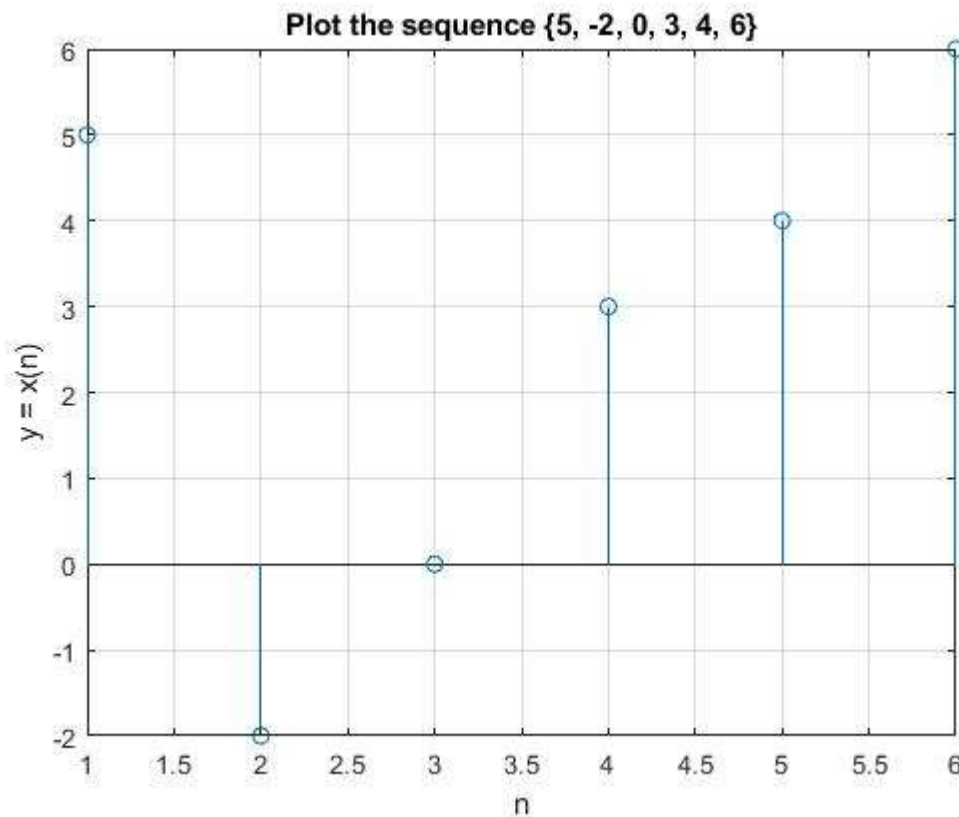


Task-1: Plot the sequence, {5, -2, 0, 3, 4, 6}

Solution:

```
%Plot the sequence, {5, -2, 0, 3, 4, 6}.  
  
y = [5 -2 0 3 4 6];  
  
stem(y);  
  
title("Plot the sequence, {5, -2, 0, 3, 4, 6}, 'r'");  
  
xlabel('n');  
  
ylabel('y = x(n)');  
  
grid on;
```

Output:



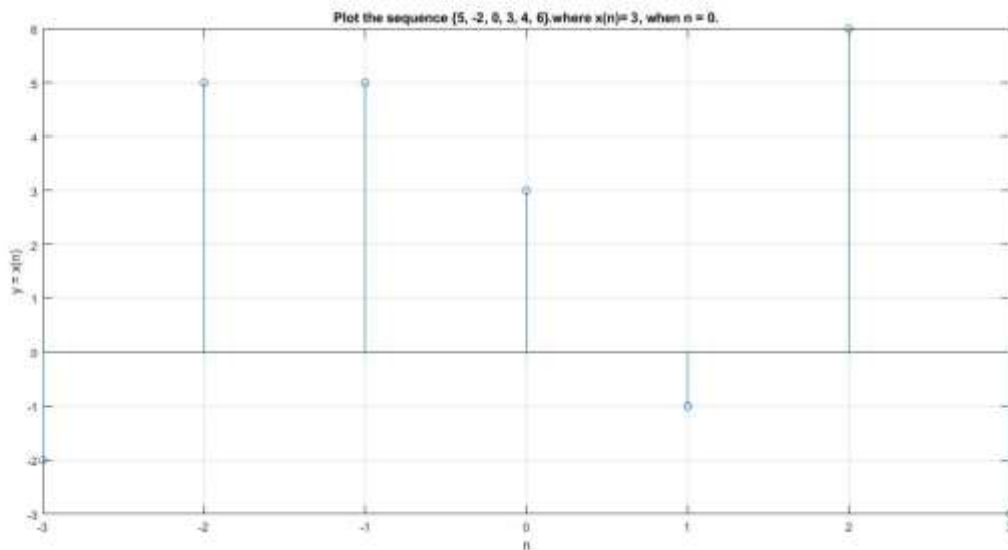
Observation: This is the discrete time sequence where n are the samples and $x(n)$ are the corresponding discrete values. In where x -axis represents n samples and y -axis represents $x(n)$ signal.

Task-1.1: Plot the sequence, $x = \{-2, 5, 5, 3, -1, 6, -3\}$

Solution:

```
%Plot the sequence {-2, 5, 5, 3, -1, 6, -3}.  
%where  $x(n) = 3$ , when  $n = 0$   
y = [-2 5 5 3 -1 6 -3];  
  
x = [-3:3]  
  
stem(x,y)  
  
xlabel('n')  
  
ylabel('y = x(n)')  
  
grid on
```

Output:



Observation: This is the discrete time sequence where n are the samples and $x(n)$ are the corresponding discrete values. In where $n = 0$, and $x(0) = 5$. In where x-axis represents n samples and y-axis represents $x(n)$ signal.

Task-2: Plot of the exponential sequence, $y(n) = ar^n$ for $a = 2$, $r = 0.8$ and 1.2

Solution:

```
a = 2;           % given
r = 0.8;         % given

n = 0 : 1 : 20;  % assume 0 to 20 [0 20] values
                  increasing by 1

y = a*r.^n;      % notice r.^n

subplot(2, 1, 1);

stem(n , y);
title('y=ar^n , where r < 1 ');

xlabel('x = n ');

ylabel('y = x(n) ');
grid on;

r = 1.2 ;
y = a*r.^n;

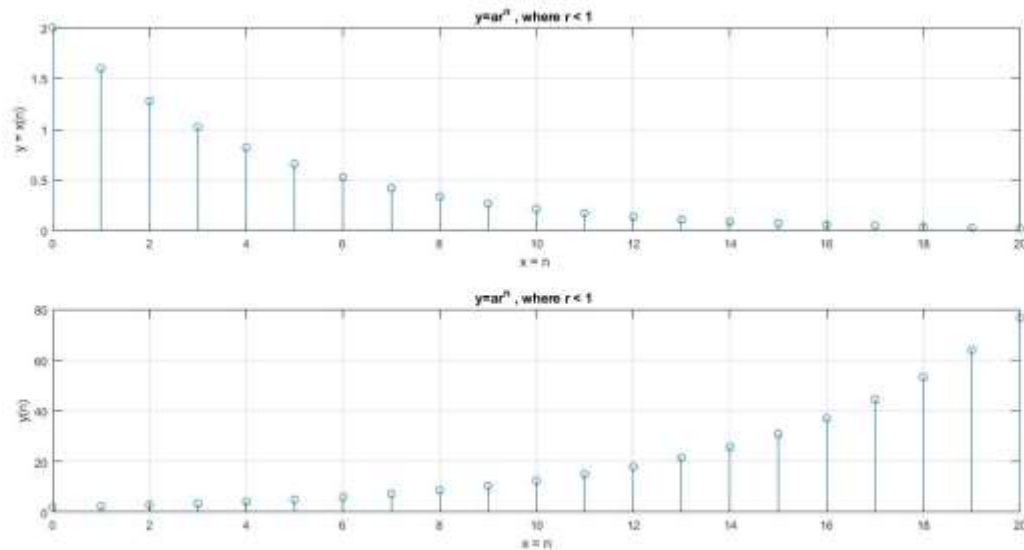
subplot(2,1, 2);
stem(n, y);
title('y=ar^n , where r < 1 ');

xlabel('x = n');

ylabel('y(n) ');

grid on;
```

