CSX4202/ITX4202: Data Mining

Lecture 3

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Outlines

- Data Exploration: Tasks and Techniques
 - Summary Statistics
 - Data Visualization
 - Online Analytical Processing (OLAP)
 - Pivot Table

What is data exploration?

- "A preliminary exploration of the data to better understand its characteristics"
- Key motivations
 - Helping to select the right tool for preprocessing or analysis
 - Making use of humans' abilities to recognize patterns
 - People can recognize patterns not captured by data analysis tools
- Characteristics of data
 - Size or amount of data
 - Completeness of the data
 - Correctness of the data
 - Possible relationships amongst data elements

Techniques Used In Data Exploration

- Summary statistics
- Visualization
- Online Analytical Processing (OLAP)

Exploratory Data Analysis (EDA) in Data Science Process

Data Science Process Exploratory Data Analysis Raw Data Clean Data Is Dataset Collected Processed Models & Algorithms Communicate Data Make Visualize Product **Decisions** Report Reality

Five-number Summary in Exploratory Data Analysis (EDA)

- In statistics, <u>John Tukey</u> promoted the use of **five number summary** of numerical data, the two extremes (*maximum and minimum*), the median, and the quartiles in EDA.
- The **five-number summary** is a set of descriptive statistics that provide information about a dataset:
 - the <u>sample minimum</u> (smallest observation)
 - the lower quartile (first quartile or 25th percentile)
 - the median (the middle value or 50th percentile)
 - the <u>upper quartile</u> (the third quartile or 75th percentile)
 - the <u>sample maximum</u> (largest observation)

Five-number Summary in R

- #Read data from file into data frame
- irisdata<-read.table("C:/Users/noox/Downloads/iris.csv", header=TRUE, sep=",")
- #use help
- help (fivenum)
- #compute 5 Tukey's 5 descriptive statistics
- fivenum(irisdata[1:150, 1]) # or fivenum(irisdata[, 1])

```
Console Terminal ×

~/ 
> fivenum(irisdata[1:150, 1])

[1] 4.3 5.1 5.8 6.4 7.9

> |
```

Iris Sample Data Set



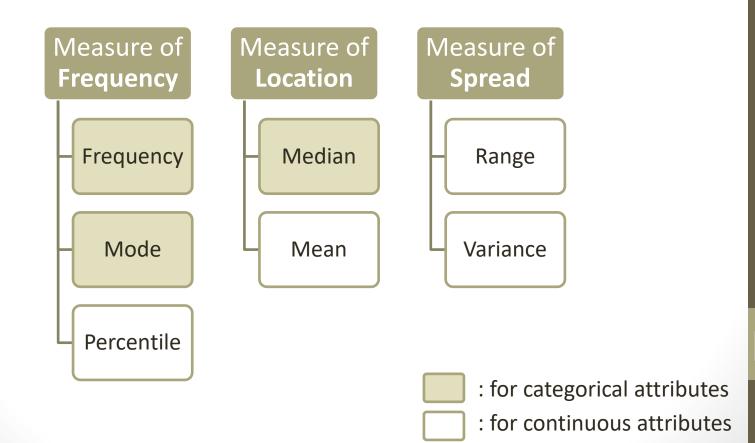
- Many of the exploratory data techniques are illustrated with the Iris Plant data set.
 - Source: UCI Machine Learning Repository https://archive.ics.uci.edu/ml/datasets/iris
 - Three flower types (classes):
 - Setosa
 - Virginica
 - Versicolour
 - Four (non-class) attributes
 - Sepal width and length
 - Petal width and length



Virginica. Robert H. Mohlenbrock. USDA NRCS. 1995. Northeast wetland flora: Field office guide to plant species. Northeast National Technical Center, Chester, PA. Courtesy of USDA NRCS Wetland Science Institute.

Summary Statistics

 Summary statistics are numbers that summarize properties of the data



Measure of Frequency

(Categorical attribute)

Frequency

- The frequency of an attribute value is the percentage of time the value occurs in the data set
- E.g.,

Mode

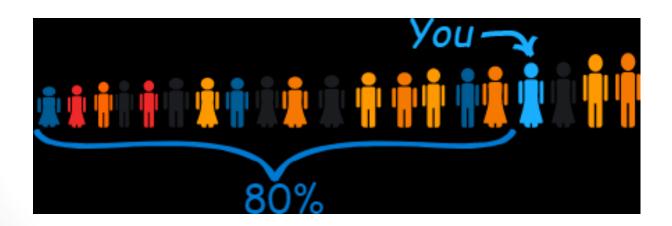
 The mode of an attribute is the most frequent attribute value

	Weight (Kg)	Frequency	Cumulative Frequency
	0 up to 20	2	2
	20 up to 40	7	9
Mode 🖒	40 up to 60	12	21
	60 up to 80	6	27
	80 up to 100	3	30

Percentiles

(Continuous attributes)

- Given an ordinal or continuous attribute x and a number p between 0 and 100, the $p^{\rm th}$ percentile is a value X_p of x such that p% of the observed values of x are less than X_p .
- E.g., if the 80th percentile $X_{80\%}$ is 165, 80% of all values of X are below 165, and the other 20% are above 165.



Percentiles

Rank

1

2

3

6

8

(Continuous attributes)

Number

(value)

5

9

11

13

15

The rank (R) of the 50th percentile:

R = P/100 x (N + 1)
R =
$$50/100$$
 x (8 + 1) = 0.5 x 9 = 4.5

→ If R is an integer, the Pth percentile is **the number** with rank R.

Otherwise, interpolate the Pth percentile as follows:

1. Define IR as the integer portion of R.

$$IR = 4$$

2. Define FR as the fractional portion of R.

$$FR = 0.5$$

3. Find the numbers (values) with Rank I_R and with Rank I_{R+1} .

$$|_{R} = 8$$

$$|_{R+1} = 9$$

4. Interpolate it:

$$R_{Interpolate} = I_R + [FR * (I_{R+1} - I_R)]$$

 $R_{Interpolate} = 8 + [(0.5)(9 - 8)] = 8.5$

Ref: http://onlinestatbook.com/2/introduction/percentiles.html

Measures of Location: Mean and Median

- The mean is the most common measure of the location of a set of points.
 - Disadv: the mean is very sensitive to outliers.

$$mean(x) = \overline{x} = \frac{1}{m} \sum_{i=1}^{m} x_i$$

• The **median** (50th Percentile)

$$median(x) = \begin{cases} x_{(r+1)} & \text{if } m \text{ is odd, i.e., } m = 2r + 1\\ \frac{1}{2}(x_{(r)} + x_{(r+1)}) & \text{if } m \text{ is even, i.e., } m = 2r \end{cases}$$

- Trimmed mean
 - E.g., to trim the mean by 40%, we remove the lowest 20% and the highest 20% of values.

Measures of **Spread**: Range and Variance

- Range is the difference between the max and min
- The **variance** or **standard deviation** ($\sqrt{variance}$) measures the spread of a set of points (how far away the measurements are from the center).

variance
$$(x) = s_x^2 = \frac{1}{m-1} \sum_{i=1}^{m} (x_i - \overline{x})^2$$

• Disadv: sensitive to outliers, so that other measures are often used.

Average Absolute Difference:
$$AAD(x) = \frac{1}{m} \sum_{i=1}^{m} |x_i - \overline{x}|$$

Median Absolute Difference:
$$MAD(x) = median \left(\{ |x_1 - \overline{x}|, \dots, |x_m - \overline{x}| \} \right)$$

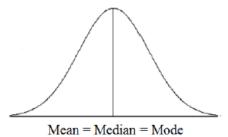
interquartile range $(x) = x_{75\%} - x_{25\%}$

Measures of Data Skewness

Measures an imbalance and asymmetry from the mean of a data distribution

$$a_3 = \sum \frac{(X_i - \bar{X})^3}{ns^3}$$

Normal distribution:

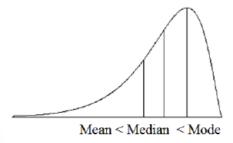


s: the sample standard deviation

Note: different tools' package may use different formula

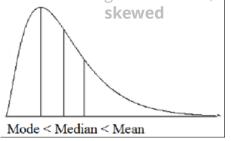
- •If the skewness is between -0.5 and 0.5, the data are **fairly symmetrical**
- •If the skewness is between -1 and 0.5 or between 0.5 and 1, the data are **moderately skewed**
- •If the skewness is less than -1 or greater than 1, the data are **highly**

Skewness:



Negative Skew

(longer left-hand tail)



Positive Skew

(longer right-hand tail)

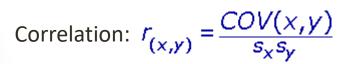
What does the skewness of 'Sepal Length' tell us?

