Non-uniform Partitioning for Graph-based Point Cloud Attribute Coding



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Introduction

Point clouds

- 3D collection of points representing objects
- Geometry: points in space $V_i=(x,y,z)\in\mathbb{R}^3$
- Attributes: colors $A_i=(r,g,b)\in[0,255]^3$

Coding process

- Geometry and attributes encoded separately
- Geometry usually encoded first
- Full knowledge of geometry assumed at the decoder

Classic approaches (e.g. G-PCC, [1])

Point clouds split into blocks of fixed size b using octree partitioning

- Only uses geometry information
- Trivial to reproduce at decoder

Attribute Compression using Block-based Graph Fourier Transform

Reference method [1]: Graph Fourier Transform (GFT) applied on graph representations of point cloud blocks to decorrelate attributes

New approach: Blocks obtained using Cluster-based partitioning

- ⇒ Smooth geometry and attributes within blocks enhance compression
- Partitioning attribute-aware at encoder
- Side information necessary for decoder to reproduce partitioning

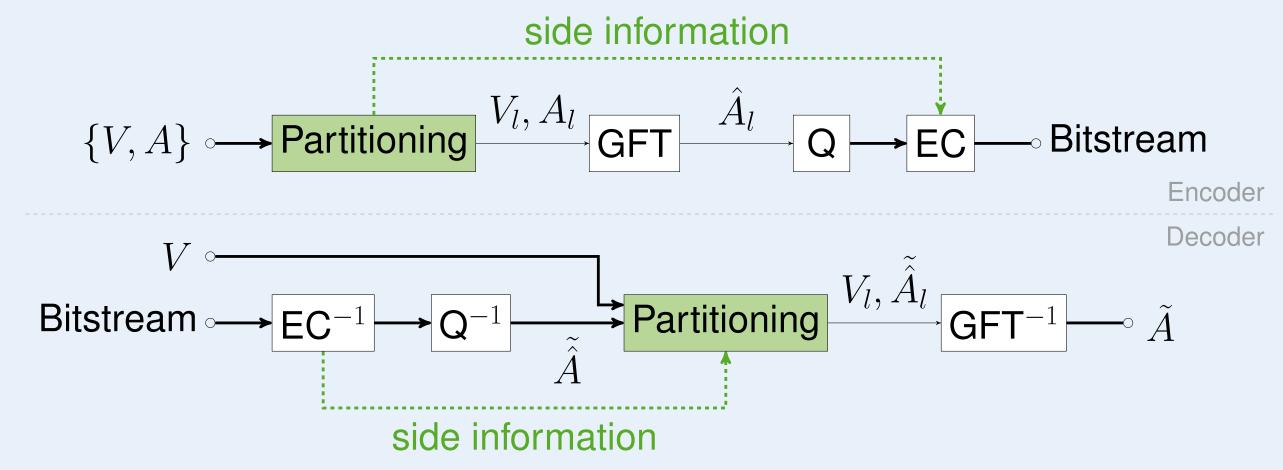


Fig. 1: Point cloud attribute compression scheme [1] with modified blocks

Clustering-based Partitioning

Batch k-means [2] on both geometry and attributes to partition points into k blocks

$$X_i = \begin{pmatrix} \bar{V}_i \\ \lambda \bar{A}_i \end{pmatrix} \in \mathbb{R}^6$$

 V_i, A_i scaled to zero mean and unit variance λ controls importance of attributes

Partition labels update rule

$$L_{VAi} = \arg\min_{i} ||\bar{V}_{i} - C_{Vj}||_{2} + \lambda ||\bar{A}_{i} - C_{Aj}||_{2}$$

