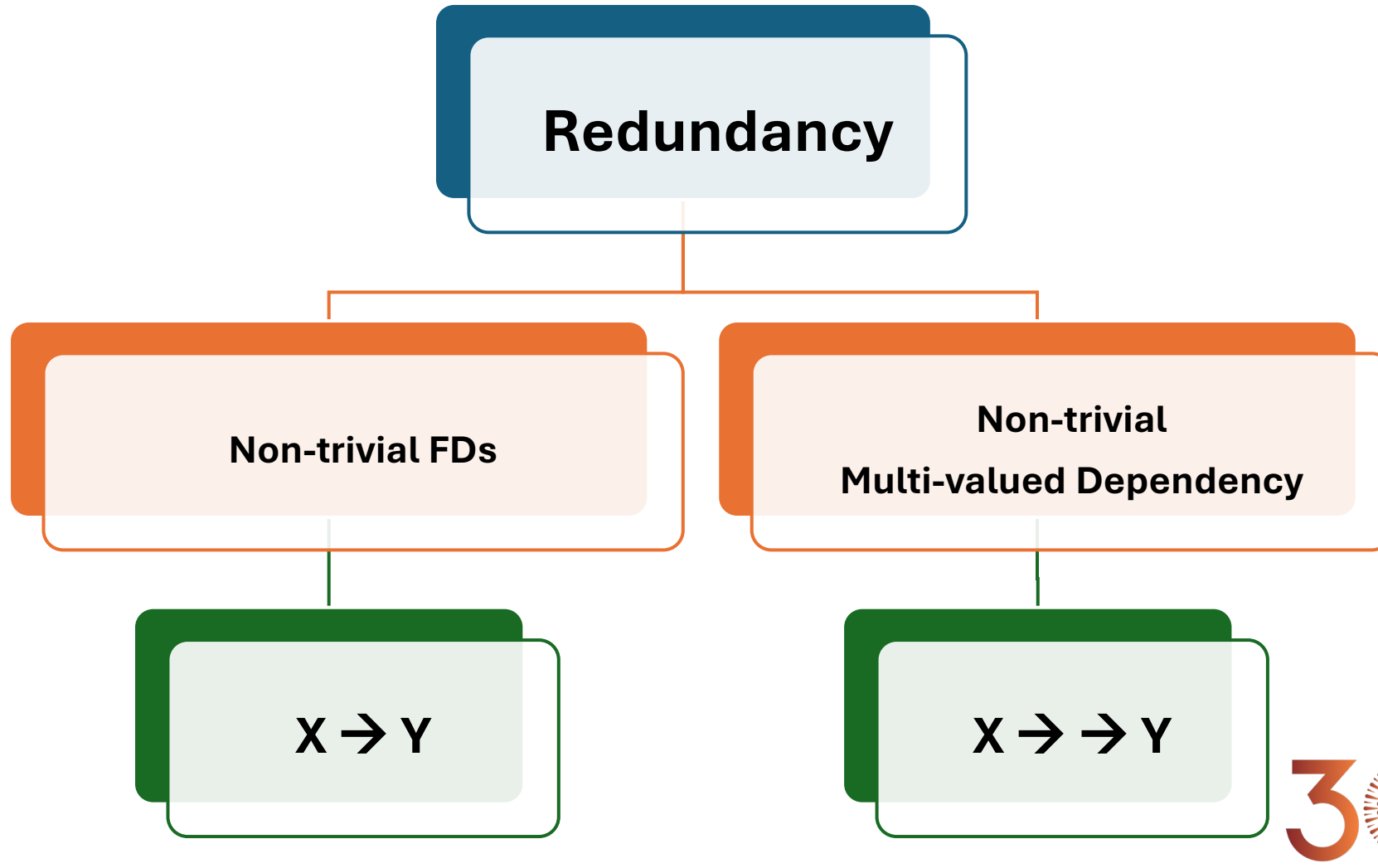
# Normalization & Normal Forms

# Normalization

- **Normalization**: The process of decomposing unsatisfactory "bad" relations by breaking up their attributes into smaller relations
- **Denormalization**: the process of storing the join of higher normal form relations as a base relation—which is in a lower normal form



