

E-R Model \Rightarrow The Entity-Relationship Model.

ER diagram

 \Rightarrow Entity  \Rightarrow attribute

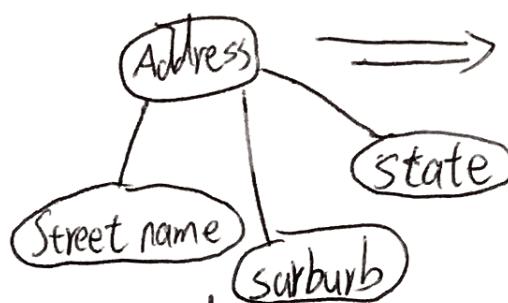
 \Rightarrow ^{primary} primary key  \Rightarrow derived attribute.

e.g.: if we know birthday attribute.

The age attribute is derived attribute

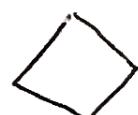
Type of Null Values

- Not Applicable.
- Unknown
- Missing



 \Rightarrow Multivalued

e.g.: Degree = {BSc, MInfTech}

 \Rightarrow relationship

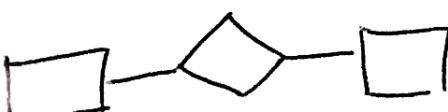
 \Rightarrow recursive relationship.

it means that an entity can be in relationship with itself.

A relationship can be between two entities, this is a binary relationship.

A relationship can be between three entities, this is a Ternary Relationship

same as N-ary Relationship

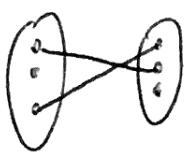


Binary Relationship

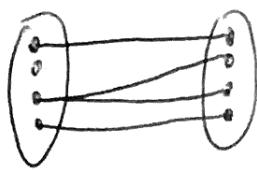


Ternary Relationship

One to One



One to Many



Many to One



key Constraints.



if we want to insert a row of Movies.
we should be insert a row of MovieStar first.

participation Constraints ==



e.g: Every movie must have a director

Each account is created and maintained by a single branch

Each account is assigned to one or more customers.

A loan is always assigned to a single customer

weak Entities

weak entities have a partial key

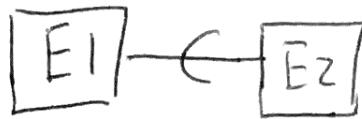
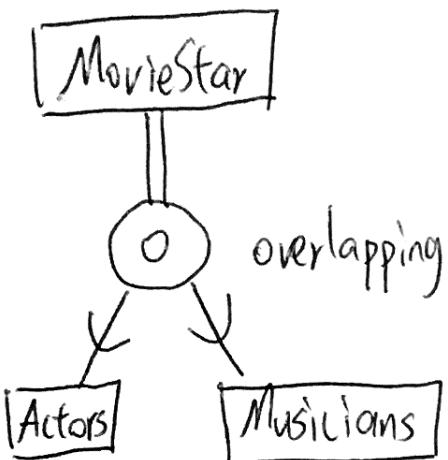
Owner entities and weak entities must participate in a One to One
or One to many.

Weak entity and their identifying relationship sets are shown with double lines

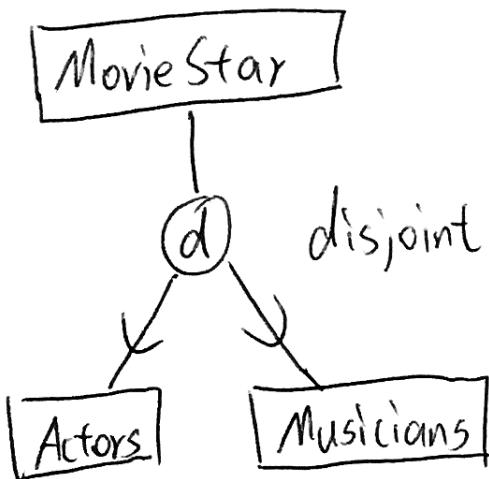


sub classes ^(E1) are specializations of super class (E2).

