

Task-1: Consider a continuous time signal, $x(t) = \sin(2\pi 2000t) + \frac{1}{2} \sin(2\pi 200t + \frac{3\pi}{4})$
Determine sampled signal $x(n.T_s) = x(n)$, using matlab, taking $N = 8$ samples at
sampling
rate, $F_s = 8000\text{Hz}$ (samples/sec).

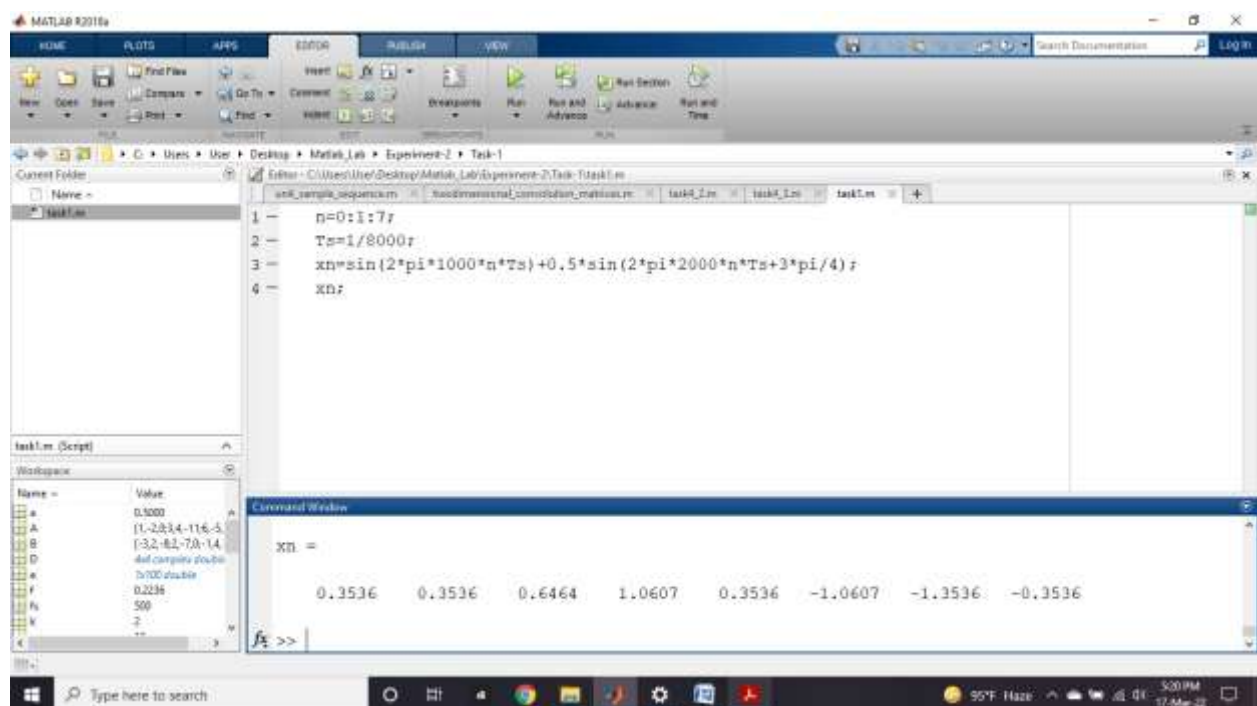
The sampled signal,

$x_s(n) = x(nT_s) = \sin(2\pi 2000nT_s) + \frac{1}{2} \sin(2\pi 200nT_s + \frac{3\pi}{4})$; Where $T_s = \frac{1}{F_s} = \frac{1}{8000}\text{sec}$
is the sampling period. Let us use matlab code to determine sampled sequence
 $x(n)$.

Solution:

```
n=0:1:7;
Ts=1/8000;
xn=sin(2*pi*1000*n*Ts)+0.5*sin(2*pi*200*n*Ts+3*pi/4);
xn;
```

Output:



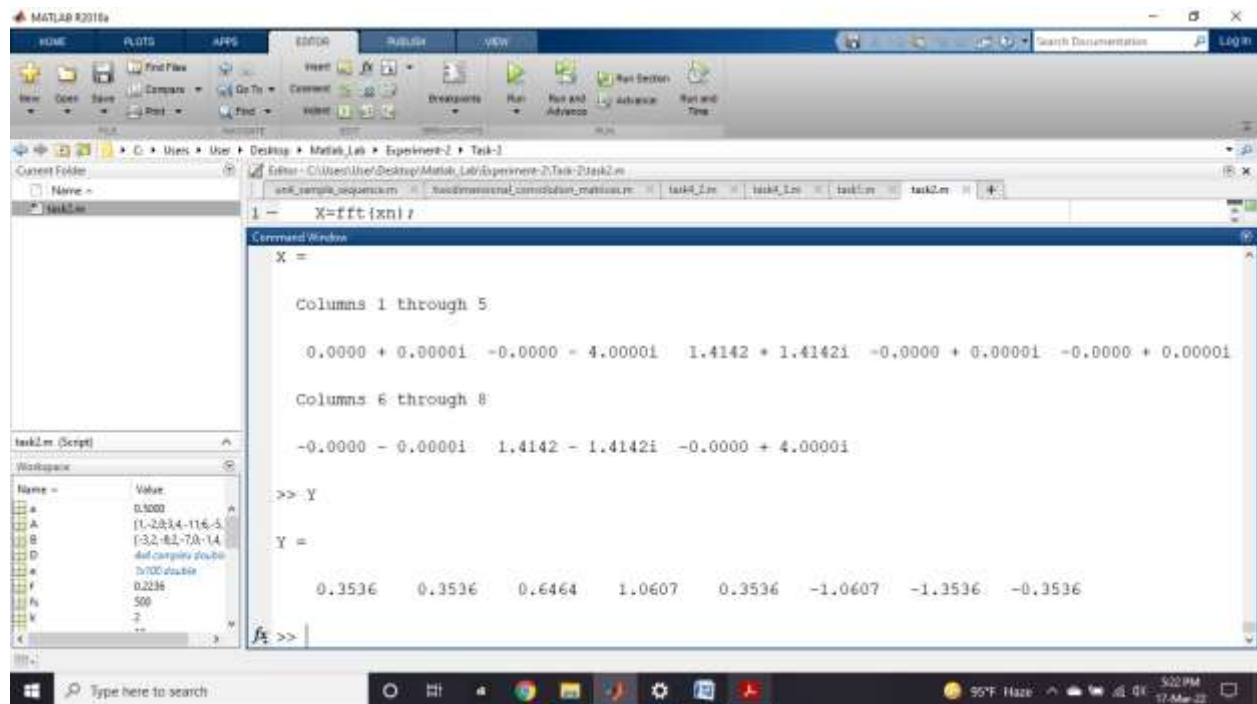
Observation: This is a continuous time signal $x(t)$. After implementation of this signal it represents the sampled signal x_n . In where x-axis represents n samples and y-axis represents $x(n)$ signal.

Task-2: Determine DFT of above sequence using Matlab.

Solution:

```
X=fft(xn);  
%IDFT of above sequence will retrieve the original  
sequence x(n) like.  
Y=ifft(X);
```

Output:



Observation: This is a continuous time signal $x(t)$. After implementation of this signal it represents how inverse discrete time fourier transformation(IDFT) is worked. In where i represents the imaginary number.

Task-3: If $x(n) \leftrightarrow X(m)$; both $x(n)$ and $X(m)$ are the vector of length N then their relation can be expressed in a different way like,

$$X = DN x$$

Where $\mathbf{x} = [x(0) \ x(1) \ x(2) \ \dots \ \dots \ x(N-1)]^T$,

$\mathbf{X} = [X(0) \ X(1) \ X(2) \ \dots \ \dots \ X(N-1)]^T$,

Determine the DN matrix of dimension of 4×4 using Matlab.

Solution:

$D = \text{dftmtx}(4)$

Output:

The screenshot shows the MATLAB R2016a interface. The Command Window displays the following output for the command `D = dftmtx(4)`:

```
>> task3
>> D
D =
1.0000 + 0.0000i 1.0000 + 0.0000i 1.0000 + 0.0000i 1.0000 + 0.0000i
1.0000 + 0.0000i 0.0000 - 1.0000i -1.0000 + 0.0000i 0.0000 + 1.0000i
1.0000 + 0.0000i -1.0000 + 0.0000i 1.0000 + 0.0000i -1.0000 + 0.0000i
1.0000 + 0.0000i 0.0000 + 1.0000i -1.0000 + 0.0000i 0.0000 - 1.0000i
```

