

Воспроизведение результатов статьи в `py_graphs`.

Владимир Ивашкин

1 июля 2018 г.

1 Introduction

2 Logarithmic vs. plain measures

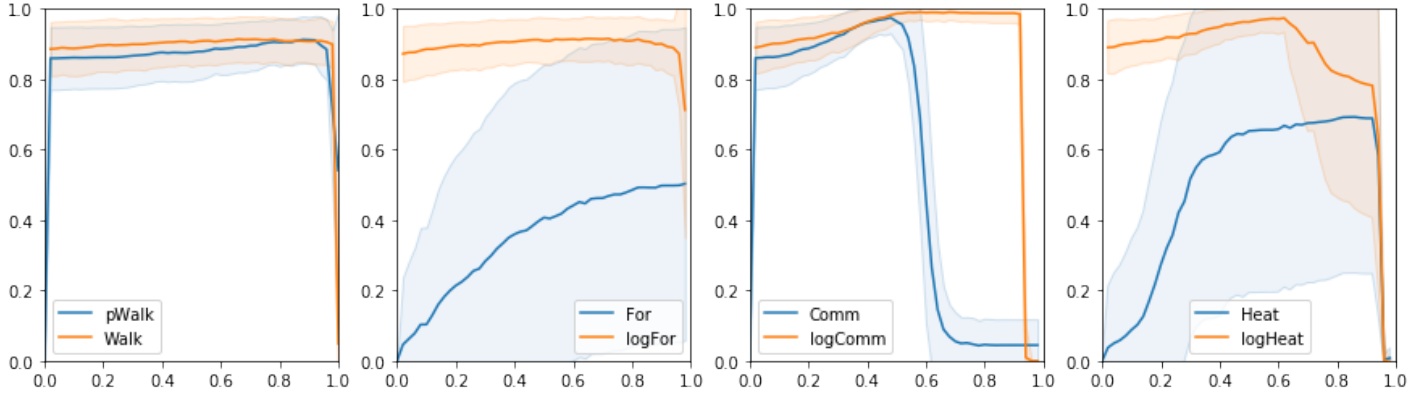


Рис. 1: Logarithmic vs. plain measures for $G(100, (2)0.2, 0.05)$

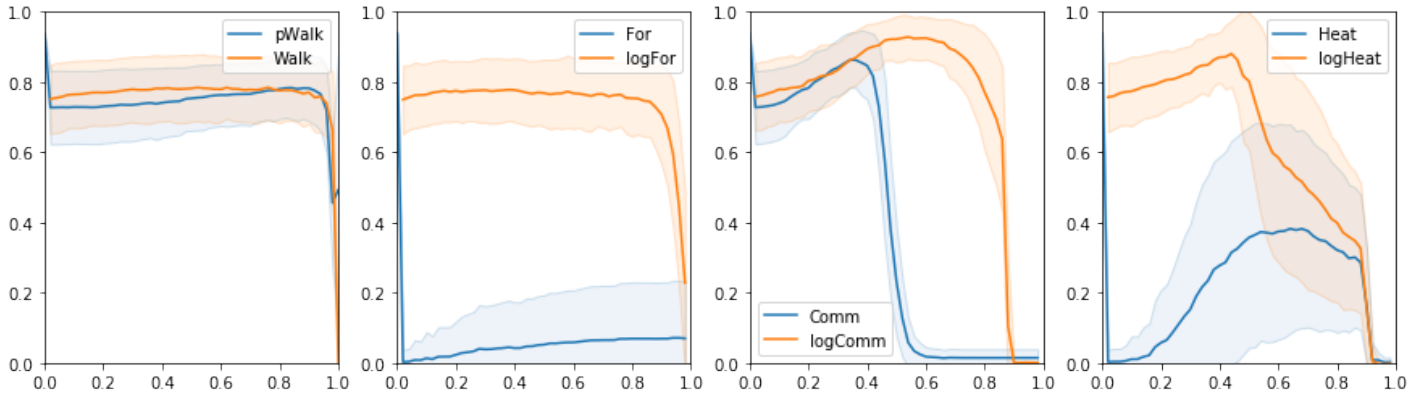


Рис. 2: Logarithmic vs. plain measures for $G(100, (3)0.3, 0.1)$

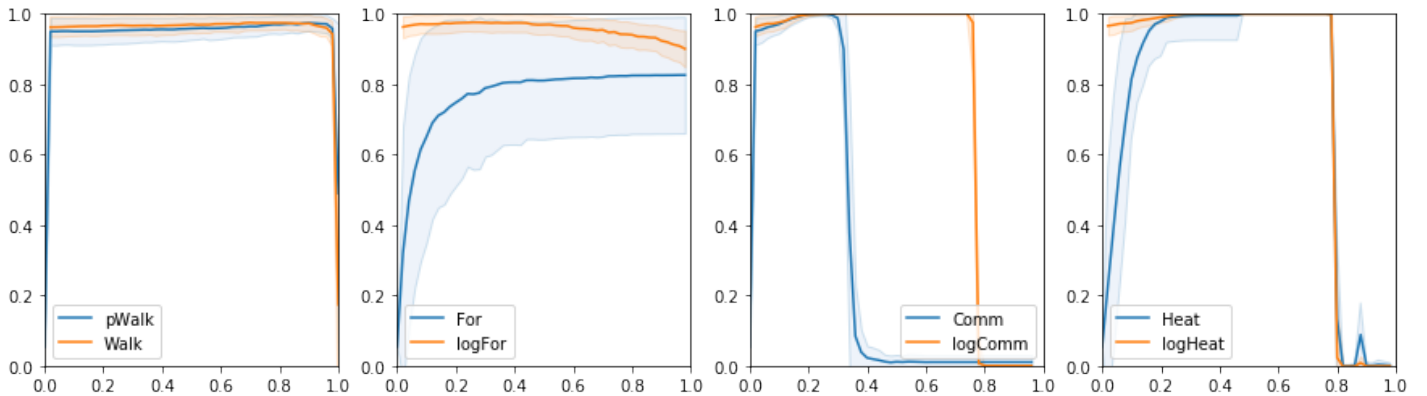


Рис. 3: Logarithmic vs. plain measures for $G(200, (2)0.3, 0.1)$

3 Competition by Copeland's score

Nodes	100	100	100	100	200	200	200	200	Sum
Classes	2	2	4	4	2	2	4	4	of
p_{out}	0.1	0.15	0.1	0.15	0.1	0.15	0.1	0.15	scores
logComm	383	547	476	-66	301	565	592		2798
Comm	249	150	308	418	291	212	325		1953
SCCT	316	299	166	44	293	392	412		1922
logHeat	308	314	180	-264	301	321	343		1503
pWalk	-81	26	56	418	-105	-155	6		165
SCT	-74	36	78	44	47	-24	44		151
Heat	221	-342	-456	418	295	205	-478		-137
RSP	-96	4	62	-272	-32	-85	-30		-449
Walk	-90	-26	78	-222	-149	-125	-26		-560
logFor	-92	-44	-24	-264	-63	-92	-32		-611
FE	-202	-64	-44	-224	-135	-169	-134		-972
For	-387	-566	-456	418	-525	-574	-478		-2568
SP-CT	-455	-334	-424	-448	-519	-471	-544		-3195

(a) optimal parameters

Nodes	100	100	100	100	200	200	200	200	Sum
Classes	2	2	4	4	2	2	4	4	of
p_{out}	0.1	0.15	0.1	0.15	0.1	0.15	0.1	0.15	scores
