

# oqcg

February 17, 2019

## 1 Imports

Need to have jate.py in your folder

```
In [241]: %run jate.py #will import everything
```

## 2 Next chapter

### 2.1 memory clear (uses regex, so be careful)

```
In [242]: %reset_selective -f var1, var2 # replace var1, var2 with your defined ones
```

### 2.2 Building parts

#### 2.2.1 Building the things to be calculated only once

```
In [243]: def maker(omega_1, H_0, H_1, T_s, Lin, d=2, gamma=0.1):
    r"""maker
    Makes all the things that remain constant throught the program, but are
    repeatedly used.

    Parameters
    -----
    omega_1 : float
               frequency corresponding to half of the difference between
               energy levels of the qubit

    H_0      : Qobj
               Bare Hamiltonian

    H_1      : Qobj
               Interaction Hamiltonian

    T_s      : Qobj
               Unitary to be implemented in the Hilbert space
```

```

Lin      : Qobj
           Linbladian operators

d        : int
           Dimension of the matrix. Defaults to 2

gamma    : float
           Damping constant of the Linbladian

Returns
-----

ih0      : Qobj
            $I \otimes H_{\{0\}}$ 

ih1      : Qobj
            $I \otimes H_{\{1\}}$ 

h0ci     : Qobj
            $H_{\{0\}}^* \otimes I$ 

h1ci     : Qobj
            $H_{\{1\}}^* \otimes I$ 

T        : Qobj
           Target unitary transformed to the Liouville space

linbladian : Qobj
           The full lindbladian term as it appears on transformation to
           the Liouville space.

"""
I = identity(d)
L_I = tensor(I, I)
ih0 = tensor(I, H_0)
ih1 = tensor(I, H_1)
h0ci = tensor(H_0.conj(), I)
h1ci = tensor(H_1.conj(), I)
x_k = ih1 - h1ci
term1 = tensor(Lin.trans(), Lin)
term2 = tensor(I, ((Lin.dag()*(Lin)))
term3 = tensor(((Lin.trans()*(Lin.conj()))), I)
lindbladian = 1j*(gamma)*(term1 - 0.5*(term2 + term3))
T = tensor(T_s.trans(), T_s) # Transforming  $T_{\{s\}}$  to liouville space

return ih0, ih1, h0ci, h1ci, x_k, lindbladian, T, L_I

```

```
In [244]: omega_1 = 0.5
          H_0 = omega_1*sigmaz()
          H_1 = sigmay()
          T_s = sigmax()
          Lin = sigmaz()
          gamma = 0.1 # check for default value
          ih0, ih1, h0ci, h1ci, x_k, lindbladian, T, L_I = maker(omega_1,
                                                                H_0, H_1, T_s,
                                                                Lin, d=2, gamma=gamma)
```

```
In [245]: gamma
```

```
Out[245]: 0.1
```

```
In [246]: L_I
```

```
Out[246]:
```

Quantum object: dims = [[2, 2], [2, 2]], shape = (4, 4), type = oper, isherm = True

$$\begin{pmatrix} 1.0 & 0.0 & 0.0 & 0.0 \\ 0.0 & 1.0 & 0.0 & 0.0 \\ 0.0 & 0.0 & 1.0 & 0.0 \\ 0.0 & 0.0 & 0.0 & 1.0 \end{pmatrix}$$

### 2.2.2 Building $A(t)$

```
In [247]: def A(xi):
          r"""making $A(t)$"""
          A = ih0 - h0ci + xi*(ih1 - h1ci) + lindbladian
          return A
```

```
In [248]: A(0.5)
```

```
Out[248]:
```

Quantum object: dims = [[2, 2], [2, 2]], shape = (4, 4), type = oper, isherm = False

$$\begin{pmatrix} 0.0 & -0.500j & -0.500j & 0.0 \\ 0.500j & (-1.0 - 0.200j) & 0.0 & -0.500j \\ 0.500j & 0.0 & (1.0 - 0.200j) & -0.500j \\ 0.0 & 0.500j & 0.500j & 0.0 \end{pmatrix}$$

### 2.2.3 Building $L(t)$ and the Identity in the Liouville space

```
In [249]: def L(xi, dt):
          r"""Making $L(t)$ from $A(t)$"""
          L = (-1j*A(xi)*dt).expm()
          return L
```

```
In [250]: L(0.5, 0.001)
```

Out [250]:

Quantum object: dims = [[2, 2], [2, 2]], shape = (4, 4), type = oper, isherm = False

$$\begin{pmatrix} 1.000 & (-4.999 \times 10^{-04} - 2.500 \times 10^{-07}j) & (-4.999 \times 10^{-04} + 2.500 \times 10^{-07}j) & (-4.999 \times 10^{-04} - 2.500 \times 10^{-07}j) \\ (4.999 \times 10^{-04} + 2.500 \times 10^{-07}j) & (1.000 + 9.998 \times 10^{-04}j) & -2.500 \times 10^{-07} & (1.000 - 9.998 \times 10^{-04}j) \\ (4.999 \times 10^{-04} - 2.500 \times 10^{-07}j) & -2.500 \times 10^{-07} & (1.000 - 9.998 \times 10^{-04}j) & (-4.999 \times 10^{-04} + 2.500 \times 10^{-07}j) \\ 2.500 \times 10^{-07} & (4.999 \times 10^{-04} + 2.500 \times 10^{-07}j) & (4.999 \times 10^{-04} - 2.500 \times 10^{-07}j) & (1.000 + 9.998 \times 10^{-04}j) \end{pmatrix}$$

## 2.3 Major functions

### 2.3.1 Major functions 1

In [251]: *# building the function to optimize (optimizee)*

```
def L_vec(xi_vec, dt):  
    r"""Building the vector of differential $L(t)$"""  
    L_vec = [L(xi, dt) for xi in xi_vec]  
    return L_vec
```

In [252]: **def** fidelity\_calc(A, B):

```
    r"""Making a generalised fidelity function"""  
    first_part = (A - B).dag()  
    second_part = (A - B)  
    f_int = (first_part* second_part)  
    f = f_int.tr()  
    return f
```

In [253]: **def** L\_full\_maker(xi\_vec, dt):

```
    r"""Building the $L(t)$ for the total time $t$"""  
    xi_vec_size = xi_vec.size # finding the size of xi  
    L_full = L_I # Identity for the for loop of L  
    L_v = L_vec(xi_vec, dt) # calling L_vec  
    for i in range(xi_vec_size): # generating L_full  
        L_full = L_full*L_v[xi_vec_size - 1 - i]  
    return L_full
```

In [254]: **def** F(xi\_vec, dt):

```
    r"""Using the fidelity metric to find out the closeness between $T$  
    and $L(t)$"""  
    L_full = L_full_maker(xi_vec, dt)  
    F = real(-fidelity_calc(T, L_full))  
    return F
```