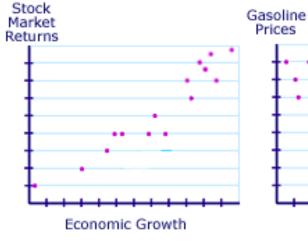
sepal length	
Mean	5.843333
Standard Error	0.067611
Median	5.8
Mode	5
Standard Deviation	0.828066
Sample Variance	0.685694
Kurtosis	-0.55206
Skewness	0.314911
Range	3.6
Minimum	4.3
Maximum	7.9
Sum	876.5
Count	150
Confidence Level(95.0%)	0.133601

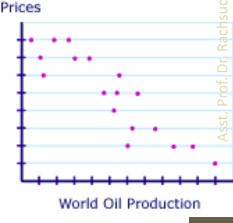
Measure of **Variables' Relationship**: Covariance and Correlation

- Indicate linear relationship of 2 variables (or objects).
- Correlation also shows the degree to which the variables tend to move together.

Covariance:
$$\sum_{i=1}^{n} (x_i - \overline{x})(y_i - \overline{y})$$
$$COV(x, y) = \frac{1}{n-1}$$







x = the independent variable

y = the dependent variable

n = number of data points in the sample

x = the mean of the independent variable x

y= the mean of the dependent variable y

 s_x = sample standard deviation of the random variable x

 s_v = sample standard deviation of the random variable y

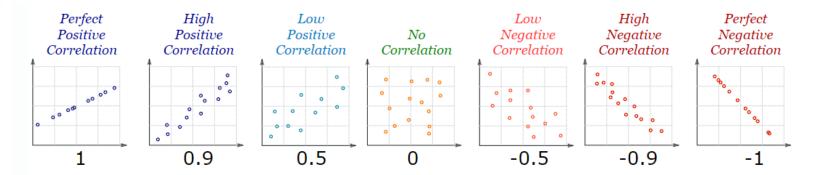
$$s_x = \sqrt{\frac{\sum_{i=1}^{n} (x_i - \overline{x})^2}{n - 1}}$$

Note: for Population standard deviation, the divisor is n (not n-1).

Ref: https://www0.gsb.columbia.edu/premba/analytical/s7/s7 5.cfm
https://keydifferences.com/difference-between-covariance-and-correlation.html

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Correlation Interpretation



Correlation can have a value:

- 1 is a perfect positive correlation
- 0 is no correlation (the values don't seem linked at all)
- -1 is a perfect negative correlation

Tools for Summary Statistics

- R
- Python
- Minitab
- SPSS
- MS Excel
- Weka
- Rapidminer
- Etc.

Tableau:

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- Data Exploration: Tasks and Techniques
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Visualization

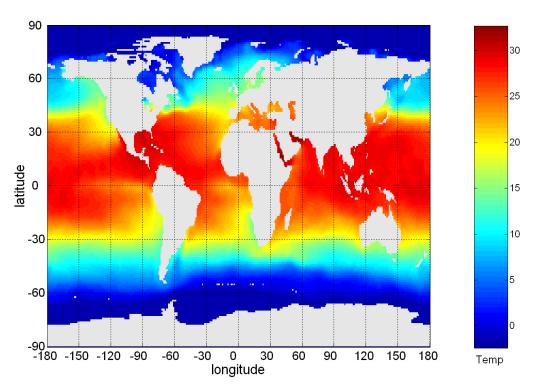
- The conversion of data into a visual or tabular format so that the characteristics of the data and the relationships among data items or attributes can be analyzed or reported.
- One of the most powerful and appealing techniques for data exploration:
 - Humans have a well-developed ability to analyze large amounts of information that is presented visually
 - Can detect general patterns and trends
 - Can detect outliers and unusual patterns

Example: Sea Surface Temperature

 The following shows the Sea Surface Temperature (SST) for July 1982

Tens of thousands of data points are summarized in a single



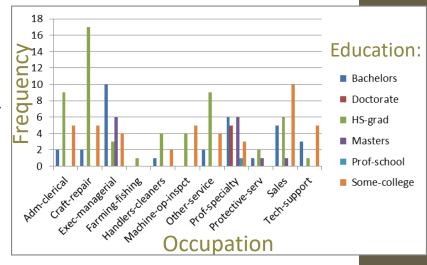


Representation

 Data (objects, their attributes, and their relationships) are translated into graphical elements (points, lines, shapes, and colors).

workclass	fnlwgt	education	educati r on-num -	marital status	occupation	relationshi p	race	sex	capital- gain	capital-loss	hours-per- week		income
State-gov	77516	Bachelors	r	marrie	Adm- clerical	Not-in- family	White	Male	2174	. 0	40	United- States	<=50K
Self-emp- not-inc	83311	Bachelors	c	Marrie d-civ- spouse	Exec- manageria I	Husband	White	Male	0	0	13	United-	<=50K
Private	215646	HS-grad	9 c	Divorce		Not-in- family	White	Male	0	0	40	United- States	<=50K
Private	234721	11th		1-civ-	Handlers- cleaners	Husband	Black	Male	0	0	40	United- States	<=50K
Private	338409	Bachelors	c	d-civ-	Prof- specialty	Wife	Black	Femal e	0	0	40) Cuba	<=50K
Private	284582	Masters	c	Marrie d-civ- spouse	Exec- manageria I	Wife	White	Femal e	0	0	40	United- States	<=50K





Arrangement

- Is the placement of visual elements within a display
- Can make a large difference in how easy it is to understand the data
- Example:

	1	2	3	4	5	6
1	0	1	0	1	1	0
$\frac{2}{3}$	1	0	1	0	0	1
3	0	1	0	1	1	0
4	1	0	1	0	0	1
5	0	1	0	1	1	0
6	1	0	1	0	0	1
7	0	1	0	1	1	0
8	1	0	1	0	0	1
9	0	1	0	1	1	0

	6	1	3	2	5	4
4	1	1	1	0	0	0
2	1	1	1	0	0	0
6	1	1	1	0	0	0
8	1	1	1	0	0	0
5	0	0	0	1	1	1
3	0	0	0	1	1	1
9	0	0	0	1	1	1
1	0	0	0	1	1	1
7	0	0	0	1	1	1

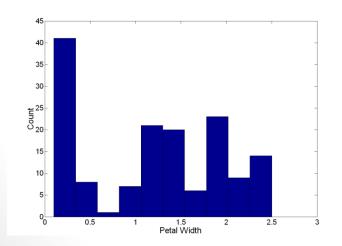
Selection

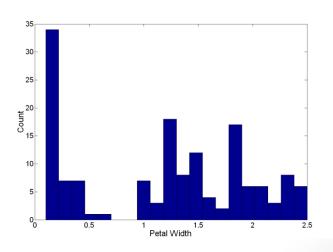
- Choosing a subset of attributes
 - Dimensionality reduction is often used to reduce the number of dimensions to two or three
- Choosing a subset of objects
 - A region of the screen can only show limited no. of points
 - Can sample, but want to preserve points in sparse areas

Visualization Techniques: Histograms

Histogram

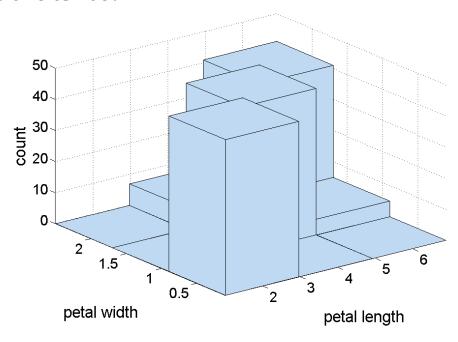
- Usually shows the distribution of values of a single variable
- Divide the values into **bins** and show a bar plot of the number of objects in each bin.
- The height of each bar indicates the number of objects
- Shape of histogram depends on the number of bins
- Example: Petal Width (10 and 20 bins, respectively)





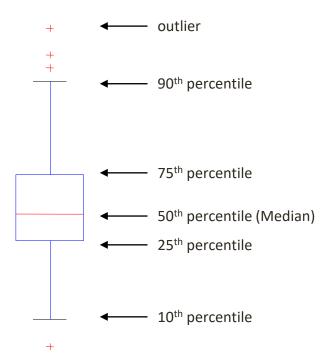
Two-Dimensional Histograms

- Show the joint distribution of the values of two attributes
- Example: petal width and petal length
 - What does this tell us?



