

---

## Use LASSO when:

### 1. You expect only a few features to matter (sparse model)

If you believe the true relationship uses a **small subset** of variables, lasso is ideal.

- ✓ Good when many variables are irrelevant
- ✓ Automatically selects features by setting coefficients **to zero**

#### Example cases:

- Genetic data (thousands of genes, few are truly important)
  - High-dimensional datasets ( $p \gg n$ )
  - Situations where interpretability matters — “Which variables matter?”
- 

### 2. You want a model that is easy to interpret

Lasso tells you which features the model uses.

All coefficients except a few become exactly zero.

- ✓ Useful for scientific modeling
  - ✓ Useful for finance, medicine, social science
  - ✓ Good for presentations where audiences need a simple formula
- 

### 3. Your features are not strongly correlated

Lasso struggles when features are highly correlated:

it randomly picks one and sets the others to zero.

If correlations are high → Ridge or Elastic Net is better.

---

## Use RIDGE when:

### 1. Features are highly correlated

Ridge shrinks correlated predictors together in a *smooth way*.

#### Example:

- Height and arm span
- $x_1$  and  $x_2$  are nearly duplicates
- Many related features in multicollinearity situations

Ridge handles this beautifully; Lasso does not.

---

## 2. You expect many small/medium effects, not sparsity

If you think all variables matter *a little*, ridge is better.

- ✓ Keeps all variables
- ✓ Smooth shrinkage
- ✓ No hard selection

### Example:

- Tikhonov regularization in ill-posed problems
  - Continuous, smooth phenomena (physics, engineering)
  - Data where every feature carries some information
- 

## 3. Prediction accuracy is the priority (not interpretation)

Ridge tends to perform slightly better than lasso when:

- features are correlated
  - all features have some signal
  - noise is moderate
- 

## Elastic Net (the middle ground)

Sometimes you want:

- ✓ some variable selection
- ✓ but also good performance with correlated features

Elastic Net combines L1 + L2 penalties:

$$\lambda_1 |\beta|_1 + \lambda_2 |\beta|_2^2$$

It:

- selects features (like lasso)
- handles correlation (like ridge)

Often the **best practical choice**.

---

## Quick rule-of-thumb summary

Situation	Best Choice	Reason
Many features, only a few important	<b>Lasso</b>	Selects them automatically
Highly correlated features	<b>Ridge</b>	Shares weight smoothly
$p \gg n$ (more features than samples)	<b>Lasso</b> or Elastic Net	Dimensionality reduction
Want interpretability	<b>Lasso</b>	Zero coefficients
All features have small effects	<b>Ridge</b>	Smooth shrinkage
Unsure	<b>Elastic Net</b>	Balanced behavior

---

## One-sentence intuition

- **Lasso:** “Pick the important features and kill the rest.”
  - **Ridge:** “Use all features but shrink them to avoid overfitting.”
-