### 2.3.2 Testing major functions 1

In [255]: fidelity\_calc(sigmamax(), sigmay())

Out [255]: 4.0

In [256]: fidelity\_calc(sigmay(), sigmay())

Out [256]: 0.0

```
In [257]: xi_vec_test = array([1.0, 2.0])
          xi_vec_test
```

Out [257]: array([1., 2.])

```
In [258]: xi_vec_test.size
```

Out [258]: 2

```
In [259]: w_vec = [xi**2 for xi in xi_vec_test]
          w_vec
```

Out [259]: [1.0, 4.0]

```
In [260]: # F(xi_vec, dt)
          F(xi_vec_test, 0.001)
```

Out [260]: -7.998400634493138

```
In [261]: L_v = L_vec(xi_vec_test, 0.001)
```

```
In [262]: L_v
```

```
Out [262]: [Quantum object: dims = [[2, 2], [2, 2]], shape = (4, 4), type = oper, isherm = False
Qobj data =
[[ 9.99999000e-01+0.00000000e+00j -9.99899173e-04-4.99933130e-07j
  -9.99899173e-04+4.99933130e-07j  9.99932920e-07+0.00000000e+00j]
 [ 9.99899173e-04+4.99933130e-07j  9.99798520e-01+9.99799187e-04j
  -9.99866260e-07+0.00000000e+00j -9.99899173e-04-4.99933130e-07j]
 [ 9.99899173e-04-4.99933130e-07j -9.99866260e-07+0.00000000e+00j
  9.99798520e-01-9.99799187e-04j -9.99899173e-04+4.99933130e-07j]
 [ 9.99932920e-07+0.00000000e+00j  9.99899173e-04+4.99933130e-07j
  9.99899173e-04-4.99933130e-07j  9.99999000e-01+0.00000000e+00j]],
Quantum object: dims = [[2, 2], [2, 2]], shape = (4, 4), type = oper, isherm = False
Qobj data =
[[ 9.99996000e-01+0.00000000e+00j -1.99979435e-03-9.99865260e-07j
  -1.99979435e-03+9.99865260e-07j  3.99972768e-06+0.00000000e+00j]
 [ 1.99979435e-03+9.99865260e-07j  9.99795521e-01+9.99797187e-04j
  -3.99946104e-06+0.00000000e+00j -1.99979435e-03-9.99865260e-07j]
 [ 1.99979435e-03-9.99865260e-07j -3.99946104e-06+0.00000000e+00j
  9.99795521e-01-9.99797187e-04j -1.99979435e-03+9.99865260e-07j]
 [ 3.99972768e-06+0.00000000e+00j  1.99979435e-03+9.99865260e-07j
  1.99979435e-03-9.99865260e-07j  9.99996000e-01+0.00000000e+00j]]]
```

### 2.3.3 Major Functions 2

```
In [263]: def L_comma_k_maker(xi_vec, k, dt):
    r"""Making of the derivative of full $L(t)$ at time $t_{\{k\}}$"""
    N = xi_vec.size
    # Determining the size of xi, and thus the time_steps indirectly.
    L_v = L_vec(xi_vec, dt) # Making of the full $L(t)$
    inner_part = L_I # Beginner for the for loop
    for i in range(N):
        if i == ( N - 1 - k ):
            # The step at which $X_{\{k\}}(t)$ has to be inserted
            inner_part = inner_part*x_k*L_v[k - 1]
        else:
            # Usual multiplications of $L_{\{k\}}$
            inner_part = inner_part*L_v[N - 1 - i]
    l_comma_k = inner_part
    return l_comma_k
```

```
In [264]: # L_comma_k_maker(xi_vec, k, dt)
    L_comma_k_maker(xi_vec_test, 2, 0.001)
```

Out[264]:

Quantum object: dims = [[2, 2], [2, 2]], shape = (4, 4), type = oper, isherm = False

$$\begin{pmatrix} 1.000 & (-0.003 - 3.499 \times 10^{-06}j) & (-0.003 + 3.499 \times 10^{-06}j) & 8.999 \\ (0.003 + 2.499 \times 10^{-06}j) & (1.000 + 0.002j) & (-8.998 \times 10^{-06} + 2.999 \times 10^{-09}j) & (-0.003 - 2.499 \times 10^{-06}j) \\ (0.003 - 2.499 \times 10^{-06}j) & (-8.998 \times 10^{-06} - 2.999 \times 10^{-09}j) & (1.000 - 0.002j) & (-0.003 + 2.499 \times 10^{-06}j) \\ 8.999 \times 10^{-06} & (0.003 + 3.499 \times 10^{-06}j) & (0.003 - 3.499 \times 10^{-06}j) & 1.000 \end{pmatrix}$$

```
In [265]: def updater(xi_vec, dt, epsilon):
    r"""Implementing the GRAPE update step"""
    xi_vec_size = xi_vec.size # finding the size of xi
    L_full = L_full_maker(xi_vec, dt)
    di = []
    for k in range(xi_vec_size):
        # Building the thing to be added to the old function
        L_comma_k = L_comma_k_maker(xi_vec, k, dt)
        differentiated = T - L_comma_k
        plain = T - L_full
        c = -differentiated.dag()*plain
        d = -plain.dag()*differentiated
        inside = c.tr() + d.tr()
        di.append(epsilon*inside)

    diff = array(di)
    xi_new_vec = xi_vec + diff
    return diff, xi_new_vec
```

```
In [266]: # updater(xi_vec, dt, epsilon)
          updater(xi_vec_test, 0.001, 0.001)

Out[266]: (array([-0.008+0.j, -0.008+0.j]), array([0.992+0.j, 1.992+0.j]))
```

## 2.4 Qutip grape for closed system

```
In [267]: import time
```

```
In [268]: total_time_evo = 2*pi # total time allowed for evolution
```

```
In [269]: times = linspace(0, total_time_evo, 500)
```

```
In [270]: # vector of times at which discretization
          # is carried out
```

```
In [271]: U = T_s
          U
```

```
Out[271]:
Quantum object: dims = [[2], [2]], shape = (2, 2), type = oper, isherm = True
```

$$\begin{pmatrix} 0.0 & 1.0 \\ 1.0 & 0.0 \end{pmatrix}$$

```
In [272]: R = 500
```

```
In [273]: H_ops = [H_1]
          H_ops
```

```
Out[273]: [Quantum object: dims = [[2], [2]], shape = (2, 2), type = oper, isherm = True
          Qobj data =
          [[0.+0.j 0.-1.j]
          [0.+1.j 0.+0.j]]]
```

```
In [274]: H_labels = [r'$g_{no diss}$']
          H_labels
```

```
Out[274]: ['$g_{no diss}$']
```

```
In [275]: H0 = H_0
          H0
```

```
Out[275]:
Quantum object: dims = [[2], [2]], shape = (2, 2), type = oper, isherm = True
```