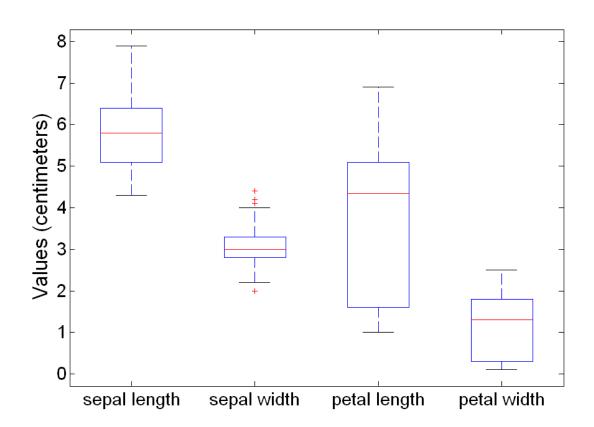
Visualization Techniques: Box Plots

Another way of displaying the distribution of data



Example of Box Plots

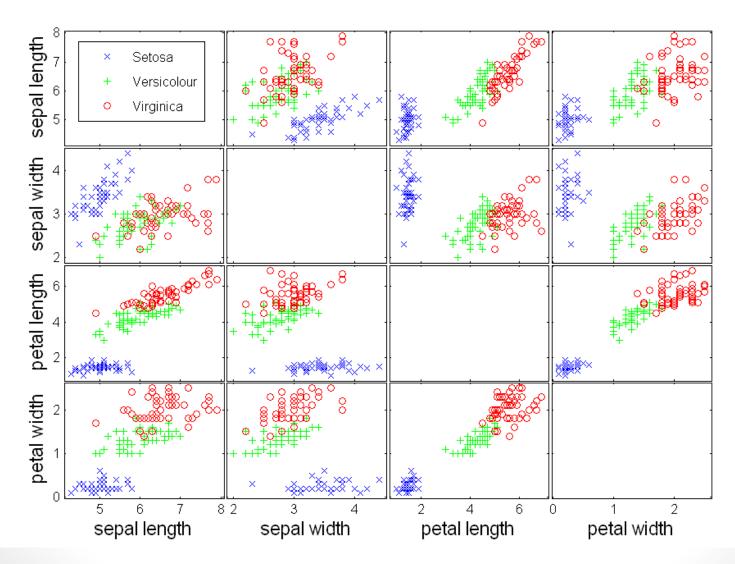
Box plots can be used to compare attributes



Visualization Techniques: Scatter Plots

- Attributes values determine the position
- Two-dimensional scatter plots most common, but can have three-dimensional scatter plots
- Often additional attributes can be displayed by using the size, shape, and color of the markers that represent the objects
- It is useful to have arrays of scatter plots can compactly summarize the relationships of several pairs of attributes
 - See example on the next slide

Scatter Plot Array of Iris Attributes

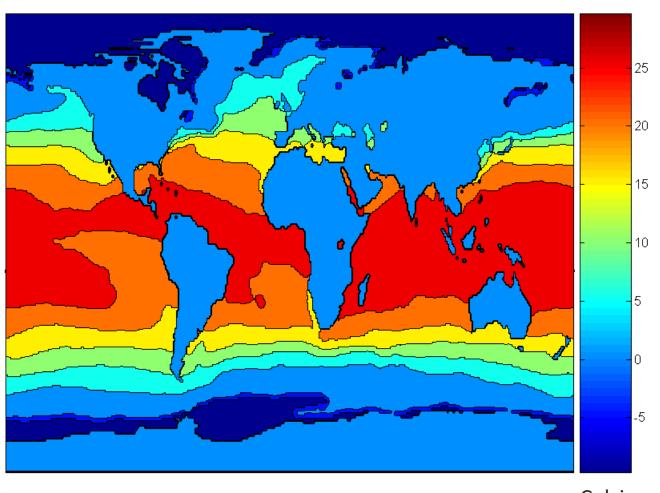


Visualization Techniques: Contour Plots

- Useful when a continuous attribute is measured on a spatial grid.
- Partition the plane into regions of similar values.
- The contour lines that form the boundaries of these regions connect points with equal values.

Contour Plot Example:

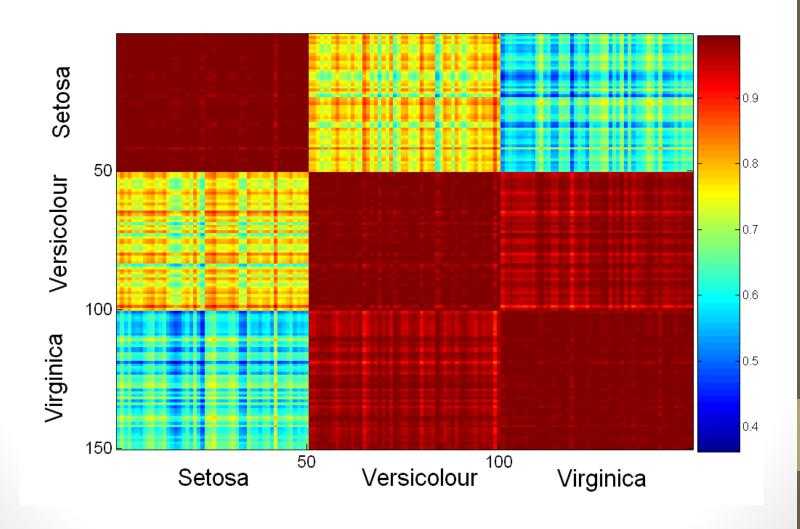
Sea Surface Temperature (Dec, 1998)



Visualization Techniques: Matrix Plots

- Can plot the data matrix
- Useful when objects are sorted according to class
- Typically, the attributes are normalized to prevent one attribute from dominating the plot

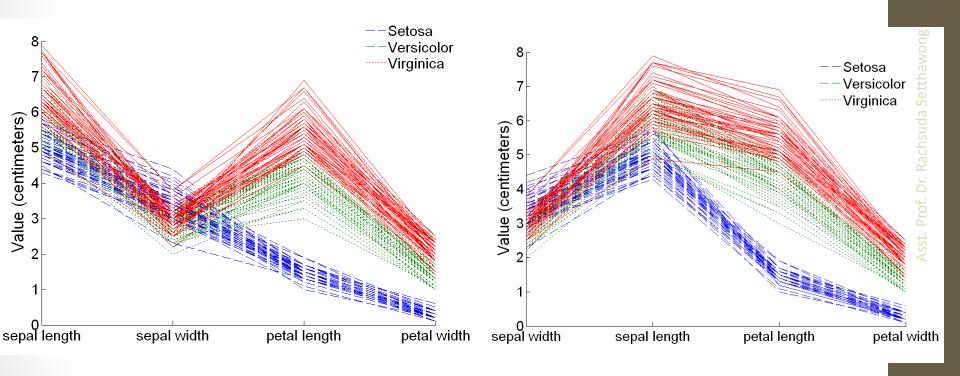
Visualization of the Iris Correlation Matrix



Visualization Techniques: Parallel Coordinates

- Used to plot the attribute values of high-dimensional data
- Use a set of parallel axes instead of using perpendicular axes.
- Thus, each object is represented as a line
 - The attribute values of each object are plotted as a point on each corresponding coordinate axis, and
 - The points are connected by a line

Parallel Coordinates Plots for Iris Data



Other Visualization Techniques

Star Plots

- Similar approach to parallel coordinates, but axes radiate from a central point
- The line connecting the values of an object is a polygon

Chernoff Faces

- Approach created by Herman Chernoff
- This approach associates each attribute with a characteristic of a face
- The values of each attribute determine the appearance of the corresponding facial characteristic
- Each object becomes a separate face
- Relies on human's ability to distinguish faces

Star Plots for Iris Data

Setosa

Versicolour

5



52



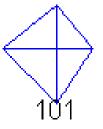
53

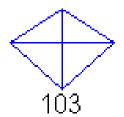


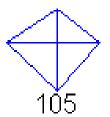
54



Virginica







Asst. Prof. Dr. Rachsuda Setthawong

Chernoff Faces for Iris Data

Setosa











Versicolour









Virginica











Sample Charts in MS Excel



Microsoft Tutorial – Creating a Graph from Start to Finish:

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 - Online Analytical Processing (OLAP)
 - Pivot Table

On-Line Analytical Processing (OLAP)

- Relational databases put data into tables, while OLAP uses a multidimensional array representation.
 - Such representations of data previously existed in statistics and other fields
- There are a number of data analysis and data exploration operations that are easier with such a data representation.

