

Below, you see a \_\_\_\_\_ of two \_\_\_\_\_  
in two \_\_\_\_\_.

$$2x + 3y = 7,$$

$$-x + 4y = 2.$$

One can solve it for example by \_\_\_\_\_ one of the  
\_\_\_\_\_. It seems easier to get rid of  $x$ . If I \_\_\_\_\_  
the second \_\_\_\_\_ by 2, I get

$$2x + 3y = 7,$$

$$-2x + 8y = 4.$$

I can then \_\_\_\_\_ the first \_\_\_\_\_ to the second and get

$$11y = 11,$$

which means that  $y = 1$ . When I \_\_\_\_\_ this result  
into the first \_\_\_\_\_, I can solve

$$2x + 3 \cdot 1 = 7$$

and obtain  $x = 2$ . This gives me the \_\_\_\_\_ (2, 1).

If I \_\_\_\_\_  $y$  in the first \_\_\_\_\_, I get

$$y = -\frac{2}{3}x + \frac{7}{3}.$$

This allows me to treat  $y$  as a \_\_\_\_\_ in  $x$ ,  
written as

$$f(x) = -\frac{2}{3}x + \frac{7}{3}.$$

The \_\_\_\_\_ of such a \_\_\_\_\_ is a straight line. Which  
means, that to draw it, I need to find two \_\_\_\_\_. The first  
coordinates are the \_\_\_\_\_ of the \_\_\_\_\_  $f$  and the  
second coordinates are the \_\_\_\_\_. So, choosing for ex-  
ample  $x = 0$  and  $x = 2$ , I obtain two \_\_\_\_\_ – (0, 7/3) and  
(2, 1) by \_\_\_\_\_ the chosen values for  $x$  into the  
\_\_\_\_\_ of  $f$ .

If I also draw the \_\_\_\_\_ of  $g$ , the point where the two lines  
meet, so called \_\_\_\_\_, is the \_\_\_\_\_ to  
the original \_\_\_\_\_.

**OUTPUT**

**INTERSECTION**

**DEFINITION**

**SYSTEM**

**GRAPH**

**EQUATION**

**POINT**

**LINEAR**

**SUBSTITUTE**

**ADD**

**ELIMINATE**

**INPUT**

**FUNCTION**

**VARIABLE/UNKNOWN**

**SCALE**

**SOLUTION**