Superclass is generalization of subclasses (E1)



mean: Every movie star has to be either an actor or a musician.
A movie star can be both an actor and musician.



mean: A movie Star ~~can~~ ~~not~~ cannot be both an ~~actor~~ and musician

The number of attributes in a relation R is called the degree of R

Each Tuple t is an ordered list of n values:

eg: $t = \langle v_1, v_2, \dots, v_n \rangle$ t is called an n-tuple
Relation Instance

eg: R

A	B	C
0	1	2
3	4	5
6	7	8
9	10	11

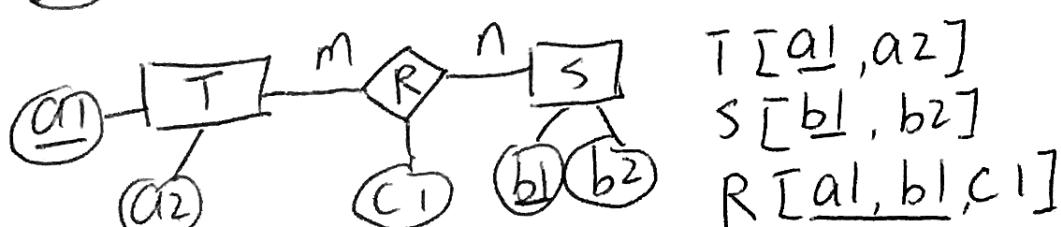
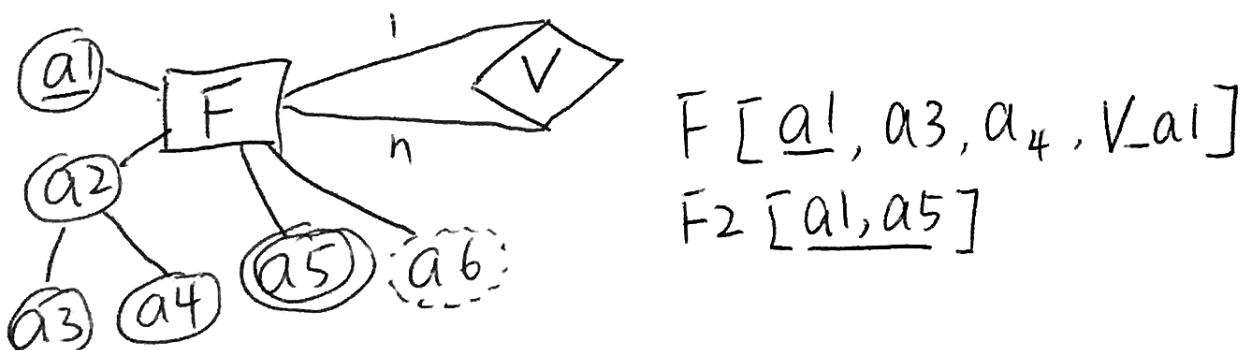
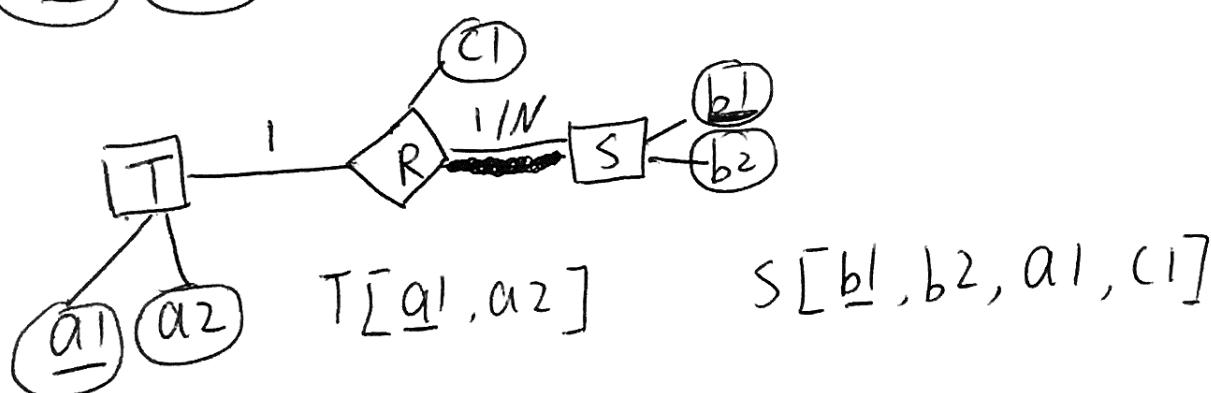
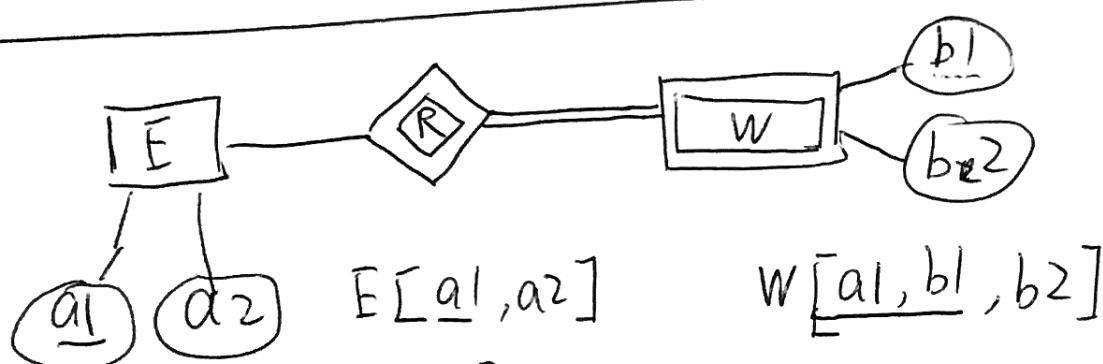
R has four tuples.

