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Question 1
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1 pts

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What is the time complexity of fun()?
int fun(int n)
 int count = 0;
 for (int i = n; i > \mathbf{0}; i /= 2)
   for (int j = 0; j < i; j++)
     count += 1;
 return count;
(A) O(n^2)
(B) O(nLogn)
(C) O(n)
(D) O(nLognLogn)
```

d

0 b

O c

O a

Ti Ati 1 Let W(n) and A(n) denote respectively, the worst case and the average case running time of an algorithm executed on an input of size n. which of the following is ALWAYS TRUE?

a)
$$A(n) = \Omega(W(n))$$

b)
$$A(n) = \Theta(W(n))$$

$$C) A(n) = O(W(n))$$

d)
$$A(n) = o(W(n))$$

Oa



Od



(b

In a competition, four different functions are observed. All the functions use a single for loop and within the for loop, same set of statements are executed. Consider the following for loops:

A)
$$for(i = 0; i < n; i++)$$

B) for
$$(i = 0; i < n; i + = 2)$$

C) for(
$$i = 1$$
; $i < n$; $i *= 2$)

D) for(
$$i = n$$
; $i > -1$; $i /= 2$)

If n is the size of input (positive), which function is most efficient (if the task to be performed is not an issue)?

- O D
- C
- OB
- OA

Which of the given options provides the increasing order of asymptotic complexity of functions f1, f2, f3, and f4?

$$f1(n) = 2^n$$

$$f2(n) = n^{3/2}$$

$$f3(n) = nLogn$$

$$f4(n) = n^{(Logn)}$$

OD

O C

OB

OA

Consider the recurrence equation T(n) = 2T(n-1), if n>0

= 1, otherwise

Then T(n) is (in big O order)

A) O(n)

B) O(2ⁿ)

C) O(1)

D) O(nlogn)

O C

O D

O A

Time R

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Consider the program

void function(int n) {

int i, j, count=0;

for (i=n/2; i <= n; i++)

for $(j = 1; j \le n; j = j*2)$

count++;}

The complexity of the program is

- a) O(log n)
- b) $O(n^2)$
- c) $O(n^2 \log n)$

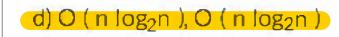
d) O(n log n)

- O b
- Od
- Oa

The average case and worst case complexities for the Merge sort algorithm are



b) O (
$$n^2$$
), O ($n \log_2 n$)
c) O ($n \log_2 n$), O (n^2)





O a



What is the value of following recurrence. T(n) = 5T(n/5) + 1, T(1) = 1, T(0) = 0

- a) Theta (n)
- b) Theta (n²)
- c) Theta (nlogn)
- d) Theta (n³)
- O b
- 0
- a

The running time of an algorithm is represented by the following recurrence relation:

if
$$n \le 3$$
 then $T(n) = n$

else
$$T(n) = T(n/3) + cn$$

Which one of the following represents the time complexity of the algorithm?

- (A) ⊖ (n)
 - (B) Θ (n log n)
 - $(C) \Theta (n^2)$
 - (D) Θ (n^2log n)
 - Od
 - 0 0
 - Oa
 - O b

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Answers:

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a) |

10

b) [[

c) |||

d) IV

0 b

O a

00

✓ Question
✓ Question

Time Running: 1
Attempt due: Nov 4 a
43 Minutes, 48 S

Insert 16 to the Binary Max Heap tree below (The links are not drawn and assume the obvious links exist):



14



a) 1

b) II

c) III

d) IV

- O b
- O d
- O c

Which of the following is a correct ordering, from best to worst of algorithm speeds?

- a) Linear, Exponential, Polynomial, Logarithmic
- b) Logarithmic, Linear, Polynomial, Exponential
- c) Exponential, Polynomial, Linear, Logarithmic
- d) Logarithmic, Exponential, Linear, Polynomial
- e) Logarithmic, Linear, Exponential, Polynomial

0 b

() a

O e

O c

O d

Suppose you have an algorithm that operates on a set of data with n elements. If the recurrence formula that computes the time required for the algorithm is given by

$$T(n) = \begin{bmatrix} 2T\left(\frac{n}{2}\right) + Dn & if \ n > 1 \\ C & if \ n = 1 \end{bmatrix}$$

where D and C are constants, which of the following gives the order of complexity of the algorithm?

- a) logn
- b) nlogn
- c) n
- d) n^2
- e) None of the other answers
- 00
- O e
- Od
- Q b
- O a

Tim Atter The recurrence relation for the Merge Sort algorithm is defined by:

1.
$$T(n)=T(n-1)+1$$

2.
$$T(n) = 2T(n/2)+1$$

3.
$$T(n)=T(n-1)+Theta(n)$$

4.
$$T(n)=2T(n/2)+Theta(n)$$

Time Runr Attempt due: 25 Minute Which of the following list(s) is (are) not max-heap based on the MaxHeapify algorithm?

- a) A = {23, 17, 14, 16, 12, 10, 13, 11, 15}
- b) A = {56, 45, 20, 44, 30, 10, 15, 39, 40}
- c) A = {56, 23, 50, 20, 18, 45, 49, 19, 17}
- d) A = {58, 30, 48, 25, 18, 45, 49, 19, 17}
- e) None of the other answers
- 0 b
- O d
- O e
- 0 c
- () a

Question 16

The solution for the recurrence relations

T(n)=T(n-1) + O(1)T(n)=T(n/2) + O(1)

is respectively
a) O(1), O(n)

a) O(1), O(n)
b) O(n), O(logn)

c) O(n^2), O(logn)

d) O(logn), O(logn)

The runtime complexity, T(n), of the three following recurrence relation solved by Master's Theorem) are

$$T'(n) = \mathbf{G}T(n/3) + n^2 \log n$$

$$T(n) = 64T(n/8) - n^2 \log n$$

$$T(n) = 4T(n/2) + n/\log n$$

A:
$$\Theta(n \log n)$$
, $\Theta(n^2)$, $\Theta(n^2 \log n)$

B:
$$\Theta(n^2)$$
, $\Theta(n^2 \log n)$, $\Theta(n \log n)$

C:
$$\Theta(n^2 \log n)$$
, Master's Theorem does not apply, $\Theta(n^2)$

D:
$$\Theta(n^2)$$
, Master's Theorem does not apply, $\Theta(n^2 \log n)$

E:
$$\Theta(n^2 \log n)$$
, $\Theta(n^2)$, Master's Theorem does not apply
F: $\Theta(n^2)$, $\Theta(n^2 \log n)$, Master's Theorem does not apply

In Hire-Assistant problem (hiring n candidates):

- 1. What is the probability that you hire exactly one time?
- 2. What is the probability that you hire exactly n time?
- a) 1/n and n/n
- b) 1 and 1/n
- c) 1/n and (n-1)/n
- d) 1/n and 1/n!
- e) 1/n and (n-1)/n!
- O c
- O e
- 0 b
- () a
- d

Tim Atte The solution to the recurrence T(n) = T(n/6) + T(7n/9) + O(n) is O(n). (Assume T(n)=1 for n smaller than some constant c).

a) True

b) False

c

O b

Time R

9 Minu

How many comparisons are required in insertion sort to sort a file if the file is sorted in reverse order?

- $1. N^2$
- 2. N
- 3. N-1
- 4. N/2
- 0 2
- 01
- Q 3
- 0 4