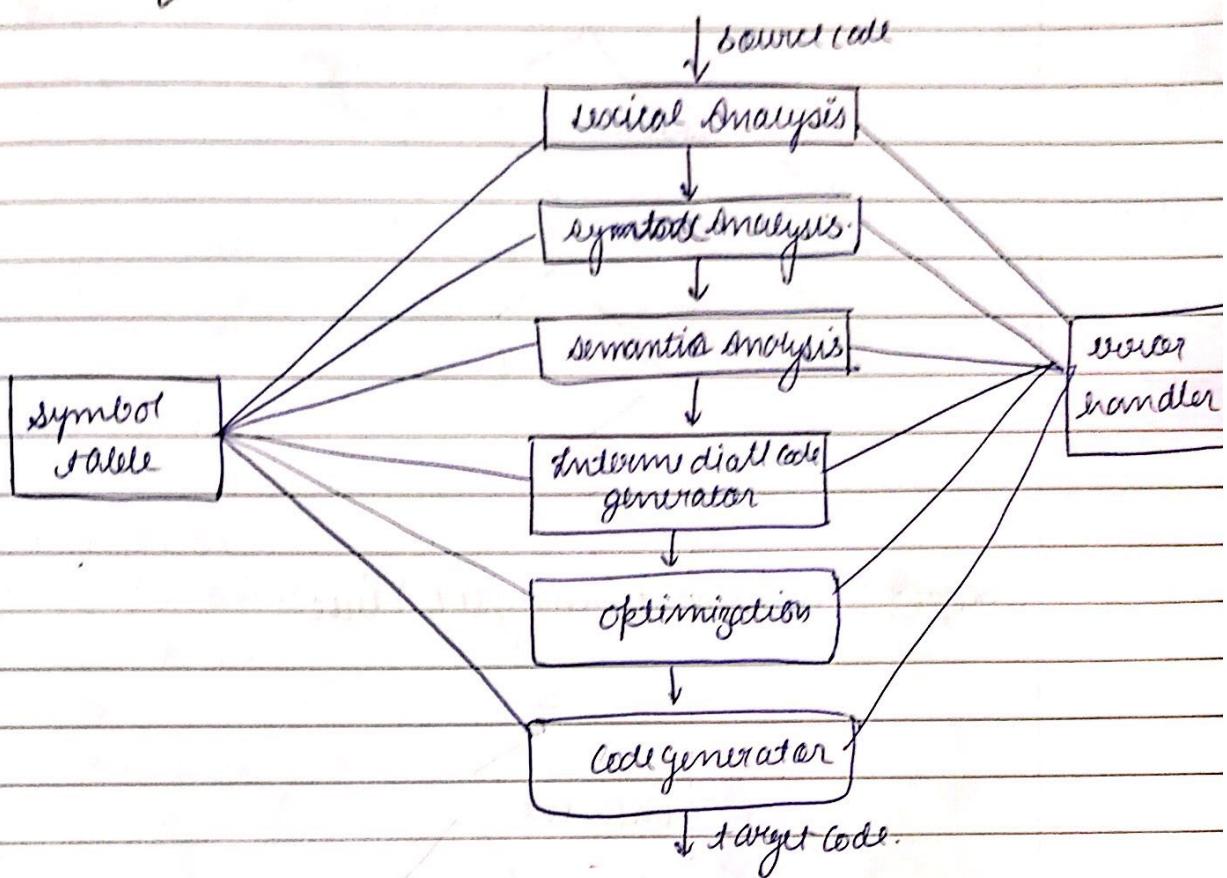
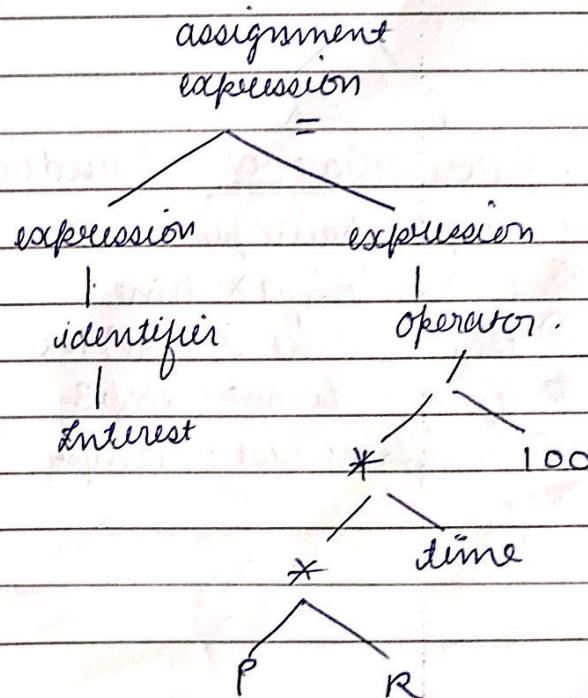


## Phases of compiler :-

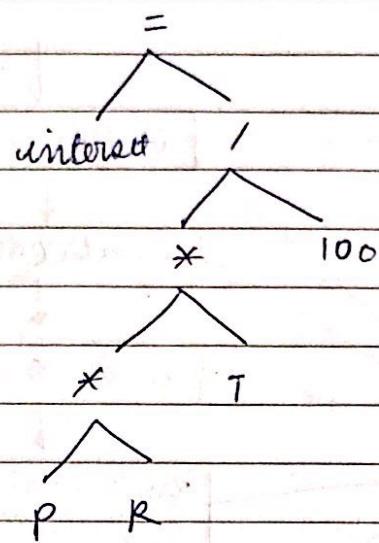


Step ① Parse tree

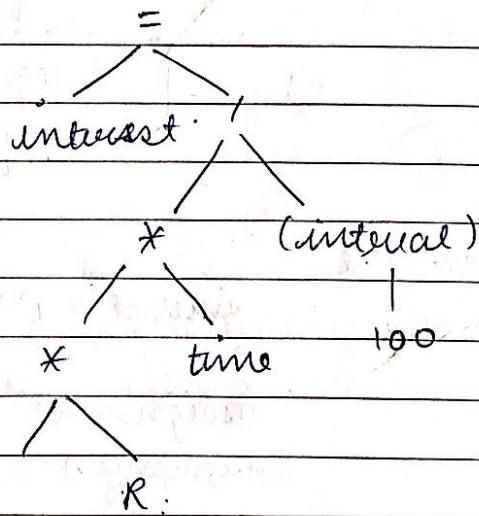
$$\text{interest} = P \times R \times T / 100$$



### Step(2) - Symbol tree



### Step(3) - Semantic (analyser) Tree



### Step(4) - Intermediate code (Threadless code)

- ①  $\text{temp}1 = \text{principle} * \text{rate}$
- ②  $\text{temp}2 = \text{temp}1 * \text{time}$
- ③  $\text{temp}3 = (\text{int to real}) 100$
- ④  $\text{temp}4 = \text{temp}2 / \text{temp}3$
- ⑤  $\text{temp}5 = \text{interest} = \text{temp}4$

## Step(5) - Optimization

- ①  $\text{temp}1 = \text{PXR}$
- ②  $\text{temp}2 = \text{temp}1 * \text{time}$
- ③  $\text{int.} = \text{temp}2 / 100.0$
- ④  $\text{temp}4 = \text{temp}2 / \text{temp}3$
- ⑤  $w$

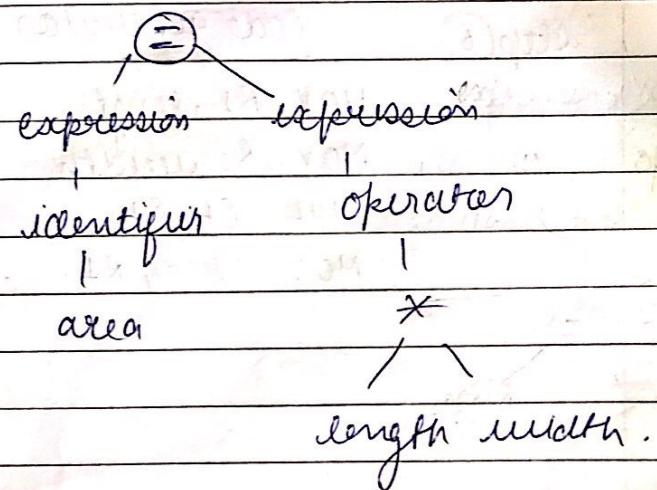
## Step(6) Generator

- 1.)  $\text{MOV R1 P}$
- 2.)  $\text{MOV R2 R}$
- 3.)  $\text{MUL R1 R2}$
- 4.)  $\text{MOV R3 time}$
- 5.)  $\text{MUL R2 R3}$
- 6.)  $\text{DIV R2 100.0}$
- 7.)  $\text{MOV Interest R1}$

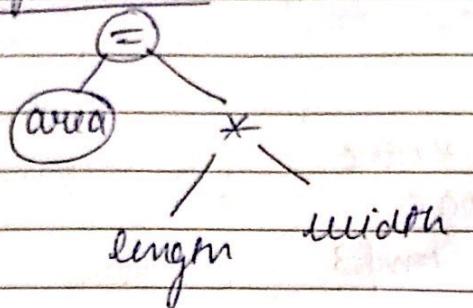
Perform all phases of the compiler.

$$\text{area} = \text{length} \times \text{width}$$

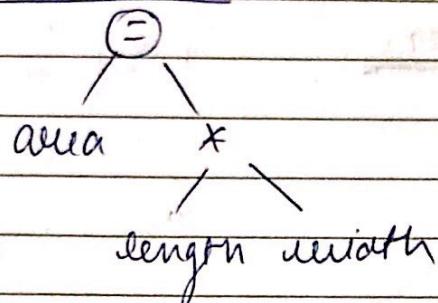
## Step 1 parse tree



### Step ② symbol tree



### Step ③ Semantic tree



### Step ④ - Intermediate code

$\text{temp1} = \text{length} * \text{width}$ .

$\text{temp2} = \text{temp1}$ .

$\text{area} = \text{temp2}$ .

### Step ⑤ Code optimization

$\text{temp1} = \text{length} * \text{width}$ .

$\text{area} = \text{temp1}$ .

### Step ⑥ Code generator

MOV R1, length

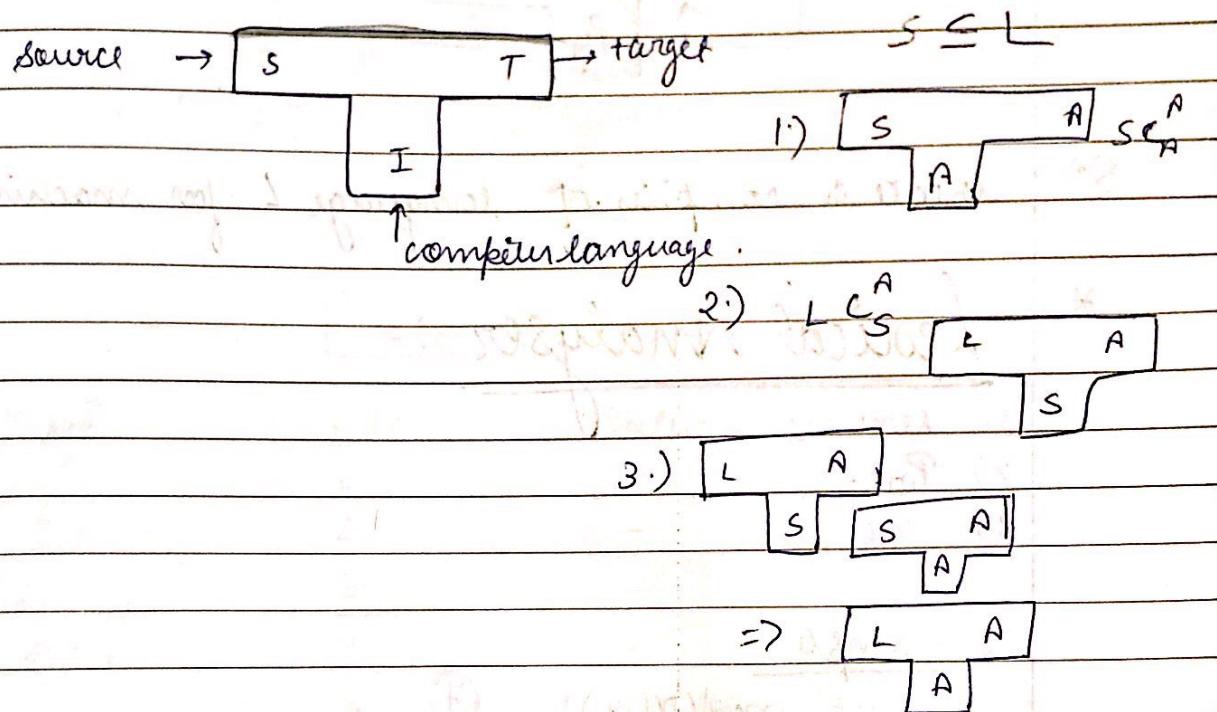
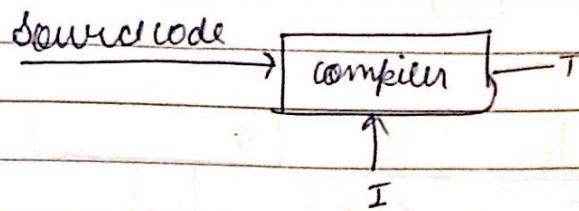
MOV R2, width

MUL R1, R2

MOV area, R1.

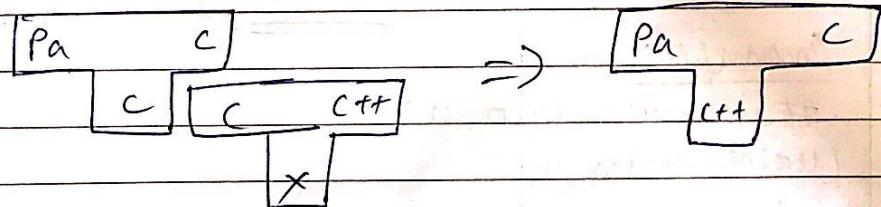
## \* Bootstrapping :

T Diagram -

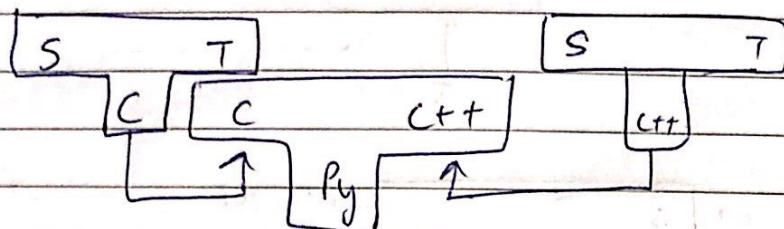
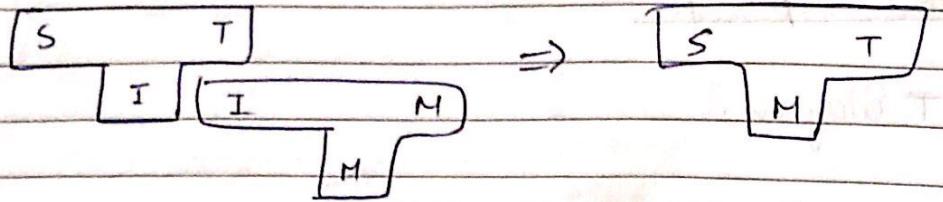


Q.) Design a compiler for language L.

Q.) Design a we have a Pascal translator written in C language that takes Pascal code as input and produces C as output! Create Pascal translator in C++ or some



for ex :-  $x = 100a$



Q) Create a compiler of language L for machine B.

