

Quiz 1

Due Aug 28 at 11:59pm

Points 6

Questions 6

Available Aug 26 at 12am - Oct 5 at 11:59pm

Time Limit 30 Minutes

Instructions

Task

- The quiz should be taken in a closed book environment.

The questions can be in many formats (Multiple Choice/Multiple answers/Fill in the blanks)

The quiz should be attempted after completing the weekly Assignment to give more preparation.

These short activities will give a feedback about the understanding of the material at hand.

Even though these are time bound, I have allocated enough time for each question.

This a weekly quiz to be completed by Sunday of the week.

Check your quiz score and the correct answers after Monday following the quiz.

Assignment scoring

- Each of the assignments will yield 6 points.
- Note the assignments put together account for 25% of the grade.

Attempt History

	Attempt	Time	Score
LATEST	Attempt 1	30 minutes	4 out of 6

Score for this quiz: **4** out of 6

Submitted Aug 28 at 5:47pm

This attempt took 30 minutes.

Question 1

1 / 1 pts

A counterexample to the statement

"If n is an integer and n^2 is divisible by 4, then n is divisible by 4" is

Correct!☒ 6☐ 3☐ 4☐ 8☐ 5**Question 2****1 / 1 pts**

What is the induction hypothesis assumption for the inequality $m! > 2^m$ where $m \geq 4$?

- a) for $m=k$, $k+1! > 2^k$ holds
- b) for $m=k$, $k! > 2^k$ holds
- c) for $m=k$, $k! > 3^k$ holds
- d) for $m=k$, $k! > 2^{k+1}$ holds

☐ a☒ b☐ c☐ d**Correct!****Question 3****1 / 1 pts**

What is the induction basis step when proving the inequality $m! > 2^m$ where $m \geq 4$?

Correct!

- ☐ For $m=1$, the inequality is true
- ☐ For some value $m > 4$, the inequality is true
- ☐ For $m=5$, the inequality is true
- ☒ For $m=4$, the inequality is true
- ☐ For $m=0$, the inequality is true

Question 4**0 / 1 pts**

What is the last step that we are trying to prove the inequality $m! > 2^m$ where $m \geq 4$?

(assuming the base case has been valid and assuming the induction hypothesis is valid for values of m up to k ;)

- a) prove $k+1! > 2^k$ holds b) prove $k! > 2^k$ holds
- c) prove $k! > 3^k$ holds
- d) prove $k! > 2^{k+1}$ holds e) prove that $k+1! > 2^{k+1}$

You Answered
☒ b

☐ d

☐ c

☐ a
Correct Answer
☐ e
Question 5**1 / 1 pts**

In Proof by Example,

- A) Show an example that disproves the claim
- B) Show an example that proves the claim
- C) Show multiple (large number of) examples that proves the claim
- D) None of the above - "Proof by Example" is not a valid proof technique.

Correct!

☒ D

☐ C

☐ B

☐ A

Question 6

0 / 1 pts

In proof by contradiction, you prove a statement by assuming its negation and obtaining a contradiction.

Correct Answer

☐ True

You Answered

☒ False

Quiz Score: **4** out of 6