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**Chapter 6:**

**EX1:**

Flower flowers like flowers.

L = V, N, ART, P

i = 1 to 4

$$\text{SEQ}(1,1) = \text{PROB}(\text{flower}/V) * \text{PROB}(V/O) = 0.05 * 0 = 0$$

$$\text{SEQ}(2,1) = \text{PROB}(\text{flower}/N) * \text{PROB}(N/O) = 0.063 * 0.29 = 0.01827$$

t = 2 to 4

i = 1 to 4

$$\begin{aligned} \text{SEQ}(1,2) &= \text{SEQ}(2,1) * \text{PROB}(V/N) * \text{PROB}(\text{flowers}/V) = 0.01827 * 0.35 * 0.05 \\ &= 3.19725 * 10^{-4} \end{aligned}$$

$$\begin{aligned} \text{SEQ}(2,2) &= \text{SEQ}(2,1) * \text{PROB}(N/N) * \text{PROB}(\text{flowers}/N) = 0.01827 * 0.13 * 0.063 = \\ &= 1.496313 * 10^{-4} \end{aligned}$$

t = 3 to 4

i = 1 to 4

$$\text{SEQ}(1,3) = \max_{j=1,4} (\text{SEQ}(1,2) * \text{PROB}(V/V), \text{SEQ}(2,2) * \text{PROB}(V/N)) *$$

$$\begin{aligned} \text{PROB}(\text{like}/V) &= \max(3.19725 * 10^{-4} * 0, 1.496313 * 10^{-4} * 0.35) * 0.1 = \\ &= 5.2370955 * 10^{-6} \end{aligned}$$

$$\text{SEQ}(2,3) = \max_{j=1,4} (\text{SEQ}(1,2) * \text{PROB}(N/V), \text{SEQ}(2,2) * \text{PROB}(N/N)) *$$

$$\begin{aligned} \text{PROB}(\text{like}/N) &= \max(3.19725 * 10^{-4} * 0.43, 1.496313 * 10^{-4} * 0.13) * 0.012 = \\ &= 1.649781 * 10^{-6} \end{aligned}$$

$$\text{SEQ}(4,3) = \max_{j=1,4} (\text{SEQ}(1,2) *$$

$$\text{PROB}(P/V), \text{SEQ}(2,2) * \text{PROB}(P/N)) * \text{PROB}(\text{like}/P)$$

$$\begin{aligned} &= \max(3.19725 * 10^{-4} * 0, 1.496313 * 10^{-4} * 0.26) * 0.068 = 2.645481384 * \\ &10^{-6} \end{aligned}$$

t = 4

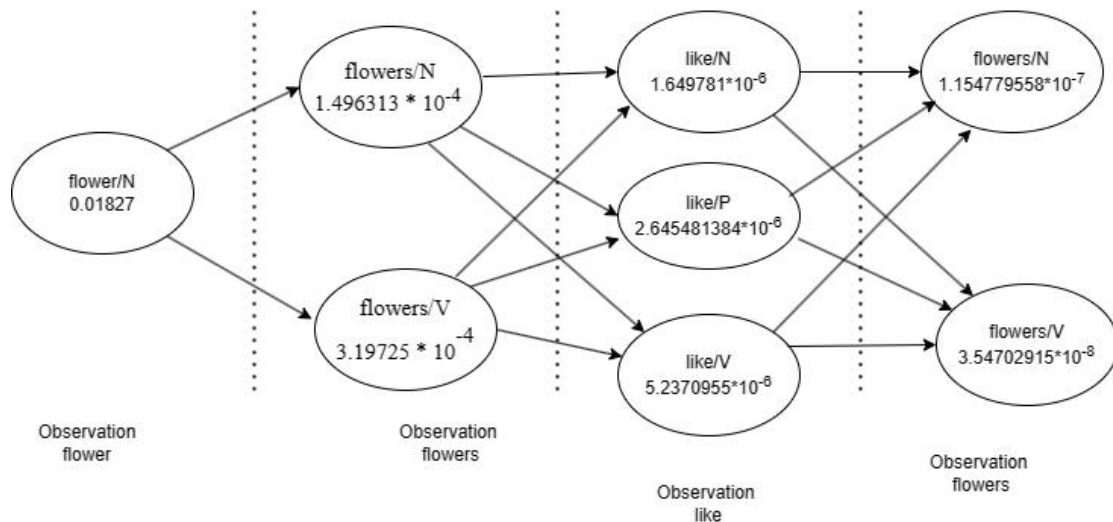
i = 1 to 4

$$\begin{aligned} \text{SEQ}(1,4) &= \text{SEQ}(2,3) * \text{PROB}(V/N) * \text{PROB}(\text{flower}/V) = 1.649781 * 10^{-6} * 0.43 \\ &* 0.05 = 3.54702915 * 10^{-8} \end{aligned}$$