logComm	413	568	448	356	332	568	598	598	3881
SCCT	269	274	136	78	340	391	423	360	2271
logHeat	318	183	290	142	340	273	202	98	1846
Comm	168	151	222	172	286	258	333	178	1768
SCT	58	92	46	90	26	45	38	104	499
logFor	-114	60	56	110	-55	-115	4	88	34
Walk	-84	-10	132	86	-140	-85	30	66	-5
pWalk	-125	-40	54	74	-163	-79	-2	-14	-295
FE	-198	-27	-27	120	-120	-186	-66	32	-472
RSP	-151	-1	-8	78	-138	-179	-106	-16	-521
Heat	299	-341	-502	-490	340	154	-417	-515	-1472
SP-CT	-463	-345	-320	-228	-558	-462	-446	-396	-3218
For	-390	-564	-588	-588	-490	-583	-591	-583	-4377

(b) 90th percentiles

Таблица 1: Copeland's scores of the measure families on random graphs

4 Reject curves

Measure (kernel)	$G(100, (2)0.3, 0.05)$ Opt. parameter, ARI	$G(100, (2)0.3, 0.1)$ Opt. parameter, ARI	$G(100, (2)0.3, 0.15)$ Opt. parameter, ARI
pWalk	0.93, 1.00	0.87, 0.91	0.73, 0.66
Walk	0.93, 1.00	0.67, 0.91	0.70, 0.65
For	0.60, 0.99	0.97, 0.51	0.40, 0.01
logFor	0.70, 1.00	0.40, 0.93	0.10, 0.68
Comm	0.33, 1.00	0.33, 0.98	0.30, 0.77
logComm	0.33, 1.00	0.47, 1.00	0.57, 0.91
Heat	0.37, 1.00	0.60, 0.87	0.73, 0.15
logHeat	0.37, 1.00	0.53, 0.99	0.37, 0.80
SCT	0.40, 1.00	0.57, 0.94	0.43, 0.72
SCCT	0.03, 1.00	0.57, 0.98	0.63, 0.80
RSP	0.97, 1.00	0.97, 0.93	0.97, 0.67
FE	0.90, 1.00	0.90, 0.91	0.87, 0.68
SP-CT	0.00, 0.99	0.03, 0.78	0.07, 0.49

