RUTGERS DNP 2025

Fall Meeting of the APS
Division of Nuclear Physics



Omnifold uncertainties

How statistical uncertainties propagate through unbinned unfolding

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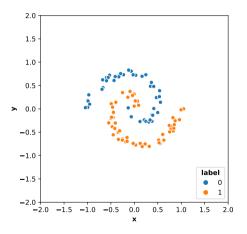
2025-10-14





Multi-Layer Perceptron (MLP) - Toy Example



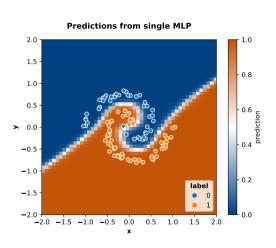


Dataset: 100 samples from 2 gaussian-smeared spirals, "0" (upper spiral / blue points) and "1" (lower spiral / orange points)

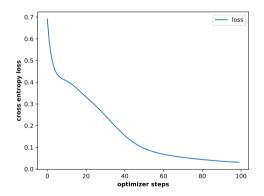
Task: classify the blue and orange points

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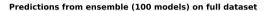


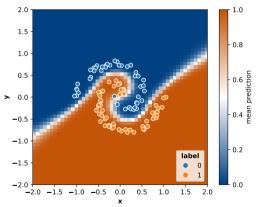
Attempt 1: A single Multi-Layer Perceptron (MLP)



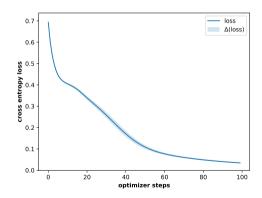
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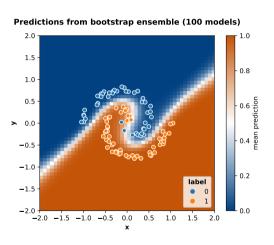




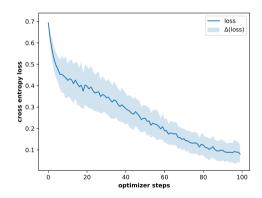
Attempt 2: 100 MLPs, each initialized differently, but sees the whole dataset





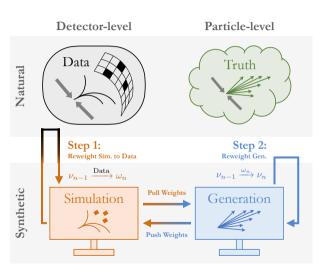


Attempt 3: 100 MLPs, each sees different bootstrap sampling of the dataset



Omnifold: Basics

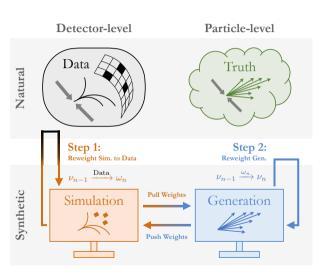




lterative unfolding using unbinned data

Omnifold: Basics

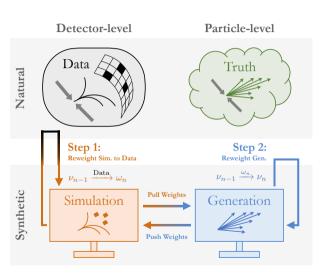




- Iterative unfolding using unbinned data
- Steps 1 and 2 each uses MLP classifier to calculate per-sample conditional probabilities

Omnifold: Basics





- Iterative unfolding using unbinned data
- Steps 1 and 2 each uses MLP classifier to calculate per-sample conditional probabilities
- Step 1 reweights reco to data and Step 2 propagates them to the gen

$$\lambda_{\beta}^{\kappa} = \sum_{\text{const} \in \text{jet}} \overbrace{\left(\frac{p_{\text{T,const}}}{p_{\text{T,jet}}}\right)^{\kappa}}^{\text{soft/hard radiation}} \times \overbrace{r(\text{const,jet})^{\beta}}^{\text{collinearity sensitive}}$$

$$r(\text{const, jet}) = \sqrt{(\eta_{\text{jet}} - \eta_{\text{const}})^2 + (\phi_{\text{jet}} - \phi_{\text{const}})^2}$$

- $\begin{tabular}{l} \blacktriangleright LHA angularity $\lambda_{0.5}^1 = \frac{\sum_{\rm trk \in jet} p_{\rm T, trk} \sqrt{\Delta R}}{p_{\rm T, jet}},$ \end{tabular}$
- lacksquare Jet girth: $\mathbf{g}=\lambda_1^1=rac{\sum_{\mathrm{trk}\in\mathrm{jet}}p_{\mathrm{T,trk}}\Delta R}{p_{\mathrm{T,jet}}}$, measure of jet broadening
- $\qquad \qquad \textbf{Momentum dispersion:} \ p_T^D = \lambda_0^2$
- Done for both inclusive jets and hard-core component of the inclusive jets
- lacktriangle Hard-core component calculated by vector summing constituents with $p_T > 2.0~{\rm GeV/c}$

Dataset and Simulations



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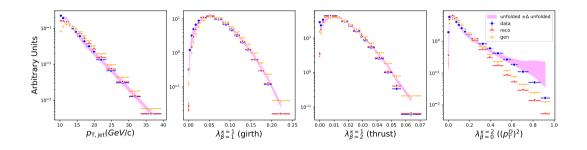
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- Each model runs for 10 unfolding iterations

Bootstrapped Omnifolding: Mean Model Prediction



Bootstrapped Omnifolding: Unfolded Histograms





Conclusions and Outlook



- Bootstraped ensembling results in better predictions which depend on phase space distribution of the features
- Omnifolded weights from bootstraped ensemble results in smoothing of sample-weights distributions
- Unfolded distributions from bootstraped omnifold show uncertainties that increase with decrease in data statistics
- Need to run bigger ensembles to get better convergence of histograms with iterations