$$\text{SEQ}(2,4) = \max_{j=1,4} (\text{SEQ}(1,3) * \text{PROB}(N/V), \text{SEQ}(2,3) * \text{PROB}(N/N),$$

$$\begin{aligned} &\text{SEQ}(4,3) * \text{PROB}(N/P)) * \text{PROB}(\text{flower}/N) = \max(5.2370955 * 10^{-6} * 0.35, \\ &1.649781 * 10^{-6} * 0.13, 2.645481384 * 10^{-6} * 0.26) * 0.063 = 1.154779558 * 10^{-7} \end{aligned}$$

**Transition network:**



## EX2:

Initialization Step:

$$\text{SEQSUM}(1,1) = \text{PROB}(\text{the}|\text{V}) * \text{PROB}(\text{V}) = 0 * 0 = 0$$

$$\text{SEQSUM}(1,2) = \text{PROB}(\text{the}|\text{N}) * \text{PROB}(\text{N}) = 0.29 * 0 = 0$$

$$\text{SEQSUM}(1,3) = \text{PROB}(\text{the}|\text{P}) * \text{PROB}(\text{P}) = 0 * 0 = 0$$

$$\text{SEQSUM}(1,4) = \text{PROB}(\text{the}|\text{ART}) * \text{PROB}(\text{ART}) = 0.71 * 0.99 = 0.7029$$

Computing the Forward Probabilities:

t = 2 (a)

$$i = 1: \text{SEQSUM}(2,1) = (\text{PROB}(\text{V}|\text{V}) * \text{SEQSUM}(1,1) + \text{PROB}(\text{V}|\text{N}) * \text{SEQSUM}(1,2) +$$

$$\text{PROB}(\text{V}|\text{P}) * \text{SEQSUM}(1,3) + \text{PROB}(\text{V}|\text{ART}) * \text{SEQSUM}(1,4)) * \text{PROB}(\text{a}|\text{V})$$

$$= 0 * 0 + 0.43 * 0 + 0 * 0 + 0 * 0.7029 * 0$$

$$= 0$$

$$i = 2: \text{SEQSUM}(2,2) = (\text{PROB}(\text{N}|\text{V}) * \text{SEQSUM}(1,1) + \text{PROB}(\text{N}|\text{N}) * \text{SEQSUM}(1,2) +$$

$$\text{PROB}(\text{N}|\text{P}) * \text{SEQSUM}(1,3) + \text{PROB}(\text{N}|\text{ART}) * \text{SEQSUM}(1,4)) * \text{PROB}(\text{a}|\text{N})$$

$$= 0.35 * 0 + 0.13 * 0 + 0.26 * 0 + 1 * 0.7029 * 0.005$$

$$= 0.0035145$$

$$i = 3: \text{SEQSUM}(2,3) = (\text{PROB}(\text{P}|\text{V}) * \text{SEQSUM}(1,1) + \text{PROB}(\text{P}|\text{N}) * \text{SEQSUM}(1,2) +$$

$$\text{PROB}(\text{P}|\text{P}) * \text{SEQSUM}(1,3) + \text{PROB}(\text{P}|\text{ART}) * \text{SEQSUM}(1,4)) * \text{PROB}(\text{a}|\text{P})$$

$$= 0 * 0 + 0.44 * 0 + 0 * 0 + 0 * 0.7029 * 0$$

$$= 0$$

$$i = 4: \text{SEQSUM}(2,4) = (\text{PROB}(\text{ART}|\text{V}) * \text{SEQSUM}(1,1) + \text{PROB}(\text{ART}|\text{N}) * \text{SEQSUM}(1,2)$$

$$+ \text{PROB}(\text{ART}|\text{P}) * \text{SEQSUM}(1,3) + \text{PROB}(\text{ART}|\text{ART}) * \text{SEQSUM}(1,4)) * \text{PROB}(\text{a}|\text{ART})$$