$$\begin{pmatrix} 0.500 & 0.0 \\ 0.0 & -0.500 \end{pmatrix}$$

```
In [276]: c_ops = []
```

```

In [277]: from qutip.control.grape import plot_grape_control_fields, _overlap
          from qutip.control.grape import grape_unitary_adaptive, cy_grape_unitary

In [278]: from scipy.interpolate import interp1d
          from qutip.ui.progressbar import TextProgressBar, EnhancedTextProgressBar

In [279]: u0 = array([rand(len(times)) * 2 * pi * 0.05 for _ in range(len(H_ops))])

In [280]: from numpy import convolve
          u0 = [convolve(ones(10)/10, u0[idx,:], mode='same') for idx in range(len(H_ops))]

In [281]: u_limits = None #[0, 1 * 2 * pi]
          alpha = None

In [283]: result = cy_grape_unitary(U, H0, H_ops, R, times, u_start=u0, u_limits=u_limits,
                                     eps=2*np.pi*1, alpha=alpha, phase_sensitive=False,
                                     progress_bar=TextProgressBar())

```

-----

KeyboardInterrupt

Traceback (most recent call last)

```

<ipython-input-283-1cb301d5355f> in <module>()
    1 result = cy_grape_unitary(U, H0, H_ops, R, times, u_start=u0, u_limits=u_limits,
    2                               eps=2*np.pi*1, alpha=alpha, phase_sensitive=False,
----> 3                               progress_bar=TextProgressBar())

~/anaconda3/envs/qutip-env/lib/python3.6/site-packages/qutip/control/grape.py in cy_grape_unitary
385
386         U_list = [(-1j * _H_idx(idx) * dt).expm().data
--> 387                   for idx in range(M-1)]
388
389         U_f_list = []

~/anaconda3/envs/qutip-env/lib/python3.6/site-packages/qutip/control/grape.py in <listcomp>
385
386         U_list = [(-1j * _H_idx(idx) * dt).expm().data
--> 387                   for idx in range(M-1)]
388
389         U_f_list = []

~/anaconda3/envs/qutip-env/lib/python3.6/site-packages/qutip/control/grape.py in _H_idx
382     else:
383         def _H_idx(idx):
--> 384             return H0 + sum([u[r, j, idx] * H_ops[j] for j in range(J)])

```



```

385
386         U_list = [(-1j * _H_idx(idx) * dt).expm().data

~/anaconda3/envs/qutip-env/lib/python3.6/site-packages/qutip/qobj.py in __radd__(self,
461         ADDITION with Qobj on RIGHT [ ex. 4+Qobj ]
462         """
--> 463         return self + other
464
465     def __sub__(self, other):

~/anaconda3/envs/qutip-env/lib/python3.6/site-packages/qutip/qobj.py in __add__(self,
368
369         if not isinstance(other, Qobj):
--> 370             other = Qobj(other)
371
372         if np.prod(other.shape) == 1 and np.prod(self.shape) != 1:

~/anaconda3/envs/qutip-env/lib/python3.6/site-packages/qutip/qobj.py in __init__(self,
306             np.integer, np.floating, np.complexfloating)):
307         # if input is int, float, or complex then convert to array
--> 308         _tmp = sp.csr_matrix([[inpt]], dtype=complex)
309         self._data = fast_csr_matrix((_tmp.data, _tmp.indices, _tmp.indptr),
310                                     shape=_tmp.shape)

~/anaconda3/envs/qutip-env/lib/python3.6/site-packages/scipy/sparse/compressed.py in __
77         self.format)
78         from .coo import coo_matrix
---> 79         self._set_self(self.__class__(coo_matrix(arg1, dtype=dtype)))
80
81         # Read matrix dimensions given, if any

~/anaconda3/envs/qutip-env/lib/python3.6/site-packages/scipy/sparse/coo.py in __init__
188
189         if dtype is not None:
--> 190             self.data = self.data.astype(dtype, copy=False)
191
192         self._check()

```

KeyboardInterrupt:

## Plot of optimized control field without dissipation

```
In [ ]: plot_grape_control_fields(times,  
                                   result.u / (2 * np.pi), H_labels, uniform_axes=True);
```

```
In [ ]: U
```

```
In [ ]: result.U_f
```

## 2.5 Analysis of result of qutip grape for closed system

```
In [ ]: result.U_f/result.U_f[0,0]
```

```
In [ ]: matrix_histogram(U)
```

```
In [ ]: matrix_histogram(result.U_f)
```

```
In [ ]: matrix_histogram_complex(U)
```

```
In [ ]: matrix_histogram_complex(result.U_f)
```

```
In [ ]: hinton(U)
```

```
In [ ]: hinton(result.U_f)
```

```
In [ ]: updater(result.u[-1, 0, : ] , (2*pi)/500, epsilon=((0.1*2*pi)/(10**3)))
```

```
In [ ]: times[-1]
```

```
In [ ]: total_time_evo
```

## 2.6 joining qutip to my code

### 2.7 ##### total\_time

NameError Traceback (most recent call last) in () ----> 1 total\_time

NameError: name 'total\_time' is not defined

```
In [ ]: len(times)
```

```
def terminator(max_iter, time_steps=len(times), total_time= total_time_evo, epsilon= 2*pi):  
r"""Brief description of the function"""
```

```
xi_initial = result.u[-1, 0, : ]  
#1000*random_sample((time_steps,))  
dt = (2*pi)/500 #total_time/time_steps  
xi_diff, xi_new_vec = updater(xi_initial, dt, epsilon)
```

```
for i in range(max_iter):  
    if amax(xi_diff) < epsilon**2 :  
        xi_final = xi_new_vec
```

```

        break
    else :
        xi_diff, xi_new_vec = updater(xi_new_vec, dt, epsilon)
        print(i)
        print(amax(xi_diff))

xi_final = xi_new_vec
return xi_final

def terminator(max_iter, time_steps=len(times), total_time=total_time_evo, epsilon=2*pi):
    r"""Brief description of the function""" xi_initial = result.u[-1, 0, :] # 1000random_sample((time_steps,))
    dt = (2*pi)/500 #total_time/time_steps
    xi_diff, xi_new_vec = updater(xi_initial, dt, epsilon)

    for i in range(max_iter):
        if amax(xi_diff) < epsilon**2 :
            xi_final = xi_new_vec
            print("Tejas is unlucky")
            break
        else :
            xi_diff, xi_new_vec = updater(xi_new_vec, dt, epsilon)
            print("Tejas is a good boy")
            print(i)
            print(amax(xi_diff))

    return xi_final

In [ ]: def terminator(max_iter, time_steps=len(times),
                        total_time=total_time_evo,
                        epsilon=2*pi*1):
    r"""Brief description of the function"""
    xi_initial = result.u[-1, 0, :]
    # 1000*random_sample((time_steps,))
    dt = (2*pi)/500 #total_time/time_steps
    xi_diff, xi_new_vec = updater(xi_initial, dt, epsilon)
    min_iter = int(max_iter/2)
    for i in range(max_iter):
        if i == 0:
            print("Hi")

        if i > min_iter :

            if i > min_iter + 1 :
                print("Surpassed minimum iteration barrier")
            if amax(xi_diff) < epsilon**2 :
                xi_final = xi_new_vec

