

In logic, a \_\_\_\_\_ is a declarative statement to which we can assign a truth value. Said truth value can be either \_\_\_\_\_, or \_\_\_\_\_.

**ELEMENT****NEGATION**

When we want to reverse a truth value, we use \_\_\_\_\_, written  $\neg p$ . To combine statements, we use logical \_\_\_\_\_ such as  $\wedge$ ,  $\vee$ , and  $\Rightarrow$ . The expression  $p \Rightarrow q$  is an \_\_\_\_\_ meaning “if  $p$  then  $q$ ”.

**DIFFERENCE****TRUE**

Two propositions are logically \_\_\_\_\_ if they always have the same truth value, no matter how the variables are assigned.

**OPERATOR****EQUIVALENT**

In set theory, the notation  $x \in A$  says that  $x$  is an \_\_\_\_\_ of the set  $A$ . Applying logical operators to statements like  $x \in A$  and  $x \in B$  leads to familiar set operations: the \_\_\_\_\_ contains the objects that lie in  $A$  or in  $B$  (or in both), while the \_\_\_\_\_ of  $A$  and  $B$  contains exactly the objects that lie in both sets. Finally,  $A \setminus B$  is the \_\_\_\_\_ of  $A$  and  $B$ , containing everything in  $A$  but not in  $B$ .

**IMPLICATION****UNION****PROPOSITION****FALSE****INTERSECTION**