



Operating Systems (OS) – Theory

Assignment:01

Scheduling Algorithms (Simulation)

Submitted by:

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Submitted to:

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Question No.01:

Compute the response time and turnaround time when running three jobs of length 200 with the SJF and FIFO schedulers.

Answer:

Here arrival time of every job is considered to be 0. Since job length is same response time and turnaround time will be same in both cases.

Turnaround Time= Exit Time-Arrival Time

Response Time= Time at which the process gets the CPU-Arrival Time

Response Time:

$$J1=0-0=0$$

$$J2=200-0=200$$

$$J3=400-0=400$$

$$\text{Average response time} = \frac{0+200+400}{3} = \frac{600}{3} = 200$$

Turnaround Time:

$$J1=200-0=200$$

$$J2=400-0=400$$

$$J3=600-0=600$$

$$\text{Average turnaround time} = \frac{200+400+600}{3} = \frac{1200}{3} = 400$$

FIFO:

```
Command Prompt

C:\Users\tayya>python ./scheduler.py -p FIFO -l 200,200,200 -c
ARG policy FIFO
ARG jlist 200,200,200

Here is the job list, with the run time of each job:
Job 0 ( length = 200.0 )
Job 1 ( length = 200.0 )
Job 2 ( length = 200.0 )

** Solutions **

Execution trace:
[ time 0 ] Run job 0 for 200.00 secs ( DONE at 200.00 )
[ time 200 ] Run job 1 for 200.00 secs ( DONE at 400.00 )
[ time 400 ] Run job 2 for 200.00 secs ( DONE at 600.00 )

Final statistics:
Job 0 -- Response: 0.00 Turnaround 200.00 Wait 0.00
Job 1 -- Response: 200.00 Turnaround 400.00 Wait 200.00
Job 2 -- Response: 400.00 Turnaround 600.00 Wait 400.00
Average -- Response: 200.00 Turnaround 400.00 Wait 200.00
```

SJF:

```
Command Prompt

Average -- Response: 200.00  Turnaround 400.00  Wait 200.00

C:\Users\tayya>python ./scheduler.py -p SJF -l 200,200,200 -c
ARG policy SJF
ARG jlist 200,200,200

Here is the job list, with the run time of each job:
Job 0 ( length = 200.0 )
Job 1 ( length = 200.0 )
Job 2 ( length = 200.0 )

** Solutions **

Execution trace:
[ time 0 ] Run job 0 for 200.00 secs ( DONE at 200.00 )
[ time 200 ] Run job 1 for 200.00 secs ( DONE at 400.00 )
[ time 400 ] Run job 2 for 200.00 secs ( DONE at 600.00 )

Final statistics:
Job 0 -- Response: 0.00  Turnaround 200.00  Wait 0.00
Job 1 -- Response: 200.00  Turnaround 400.00  Wait 200.00
Job 2 -- Response: 400.00  Turnaround 600.00  Wait 400.00

Average -- Response: 200.00  Turnaround 400.00  Wait 200.00
```

Question No.02:

Now do the same but with jobs of different lengths: 200, 100, and 300.

Answer:

Here arrival time of every job is considered to be 0.

Turnaround Time= Exit Time-Arrival Time

Response Time= Time at which the process gets the CPU-Arrival Time

FIFO (First In First Out):

Response Time:

$$J1=0-0=0$$

$$J2=200-0=200$$

$$J3=300-0=300$$

$$\text{Average response time} = \frac{0+200+300}{3} = \frac{500}{3} = 166.66$$

Turnaround Time:

$$J1=200-0=200$$

$$J2=300-0=300$$

$$J_3 = 600 - 0 = 600$$

$$\text{Average turnaround time} = \frac{200 + 300 + 600}{3} = \frac{1100}{3} = 366.66$$

```

C:\Users\tayya>python ./scheduler.py -p FIFO -l 200,100,300 -c
ARG policy FIFO
ARG jlist 200,100,300

Here is the job list, with the run time of each job:
  Job 0 ( length = 200.0 )
  Job 1 ( length = 100.0 )
  Job 2 ( length = 300.0 )

** Solutions **

Execution trace:
[ time 0 ] Run job 0 for 200.00 secs ( DONE at 200.00 )
[ time 200 ] Run job 1 for 100.00 secs ( DONE at 300.00 )
[ time 300 ] Run job 2 for 300.00 secs ( DONE at 600.00 )

Final statistics:
Job 0 -- Response: 0.00 Turnaround 200.00 Wait 0.00
Job 1 -- Response: 200.00 Turnaround 300.00 Wait 200.00
Job 2 -- Response: 300.00 Turnaround 600.00 Wait 300.00

Average -- Response: 166.67 Turnaround 366.67 Wait 166.67

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```

SJF (Shortest Job First):

Response Time:

$$J_1 = 0 - 0 = 0$$

$$J_2 = 100 - 0 = 100$$

$$J_3 = 300 - 0 = 300$$

$$\text{Average response time} = \frac{0 + 100 + 300}{3} = \frac{400}{3} = 133.3$$

Turnaround Time:

$$J_1 = 100 - 0 = 100$$

$$J_2 = 300 - 0 = 300$$

$$J_3 = 600 - 0 = 600$$

$$\text{Average turnaround time} = \frac{100 + 300 + 600}{3} = \frac{1000}{3} = 333.3$$

```

C:\Users\tayya>python ./scheduler.py -p SJF -l 200,100,300 -c
ARG policy SJF
ARG jlist 200,100,300

Here is the job list, with the run time of each job:
Job 0 ( length = 200.0 )
Job 1 ( length = 100.0 )
Job 2 ( length = 300.0 )

** Solutions **

Execution trace:
[ time 0 ] Run job 1 for 100.00 secs ( DONE at 100.00 )
[ time 100 ] Run job 0 for 200.00 secs ( DONE at 300.00 )
[ time 300 ] Run job 2 for 300.00 secs ( DONE at 600.00 )

Final statistics:
Job 1 -- Response: 0.00 Turnaround 100.00 Wait 0.00
Job 0 -- Response: 100.00 Turnaround 300.00 Wait 100.00
Job 2 -- Response: 300.00 Turnaround 600.00 Wait 300.00

Average -- Response: 133.33 Turnaround 333.33 Wait 133.33

C:\Users\tayya>

```

Question No.03:

Now do the same, but also with the RR scheduler and a time-slice of 1.

Answer:

Here quantum q is given as 1 so it will take so many iterations to complete the process. We can calculate response time easily but turnaround time cannot be calculated easily with small quantum.

Response Time:

$$J1=0-0=0$$

$$J2=1-0=1$$

$$J3=2-0=2$$

$$\text{Average response time} = \frac{0+1+2}{3} = \frac{3}{3} = 1$$

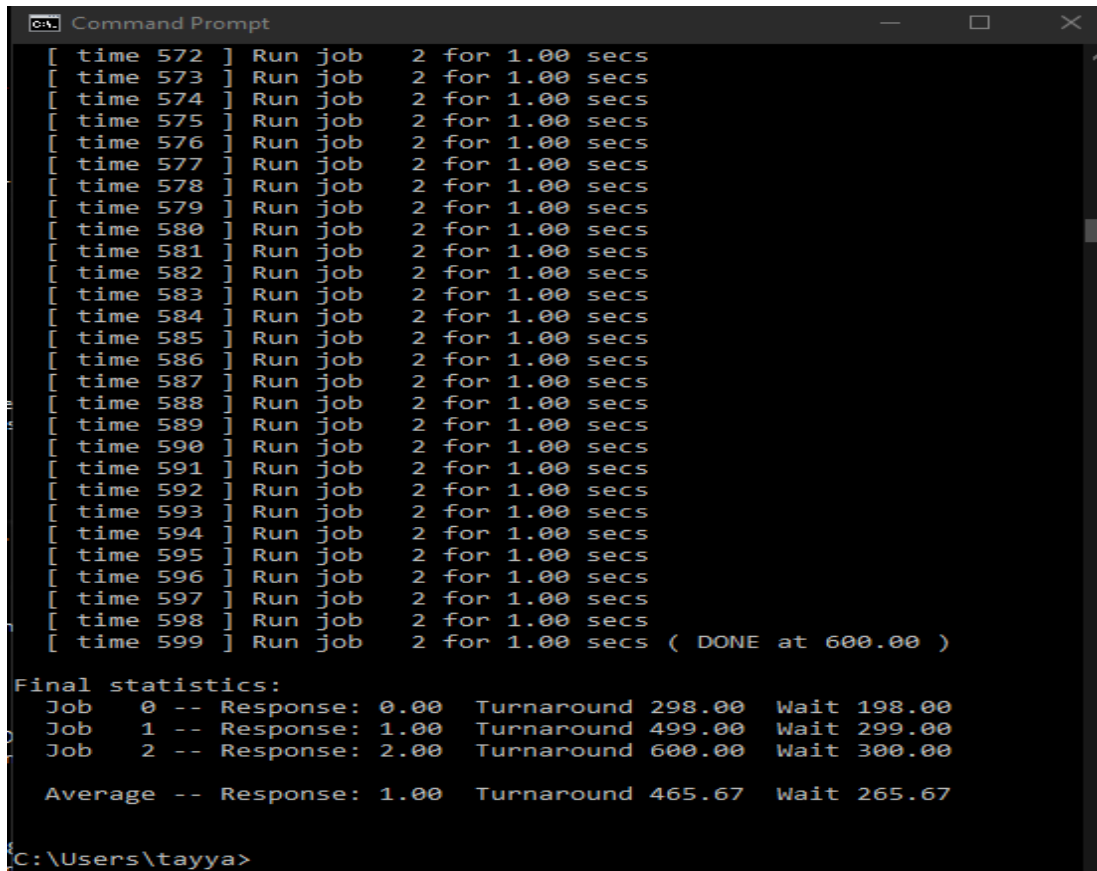
Turnaround Time:

J1=298-0=298 (Exit time is 298 because process gets CPU at 0 and in between switching there are 2 other processes)

J2=499-0=499 (Exit time is 499 because process gets CPU at 0 and in between switching there are 2 other processes in start and after completion of J1 only J2 and J3 are left)

J3=600-0=600 (Exit time is 600 because process gets CPU at 0 and in between switching there are 2 other processes in start and after completion of J1 and J2 only J3 is left)

$$\text{Average turnaround time} = \frac{298+499+600}{3} = \frac{1397}{3} = 465.66$$