Side information

Quantization and transmission of k geometry centers $C_{Vj} \in \mathbb{R}^3$

Decoder

Partition labels L_V obtained using C_V

$$L_{Vi} = \arg\min_{j} ||\bar{V}_i - C_{Vj}||_2$$

⇒ Encoder simulates decoder to keep partitions consistent

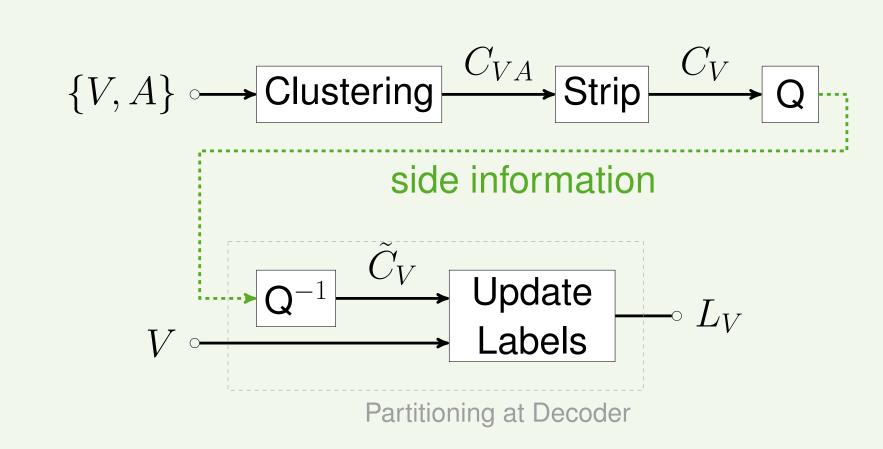
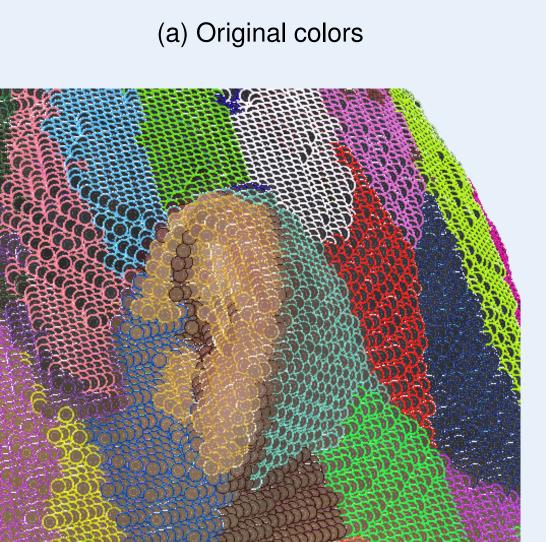


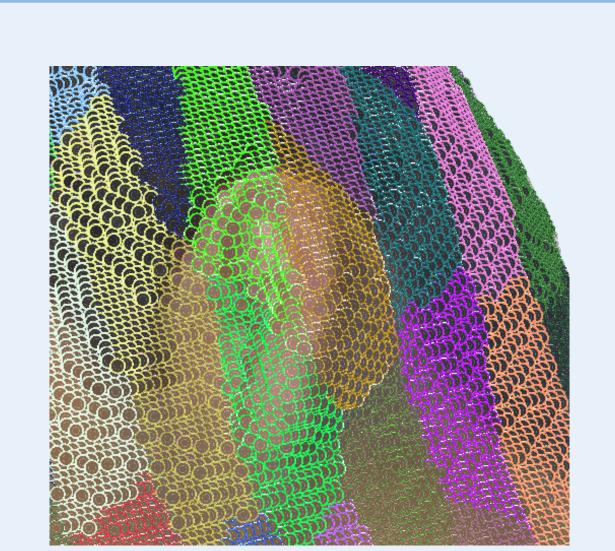
Fig. 2: Partitioning method block diagram

