AIM: WRITE A PROGRAM TO IMPLEMENT A NEURAL NETWORK IN PYTHON

THEORY: Neural networks are a foundational theory in artificial intelligence that mimic the structure and function of the human brain to process data and learn patterns. They consist of layers of interconnected nodes (neurons) that transform input data through weighted connections and activation functions. As data passes through these layers, the network learns to make predictions or classifications by adjusting weights via training algorithms like backpropagation. Neural networks power many modern AI applications, including image recognition, natural language processing, and autonomous systems.

```
import numpy as np
# Activation function (Sigmoid)
def sigmoid(x):
  return 1/(1 + np.exp(-x))
# Derivative of Sigmoid
def sigmoid derivative(x):
  return x * (1 - x)
# Neural Network class
class NeuralNetwork:
  def init (self, input nodes, hidden nodes, output nodes):
     self.input nodes = input nodes
    self.hidden nodes = hidden nodes
    self.output nodes = output nodes
    # Initialize weights and biases
     self.weights input hidden = np.random.rand(self.input nodes,
self.hidden nodes)
     self.weights hidden output = np.random.rand(self.hidden nodes,
self.output nodes)
```

```
self.bias hidden = np.random.rand(self.hidden nodes)
     self.bias output = np.random.rand(self.output nodes)
  def feedforward(self, X):
    # Forward propagation
    self.hidden layer input = np.dot(X, self.weights input hidden) +
self.bias hidden
     self.hidden layer output = sigmoid(self.hidden layer input)
    self.final input = np.dot(self.hidden layer output, self.weights hidden output)
+ self.bias output
    self.final output = sigmoid(self.final input)
    return self.final output
  def train(self, X, y, learning rate, epochs):
    for in range(epochs):
       # Forward pass
       self.feedforward(X)
       # Backpropagation
       output error = y - self.final output
       output delta = output error * sigmoid derivative(self.final output)
       hidden error = np.dot(output delta, self.weights hidden output.T)
       hidden_delta = hidden_error * sigmoid_derivative(self.hidden_layer output)
       # Update weights and biases
       self.weights hidden output += np.dot(self.hidden layer output.T,
output delta) * learning rate
       self.bias output += np.sum(output delta, axis=0) * learning rate
```

```
self.weights_input_hidden += np.dot(X.T, hidden_delta) * learning_rate
self.bias_hidden += np.sum(hidden_delta, axis=0) * learning_rate
```

```
# Example usage

if _name_ == "_main_":

# Sample dataset (X: inputs, y: outputs)

X = np.array([[0, 0], [0, 1], [1, 0], [1, 1]])

y = np.array([[0], [1], [1], [0]]) # XOR problem

nn = NeuralNetwork(input_nodes=2, hidden_nodes=4, output_nodes=1)

nn.train(X, y, learning_rate=0.5, epochs=10000)

# Test the network

print("Predictions:")

print(nn.feedforward(X))

Predictions:

[[0.01502373]

[0.98154121]

[0.98974501]
```

[0.01589742]]

AIM: Compare the different search algorithms.

Theory: Short Note on BFS, DFS, UCS, and A* Search:

• Breadth-First Search (BFS):

BFS explores nodes level by level, starting from the source. It uses a queue and is guaranteed to find the shortest path in an unweighted graph. It is complete and optimal for such graphs.

Depth-First Search (DFS):

DFS explores as far as possible along each branch before backtracking. It uses a stack (or recursion) and is memory efficient, but it may not find the shortest path and can get stuck in deep or infinite paths without precautions.

• Uniform Cost Search (UCS):

UCS expands the node with the lowest total cost from the start. It is optimal and complete for graphs with positive edge weights, making it suitable for finding the least-cost path.

A* Search:

A* enhances UCS by using a heuristic to estimate the cost to the goal. It selects paths with the lowest combined actual cost and estimated future cost, making it efficient and optimal with an admissible heuristic.

```
from queue import PriorityQueue
def bfs(graph, start, goal):
  queue = [(start, [start])]
  while queue:
     node, path = queue.pop(0)
     if node == goal:
       return path
     for neighbor in graph[node]:
       if neighbor not in path:
          queue.append((neighbor, path + [neighbor]))
  return None
def dfs(graph, start, goal, path=[]):
  path = path + [start]
  if start == qoal:
     return path
  for neighbor in graph[start]:
     if neighbor not in path:
       new_path = dfs(graph, neighbor, goal, path)
       if new path:
          return new_path
  return None
```

```
def ucs(graph, start, goal):
  queue = PriorityQueue()
  queue.put((0, start, [start]))
  while not queue.empty():
     cost, node, path = queue.get()
     if node == goal:
        return path
     for neighbor, weight in graph[node]:
        if neighbor not in path:
           queue.put((cost + weight, neighbor, path + [neighbor]))
  return None
def heuristic(node, goal):
  return abs(ord(node) - ord(goal)) # Example heuristic function
def a_star(graph, start, goal):
  queue = PriorityQueue()
  queue.put((0, start, [start]))
  while not queue.empty():
     cost, node, path = queue.get()
     if node == goal:
        return path
     for neighbor, weight in graph[node]:
        if neighbor not in path:
          total cost = cost + weight + heuristic(neighbor, goal)
           queue.put((total_cost, neighbor, path + [neighbor]))
  return None
# Graph representation
graph unweighted = {
  'A': ['B', 'C'],
  'B': ['A', 'D', 'E'],
  'C': ['A', 'F'],
  'D': ['B'],
  'E': ['B', 'F'],
  'F': ['C', 'E']
}
graph_weighted = {
  'A': [('B', 1), ('C', 4)],
  'B': [('A', 1), ('D', 2), ('E', 5)],
  'C': [('A', 4), ('F', 3)],
  'D': [('B', 2)],
  'E': [('B', 5), ('F', 1)],
  'F': [('C', 3), ('E', 1)]
# Running algorithms
print("BFS:", bfs(graph_unweighted, 'A', 'F'))
print("DFS:", dfs(graph_unweighted, 'A', 'F'))
```