# Normalization (Cont.)



# Normal Forms

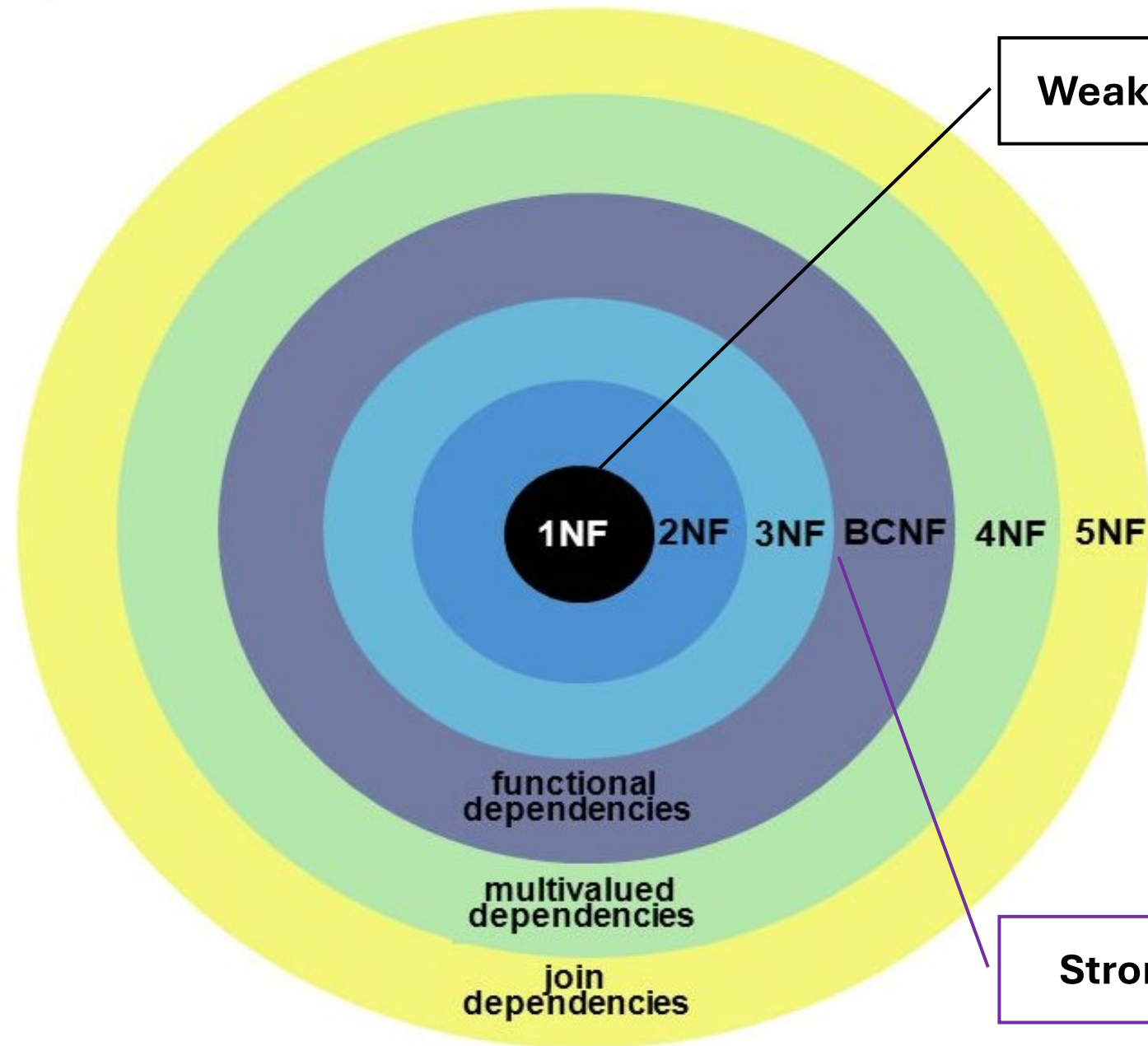
- Levels of normalization based on the amount of redundancy in the database.
- Various levels of normalization are:
  - **First Normal Form (1NF)**
  - **Second Normal Form (2NF)**
  - **Third Normal Form (3NF)**
  - **Boyce-Codd Normal Form (BCNF)**
  - **Fourth Normal Form (4NF)**
  - **Fifth Normal Form (5NF)**