Таблица 2: Optimal family parameters and the corresponding ARI's

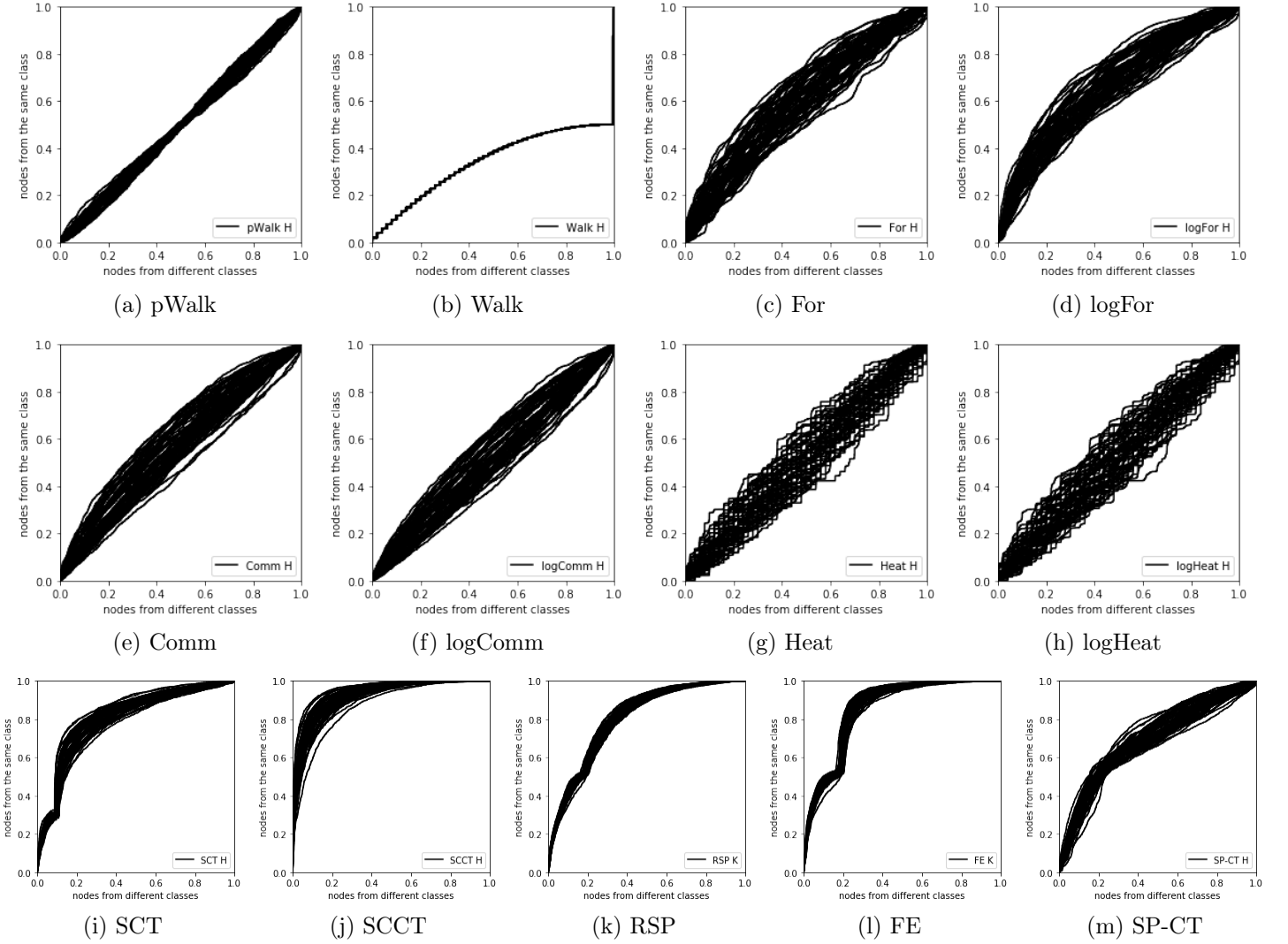
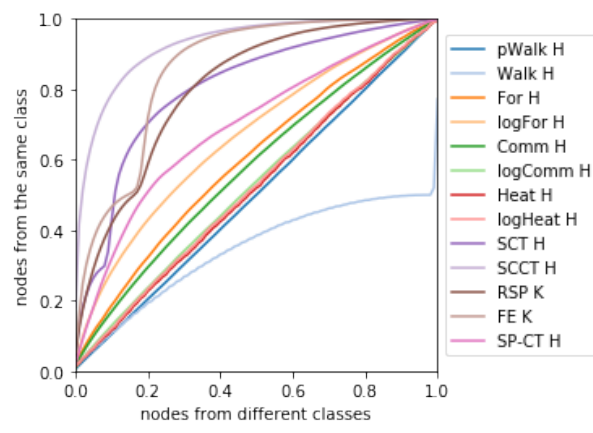