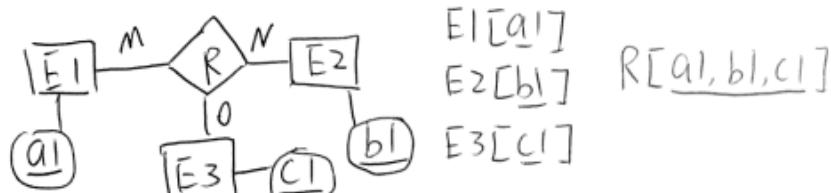
(6, 7, 8) is a tuple of R

The schema of R is R(A, B, C)
degree = 3

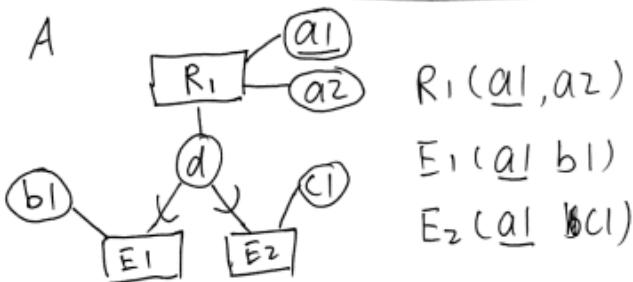
Integrity Constraint Types

- Domain constraints : Gender only has {Male, Female}
- Key constraints : unique ~~and not null~~, Key is a minimal Superkey
- Entity constraints : ~~unique~~ No primary key can be null
- Referential integrity constraints : All foreign keys reference existing entities
- User-defined constraints