Visual Results

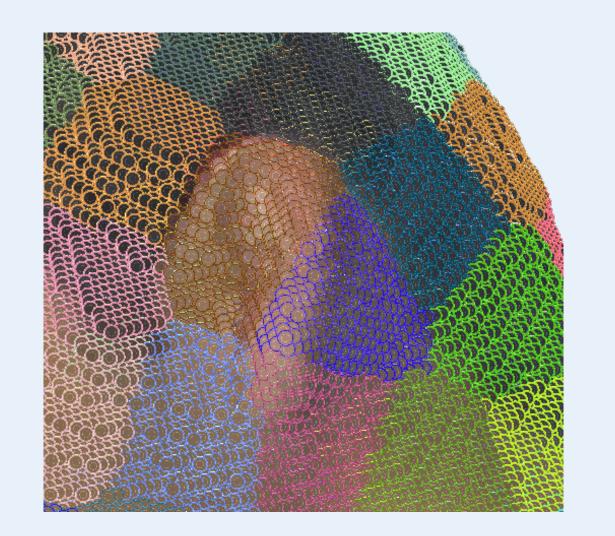




(c) Partitioning using $\lambda=0.2$

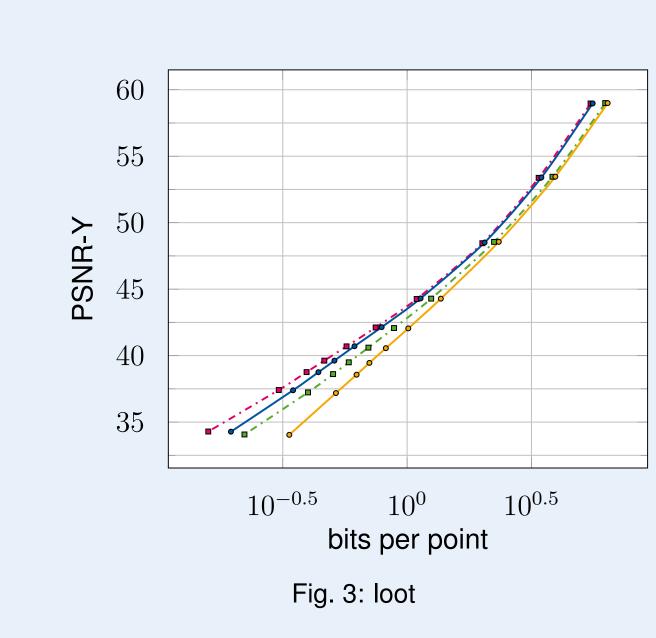


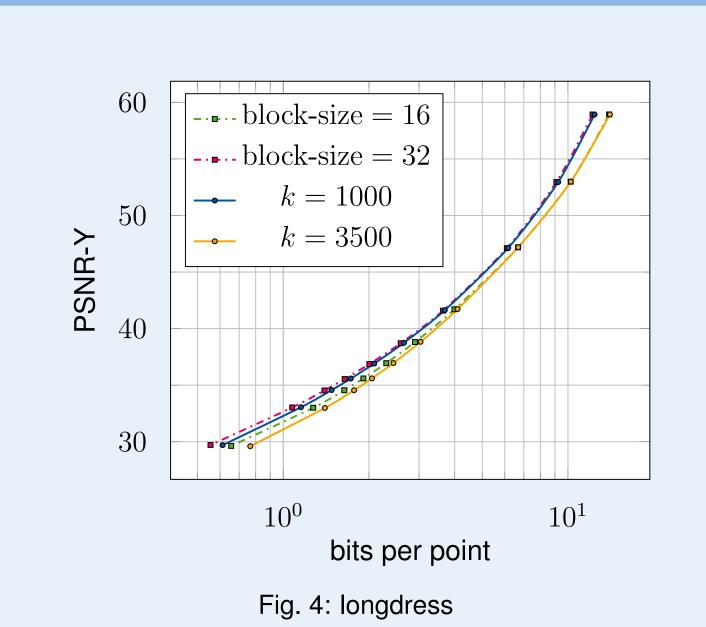
(b) Partitioning using $\lambda = 0$



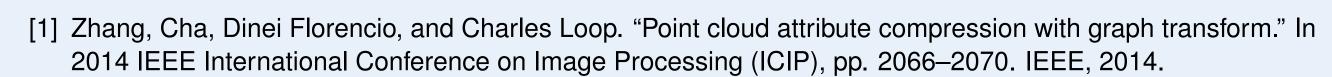
(d) Decoder partitioning using $\lambda=0.2\,$

Experiments





- ullet For sake of comparability, k chosen similar to number of octree blocks
- Mid-high bitrates: comparable performance
- Low bitrates: performance slightly worse due to side information overhead
- \Rightarrow However, influence on GFT performance needs further investigation



[2] Sculley, David. "Web-scale k-means clustering." In Proceedings of the 19th international conference on World wide web, pp. 1177–1178. 2010.