### \* Lexical Analyzer :-

- 1.) Lexeme
- 2.) Pattern
- 3.) Token

Example:

```
int main(b(x,y)) {  
    int x,y;  
    return(x>y ? x:y); }  
Total :- 25
```

Example:

```
#include <stdio.h>
```

```
void main()
```

```
{ }
```

```
}
```

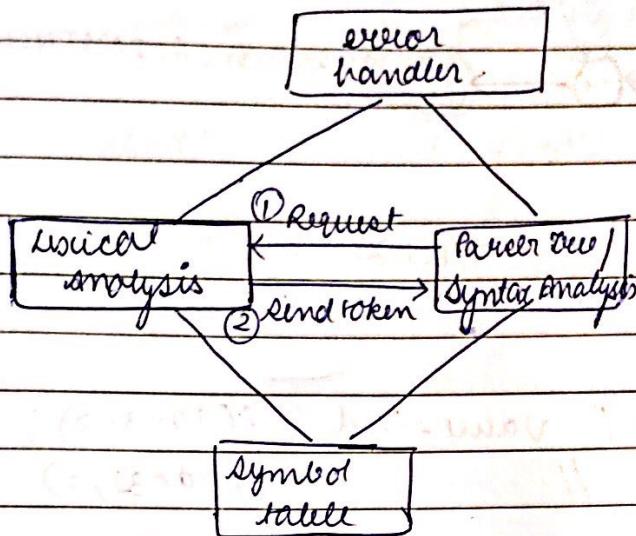
Total :- 6 | Not refined

for example -

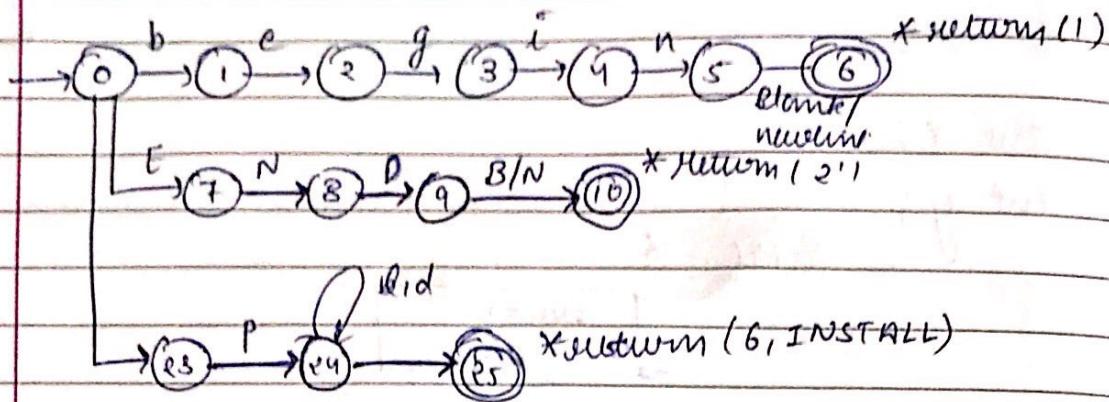
int x;

int y;

Total :- 6



Token	code	Value
begin	1	-
end	2	-
if	3	-
then	4	-
else	5	-
identifier	6	Pointer to symbol table
const	7	" "
<	8	1
<=	8	2
=	8	3
!=	8	4
>	8	5
>=	8	6



#define f(x, y)  $x/y + x$   
 main()

{

printf (" value = %d ", f(10+3, 3);  
 } //  $f((10+3), 3);$

output =>

$$\begin{aligned} & \text{Show} \quad 10 + 3 / 3 + 10 + 3 \\ & = 10 + 1 + 10 + 3 \\ & = \underline{\underline{24}}. \end{aligned}$$

output =>

$$\begin{aligned} & (10+3)/3 + (10+3) \\ & = 4 + 13 \\ & = \underline{\underline{17}}. \end{aligned}$$

## Buffering

one Buffer  
scheme

Two Buffer scheme

## lex & YACC Tool

↓  
yet another compiler compiler

$$a = b + c * 5$$

↓

lexical analyser

lex tool

R E

$l(l+d+-)^*$

$$a(id) = (OP) b(id) + (OP) c(id) * (OP) s(digit)$$

↓  
syntax Analyser

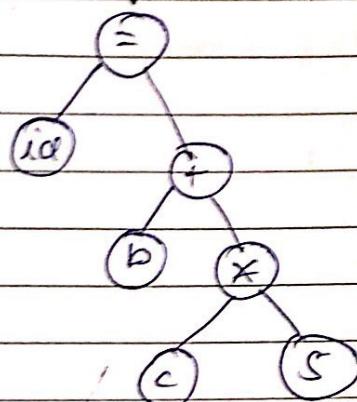
YACC tool

CFG

$E \rightarrow E+E$

$E \rightarrow E*E$

$E \rightarrow id .$



bas.y

→ YACC → bas.y.y.c

bas.tob.h.

compile  
&  
linker

→ bas.exe

bas.l

→ LEX → bas.l.c

Structure of lex :-

Declaration

% % -

Rules

% % -

Subroutines → optional.

0/0/0

letter [A-Z a-z]

digit [0-9]

id [letter | letter | digit | \* ]

y.y.

l

## Unit - 2

### Syntax analyzer

Context free grammar:-

$$G = (V, T, \Sigma, P, S)$$

rule :-  $V \rightarrow n$   
 $n \in V_n$   
 $n \in (V \cup E)^*$

$$\begin{array}{ll} E \rightarrow E + E & V = \{E\} \\ E \rightarrow E * E & S = \{E\} \\ E \rightarrow id & \Sigma = \{id\} \end{array}$$

$$E \rightarrow E + E \Rightarrow E \rightarrow id + E \Rightarrow E \rightarrow id + id \quad LHD$$

$$E \rightarrow E * E \Rightarrow E \rightarrow E + id \Rightarrow E \rightarrow id + id \quad RHD$$

$$G = Bx(C+d)/E$$

$$E \rightarrow E \underline{op} E | (E) | -E | D$$

$$OP \rightarrow + | - | \times | / | \cdot | ^ | \pm |$$

$$D \rightarrow 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9$$

-7 + 5

$$E \rightarrow E \underline{op} E$$

$$\rightarrow -E \underline{op} E$$

$$\rightarrow -D \underline{op} D$$

$$\rightarrow -7 \underline{op} 5$$

$$\rightarrow -7 + 5$$

$8 \times (3/5) - 7$

$$E \rightarrow E \underline{op} E$$

$$\rightarrow D \underline{op} E$$

$$\rightarrow D \underline{op} E \underline{op} E$$

$$\rightarrow D \underline{op} (E \underline{op} E) \underline{op} E$$

$$\rightarrow D \underline{op} (E \underline{op} E) \underline{op} E \underline{op} -D$$

$$\rightarrow 8 \underline{op} (3 \underline{op} 5) \underline{op} -7$$

$$\rightarrow 8 \times (3/5) - 7$$

## → Parsing Technique Parser

Top Down Parser (TOP)

Top down  
without  
backtracking  
(Brute Force)

without  
Backtracking  
(Predictive)

Bottom up Parser (BUP)

shift reduce  
operator  
preceding  
LR

LR(0) SLR(1) LALR(1) CLR

Recursive

Descent

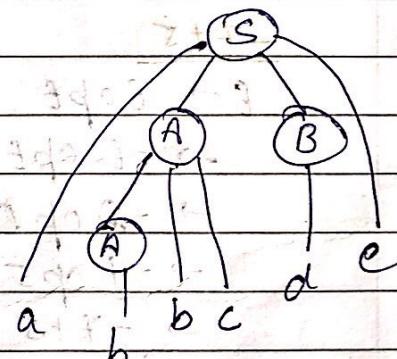
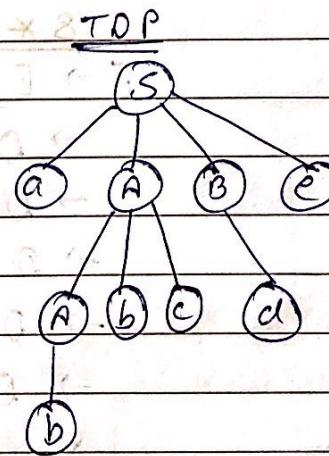
$$S \rightarrow aABe$$

$$A \rightarrow Abc/b$$

$$B \rightarrow d$$

input  $\rightarrow abbcde$

BUP



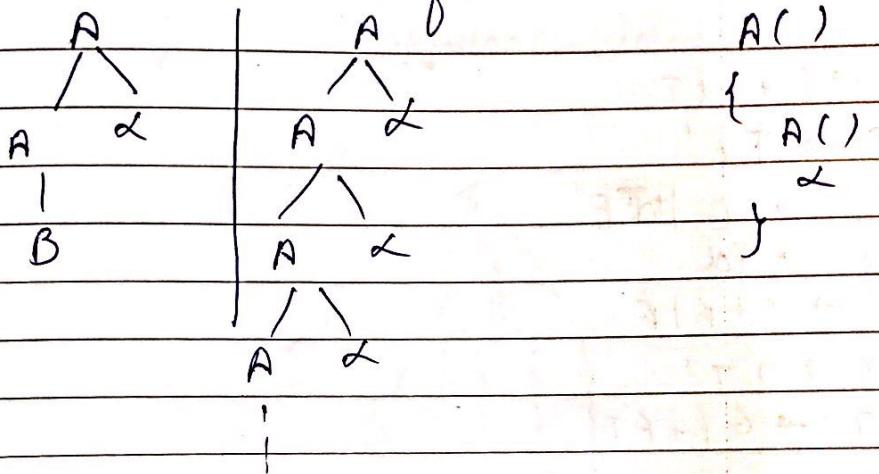
## Types of Grammar

TRP

BUP

1.) Ambiguous	X	X
2.) Unambiguous	✓	✓
3.) Left Recursive	X	✓
4.) Right Recursive	✓	✓
5.) Non Deterministic	X	✓
6.) Deterministic	✓	✓

$A \rightarrow A \alpha | B$  hypercursive function:



$$A \rightarrow A\alpha/B$$

## Conversion

$\theta \rightarrow \beta\eta$

$$A' \rightarrow C/A'$$

$A \rightarrow \alpha A \mid B \rightarrow$  Right Recursive

$$A \rightarrow a \text{ } BB / ab \text{ } \epsilon \text{ } lab$$

$$B \rightarrow d$$

$C \rightarrow c$

→ Example :-

$$E \rightarrow E + T \mid T$$

$$T \rightarrow T + F \mid F$$

$$F \rightarrow id$$

$$E \rightarrow E + T$$

$$E \rightarrow E + F$$

$$E \rightarrow T + T$$

$$E \rightarrow F + F$$

$$\frac{E}{A} \rightarrow \frac{E + T}{A} \mid \frac{T}{A}$$

$$\frac{T}{A} \rightarrow \frac{T + F}{A} \mid \frac{F}{A}$$

$$F \rightarrow id$$

$$E \rightarrow id$$

$$A \rightarrow A \alpha \mid B$$

$$A \rightarrow BA'$$

$$A' \rightarrow E \mid \alpha A'$$

$$E \rightarrow E + T \mid T$$

$$E \rightarrow TE'$$

$$E' \rightarrow E \mid \alpha E'$$

$$F \rightarrow id$$

$$T \rightarrow T + F \mid F$$

$$T \rightarrow TT'$$

$$T' \rightarrow E \mid FT'$$

### Non Deterministic Grammar:-

$$A \rightarrow \alpha \beta_1 S \mid \alpha \beta_2 A \mid \alpha \beta_3 S \mid \alpha \beta_3 B$$

→ if a pair of grammar is same it is non-deterministic  
 → if unique it is deterministic.

$$A \rightarrow \alpha A'$$

$$A' \rightarrow B_1 S \mid B_2 A \mid B_3 S \mid B_3 B$$

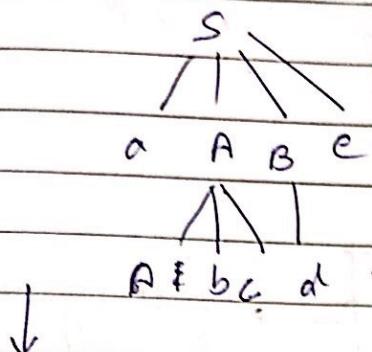
$$A' \rightarrow B_1 S \mid B_2 A \mid B_3 S'$$

$$S' \rightarrow S \mid B$$

$S \rightarrow aABe$

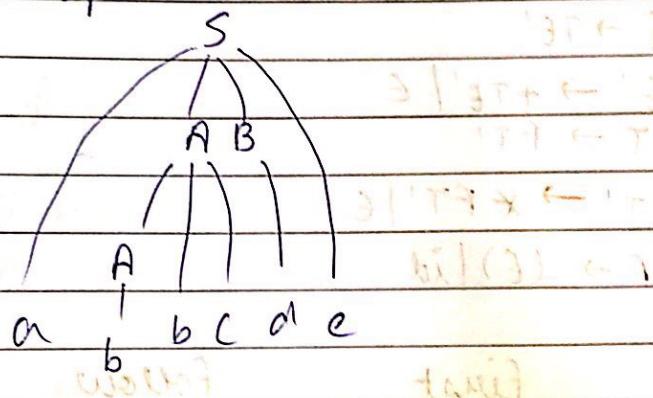
$A \rightarrow Abc/b$

Top Down (abbcde)



Top down approach is also left most derivation (LMD)

Bottom up :-



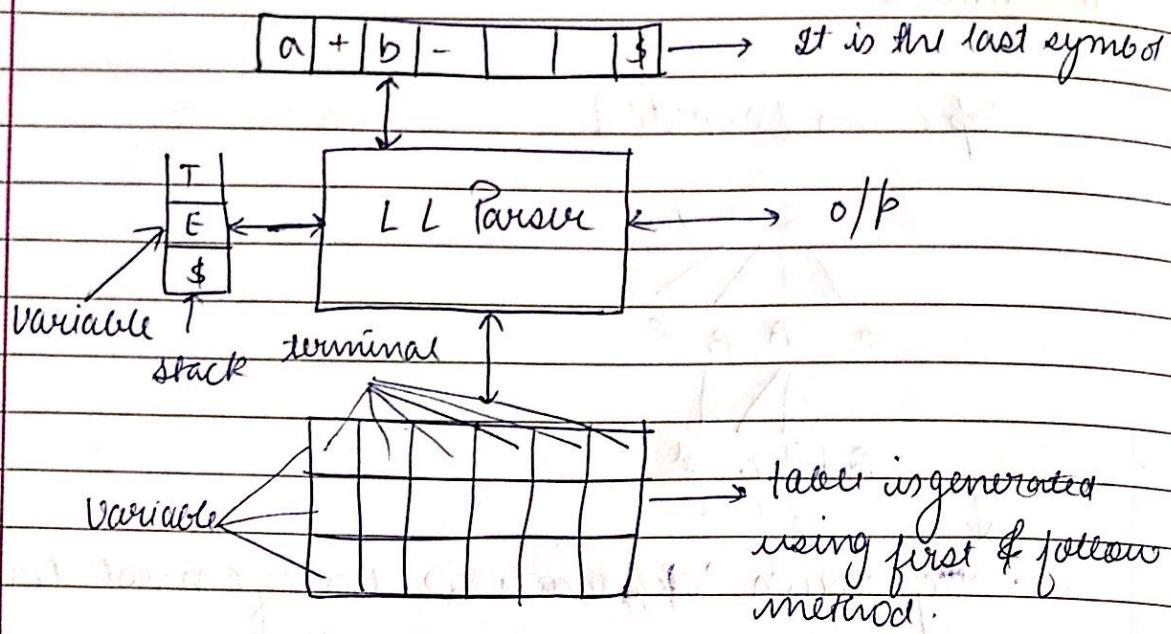
Bottom up approach is also right most derivation (RMD)