Output:



Observation: This is the exponential sequence $y(n) = ar^n$ for $a = 2$, $r = 0.8$ and 1.2 where n are the samples and $y(n)$ are the corresponding discrete values. In where x -axis represents n samples and y -axis represents $y(n)$ signal. When n is increased then $y(n)$ is also increased exponentially.

Task3: Plot the periodic sequence, $x[n] = \{\dots 5, 4, 3, 2, 1, 5, 4, 3, 2, 1, 5, 4, 3, 2, 1, 5, 4, 3, 2, 1, \dots\}$ for $n = -10$ to 9 .

Solution:

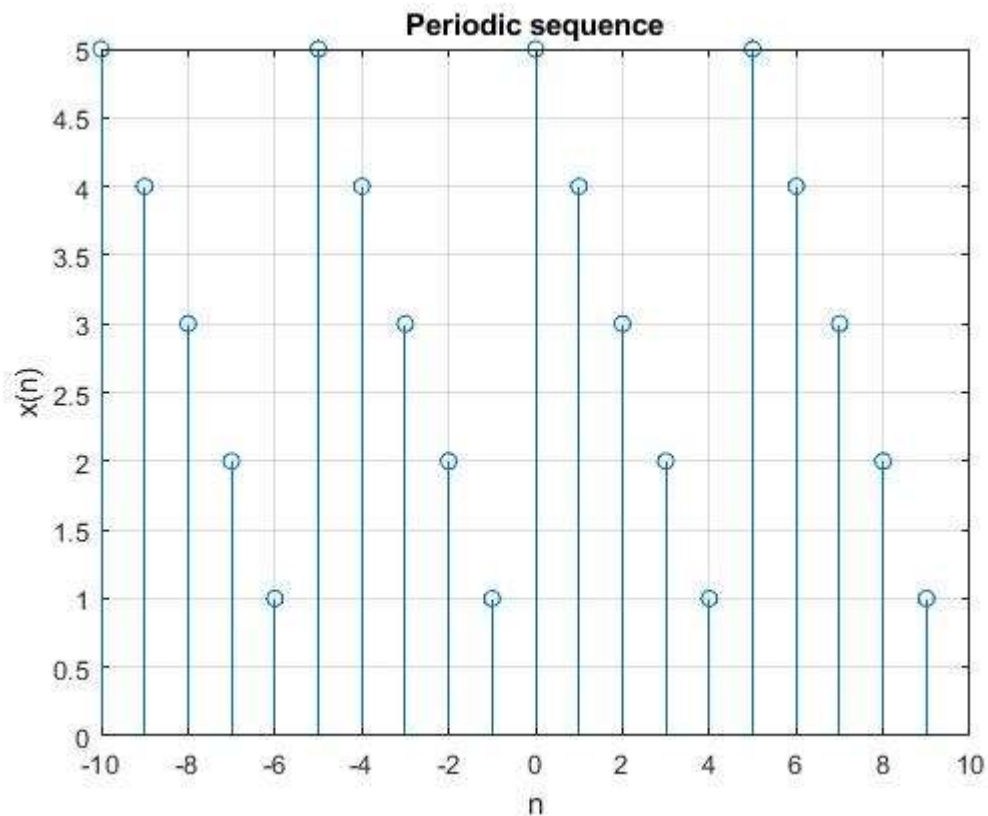
```
% Plot the periodic sequence,  
% x[n] = {...5,4,3,2,1, 5,4,3,2,1, 5,4,3,2,1,  
5,4,3,2,1.....}  
% for n = -10 to 9  
n = [-10:9];  
x=[5,4,3,2,1];  
p=4;  
xy=x' * ones(1,p); % xy indicates, p=4 column of  
vectors of [ 5, 4 , 3, 2 , 1]  
xy = (xy(:)); % a long column vector will be converted  
stem(n,xy);
```

```

title("Periodic sequence");
xlabel('n');
ylabel('x(n)');
grid on;

```

Output:



Observation: This is the periodic sequence $x[n] = \{...5,4,3,2,1, 5,4,3,2,1, 5,4,3,2,1, 5,4,3,2,1,.....\}$ for $n = -10$ to 9 . where n are the samples and $y(n)$ are the corresponding discrete values. In where x -axis represents n samples and y -axis represents $y(n)$ signal. When n is increased then $y(n)$ is also increased periodically.

Task4 :Plot the sequence of $x(n)=\{0, -1, 2, 5, 7, -4, 3, -5, 6, -2\}$, $y(n) = x(n-2)$, and $z(n) = x(n)+y(n)$.