option A



$R_1(a1, a2)$

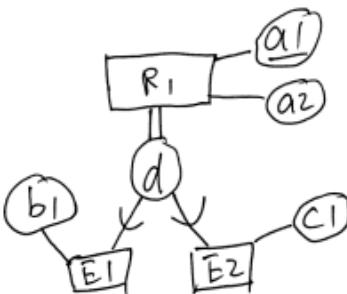
$E_1(\underline{a1}, b1)$

$E_2(a1, \underline{b1}, c1)$

option B

$E_1(\underline{a1}, a2, b1)$

$E_2(\underline{a1}, a2, c1)$

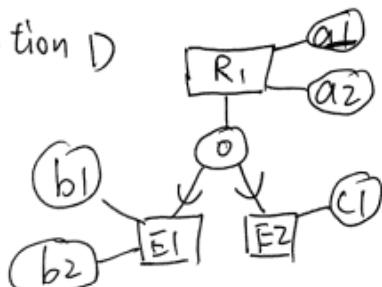


option C

a single relational table for all subclasses and the superclass

$R_1(\underline{a1}, a2, b1, c1, T)$

option D



$R_1(\underline{a1}, a2, b1, b2, c1, T)$

This is not a good design ~~right~~, because we get modification anomaly, deletion anomaly and insertion anomaly.

If $t_1.X = t_2.X \Rightarrow t_1.Y = t_2.Y$. which means given two tuples in R. if the X values agree, then the Y values must also agree. : $X \rightarrow Y$ (A functional dependency)

~~Given a table with a million rows can you tell if a functional dependency exists from data.~~

Given a table we can check if a functional dependency doesn't hold from data.

Functional dependencies come from the universal discourse exactly

A superkey for a relation uniquely identifies the relation, but does not have to be minimal

key is a subset of superkey

A key is a minimal set of attributes that uniquely identify a relation.

$B \rightarrow C$: Attribute B determines C

explicit functional dependency: $S_ID \rightarrow Name$.

implicit functional dependency: $\{(S_ID, Gender)\} \rightarrow Name$

- Reflexivity: if $Y \subseteq X$, then $X \rightarrow Y$
- Augmentation: if $X \rightarrow Y$, then $XZ \rightarrow YZ$
- Transitivity: if $X \rightarrow Y$ and $Y \rightarrow Z$, then $X \rightarrow Z$
(implicit FD)
- Union if $X \rightarrow Y$ and $X \rightarrow Z$, then $X \rightarrow YZ$
- Decomposition if $X \rightarrow YZ$, then $X \rightarrow Y$ and $X \rightarrow Z$

Closure of F : the set of all FDs implied by F .

- ~~key~~ Superkey: A set of attributes such that no two tuples have the same values for these attributes
- key: A minimal Superkey, called a Candidate Key if more than one:
 - Primary key: A selected candidate key
 - Secondary key: Remaining candidate keys.

- Prime Attribute : An attribute that is a member of any candidate key.
 - Non-prime attribute : An attribute that is not a member of any candidate key
-

First Normal Form (1NF).

Domains of attributes include only atomic values ~~and the~~

Second Normal Form (2NF)

Every FD $X \rightarrow Y$, where X is a minimal key and Y is a non-prime attribute, then no proper subset of X determines Y .

eg: S-L-C ($Sno, Sdept$, $Sloc, Cno, Grade$) so it's not in 2NF

student - location - course

$\{Sno, Cno\} \rightarrow Grade$

$Sno \rightarrow Sdept$.

$Sdept \rightarrow Sloc$

Third Normal Form (3NF)

- A relation R is in 3NF if for all non-trivial dependencies in R:
if $X \rightarrow b$, then X is a superkey for R
or b is a prime attribute of R

$S-L-C \notin 2NF \Rightarrow \begin{cases} S-C \{Sno, Cno, Grade\} \\ S-L \{Sno, Sdept, Sloc\} \end{cases} \in 2NF$

$S-C \in 3NF$

$\Rightarrow \begin{cases} S-C \{Sno, Cno, Grade\} \\ S-D \{Sno, Sdept\} \\ D-L \{Sdept, Sloc\} \end{cases} \in 3NF$

BCNF

A relation R is in BCNF: if $X \rightarrow b$, then X is a superkey for R.

e.g.: $R(A, \underline{B}, C, D, \underline{E})$

$$E \rightarrow C$$

$$E \rightarrow D$$



1. Add implicit FDs to your list of FDs.

$$\begin{cases} E \rightarrow C \\ E \rightarrow D \end{cases}$$

2. Pick any $f \in FD$ that violates BCNF of the form $X \rightarrow b$
 $E \rightarrow C \Rightarrow E$ is not a superkey for R.