```

```

        #print("Tejas is unlucky")
        print("Attempted iterations ", i)
        break
    else :
        xi_diff, xi_new_vec = updater(xi_new_vec, dt, epsilon)
        #print("Tejas is a good boy")
        print(i)
        print(amax(xi_diff))

    else :
        #print("Normal life")
        xi_diff, xi_new_vec = updater(xi_new_vec, dt, epsilon)
        print(i)
        print(amax(xi_diff))

    return xi_final

```

## 2.8 sub topic 3

```
In [ ]: new_label = [r'$g_{with diss}$']
```

### 2.8.1 try

```
In [ ]: xi_opt = terminator(10)
```

```
In [ ]: time_steps=len(times)
        total_time= total_time_evo
        epsilon= 2*pi*1
```

```
In [ ]: dt = (2*pi)/500
        F(xi_opt, dt)
```

```
In [ ]: L_full_maker(xi_opt, dt)
```

```
In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
               xlabel='time', ylabel= r'$g_{with diss}$',
               title='Control field in the presence of dissipation');
```

```
In [284]: def cF2p(Q_G, tejas_c):
           r"""Takes in the 2 control fields and produces the plot directly.
           The plot contains the following lines:
           1. Qutip grape without dissipation
           2. Qutip grape with dissipation
           3. My control field with dissipation
```

*Does some stuff.*

*Parameters*

*-----*

*Q\_G : numpy array?*

*control field Qutip grape without dissipation*

*tejas\_c : numpy array?*

*My control field with dissipation for open quantum system*

*Returns*

*-----*

*inFidelity vector for*

*1. Qutip grape without dissipation : infid\_grape\_no\_diss*

*2. Qutip grape with dissipation : infid\_grape\_diss*

*3. My control field with dissipation : infid\_grape\_diss\_optimized*

*"""*

*qone = basis(2, 0)*

*qzero = basis(2, 1)*

*c\_ops\_tejas = sqrt(gamma)\*Lin*

*# state list building*

*H\_qutip = [H\_0, [H\_1, Q\_G]] #result.u[-1, 0, :]*

*print("grape\_no\_diss")*

*grape\_no\_diss = mesolve(H\_qutip, qzero, times, c\_ops=[],  
e\_ops=[], args={}, options=None,  
progress\_bar=TextProgressBar() )*

*print("")*

*print("grape\_diss")*

*grape\_diss = mesolve(H\_qutip, qzero, times, c\_ops=[c\_ops\_tejas],  
e\_ops=[], args={}, options=None,  
progress\_bar=TextProgressBar() )*

*print("")*

*print("grape\_diss\_optimized")*

*H\_diss\_optimized = [H\_0, [H\_1, tejas\_c ]]*

*grape\_diss\_optimized = mesolve(H\_diss\_optimized, qzero, times,  
c\_ops=[c\_ops\_tejas], e\_ops=[],  
args={}, options=None,  
progress\_bar=TextProgressBar() )*

*# H\_diss\_optimized should have been written isntead of H\_no\_diss*

*print("")*

*print("")*

*# states list to fidelity list*

*one\_dm = ket2dm(qone)*

*zero\_dm = ket2dm(qzero)*

```

def infidelity_tejas(dm, d=2):
    r"""Brief description of the function"""
    infid = 1 - fidelity(one_dm, dm)
    return infid

infid_dm_vec = vectorize(infidelity_tejas)
infid_grape_no_diss = infid_dm_vec(grape_no_diss.states)
infid_grape_diss = infid_dm_vec(grape_diss.states)
infid_grape_diss_optimized = infid_dm_vec(grape_diss_optimized.states)
list_of_infid_vec = [infid_grape_no_diss, infid_grape_diss,
                    infid_grape_diss_optimized]
return list_of_infid_vec

```

```
In [285]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)
```

grape\_no\_diss

```

10.0%. Run time: 0.02s. Est. time left: 00:00:00:00
20.0%. Run time: 0.05s. Est. time left: 00:00:00:00
30.0%. Run time: 0.08s. Est. time left: 00:00:00:00
40.0%. Run time: 0.10s. Est. time left: 00:00:00:00
50.0%. Run time: 0.14s. Est. time left: 00:00:00:00
60.0%. Run time: 0.18s. Est. time left: 00:00:00:00
70.0%. Run time: 0.22s. Est. time left: 00:00:00:00
80.0%. Run time: 0.26s. Est. time left: 00:00:00:00
90.0%. Run time: 0.31s. Est. time left: 00:00:00:00
Total run time: 0.34s

```

grape\_diss

```

10.0%. Run time: 0.01s. Est. time left: 00:00:00:00
20.0%. Run time: 0.02s. Est. time left: 00:00:00:00
30.0%. Run time: 0.04s. Est. time left: 00:00:00:00
40.0%. Run time: 0.05s. Est. time left: 00:00:00:00
50.0%. Run time: 0.07s. Est. time left: 00:00:00:00
60.0%. Run time: 0.08s. Est. time left: 00:00:00:00
70.0%. Run time: 0.10s. Est. time left: 00:00:00:00
80.0%. Run time: 0.13s. Est. time left: 00:00:00:00
90.0%. Run time: 0.15s. Est. time left: 00:00:00:00
Total run time: 0.17s