**Most databases should be 3NF or BCNF in order to avoid the database anomalies.**



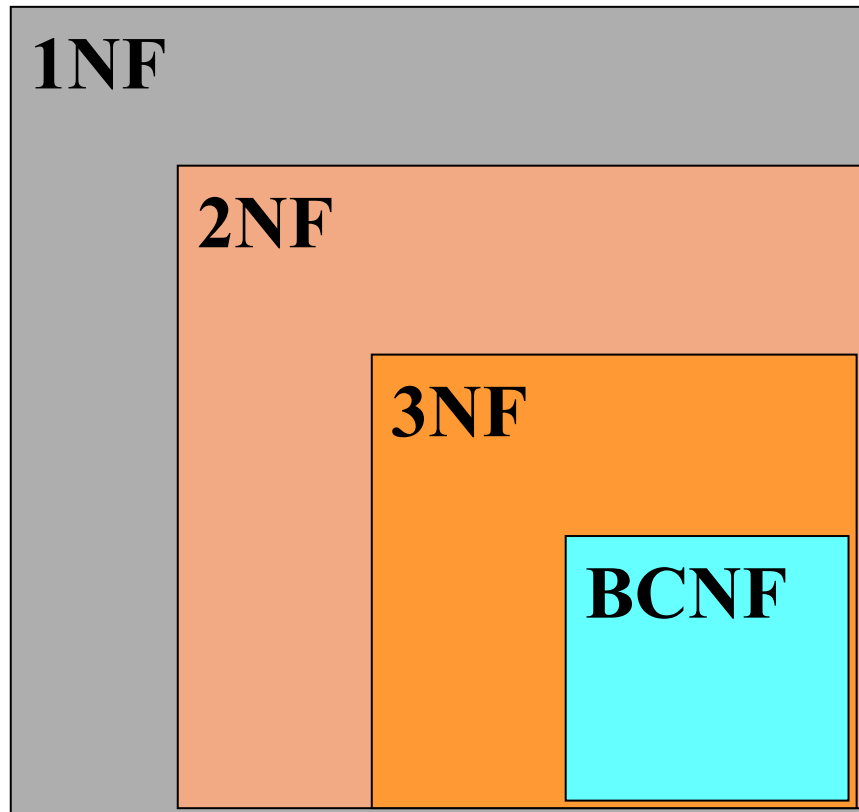
# Hierarchy of Normal Forms



Weakest

Strongest

# Normalization



- *a relation in BCNF, is also in 3NF*
- *a relation in 3NF is also in 2NF*
- *a relation in 2NF is also in 1NF*



# First Normal Form

- A relation is in **1NF** if all values stored in the relation are single-valued and atomic.

**i.e. 1NF places restrictions on the structure of relations. Values must be simple.**

- It implies no multi-valued dependencies allowed.

DEPARTMENT

Dname	<u>Dnumber</u>	Mgr_ssn	Mgr_start_date
Research	5	333445555	1988-05-22
Administration	4	987654321	1995-01-01
Headquarters	1	888665555	1981-06-19

*All single valued attributes*



# Normalization into 1NF

DEPARTMENT

Dname	<u>Dnumber</u>	Dmgr_ssn	Dlocations
Research	5	333445555	{Bellaire, Sugarland, Houston}
Administration	4	987654321	{Stafford}
Headquarters	1	888665555	{Houston}

DEPARTMENT

Dname	<u>Dnumber</u>	Dmgr_ssn	<u>Dlocation</u>
Research	5	333445555	Bellaire
Research	5	333445555	Sugarland
Research	5	333445555	Houston
Administration	4	987654321	Stafford
Headquarters	1	888665555	Houston

*Multi – valued entries  
changed to single valued*

# Second Normal Form

- A relation is in **2NF** if it is in 1NF, and every non-key attribute is fully dependent on each candidate key i.e. no partial FD.