3. Decompose R into two relations: $R_1(A \sqcup -b)$ & $R_2(X \cup b)$

$$R_1(\underline{A}, \underline{B}, D, \underline{E}) \quad R_2(C, \underline{E})$$

4. Recurse on R_1 and R_2 using FD.

$$\textcircled{1} \quad \begin{cases} E \rightarrow D \text{ in } R_1 \\ E \rightarrow C \text{ in } R_2 \end{cases}$$

\textcircled{2} $E \rightarrow D \Rightarrow E$ is not a super key for R_1 ,

$$\textcircled{3} \quad R_1(\underline{A}, \underline{B}, \underline{E}) \quad R_2(C, \underline{E}), \quad R_3(D, \underline{E}).$$

$$\Rightarrow R_1(\underline{A}, \underline{B}, \underline{E}) \quad R_2(D, C, \underline{E})$$

Data Definition Language (DDL) { create
alter
drop

create table <table name>

(< column name > < column type > [< attribute constraint >] {,
 < column name > < column type > [< attribute constraint >] },
 [< table constraint > {, < table, constraint > }]));

(column type }
 | integer
 | char(20)

constraint { primary key (<column name>)
 foreign key (<column name>)
 references <table>

$\langle \text{foreign key} \rangle \xrightarrow{\text{reference}} \langle \text{primary key} \rangle$

create table B (

foreign key references <table> ^A } if the row in A is deleted,
 on delete cascade); } then the row in B is automatically deleted.

on delete / update set null / set default / cascade.

`alter table <table name> add <column name><column type>;`

```
alter table <table name> drop <column name> [cascade];
```

`alter table <table name> alter <column name><column-options>;`

```
alter table <table name> add <constraint name><constraint-options>;
```

```
alter table <table name> drop <constraint name> [cascade];
```

drop table [if exists] <table name> [restrict | cascade cascade];

Data Manipulation Language (DML) {
 select
 insert
 update
 delete}

select [distinct] (<attribute list>/*) from <table list> [where <conditions>];

eg: Find events that have occurred before 1943.

Query: select * from events where date < 19430000;
 type: 1941-05-25

eg: Find the title of all of the movies that contain "sin"

Query: select * from movies where title like "%sin%";

Like is used for stand for string matching:

- '%' stands for 0 or more arbitrary characters.

- '_' stands for any one character.

- like eg: ... where address like '%St Lucia%';

 ... where StrDate like '_/_/05/_/_';

- in eg: ... where LName in ('Jones', 'Wong', 'Harrison')

- is eg: ... where DNo is null ;
- between eg: ... where Salary between 1000 and 3000 ;
 $\Rightarrow 1000 \leq \text{Salary} \leq 3000$

eg: ... where LName between "A" and "K" ;
 $\Rightarrow ["A", "K"]$

"<>" == 'not equals'

order by <column name> asc ; (for ascending order (default), eg: 1,2,3)
desc ; (for descending order eg: z,y,x...)

union A \cup B intersection A \cap B except A - B

{ select
union / intersection / except
select ; }

select * A from R where B=1 or B=0 or A=4 ;

A
2
3
4
2
3
4

Same as: select A from R where B=1 union all

select A from R where B=0 union all

select A from R where A=4 ;

R	ID	A	B
	1	2	1
	2	2	0
	3	3	1
	4	3	0
	5	4	1

Select A from R where B=1 union

select A from R where B=0 union.

select A from R where A=4 ;

A
2
3
4

Find $\{A \mid A \text{ of } R \text{ who has been in } B^{\text{in}}\}$ and

wrong: \times select A from where $B=0$ and $B=1$;

correct: select A from where $B=0$ intersection
select A from where $B=1$;

Find A of R who B equal to 1 but not equal to 0

select A from where $B=1$ except.

select A from where $B=0$;

Aggregation - Function.