Creating a Multidimensional Array

- Two steps (Tabular data to a multidimensional array):
 - First, identify which attributes are to be the dimensions and which attribute is to be the target attribute whose values appear as entries in the multidimensional array.
 - The attributes used as dimensions must have discrete values
 - The target value is typically a count or continuous value, e.g., the cost of an item
 - Can have no target variable at all except the count of objects that have the same set of attribute values
 - Second, find the value of each entry in the multidimensional array by summing the values (of the target attribute) or count of all objects that have the attribute values corresponding to that entry.

Example: Iris data

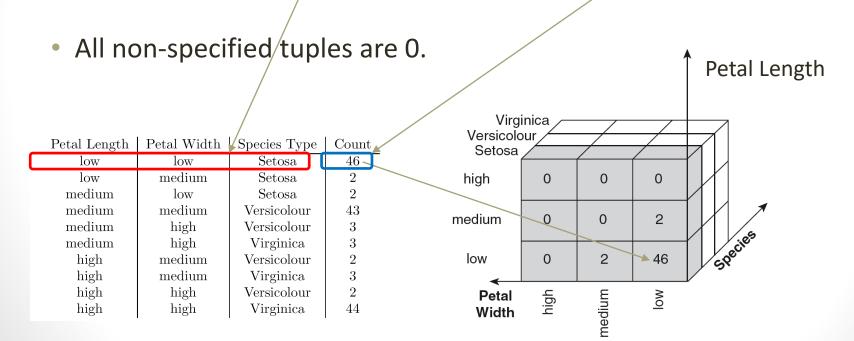
- Define dimensions: A) petal width and B) petal length, and C)
 Species Type
 - Discretize A and B to have categorical values: low, medium, and high
- Define target attribute: count attribute and count values of each case

Petal Length	Petal Width	Species Type	Count
low	low	Setosa	46
low	medium	Setosa	2
medium	low	Setosa	2
medium	medium	Versicolour	43
medium	high	Versicolour	3
medium	high	Virginica	3
high	medium	Versicolour	2
high	medium	Virginica	3
high	high	Versicolour	2
high	high	Virginica	44

Example: Iris data (continued)

• Each unique tuple of petal width, petal length, and species type identifies one element of the array.

This element is assigned the corresponding count value.



Example: Iris data (continued)

 Slices of the multidimensional array are shown by the following cross-tabulations

Petal Length	Petal Width	Species Type	Count	
low	low	Setosa	46	
low	medium	Setosa	2	
medium	low	Setosa	2	
medium	medium	Versicolour	43	
medium	$_{ m high}$	Versicolour	3	
medium	$_{ m high}$	Virginica	3	
high	medium	Versicolour	2	
high	medium	Virginica	3	
high	high	Versicolour	2	
high	$_{ m high}$	Virginica	44	



Setosa

Width low medium high but low 46 2 0 medium 2 0 0 high 0 0 0

Versicolour

		low medium high 0 0 0 0 0 43 3 3 0 2 2			
		low	medium	high	
th.	low	0	0	0	
$_{ m ength}$	medium	0	43	3	
Leı	high	0	2	2	

Width

Virginica

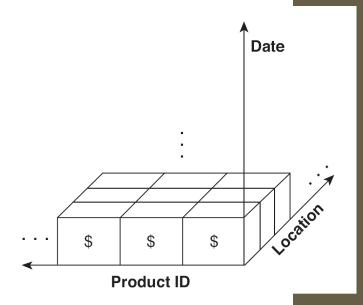
			$\mathbf{W}\mathbf{idth}$	
		low	medium	higł
q:	low	0	0	0
ength	medium	0	0	3
Leı	high	0	3	44

OLAP Operations: Data Cube

- The key operation of a OLAP is the formation of a data cube
- A data cube is a multidimensional representation of data, together with all possible aggregates.
- By all possible aggregates, we mean the aggregates that result by selecting a proper subset of the dimensions and summing over all remaining dimensions.
- For example, if we choose the species type dimension of the Iris data and sum over all other dimensions, the result will be a one-dimensional entry with three entries, each of which gives the number of flowers of each type.

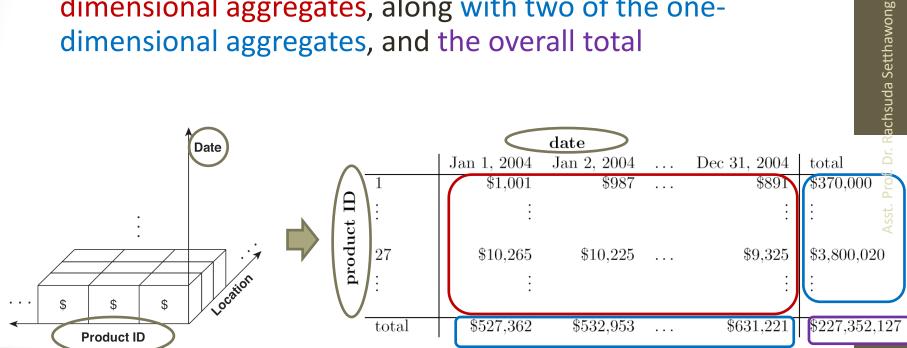
Data Cube Example

- Consider a data set that records the sales of products at a number of company stores at various dates.
- This data can be represented as a three-dimensional array
- There are 3 two-dimensional aggregates (3 choose 2),
 3 one-dimensional aggregates, and 1 zero-dimensional aggregate (the overall total)



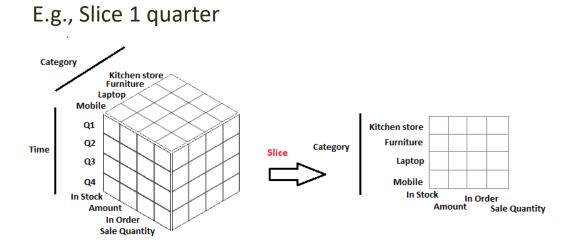
Data Cube Example (continued)

 The following figure table shows one of the two dimensional aggregates, along with two of the onedimensional aggregates, and the overall total



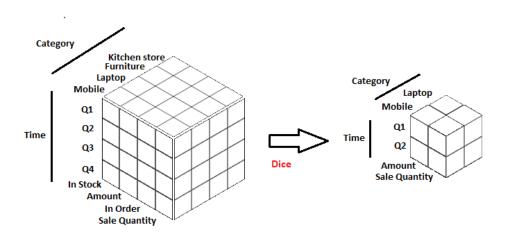
OLAP Operations: Slicing and Dicing

 Slicing is selecting a group of cells from the entire multidimensional array by specifying a specific value for one or more dimensions.



OLAP Operations: Slicing and Dicing

- Dicing involves selecting a subset of cells by specifying a range of attribute values.
 - This is equivalent to defining a subarray from the complete array.



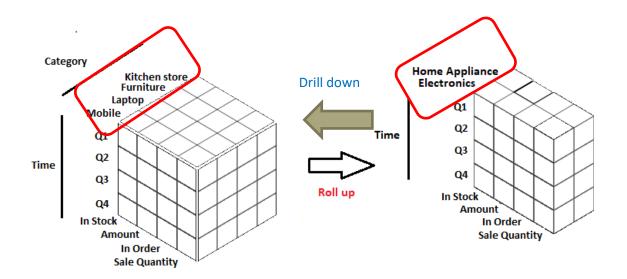
 In practice, both operations can also be accompanied by aggregation over some dimensions.

OLAP Operations: Roll-up and Drill-down

- Attribute values often have a hierarchical structure.
 - Each date is associated with a year, month, and week.
 - A *location* is associated with a continent, country, state (province, etc.), and city.
 - Products can be divided into various categories, such as clothing, electronics, and furniture.
- Note that these categories often nest and form a tree
 - A year contains months which contains day
 - A country contains a state which contains a city

OLAP Operations: Roll-up and Drill-down

 This hierarchical structure gives rise to the roll-up and drill-down operations.



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Pivot Table in MS Excel

What is Pivot Table?