## \* Top Down Parsing :-

- 1) Backtracking
- 2) Recursive
- 3) LL(1)

LL(1) → reads only 1 i/p symbol at a time  
 Scan from left to right LMD

## \* LL(1)



example :-  $E \rightarrow T.E'$

$E' \rightarrow +TE' / E$

$T \rightarrow FT'$

$T' \rightarrow *FT' / E$

$F \rightarrow (E) / id$

first (from bottom)	Follow (from top)
------------------------	----------------------

$E$	$\{ C, id \}$	$\{ \$, \} \}$
-----	---------------	----------------

$E'$	$\{ +, E \}$	$\{ \$, \} \}$
------	--------------	----------------

$T$	$\{ (, id \}$	$\{ +, \$, \} \}$
-----	---------------	-------------------

$T'$	$\{ *, E \}$	$\{ +, \$, \} \}$
------	--------------	-------------------

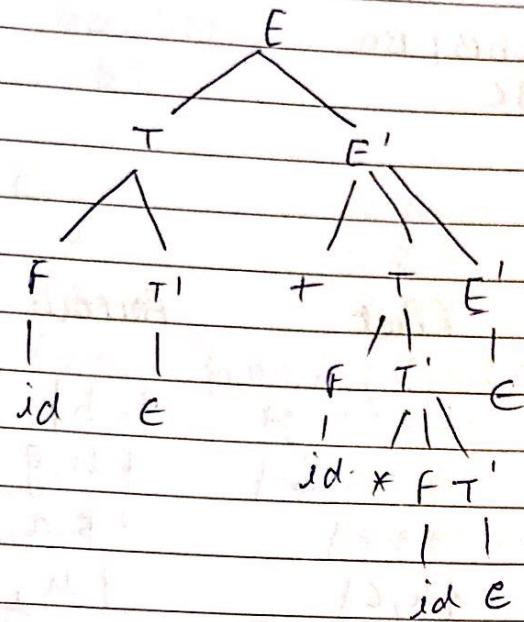
$F$	$\{ (, id \}$	$\{ *, *, \$, \} \}$
-----	---------------	----------------------

because  $E' = E$  due

$E' = E$ .  
Follow of  $T =$  first of  $E$  when  
is equal to  $E$  then take follow

	$id$	$+$	$*$	$($	$)$	$E$	$\$$
$E$	$E \rightarrow TE'$	error	error	$E \rightarrow TE'$	error	error	error
$E'$	error.	$E' \rightarrow +TE'$	..	error	$E' \rightarrow E$	..	$E' \rightarrow E$
$T$	$T \rightarrow FT'$	error	..	$T \rightarrow FT'$	error	..	error
$T'$	error	$T' \rightarrow E$	$T' \rightarrow FT'$	error	$T' \rightarrow E$	..	$T' \rightarrow E$
$F$	$F \rightarrow id$	error	error	$F \rightarrow (E)$	error.	..	error.

$id + id * id \$$



Q) Find first & follow.

$$S \rightarrow \alpha' BCDE$$

$$A \rightarrow a | \epsilon$$

$$B \rightarrow b | \epsilon$$

$$C \rightarrow c$$

$$D \rightarrow d | \epsilon$$

$$E \rightarrow e | \epsilon$$

	First	Follow
S	{a, b, c}	{\\$, b, c}
A	{a, \epsilon}	{b, c}
B	{b, \epsilon}	{c}
C	{c}	{d, e, \\$}
D	{d, \epsilon}	{e, \\$}
E	{e, \epsilon}	{\\$}

Goal grammar :-

$$S \rightarrow ALCB \mid cbB \mid Ba$$

$$A \rightarrow da \mid BC$$

$$B \rightarrow g \mid E$$

$$C \rightarrow h \mid E$$

	First	Follow
S	{d, g, h, E, a, b}	{\\$}
A	{d, g, h, E}	{h, g, \\$}
B	{g, E}	{\\$, a, h, g}
C	{h, E}	{h, g, \\$, b}

Table of AL:

	a	b	g	h	E	d	\$
S	S → ALCB S → Ba	S → cbB cbB	S → ALCB cbB				
A	error	error	A → BC	A → BC	"	A → da	A → BC
B	B → G	"	B → g	B → E	"	error	B → E
C	error	C → E	C → E	C → h C → E	"	"	C → E

$$S' \rightarrow S\#$$

$$S \rightarrow ABC$$

$$A \rightarrow a \mid bbD$$

$$B \rightarrow a \mid E$$

$$C \rightarrow b \mid G$$

$$D \rightarrow C \mid e$$

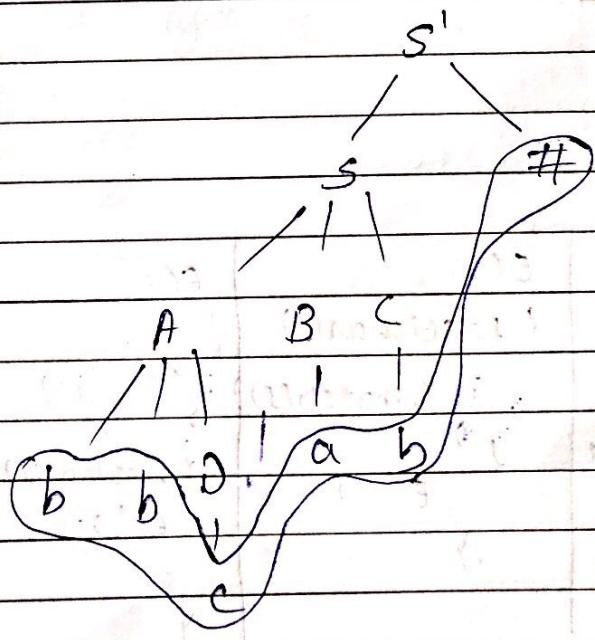
ip : - b b c a b #

construct parse tree using LL(1)

$S \#$  $\cdot ABC \#$  $bbc \cdot BC \#$  $bbc$ 

	First	Follow
$S'$	{a, b}	{\\$}
$S$	{a, b}	{#}
$A$	{a, b}	{a, b, #}
$B$	{a, ε}	{b, #}
$C$	{b, ε}	{#}
$D$	{c, ε}	{\\$} {a, b, #}

	a	b	c	#	ε	\$
$S'$	$S' \rightarrow S \#$	$S' \rightarrow S \#$	error	error	error	error
$S$	$S \rightarrow ABC$	$S \rightarrow ABC$	"	"	"	"
$A$	$A \rightarrow a bb D$	$A \rightarrow bb D$	"	l,	"	"
$B$	$B \rightarrow a$	$B \rightarrow c$	"	$B \rightarrow c$	"	"
$C$	error	$C \rightarrow b$	"	$C \rightarrow b$	"	"
$D$	$D \rightarrow \epsilon$	$D \rightarrow \epsilon$	$D \rightarrow c$	$D \rightarrow \epsilon$	"	"

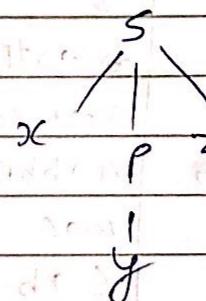
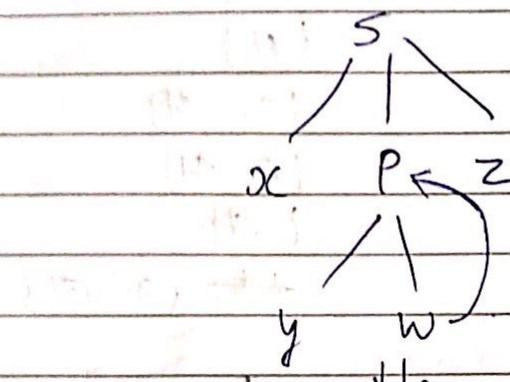


## \* Backtracking :-

$S \rightarrow xPz$

$P \rightarrow ywly$

i/p string :  $^x y z$



## 2.) Recursive Descent :-

$E^* \rightarrow iE^*$

$E^* \rightarrow +iE^*/E$

input  $i+i\$$

main()	$E()$	$E()$	match( $\$$ )
<pre> { E()   if (l=='\$')     print complete   else     print error }   </pre>	<pre> { l=getchar()   if (match(i))     if (l==j)       match(i);     else       print error }   </pre>	<pre> { l=getchar()   if (l==j)     match(i);   else     print error }   </pre>	<pre> }   </pre>

```

E'()
{
    if(l == 't')
        {
            match('+');
            match('i');
            E();
        }
    return;
}

```

Two examples:-  $s \rightarrow cAd$ .  
 $A \rightarrow abla$ .

main	S()	A()
<pre>     {         S()         if(l == '\$')             printcomplete();         else             print error.     } </pre>	<pre>     {         if(l == 'c')             {                 match(c);                 A();             }         match(d);     }     else         return;     print error. </pre>	<pre>     {         if(l == 'a')             {                 match(a);                 if(l == 'b')                     match(b);                 else                     return;                 print error;             }     } </pre>

```

match(char t)
{
    if(l == t)
    {
        l = getchar();
    }
    else
        print
        error.
}

```

int)

## \* Bottom Up Parsing :-

→ shift Reduce Parsing :-

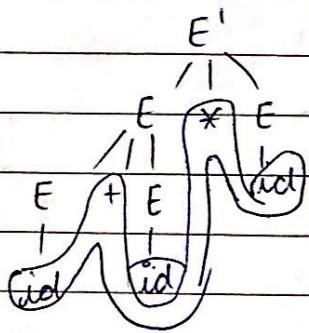
→ shift

→ Reduce

→ Accept

→ Error

example :-	STACK	Tokens	operation Name
	\$	id + id * id	shift
	\$ id	+ id * id	Reduce
	\$ E	+ id * id	shift
	\$ E +	id * id	shift -
	\$ E + id	* id	reduce
	\$ E + E	* id	reduce
	\$ E	* id	shift
	\$ E *	id	shift -
	\$ E * id	-	reduce
	\$ E * E	-	reduce
	\$ E	-	accept



$bexpr \rightarrow bexpr \text{ or } bterm \mid bterm$

$bterm \rightarrow bterm \text{ and } bfactor \mid bfactor$

$bfactor \rightarrow \text{not } bfactor \mid (bexpr) \mid true \mid false$

input string :- not(true or false)

shift reduce algorithm -

$bexpr$

$bterm$

$bfactor$

$\text{not } bfactor$

$\text{not } (bexpr)$

$\text{not } (bexpr \text{ or } bterm)$

$\text{not } (bterm \text{ or } bterm)$

$\text{not } (bfactor \text{ or } bfactor)$

$\text{not } true \text{ or } false$

STACK

\$

\$ not

\$ not(

\$ not(true

\$ not(bfactor

\$ not(bfactor)

\$ not(bfactor or false

\$ not(bfactor or bfactor

\$ not(bterm or bterm

\$ not(bexpr or bterm

\$ not(bexpr)

\$ not bfactor

\$ bfactor

\$ bterm

\$ bexpr

Tokens

not(true or false)

(true or false)

true or false

or false

or false

false)

)

)

)

)

)

-

operation name -

shift

reduce shift

shift

Reduce

Shift

Shift

Shift

Reduce

Reduce

Reduce Shift

Shift Reduce

1

11

11

11

mid

avg

Stack	i/p	operation
\$	not(true or false)	shift
\$ not	(true or false)	shift
\$ not(	true or false	shift
\$ not(true	or false)	Reduce
\$ not(bfactor	or false)	Reduce
\$ not(bterm	or false)	Reduce
\$ not(bexpr	or false)	shift
\$ not(bexpr or	false)	shift
\$ not(bexpr or false	)	shift-reduce
\$ not(bexpr or bfactor	)	reduce
\$ not(bexpr or bterm	)	reduce
\$ not(bexpr	)	shift
\$ not(bexpr)	-	Reduce
\$ not bfactor	-	Reduce
\$ bfactor	-	Reduce
\$ bterm	-	Reduce
\$ bexpr	-	Accept

Q -

$$\begin{aligned}
 S &\rightarrow T L ; \\
 T &\rightarrow \text{int} | \text{float} \\
 L &\rightarrow L, \text{id} | \text{id} \\
 I/P &\rightarrow \text{int id, id ;}
 \end{aligned}$$

Conditions:  $S \rightarrow TL;$   
 $S \rightarrow \text{int } L;$   
 $S \rightarrow \text{int } L, \text{id};$   
 $S \rightarrow \text{int id, id}.$

Sol. Stack

Stack	i/p	operation
\$	int, id, id ;	shift
\$ int	, id, id ;	Reduce
\$ T	, id, id ;	Reduce
\$ T, id	, id ;	Reduce
\$ T L	, id ;	shift
\$ T L, id	id ;	shift
\$ T L	;	Reduce
\$ T L ;	;	shift
\$ T L ;	;	Accept

## \* Operator Precedence Parsing:-

- For operator grammar → it should not have null production
- it should not have two consecutive non-terminal symbol.

Eg:  $A \rightarrow E \quad x$

$B \rightarrow AAb \quad x$

Eg.:  $E \rightarrow EAE \mid (E) \mid -E \mid id$

$A \rightarrow + \mid - \mid * \mid \tau$

↓

$E \rightarrow E+E \mid E-E \mid E*E \mid E\tau E \mid (E) \mid -E \mid id$

Eg:  $S \rightarrow SAS \mid a$

$A \rightarrow bSb \mid b$

↓

$S \rightarrow Sbsbs \mid Sbs \mid a$

Eg:  $E \rightarrow E+E$

$E \rightarrow E * E$

$E \rightarrow id$

- First generate operator precedence table.

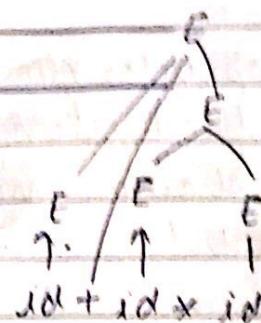
↑  
g

	.	id	+	*	\$
f ←	id	-	>	>	>
	+	<	>	<	>
	*	<	>	>	>
	\$	<	<	<	-

- \* if top of stack priority is less lookahead  
 use push  
 pop

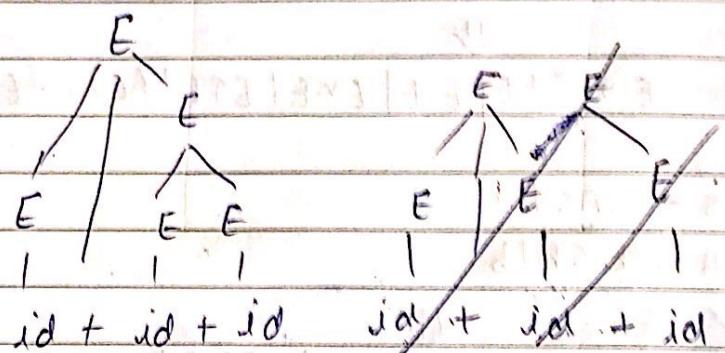
ifp :- id + id \* id \$

$\boxed{\$ \mid id \mid + \mid id \mid * \mid id \mid}$



ifp :- id + id + id \$

$\boxed{\$ \mid id \mid + \mid id \mid + \mid id \mid}$

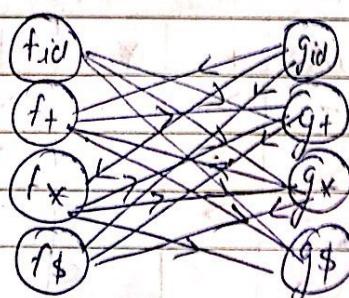


### Operator function :-

Line complexity.

given terminal symbols =  $n+1$

complexity =  $O(n^2)$  (for previous table)



→ It should not have any cycle.