- sum/avg ([distinct] <column name>)
- count ([distinct]<column name> / *)
- max/min (<column name>).

When group by is used in an SQL statement, any attribute appeared in SELECT clause must also appeared in a aggregation function or in Group By clause

eg: Select B , sum(A) from R group by B ;

Find A of R who has not been in R with B = 0.

wrong: \times select A from R where $B < 0$;

correct ①: select A from R where $B < 0$ except
select A from R where $B = 0$;

② : select A from R where

A not in (select A from R where $B = 0$);

cName	state
Stanford	CA
Berkeley	CA
MIT	MA
Cornell	NY

For each college , check if there is another college in the same state.

select cName , state from college C1
where exists (select * from college C2
where C2.state = C1.state and
 $C2.cName <> C1.cName$);

- ANY: Evaluates to true if one comparison is true

- ALL : Evaluates to true if all comparisons are true.

(in) = (= any)

(not in) = (<> all)

- use joins when you are displaying results from multiple tables
- use sub-queries when you need to compare aggregates to other values

Find the IDs of movie stars who have played in all of the movies

- ~~Movie~~ Movie (MovieID, Title, Year)
- StarsIn (MovieID, starID, Role)
- MovieStar (StarID, Name, Gender)

A

Sno	Pno
S1	P1
S1	P2
S1	P3
S2	P1
S2	P2
S3	P2
S4	P2
S4	P3

B

Pno
P2
P3

A / B \Rightarrow

Sno
S1
S4

select startid, movieid from starsin

/ select movieid from movies



~~select~~ not exists (select ~~m.~~ M.movieid from Movie M where not exists

Movie M where not exists

C select ~~s.~~ ~~mid~~ S.movieid from

Starsin S where S.movieid = M.movieid))

\Rightarrow select MS.starID from MovieStar MS where not exists

(select M.movieid from Movie M where not exists

(select S.movieid from Starsin S where

S.movieid = M.movieid and S.starID = MS.starID))

create view <view name> (<column name>, ...) as

<select statement>;

drop view [if exists] <view-name> [restrict | cascade];

- restrict: drop the table, unless there is a view on it.

- cascade: drop the table, and recursively drops any view referencing
it

~~insert into~~ <table name> [<column name> {, <column name>}]
values (<constant value>);

delete from <table name> [where <select condition>];

update <table name> set <column name> = <value expression>
[where <select condition>];

create table student

(...

primary key (snum),

check (age >= 10 and age < 100),

check (NOT EXISTS (select StarID From MovieStar
where StarID not in (select StarID
from starsIn)));

create trigger young StudentUpdate after insert on Student

referencing new table New Student for each statement insert into
Youngstudent (snum, sname, age) select snum, sname, age FROM New Student
where NewStudent.age <= 18;

$T(n)$

$\Theta(c)$

$\Theta(\log n)$

$\Theta(\log^k n) \quad (k > 1)$

$\Theta(n^c) \quad (0 < c \leq 1)$

$\Theta(n \log n)$

$\Theta(n^k) \quad (k > 1)$

$\Theta(c^n)$

selection Sort

$a = [\dots]$

for i in range($\text{len}(a)$):

$\text{index} = i$

 for j in range($i+1, \text{len}(a)$):

 if $a[j] < a[\text{index}]$:

$\text{index} = j$

$a[i], a[\text{index}] = a[\text{index}], a[i]$

insertion sort

for i in range($1, \text{len}(a)$):

$\text{index} = \cancel{\text{None}}$ i

$\text{min} = a[i]$

 while $\text{index} > 0$ and $\text{min} < a[\text{index}-1]$:

$a[\text{index}] = a[\text{index}-1]$

$\text{index} -= 1$

$a[\text{index}] = \text{min}$

insertion sort

for i in range($1, \text{len}(a)$):

 for j in range(i):

 if $a[i-j] < a[i-j-1]$:

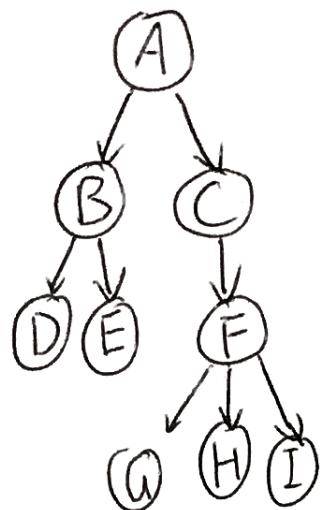
$a[i-j], a[i-j-1] = a[i-j-1], a[i-j]$

 else:

 break

Merge Sort.

```
def merge - sort(a):
    if n > 1:
        mid = n // 2
        A1 = a[:mid]
        A2 = a[mid:]
        merge - sort(A1)
        merge - sort(A2)
        j = 0
        i = 0
        while i < mid and mid + j < n:
            if A1[i] < A2[j]:
                a[i+j] = A1[i]
                i += 1
            else:
                a[i+j] = A2[j]
                j += 1
        while i < mid:
            a[i+j] = A1[i]
            i += 1
        while mid + j < n:
            a[i+j] = A2[j]
            j += 1
```



A is a root

D is a leaf

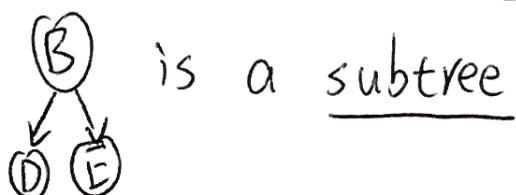
B and C are the child of A

the parent of B is A

B is the sibling of C

C and A are the ancestor of F

F and C are the descendent of A



the depth of E is 2

the height of tree is 3

the degree of C is 1, the degree of A is 2

the branching factor of tree is 3.

the branching factor of 2 is called binary

the branching factor of n is called n-ary

Relation Integrity Constraint 790/ midterm exam

- Domain constraints

eg: violates Domain constraint, because the specification says the "date opened" attribute is automatically populated, therefore it cannot be null

- Key constraints

eg: violates key constraint, because there already exists a DEPARTMENT tuple with DNUMBER=4.

- Entity constraints

eg: violates entity integrity, because PNO, which is part of the primary key of WORKS-ON, is null

- Referential integrity constraints

eg: Deleting DNUM=2 will leave a dangling reference in the child table foreign table.

eg: violates referential integrity because DNUM=2 and there is no tuple in the DEPARTMENT relation with DNUMBER=2.

① $A \rightarrow C$ ② $C \rightarrow D$

a insertion anomaly

eg: $\text{INSERT } \langle 1, 3, 3, 5 \rangle$

$\text{INSERT } \langle \text{null}, 3, 3, 5 \rangle$, distributed
systems without knowing the value of A

A	B	C	D
1	3	2	5
1	4	2	5
2	3	1	2
3	2	1	2

a deletion anomaly

eg: $\text{DELETE } \langle 3, 2, 1, 2 \rangle$, we lose information $A \rightarrow C$ ($3 \rightarrow 1$)

a modification anomaly.

eg: $\text{UPDATE } \langle 1, 3, 2, 5 \rangle \text{ to } \langle 1, 3, 3, 5 \rangle$

creates inconsistency with $1 \rightarrow 2$ and $1 \rightarrow 3$ ($A \rightarrow C$)

R1 [A, B] FDI: $A \rightarrow B$

R2 [C, D, E] FD2: $C \rightarrow \{D, E\}$

R3 [A, C] No non-trivial FD