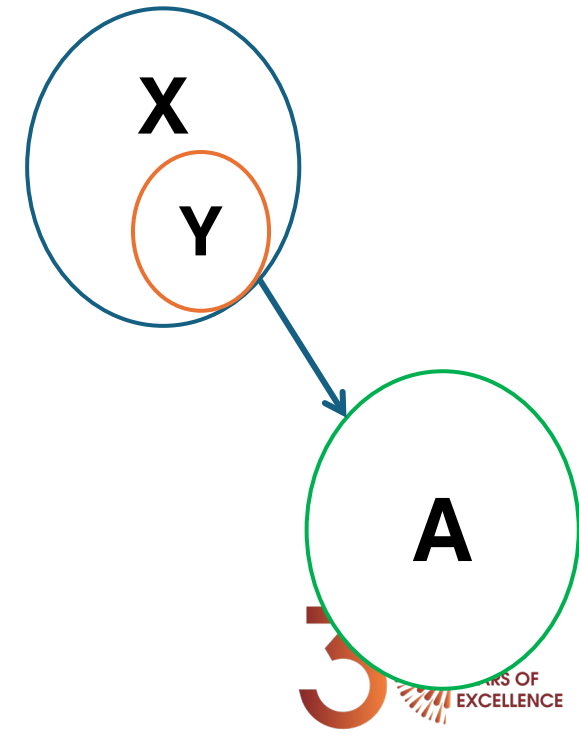
- **Partial Dependency**

X: any candidate key

Y: proper subset of candidate key

A: non-prime attribute

**$Y \rightarrow A$  is partial dependency**



# Second Normal Form Example

1.  $\{SSN, PNUMBER\} \rightarrow HOURS$  is a full FD

$\because$  neither  $SSN \rightarrow HOURS$

nor  $PNUMBER \rightarrow HOURS$  hold

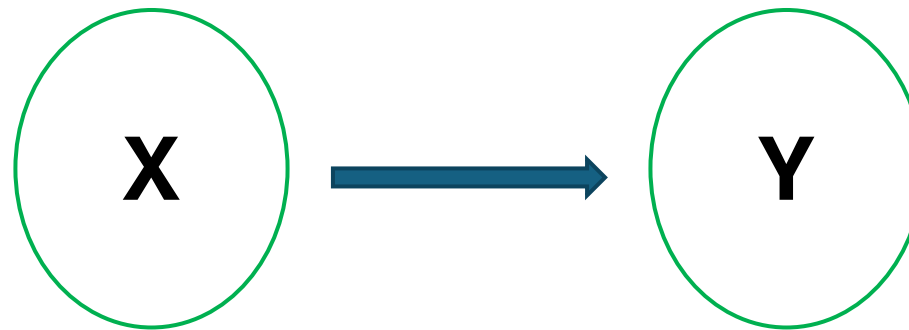
2.  $\{SSN, PNUMBER\} \rightarrow ENAME$  is PD

$\because$   $SSN \rightarrow ENAME$  holds



# Third Normal Form

- A relation R is in 3NF iff every non-trivial FD  $X \rightarrow Y$  in R
  - a) X is superkey (or)
  - b) Y is prime attribute