→ From this we can not generate the priority

$$f \text{id} \rightarrow g_x \rightarrow f_+ \rightarrow g_+ \rightarrow f_\$$$

$$g \text{id} \rightarrow f_x \rightarrow g_+ \rightarrow f_+ \rightarrow g_\$ \rightarrow \$\$_\$$$

$\text{id} + * \$$

f	4	2	4	0
g	5	1	3	0

$$\begin{aligned} & 2(n+1) \\ & = O(n) \end{aligned}$$

eg:  $i_g \rightarrow \text{id} + \text{id} * \text{id} \$$

$\rightarrow f \boxed{\$} \boxed{\text{id}}$

E  
I

$\text{id} + \text{id} * \text{id}$

sol.

$P \rightarrow SR | S$

$R \rightarrow bSR | bS$

$S \rightarrow wbs | w$

$w \rightarrow L * w | L$

$L \rightarrow \text{id}$

$P \rightarrow w S b S R | s b S | s$

$P \rightarrow S b P | S b S | s$

$S \rightarrow w b S | w$

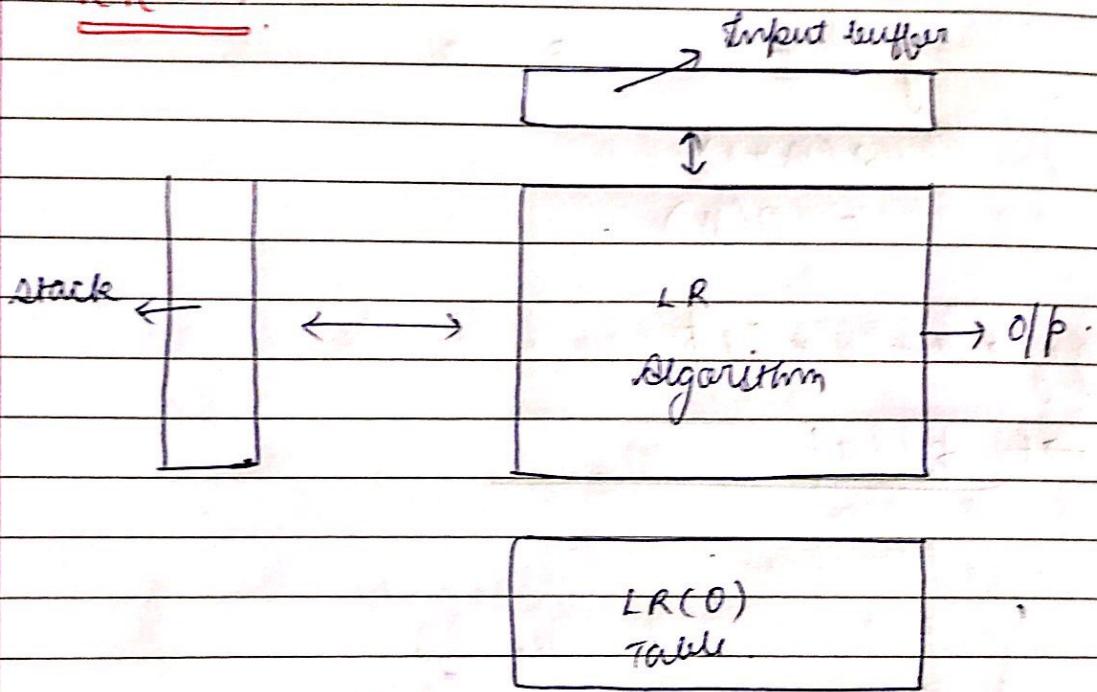
$w \rightarrow L * w | L$

$L \rightarrow \text{id}$

construct operator table.

	id	*	b	\$
id	-	>	>	>
*	<	<	>	>
b	<	<	<	>
\$	<	=	<	=

\* LR(0)



$E \rightarrow BB$

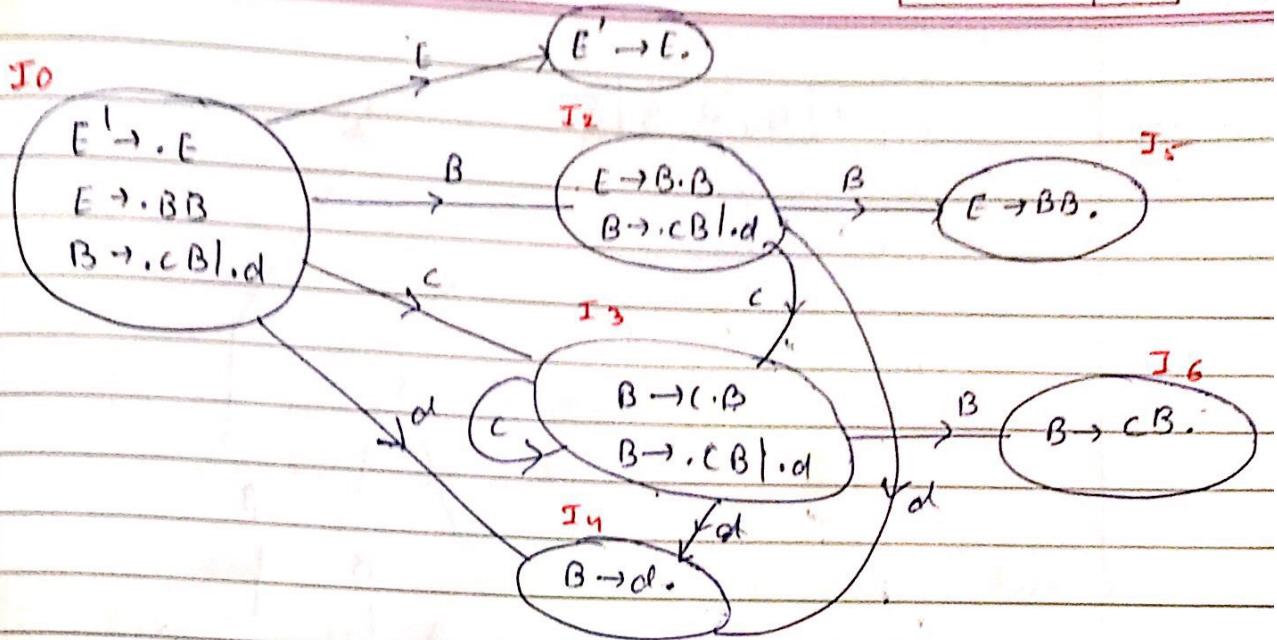
$B \rightarrow CB|id$

generate augment grammar.

$E' \rightarrow . E$

$E \rightarrow _E BB$

$B \rightarrow . CB | . id$



	Action	Goto			
	c	d	\$	E	B
I <sub>0</sub>	$s_3$	$s_4$		1	2
I <sub>1</sub>			Accept		
I <sub>2</sub>	$s_3$	$s_4$			5
I <sub>3</sub>	$s_3$	$s_4$			6
I <sub>4</sub>	$m_3$	$m_3$	$m_3$		
I <sub>5</sub>	$m_1$	$m_1$	$m_1$		
I <sub>6</sub>	$m_2$	$m_2$	$m_2$		

$s \rightarrow \text{shift}$   
 $r \rightarrow \text{reduce}$

for parse tree -

i/p :- ccdd \$

0 | c | 3 | c | 3 | d | \$

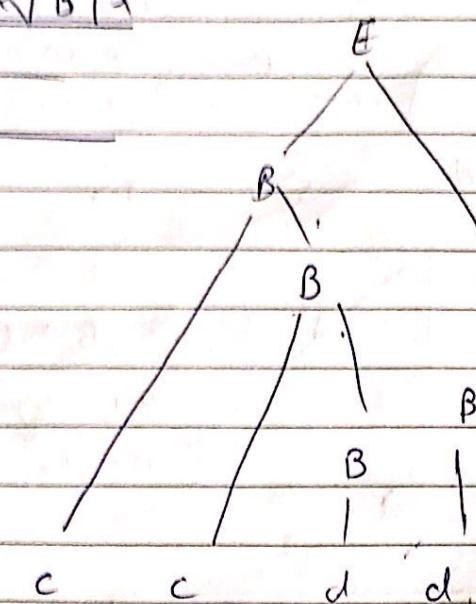
0 | c | 3 | & | 3 | B | \$

0 | c | 3 | B | 6

0 | B | 2 | d | \$

0 B \* B /

0 c /



Example  $E \rightarrow T + E \mid T$

$T \rightarrow id$

Construct LR(0) parser table?

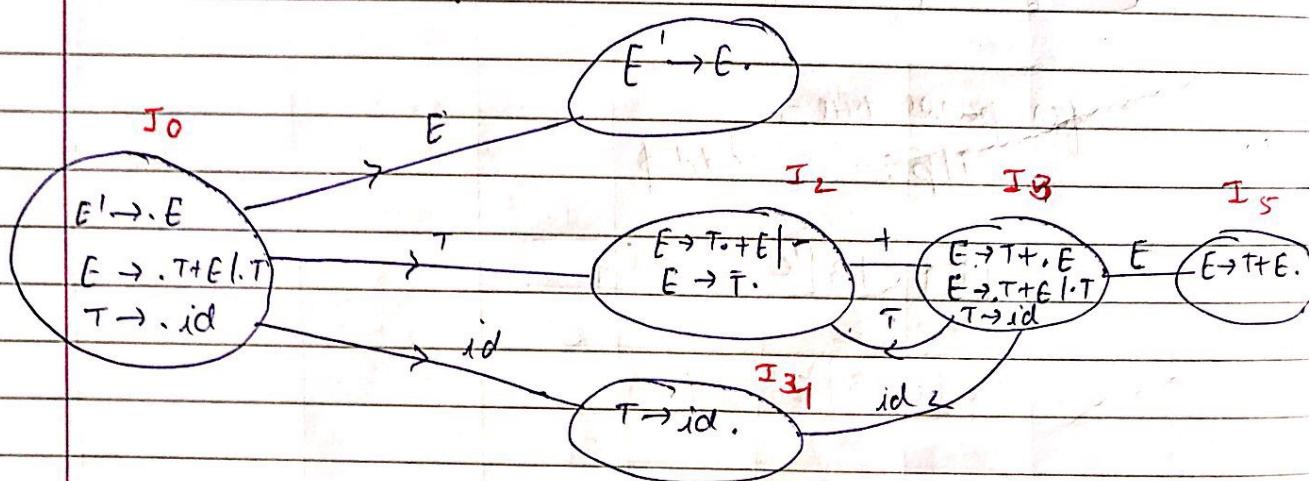
augment grammar.

$E' \rightarrow E$

$E \rightarrow T + E \mid T$

$T \rightarrow id$

I<sub>1</sub>



	Action	Accept	Go To
I <sub>0</sub>	S <sub>4</sub>		L 2
I <sub>1</sub>		X <sub>3</sub>	
I <sub>2</sub>	M <sub>2</sub>	X <sub>3</sub>	X <sub>2</sub>
I <sub>3</sub>	S <sub>4</sub>		
I <sub>4</sub>			

Shift / reduce Conflincing :- for a single there is  
both shift & reduce operation.

### \* SLR(1) :-

$$E \rightarrow BB$$

$$B \rightarrow cBd$$

$$I_0: B \rightarrow d$$

$$I_5: E \rightarrow BB$$

$$I_6: B \rightarrow cB$$

$$I_4: \dots$$

	Action	Accept	Go To
I <sub>0</sub> : B $\to$ d follow(B)	C d \$	F	B
F(E) = \$	S <sub>3</sub>	S <sub>4</sub>	L 2
F(B) = {c, d, \$}	I <sub>1</sub>		Accept
	I <sub>2</sub>	S <sub>3</sub>	S <sub>4</sub>
	I <sub>3</sub>	S <sub>3</sub>	S <sub>4</sub>
	I <sub>4</sub>	M <sub>2</sub>	M <sub>3</sub>
	I <sub>5</sub>		
	I <sub>6</sub>	M <sub>2</sub>	M <sub>2</sub>

## CLR(1) & LALR(1)

→ LR(0) items + lookahead.

Ex:-  $S \rightarrow AA$   
 $A \rightarrow aA1b$

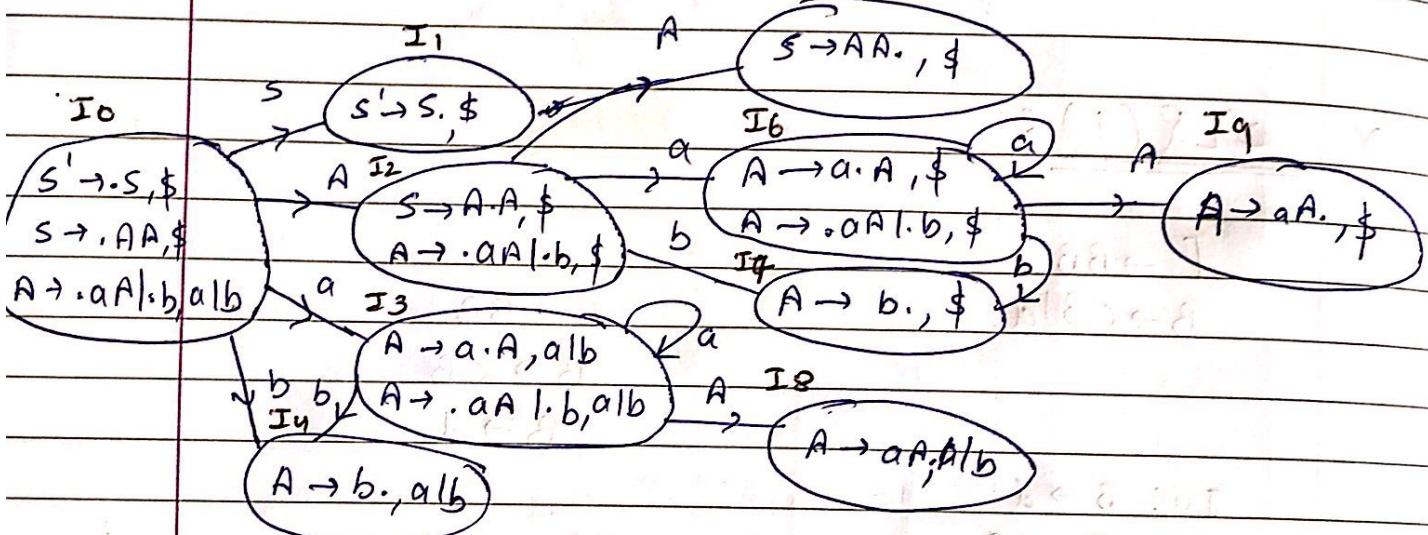
Augmented grammar :-

$S' \rightarrow .S, \$$

$S \rightarrow .AA, \$$

$A \rightarrow .aA1.b, a1b$

I<sub>5</sub>



	Action	a	b	\$	goto	S	A
I <sub>0</sub>		$S_3$	$S_4$			1	2
I <sub>1</sub>				Accept			
I <sub>2</sub>		$S_6$	$S_7$			6	
I <sub>3</sub>		$S_3$	$S_4$			8	
I <sub>4</sub>		$M_3$	$M_3$				
I <sub>5</sub>				$M_1$			
I <sub>6</sub>		$S_6$	$S_7$			9	
I <sub>7</sub>				$M_3$			
I <sub>8</sub>		$M_2$	$M_2$				
I <sub>9</sub>				$M_2$			

for LALR(1) :

$$I_3 + I_6 = I_{36}$$

$$I_4 + I_7 = I_{47}$$

$$I_8 + I_9 = I_{89}$$

	Action			Goto	
	a	b	\$	S	A
$I_0$	$S_{36}$	$S_{47}$		L	2
$I_1$			Accept		
$I_2$	$S_{36}$	$S_{47}$			5
$I_{36}$	$S_{36}$	$S_{47}$			89
$I_{47}$	$M_3$	$M_3$	$M_3$		
$I_5$					
$I_6$	$S_{36}$	$S_{47}$			89
$I_7$			$M_3$		
$I_{89}$	$M_2$	$M_2$	$M_2$		
$I_9$			$M_2$		

