## TUTORIAL >1

Dyne different Roymptotic notation with examples. y Asymptotiz notations are languages that allows us to ahalyze an algorithm's running time by identifying Its behaviour us the input 12e for the algorithm increases. Those are heree types of Mosymptotic Motations: This notation duides an upper bound of an algorithm. The function number of the sent of the constants. Here gen) for all no are constants. Here gen all no see up to the sent of th Big 1 notation provides an asymptotic lower bound The function 1 notation provides an asymptotic lower bound for all ho=no 1/n) = 0 (g/n) if 4 only if f(n) >= c-g(n) for all ho=no where c 4 no are constants. Here, g(n) 10 k/a lower bound gn values of f(n) ig-f(n)=3n+2 & g(n)=3n The Theta notation bounds of function from above and below, so it defines exact aggrap totic behaviour. Hence, It is also Kla lightly bound. The function f(n)= B(g(n)) of 4. g(n) <= f(n) <= cz.g(n) for all n >= no, where 4, cz & no are constants. 27- f(n)=3n+2, g(n)=n, q=3, G24.

Die what should be time complexity of for (i=1 ton)

i = i + 2; Aus O( kg (n)) Q15 T(n)= {3T(n-1) } 1 n>0, Otherwise 19 T(n)= 37[n-1) = 3 (ST(n-2)) = 32 7(n-2) - 33 7 (n-3) = 3n T(n-n) = 3 T/0) . . complexity 10 0(3") Qly T(n) = {27(n-D-1 13 n>0, omension 13 -(n) = 27(n-1)-1 · 2·2/27(n-2)-1)-1  $=2^{2}(7(n-2))-2-1$ 2 22 (27(n-3)-1)-2-1 =237(m3)-22-21-2°  $= 2^{n} T (n-n) - 2^{n-1} - 2^{n-2} 2^{n-3} - 2^{2} 2^{1-2}$  $n^{2} - 2^{n-1} - 2^{n-2} - 2^{n-3} - 2^{2} - 2^{2} - 2^{2}$ -2n-(2n-1) (::2n-1+2n-2 +20-2"-1

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5 what should be time complexity
    Int [2], 821
  volile (3 (2n)
    じナナ;
     y=3+1;
     prints ("#");
: Let the loop execute n times.
     Alu 1st ituation-
          $=8+1
     After 2nd iteration -
          8=3+1+2
     As it goes for n Muations,
       1+2++-,--+n<=n
  > (u*(u+1))/2 <= h
  0 (n2) <=n
  1 20 (Vh)
So, Time complexity is D(VI)
Q16 Time complexity 9-
   void function (Int 21)
   i put i, want=0;
       forli=1; itic=n; i++)
         count++;
Il let 'k' be max positive value, such that,
               KZEM
             · += Vn
                    --- +k times
     · El 7 1+1+1+
          : T(n) = O(M)
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On Time complexity of-I me i, j, k, count =0; Br(1=1/2; ic=n; 1++) for (j=1; j <= n; j=j+2) for [ K21; Kc=n; K2 K+2)
count +f; Are let 'n' be highest possible value such mat up times vin Vin Enp j\*k 3 2 × m × m

 $7 T(n) = O(n^2)$ 

Sus Time complexity offunction ( Int in) if(n==1) ordurn; By (1 10 W) E for (j=1 ton) = printf (" \*"); function (n-3); m for (i=1 ton), We get Jon times i\* j= n2 Now, T(n) = n2+ T(n-3);  $T(n-3) = (n^2-3)^2 + T(n-6);$ T(n-6) = (n2-6)2+ T(n-9); 711)=1 Now, substitute each other in T(n)  $T(n) = n^2 + (n-3)^2 + (n-6)^2 +$ let (n-3K) =1 :- K=(n-1)|3 .. Total time = ktl T(n)=n2+(n-s)2+(n-6)2+ - (Khines +1) T(n) & n2+n2+n2+-TIN) & Knz TIM 2 (13) X12 · T(n)=0(n2)

Use Complexity of br(j=1; j(=n; j=j+1) { prints (utu); [-1+2+-- (n> j+i) J= 1+3+5 + - (n7,j+i) j=1+4+7+ - (n)j+i) mm form of ap is Tlm) 2 a tdxm 1 7(m)=1+d+m of n-12m (n-1)/1 times 121 (n-1)/2 times 122 (n-1)/3 times 12n-1 he get, T(n) = i(j) + i2j2 + - - - in-1 jn-1 = (n-1) + (n-2) + (n-3) + - - +1= n+n+3+3+---+n-1 -nx1+1 これ「けきかまかーー・サムー」ールナ 2ntlogn-ntl Since. In Hogn t(n) = 0(n logn)

110 for the functions, n'k & c'n, what is the symptotic delationship between these functions? Assume that >=18 c>1 are constants. Find out the value of c no for which relation holds. Given: nk, ch  $n^{\kappa} = O(c^{\kappa})$ as, n° < acn. orstant a>0 to me worstant a>0 for no =1 J 15 a2 no=1 & c22 Ay