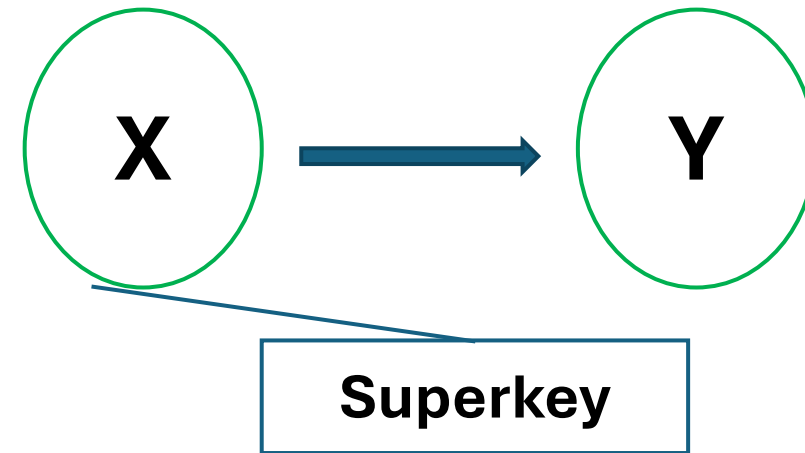
Superkey (or)

Prime Attribute

# BCNF Normal Form

## (Boyce-Codd Normal Form)

- A relation schema  $R$  is in **Boyce-Codd Normal Form (BCNF)** if whenever an FD  $X \rightarrow A$  holds in  $R$ , then  **$X$  is a superkey of  $R$**



- There exist relations that are in 3NF but not in BCNF
- The goal is to have each relation in BCNF (or 3NF)

# Practice Drill

- Consider the following four relational schemas. For each schema, all non-trivial functional dependencies are listed, The underlined attributes are the respective primary keys.

## Schema I:

*Registration (rollno, courses)*

***rollno → courses***

## Schema II:

*Registration (rollno, coursid, email)*

***rollno, courseid → email***

***email → rollno***

# Practice Drill (Cont.)

## Schema III:

*Registration (rollno, courseid, marks, grade)*

***rollno, courseid, → marks, grade***

***marks → grade***

## Schema IV:

*Registration (rollno, courseid, credit)*

***rollno, courseid → credit***

***courseid → credit***

Which one of the relational schemas above is in 3NF but not in BCNF?



# Solution Practice Drill

## Schema I:

*Registration(rollno, courses)*  
*rollno  $\rightarrow$  courses*

Since, rollno is primary key, so this **relation is in BCNF as well as 3 NF.**

## Schema II:

*Registration (rollno, coursid, email)*  
*rollno, courseid  $\rightarrow$  email*  
*email  $\rightarrow$  rollno*

- {rollno, coursid} is primary key so rollno and coursid are prime attributes. email is non-prime attribute.
- FD *rollno, courseid  $\rightarrow$  email* is in BCNF and 3NF,
- FD *email  $\rightarrow$  rollno* violates the rule of BCNF as email is not superkey, but 3NF is satisfied because rollno is prime attribute.

**Thus, overall this relation is in 3 NF but not in BCNF.**

# Solution Practice Drill (Cont.)

## Schema III:

*Registration (rollno, courseid, marks, grade)*

Non-trivial functional dependencies:

*rollno, courseid, → marks, grade*

*marks → grade*

- rollno, courseid is primary key, so rollno and courseid are prime attributes and marks and grade are non-prime attributes.
- FD *rollno, courseid, → marks, grade* satisfies BCNF as well as 3NF.
- FD *marks → grade* does not satisfy 3 NF because neither marks is superkey nor grade is prime-attribute..

**So, overall this relation is not in 3 NF and not in BCNF but it does not violate rule of 2 NF, so can be only in 2 NF.**

# Solution Practice Drill (Cont.)

## Schema IV:

*Registration (rollno, courseid, credit)*

*rollno, courseid  $\rightarrow$  credit*

*courseid  $\rightarrow$  credit*

- rollno, courseid is primary key, so rollno and courseid are prime-attributes and credit is non-prime attribute.
- FD *rollno, courseid  $\rightarrow$  credit* satisfies BCNF as well as 3 NF.
- FD *courseid  $\rightarrow$  credit* violates rule of 2 NF, so can not be in 2NF.

**So, overall this is not in 2 NF, 3 NF, and BCNF. But it is only in 1 NF.**

# Practice Drill

Relation R has eight attributes ABCDEFGH. Fields of R contain only atomic values.