Solution:

```

n = -4:5;
x=[0 -1 2 5 7 -4 3 -5 6 -2];

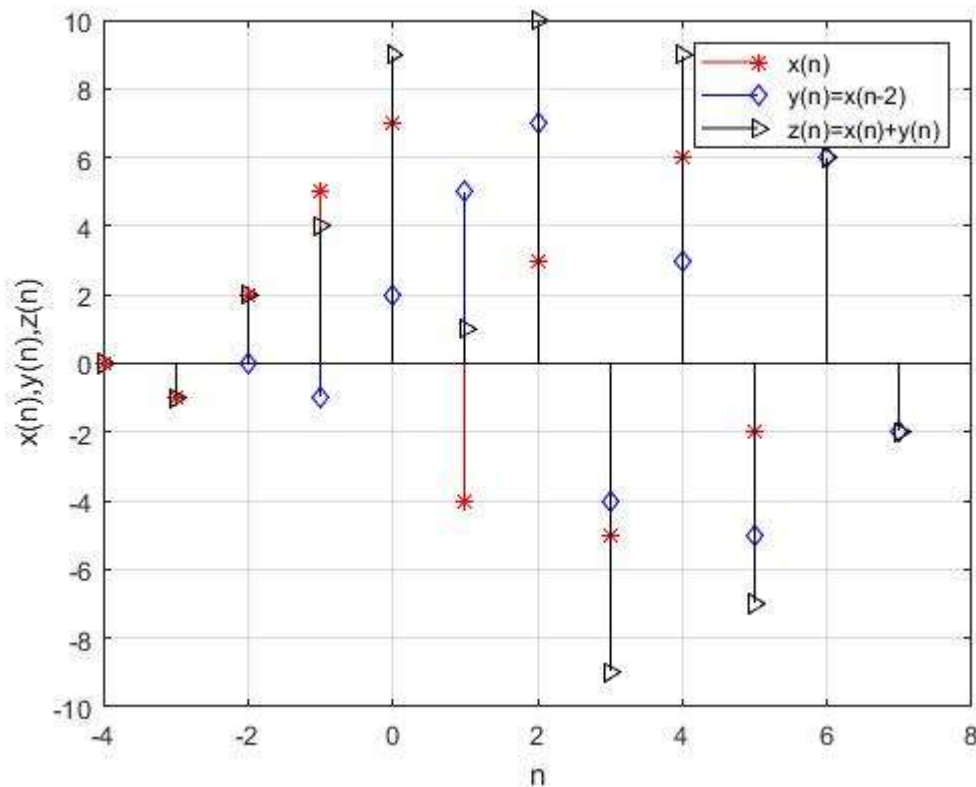
```

```

stem(n,x,'r*');
hold on;
k=2;
m=n+k;
y=x;
stem(m,y,'bd');
hold on;
r=min(min(n),min(m)):max(max(n),max(m)); %duration of z
z1=zeros(1,length(r));
z2=z1; %initialization
z1(find((r>=min(n)) & (r<=max(n))==1))=x; %x with
duration of z
z2(find((r>=min(m)) & (r<=max(m))==1))=y; %y with
duration of z
z=z1+z2;
stem(r,z,'k>');
grid on;
xlabel('n');
ylabel('x(n),y(n),z(n)');
legend('x(n)', 'y(n)=x(n-2)', 'z(n)=x(n)+y(n)')

```

Output:



Observation: This is the shifting sequence of $x(n)=\{0, -1, 2, 5, 7, -4, 3, -5, 6, -2\}$, $y(n) = x(n-2)$, and $z(n) = x(n)+y(n)$. where n are the samples and $y(n)$ are the corresponding discrete values. In where x -axis represents n samples and y -axis represents $y(n)$ signal. $y(n)$ shifted 2 times to the right.

Task5: For discrete time sequence, a sinusoidal wave is periodic if its frequency is a rational number like, $f = M/K$. Period of the wave is the denominator i.e. K .

Solution:

```
% For discrete time sequence, a sinusoidal wave is
periodic
% if its frequency is a rational number like,
%  $f = M / K$ . Period of the wave is the denominator i.e.
 $K$ .
```

```
% periodic sinusoidal wave
```

```
x = [0 : 1 : 50]; % assume 0 to 50 discrete values
increasing by 1
```

```
N = 20; % assume cycle completed when x = 20
,
```

```
% after 20, next cycle occurs, so
period = 20
```

```
% so  $N = \text{period}$ 
```

```
f = 1/N;
```

```
y = sin(2 * pi * f * x); % sine wave =  $\sin(2.\pi.f.x)$ 
```

```
subplot(2,1,1);
```

```
stem(x, y);
```

```
title(' sine wave =  $\sin(2.\pi.f.x)$ ');
```

```
xlabel('x');
```

```
ylabel('y = x(n)');
```

```

grid on;

% Non-periodic sinusoidal wave

N = sqrt(20); % root(N) = irrational so it produces
non periodic

f= 1/N;

y = sin(2*pi*f*x);

subplot(2,1,2);

stem(x,y);

title('Non Periodic Sine wave');

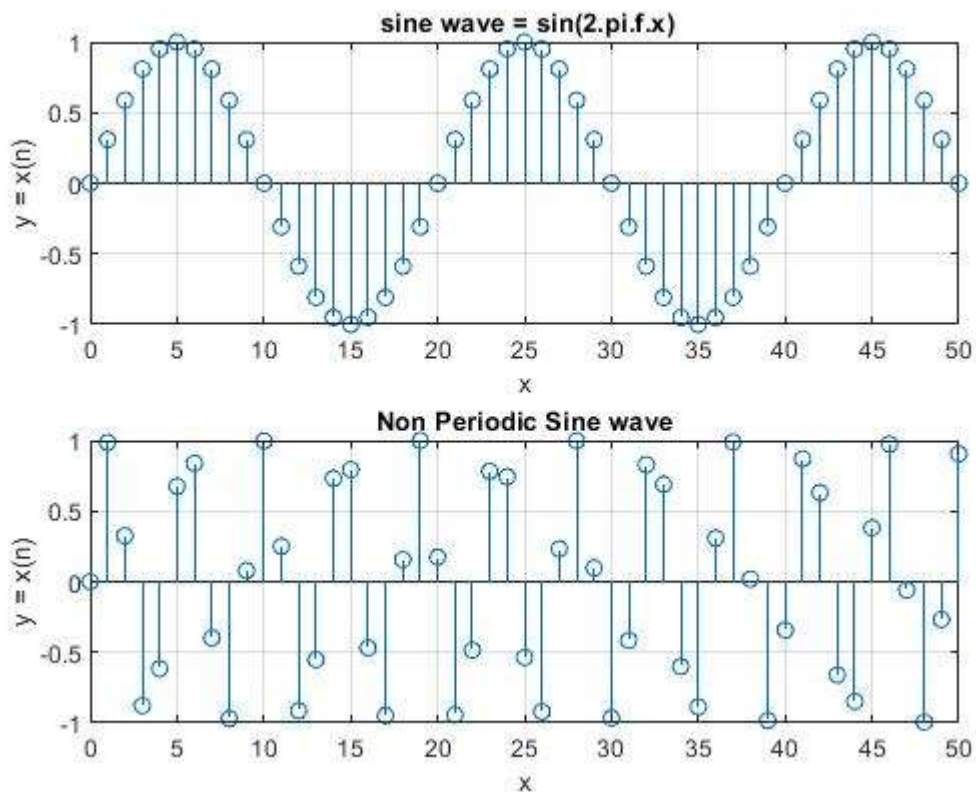
xlabel('x');

ylabel('y = x(n)');

grid on;

```

Output:



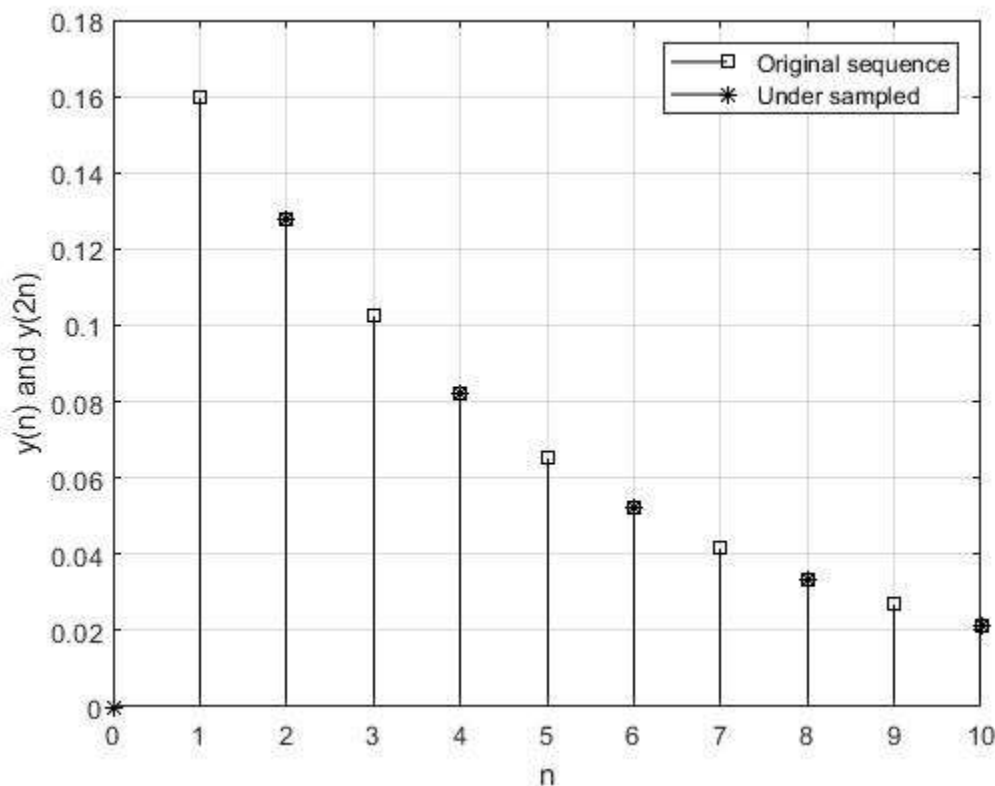
Observation: This is the discrete time sequence of $x(n)$. As we know a sinusoidal wave is periodic if its frequency is a rational number like, $f = M / K$. Period of the wave is the denominator i.e. K . Where n are the samples and $y(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $y(n)$ signal.

Task6: The sampling rate of $y(2n)$ is half the rate of $y(n)$ therefore $y(2n)$ is called the under sampled version of $y(n)$. Let us verify the phenomenon.

Solution:

```
a=0.2;  
r=0.8;  
N=10;  
for n=1:N,  
s(n)=n;  
y(n)=a*r.^n;  
end  
M=N/2;  
for m=1:M,  
m=2*m;  
p(m)=m;  
z(m)= y(m) ;  
end  
stem(s,y,'ks')%Original sequence y(n)  
hold on  
stem(p,z,'k*')%under sampled sequence y(2n)  
xlabel('n')  
ylabel('y(n) and y(2n)')  
grid on  
legend('Original sequence', 'Under sampled')
```

Output:



Observation: This is the discrete time sequence of $x(n)$. The sampling rate of $y(2n)$ is half the rate of $y(n)$ therefore $y(2n)$ is called the under sampled version of $y(n)$. Where n are the samples and $y(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $y(n)$ signal.

Task7: Determine convolution of two sequences $A = \{6, 2, 0, 5, 6\}$ and $B = \{-4, -2, 1, 0, 7\}$ and find the length of resultant sequence.

Solution:

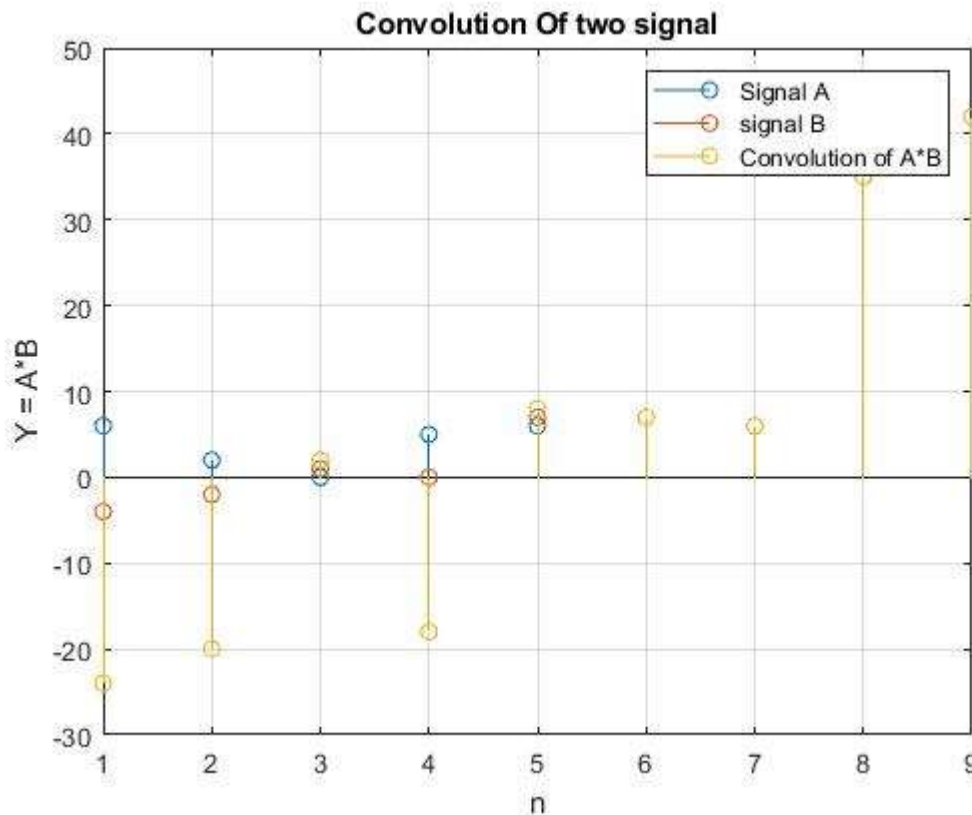
```
% Determine convolution of two sequences
% A = {6, 2, 0, 5, 6} and B = {-4, -2, 1, 0, 7}
% Find the length of resultant sequence.
A = [6 2 0 5 6];
B = [-4 -2 1 0 7];
Y = conv(A,B);
stem(A);
hold on;
```

```

stem(B);
hold on;
stem(Y);
title('Convolution Of two signal');
xlabel('n');
ylabel('Y = A*B');
legend('Signal A', 'signal B', 'Convolution of A*B');
grid on;

```

Output:



Observation: This is the discrete time sequence of $x(n)$. Here I found convolution of two sequences $A = \{6, 2, 0, 5, 6\}$ and $B = \{-4, -2, 1, 0, 7\}$ and the length of resultant sequence. Where n are the samples and $y(n)$ are the corresponding discrete values. In where x -axis represents n samples and y -axis represents $y(n)$ signal.

Task-8: Generate 100 random numbers between 0 and 1. Add them with an exponential sequence as a random noise. Plot both noisy and noiseless signals.