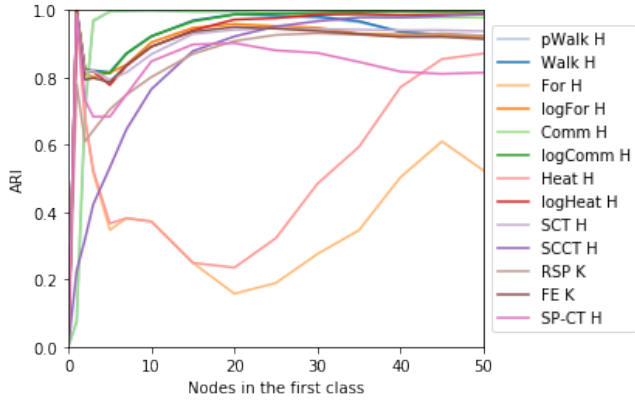
Рис. 4: Reject curves for the graph measures under study



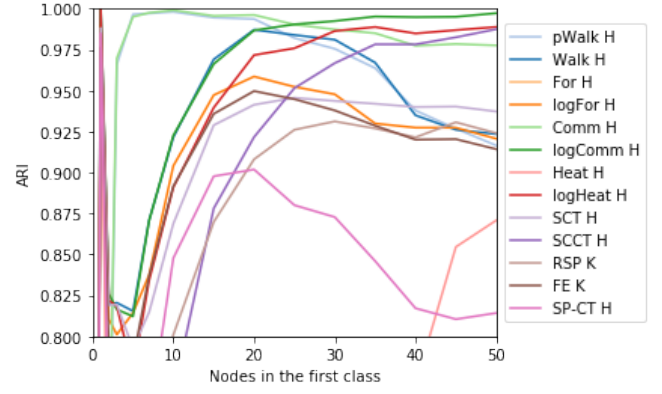
(a) All families

Рис. 5: Average reject curves

5 Graphs with classes of different sizes



(a) All families



(b) Leading families

Рис. 6: Graphs with two classes of different sizes: clustering with optimal parameter values

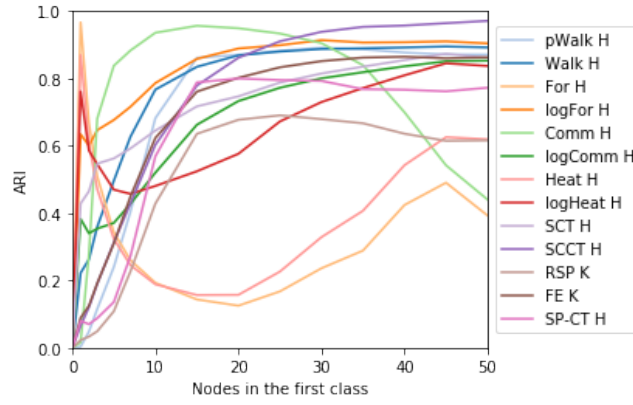
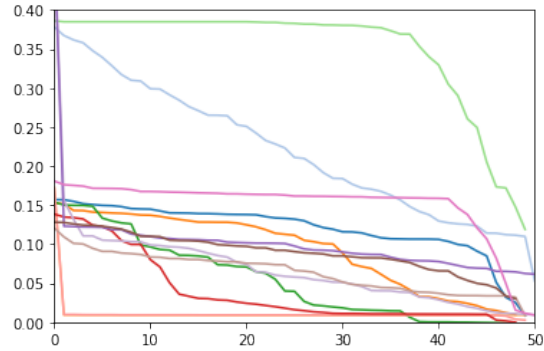