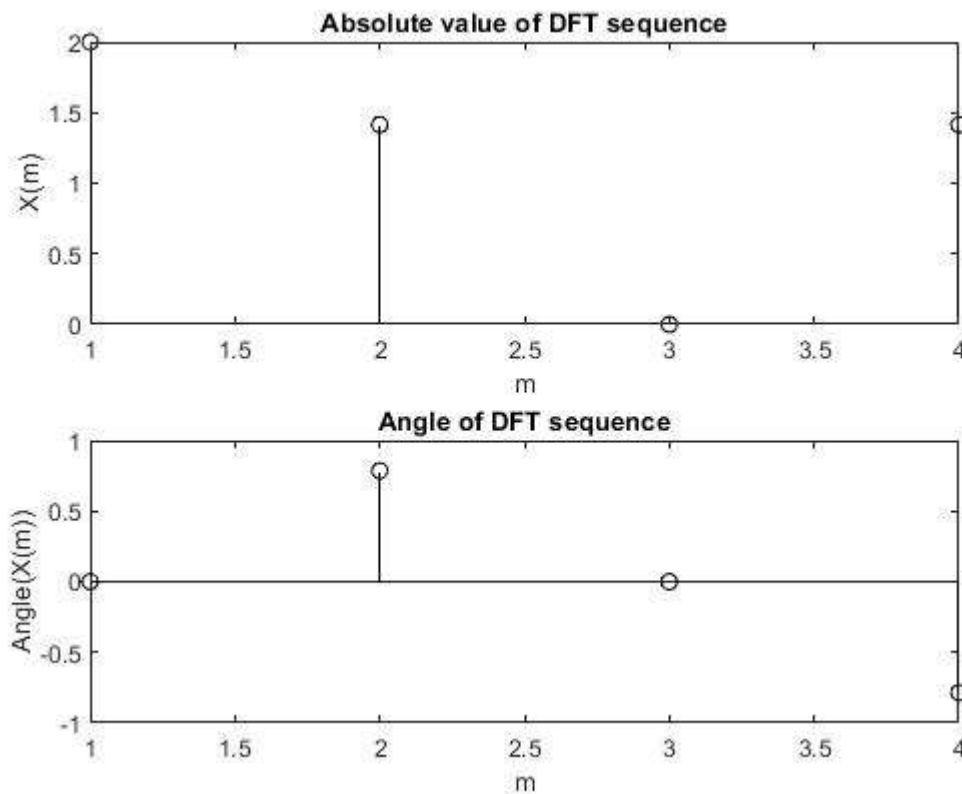
Observation: This is a continuous time signal $x(t)$. After implementation of this signal it represents the DN matrix of dimension of 4×4 . In where i represents the imaginary number.

Task-4.1: Write Matlab code to determine DFT of $x(n) = \{1, 0, 0, 1\}$ hence show the plot of $X(m)$.

Solution:

```
x=[1 0 0 1];  
y=fft(x);  
subplot(2,1,1)  
stem(abs(y), 'k')  
xlabel('m')  
ylabel('X(m)')  
title('Absolute value of DFT sequence')  
subplot(2,1,2)  
stem(angle(y), 'k')  
xlabel('m')  
ylabel('Angle(X(m))')  
title('Angle of DFT sequence')
```

Output:



Observation: This is a continuous time signal $x(t)$. After implementation of this signal it represents the absolute value of DFT and the angles of DFT. In where x-axis represents m samples and y-axis represents $x(m)$ signal.

Task-4.2: DTFT on a rectangular pulse.

