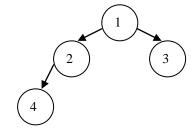
Ryerson Polytechnic University - School of Computer Science CPS305 - Data Structures Final Exam - Fall '03

. . .

- 1. Answer the following questions in the space provided.
- a. (4 marks) What is *clustering* in a hash table?
- b. (4 marks) Name 2 advantages of a chained hash table over open addressing.
- c. (4 marks) Define the term binary search tree.
- d. (6 marks) Give the order of visiting the vertices of the given binary tree under



- (b) inorder
- (c) postorder



2. (8 marks) Use the functions for Stacks and/or Queues developed in the text to write a function **Move(Stack *B, Stack *A)** that will do the following task:

Empty Stack A onto the top of Stack B in such a way that the entries that were in A keep the same relative order. An example is given below.

Important:

- Be sure to check for empty and full structures as appropriate.
- Move must be implementation independent i.e., nothing in Move may rely on the underlying implementation of the Stacks and/or Queues.
- You must access the Stacks and/or Queues **only** through their ADT functions.

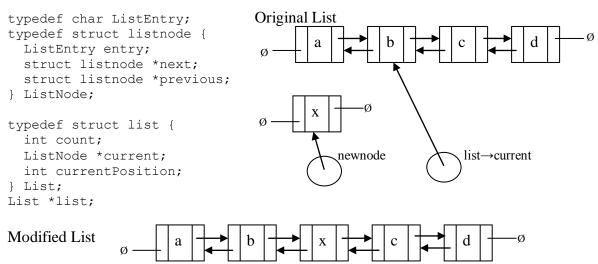
Example:

a b c	$\begin{bmatrix} 1 \\ 2 \\ 3 \end{bmatrix}$	3
B before Move	A before Move	a b c

B after Move

3. (8 marks) Consider doubly linked lists as described in your text. Declarations are given below. Consider the Original List below (note that ø denotes NULL). **Write a chunk of code** (NOT a complete function) that inserts newnode into the list between nodes for "b" and "c", so that the resulting list looks like the Modified List below.

Important: Your code may access the list **ONLY** through the variables: list→current, and newnode

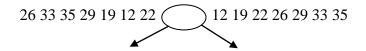


4. (8 marks) The root of the recursion tree for Mergesort of the 7 integers **26 33 35 29 19 12 22** is given below. Complete the recursion tree; for each node in the recursion tree, place a list to the left of the node and to the right of the node as follows:

list to the left of the node is the list passed to this call of Mergesort

list to the right of the node is the list **upon the return** of this call to Mergesort.

An example of lists to the left and right of a node is given in the root node below. Assume that integer division is used to divide the list in half (i.e., 7/2=3).



- 5. (8 marks) With a chained hash table we go directly to one of the linked lists before doing any probes. Explain why the average number of probes for an unsuccessful search is $\lambda = n/t$. Explain in detail and show all your work.
- 6. (4 marks) Suppose we wish to insert a key into a hash table, but the first probe results in a collision at hash address h. In the following, fill in the next 2 hash addresses that are probed, assuming all probes result in collision:
 - i) for quadratic probing:

first probe: h

next probe:

next probe:

ii) for linear probing:

first probe: h

next probe:

next probe:

7. (8 marks) Insert the keys **A,Z,B,Y,C,X**, in the order shown, to build them into an AVL tree.

For each insertion:

- a) Draw the tree before any necessary rotations. If no rotations are required for this insertion, skip (b) and (c)
- b) Write what kind of rotation is necessary, if any, (e.g., "double-left")
- c) Draw the final tree after the rotation (you may show intermediate work here if desired.)
- 8. (8 marks) Complete the function TreeSearch, which searches for a target in a binary search tree. Assume the given declarations, Pre-conditions, and Post-conditions.

```
typedef struct treenode TreeNode;
typedef struct treenode {
   TreeEntry entry;
   TreeNode *left;
   TreeNode *right;
} TreeNode;
```

/*Pre: The tree to which root points has been created.

Post: The function returns a pointer to a node that matches target, or NULL if the target is not in the tree */

TreeNode *TreeSearch(TreeNode *root, KeyType target) {