```

grape\_diss\_optimized

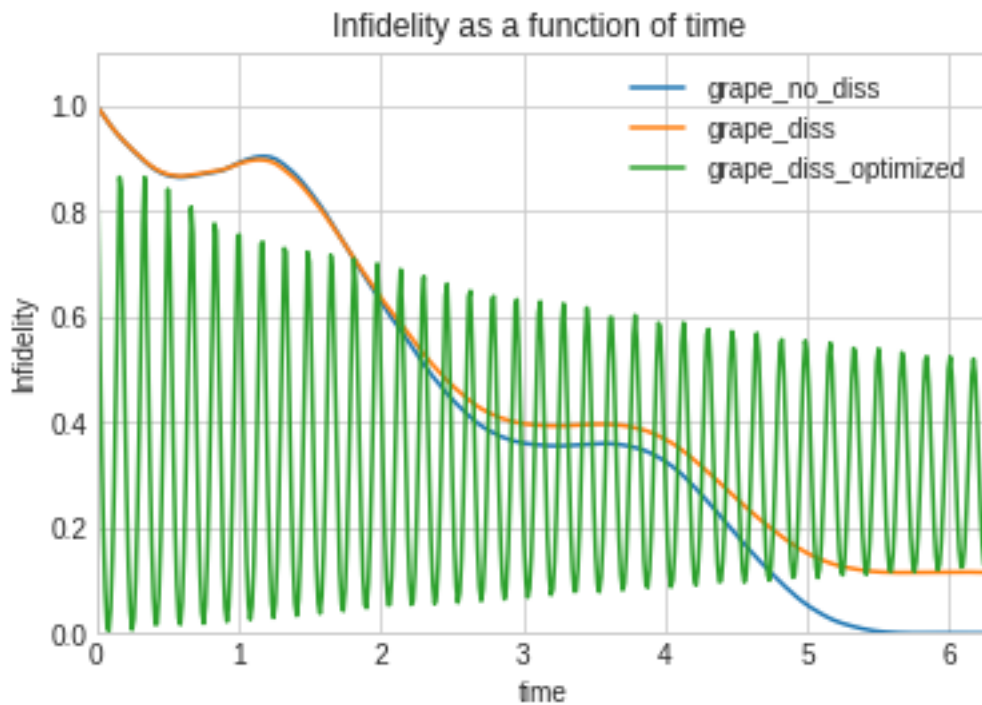
```

10.0%. Run time: 0.02s. Est. time left: 00:00:00:00
20.0%. Run time: 0.05s. Est. time left: 00:00:00:00
30.0%. Run time: 0.08s. Est. time left: 00:00:00:00
40.0%. Run time: 0.11s. Est. time left: 00:00:00:00
50.0%. Run time: 0.15s. Est. time left: 00:00:00:00
60.0%. Run time: 0.18s. Est. time left: 00:00:00:00
70.0%. Run time: 0.22s. Est. time left: 00:00:00:00
80.0%. Run time: 0.25s. Est. time left: 00:00:00:00

```

90.0%. Run time: 0.30s. Est. time left: 00:00:00:00  
Total run time: 0.35s

```
In [286]: ax = axes()
ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
ax.plot(times, list_of_infid_vec[1], label='grape_diss')
ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
#ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
#ax.axis('equal')
ax.legend()
ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
       xlabel='time', ylabel='Infidelity',
       title='Infidelity as a function of time ');
```



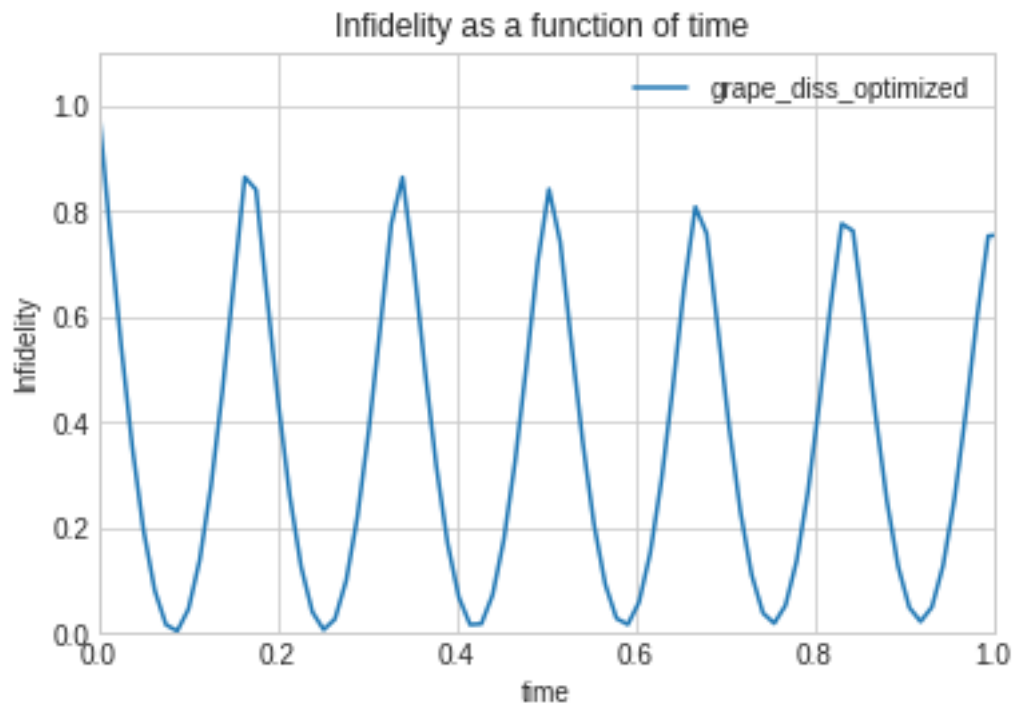
```
In [287]: list_of_infid_vec[2][0:10]
```

```
Out [287]: array([1.          , 0.76726177, 0.54871542, 0.35498059, 0.19641811,
                  0.08146654, 0.01624441, 0.00419602, 0.04598029, 0.13924153])
```

```
In [288]: len(list_of_infid_vec[2])
```