Рис. 7: Graphs with two classes of different sizes: random parameter values

$$P = \begin{pmatrix} 0.30 & 0.20 & 0.10 & 0.15 & 0.07 & 0.25 \\ 0.20 & 0.24 & 0.08 & 0.13 & 0.05 & 0.17 \\ 0.10 & 0.08 & 0.16 & 0.09 & 0.04 & 0.12 \\ 0.15 & 0.13 & 0.09 & 0.20 & 0.02 & 0.14 \\ 0.07 & 0.05 & 0.04 & 0.02 & 0.12 & 0.04 \\ 0.25 & 0.17 & 0.12 & 0.14 & 0.04 & 0.40 \end{pmatrix}.$$



of various measure families on a structure with 6 classes

.45.45ARI

6 Cluster analysis on several classical datasets

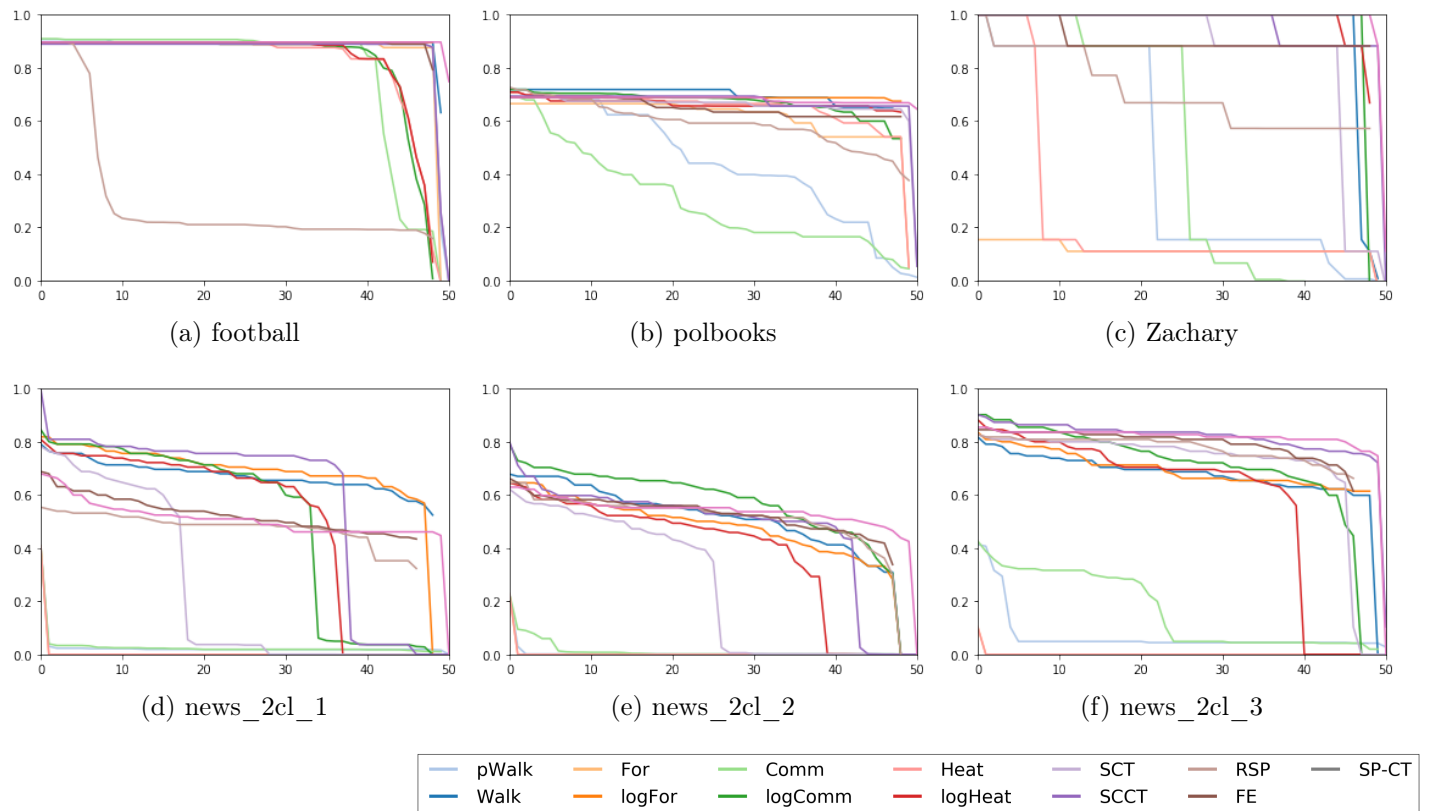


Рис. 8: ARI of various measure families on classical datasets