

# Consumer Choice: Further Extensions

# Consumer's problem

- How does a consumer value different goods?
  - The basis of determining use-value
  - Marginalist revolution and diminishing marginal utility
  - The basic marginalist calculus (equating marginal benefit and marginal cost)
  - Choice and rationality
  - Necessary conditions for rationality- completeness and transitivity
  - Additional condition of monotonicity or non-satiation to formulate the choice problem
  - Visual example of a typical utility maximization problem (2 dimensional)

# Subjective valuation of wellbeing and utility

- Can utility be measured?
- Cardinal vs. ordinal understanding of utility
- Preference ordering expressed in terms of utility function vs. revealed preference

# The idea of revealed preference

- Motivated by the ordinal nature of utility theory where utility numbers could not be interpreted numerically ( utility value of 2 is not necessarily twice that of utility value of 1!)
- Problems of testability
- The revealed preference approach does away with the utility foundation of choice and focusses on choices made under different price income combinations i.e. preferences as revealed in choice

# Axioms of revealed preference

- WARP ( weak axiom of revealed preference) : if a bundle  $x_i$  is chosen when  $x_j$  is available, then  $x_j$  cannot be chosen whenever  $x_i$  is available
- WARP is a necessary condition for the existence of a utility function representation of preference ordering
- GARP ( generalized axiom of revealed preference) : If  $x_i$  is revealed preferred to  $x_j$  and  $x_j$  is revealed preferred to  $x_k$  then  $x_i$  is revealed preferred to  $x_k$  ( the axiom of transitivity)
- GARP is both a necessary and sufficient condition for utility representation of preference ordering

# Expected utility theory

- Theorization of choice under uncertainty
- Consider a choice problem over two uncertain events or lotteries
- Event A:  $p'$  probability of payoff of M and  $(1-p')$  probability of payoff N  
Event B:  $p''$  probability of payoff of M and  $(1-p'')$  probability of payoff N
- Under some basic axioms of rational behaviour ( completeness, continuity, transitivity and independence of irrelevant alternatives ), the expected utility theorem ( credited to Von Neumann and Morgenstein) states that

$$U(A) = p'U(M) + (1-p')U(N) \text{ and } U(B) = p''U(M) + (1-p'')U(N)$$