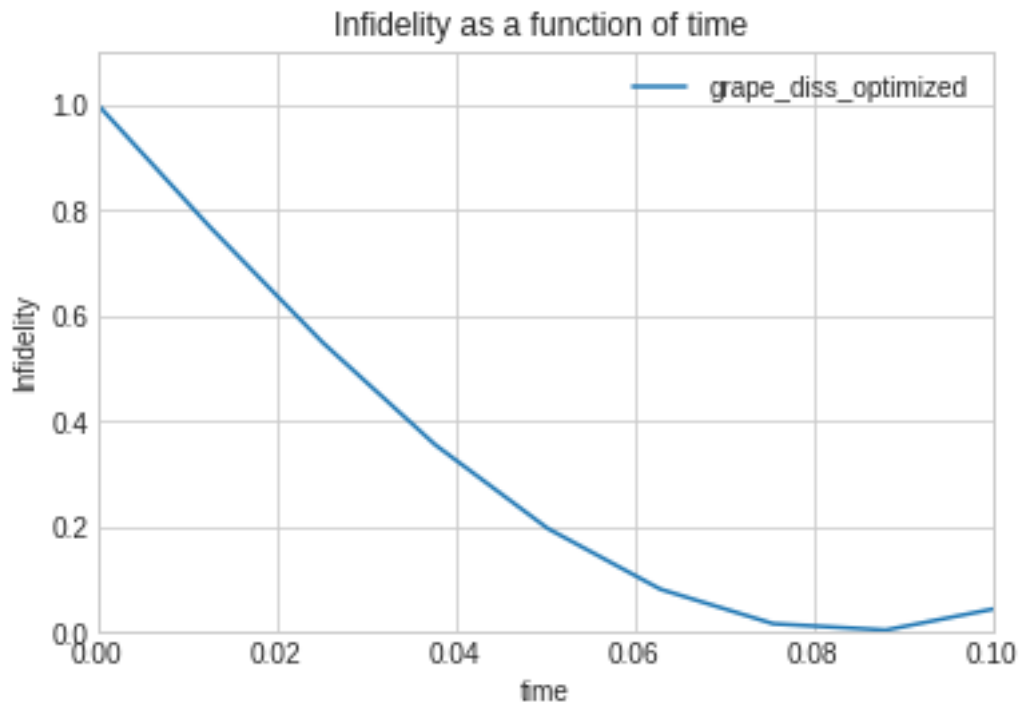
```
Out [288]: 500
```

```
In [289]: ax = axes()
#ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
#ax.plot(times, list_of_infid_vec[1], label='grape_diss')
ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
#ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
#ax.axis('equal')
ax.legend()
ax.set(xlim=(times[0], 1), ylim=(0, 1.1),
       xlabel='time', ylabel='Infidelity',
       title='Infidelity as a function of time ');
```



```
In [290]: ax = axes()
#ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
#ax.plot(times, list_of_infid_vec[1], label='grape_diss')
ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
#ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
#ax.axis('equal')
ax.legend()
ax.set(xlim=(times[0], 0.1), ylim=(0, 1.1),
       xlabel='time', ylabel='Infidelity',
       title='Infidelity as a function of time ');
```





```
In [291]: list_of_infid_vec[2][0:10]
```

```
Out[291]: array([1.          , 0.76726177, 0.54871542, 0.35498059, 0.19641811,
                  0.08146654, 0.01624441, 0.00419602, 0.04598029, 0.13924153])
```

```
In [298]: for n in range(len(times)) :
           print("")
```























```
In [295]: the_ones = [n for n in range(times[-1]) ]
```

```
-----  
TypeError                                Traceback (most recent call last)
```

```
<ipython-input-295-a3044dec3033> in <module>()  
----> 1 the_ones = [n for n in range(times[-1]) ]
```

```
TypeError: 'numpy.float64' object cannot be interpreted as an integer
```

```
In [299]: the_chosen_ones = [n for n in range(times[-1])  
                             if abs(list_of_infid_vec[2][n] < 0.001)]
```

```
-----  
TypeError                                Traceback (most recent call last)
```

```
<ipython-input-299-0e1b2f1921ae> in <module>()  
----> 1 the_chosen_ones = [n for n in range(times[-1])  
    2                     if abs(list_of_infid_vec[2][n] < 0.001)]
```

```
TypeError: 'numpy.float64' object cannot be interpreted as an integer
```

```
In [294]: abs(list_of_infid_vec[2][3] < 0.001)
```

```
Out[294]: False
```

```
In [300]: the_chosen_ones = [n for n in range(len(times))  
                             if abs(list_of_infid_vec[2][n] < 0.001)]
```

```
In [301]: the_chosen_ones
```

```
Out[301]: []
```

```
In [302]: the_chosen_ones = [n for n in range(len(times))  
                             if abs(list_of_infid_vec[2][n]) < 0.001 ]
```

```
In [303]: the_chosen_ones
```

```
Out[303]: []
```

```
In [304]: the_chosen_ones = [n for n in range(len(times))
                             if abs(list_of_infid_vec[2][n]) > 0.001 ]
```

```
In [305]: len(the_chosen_ones)
```

```
Out[305]: 500
```

```
In [306]: amin(list_of_infid_vec[2])
```

```
Out[306]: 0.004196015277072251
```

```
In [307]: the_chosen_ones = [n for n in range(len(times))
                             if abs(list_of_infid_vec[2][n])
                                < (10**(-4) + amin(list_of_infid_vec[2])) ]
```

```
In [308]: the_chosen_ones
```

```
Out[308]: [7]
```

```
In [309]: list_of_infid_vec[2][7]
```

```
Out[309]: 0.004196015277072251
```

## 2.8.2 try

```
In [ ]: xi_opt = terminator(1000)
```

```
In [ ]: time_steps=len(times)
        total_time= total_time_evo
        epsilon= 2*pi*1
```

```
In [ ]: dt = (2*pi)/500
        F(xi_opt, dt)
```

```
In [ ]: L_full_maker(xi_opt, dt)
```

```
In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
               xlabel='time', ylabel= r'$g_{with diss}$',
               title='Control field in the presence of dissipation');
```

```
In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)
```

```

In [ ]: ax = axes()
        ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
        ax.plot(times, list_of_infid_vec[1], label='grape_diss')
        ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()
        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');

```

### 2.8.3 try

```

In [ ]: xi_opt = terminator(1000,time_steps=len(times), total_time= total_time_evo,
                            epsilon= ((0.1*2*pi)/(times[-1])))

```

```

In [ ]: time_steps=len(times)
        total_time= total_time_evo
        epsilon = ((0.1*2*pi)/(times[-1]))

```

```

In [ ]: dt = (2*pi)/500
        F(xi_opt, dt)

```

```

In [ ]: L_full_maker(xi_opt, dt)

```

```

In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
                xlabel='time', ylabel= r'$g_{with diss}$',
                title='Control field in the presence of dissipation');

```

```

In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)

```

```

In [ ]: ax = axes()
        ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
        ax.plot(times, list_of_infid_vec[1], label='grape_diss')
        ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()
        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');

```

## 2.8.4 try

```
In [ ]: xi_opt = terminator(10,time_steps=len(times), total_time= total_time_evo,
                             epsilon= ((0.1*2*pi)/(times[-1])))

In [ ]: time_steps=len(times)
        total_time= total_time_evo
        epsilon = ((0.1*2*pi)/(times[-1]))

In [ ]: dt = (2*pi)/500
        F(xi_opt, dt)

In [ ]: L_full_maker(xi_opt, dt)

In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
                xlabel='time', ylabel= r'$g_{\text{with diss}}$',
                title='Control field in the presence of dissipation');

In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)

In [ ]: ax = axes()
        ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
        ax.plot(times, list_of_infid_vec[1], label='grape_diss')
        ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()
        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');
```