- A table of statistics that summarizes the data of a more extensive table (e.g., a database, spreadsheet).
- This summary include sums, averages, or other statistics, which the pivot table groups together in a meaningful way.

Raw Data

	А	В	С	D	Е	F	G	Н
1	Order ID	Product	Category	Amount	Date	Country		
2	1	Carrots	Vegetables	\$4,270	1/6/2016	United States		
3	2	Broccoli	Vegetables	\$8,239	1/7/2016	United Kingdom		
4	3	Banana	Fruit	\$617	1/8/2016	United States		
5	4	Banana	Fruit	\$8,384	1/10/2016	Canada		
6	5	Beans	Vegetables	\$2,626	1/10/2016	Germany		
7	6	Orange	Fruit	\$3,610	1/11/2016	United States		
8	7	Broccoli	Vegetables	\$9,062	1/11/2016	Australia		
9	8	Banana	Fruit	\$6,906	1/16/2016	New Zealand		
10	9	Apple	Fruit	\$2,417	1/16/2016	France		
44	10	Apple	Femile	Ć7 /101	1/16/2016	Canada		



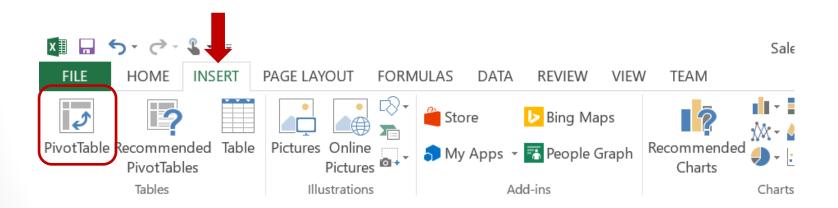
Pivot Tables

	А	В	С	1	Α	В	С
1	Country	(All)		1	Country	France	
2				2			
3	Row Labels 🚚	Sum of Amount		3	Row Labels 🚚	Count of Amount	
4	Banana	340295		4	Apple	16	
5	Apple	191257		5	Banana	7	
6	Broccoli	142439		6	Carrots	1	
7	Carrots	136945		7	Mango	1	
8	Orange	104438		8	Orange	1	
9	Beans	57281		9	Beans	1	
10	Mango	57079		10	Broccoli	1	
11	Grand Total	1029734		11	Grand Total	28	
12				12			

	Α	В	С	D	Е	F	G	Н	1	J
1	Category	(All)								
2										
3	Sum of Amount	Column 🔻								
4	Row Labels 🔻	Apple	Banana	Beans	Broccoli	Carrots	Mango	Orange	Grand Total	
5	Australia	20634	52721	14433	17953	8106	9186	8680	131713	
6	Canada	24867	33775		12407		3767	19929	94745	
7	France	80193	36094	680	5341	9104	7388	2256	141056	
8	Germany	9082	39686	29905	37197	21636	8775	8887	155168	
9	New Zealand	10332	40050		4390			12010	66782	
10	United Kingdom	17534	42908	5100	38436	41815	5600	21744	173137	
11	United States	28615	95061	7163	26715	56284	22363	30932	267133	
12	Grand Total	191257	340295	57281	142439	136945	57079	104438	1029734	
13										