Ex:

$$S \rightarrow Aa \mid dAb \mid dca \mid cb$$

$$A \rightarrow C$$

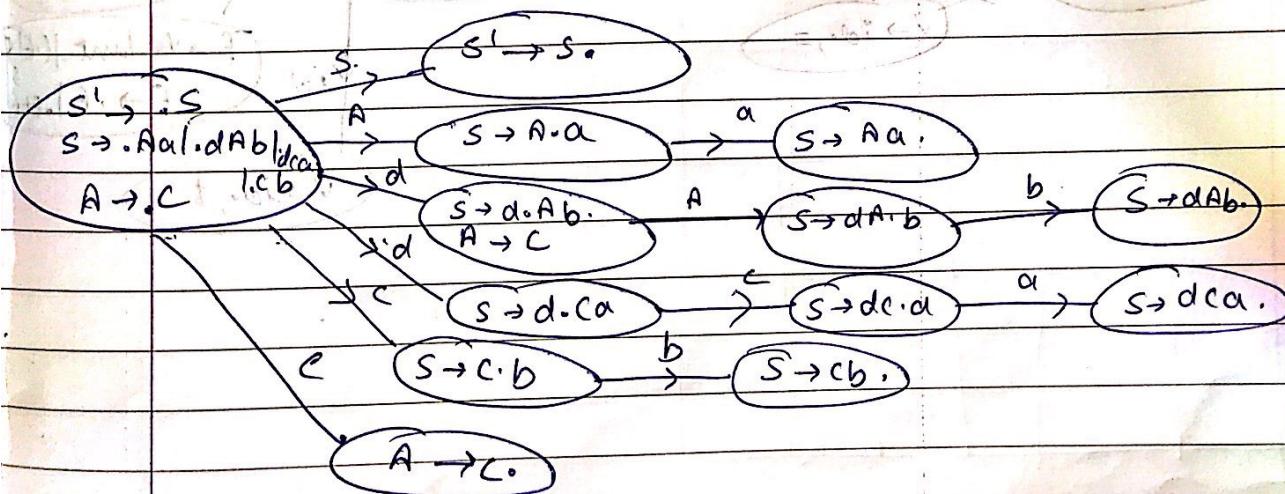
SLR(1) & LALR(1) Table?

Augmented grammar:

$$S' \rightarrow S.$$

$$S \rightarrow .Aa \mid .dAb \mid .dca \mid .cb$$

$$A \rightarrow .C$$



Page No.:  
Date: Youva

~~LR(0)~~  
~~SLR(1)  $\rightarrow$  LR(0) + Follow~~

~~CLR(1)  $\rightarrow$  LR(0) + Lookahead~~

~~LALR(1)  $\rightarrow$  " "~~

Ex:

$$S \rightarrow V = E$$

$$E \rightarrow F \mid E+F$$

$$F \rightarrow V \mid \text{int} \mid (E)$$

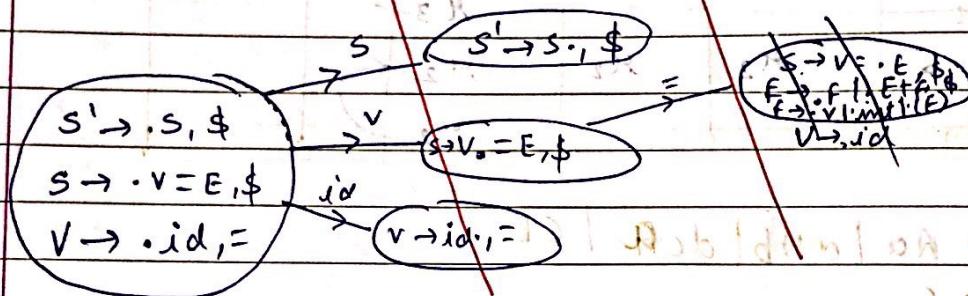
$$V \rightarrow \text{id}$$

construct LALR(1) parsing table?

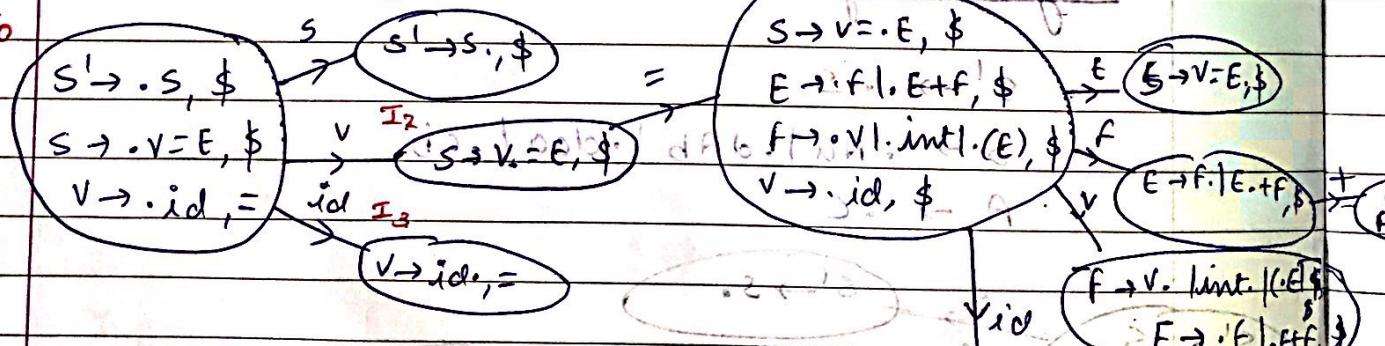
also construct parse tree for i/p id = (id) + (id)

$$\begin{array}{l} S' \rightarrow .S, \$ \\ S \rightarrow .V = E, \$ \\ E \rightarrow .F \mid .E+F \\ F \rightarrow .V \mid .\text{int} \mid .(E) \\ V \rightarrow .\text{id}. \end{array}$$

I<sub>0</sub>



I<sub>0</sub>

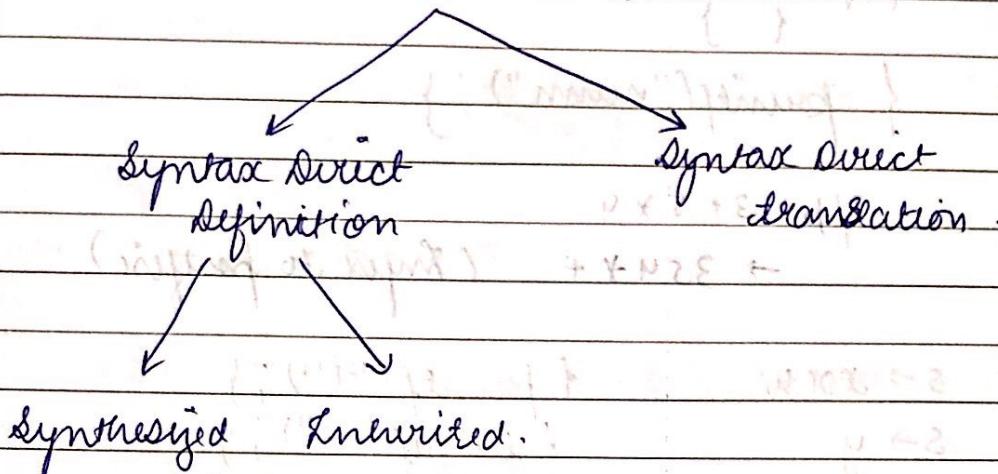


Unit - 3

\*

Syntax Direct Translation :-

$SOT = \text{Grammar} + \text{Semantic Rules}$ .

Grammar

$$E \rightarrow E + T$$

$$E \rightarrow T$$

$$T \rightarrow T * F$$

$$T \rightarrow F$$

$$F \rightarrow \text{num}$$

Semantic rules

$$E \cdot \text{Value} = E \cdot \text{value} + T \cdot \text{value}$$

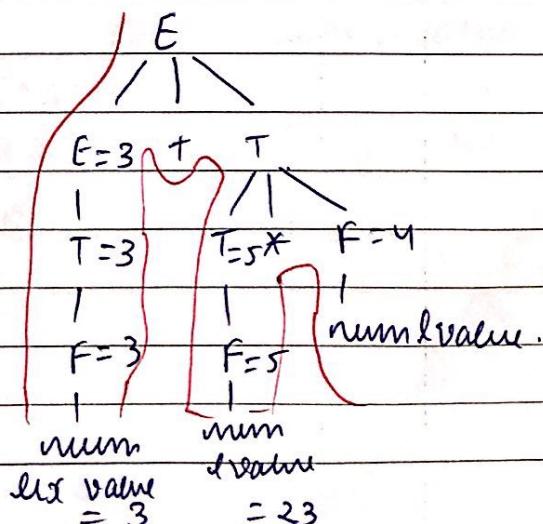
$$E \cdot \text{value} = T \cdot \text{value}$$

$$T \cdot \text{value} = T \cdot \text{value} * F \cdot \text{value}$$

$$T \cdot \text{value} = F \cdot \text{value}$$

$$F \cdot \text{value} = \text{num}. \text{lex value}$$

$$\text{Typ} : - 3 + 5 * 4 = 23$$



semantic rules

{ printf(" + "); }

{ printf("x"); }

{ printf("num"); }

$$I/b = 3 + 5 * 4$$

$\rightarrow 354 * +$  (Infix to postfix)

Q.)

$$S \rightarrow xzw$$

{ printf("1"); }

$$S \rightarrow y$$

{ printf("2"); }

$$w \rightarrow sz$$

{ printf("3"); }

$$i/b: - xxzxyzzz$$

$$\rightarrow i/b = xxzxyzzz$$

$$num \cdot T \rightarrow 23/131 \cdot T$$

$$ES = N \times 2 + ES + qT$$



$$T + E-S$$

$$T + T + E-S$$

$$T + T + T + E-S$$

$$T + T + T + T + E-S$$

$$T + T + T + T + T + E-S$$

$$T + T + T + T + T + T + E-S$$

$$T + T + T + T + T + T + T + E-S$$

$$T + T + T + T + T + T + T + T + E-S$$

$$T + T + T + T + T + T + T + T + T + E-S$$

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$$T + T + T + T + T + T + T + T + T + T + T + E-S$$

$$T + T + T + T + T + T + T + T + T + T + T + T + E-S$$

Q)  $E \rightarrow E * T \quad \{ E \cdot \text{value} = E \cdot \text{value} * T \cdot \text{value} \}$

$E \rightarrow T \quad \{ E \cdot \text{value} = T \cdot \text{value} \}$

$T \rightarrow F - T \quad \{ T \cdot \text{value} = F \cdot \text{value} - T \cdot \text{value} \}$

$F \rightarrow F \text{ (leaf)} \quad \{ F \cdot \text{value} = F \cdot \text{value} \}$

$F \rightarrow 2 \quad \{ F \cdot \text{value} = 2 \}$

$F \rightarrow 4 \quad \{ F \cdot \text{value} = 4 \}$

$$i/p = 4 - 2 = 4 \times 2$$

Q) Ratio of maximum C.s to half tree formula (S)

maximum E

maximum in this fig is

$E + F + (F * T) + (F * F)$

$E + F + (F * T) + (F * F) \quad E=6 \quad T=2$

$\begin{array}{|c|c|} \hline 1 & 1 \\ \hline \end{array}$

$E + F + (F * T) + (F * F) \quad F=2$

$\begin{array}{|c|c|} \hline 1 & 1 \\ \hline \end{array}$

$F=4 - T=2$

$\begin{array}{|c|c|} \hline 1 & 1 \\ \hline \end{array}$

$F=2 - T=4$

$\begin{array}{|c|c|} \hline 1 & 1 \\ \hline \end{array}$

$F=4 - T=2$

$\begin{array}{|c|c|} \hline 1 & 1 \\ \hline \end{array}$

$F=2 - T=4$

$\begin{array}{|c|c|} \hline 1 & 1 \\ \hline \end{array}$

$F=4 - T=2$

$\begin{array}{|c|c|} \hline 1 & 1 \\ \hline \end{array}$

$F=2 - T=4$

$\begin{array}{|c|c|} \hline 1 & 1 \\ \hline \end{array}$

$$\begin{aligned} i/p &= (4 - (2 - 4)) * 2 \\ &= (4 - (-2)) * 2 \end{aligned}$$

$$= (6) * 2$$

$$= \underline{\underline{12}}$$

Q.)  $E \rightarrow E \# T \quad \{ E \cdot \text{value} = E \cdot \text{value} * T \cdot \text{value} \}$

$E \rightarrow T \rightarrow \{ E \cdot \text{value} = T \cdot \text{value} \}$  column wise (S)

$T \rightarrow T \# F \quad \{ T \cdot \text{value} = F \cdot \text{value} - T \cdot \text{value} \}$

$T \rightarrow F \quad \{ T \cdot \text{value} = F \cdot \text{value} \}$

$F \rightarrow \text{num} \quad \{ F \cdot \text{value} = \text{num}.l\text{value} \}$

$- 2 \# 3 \# 5 \# 6 \# 4.$

$2 * 3 - 5 * 6 - 4$

$2 * (-2) * 2$

$= -4 * 2$

$= \underline{\underline{-8}}$

$E$

$\begin{array}{|c|c|} \hline 1 & \\ \hline \end{array}$

$E \# T$

$\begin{array}{|c|c|} \hline 1 & \\ \hline \end{array}$

$T \# F$

$\begin{array}{|c|c|} \hline 1 & \\ \hline \end{array}$

$F$

$\begin{array}{|c|c|} \hline 1 & \\ \hline \end{array}$

$\text{num}$

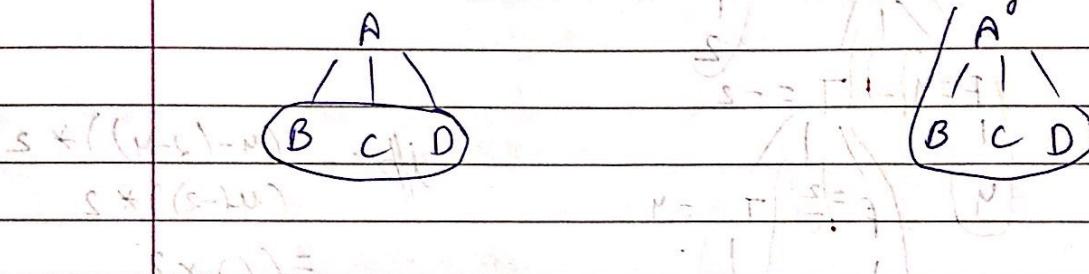
$(+ \text{od}) * \text{od} \neq \text{od}$

$\text{od} + \text{od} = \text{od}$

## SDT : (Syntax Direct Translation) :-

(S-attribute)  $\rightarrow$  L-attribute

- 1.) only synthesized allow 1.) Both synthesized & inherited  
allow sent in inherited only left  
sibling :  $B \cdot id \rightarrow A \cdot id \checkmark$      $B \cdot id \rightarrow C \cdot id$   
 $S \cdot C \cdot id \rightarrow B \cdot id \checkmark$
- 2.) Semantic rules place at 2.) Anywhere in right of  
right side of grammar production.  
production rule.
- E  $\rightarrow \{ \text{printf} ("1") ; \} T + F$ .
- E  $\rightarrow \{ \text{printf} ("1") ; \} + F$ .
- 3.) evaluated BVP manner 3.) evaluated by DF & right to left.