```

C:\Users\tayya> [ time 572 ] Run job 2 for 1.00 secs
[ time 573 ] Run job 2 for 1.00 secs
[ time 574 ] Run job 2 for 1.00 secs
[ time 575 ] Run job 2 for 1.00 secs
[ time 576 ] Run job 2 for 1.00 secs
[ time 577 ] Run job 2 for 1.00 secs
[ time 578 ] Run job 2 for 1.00 secs
[ time 579 ] Run job 2 for 1.00 secs
[ time 580 ] Run job 2 for 1.00 secs
[ time 581 ] Run job 2 for 1.00 secs
[ time 582 ] Run job 2 for 1.00 secs
[ time 583 ] Run job 2 for 1.00 secs
[ time 584 ] Run job 2 for 1.00 secs
[ time 585 ] Run job 2 for 1.00 secs
[ time 586 ] Run job 2 for 1.00 secs
[ time 587 ] Run job 2 for 1.00 secs
[ time 588 ] Run job 2 for 1.00 secs
[ time 589 ] Run job 2 for 1.00 secs
[ time 590 ] Run job 2 for 1.00 secs
[ time 591 ] Run job 2 for 1.00 secs
[ time 592 ] Run job 2 for 1.00 secs
[ time 593 ] Run job 2 for 1.00 secs
[ time 594 ] Run job 2 for 1.00 secs
[ time 595 ] Run job 2 for 1.00 secs
[ time 596 ] Run job 2 for 1.00 secs
[ time 597 ] Run job 2 for 1.00 secs
[ time 598 ] Run job 2 for 1.00 secs
[ time 599 ] Run job 2 for 1.00 secs ( DONE at 600.00 )

Final statistics:
Job 0 -- Response: 0.00 Turnaround 298.00 Wait 198.00
Job 1 -- Response: 1.00 Turnaround 499.00 Wait 299.00
Job 2 -- Response: 2.00 Turnaround 600.00 Wait 300.00