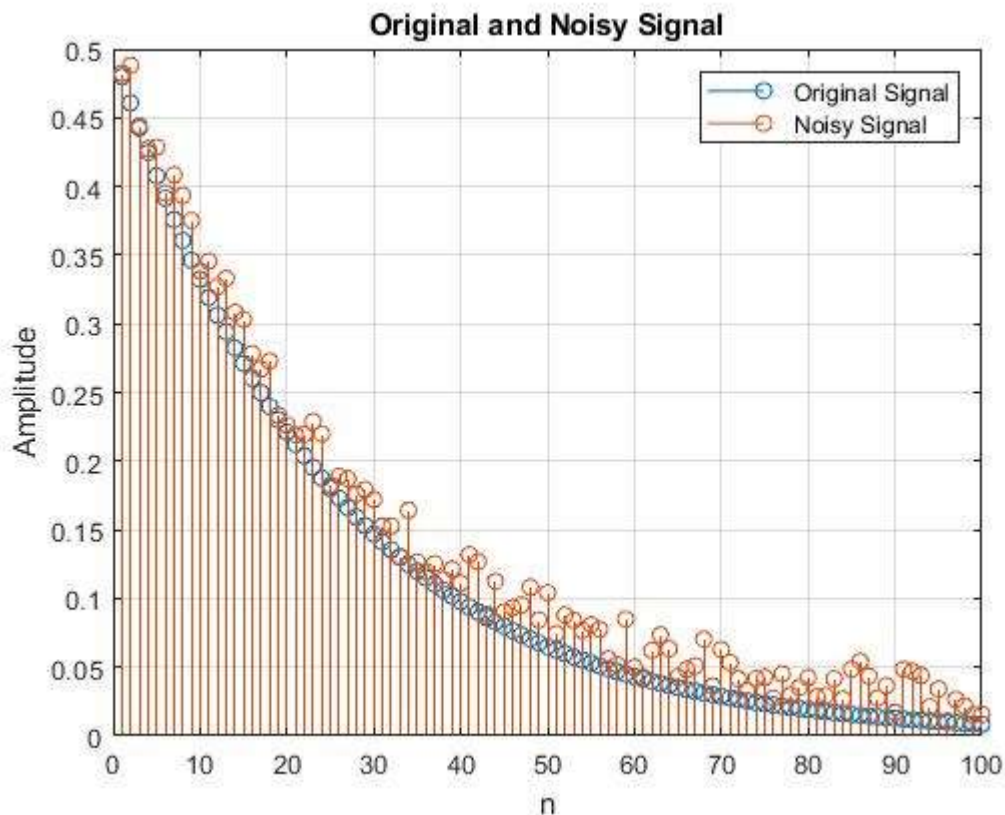
Solution:

```
% Generate 100 random numbers between 0 and 1.
% Add them with an exponential sequence as a random
noise.
% Plot both noisy and noiseless signals.

a = 0.5; % assume
r = 0.96; % assume
N = 100; % as we want to generate 100 random numbers

for n = 1:N
    e(n) = n;
    y(n) = a*r.^n;
    Y(n) = y(n) + 0.04*rand(); % noise 0.04 adding with
random number
end
stem(e,y)
hold on
stem(e,Y)
hold on
title('Original and Noisy Signal')
xlabel('n')
ylabel('Amplitude')
legend('Original Signal','Noisy Signal')
grid on
```

Output:



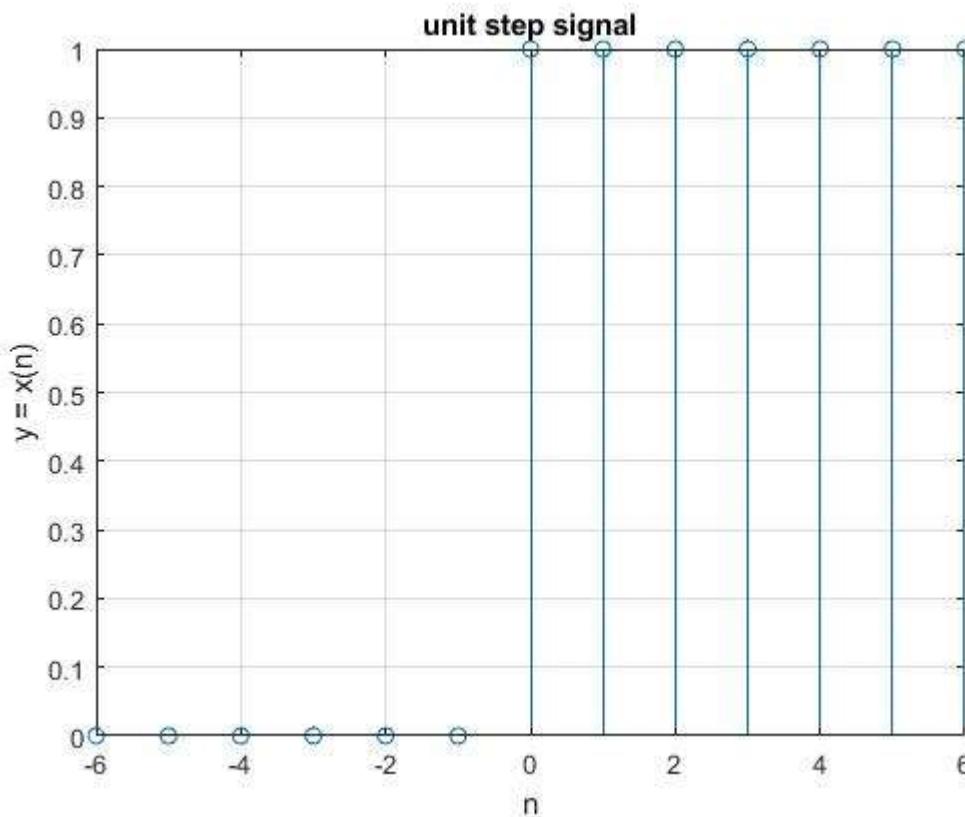
Observation: This is the discrete time sequence of $x(n)$. Here I found 100 random numbers between 0 and 1. Add them with an exponential sequence as a random noise. Then plot both noisy and noiseless signals. Where n are the samples and $y(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $y(n)$ signal.

Task-9.1: Generate a unit step sequence for $n = [-6, 6]$

Solution:

```
%Generate a unit step sequence for n = [-6, 6]
n = [-6:6];
y = [0 0 0 0 0 0 1 1 1 1 1 1 1];
stem(n, y)
title('unit step signal')
xlabel('n')
ylabel('y = x(n)')
grid on
```

Output:



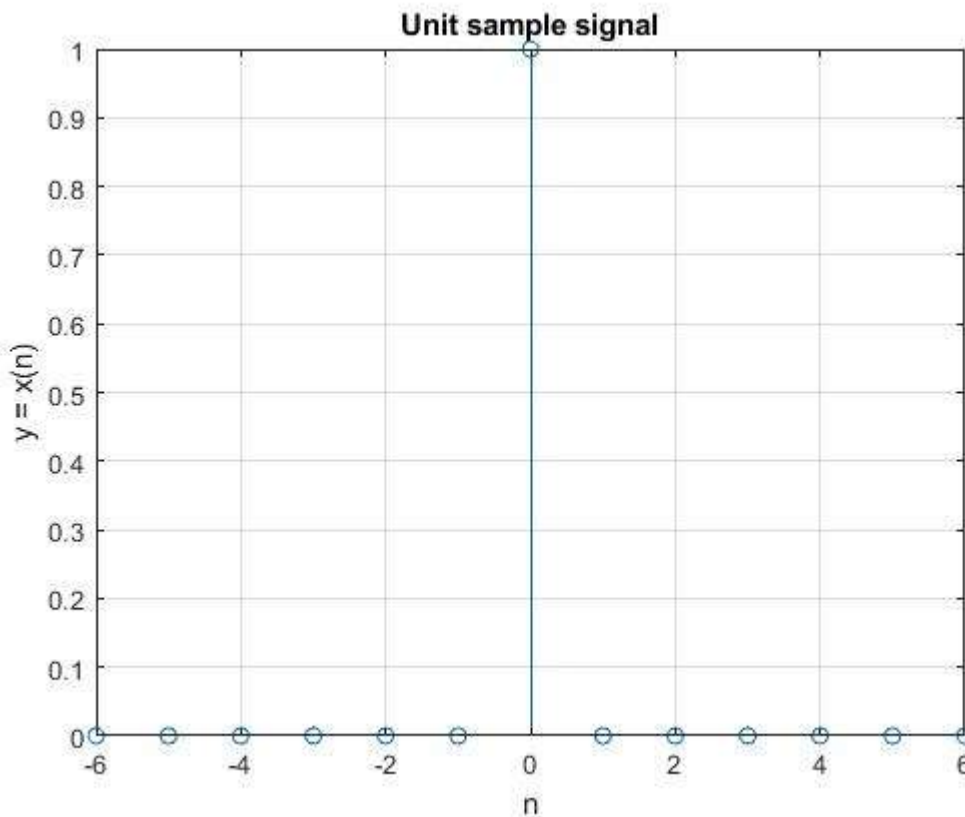
Observation: This is the unit step sequence for $n = [-6, 6]$. Where n are the samples and $x(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $x(n)$ signal.

Task-9.2: Generate a unit sample sequence for $n = [-6, 6]$.

Solution:

```
n = [-6:6];  
y = [0 0 0 0 0 0 1 0 0 0 0 0 0];  
stem(n, y)  
title('Unit sample signal')  
xlabel('n')  
ylabel('y = x(n)')  
grid on
```

Output:



Observation: This is the unit sample sequence for $n = [-6, 6]$. Where n are the samples and $x(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $x(n)$ signal.

Task-10: Computes the two-dimensional convolution of matrices

$$A = \begin{bmatrix} 1 & -2 & 0 \\ 3 & 4 & -11 \\ 6 & -5 & 2 \end{bmatrix}$$

$$B = \begin{bmatrix} -3 & 2 & -8 \\ 2 & -7 & 0 \\ -1 & 4 & -1 \end{bmatrix}$$

Solution:

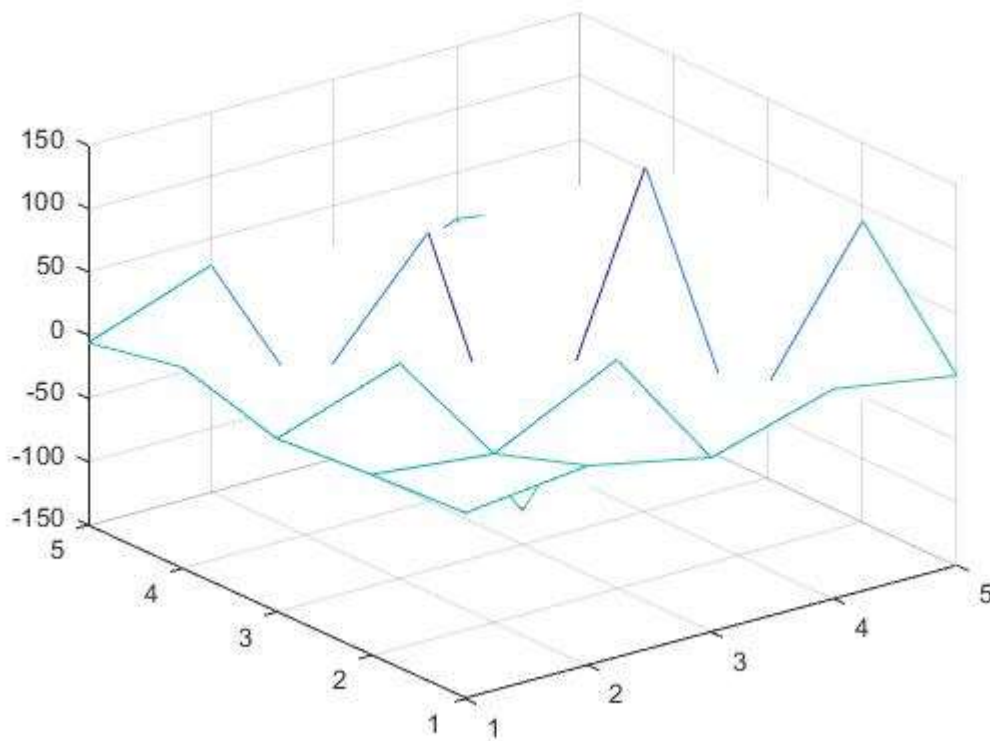
$$A = [1 \ -2 \ 0; \ 3 \ 4 \ -11; \ 6 \ -5 \ 2]$$

$$B = [-3 \ 2 \ -8; \ 2 \ -7 \ 0; \ -1 \ 4 \ -1]$$

```
Y = conv2(A,B) % for two dimensional we used conv2 ,  
for 1 dimation used conv  
mesh(Y)
```

```
% It is used to generate 3D surface plot of which x, y  
co-ordinates  
% are decided by column and row indices of the input  
matrix 'Z'.
```

Output:



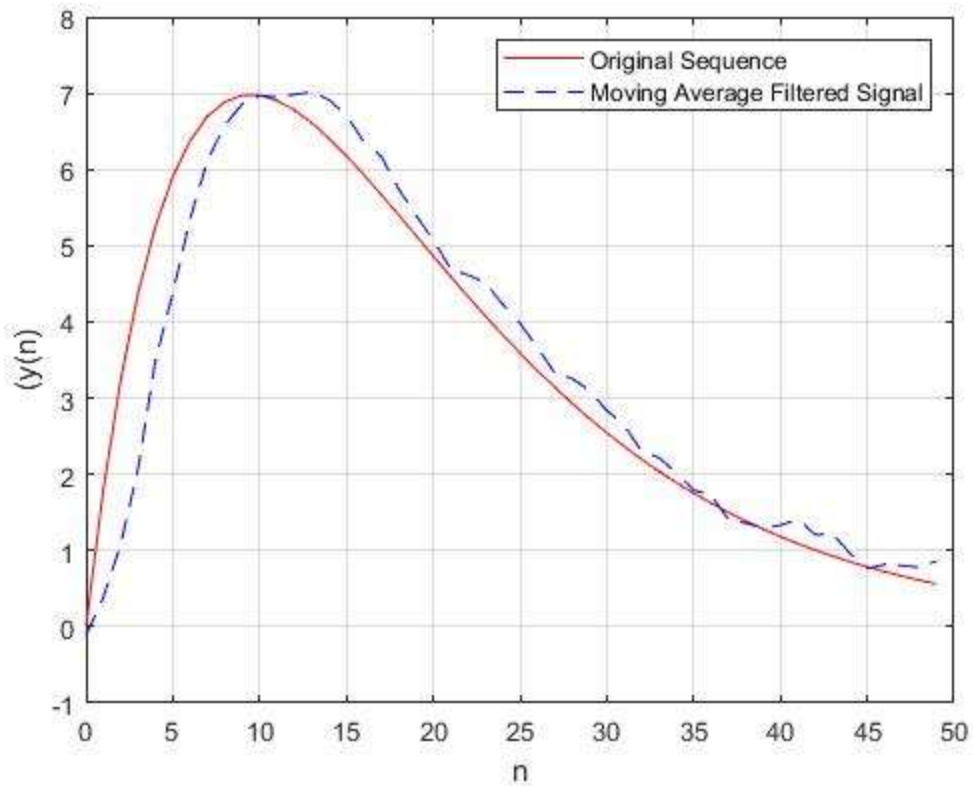
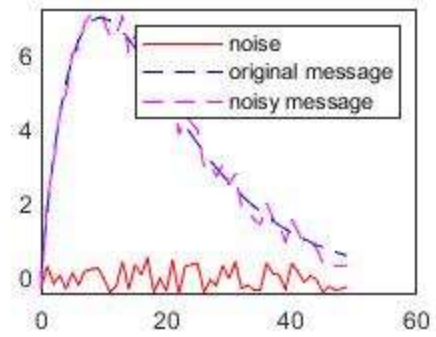
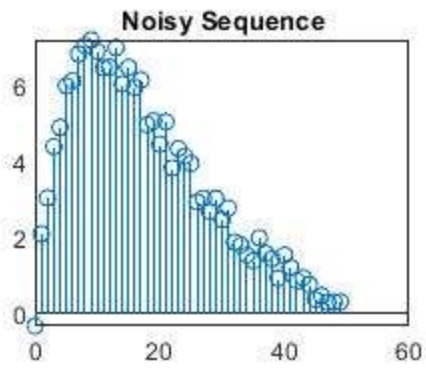
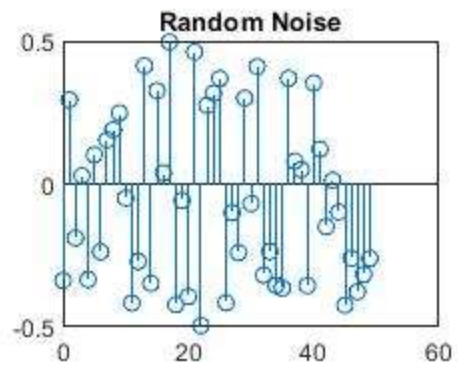
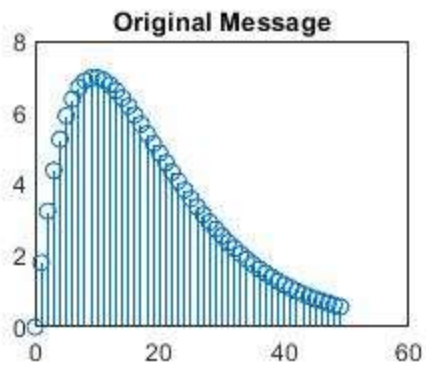
Observation: This is the discrete sequence of $x(n)$. Here computing the two-dimensional convolution of matrices using mesh. Where n are the samples and $x(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $x(n)$ signal.

Task-11: Generate 50 random numbers in the range $[-1, 1]$ and add it with the sequence $x(n) = 2n(0.9)^n$. Pass the noisy signal through a moving average filter and observe the signal before and after filtering.

Solution:

```
N=50;%number of samples
m=0:1:N-1;
d=rand(N,1)-0.5;%noise with mean 0 and lies between -
0.5 to 0.5
s=2*m.*(0.9.^m);%original Sequence
x=s+d'; %noisy sequence
subplot(2,2,1)
stem(m,s)
title('Original Message')
subplot(2,2,2)
stem(m,d)
title('Random Noise')
subplot(2,2,3)
stem(m, x)
title('Noisy Sequence')
subplot(2,2,4)
plot(m, d, 'r-', m, s, 'b--', m, x, 'm--')
legend('noise','original message','noisy message')
M=input('Value of M=');% Value of M from key board
b=ones(M, 1)/M;
y=filter(b,1,x);
plot(m,s,'r-',m,y,'b--')
legend('Original Sequence','Moving Average Filtered
Signal')
grid on
xlabel('n')
ylabel('(y(n)')
```

Output:



Observation: Here 50 random numbers in the range $[-1, 1]$ and adding it with the sequence $x(n) = 2n(0.9)^n$. Passing the noisy signal through a moving average filter and observe the signal before and after filtering. Where n are the samples and $x(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $x(n)$ signal.

Task-12: listen to the speech signal with noise removal.

Solution:

```
load handel %original music signal
u=y(1:20000);
sound(u);

d=0.5*rand(length(u),1)-0.5;%noise with mean 0 and lies
between -0.25 to 0.25
x=u+d; %noisy sequence
sound(x)

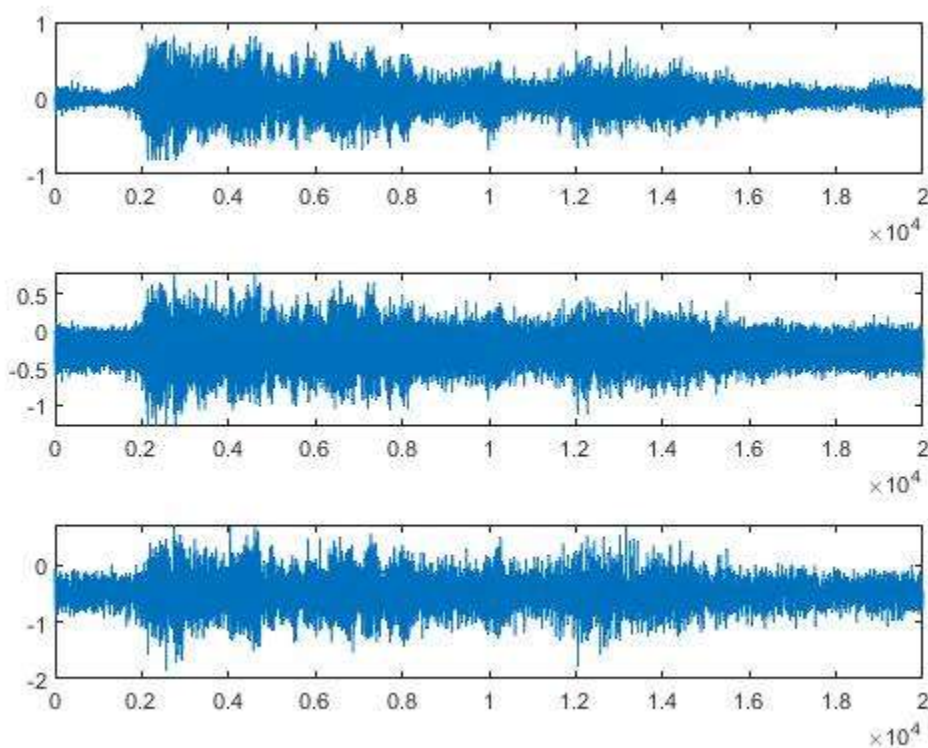
M=5;% Value of M
b=ones(M,1)/M;
z=2*filter(b,1,x);

sound(z)
subplot(3,1,1)
plot(u)

subplot(3,1,2)
plot(x)
subplot(3,1,3)

plot(z)
```

Output:



Observation: Here listening to the speech signal with noise removal. Where n are the samples and $x(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $x(n)$ signal.