Solution:

```
fs = 500;
t = -1:1/fs:1;

x = rectpuls(t,0.12);
subplot(2,2,1)

plot(t, x)
grid on

y = fft(x);
y = fftshift(y);

subplot(2,2,2)
plot(abs(y))

grid on
x = rectpuls(t,0.02);

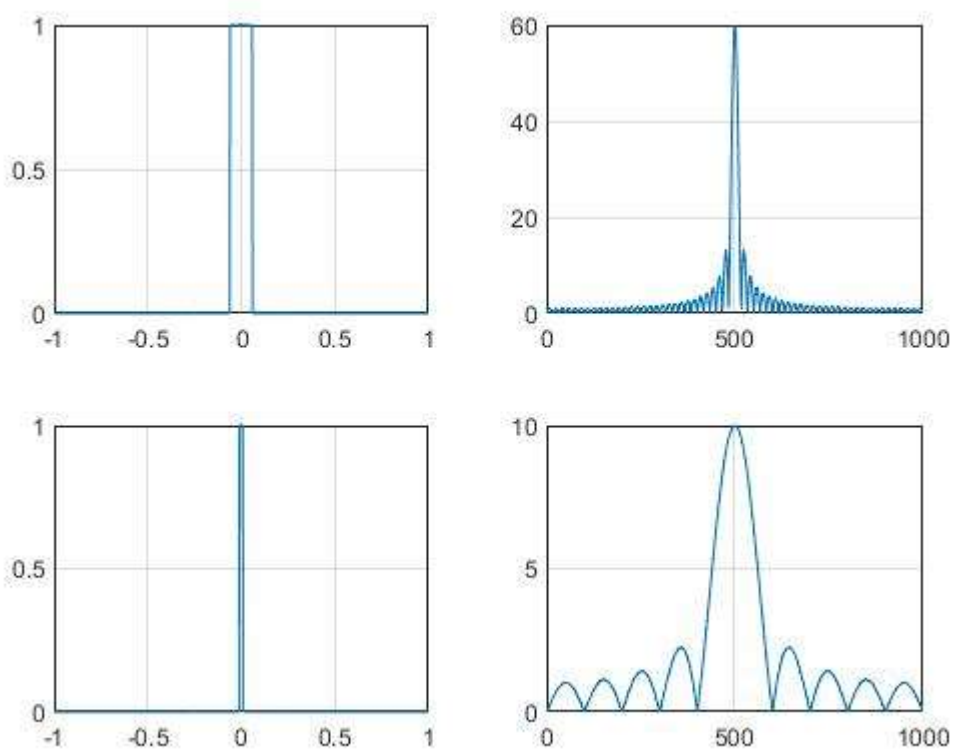
subplot(2,2,3)
plot(t, x)

grid on
y = fft(x);

y = fftshift(y);
subplot(2,2,4)

plot(abs(y))
grid on
```

Output:



Observation: This is a continuous time signal $x(t)$. After implementation of this signal, it represents the DTFT on a rectangular pulse. In where the x-axis represents m samples and the y-axis represents $x(m)$ signal.

Task-4.3: DTFT on a 3D rectangular pulse.

Solution:

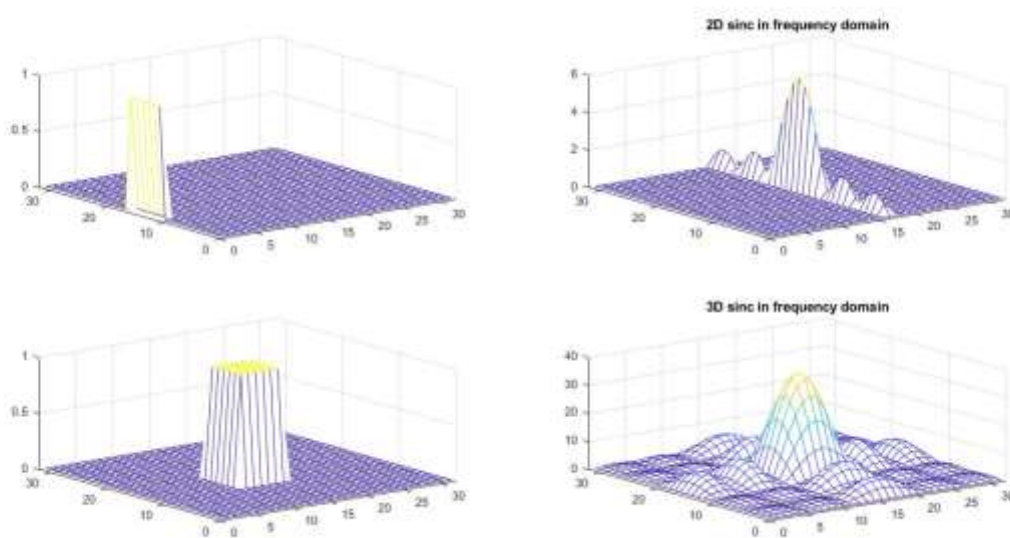
```
x=zeros(32);  
x(12:17)=ones(6,1);  
subplot(2,2,1)  
title('2D rectangular pulse')  
mesh(x)  
x=fft(x);  
x=fftshift(x);%Dc avlue is at the corner of the array  
%let us move it at the middle
```

```

subplot(2,2,2)
mesh(abs(x))
title('2D sinc in frequency domain')
x=zeros(32);
x(12:17,12:17)=ones(6);
subplot(2,2,3)
title('3D rectangular pulse')
mesh(x)
x=fft2(x);
x=fftshift(x); %Dc avlue is at the corner of the array
%let us move it at the middle
subplot(2,2,4)
mesh(abs(x))
title('3D sinc in frequency domain')

```

Output:



Observation: This is a continuous time signal $x(t)$. After implementation of this signal, it represents the DTFT on a 3D rectangular pulse. In where the x-axis represents m samples and the y-axis represents $x(m)$ signal.