## 2.8.5 try

```
In [ ]: xi_opt = terminator(1000,time_steps=len(times), total_time= total_time_evo,
                             epsilon= ((0.1*2*pi)/(10**3)))

In [ ]: time_steps=len(times)
        total_time= total_time_evo
        epsilon = ((0.1*2*pi)/(times[-1]))

In [ ]: dt = (2*pi)/500
        F(xi_opt, dt)

In [ ]: F(result.u[-1, 0, :], dt)
```

```

In [ ]: L_full_maker(xi_opt, dt)

In [ ]: len(times)

In [ ]: new_label = [r'$g_{with diss}$']

'''plot_grape_control_fields(times, xi_opt / (2 * np.pi), new_label, uniform_axes=True); Val-
ueError Traceback (most recent call last) in () 1 plot_grape_control_fields(times, ----> 2 xi_opt / (2
* np.pi), new_label, uniform_axes=True);
/anaconda3/envs/qutip-env/lib/python3.6/site-packages/qutip/control/grape.py in
plot_grape_control_fields(times, u, labels, uniform_axes) 101 import matplotlib.pyplot as plt 102
--> 103 R, J, M = u.shape 104 105 fig, axes = plt.subplots(J, 1, figsize=(8, 2 * J), squeeze=False)
ValueError: not enough values to unpack (expected 3, got 1)'''

In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        ax.set(xlim=(0, total_time_evo), ylim=(-0.8, 0.8 ),
                xlabel='time', ylabel= r'$g_{with diss}$',
                title='Control field in the presence of dissipation');

In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)

In [ ]: ax = axes()
        ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
        ax.plot(times, list_of_infid_vec[1], label='grape_diss')
        ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()
        ax.set(xlim=(times[0], times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');

In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
                xlabel='time', ylabel= r'$g_{with diss}$',
                title='Control field in the presence of dissipation');

In [ ]: ax = axes()
        ax.plot(times, result.u[-1, 0, :])
        xi_max = amax(result.u[-1, 0, :]) + 0.1
        xi_min = amin(result.u[-1, 0, :]) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
                xlabel='time', ylabel= r'$g_{with diss}$',
                title='old Control field in the presence of \
dissipation produced by qutip');

```



### 2.8.6 try

```
In [ ]: xi_opt = terminator(1000,time_steps=len(times), total_time= total_time_evo,  
                             epsilon= ((0.1*2*pi)/(10**4)))
```

```
In [ ]: dt = (2*pi)/500  
        F(xi_opt, dt)
```

```
In [ ]: L_full_maker(xi_opt, dt)
```

```
In [ ]: ax = axes()  
        ax.plot(times, xi_opt)  
        xi_max = amax(xi_opt) + 0.1  
        xi_min = amin(xi_opt) - 0.1  
  
        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),  
               xlabel='time', ylabel= r'$g_{\text{with diss}}$',  
               title='Control field in the presence of dissipation');
```

```
In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)
```

```
In [ ]: ax = axes()  
        ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')  
        ax.plot(times, list_of_infid_vec[1], label='grape_diss')  
        ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')  
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',  
        #ax.axis('equal')  
        ax.legend()  
        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),  
               xlabel='time', ylabel='Infidelity',  
               title='Infidelity as a function of time ');
```

### 2.8.7 try

```
In [ ]: xi_opt = terminator(10**4,time_steps=len(times), total_time= total_time_evo,  
                             epsilon= ((0.1*2*pi)/(10**3)))
```

```
In [ ]: dt = (2*pi)/500  
        F(xi_opt, dt)
```

```
In [ ]: L_full_maker(xi_opt, dt)
```

```
In [ ]: ax = axes()  
        ax.plot(times, xi_opt)  
        xi_max = amax(xi_opt) + 0.1  
        xi_min = amin(xi_opt) - 0.1  
  
        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),  
               xlabel='time', ylabel= r'$g_{\text{with diss}}$',  
               title='Control field in the presence of dissipation');
```

```

In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)

In [ ]: ax = axes()
        ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
        ax.plot(times, list_of_infid_vec[1], label='grape_diss')
        ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()
        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');

```

### 2.8.8 try

```

In [ ]: xi_opt = terminator(10**4,time_steps=len(times), total_time= total_time_evo,
                            epsilon= ((0.1*2*pi)/(10**4)))

In [ ]: dt = (2*pi)/500
        F(xi_opt, dt)

In [ ]: L_full_maker(xi_opt, dt)

In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
                xlabel='time', ylabel= r'$g_{with diss}$',
                title='Control field in the presence of dissipation');

In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)

```

```

In [ ]: ax = axes()
        ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
        ax.plot(times, list_of_infid_vec[1], label='grape_diss')
        ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()
        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');

```

### 2.8.9 try

```

In [ ]: xi_opt = terminator(10**4,time_steps=len(times), total_time= total_time_evo,
                            epsilon= ((0.1*2*pi)/(10**10)))

```

```

In [ ]: dt = (2*pi)/500
        F(xi_opt, dt)

In [ ]: L_full_maker(xi_opt, dt)

In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
                xlabel='time', ylabel= r'$g_{\text{with diss}}$',
                title='Control field in the presence of dissipation');

In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)

In [ ]: ax = axes()
        ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
        ax.plot(times, list_of_infid_vec[1], label='grape_diss')
        ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()
        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');

```

## 2.8.10 try

```

In [ ]: xi_opt = terminator(10**4,time_steps=10**3, total_time= total_time_evo,
                            epsilon= ((0.1*2*pi)/(10**3)))

In [ ]: dt = (2*pi)/(10**3)#(2*pi)/500
        # probably happened because of hard coding of dt inside terminator
        # must try it again after changing that
        F(xi_opt, dt)

In [ ]: L_full_maker(xi_opt, dt)

In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
                xlabel='time', ylabel= r'$g_{\text{with diss}}$',
                title='Control field in the presence of dissipation');

In [ ]: list_of_infid_vec = cF2p(result.u[-1, 0, :], xi_opt)

```

```
In [ ]: ax = axes()
ax.plot(times, list_of_infid_vec[0], label='grape_no_diss')
ax.plot(times, list_of_infid_vec[1], label='grape_diss')
ax.plot(times, list_of_infid_vec[2], label='grape_diss_optimized')
#ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
#ax.axis('equal')
ax.legend()
ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
       xlabel='time', ylabel='Infidelity',
       title='Infidelity as a function of time ');
```

## 2.9 APS stuff

### 2.9.1 infidelity function tryouts

```
In [ ]: qone = basis(2, 0)
qone
```

```
In [ ]: qzero = basis(2, 1)
qzero
```

### 2.10 ##### ket2bra

NameError Traceback (most recent call last) in () ----> 1 ket2bra  
NameError: name 'ket2bra' is not defined

```
In [ ]: (sigmax()).matrix_element(qone, qzero)
```

```
In [ ]: abs((sigmax()).matrix_element(qone, qzero))
```

```
In [ ]: abs(2 + 3j)
```

```
In [ ]: abs(3 + 4j)
```

```
In [ ]: def infidelity_to_one(U):
        r"""infidelity to state one"""
        fidelity = (abs(U.matrix_element(qone, qzero)))**2
        infidelity = 1 - fidelity
        return infidelity
```

```
In [ ]: infidelity_to_one(sigmax())
# 1 - abs((sigmax()).matrix_element(qone, qzero))
# 1 - 1 = 0
```

result.u, result.u but lindbladian evolution, xi\_opt

```
In [ ]: qone.overlap(qzero)
```

```
In [ ]: qzero.overlap(qzero)
```

```
In [ ]: qone.overlap(qone)
```

```
In [ ]: def infidelity_to_state(psi):
        r"""infidelity to state one"""
        fidelity = (abs(qone.overlap(psi)))**2
        infidelity = 1 - fidelity
        return infidelity
```

```
In [ ]: infidelity_to_state(qzero)
```

```
In [ ]: infidelity_to_state(qone)
```

```
In [ ]: #mesolve
```