## \* Intermediate Code Generator :-

1.) Postfix Notation .

2.) Syntax Tree

3.) Three address code  $\rightarrow$  quadruples & triples.

4.) Postfix Notation

    + a b      + a b      a b +

    unfix      prefix      postfix

$a * (b + c)$

$\Rightarrow a * (b c +)$

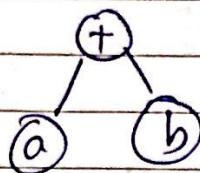
$\Rightarrow abc + *$

$S \times N =$

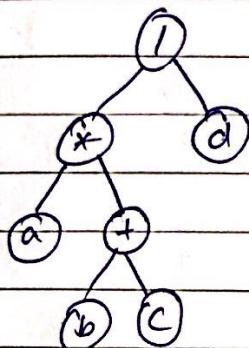
$S =$

## 2.) Syntax tree :-

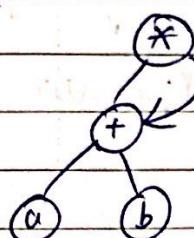
(1)  $a + b$



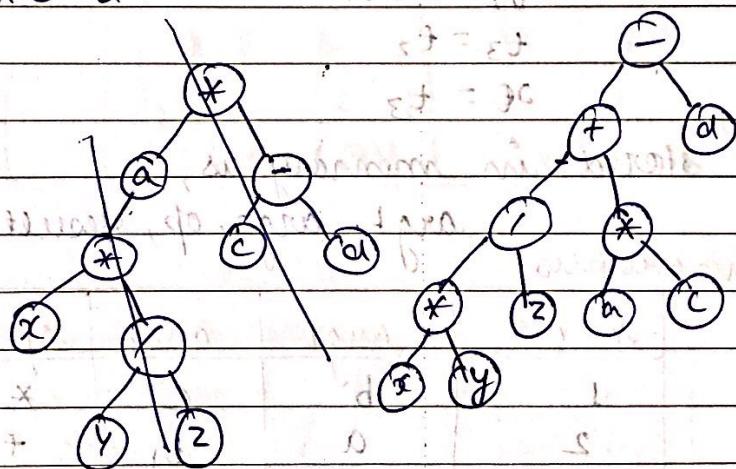
(2)  $a * (b + c) / d$



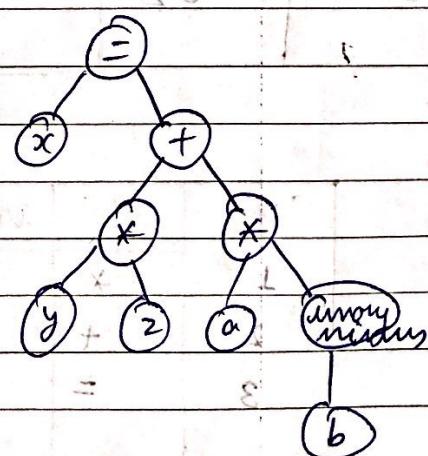
(3)  $(a + b) * (a + b)$



(4)  $x * y / z + a * c - d$



(5)  $x = y * z + a * -b$



- 1.) Binary op :-  $x \text{ op } y$
- 2.) Unary op :-  $x = \text{op } y$
- 3.) Copy statement :-  $x = y$
- 4.) Procedure call :- Param  $x$   
Param  $y$ .
- 5.) Index arrangement :-  $x = y[i]$   
 $y[i] = x$
- 6.) Conditional jump if  $x$  not op goto to label
- 7.) Address & pointer.  $x = \&y$   
 $y = *x$

Example :-

$$x = a + b * c$$

$$t_1 = b * c$$

$$t_2 = a + t_1$$

$$t_3 = t_2$$

$$x = t_3$$

stored in memory as,

arg<sub>1</sub>, arg<sub>2</sub>, op, result.

quaduples

Sq. No	arg <sub>1</sub>	arg <sub>2</sub>	op	result
1	b	c	*	t <sub>1</sub>
2	a	t <sub>1</sub>	+	t <sub>2</sub>
3.	t <sub>2</sub>	-	(1 - *b + xc)	

Tuples

Sq No	op	arg <sub>1</sub>	arg <sub>2</sub>
1	*	b	c
2	+	a	(t <sub>1</sub> )
3	=	(2)	

Example :-  $a = b * -c + b * -c$

$$t_1 = -c$$

$$t_2 = b * t_1$$

$$t_3 = t_2 + t_1$$

$$t_3 = b * t_1 + t_1$$

$$t_3 = t_2 + t_1$$

$$a = t_3$$

Quadruples :-

Sq. No.	arg L	arg R	O/P	result.
1	c		*	t <sub>1</sub>
2	b	t <sub>1</sub>	*	t <sub>2</sub>
3	t <sub>3</sub>	t <sub>2</sub>	+	t <sub>3</sub>
4	t <sub>3</sub>	d	=	a

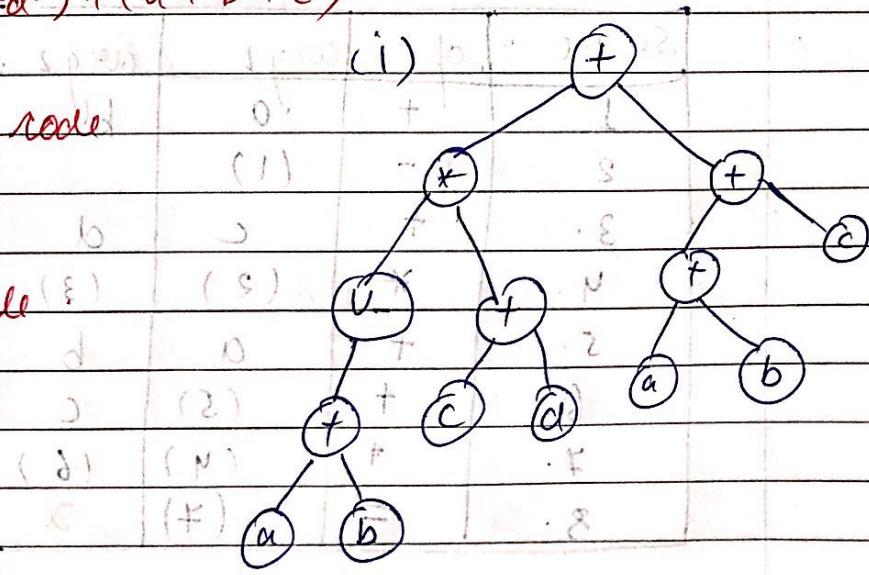
Triples :-

nf	Sqno.	Op	arg L	arg R	N
1	t <sub>1</sub>	*	c	d	2
2	t <sub>2</sub>	*	b	(1)	3
3	t <sub>3</sub>	+	(2)	(2)	4
X	t <sub>4</sub>	=	(3)		8

Q.) Translate the given expression :-

$$x = -(a+b) * (c+d) + (a+b+c)$$

- (i) syntax tree
- (ii) three address code
- (iii) Quadruple
- (iv) triple
- (v) indirect triple



$$(ii) t_1 = a + b.$$

$$t_2 = -t_1$$

$$t_3 = c + d.$$

$$t_4 = t_2 * t_3.$$

$$t_5 = a + b + c.$$

$$t_6 = t_5 + t_4.$$

$$t_7 = t_4 + t_6.$$

$$x = t_7.$$

**Quadruple :-**

Ser.No.	arg L	arg 2	op	result
1.	a	b	+	t <sub>1</sub>
2.	t <sub>1</sub>		-	t <sub>2</sub>
3.	c	d	+	t <sub>3</sub>
4.	t <sub>2</sub>	t <sub>3</sub>	*	t <sub>4</sub>
5.	a	b	+	t <sub>5</sub>
6.	t <sub>5</sub>	c	+	t <sub>6</sub>
7.	t <sub>4</sub>	t <sub>6</sub>	+	t <sub>7</sub>
8.	t <sub>7</sub>	=	=	x

**Triple :-**

Ser. No	op	arg L	arg 2
1	+	a	b
2	-	(1)	
3	+	c	d
4	*	(2)	(3)
5	+	a	b
6	+	(5)	c
7	+	(4)	(6)
8	=	(7)	x

## Indirect jumps :-

Indirect	Address
1	101
2	102
3	103
4	104
5	105
(N)	106
7	107
8	108

Address	arg 1	arg 2	op.
101	a	b	+
102	(101)		-
103	c	d	+
104	(102)	(103)	*
105	a	b	+
106	(105)	c	+
107	(104)	(106)	+
108	x	(107)	=

## Assembly :-

int i;

1.)  $i = 1$

2.) while( $i < 10$ ) do

3.) if  $x < y$  then

4.)  $i = x + y$

5.) use

6.)  $i = x - y$

7.)

3 address code .

1.)  $i = L$

2.) if  $i < 10$  goto(4)

3.) goto(10)

4.) if  $x > y$  goto(6)

5.) goto(8)

6.)  $i = x + y$

7.) goto(2)

8.)  $i = x - y$

9.) goto(2)

10.) exit .

Example :-

$c = 0$

do

{

if ( $a < b$ ) then

$x++$

else

$x--$

$c++$

} while ( $c < 5$ )

1.)  $c = 0$

3.) goto (8)

4.) if ( $a < b$ ) goto (6)

5.) goto (7)

6.)  $x++$

7.)  $x--$

8.)  $c++$

9.) if ( $c < 5$ ) goto (4)

10.) goto (9)

11.) exit

1.)  $c = 0$

2.) if ( $a < b$ ) goto (4)

3.) goto (6)

4.)  $x = x + 1$

5.)  $c = c + 1$

6.) goto (9)

7.)  $x = x - 1$

8.)  $c = c + 1$

9.) if ( $c < 5$ ) goto (2)

10.) goto (11)

11.) stop.

Example :-

int i, x=0; do {

for (i=1; i<=5; i++) {

    {

$x = x + i$ ;

    }

}

write 3 address code of the given code?

### 3 address code :-

- 1.) ~~i = 0, x = 0~~
- 2.) if  $i \leq 5$  goto (4)
- 3.) ~~x = x + i~~
- 4.) ~~exit goto (2)~~
- 5.) ~~exit~~
- 6.)  $x = 0$
- 7.)  $i = 1$
- 8.) if  $i \leq 5$  goto (5)
- 9.) goto (8)
- 10.)  $x = x + i$
- 11.)  $i = i + 1$
- 12.) goto (3)
- 13.) stop.

### Example :-

```
int i=0, a[10];
while i<10 do
    a[i]=0;
    a[i]=i+1;
```

### 3 address code :-

- 1.)  $i = 0$
  - 2.) if  $i < 10$  goto (4)
  - 3.) goto (8)
  - 4.)  $t = 4 * i$ ;
  - 5.)  $a[t] = 0$
  - 6.)  $i = i + 1$
  - 7.) goto (2)
  - 8.) stop.
- $A[i] = B \cdot A + w \cdot (i - 1)B$   
 $= B \cdot A + w \cdot (i - 0)$   
 $= B \cdot A + w \cdot i$

### Example :-

```
int i;
int a[10][10];
i=0;
while (i<10)
{
    a[i][i]=1;
    i++;
```

3 address code

- 1.)  $i = 0$
- 2.)  $\text{if } (i < 10) \text{ goto}(3)$
- 3.)  $t = 44 * i$   
 $a[t] = L$   
 $= \text{Base}(A) + w[M(k-1) + (j-1)]$   
 $= \text{Base}(A) + w \cdot t \text{ of ar}$
- 4.)  $j = i + 1$   
 $B \cdot A + w \times (\text{mn} \times (j-1)B) + (j-1)$
- 5.)  $\text{goto}(2)$   
 $= B \cdot A + w(44 * j + 1)$
- 6.)  $\text{stop}$   
 $= 44 * i$

Example :-

```

int i;
int a[10][10];
for(i=0; i<10; i++)
{
    for(j=0; j<10; j++)
        a[i][j] = L;
}
    
```

3 address code :-

- 1.)  $\text{if } (i < 10) \text{ goto}(4)$
- 2.)  $\text{goto}(4)$
- 3.)  $\text{goto}()$
- 4.)  $\text{if } (j < 10) \text{ goto}()$
- 5.)  $\text{goto}()$
- 6.)  $t = 44 * i$   
 $a[t] = L$
- 7.)  $j = j$   
 $i = i + 1$
- 8.)  $j = \text{goto}$

- 1.)  $i = 0$
- 2.) if  $i < 10$  goto(4)
- 3.) goto(5)
- 4.)  $j = 0$
- 5.) if  $j < 10$  goto(7)
- 6.) goto(13)
- 7.)  $t_1 = 10 * i$
- 8.)  $t_2 = t_1 + j$
- 9.)  $t_3 = 4 * t_2$
- 10.)  $a[t_3] = 1$
- 11.)  $j = j + 1$
- 12.) goto(5)
- 13.)  $i = i + 1$
- 14.) goto(2)
- 15.) Stop

### Example :-

```

int a=512;
char *ptr;
ptr = &(char*) a;
ptr[0] = 21
ptr[i] = 2
printf("%d", a);
    
```

Three address code :-

1.)  $a = 512$

2.)  $ptr =$

Generate these address code:-

①  $a > b$  and  $x < y$  or  $x < s$ .

1.) if  $a > b$  goto(4)

2.)  $t_1 = 0$

3.) goto(5)

4.)  $t_1 = 1$

5.) if  $x < y$  goto(8)

6.)  $t_2 = 0$ ,

7.) goto(9)

8.)  $t_2 = 1$

9.) if  $x < s$  goto(12)

10.)  $t_3 = 0$

11.) goto(13)

12.)  $t_3 = 1$ .

13.)  $t_4 = t_1$  and  $t_2$

14.)  $t_5 = t_4 \text{ or } t_3$ .

②  $x$  and  $y$  or not  $z$ .

1.) if  $x$  and  $y$  goto(4)

2.)  $t_1 = 0$

3.) goto(5)

4.)  $t_1 = 1$ .