Average -- Response: 1.00 Turnaround 465.67 Wait 265.67

C:\Users\tayya>
```

Question No.04:

For what types of workloads does SJF deliver the same turnaround times as FIFO?

Answer:

Whenever the processes arrive at the same time and they have same length both SJF and FIFO returns the same turnaround time as shown in question number 1.

Question No.05:

For what types of workloads and quantum lengths does SJF deliver the same response times as RR?

Answer:

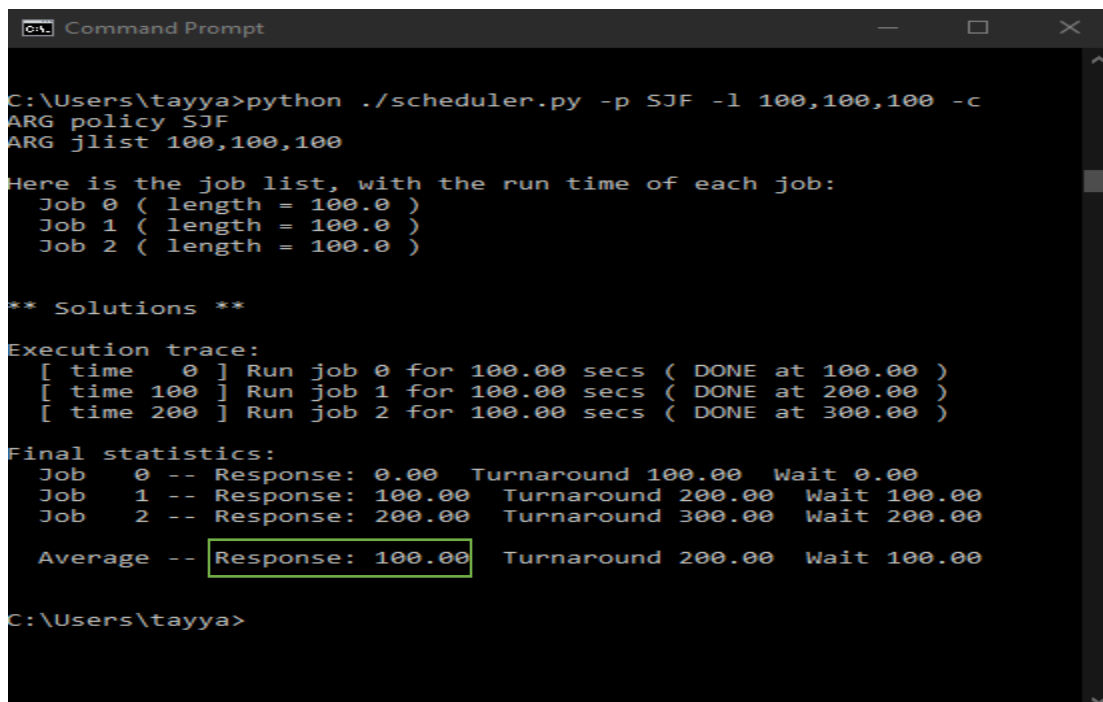
Whenever quantum 'q' becomes equal to the length of process SJF and RR returns the same response time.

Question No.06:

What happens to response time with SJF as job lengths increase? Can you use the simulator to demonstrate the trend?

Answer:

When length of the job increases, the response time also increases. This is shown in the screenshots below.



```
C:\Users\tayya>python ./scheduler.py -p SJF -l 100,100,100 -c
ARG policy SJF
ARG jlist 100,100,100

Here is the job list, with the run time of each job:
  Job 0 ( length = 100.0 )
  Job 1 ( length = 100.0 )
  Job 2 ( length = 100.0 )

** Solutions **

Execution trace:
[ time 0 ] Run job 0 for 100.00 secs ( DONE at 100.00 )
[ time 100 ] Run job 1 for 100.00 secs ( DONE at 200.00 )
[ time 200 ] Run job 2 for 100.00 secs ( DONE at 300.00 )

Final statistics:
Job 0 -- Response: 0.00 Turnaround 100.00 Wait 0.00
Job 1 -- Response: 100.00 Turnaround 200.00 Wait 100.00
Job 2 -- Response: 200.00 Turnaround 300.00 Wait 200.00

Average -- Response: 100.00 Turnaround 200.00 Wait 100.00

C:\Users\tayya>
```

```
Command Prompt

C:\Users\tayya>python ./scheduler.py -p SJF -l 200,200,200 -c
ARG policy SJF
ARG jlist 200,200,200

Here is the job list, with the run time of each job:
  Job 0 ( length = 200.0 )
  Job 1 ( length = 200.0 )
  Job 2 ( length = 200.0 )

** Solutions **

Execution trace:
[ time 0 ] Run job 0 for 200.00 secs ( DONE at 200.00 )
[ time 200 ] Run job 1 for 200.00 secs ( DONE at 400.00 )
[ time 400 ] Run job 2 for 200.00 secs ( DONE at 600.00 )

