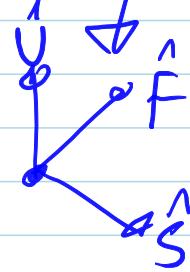


## Week3A - Viewing

- Viewing in 3D → 2D
- Parallel, orthogonal, perspective views
- - set  $\begin{matrix} \text{Modeling} \\ \text{Viewing} \\ \text{Projection} \\ \text{Viewport} \end{matrix}$  → Transformations, for 3D to 2D
- OpenGL default: orthogonal projection, i.e. PARALLEL to z axis
  - $(p, q, r) \rightarrow (p, q, 0)$  (embedded onto  $z=0$  plane)
    - (--- lines are  $\perp$  to  $z=0$  plane AND parallel to z axis)
    - same thing  $\Downarrow$
    - all geometry THIN scan converted/pixelised with z-buffer applied
    - ORTHOGONAL, can't obtain perspective
      - Solution: we ~~must~~ pre-distort stuff
- Viewing: moving camera one way → the SAME shot
  - "Duality" of modelling and viewing
    - simulating "camera" by transforming object
    - NO CAMERA, we only transform a model

OpenGL default: "camera" looks down the  $z$ -axis at  $(0,0,0)$

→ eye point  $E$   
→ centre of interest  $C$   
→ view up vector  $V$  → use  $(E, C, V)$  to define a coordinate system



- ① →  $F_n = E - C$   
② →  $\hat{F} = \text{normalised } F$   
(only direction needed)

② → which way is UP for camera? →  $\hat{V}$

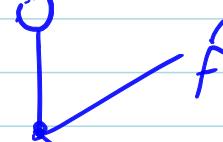
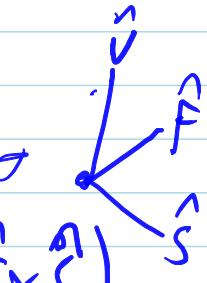
① CAN'T assume  $V$  is orthogonal to  $F$   
→ unreliable

① Decouple  $\hat{F}$  and  $\hat{U}$  completely

→  $\hat{S} = \text{normalise}(\hat{F} \times \hat{U})$

→ THEN,  $\hat{V} = \text{normalise}(\hat{F} \times \hat{S})$

→ Throw  $\hat{U}$  away



→ How to derive  $(T_c)^{-1}$ : get centre of above back to  $(0,0,0)$