$t_1 = \text{Not } z$

$t_2 = x \text{ and } y$

$t_3 = t_1 \text{ or } t_2$

## Unit - 4

### Storage organization :-

→ Procedures

main()

{ — }

procedure1()

{ — }  
| — |

procedure3()

{ — }  
| — |

procedure1()

procedure2()

procedure3()

| — |

procedure2()

{ — }  
| — |

procedure3()

{ — }  
| — |

### Procedure Activation Line :-

proc1()

terminate

proc2()

terminate

proc3()

proc1()

terminate proc1

terminate proc3()

main()

proc1 proc2 proc3

proc1

### Activation Record :-

Return Value
Actual Parameter
Control Link (Dynamic Link)
Access Link (Static Link)
Saved machine status
Local variables
Temp

\* Accessing local or non-local names in a block structure

→ static scope or lexical scope

main()

{  
    int x = 15

{  
    int x = 10;

    printf("%d",

} }  
x — x

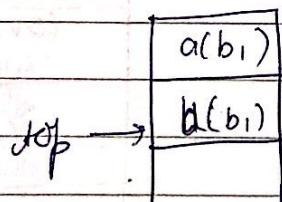
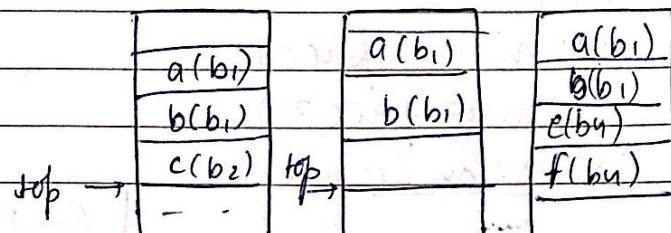
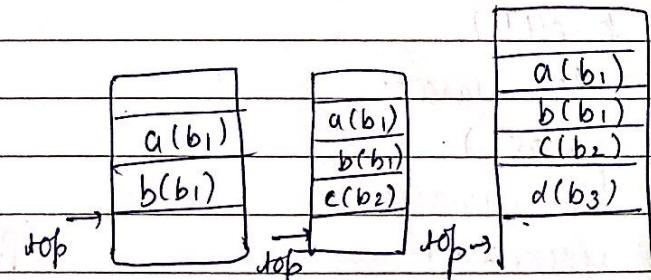
Scope obtain()

{  
    int a, b;  
    {  
        int c;  
        {  
            int d;  
        }  
    }

Block B<sub>1</sub>

Block B<sub>2</sub>  
Block B<sub>3</sub>  
{ int d;

Block B<sub>4</sub>  
Block B<sub>5</sub>  
{ int e, f;



## Lexical scope for Nested Function :-

```

process1()
{
    process2()
    {
        }
    }
}

main()
{
    A()
    {
        B()
        {
            i = ...
        }
    }
    C()
}
}

```

Program calculate;

```

var x : int;
procedure P1;
var z : int;
begin
    x := 1
end;

```

```

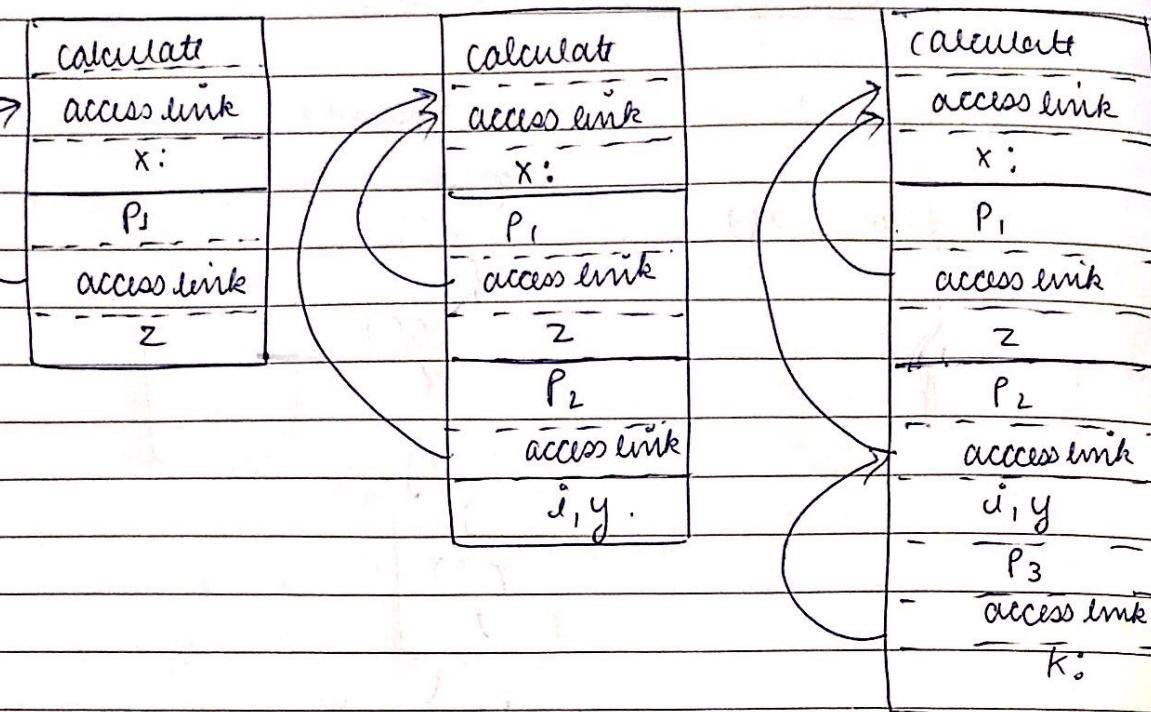
procedure P2(i : int);
var y : int;
procedure P3;
var k : int;
begin P1; end

```

```

begin
if (i > 0) then
    P2(i - 1)
else
    P3
end
begin P2(1); end;

```



## \* Parameter Passing :-

- Pass by value
- Pass by reference
- Pass by <sup>copy</sup> restore
- Pass by name

Output :-

① call by value  
O/p = 2.

② call by reference  
O/p = 6.

③ call by copy-restore  
O/p = 5

```

y: int;
procedure P(x: int)
{
    x = x + 1;
    x = x + y;
}

```

```

y=2;
P(y)
writeln(y)
}

```

Q.) begin:

int a, b.

procedure P(int w)

begin

② write(w)

w = w \* 3

③ write(a)

end.

a = 10

① write(a)

P(a)

④ write(a)

end.

O/P :

call by value - ① 10

② 10

③ 10

④ 10

call by reference ① 10 call by copy restore ① 10

② 10

③ 30

④ 30

② 10

③ 10

④ 30

\* Pass By name :-

{ c : array [1 -- 10] of int.  
m, n : int.

procedure n( k, j : int )

begin

k = k + 1 → [ m = m + 1 ]

j = j + 2 → C[?] = C[?] + 2

end n.

m = 2

n(m, c[m])

write m.

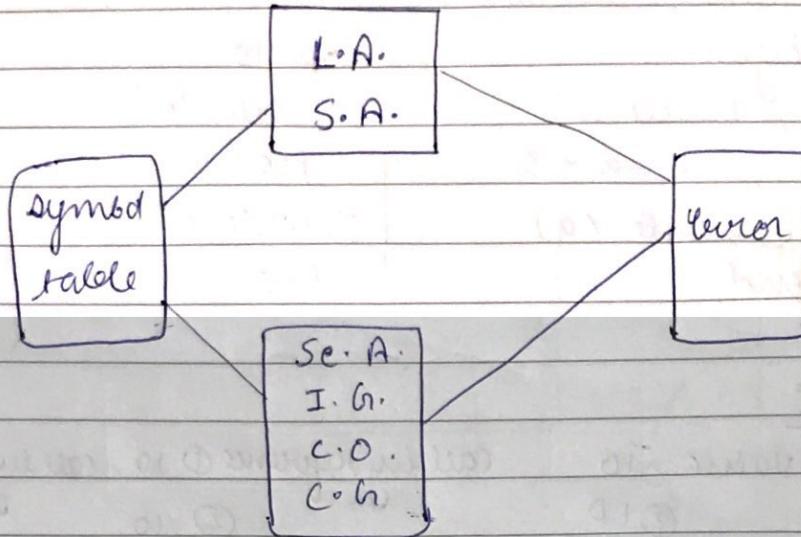
] O/P = 3 ]

y

c[?] = { 1, 2, 3, -- 10 }

c[?] = { 1, 4, 3, 4, -- 10 }

## Symbol Table :-



## Symbol table entries:-

- 1.) Variable
- 2.) Constant
- 3.) Function
- 4.) Labels
- 5.) Temporary variable

static int a;  
int b;

Sr. No.	Name	Type	Attribute
1	a	int	static
2	b	int	auto

## Type of Symbol table :-

- 1.) Fixed length.
- 2.) Variable length.

ex:-

int calculate;  
int sum;  
int x, y;

c	a	l	c	u	l	a	t	e	int
s	u	m							int
x									int
y									int

c	a	l	c	u	l	a	t	e	\$	s	u	m	\$	x	\$	y	\$
0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17

starting	length	type
0	10	int
10	4	int
14	2	int
16	2	int

## \* Function of symbol table :-

1.) Insert

Syntax :- insert (var, type)

2.) Search

Syntax :- search (var)

3.) Delete

Syntax :- delete (var)

4.) Scope management

Ex:-

→ int value;

→ int one()

{ int a, b;

  { int c, d;

}

→ `int two()`

{

`int e, f;`

`of`

`int x, y;`

}

}

value	var	int	
one	proced.	int	-
two	proced.	int	

a	var	int
b	var	int

e	var	int
f	var	int

c	var	int
d	var	int

x	var	int
y	var	int

## \* Implementation of symbol table:-

- 1.) Array
- 2.) linked list
- 3.) Binary search tree .
- 4.) Hash table .

### 1.) Array :-

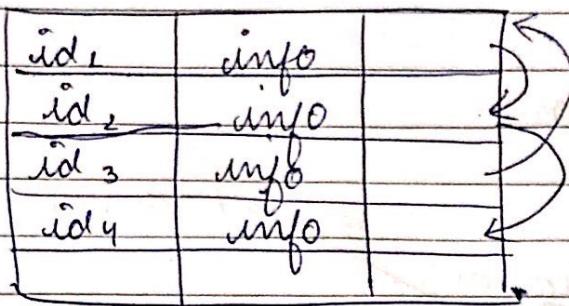
Name 1	info
Name 2	info
Name 3	info

$O(n)$

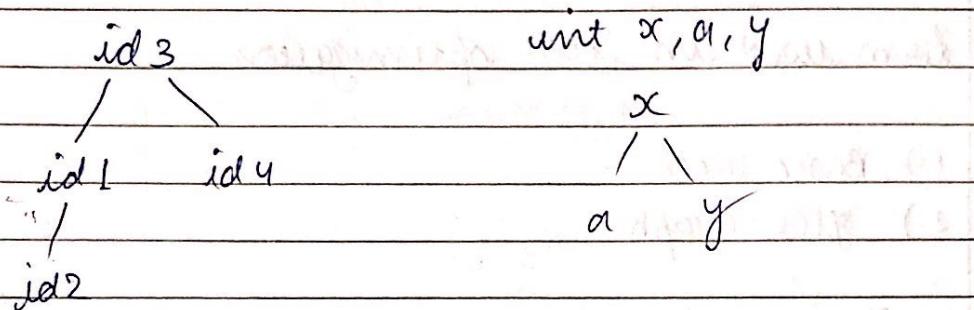
available  
pointer

$id_3 > id_1 > id_2 > id_4$

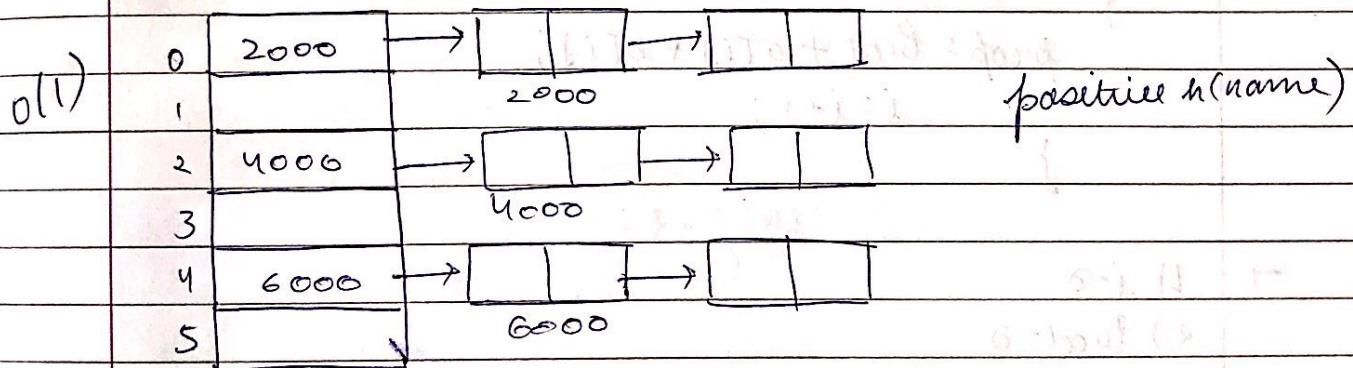
## 2.) linked list :-



## 3.) Binary Search Tree

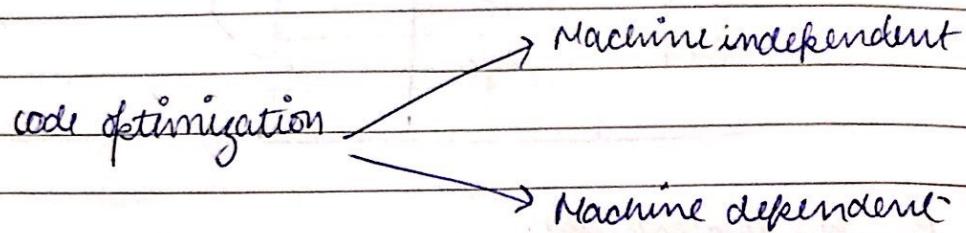


## 4.) Hash Table



## Unit - 5

### Code optimization :-



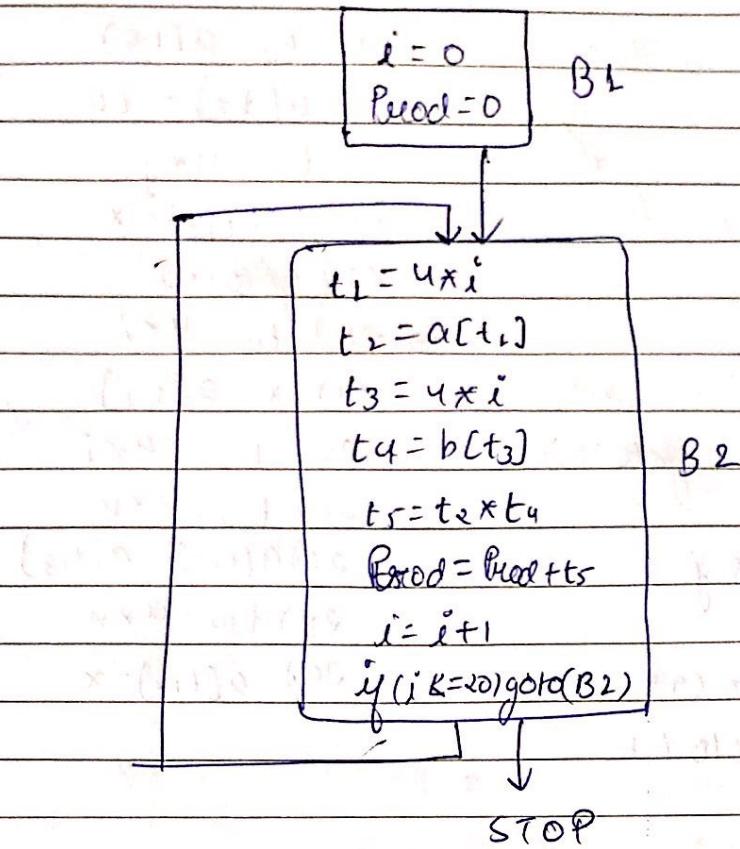
Term used in code optimization :-

- 1.) Basic block
- 2.) Flow graph.

```

int i=1, prod=0;
while (i<=20)
{
    prod = prod + a[i] * b[i];
    i=i+1;
}
  
```

- 1)  $i=0$
- 2)  $prod=0$
- 3)  $t_1 = 4 \times i$
- 4)  $t_2 = a[t_1]$
- 5)  $t_3 = 4 \times i$
- 6)  $t_4 = b[t_3]$
- 7)  $t_5 = t_2 \times t_4$
- 8)  $prod = prod + t_5$
- 9)  $i = i + 1$
- 10)  $if (i <= 20) goto (3)$
- 11) STOP.



