Cou	rse Code	Category	L	Т	P	С	I.M	E.M	Exam	
	0BS1101	BS	3			3	30	70	3 Hrs.	
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MATHEMATICS-I										
(LINEAR ALGEBRA AND DIFFERENTIAL EQUATIONS)										
(Common to AIDS, CE, CSE, ECE, EEE, IT & ME)										
Pre-requisites: Calculus of functions of a single variable and Matrices.										
	Course Objectives: Students are expected to learn									
1.	Concepts of linear algebra and methods of solution of linear simultaneous algebraic equations.									
2. 3.		n values, Eigen vectors and quadratic forms.								
4.		rst order ordinary differential equations and some simple geometrical and physical applications. rthogonal trajectories, Simple electrical circuits and Newton's law of cooling.								
5.		Methods of solution of linear higher order ordinary differential equations.								
6	Concepts of Laplace transforms and their applications for solving ODE.									
Concepts of Euplace transforms and their applications for solving ODE.										
Cour	se Outcom	es: At the end	of the co	urse the s	tudent wi	ll be able to)			
S.No					come				KL	
1	Solve e e	ivan avatam o	flinger al	robroio o	guations				K3	
2.		Solve a given system of linear algebraic equations Determine Figure values and Figure vectors of a system represented by a matrix							K3	
3.	Determine Eigen values and Eigen vectors of a system represented by a matrix. Solve ordinary differential equations of first order and first degree.							K3		
4.								of cooling		
''	4. Applythe knowledge in simple applications such as Newton's law of cooling, orthogonal trajectories and simple electrical circuits								K3	
5.								К3		
6.							К3			
				SY	LLABUS					
UNIT-I (10 Hrs) Linear systems of equations: Rank, Echelon form, Normal form, cordination, Jacobson Systems by Gauss elimination, Jacobson Systems and Linear systems by Gauss elimination, Jacobson Systems Systems and Linear Systems are specifically asserted by Gauss elimination, Jacobson Systems Systems are specifically asserted by Gauss elimination, Jacobson Systems Systems and Linear Systems of Equations:								Solution of		
	17.	1 77		1.0	. 1 4*	C				
UNI		Eigen values - Eigen vectors and Quadratic forms:								
(10)		Eigen values, Eigen vectors, Properties, Cayley-Hamilton theorem, Inverse and powers of a matrix using Cayley-Hamilton theorem, Reduction to diagonal form, Quadratic forms,								
(10)		Reduction of a Quadratic form to Canonical form.								
	I									
	Dif	ferential equa	tions of f	irst orde	r and firs	t degree:				
UNI	 	Linear, Bernoulli, Exact, Reducible to exact types.								
(10)		Applications: Orthogonal trajectories, Newton's Law of cooling, Simple electrical								
	circ	circuits.(R-L and R-C circuits only)								
	т.	J:ce ''	-1 (*		_1					
UNI		Linear differential equations of higher order:								
(8 F		Linear Non-homogeneous equations of higher order with constant coefficients with source (RHS) term of the type e^{ax} , sin ax, cos ax, polynomials in x, $e^{ax} V(x)$, x $V(x)$. Simultaneous								
(01		differential equations with constant coefficients, Method of Variation of parameters.								
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UNI' (12 H	Laplace transformation: Laplace transforms of standard functions, properties, transforms of tf(t), f(t)/t, transforms of derivatives and integrals, transforms of unit step function, Dirac delta function; Inverse Laplace transforms, convolution theorem (without proof). Applications: Solving ordinary differential equations (initial value problems) using Laplace transforms.						
Text Books:							
1.	B.S.Grewal, Higher Engineering Mathematics, 43 rd Edition, Khanna Publishers.						
2.	B. V. Ramana, Higher Engineering Mathematics, 2007 Edition, Tata Mc. Graw Hill Education.						
3.	N.P.Bali&Manish Goyal, Engineering Mathematics, Lakshmi Publications.						
Refer	Reference Books:						
1.	. Ravindranath&P. Vijayalakshmi, Mathematical Methods, Himalaya Publishing House.						
2.	Erwin Kreyszig, Advanced Engineering Mathematics, 10 th Edition, Wiley-India.						
3.	Michael Greenberg, Advanced Engineering Mathematics, 9 th edition, Pearson.						
4.	Dean G. Duffy, Advanced engineering mathematics with MATLAB, CRC Press.						
5.	Peter O'Neil, Advanced Engineering Mathematics, Cengage Learning.						
6.	Srimanta Pal, Subodh C.Bhunia, Engineering Mathematics, Oxford University Press.						
7.	Dass H.K., Rajnish Verma. Er., Higher Engineering Mathematics, S. Chand Co. Pvt. Ltd, New Delhi.						