$$= 0.65 * 0 + 0 * 0 + 0.74 * 0 + 0 * 0.7029 * 0.995$$

$$= 0$$

t = 3 (flies)

$$i = 1: \text{SEQSUM}(3,1) = (\text{PROB}(\text{V}|\text{V}) * \text{SEQSUM}(2,1) + \text{PROB}(\text{V}|\text{N}) * \text{SEQSUM}(2,2) +$$

$$\text{PROB}(\text{V}|\text{P}) * \text{SEQSUM}(2,3) + \text{PROB}(\text{V}|\text{ART}) * \text{SEQSUM}(2,4)) * \text{PROB}(\text{flies}|\text{V})$$

$$= 0 * 0 + 0.43 * 0.0035145 + 0 * 0 + 0 * 0 * 0.52$$

$$= 0.0007858422$$

$$\begin{aligned}
i = 2: \text{SEQSUM}(3,2) &= (\text{PROB}(N|V) * \text{SEQSUM}(2,1) + \text{PROB}(N|N) * \text{SEQSUM}(2,2) \\
&+ \\
&\text{PROB}(N|P) * \text{SEQSUM}(2,3) + \text{PROB}(N|\text{ART}) * \text{SEQSUM}(2,4)) * \text{PROB}(\text{flies}|N) \\
&= 0.35 * 0 + 0.13 * 0.0035145 + 0.26 * 0 + 1 * 0 * 0.48 \\
&= 0.0002193048
\end{aligned}$$

$$\begin{aligned}
i = 3: \text{SEQSUM}(3,3) &= (\text{PROB}(P|V) * \text{SEQSUM}(2,1) + \text{PROB}(P|N) * \text{SEQSUM}(2,2) \\
&+ \\
&\text{PROB}(P|P) * \text{SEQSUM}(2,3) + \text{PROB}(P|\text{ART}) * \text{SEQSUM}(2,4)) * \text{PROB}(\text{flies}|P) \\
&= 0 * 0 + 0.44 * 0.0035145 + 0 * 0 + 0 * 0 * 0 \\
&= 0
\end{aligned}$$

$$\begin{aligned}
i = 4: \text{SEQSUM}(3,4) &= (\text{PROB}(\text{ART}|V) * \text{SEQSUM}(2,1) + \text{PROB}(\text{ART}|N) * \\
&\text{SEQSUM}(2,2) \\
&+ \text{PROB}(\text{ART}|P) * \text{SEQSUM}(2,3) + \text{PROB}(\text{ART}|\text{ART}) * \text{SEQSUM}(2,4)) * \\
&\text{PROB}(\text{flies}|\text{ART}) \\
&= 0.65 * 0 + 0 * 0.0035145 + 0.74 * 0 + 0 * 0 * 0 \\
&= 0
\end{aligned}$$

t = 4 (like)

$$\begin{aligned}
i = 1: \text{SEQSUM}(4,1) &= (\text{PROB}(V|V) * \text{SEQSUM}(3,1) + \text{PROB}(V|N) * \text{SEQSUM}(3,2) \\
&+ \\
&\text{PROB}(V|P) * \text{SEQSUM}(3,3) + \text{PROB}(V|\text{ART}) * \text{SEQSUM}(3,4)) * \text{PROB}(\text{like}|V) \\
&= 0 * 0.0007858422 + 0.43 * 0.0002193048 + 0 * 0 + 0 * 0 * 0.49 \\
&= 0.0002193048
\end{aligned}$$

$$\begin{aligned}
i = 2: \text{SEQSUM}(4,2) &= (\text{PROB}(N|V) * \text{SEQSUM}(3,1) + \text{PROB}(N|N) * \text{SEQSUM}(3,2) \\
&+ \\
&\text{PROB}(N|P) * \text{SEQSUM}(3,3) + \text{PROB}(N|\text{ART}) * \text{SEQSUM}(3,4)) * \text{PROB}(\text{like}|N) \\
&= 0.35 * 0.0007858422 + 0.13 * 0.0002193048 + 0.26 * 0 + 1 * 0 * 0.16 \\
&= 0.0007858422
\end{aligned}$$