### 2.10.1 state building

```
In [ ]: H_no_diss = [H_0, [H_1, result.u[-1, 0, :]]]
        grape_no_diss = mesolve(H_no_diss, qzero, times, c_ops=[], e_ops=[],
                                args={}, options=None,
                                progress_bar=EnhancedTextProgressBar() )
```

```
In [ ]: len(grape_no_diss.states)
```

```
In [ ]: Lin
```

```
In [ ]: sqrt(gamma)
```

```
In [ ]: c_ops_tejas = sqrt(gamma)*Lin
        c_ops_tejas
```

```
In [ ]: H_diss = [H_0, [H_1, result.u[-1, 0, :]]]
        grape_diss = mesolve(H_no_diss, qzero, times, c_ops=[c_ops_tejas], e_ops=[],
                                args={}, options=None,
                                progress_bar=EnhancedTextProgressBar() )
```

```
In [ ]: len(grape_diss.states)
```

```
In [ ]: H_diss_optimized = [H_0, [H_1, xi_opt]]
        grape_diss_optimized = mesolve(H_diss_optimized, qzero, times, c_ops=[c_ops_tejas],
                                         e_ops=[], args={}, options=None,
                                         progress_bar=TextProgressBar() )
        # H_diss_optimized should have been written instead of H_no_diss
```

```
In [ ]: len(grape_diss_optimized.states)
```

### 2.10.2 states list to fidelity list

```
In [ ]: infidelity_to_state_vec = vectorize(infidelity_to_state)
```

```
In [ ]: infid_grape_no_diss = infidelity_to_state_vec(grape_no_diss.states)
```

```

In [ ]: '''fid_grape_diss = infidelity_to_state_vec(grape_diss.states)
TypeError                                Traceback (most recent call last)
<ipython-input-101-fbab06eff84> in <module>()
----> 1 fid_grape_diss = infidelity_to_state_vec(grape_diss.states)

/anaconda3/envs/qutip-env/lib/python3.6/site-packages/numpy/lib/function_base.py in __
2753         vargs.extend([kwargs[_n] for _n in names])
2754
-> 2755         return self._vectorize_call(func=func, args=vargs)
2756
2757     def _get_ufunc_and_otypes(self, func, args):

/anaconda3/envs/qutip-env/lib/python3.6/site-packages/numpy/lib/function_base.py in _v
2823         res = func()
2824     else:
-> 2825         ufunc, otypes = self._get_ufunc_and_otypes(func=func, args=args)
2826
2827         # Convert args to object arrays first

/anaconda3/envs/qutip-env/lib/python3.6/site-packages/numpy/lib/function_base.py in _g
2783
2784         inputs = [arg.flat[0] for arg in args]
-> 2785         outputs = func(*inputs)
2786
2787         # Performance note: profiling indicates that -- for simple

<ipython-input-96-32321f8d8a33> in infidelity_to_state(psi)
      1 def infidelity_to_state(psi):
      2     r"""infidelity to state one"""
----> 3     fidelity = (abs(qone.overlap(psi)))*2
      4     infidelity = 1 - fidelity
      5     return infidelity

/anaconda3/envs/qutip-env/lib/python3.6/site-packages/qutip/qobj.py in overlap(self, s
1486         return (self.data.H * state.data)[0, 0]
1487
-> 1488         raise TypeError("Can only calculate overlap for state vector Qobjs")
1489
1490     def eigenstates(self, sparse=False, sort='low',

TypeError: Can only calculate overlap for state vector Qobjs

'''

fid_grape_no_diss = infidelity_to_state_vec(grape_no_diss.states)

In [ ]: fidelity(sigmamax(), sigmax())

```

```

In [ ]: zero_dm = ket2dm(qzero)
        zero_dm

In [ ]: one_dm = ket2dm(qone)
        one_dm

In [ ]: fidelity(zero_dm, zero_dm)

In [ ]: fidelity(zero_dm, one_dm)

In [ ]: fidelity(one_dm, zero_dm)

In [ ]: grape_no_diss.states[5]

In [ ]: grape_diss.states[5]

In [ ]: grape_diss.states[7]

In [ ]: fidelity(grape_diss.states[7], one_dm)

In [ ]: #0.0122.347E10**05j)

In [ ]: def infidelity_tejas(dm, d=2):
        r"""Brief description of the function"""
        infid = 1 - fidelity(one_dm, dm)
        return infid

In [ ]: infid_dm_vec = vectorize(infidelity_tejas)

In [ ]: infid_grape_diss = infid_dm_vec(grape_diss.states)

In [ ]: len(infid_grape_diss)

In [ ]: infid_grape_diss_optimized = infid_dm_vec(grape_diss_optimized.states)

In [ ]: len(infid_grape_diss_optimized)

```

### 2.10.3 plots

```

In [ ]: ax = axes()
        ax.plot(times, infid_grape_no_diss, label='grape_no_diss')
        ax.plot(times, infid_grape_diss, label='grape_diss')
        ax.plot(times, infid_grape_diss_optimized, label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()
        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
               xlabel='time', ylabel='Infidelity',
               title='Infidelity as a function of time ');

```

```

In [ ]: ax = axes()
        ax.plot(times, infid_grape_no_diss, label='grape_no_diss')
        ax.plot(times, infid_grape_diss, label='grape_diss')
        #ax.plot(times, infid_grape_diss_optimized, label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()

        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');

In [ ]: ax = axes()
        ax.plot(times, infid_grape_no_diss, label='grape_no_diss')
        #ax.plot(times, infid_grape_diss, label='grape_diss')
        ax.plot(times, infid_grape_diss_optimized, label='grape_diss_optimized')
        #ax.plot(x, cos(x), ':b', label='cos(x)')'-g',
        #ax.axis('equal')
        ax.legend()

        ax.set(xlim=(times[0],times[-1]), ylim=(0, 1.1),
                xlabel='time', ylabel='Infidelity',
                title='Infidelity as a function of time ');

In [ ]: ax = axes()
        c_diff = result.u[-1, 0, : ] - xi_opt
        ax.plot(times, c_diff)
        c_max = amax(c_diff) + 0.1
        c_min = amin(c_diff) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(c_min, c_max),
                xlabel='time', ylabel= 'diff',
                title='difference');

In [ ]: ax = axes()
        ax.plot(times, xi_opt)
        xi_max = amax(xi_opt) + 0.1
        xi_min = amin(xi_opt) - 0.1

        ax.set(xlim=(0, total_time_evo), ylim=(xi_min, xi_max),
                xlabel='time', ylabel= r'$g_{with diss}$',
                title='Control field in the presence of dissipation');

```

## 2.11 Versions

```

In [ ]: from qutip.ipynbtools import version_table

        version_table()

In [ ]: cnot()

```