Name:-Tej Sutar Batch:-H Roll no:-176 Date:-25/01/25 Practical no:-9 & 10 Practical name:- Study of Operation Research in Python(LPP)

Q1) Write a Python program to solve the following LPP: Max Z = 150x + 75y subject to  $4x + 6y \le 24 5x + 3y \le 15 x \ge 0$ ,  $y \ge 0$ 

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In [13]: from pulp import*
          lpp=LpProblem(name='LPP',sense=LpMaximize)
          x=LpVariable("x",lowBound=0)
          y=LpVariable("y",lowBound=0)
          1pp+=(4*x+6*y<=24)
          1pp+=(5*x+3*y<=15)
          1pp+=(150*x+75*y)
          1pp
Out[13]: LPP:
          MAXIMIZE
           150*x + 75*y + 0
           SUBJECT TO
           _C1: 4 \times + 6 \times <= 24
           _C2: 5 \times + 3 y <= 15
           VARIABLES
           x Continuous
           y Continuous
In [14]: lpp.solve()
Out[14]: 1
In [15]: lpp.objective.value()
Out[15]: 450.0
In [16]: x.value()
Out[16]: 3.0
In [17]: y.value()
Out[17]: 0.0
          Q2) Write a Python program to solve the following LPP: Max Z = 5x + 3y subject to x + y
          \leq 7 \ 2x + 5y \leq 1 \ x \geq 0, y \geq 0.
In [18]: from pulp import*
          lpp=LpProblem(name='LPP',sense=LpMaximize)
          x=LpVariable("x",lowBound=0)
          y=LpVariable("y",lowBound=0)
          1pp+=(x+y<=7)
          lpp+=(2*x+5*y<=1)
          1pp+=(5*x+3*y)
          1pp
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Out[18]: LPP:
          MAXIMIZE
          5*x + 3*y + 0
          SUBJECT TO
          _C1: x + y <= 7
          _C2: 2 \times + 5 y <= 1
          VARIABLES
          x Continuous
          y Continuous
In [19]: lpp.solve()
Out[19]: 1
In [20]: lpp.objective.value()
Out[20]: 2.5
In [21]: x.value()
Out[21]: 0.5
In [22]: y.value()
Out[22]: 0.0
          Q3) Write a Python program to solve the following LPP: Max Z = x + y subject to 2x - 2y
          \geq 1 x + y \geq 2 x \geq 0, y \geq 0
In [23]: from pulp import*
          lpp=LpProblem(name='LPP',sense=LpMaximize)
          x=LpVariable("x",lowBound=0)
          y=LpVariable("y",lowBound=0)
          1pp+=(2*x-2*y>=1)
          1pp+=(x+y>=2)
          lpp+=(x+y)
          1pp
Out[23]: LPP:
          MAXIMIZE
          1*x + 1*y + 0
          SUBJECT TO
          _C1: 2 x - 2 y >= 1
          _C2: x + y >= 2
          VARIABLES
          x Continuous
          y Continuous
In [24]:
         lpp.solve()
Out[24]: -2
In [25]:
         lpp.objective.value()
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Out[25]: 0.0
In [26]: x.value()
Out[26]: 0.0
In [27]: y.value()
Out[27]: 0.0
          Q4) Write a Python program to solve the following LPP: Min Z = 3.5x + 2y subject to x + 2y = 2.5x + 2y
          y \ge 5 \ x \ge 4 \ y \le 2 \ x \ge 0, y \ge 0.
In [28]: from pulp import*
          lpp=LpProblem(name='LPP',sense=LpMinimize)
          x=LpVariable("x",lowBound=0)
          y=LpVariable("y",lowBound=0)
          lpp+=(x+y>=5)
          1pp+=(x>=4)
          lpp+=(y<=2)
          1pp+=(3.5*x+2*y)
          1pp
Out[28]: LPP:
           MINIMIZE
           3.5*x + 2*y + 0.0
           SUBJECT TO
           _C1: x + y >= 5
           _C2: x >= 4
           _C3: y <= 2
           VARIABLES
           x Continuous
           y Continuous
In [29]: lpp.solve()
Out[29]: 1
In [30]: lpp.objective.value()
Out[30]: 16.0
In [31]: x.value()
Out[31]: 4.0
In [32]: y.value()
Out[32]: 1.0
          Q5) Solve LPP by using python: Min Z = x + y subject to x \ge 6 y \ge 6 x + y \ge 11 x \ge 0, y \ge 11
          0
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In [38]: from pulp import*
          lpp=LpProblem(name='LPP',sense=LpMinimize)
          x=LpVariable("x",lowBound=0)
          y=LpVariable("y",lowBound=0)
          lpp+=(x>=6)
          lpp+=(y>=6)
          lpp+=(x+y>=11)
          lpp+=(x+y)
          1pp
Out[38]: LPP:
          MINIMIZE
          1*x + 1*y + 0
          SUBJECT TO
          _C1: x >= 6
          _C2: y >= 6
          _C3: x + y >= 11
          VARIABLES
          x Continuous
          y Continuous
In [39]: lpp.solve()
Out[39]: 1
In [40]: lpp.objective.value()
Out[40]: 12.0
In [41]: x.value()
Out[41]: 6.0
In [42]:
         y.value()
Out[42]: 6.0
          Q6) Write a Python program to solve the following LPP: Max Z = 4x + y + 3z + 5w
          subject to 4x + 6y - 5z - 4w \ge -20 - 8x - 3y + 3z + 2w \le 20 \ x \ge 0, y \ge 0.
In [44]: from pulp import*
          lpp=LpProblem(name='LPP',sense=LpMaximize)
          x=LpVariable("x",lowBound=0)
          y=LpVariable("y",lowBound=0)
          z=LpVariable("z",lowBound=0)
          w=LpVariable("w",lowBound=0)
          lpp+=(4*x+6*y-5*z-4*w>=(-20))
          lpp+=((-8)*x-3*y+3*z+2*w<=20)
          1pp+=(4*x+y+3*z+5*w)
          1pp
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Out[44]: LPP:
         MAXIMIZE
          5*w + 4*x + 1*y + 3*z + 0
         SUBJECT TO
          _C1: -4 w + 4 x + 6 y - 5 z >= -20
         _C2: 2 w - 8 x - 3 y + 3 z \le 20
         VARIABLES
         w Continuous
          x Continuous
          y Continuous
          z Continuous
In [45]: lpp.solve()
Out[45]: -2
In [46]: lpp.objective.value()
Out[46]: 25.0
In [47]: x.value()
Out[47]: 0.0
In [48]: y.value()
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Out[48]: 0.0