

***Course Title: Computer Graphics Laboratory***

***Course code: CSE-304***

***3<sup>rd</sup> year 1<sup>st</sup> semester***

***Lab Report No: 07***



***Submitted to-***

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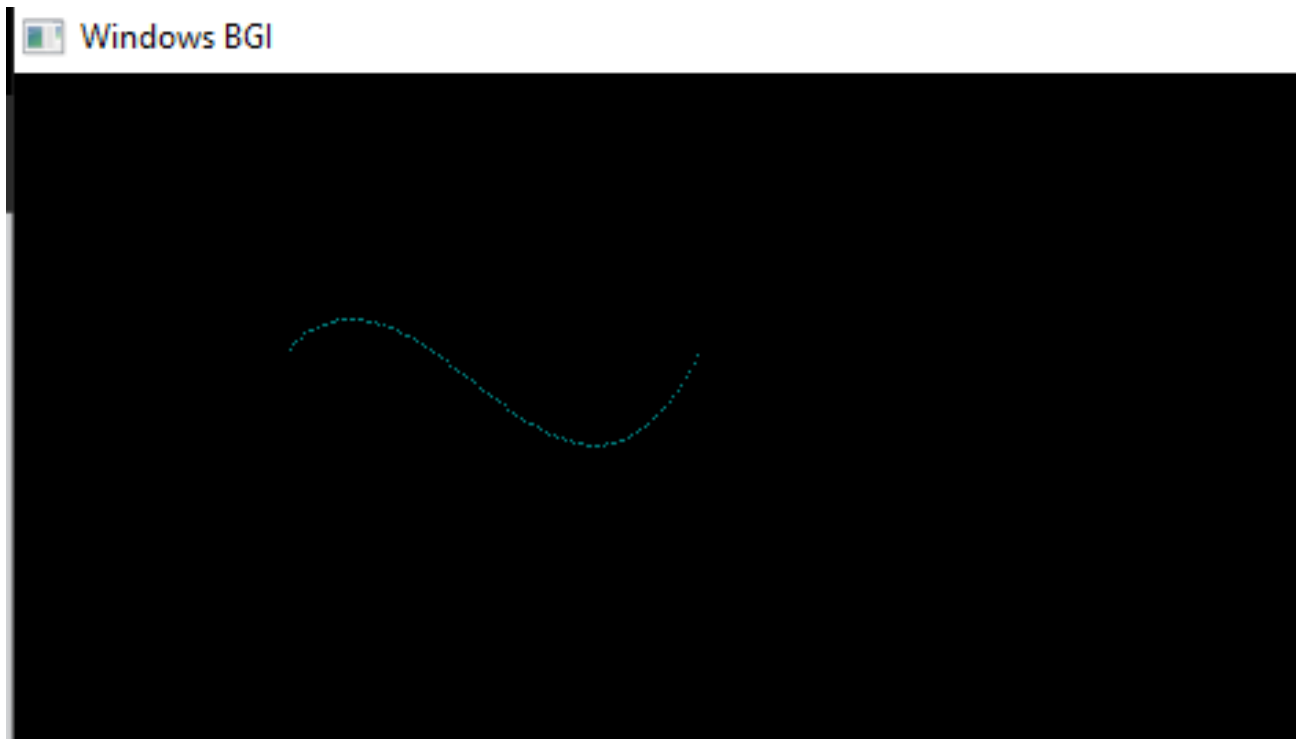
**Experiment Name:** Line clipping using Bezier Barsky polynomial approximations.

**Introduction:** In this lab report, we explore how the Barsky-Bezier algorithm works. We'll see how it tweaks Cohen-Sutherland for curves and uses clever math to reshape curves. A hands-on demo using the graphics.h library will illustrate how we can practically draw and clip Bézier curves, opening a window to the world of graphic manipulation. Through this report, we aim to introduce you to the art of Bézier curve clipping, the magic of Barsky-Bezier, and how these concepts can jazz up your visual creations.

**Source Code:**

<pre>#include &lt;iostream&gt; #include &lt;cmath&gt; #include &lt;graphics.h&gt;  // Define a structure to represent a 2D point struct Point {     int x, y; };  // Function to calculate the Bézier curve point using polynomial approximation Point calculateBezierPoint(Point p[], double t) {     double u = 1.0 - t;     double tt = t * t;     double uu = u * u;     double uuu = uu * u;     double ttt = tt * t;      Point pFinal;     pFinal.x = static_cast&lt;int&gt;(p[0].x * uuu + 3 * p[1].x * t * uu + 3 * p[2].x * tt * u + p[3].x * ttt);     pFinal.y = static_cast&lt;int&gt;(p[0].y * uuu + 3 * p[1].y * t * uu + 3 * p[2].y * tt * u + p[3].y * ttt);      return pFinal; }</pre>	<pre>// Main function int main() {     int gd = DETECT, gm;     initgraph(&amp;gd, &amp;gm, "C:\\Turboc3\\BGI");      // Define Bézier control points     Point controlPoints[4] = {{100, 100}, {150, 50}, {200, 200}, {250, 100}};      // Draw the Bézier curve using polynomial approximation     for (double t = 0.0; t &lt;= 1.0; t += 0.01) {         Point p = calculateBezierPoint(controlPoints, t);         putpixel(p.x, p.y, WHITE);     }      delay(50000); // Pause for a few seconds before closing the graphics window     closegraph();     return 0; }</pre>
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### Output:



### Discussion:

The Barsky-Bezier algorithm cleverly clips Bézier curves. It adapts Cohen-Sutherland for curves, preserving their shape while trimming. By finding curve-clip intersections, it uses polynomial equations to approximate clipped parts.