淺度學習深度學習

## 大綱

幹什麼吃的

「通過最多點」遊戲

**Gradient Descent** 

## 圖片辨識

### http://clarifai.com



# Predicted Tags winter snow frost cold Christmas fir frozen ice season pine

## 圖片說明

### http://cs.stanford.edu/people/karpathy/deepimagesent/generationdemo/



a baseball player swinging a bat at a ball logprob: -4.30



a woman holding a baby in a stable logprob: -10.34

### 回答問題

Human: The color of sky is?

Machine: Blue.

Human: 1 + 1 equal to?

Machine: 2.

Human: what is the purpose of life? Machine: to serve the greater good.

Human: what is the purpose of living?

Machine: to live forever.

Human: what is the purpose of existence?

Machine: to find out what happens when we get to the planet earth.

### 類比推理

日本 + (台灣 - 台北) = ??? 東京

王子 + (國王 - 皇后) = ??? 公主

台灣 + (日本 - 濱崎步) = ???

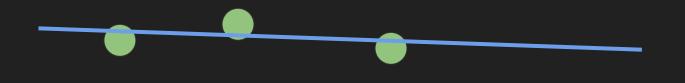
...

## 有信心從事研究 Deep Learning

畫一條直線 y = ax + b 通過最多點



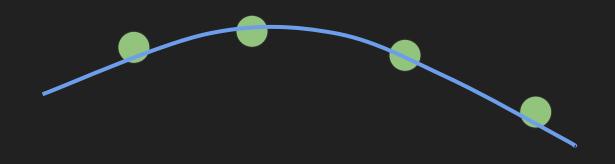
畫一條直線 y = ax + b 通過最多點

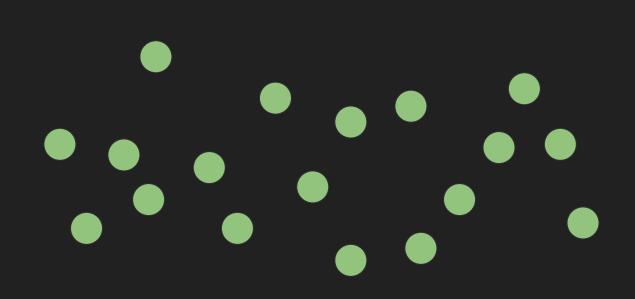


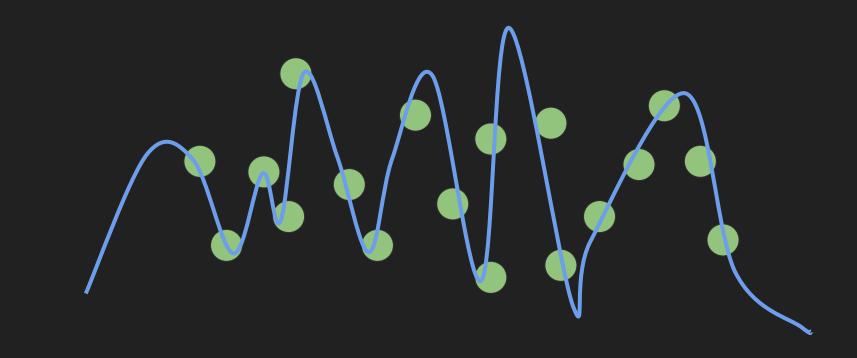
畫一條曲線  $y = ax + bx^2 + c$  通過最多點



畫一條曲線  $y = ax + bx^2 + c$  通過最多點







一次方程式過平面上兩點

二次方程試過平面上三點

. . .

n 次方程式過平面上 n + 1 點

## 只要方程式次數夠高 什麼函數你都能模擬

$$f( ) = 1$$
  $f( ) = 2$   
 $f( ) = 1$   $f( ) = 2$   
 $f( ) = 1$   $f( ) = 2$ 

$$f($$
  $) = 1$   $f($   $) = 2$   $f($   $) = 2$   $f($   $) = 1$   $f($   $) = 2$   $f($   $) = 1$   $f($   $) = 2$ 

$$f(x1, x2, x3, ...) = + 3.48 x_1^5 x_2^5 x_3^5 - 1.18 x_1^5 x_2^5 x_3^4 + 1.88 x_1^5 x_2^5 x_3^3 - ...$$
$$+ 2.10 x_1^5 x_2^4 x_3^5 + 0.21 x_1^5 x_2^4 x_3^4 - 0.04 x_1^5 x_2^4 x_3^3 - ...$$

• • •

$$f($$
  $) = 1$   $f($   $) = 2$   $f($   $) = 2$   $f($   $) = 1$   $f($   $) = 2$   $f($   $) = 1$   $f($   $) = 2$ 

$$f(x1, x2, x3, ...) = + 3.48 x15x25x35 - 1.18 x15x25x34 + 1.88 x15x25x33 - ... + 2.10 x15x24x35 + 0.21 x15x24x34 - 0.04 x15x24x33 - ...$$

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$$f([], w) = 1$$
  $f([], w) = 2$   
 $f([], w) = 1$   $f([], w) = 2$   
 $f([], w) = 1$   $f([], w) = 2$ 