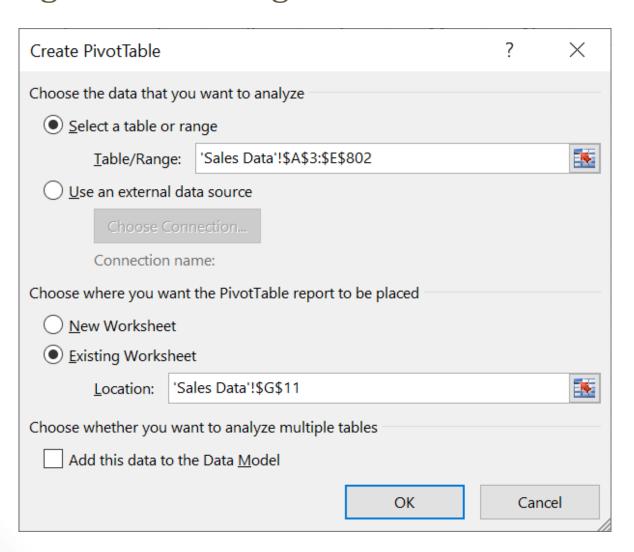
Creating Pivot Table: 1/6

- 1. Open the file SalesData.xlsx
- Add PivotTable

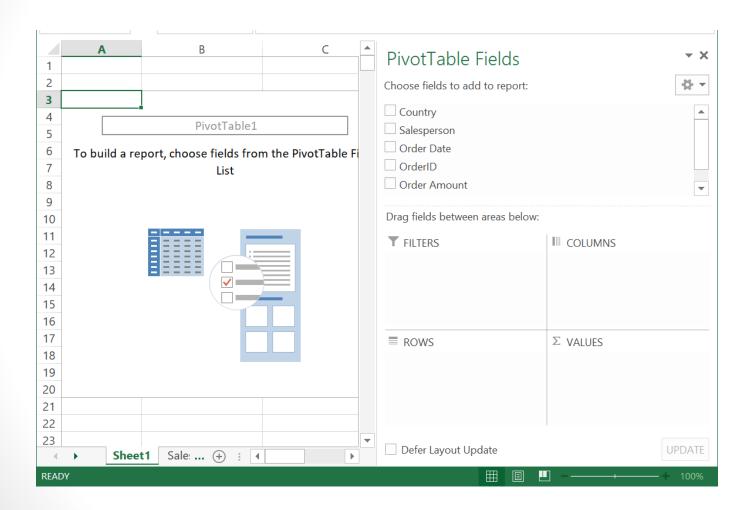


Creating Pivot Table: 2/6

Selecting a Table or Range of Data

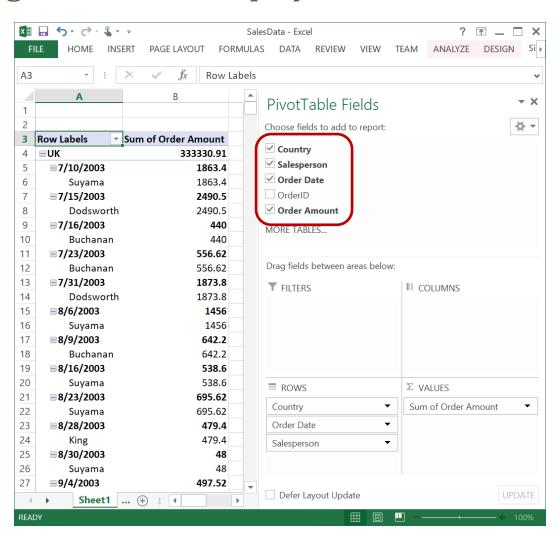


Creating Pivot Table: 3/6 The Worksheet with Pivot Table Added



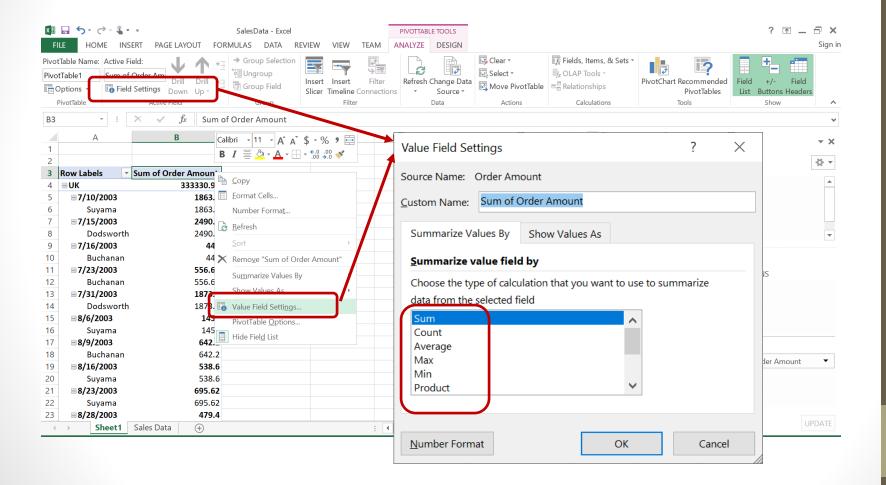
Creating Pivot Table: 4/6

Selecting Fields to be Displayed in Pivot Table



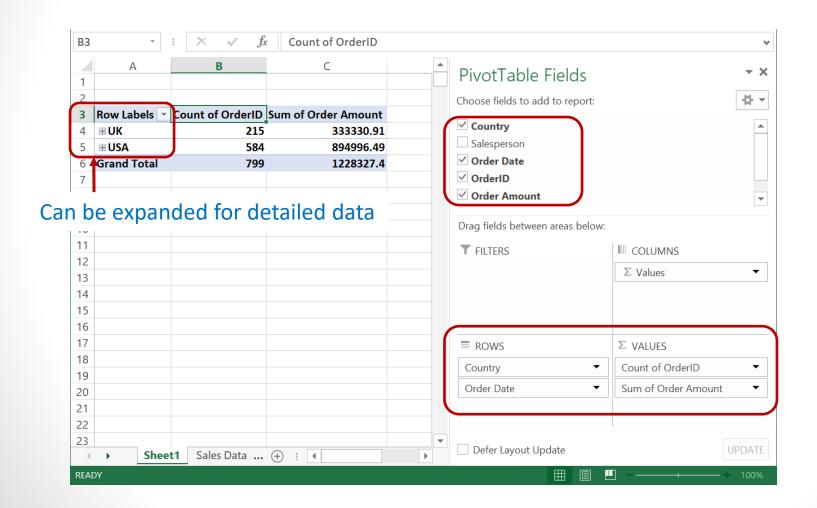
Creating Pivot Table: 5/6

Changing Summary Info.



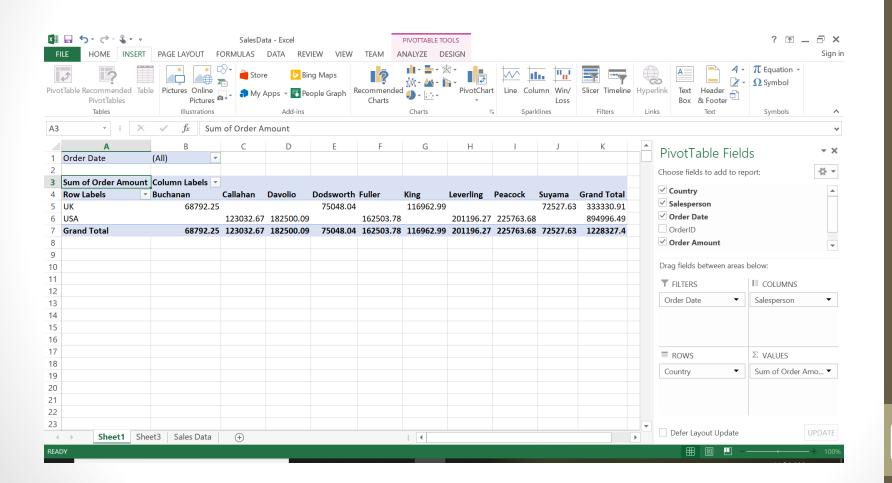
Creating Pivot Table: 6/6

Rearranging Fields in Rows and Changing Summary Info.



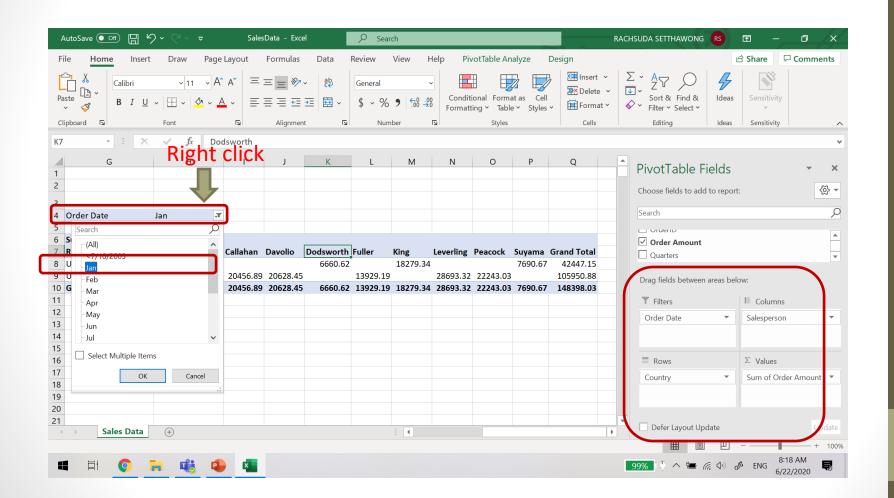
Example of Summary 1:

Order Amount per Salesperson in Different Countries



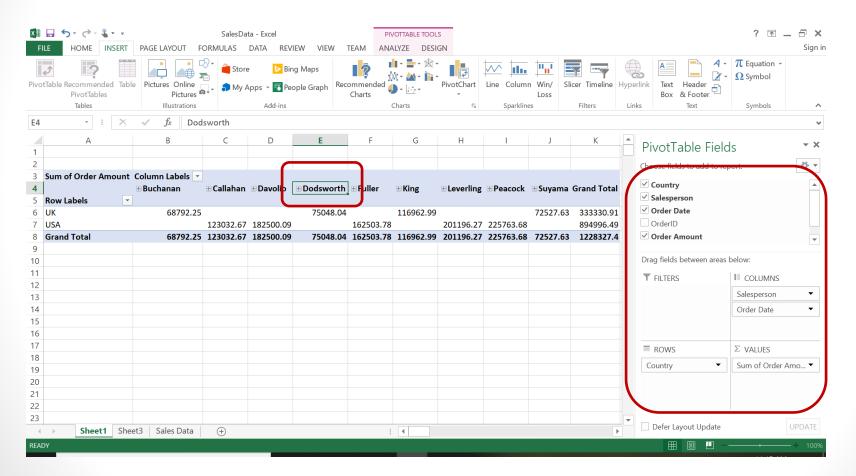
Example of Summary 2 (using Filter):

Order Amount in 2003 per Salesperson in Different Countries

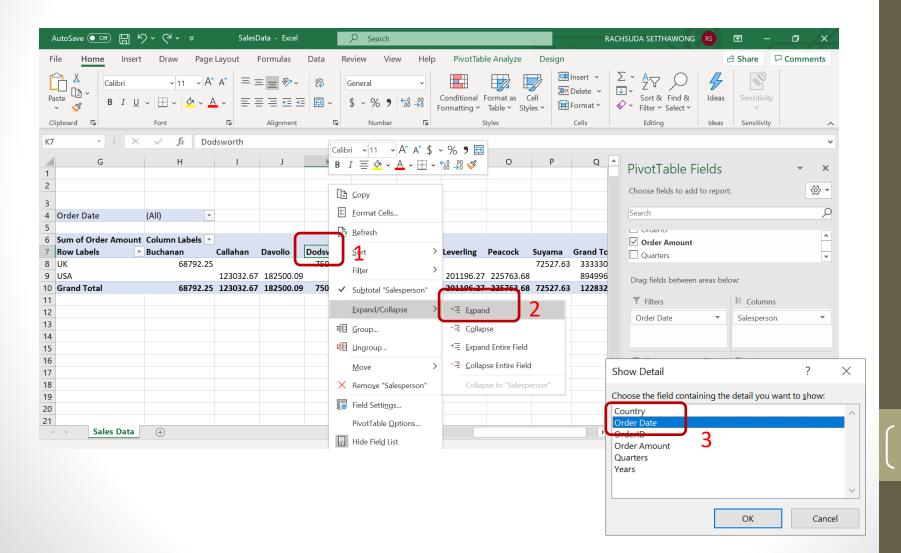


Example of Summary 3 (Aggregation using Group):

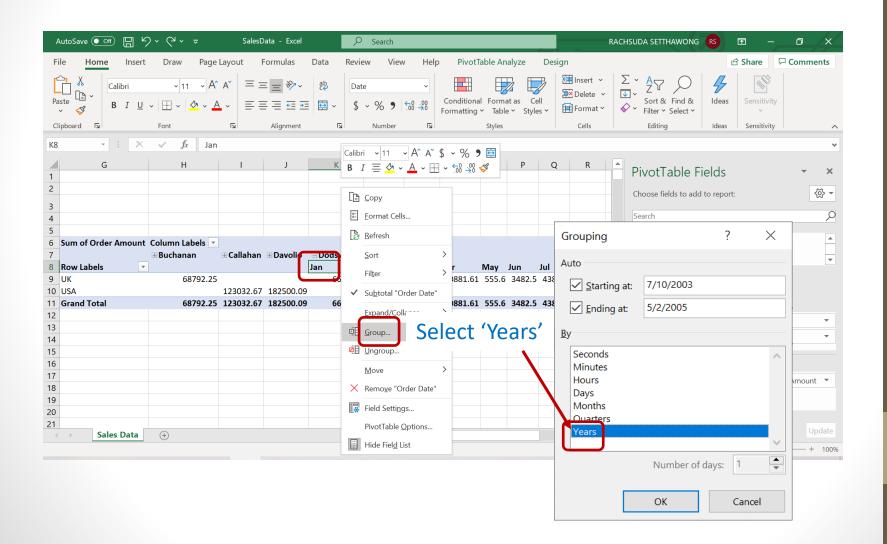
Grouping Order Amount by Year per Salesperson in Different Countries