print("UCS:", ucs(graph_weighted, 'A', 'F'))
print("A*:", a_star(graph_weighted, 'A', 'F'))

```
BFS: ['A', 'C', 'F']

DFS: ['A', 'B', 'E', 'F']

UCS: ['A', 'B', 'E', 'F']

A*: ['A', 'C', 'F']
```

AIM: WAP to implement factorial, Fibonacci of a given number in PROLOG.

THEORY:

Factorial In Prolog: The factorial of a number N is the product of all positive integers from 1 to N, and is denoted as N!. In Prolog, this is implemented using recursion with a base case factorial(0, 1) which returns 1, since 0! is defined as 1. The recursive rule states that the factorial of N is N multiplied by the factorial of N-1, allowing Prolog to compute the result by breaking down the problem into smaller subproblems until the base case is reached.

Fibonacci in Prolog: The Fibonacci sequence is a series of numbers where each term is the sum of the two preceding ones, starting from 0 and 1. In Prolog, this is defined using two base cases: fibonacci(0, 0) and fibonacci(1, 1), which represent the first two terms of the sequence. For values greater than 1, the recursive rule computes the Fibonacci number by summing the results of fibonacci(N-1) and fibonacci(N-2), building up the sequence until the desired position is reached.

```
Factorial in Prolog:

% Base case: factorial of 0 is 1

factorial(0, 1).

% Recursive case: factorial of N is N * factorial of (N-1)

factorial(N, F):-

N > 0,

N1 is N - 1,

factorial(N1, F1),

F is N * F1.
```

```
Fibonacci in Prolog:
% Base case: Fibonacci of 0 is 0, Fibonacci of 1 is 1
fibonacci(0, 0).
fibonacci(1, 1).
% Recursive case: Fibonacci of N is Fibonacci(N-1) + Fibonacci(N-2)
fibonacci(N, F):-
  N > 1,
  N1 is N - 1,
  N2 is N - 2,
  fibonacci(N1, F1),
  fibonacci(N2, F2),
  F is F1 + F2.
  ?- fibonacci(5, F).
  F = 5.
```

?- factorial(5, F).

F = 120.

AIM: WAP to solve 4-queen problem in PROLOG.

THEORY: The 4-Queens problem is a specific case of the classic N-Queens problem in which the goal is to place 4 queens on a 4×4 chessboard such that no two queens threaten each other. A queen in chess can move any number of squares vertically, horizontally, or diagonally, so the solution must ensure that no two queens share the same row, column, or diagonal. In Prolog, this problem is solved using a **permutation-based backtracking approach**, where each permutation of the list [1, 2, 3, 4] represents a possible placement of queens in different columns, one in each row. The program checks each permutation to determine if it is **safe**, i.e., no two queens are on the same diagonal, by comparing the difference in row and column indices. This approach leverages Prolog's powerful pattern matching and recursion to generate and test all valid configurations efficiently, ultimately producing only those placements where no queens attack each other.

```
% Main predicate to solve N-Queens
queens(N, Solution):-
  range(1, N, Range),
  permutation(Range, Solution),
  safe(Solution).
% Generate list from From to To
range(From, To, [From|Rest]) :-
  From =< To.
  Next is From + 1,
  range(Next, To, Rest).
range(From, To, []):-
  From > To.
% Check if the board is safe (no queens attacking each other diagonally)
safe([]).
safe([Q|Others]):-
  safe(Q, Others, 1),
  safe(Others).
```

```
% Check that no two queens attack each other diagonally safe(\_, [], \_). safe(Q, [Q1|Others], D) :- Q = Q1 + D, Q = Q1 - D, Q1 = Q1 - D, Q1 = Q1 + D, Q2 = Q1 - D, Q1 = Q1 + D, Q2 = Q1 - D, Q1 = Q1 + D, Q1 = Q1
```

```
?- queens(4, Solution).
```

OUTPUT:

```
Solution = [2, 4, 1, 3];
Solution = [3, 1, 4, 2];
false.
```

AIM: WAP to implement fuzzy logic.