$F = \{ CH \rightarrow G, A \rightarrow BC, B \rightarrow CFH, E \rightarrow A, F \rightarrow EG \}$  is a FD set

i) **How many candidate keys does the relation R have?**

(a) 3   (b) 4   (c) 5   (d) 6

ii) **The relation R is in which normal form?**

(a) in 1NF, but not in 2NF.

(b) in 2NF, but not in 3NF.

(c) in 3NF, but not in BCNF.

(d) in BCNF.

# Practice Drill Solution



**Ans i): Option (b)**

A+:ABCFHGE

B+: BCFHEGA

C+:C

D+:D

E+: EABCFHG

F+:FEGABCH

G+:G

H+ : H

**A+,B+,E+,F+ contains all attributes except D. Thus there are 4 candidate keys DA,DB,DE and DF.**

**Ans ii) Option (a)**

- $F \rightarrow G$ ; G is a non-prime attribute and F is a proper subset of a candidate key. This is a case of partial dependency. Hence 2NF condition is violated.
- $A \rightarrow C$  and  $B \rightarrow CH$  also violates 2NF condition, hence R is not in 2NF.

**Since attributes of relation R has only atomic values, R is in 1NF.**

# Practice Drill



1. Find the highest normal form of a relation  $R(A,B,C,D,E)$  with FD set as

**$\{ BC \rightarrow D, AC \rightarrow BE, B \rightarrow E \}$**

1. Find the highest normal form of a relation  $R(A,B,C,D)$  with FD set as

**$\{ AB \rightarrow C, BC \rightarrow D \}$**

1. Find the highest normal form of a relation  $R(A,B,C,D,E,F)$  with FD set as

**$\{ AB \rightarrow C, C \rightarrow D, D \rightarrow AE, E \rightarrow F, F \rightarrow B \}$**

# Solution Practice Drill

1.  $F = \{ BC \rightarrow D, AC \rightarrow BE, B \rightarrow E \}$

- $(AC)^+ = \{A, C, B, E, D\}$  but none of its subset can determine all attribute of relation, So AC will be candidate key. A or C can't be derived from any other attribute of the relation, so there will be only 1 candidate key {AC}.
- {A,C} – Prime and {B,D,E} – Non-prime
- The relation is in 2nd normal form because  $BC \rightarrow D$  is in 2nd normal form (BC is not proper subset of candidate key AC)
- $AC \rightarrow BE$  is in 2nd normal form (AC is candidate key)
- $B \rightarrow E$  is in 2nd normal form (B is not a proper subset of candidate key AC).
- The relation is not in 3rd normal form because in  $BC \rightarrow D$  (neither BC is a super key nor D is a prime attribute) and in  $B \rightarrow E$  (neither B is a super key nor E is a prime attribute).

**So the highest normal form of relation will be 2nd Normal form.**



# Solution Practice Drill (Cont.)

2.  $\{ AB \rightarrow C, BC \rightarrow D \}$

- $AB^+ = A, B, C, D$
- $A^+ = A$
- $B^+ = B$
- $BC^+ = B, C$
- Prime – A, B Non-prime – C, D
- Thus, because of  $BC \rightarrow D$  this relation is not in BCNF and neither in 3NF
- **Thus, the relation is in 2NF**

# Solution Practice Drill (Cont.)

3.  $\{AB \rightarrow C, C \rightarrow D, D \rightarrow AE, E \rightarrow F, F \rightarrow B\}$

- $AB^+ = A, B, C, D, E, F$        $A^+ = A$        $B^+ = B$
- $AF^+ = A, B, C, D, E, F$        $F^+ = F, B$
- $AE^+ = A, B, C, D, E, F$        $E^+ = E, F, B$
- $AD^+ = A, B, C, D, E, F$        $D^+ = A, B, C, D, E, F$
- $C^+ = A, B, C, D, E, F$
- Prime - A, B, C, D, E, F
- Because of  $E \rightarrow F$  and  $F \rightarrow B$  relation is not in BCNF
- **Thus, the relation is in 3NF**

# Thanks!!