Using remote sensing data to understand the ignition of 2019-2020 Australia bushfire season

A thesis submitted for the degree of

Bachelor of Commerce (Honours)

by

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Contents

Chapter 1

Statement of the topic

Along with the extreme heatwave in Australia 2019-2020, one of the most devastating bushfire season in history had been witnessed. Lighting strikes and arson were been discussed among pubilc as the main cause of this disaster. This research will explore the ignition of 2019-2020 Australia bushfires season and provide a model to predict the fire risk of neighbourhoods. Hotspots data from the JAXA's Himawari-8 satellite and weather data from the Bureau of Meteorology of Australia will be used in ignition identification and bushfire danger estimation. In addition, an interactive web application embeds with research outcomes will be built for data visualization purpose.

1.1 Motivation

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1.2 Literature review

1.3 Research aim

The aim of this research is to use remote sensing data and apply machine learning framework to understand the ignition of bushfires and predict fire risk. There are 5 sub-objectives:

1. Data integration of remote sensing data, weather data, map data and vegetation data.
2. Develop customized clustering algorithm to classify fire clusters.
3. Exploratory data analysis of the fire clusters, weather conditions and time.
4. Examine ignitions of bushfire using weather records, road map and recreation site locations.
5. Explore bushfire risk models based on weather condition, geometry information and fire history.
6. Develop an interactive shiny app to present research outcome.

1.4 Research plan

1.4.1 Data collection and preprocessing

In order to collect necessary datasets, two methods will be performed, including retrieve files from servers and crawl data from websites. For reproducibility purpose, only public data will be used in this research. Information on the datasets can be found in Table 1.1.

1.4.2 Methodology

Table 1.1: *Data information*

Data set name	Spatial Resolution	Temporal resolution	Time
Hotspots data - JAXA's Himawari-8 satellite	$0.02° \approx 2km$	Per 10 minutes	2015-2020
Weather data - Bureau of Meteorology of Australia		Daily	2019-2020
Map - OpenStreetMap			2020
Fuel layer - Australian Bureau of Agriculture and Resource Economics and Sciences			2018

1.5 code

Included in this template is a file called `sales.csv`. This contains quarterly data on Sales and Advertising budget for a small company over the period 1981–2005. It also contains the GDP (gross domestic product) over the same period. All series have been adjusted for inflation. We can load in this data set using the following command:

```
sales <- ts(read.csv("data/sales.csv")[,-1], start=1981, frequency=4)
```

Any data you use in your thesis can go into the data directory. The data should be in exactly the format you obtained it. Do no editing or manipulation of the data outside of R. Any data munging should be scripted in R and form part of your thesis files (possibly hidden in the output).

1.6 Figures

Figure 1.1 shows time plots of the data we just loaded. Notice how figure captions and references work. Chunk names can be used as figure labels with `fig:` prefixed. Never manually type figure numbers, as they can change when you add or delete figures. This way, the figure numbering is always correct.
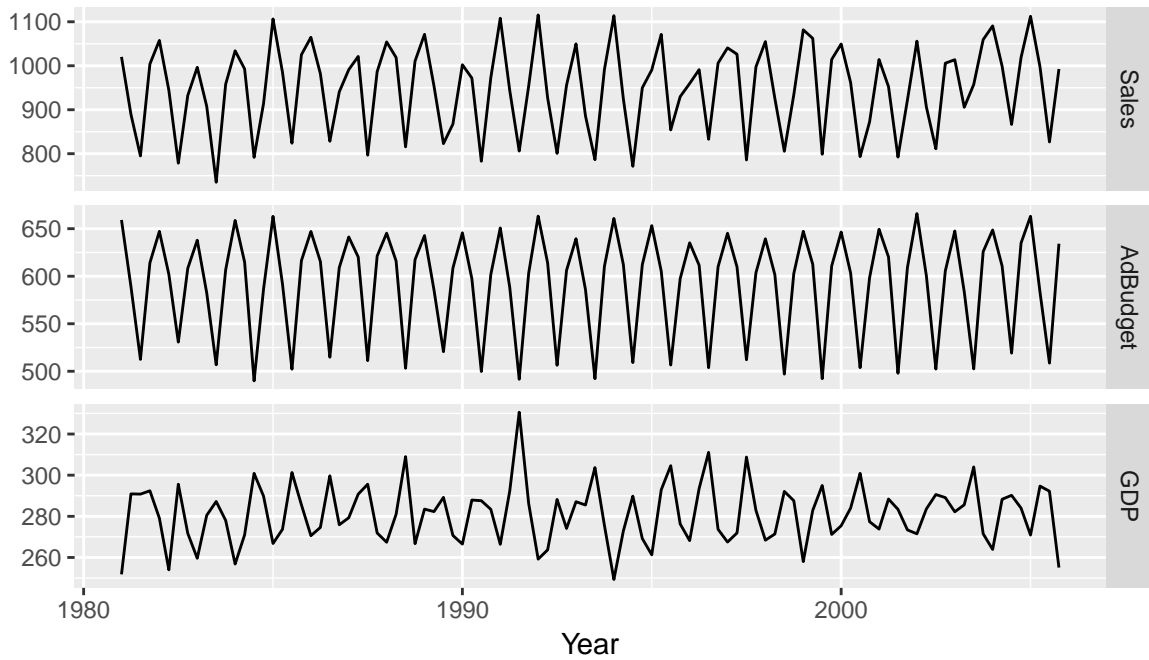
Figure 1.1: *Quarterly sales, advertising and GDP data.*

