

Assignment No. 2

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> Class :- B.E./IT

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D.O.P.

D.O.C.

Marks

Sign

a. 1 Example 1:

2] Every witch is good or bad.

Every child who sees any good with
gets candy.

4] Every witch that is bad has a black cat.

5] Every witch that is seen by any child has a pointed hat.

6] Prove : every child gets candy.

→ A Facts into fol

$$\begin{aligned} & \exists x A Y (\text{child}(x), \text{witch}(y) \rightarrow \text{sees}(x, y)) \\ & \sim \exists y (\text{witch}(y) \rightarrow \text{has}(y, \text{black cat}) \wedge \text{has}(y, \text{pointed hat})) \end{aligned}$$
$$\exists y \exists x (\text{witch}(x) \rightarrow \text{good}(x) \vee \text{bad}(y))$$

3] $\exists x (see(x, y) \rightarrow (witch(y) \rightarrow good(y)))$
 $\rightarrow get(x, candy)$

4] $\exists y ((\text{witch}(y) \rightarrow \text{bad}(y)) \rightarrow \text{has}(y \rightarrow \text{black hat}))$

5] $f_y(\text{sees}(x, y)) \rightarrow \text{has}(y, \text{pointed hat})$

[illegible]

B] FOL into CNF.

$$\exists x \forall y (\text{child}(x), \text{witch}(y) \rightarrow \text{sees}(x, y))$$

$\rightarrow \sim \exists y, (\text{witch}(y) \rightarrow \text{has}(y, \text{black hat}))$

$\rightarrow \sim \exists y \text{ (witch}(y) \rightarrow \text{has}(y, \text{pointed hat}))$

2] $\forall y (\text{switch}(y) \rightarrow \text{good}(y))$

4. $\neg (\text{witch}(y) \rightarrow \text{bad}(y))$

3] $\exists x [(\text{sees}(x, y) \rightarrow \text{witch}(y)) \rightarrow \text{good}(y)] \rightarrow \text{gets}(x, \text{candy})$

4 $\exists x [\text{bad}(x) \rightarrow \text{has}(x, \text{black hats})]$

5] $\exists y$ [seen $(x, y) \rightarrow$ has $(y, \text{pointed hat})]$

$$\rightarrow \sim \forall y [\text{seen}(x, y) \rightarrow \text{has}(y, \text{black hair})]$$

sees (x, y)

witch(y) V sees(x,y)

{ good v bad/y }

$$\sim \text{seen}(x, \text{good}) \wedge \text{sees}(x, \text{bad})$$

has(x, z)

{ y / good v bad }

{ z/black cat v
pointed hat }

seen (x, good) \vee seen (x, bad)

has (good, pointed
heads V get (x, candy)

seen (x, good) V boy (good,
pointed hat) V gets
(x, candy)

seen(x, good) ✓
gets(x, candy)

gets $(x, \text{cond } y)$

gets (x, candy)

2] Example:

- 7] Ram gets lump of coal.

→ $\exists x (\text{boy}(x) \vee \text{girl}(x) \rightarrow \text{child}(x))$

- To prove (child (ram) \rightarrow bad (room))

CNF clauses

- 6 bod (80m)

Resolution:

4) 1 child (2) or 1 bad (2) or get (2, cool)

5 bad (ram)

Q 1. child (crum) or gets (crum, coal)

sub

7] 1 child (ram) or gets (ram, coal)

Substituting 2 by π am.

8] (a) ! boy (x) or child (x)

boy (ram)

9] Child ram (substituting x by ram)

7. ! child (ram) or gets (ram, coal)

8 child (ram)

g) Gets (ram, coal)

2] 1 child (y) (or gets (y, doll) or gets (y, train) or gets (y, coal))

8] child (ram)

10) Gets (ram, doll) or gets (ram, train) or gets (ram, coal)

(substituting y by $2am$)

9] Gets (ram, coal)

10] gets (ram, doll) or gets (ram, train) or
gets (ram, coal)

ii) gets (ram, doll) or gets (ram, coal)

2) ! boy (ω) or ! gets (ω , doll)

5] boy (ram)

12 ! get (ram, doll) or gets (ram, train)

1] gets (ram, doll) or gets (ram, train)

12] I gets (ram, doll)

13] gets (ram, coal)

Hence, bad (ram) is proved.

Q	2	Differentiate between STRIPS & ADL
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STRIPS language

ADL

- Only allow positive literals in the states.

- Can support both positive & negative literals.

For eg: A valid sentence

literals.

is STRIPS is expressed
as

For eg: Same sentence is

$\Rightarrow \text{Intelligent} \wedge \text{Beautiful}$

expressed as \Rightarrow
stupid \wedge ugly

2) STRIPS stand for
standard Research Insti-
tute Problem solver

→ Stand for Action
Description Language

- Makes use of closed world assumption (i.e.) unmentioned literals are false.

- makes use of open world Assumption (i.e.) unmentioned literals are unknown.

> We only can find ground literals in goals.
For eg:- Intelligent ^ Beautiful.

→ We can find qualified variables in goal.
for eg: $\exists x A+(P1x) \wedge A+(P2, x)$ is the goal of having P1 & P2 in the same place in the example of blocks.