Task-13: Elimination of noise by moving average method. Let us first load a voice or music signal and add some noise with it. Finally we will filter the signal and observe the signals and corresponding spectrograms.

Solution:

```
load handel %original signal
u=y(1:16000);

[num,den]=ellip(4,3,40,0.75,'high');
noise=filter(num,den,randn(length(u),1));

x=u+noise;
```

```
x=x/max(max(x));  
M=5;% 5 sample will be averaged
```

```
b=ones(M,1)/M;  
z=2*filter(b,1,x);
```

```
figure(1)  
subplot(1,3,1)
```

```
specgram(u,[],Fs)  
title('Original wave')
```

```
subplot(1,3,2)  
specgram(x,[],Fs)
```

```
title('Noisy wave')  
subplot(1,3,3)
```

```
specgram(z,[],Fs)  
title('Filtered wave')
```

```
figure(2)  
subplot(3,1,1)
```

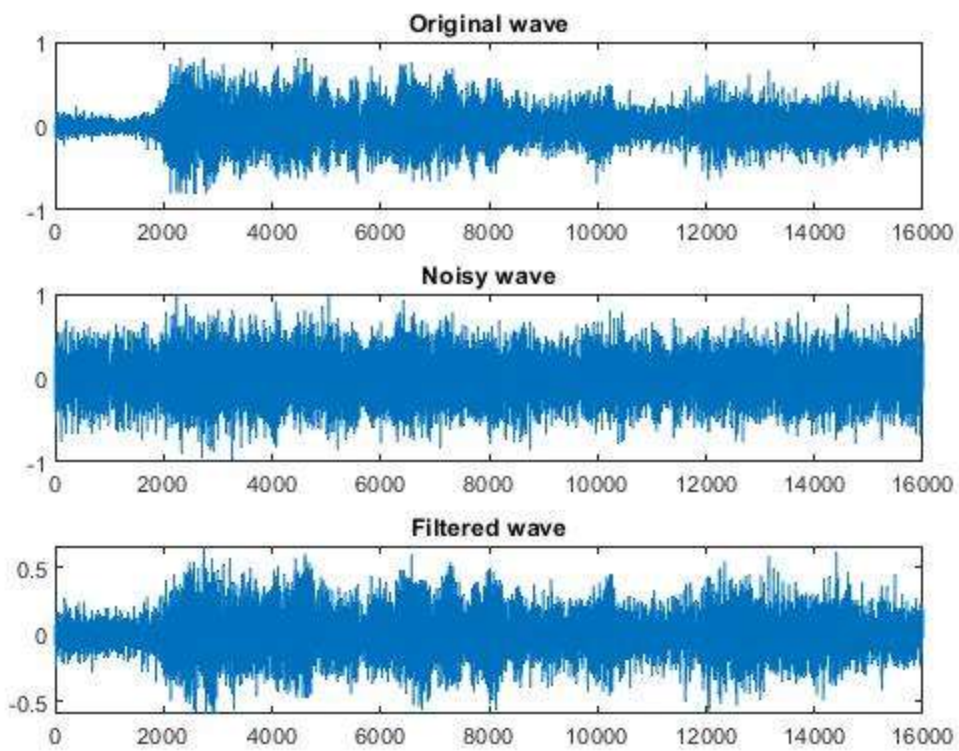
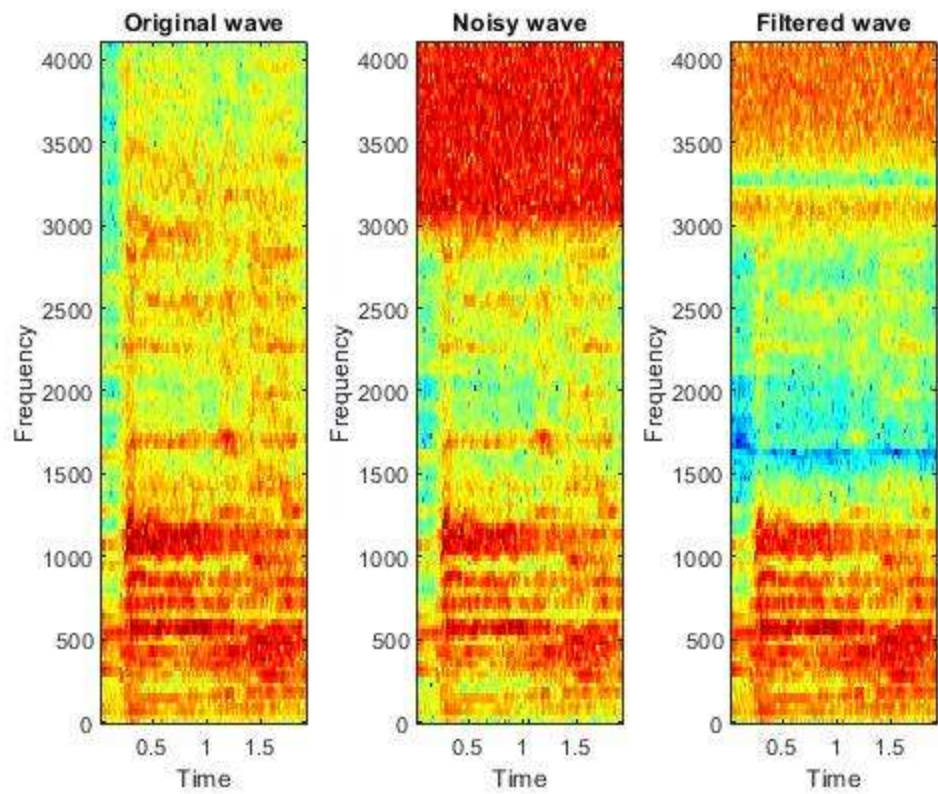
```
plot(u)  
title('Original wave')
```

```
subplot(3,1,2)  
plot(x)
```

```
title('Noisy wave')  
subplot(3,1,3)
```

```
plot(z)  
title('Filtered wave')
```

Output:



Observation: Here I am using elimination of noise by moving average method. At first load a voice or music signal and add some noise with it. Finally I will filter the signal and observe the signals and corresponding spectrograms. Where n are the samples and $x(n)$ are the corresponding discrete values. In where x-axis represents n samples and y-axis represents $x(n)$ signal.