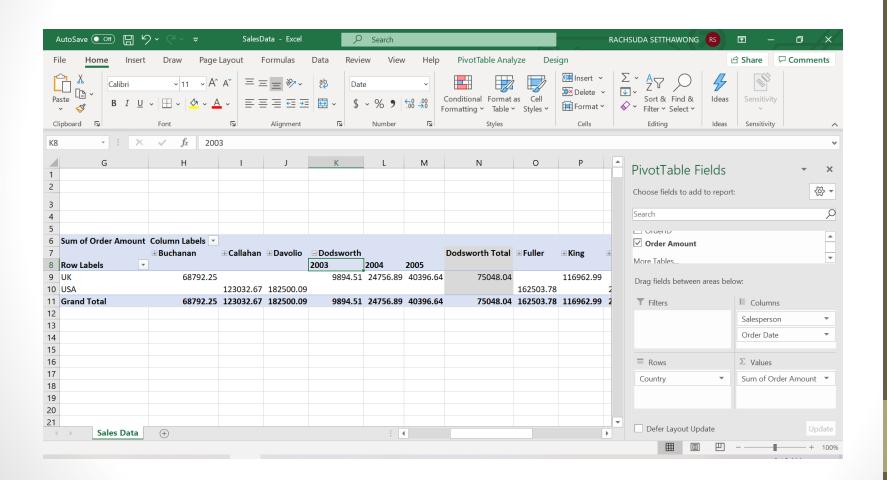
Example of Summary 3 (Aggregation using Group): 1/3



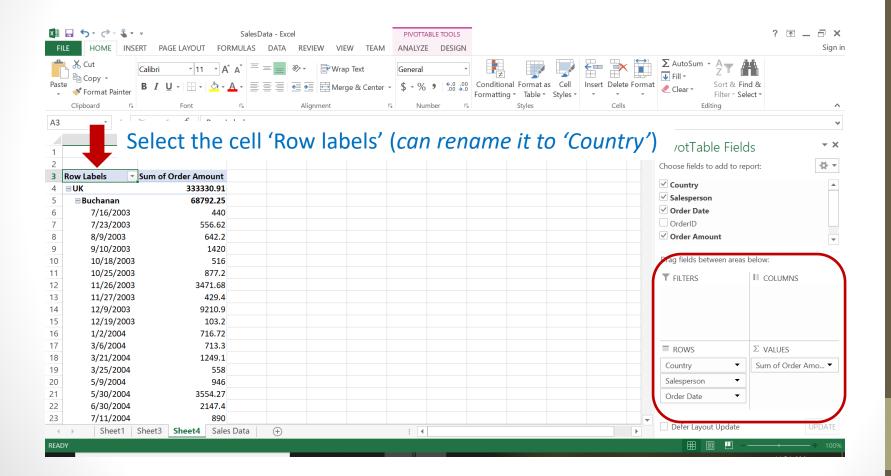
Example of Summary 3 (Aggregation using Group): 2/3



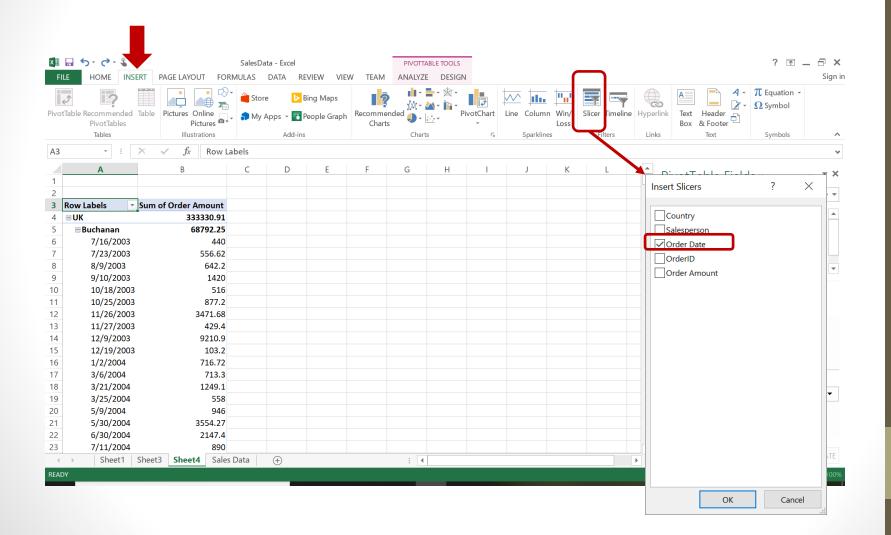
Example of Summary 3 (Aggregation using Group): 3/3