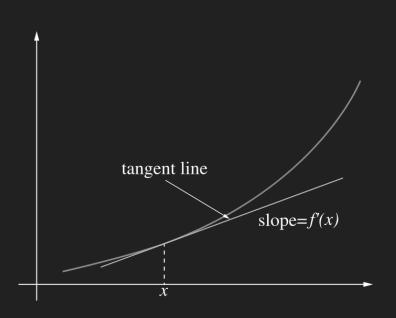
$$f(x1, x2, x3, W) = + 3.48 x_1^5 x_2^5 x_3^5 - 1.18 x_1^5 x_2^5 x_3^4 + 1.88 x_1^5 x_2^5 x_3^3 - \dots + 2.10 x_1^5 x_2^4 x_3^5 + 0.21 x_1^5 x_2^4 x_3^4 - 0.04 x_1^5 x_2^4 x_3^3 - \dots$$

• • •

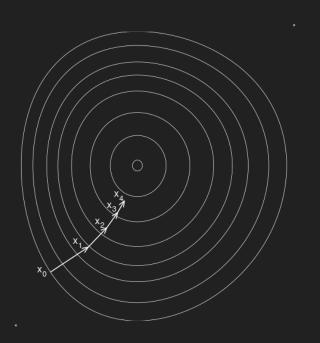
## Machine Learning 就是「自動調數字」

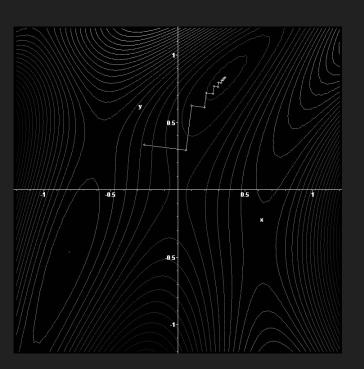
# 函數最小值

## 函數最小值



- 1. 微分找斜率
- 2. 往反方向走





# Gradient Descent

$$f([], w) = 1$$
  $f([], w) = 2$   
 $f([], w) = 1$   $f([], w) = 2$   
 $f([], w) = 1$   $f([], w) = 2$ 

## f([[], w) - 1

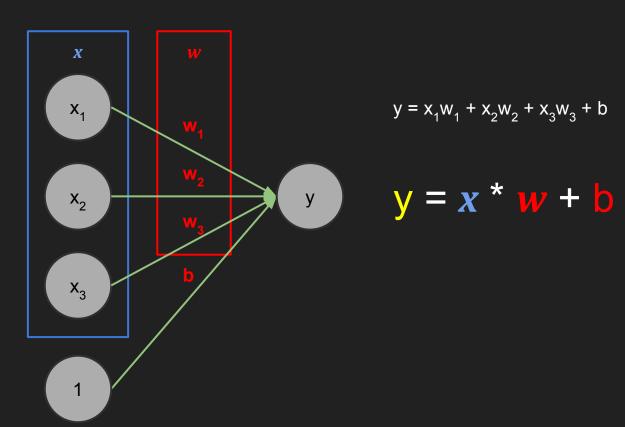
## $(f([[w], w] - 1)^2)$

## $E([0], w) = (f([0], w) - 1)^2$

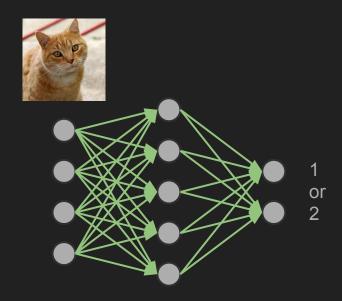
# 透過調整W

# 最小化Error

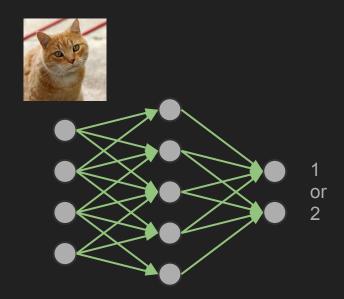
## Perceptron



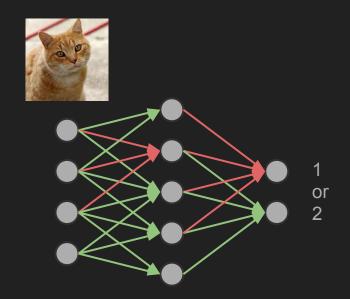
## 結構



## 結構:寬度



## 結構:每一層只跟前一層「附近」相連



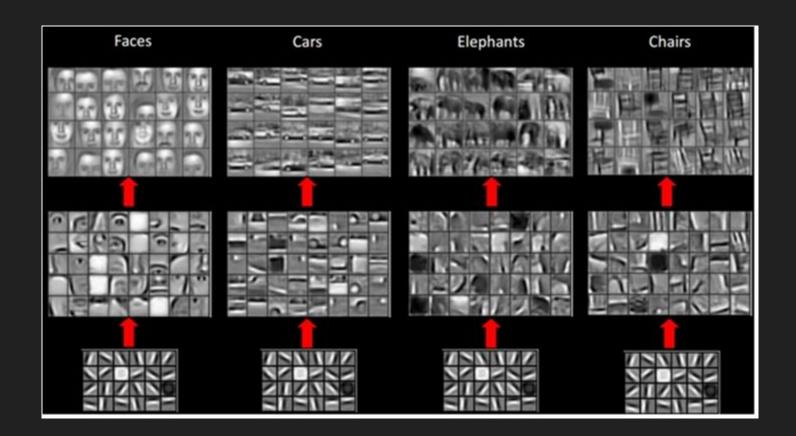
### Convolution

1	1	1	0	1
0	1			
1	0	0	0	1
0	0	0	1	0

-1	-1	-1
-1	8	-1
-1	-1	-1



Feature Map (FM)



# 深度越深

抽象度越高

# 可是以前只能兩層