→ Goals are conjunctions
for eg:- (Intelligent & Beautiful)

→ Goals may involve conjunctions &

disjunctions - for eg:-
(Intelligent \wedge (Beautiful
 \wedge Rich))

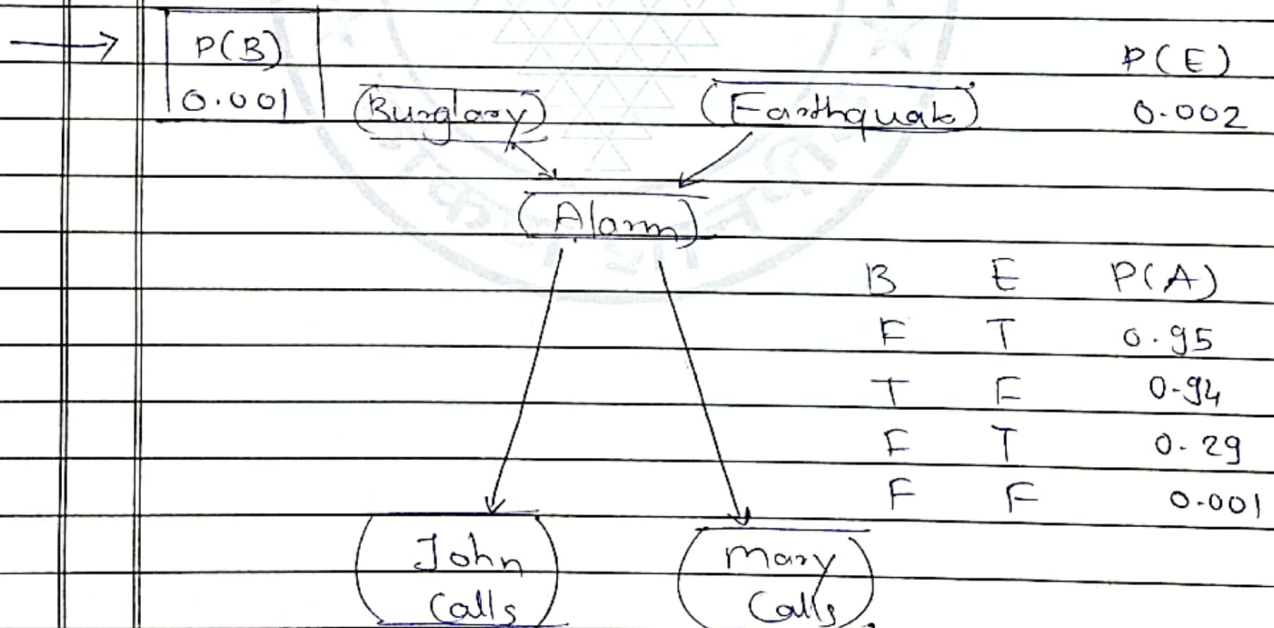
→ Effects are conjunction; → Conditional effects are allowed; when $P: E$ means E is an effect only if P is satisfied.

→ Does not support equality → Equality predicate $(x=y)$ is build in

→ Does not have support for types
For types

→ Support for types
For eg: The variable p : person

- Q. 4 You have two neighbors I & M, who have promised to call you at work when they hear the alarm. I always calls when he hear the alarm but sometimes confused. telephone ringing with alarms & calls then too. M likes loud music & sometimes misses the alarm together. Given the evidence of who has or has not called. we would like to estimate the probability of burglary. Draw a Bayesian network for this domain with suitable probability table.



A	$P(I)$
T	0.09
F	0.05

M	$P(M)$
T	0.70
F	0.01

① The topology of the network indicates that

- Burglary & earthquake affect the probability, or the alarms going off.

→ Weather John & Mary call depends only on alarm.

→ They do not perceive any burglaries directly they do not notice minor earthquakes & they do not confer before calling.

→ Many listening to loud music & John confusing phone ringing to sound of alarm can be read from network only implicitly as uncertainty associated to calling at work.

→ The probability actually summarize potentially infinite sets of circumstances.

- The alarm might fail to go off due to high humidity, power failure, dead battery, cut wires, a dead mouse stuck inside the bell etc.

→ John & many might fail to call & report & alarm because they are out to lunch, on vacation, temporarily disabled, passing helicopters, etc.

→ The condition probability tables in n/w gives probability for values of random variables depending nodes.

- Each row must be sum to 1, because entries represent exhaustive set of cases for variable.
- All variables are Boolean.
- In general, a table for a Boolean variable with k parents contains 2^k independently specific probabilities.
- A variable with no parents has only one row, representing prior probabilities, of each possible value of the variable.
- Every entry in full joint probability distribution can be calculated from information in Bayesian network.
- A generic entry in joint distribution is probability of a conjunction of particular assignment to each variable $P(X_1 = x_1 \wedge \dots \wedge X_n = x_n)$ abbreviated as $p(X_1, \dots, X_n)$.
- The value of this entry is $P(X_1, \dots, X_n) = \prod_{i=1}^n p(1, \text{parents}(X_i))$, where $s(X_i)$ denotes the specific value of the variables $\text{parents}(X_i)$.

$$\begin{aligned}
 &= P(j|m|a| \sim b | \sim e) \\
 &= P(j|a) P(m|a) P(a|\sim b | \sim e) P(\sim b) e(\sim e) \\
 &= 0.09 \times 0.07 \times 0.001 \times 0.999 \times 0.998 \\
 &= 0.000528
 \end{aligned}$$