THEORY: Fuzzy Logic is a computational approach that deals with **reasoning under uncertainty**. Unlike classical logic which uses binary true (1) or false (0), fuzzy logic allows values **between 0 and 1**, representing **degrees of truth**. It is based on **fuzzy sets** and is used to handle vague or imprecise information, much like human reasoning.

```
def cold_membership(temp):
  if temp <= 10:
     return 1.0
  elif 10 < temp < 20:
     return (20 - temp) / 10.0
  else:
     return 0.0
def warm_membership(temp):
  if 15 <= temp <= 25:
     return (temp - 15) / 10.0
  elif 25 < temp <= 35:
     return (35 - temp) / 10.0
  else:
     return 0.0
def hot_membership(temp):
  if temp <= 30:
```

```
return 0.0
  elif 30 < temp < 40:
     return (temp - 30) / 10.0
  else:
     return 1.0
def calculate_fan_speed(temp):
  cold = cold_membership(temp)
  warm = warm_membership(temp)
  hot = hot_membership(temp)
  # Weighted average (centroid method)
  if cold + warm + hot == 0:
     return 0 # Avoid division by zero
  fan_speed = (cold * 0 + warm * 50 + hot * 100) / (cold + warm + hot)
  print("\nFuzzy Membership Values:")
  print(f"Cold : {cold:.2f}")
  print(f"Warm : {warm:.2f}")
  print(f"Hot : {hot:.2f}")
  print(f"\nCalculated Fan Speed: {fan_speed:.2f}%")
  return fan_speed
```

AIM: WAP to implement genetic algorithm.

THEORY: A **Genetic Algorithm (GA)** is a heuristic search algorithm inspired by the principles of natural selection and genetics. It is used to find approximate solutions to optimization and search problems. GA belongs to a class of algorithms known as **evolutionary algorithms**, which simulate the process of natural evolution.

```
CODE:
import random
# Parameters
POPULATION SIZE = 6
CHROMOSOME LENGTH = 5 # To represent 0-31 in binary
MUTATION RATE = 0.1
GENERATIONS = 10
# Fitness function: f(x) = x^2
def fitness(chromosome):
  x = int(chromosome, 2)
  return x ** 2
# Generate a random chromosome
def random chromosome():
  return ".join(random.choice(['0', '1']) for in range(CHROMOSOME LENGTH))
# Selection: Tournament selection
def selection(population):
  selected = random.sample(population, 2)
  return max(selected, key=fitness)
# Crossover: Single point crossover
```

```
def crossover(parent1, parent2):
  point = random.randint(1, CHROMOSOME_LENGTH - 1)
  child1 = parent1[:point] + parent2[point:]
  child2 = parent2[:point] + parent1[point:]
  return child1, child2
# Mutation: Flip bits with some probability
def mutate(chromosome):
  return ".join(
    bit if random.random() > MUTATION RATE else ('1' if bit == '0' else '0')
    for bit in chromosome
  )
# Genetic Algorithm
def genetic algorithm():
  # Step 1: Initialize population
  population = [random chromosome() for in range(POPULATION SIZE)]
  for generation in range(GENERATIONS):
    print(f"\nGeneration {generation + 1}:")
    population = sorted(population, key=fitness, reverse=True)
    # Display best in current generation
    best = population[0]
    print(f"Best: {best} -> x={int(best, 2)} fitness={fitness(best)}")
    # Step 2: Create new generation
    new population = population[:2] # Elitism: carry forward best 2
    while len(new population) < POPULATION SIZE:
```

```
parent1 = selection(population)
parent2 = selection(population)
child1, child2 = crossover(parent1, parent2)
new_population.append(mutate(child1))
if len(new_population) < POPULATION_SIZE:
    new_population.append(mutate(child2))

population = new_population

# Final result
best = max(population, key=fitness)
print(f"\nBest solution after {GENERATIONS} generations:")
print(f"\Chromosome: {best} -> x={int(best, 2)}, fitness={fitness(best)}")

# Run the GA
genetic_algorithm()
```

→ Generation 1:

Best: 11010 -> x=26 fitness=676

Generation 2:

Best: 11010 -> x=26 fitness=676

Generation 3:

Best: 11010 -> x=26 fitness=676

Generation 4:

Best: 11100 -> x=28 fitness=784

Generation 5:

Best: 11110 -> x=30 fitness=900

Generation 6:

Best: 11110 -> x=30 fitness=900

Generation 7:

Best: 11110 -> x=30 fitness=900

Generation 8:

Best: 11110 -> x=30 fitness=900

Generation 9:

Best: 11111 -> x=31 fitness=961

Generation 10:

Best: 11111 -> x=31 fitness=961

Best solution after 10 generations:

Chromosome: 11111 -> x=31, fitness=961