

# MECH230 - Fall 2024

## Recommended Problems - Set 01

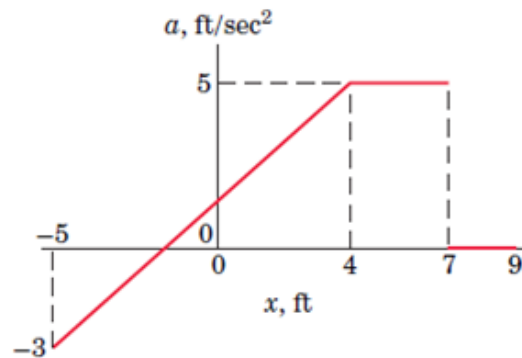
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The problems are taken from J. L. Meriam, L. G. Kraige, and J. N. Bolton (MKB), Engineering Mechanics: Dynamics, Ninth Edition, Wiley, New York, 2018.

1. [MKB 2/24]

**2/24** A particle moving along a straight line has an acceleration which varies according to position as shown. If the velocity of the particle at the position  $x = -5$  ft is  $v = 4$  ft/sec, determine the velocity when  $x = 9$  ft.



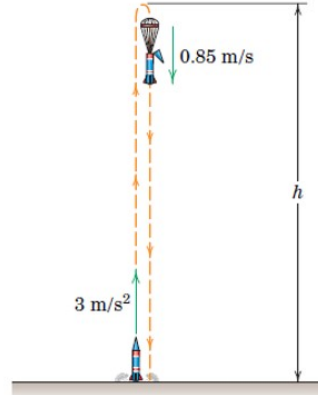
**PROBLEM 2/24**

2. [MKB 2/25] Take the unit vector  $\mathbf{E}_y$  to be pointed vertically upwards and take the origin to be located at the initial position of the rocket. In this case, the position vector of the rocket would be  $\mathbf{r} = r\mathbf{E}_y$ . You are given the acceleration in  $\text{m s}^{-2}$  to be

$$a = \begin{cases} 3 & 0 \leq t < 8 \\ -9.81 & 8 \leq t < t_{\text{top}} \\ 0 & t_{\text{top}} < t \leq t_{\text{end}} \end{cases}$$

where  $t_{\text{top}}$  is the time at which the rocket reaches the apex of the trajectory and  $t_{\text{end}}$  is the time at which the rocket comes back to its initial location.

**2/25** A model rocket is launched from rest with a constant upward acceleration of  $3 \text{ m/s}^2$  under the action of a small thruster. The thruster shuts off after 8 seconds, and the rocket continues upward until it reaches its apex. At apex, a small chute opens which ensures that the rocket falls at a constant speed of  $0.85 \text{ m/s}$  until it impacts the ground. Determine the maximum height  $h$  attained by the rocket and the total flight time. Neglect aerodynamic drag during ascent, and assume that the mass of the rocket and the acceleration of gravity are both constant.

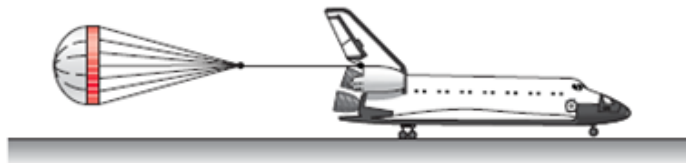


**PROBLEM 2/25**

Note that this problem seems to assume that the velocity at the apex changes very quickly from  $0 \text{ m/s}$  to  $0.85 \text{ m/s}$  downwards, so we will neglect this transition.

3. [MKB 2/28] Take the unit vector  $\mathbf{E}_x$  to point along the horizontal. You may take the origin to coincide with the location of the plane when the parachute deploys (ie. when  $v = 200$  mi/hr). Be careful to convert mi to ft and hr to sec.

**2/28** The 230,000-lb space-shuttle orbiter touches down at about 220 mi/hr. At 200 mi/hr its drag parachute deploys. At 35 mi/hr, the chute is jettisoned from the orbiter. If the deceleration in feet per second squared during the time that the chute is deployed is  $-0.0003v^2$  (speed  $v$  in feet per second), determine the corresponding distance traveled by the orbiter. Assume no braking from its wheel brakes.



**PROBLEM 2/28**