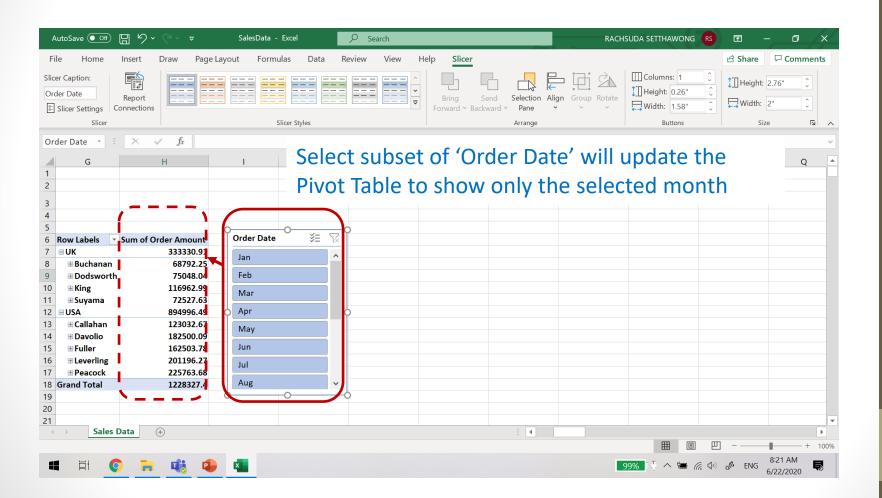
Example 4: Slicing – 1/3



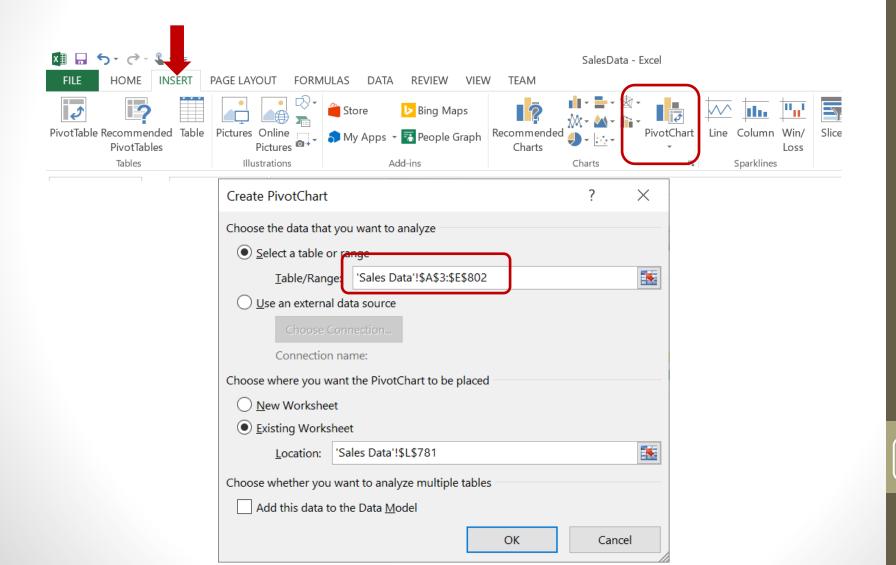
Example 4: Slicing – 2/3



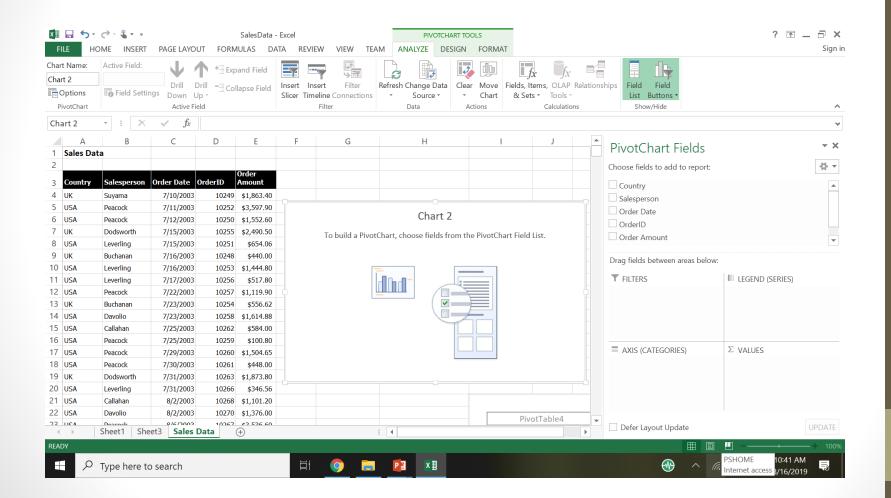
Example 4: Slicing – 3/3



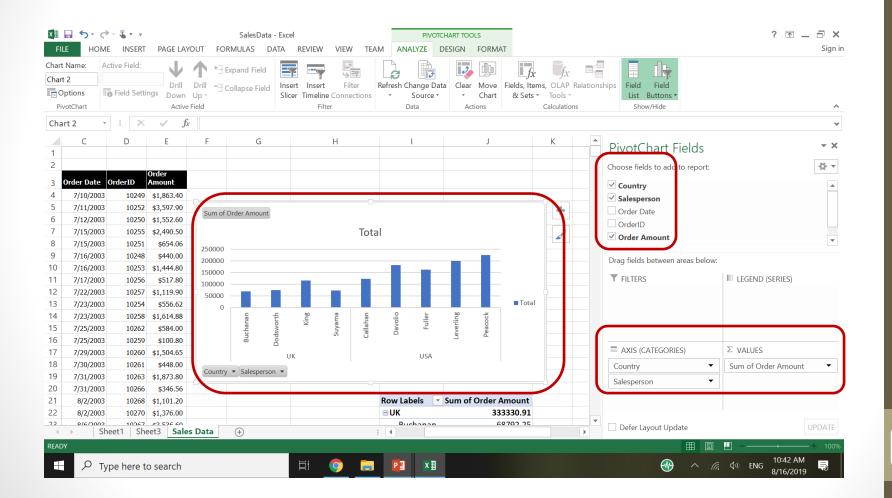
Creating Pivot Chart



Pivot Chart Added

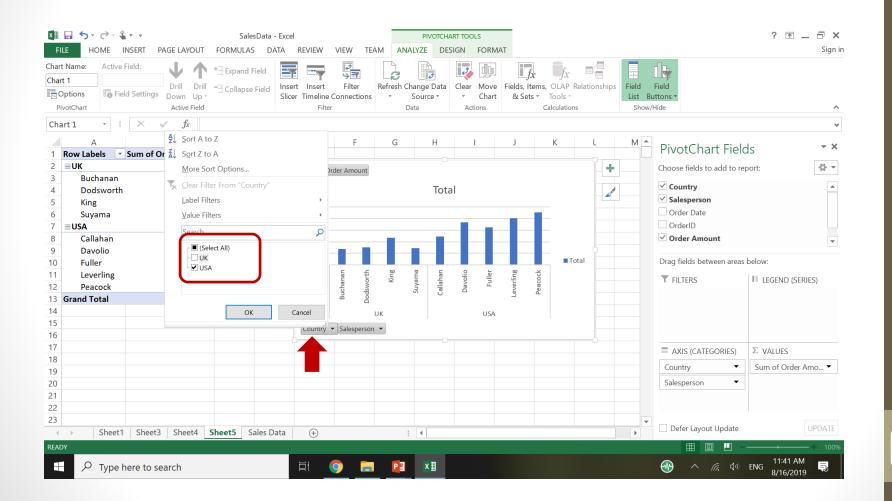


Adding Fields to the Chart



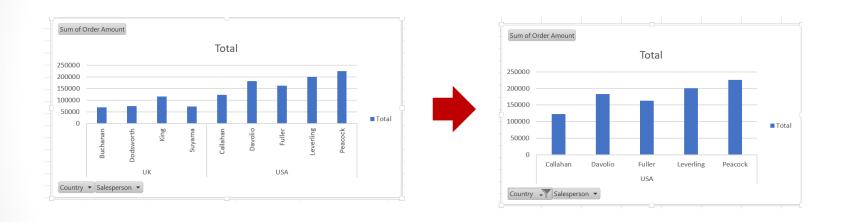
More Action on Chart:

Interactively Update the Chart using Filter



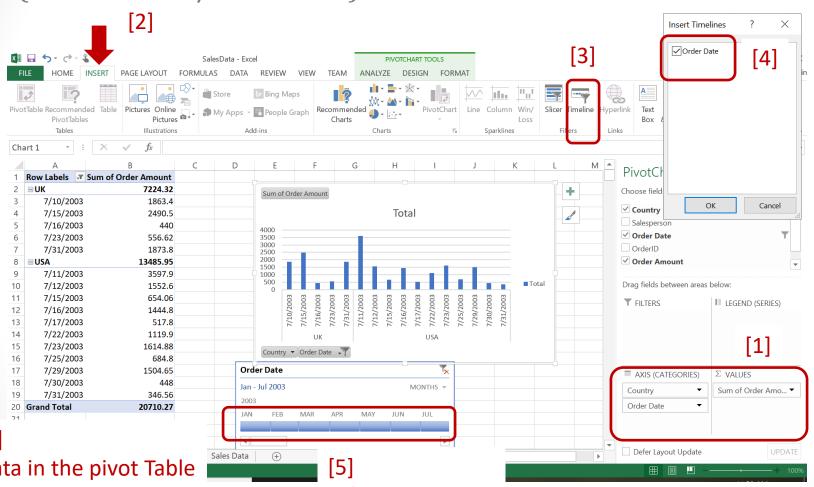
More Action on Chart:

Interactively Update the Chart using Filter: Result



More Action on Pivot Table (Chart): Using Timeline to Filter Data

(Must be 'Date/Time' Field)

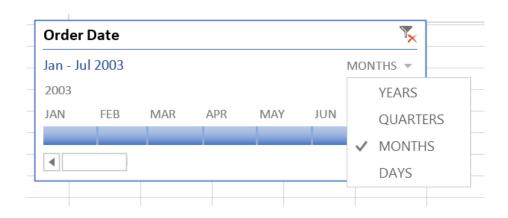


[6]
Data in the pivot Table
(and graph if any) are
updated, accordingly.

Select JAN – JULY

More Action on Pivot Table (Chart):

Changing Timeline's Granularity



Analysis ToolPak in MS Excel

Loading and the Activating Analysis ToolPak

- 1. Click the **File** tab, click **Options**, and then click the **Add-Ins** category.
- 2. If you're using Excel 2007, click the Microsoft Office Button (19), and then click Excel Options
- 3. In the **Manage** box, select **Excel Add-ins** and then click **Go**.
- 4. If you're using Excel for Mac, in the file menu go to **Tools** > **Excel Addins**.
- In the Add-Ins box, check the Analysis ToolPak check box, and then click OK.
 - If Analysis ToolPak is not listed in the Add-Ins available box, click Browse to locate it.
 - If you are prompted that the Analysis ToolPak is not currently installed on your computer, click Yes to install it.

Click the **Data** tab, in Analysis section click **Data Analysis**

- Anova
- Correlation
- Covarience
- Descriptive Statistics
- Exponential Smoothing
- F-Test Two-Sample for Variances
- Fourier Analysis
- Histogram
- Moving Average
- Random Number Generation
- Rank and Percentile
- Regression
- Sampling
- t-Test
- z-Test