Void Quicksort :- (m,n)

```

{
    int m,n;
    int i,j;
    int v,x;
    if (n <= m) return;
    i = m - 1; j = n; v = a[n];
    while (1)
    {
        do i = i + 1; while (a[i] < v);
        do j = j - 1; while (a[j] > v);
        if i >= j break;
        x = a[i]; a[i] = a[n]; a[n] = x;
    }
    x = a[i]; a[i] = a[n]; a[n] = x;
    quicksort(m, i); quicksort(i + 1, n)
}
  
```

$$\rightarrow 1) i = m - 1$$

$$2) j = n$$

$$3) t_L = u \times n$$

$$4) v = a[t_1]$$

$$\rightarrow 5) i = j + 1$$

$$6) t_2 = u \times i$$

$$7) t_3 = a[t_2]$$

$$8) \text{if } t_3 < v \text{ goto(5)}$$

$$\rightarrow 9) j = j - 1$$

$$10) t_4 = 4 \times j$$

$$11) t_5 = a[t_4]$$

$$12) \text{if } t_5 > v \text{ goto(9)}$$

$$\rightarrow 13) \text{if } i >= j \text{ goto(1)}$$

$$\rightarrow 14) t_6 = 4 \times i$$

$$15) x = a[t_6]$$

$$16) t_7 = 4 \times i$$

$$17) t_8 = 4 \times j$$

$$18) t_9 = a[t_8]$$

$$19) a[t_7] = t_9$$

$$20) t_{10} = u \times j$$

$$21) a[t_{10}] = x$$

$$22) \text{goto(5)}$$

$$\rightarrow 23) t_{11} = 4 \times i$$

$$24) x = a[t_{11}]$$

$$25) t_{12} = 4 \times i$$

$$26) t_{13} = 4 \times n$$

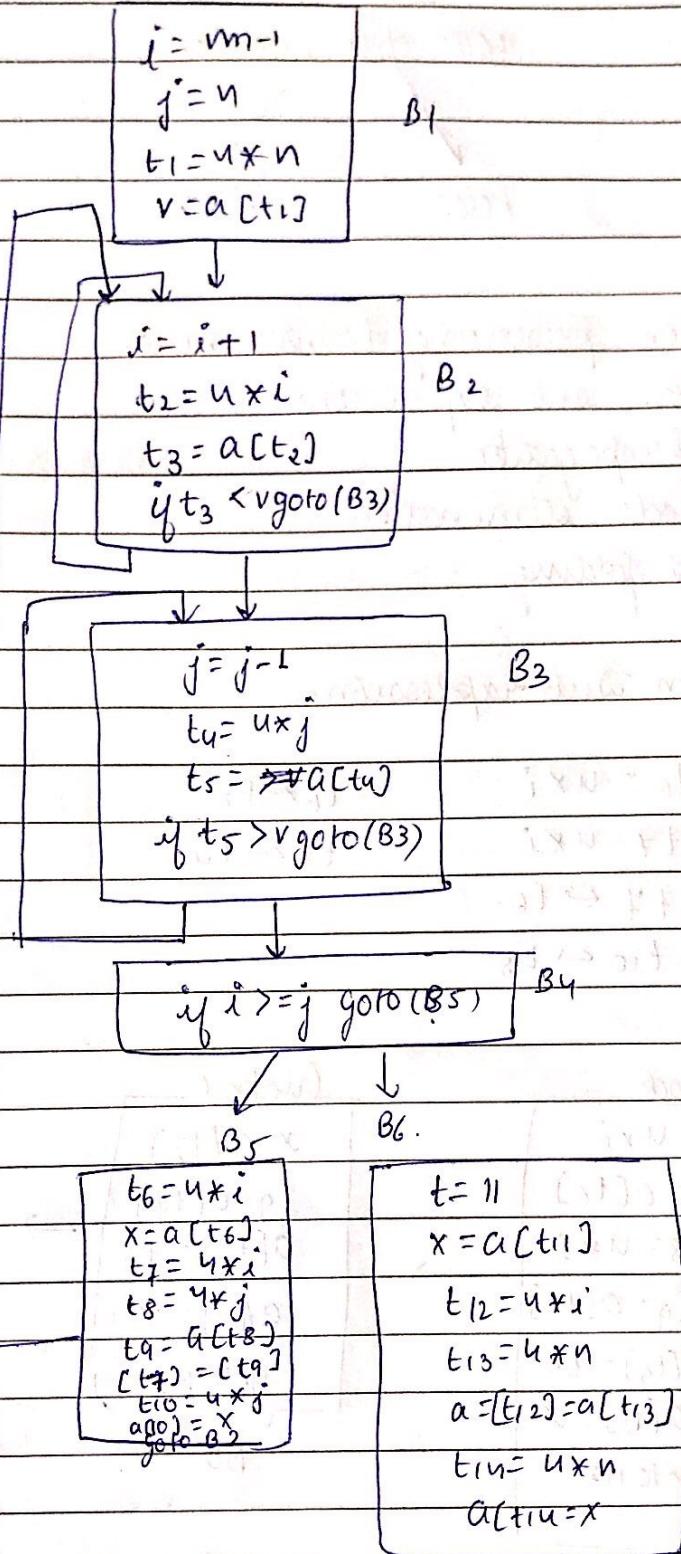
$$27) a[t_{12}] = a[t_{13}]$$

$$28) t_{14} = 4 \times n$$

$$29) a[t_{14}] = x$$

(return) → main program

↓ return



code optimization

Local

Global

function preserving transformation:

- 1.) common sub expressions
- 2.) copy propagation
- 3.) dead code elimination
- 4.) constant folding

1.) common sub expression -

BS

$$t_6 = u \times i \quad t_6 \leftrightarrow t_2$$

$$t_7 = u \times i \quad t_8 \leftrightarrow t_4$$

$$t_7 \leftrightarrow t_6$$

$$t_{10} \leftrightarrow t_8$$

## Local Block

$t_6 = u \times i$
$x = a[t_6]$
$t_8 = u \times i$
$t_9 = a[t_8]$
$a[t_6] = t_9$
$a[t_8] = x$
goto B2

## Global

$x = a[t_2]$
$t_9 = a[t_4]$
$a[t_2] = t_9$
$a[t_4] = x$
goto B2

## copy propagation

$x = a[t_2]$
<del><math>t_9 = a[t_4]</math></del>
$a[t_2] = a[t_4]$
$a[t_4] = x$
goto B2

BS

dead code elimination

BS

B6

$$\begin{array}{|c|c|c|c|c|c|} \hline
 & t_{11} = ux_i & & x = a[t_2] & & x = a(t_2) \\ 
 & x = a[t_{11}] & \rightarrow & a[t_2] = a[t_1] & \rightarrow & a[t_2] = a(t_1) \\ 
 t_{12} \rightarrow t_{11} & t_{13} = ux_n & & a[t_1] = x & & a(t_1) = x \\ 
 t_{14} \rightarrow t_{13} & a[t_{11}] = a[t_{13}] & & & & \\ 
 & a[t_{13}] = x & & & & \\ 
 \hline
 \end{array}$$

B6

$t_{11} \leftrightarrow t_{12}$   
 $t_{13} \leftrightarrow t_1$

### \* Loop Optimization:-

- 1.) Code motion
- 2.) Induction variable elimination
- 3.) Reduce in strength.

#### 1.) Code motion

```
while (i < max - 1)
```

$$\left\{ \begin{array}{l} \\ \\ \\ i = i + 1; \\ \end{array} \right.$$

 $n = \max - 1$ 

```
while (i <= n)
```

$$\left\{ \begin{array}{l} \\ \\ \\ i = i + 1; \\ \end{array} \right.$$

B2

$$\begin{array}{|c|} \hline
 i = i + 1 \\
 t_2 = ux_i \\
 t_3 = a[t_2] \\
 \text{if } t_3 < v \text{ goto B2} \\
 \hline
 \end{array}$$

$$t_2 = ux_i$$

$$\begin{array}{|c|} \hline
 t_2 = t_2 + u \\
 t_3 = a[t_2] \\
 \text{if } t_3 < v \text{ goto B2} \\
 \hline
 \end{array}$$

$$t_4 = ux_i$$

→ codemotion

$$\begin{array}{|c|} \hline
 t_4 = t_4 - u \\
 t_5 = a[t_4] \\
 \text{if } t_5 > v \text{ goto B3} \\
 \hline
 \end{array}$$

Induction variable elimination

## \* Directed Acyclic Graph (DAG)

Implementing transformation of basic block of the address code.

- 1.) Leaf nodes are labeled as unique identifier or variable const.
- 2.) Interior nodes are labeled as operator.
- 3.) Interior nodes are provided with the identifier for labels.

Ex:-

```
sum=0
for(i=0; i<10; i++)
    sum = sum + a[i].
```

Three address code :-

→ 1.)  $\text{sum} = 0$  Block B1.

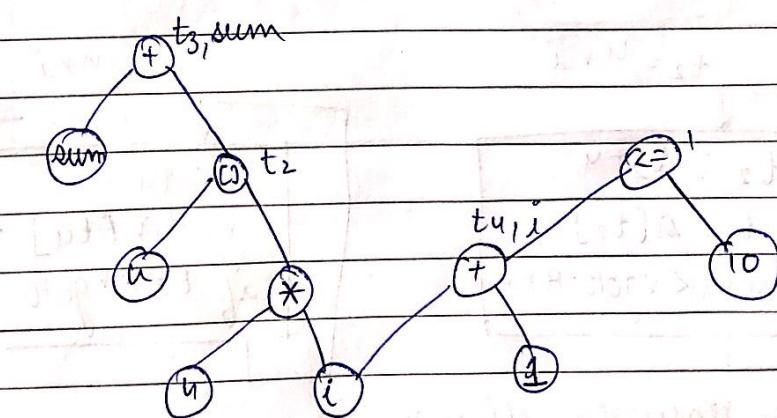
2.)  $i = 0$

→ 3.)  $t_1 = u * i$   
 4.)  $t_2 = a[t_1]$   
 5.)  $t_3 = \text{sum} + t_2$   
 6.)  $\text{sum} = t_3$   
 7.)  $t_4 = i + 1$   
 8.)  $i = t_4$   
 9.) if  $i < 10$  goto(3)

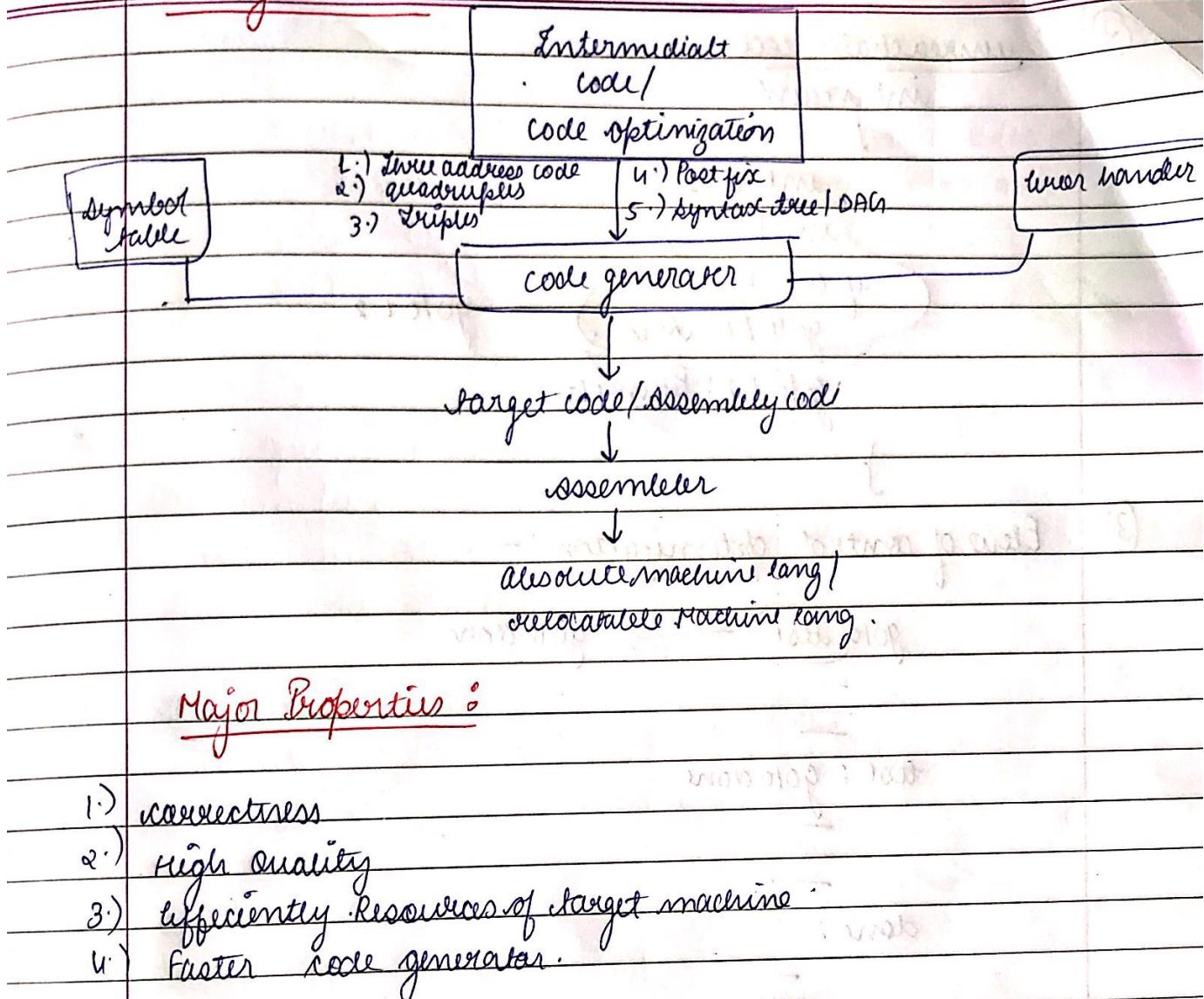
Block B2 .

$\text{sum} = \text{sum} + t_2$ .

$i = i + 1$



## Code generator :-



## Major Properties :-

- 1.) correctness
- 2.) high quality
- 3.) efficiently .Resources of target machine
- 4.) faster code generator.

## Issues in code generation :-

- 1.) Input to the code generator
- 2.) Target code / Program .
- 3.) Memory Management .
- 4.) Instruction selection
- 5.) Register allocation .

## \* Peephole optimization:-

### characteristics :-

- ① Redundant instruction :-

MOV DL, R0

| MOV R0, DL / X

② unreachable code

```
int main()
```

```
{ int a=1;
```

```
int b=2;
```

```
if a==b
```

```
goto L1: Area
```

```
goto L2
```

```
goto L2: Perimeter
```

```
}
```

③ Flow of control optimization :-

```
goto test —————→ goto done
```

```
—  
—
```

```
test : goto done
```

```
—  
—
```

```
done :
```

```
—  
—
```

④ Algebraic simplification :-

$$x = x + 0$$

OR

$$a = 1 \times b$$

⑤ Reduction in strength:-

~~+~~ (add)  $\leftarrow$  \* (multiplication)

\* - (sub)  $\leftarrow$  / (division)

## (6) Machine Solutions :-

$$a = a + 1 \quad X$$

$$b = b - 1 \quad X$$

auto increment & auto decrement  
will be applied on a, b.