

Regression Metrics

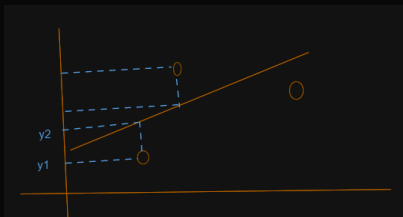
github

video

How to check the Regression you have applied is accurate or not by using Regression Metrics

Types

- Loss function/error function
 - MSE
 - MAE
 - RMSE
- R2 Score
- Adjusted R2 Score



Here in the above example the For the first data point the correct output value is y1 but according to our model its correct value is y2

so we calculate the MAE like this $((|Y1-Y2|)+(|Y3-Y4|)+.....(|yN-yN|))/N$

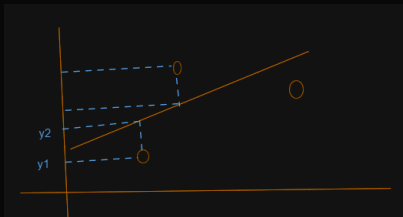
MAE
Mean absolute error

logic

- the output of this method is the loss, and we try our best to minimize those loose
- the unit of the value/loose comes from this method is same as unit of output column of the regression problem

This is robust to outlier

Dis Here we use modulus function which is not differentiable at 0



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so we calculate the MAE like this $((Y1-Y2)*(Y1-Y2)+(Y3-Y4)*(Y3-Y4)+..(YN-YN)*(YN-YN))/N$

here instant of taking mod (| |) of values we are taking square of them

MSE
Mean Square error

logic

- the output of this method is the loss, and we try our best to minimize those loose
- the unit of the value/loose comes from this method is same as unit of output column of the regression problem but the value is squared

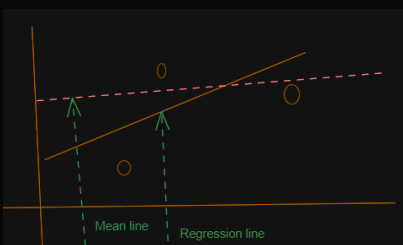
Dis This is Not robust to outlier

RMSE
Root mean square error

logic

- Root of MSE
- the output of this method is the loss, and we try our best to minimize those loose
- the unit of the value/loose comes from this method is same as unit of output column of the regression problem

Dis This is Not robust to outlier



You calculate how much your regression model are better then mean

R2 score
Coefficient of determination
goodness of fit

logic

- Formula $1 - ((\text{sum of squared error in the regression line})/(\text{sum of squared error in the mean line}))$
- value always in between 0 - 1
- we have to make sure the value always towards 1 (if you get 1 = perfect model)
- if you add more and more input feature , even if they are irrelevant your R2 score will start increasing. that's why we use **Adjusted R2 score**

div

Adjusted R2 score

logic

$$1 - \left[\frac{(1-R^2) \cdot (n-1)}{(n-1-K)} \right]$$

Formula
k=number of columns in train set
n= size of x_test

if you add more and more input feature , even if they are irrelevant your R2 score will start increasing. that's why we use **Adjusted R2 score**

Working

imports

import matplotlib.pyplot as plt
import pandas as pd
import numpy as np

data

time	package
0	6.89 3.26
1	5.12 1.98
2	7.82 3.25
3	7.42 3.67
4	6.94 3.37

test train split

X = df.iloc[:,0:1]
y = df.iloc[:,1:2]

from sklearn.model_selection import train_test_split
X_train,X_test,y_train,y_test = train_test_split(X,y,test_size=0.2,random_state=2)

Applying linear regression

from sklearn.linear_model import LinearRegression

lr = LinearRegression()

lr.fit(X_train,y_train)

Applying mean_absolute_error, mean_squared_error, r2_score

from sklearn.metrics import mean_absolute_error,mean_squared_error,r2_score

y_pred = lr.predict(X_test)

print("MAE",mean_absolute_error(y_test,y_pred))

print("MSE",mean_squared_error(y_test,y_pred))

print("RMSE",np.sqrt(mean_squared_error(y_test,y_pred)))

print("R2",r2_score(y_test,y_pred))

For Adjusted R2 score -> there is no function we need to get it manually using formula

Find k = number of columns (1)

Find n = number of size of test (x_test.shape())

$$1 - ((1-r^2)*(40-1)/(40-1-1))$$