1.7 Results from analyses

We can fit a dynamic regression model to the sales data.

If y_t denotes the sales in quarter t, x_t denotes the corresponding advertising budget and z_t denotes the GDP, then the resulting model is:

$$y_t - y_{t-4} = \beta(x_t - x_{t-4}) + \gamma(z_t - z_{t-4}) + \theta_1 \varepsilon_{t-1} + \Theta_1 \varepsilon_{t-4} + \varepsilon_t \tag{1.1}$$

where $\beta = 2.28$, $\gamma = 0.97$, $\theta_1 = NA$, and $\Theta_1 = -0.90$.

1.8 Tables

Let's assume future advertising spend and GDP are at the current levels. Then forecasts for the next year are given in Table 1.2.

Again, notice the use of labels and references to automatically generate table numbers. In this case, we need to generate the label ourselves.

Point Forecast	Lo 80	Hi 80	Lo 95	Hi 95
1000.2	947.7	1052.7	919.9	1080.5
1013.1	959.3	1066.8	930.9	1095.3
1076.7	1022.9	1130.6	994.4	1159.0
1003.5	949.7	1057.4	921.2	1085.8

Table 1.2: *Forecasts for the next year assuming Advertising budget and GDP are unchanged.*

The `knitLatex` package is useful for generating tables from R output. Other packages can do similar things including the `kable` function in `knitr` which is somewhat simpler but you have less control over the result. If you use `knitLatex` to generate tables, don't forget to include `results="asis"` in the chunk settings.

Chapter 2

Exponential Smoothing

2.1 Organizing your ideas

Imagine you are writing for your fellow Honours students. Topics that are well-known to them do not have to be included here. But things that they may not know about should be included. Resist the temptation to discuss everything you've read in the last year.

Do not organize your chapter around the papers you have read with one section per paper. Instead, you should organize your chapters around themes, and within each theme provide a story explaining the development of ideas. It is usually helpful to plan out a table of contents first with major section headings.

When you are discussing results from several papers or books, you will need to adopt a common notation to ensure your chapter makes sense. Do not use different notation for the same thing.

2.2 Citations

All citations should be done using markdown notation as shown below. This way, your bibliography will be compiled automatically and correctly.

Exponential smoothing was originally developed in the late 1950s (Brown, 1959, 1963; Holt, 1957; Winters, 1960). Because of their computational simplicity and interpretability, they became widely used in practice.

Empirical studies by Makridakis and Hibon (1979) and Makridakis et al. (1982) found little difference in forecast accuracy between exponential smoothing and ARIMA models. This made the family of exponential smoothing procedures an attractive proposition (see Chatfield et al., 2001).

The methods were less popular in academic circles until Ord, Koehler, and Snyder (1997) introduced a state space formulation of some of the methods, which was extended in Hyndman et al. (2002) to cover the full range of exponential smoothing methods.

Appendix A

Additional stuff

You might put some computer output here, or maybe additional tables.

Note that line 5 must appear before your first appendix. But other appendices can just start like any other chapter.

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