Final statistics:
Job 0 -- Response: 0.00 Turnaround 200.00 Wait 0.00
Job 1 -- Response: 200.00 Turnaround 400.00 Wait 200.00
Job 2 -- Response: 400.00 Turnaround 600.00 Wait 400.00

Average -- Response: 200.00 Turnaround 400.00 Wait 200.00

C:\Users\tayya>
```

```
Command Prompt

C:\Users\tayya>python ./scheduler.py -p SJF -l 300,300,300 -c
ARG policy SJF
ARG jlist 300,300,300

Here is the job list, with the run time of each job:
  Job 0 ( length = 300.0 )
  Job 1 ( length = 300.0 )
  Job 2 ( length = 300.0 )

** Solutions **

Execution trace:
[ time 0 ] Run job 0 for 300.00 secs ( DONE at 300.00 )
[ time 300 ] Run job 1 for 300.00 secs ( DONE at 600.00 )
[ time 600 ] Run job 2 for 300.00 secs ( DONE at 900.00 )

Final statistics:
Job 0 -- Response: 0.00 Turnaround 300.00 Wait 0.00
Job 1 -- Response: 300.00 Turnaround 600.00 Wait 300.00
Job 2 -- Response: 600.00 Turnaround 900.00 Wait 600.00

Average -- Response: 300.00 Turnaround 600.00 Wait 300.00

C:\Users\tayya>
```


Question No.07:

What happens to response time with RR as quantum lengths increase? Can you write an equation that gives the worst-case response time, given N jobs?

Answer:

When quantum length is increased, response time of Round Robin (RR) also increases. For the worst-case response time $\frac{(N-1)*q}{N}$ can be used.

```
Command Prompt
[ time 400 ] Run job 1 for 10.00 secs
[ time 410 ] Run job 2 for 10.00 secs
[ time 420 ] Run job 0 for 10.00 secs
[ time 430 ] Run job 1 for 10.00 secs
[ time 440 ] Run job 2 for 10.00 secs
[ time 450 ] Run job 0 for 10.00 secs
[ time 460 ] Run job 1 for 10.00 secs
[ time 470 ] Run job 2 for 10.00 secs
[ time 480 ] Run job 0 for 10.00 secs
[ time 490 ] Run job 1 for 10.00 secs
[ time 500 ] Run job 2 for 10.00 secs
[ time 510 ] Run job 0 for 10.00 secs
[ time 520 ] Run job 1 for 10.00 secs
[ time 530 ] Run job 2 for 10.00 secs
[ time 540 ] Run job 0 for 10.00 secs
[ time 550 ] Run job 1 for 10.00 secs
[ time 560 ] Run job 2 for 10.00 secs
[ time 570 ] Run job 0 for 10.00 secs ( DONE at 580.00 )
[ time 580 ] Run job 1 for 10.00 secs ( DONE at 590.00 )
[ time 590 ] Run job 2 for 10.00 secs ( DONE at 600.00 )

Final statistics:
Job 0 -- Response: 0.00 Turnaround 580.00 Wait 380.00
Job 1 -- Response: 10.00 Turnaround 590.00 Wait 390.00
Job 2 -- Response: 20.00 Turnaround 600.00 Wait 400.00

Average -- Response: 10.00 Turnaround 590.00 Wait 390.00

C:\Users\tayya>
```

```
Command Prompt
C:\Users\tayya>python ./scheduler.py -p RR -l 200,200,200 -q 100 -c
ARG policy RR
ARG jlist 200,200,200

Here is the job list, with the run time of each job:
Job 0 ( length = 200.0 )
Job 1 ( length = 200.0 )
Job 2 ( length = 200.0 )

** Solutions **

Execution trace:
[ time 0 ] Run job 0 for 100.00 secs
[ time 100 ] Run job 1 for 100.00 secs
[ time 200 ] Run job 2 for 100.00 secs
[ time 300 ] Run job 0 for 100.00 secs ( DONE at 400.00 )
[ time 400 ] Run job 1 for 100.00 secs ( DONE at 500.00 )
[ time 500 ] Run job 2 for 100.00 secs ( DONE at 600.00 )

Final statistics:
Job 0 -- Response: 0.00 Turnaround 400.00 Wait 200.00
Job 1 -- Response: 100.00 Turnaround 500.00 Wait 300.00
Job 2 -- Response: 200.00 Turnaround 600.00 Wait 400.00

Average -- Response: 100.00 Turnaround 500.00 Wait 300.00

C:\Users\tayya>
```