$$\begin{aligned}
i = 3: \text{SEQSUM}(4,3) &= (\text{PROB}(P|V) * \text{SEQSUM}(3,1) + \text{PROB}(P|N) * \text{SEQSUM}(3,2) \\
&+ \\
&\text{PROB}(P|P) * \text{SEQSUM}(3,3) + \text{PROB}(P|\text{ART}) * \text{SEQSUM}(3,4)) * \text{PROB}(\text{like}|P) \\
&= 0 * 0.0007858422 + 0.44 * 0.0002193048 + 0 * 0 + 0 * 0 * 0.34 \\
&= 0.0002193048
\end{aligned}$$

$$\begin{aligned}
i = 4: \text{SEQSUM}(4,4) &= (\text{PROB}(\text{ART}|V) * \text{SEQSUM}(3,1) + \text{PROB}(\text{ART}|N) * \\
&\text{SEQSUM}(3,2) \\
&+ \text{PROB}(\text{ART}|P) * \text{SEQSUM}(3,3) + \text{PROB}(\text{ART}|\text{ART}) * \text{SEQSUM}(3,4)) * \\
&\text{PROB}(\text{like}|\text{ART}) \\
&= 0.65 * 0.0007858422 + 0 * 0.0002193048 + 0.74 * 0 + 0 * 0 * 0 \\
&= 0
\end{aligned}$$

t = 5 (flowers)

$$\begin{aligned}
i = 1: \text{SEQSUM}(5,1) &= (\text{PROB}(V|V) * \text{SEQSUM}(4,1) + \text{PROB}(V|N) * \text{SEQSUM}(4,2) \\
&+ \\
&\text{PROB}(V|P) * \text{SEQSUM}(4,3) + \text{PROB}(V|\text{ART}) * \text{SEQSUM}(4,4)) * \text{PROB}(\text{flowers}|V) \\
&= 0 * 0.0002193048 + 0.43 * 0.0007858422 + 0 * 0.0002193048 + 0 * 0 * 0.22 \\
&= 0.0007858422
\end{aligned}$$

$$\begin{aligned}
i = 2: \text{SEQSUM}(5,2) &= (\text{PROB}(N|V) * \text{SEQSUM}(4,1) + \text{PROB}(N|N) * \text{SEQSUM}(4,2) \\
&+ \\
&\text{PROB}(N|P) * \text{SEQSUM}(4,3) + \text{PROB}(N|\text{ART}) * \text{SEQSUM}(4,4)) * \text{PROB}(\text{flowers}|N) \\
&= 0.35 * 0.0007858422 + 0.13 * 0.0002193048 + 0.26 * 0.0007858422 + 1 * 0 * 0.78 \\
&= 0.0007858422
\end{aligned}$$

$$\begin{aligned}
i = 3: \text{SEQSUM}(5,3) &= (\text{PROB}(P|V) * \text{SEQSUM}(4,1) + \text{PROB}(P|N) * \text{SEQSUM}(4,2) \\
&+ \\
&\text{PROB}(P|P) * \text{SEQSUM}(4,3) + \text{PROB}(P|\text{ART}) * \text{SEQSUM}(4,4)) * \text{PROB}(\text{flowers}|P) \\
&= 0 * 0.04620752136 + 0.44 * 0.04856870304 + 0 * 0.03280799808 + 0 * 0 * 0 \\
&= 0
\end{aligned}$$

$$\begin{aligned}
i = 4: \text{SEQSUM}(5,4) &= (\text{PROB}(\text{ART}|V) * \text{SEQSUM}(4,1) + \text{PROB}(\text{ART}|N) * \\
&\text{SEQSUM}(4,2) \\
&+ \text{PROB}(\text{ART}|P) * \text{SEQSUM}(4,3) + \text{PROB}(\text{ART}|\text{ART}) * \text{SEQSUM}(4,4)) * \\
&\text{PROB}(\text{flowers}|\text{ART}) \\
&= 0.65 * 0.04620752136 + 0 * 0.04856870304 + 0.74 * 0.03280799808 + 0 * 0 * 0 \\
&= 0
\end{aligned}$$

Computing the Lexical Probabilities:

Normalization at  $t = 1$ :

$$\begin{aligned}
\text{PROB}(\text{the}|V) &= \text{SEQSUM}(1,1) / \text{SEQSUM}(1,1) + \text{SEQSUM}(1,2) + \text{SEQSUM}(1,3) + \\
&\text{SEQSUM}(1,4) \\
&= 0 / 0.7029 \\
&= 0
\end{aligned}$$

$$\begin{aligned}
\text{PROB}(\text{the}|N) &= \text{SEQSUM}(1,2) / \text{SEQSUM}(1,1) + \text{SEQSUM}(1,2) + \text{SEQSUM}(1,3) + \\
&\text{SEQSUM}(1,4) \\
&= 0 / 0.7029 \\
&= 0
\end{aligned}$$

$$\begin{aligned}
\text{PROB}(\text{the}|P) &= \text{SEQSUM}(1,3) / \text{SEQSUM}(1,1) + \text{SEQSUM}(1,2) + \text{SEQSUM}(1,3) + \\
&\text{SEQSUM}(1,4) \\
&= 0 / 0.7029 \\
&= 0
\end{aligned}$$

$$\begin{aligned}
\text{PROB}(\text{the}|\text{ART}) &= \text{SEQSUM}(1,4) / \text{SEQSUM}(1,1) + \text{SEQSUM}(1,2) + \text{SEQSUM}(1,3) + \\
&+ \\
&\text{SEQSUM}(1,4) \\
&= 0.7029 / 0.7029 \\
&= 1
\end{aligned}$$

Normalization at  $t = 2$ :

$$\begin{aligned}
\text{PROB}(a|V) &= \text{SEQSUM}(2,1) / \text{SEQSUM}(2,1) + \text{SEQSUM}(2,2) + \text{SEQSUM}(2,3) + \\
&\text{SEQSUM}(2,4) \\
&= 0 / 0.0035145 \\
&= 0
\end{aligned}$$

$$\begin{aligned}
\text{PROB}(a|N) &= \text{SEQSUM}(2,2) / \text{SEQSUM}(2,1) + \text{SEQSUM}(2,2) + \text{SEQSUM}(2,3) + \\
&\text{SEQSUM}(2,4) \\
&= 0.0035145 / 0.0035145 \\
&= 1
\end{aligned}$$

$$\begin{aligned}
\text{PROB}(a|P) &= \text{SEQSUM}(2,3) / \text{SEQSUM}(2,1) + \text{SEQSUM}(2,2) + \text{SEQSUM}(2,3) + \\
&\text{SEQSUM}(2,4) \\
&= 0 / 0.0035145 \\
&= 0
\end{aligned}$$

$$\begin{aligned}
\text{PROB}(a|\text{ART}) &= \text{SEQSUM}(2,4) / \text{SEQSUM}(2,1) + \text{SEQSUM}(2,2) + \text{SEQSUM}(2,3) + \\
&\text{SEQSUM}(2,4) \\
&= 0 / 0.0035145 \\
&= 0
\end{aligned}$$

Normalization at  $t = 3$ :

$$\begin{aligned}
\text{PROB}(\text{flies}|V) &= \text{SEQSUM}(3,1) / \text{SEQSUM}(3,1) + \text{SEQSUM}(3,2) + \text{SEQSUM}(3,3) + \\
&\text{SEQSUM}(3,4)
\end{aligned}$$

$$= 0.0007858422 / 0.001005147$$

$$= 0.7818181818$$

$$\text{PROB}(\text{flies}|\text{N}) = \text{SEQSUM}(3,2) / \text{SEQSUM}(3,1) + \text{SEQSUM}(3,2) + \text{SEQSUM}(3,3) + \text{SEQSUM}(3,4)$$

$$= 0.0002193048 / 0.001005147$$

$$= 0.2181818182$$

$$\text{PROB}(\text{flies}|\text{P}) = \text{SEQSUM}(3,3) / \text{SEQSUM}(3,1) + \text{SEQSUM}(3,2) + \text{SEQSUM}(3,3) + \text{SEQSUM}(3,4)$$

$$= 0 / 0.001005147$$

$$= 0$$

$$\text{PROB}(\text{flies}|\text{ART}) = \text{SEQSUM}(3,4) / \text{SEQSUM}(3,1) + \text{SEQSUM}(3,2) + \text{SEQSUM}(3,3) + \text{SEQSUM}(3,4)$$

$$= 0 / 0.001005147$$

$$= 0$$

$$= 0$$

Normalization at t = 4:

$$\text{PROB}(\text{like}|\text{V}) = \text{SEQSUM}(4,1) / \text{SEQSUM}(4,1) + \text{SEQSUM}(4,2) + \text{SEQSUM}(4,3) + \text{SEQSUM}(4,4)$$

$$= 0.4620752136 / 0.0001275842225$$

$$= 0.3621726923$$

$$\text{PROB}(\text{like}|\text{N}) = \text{SEQSUM}(4,2) / \text{SEQSUM}(4,1) + \text{SEQSUM}(4,2) + \text{SEQSUM}(4,3) + \text{SEQSUM}(4,4)$$

$$= 0.4856870304 / 0.0001275842225$$

$$= 0.3806795393$$

$$\text{PROB}(\text{like}|\text{P}) = \text{SEQSUM}(4,3) / \text{SEQSUM}(4,1) + \text{SEQSUM}(4,2) + \text{SEQSUM}(4,3) + \text{SEQSUM}(4,4)$$

$$= 0.3280799808 / 0.0001275842225$$

$$= 0.2571477683$$

$$\text{PROB}(\text{like}|\text{ART}) = \text{SEQSUM}(4,4) / \text{SEQSUM}(4,1) + \text{SEQSUM}(4,2) + \text{SEQSUM}(4,3) + \text{SEQSUM}(4,4)$$

$$= 0 / 0.0001275842225$$

$$= 0$$

$$= 0$$

Normalization at t = 5:

$$\text{PROB}(\text{flowers}|\text{V}) = \text{SEQSUM}(5,1) / \text{SEQSUM}(5,1) + \text{SEQSUM}(5,2) + \text{SEQSUM}(5,3) + \text{SEQSUM}(5,4)$$

$$= 0.04594599308 / 0.2878758115$$

$$= 0.1596035208$$

$$\text{PROB}(\text{flowers}|\text{N}) = \text{SEQSUM}(5,2) / \text{SEQSUM}(5,1) + \text{SEQSUM}(5,2) + \text{SEQSUM}(5,3) + \text{SEQSUM}(5,4)$$

$$= 0.2419298184 / 0.2878758115$$

$$= 0.8403964791$$

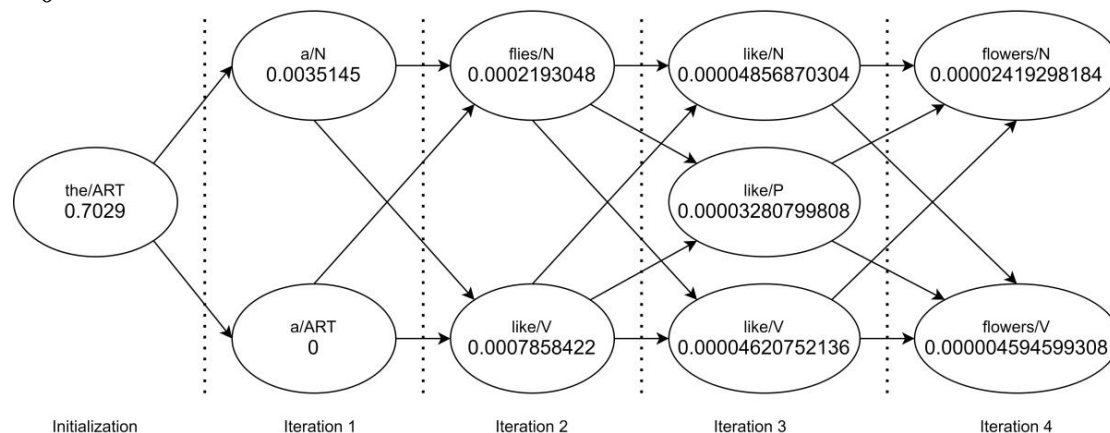
$$\text{PROB}(\text{flowers}|\text{P}) = \text{SEQSUM}(5,3) / \text{SEQSUM}(5,1) + \text{SEQSUM}(5,2) + \text{SEQSUM}(5,3) + \text{SEQSUM}(5,4)$$

$$= 0 / 0.2878758115$$

$$= 0$$

$$= 0$$

$$\begin{aligned}
 \text{PROB}(\text{flowers}|\text{ART}) &= \text{SEQSUM}(5,4) / \text{SEQSUM}(5,1) + \text{SEQSUM}(5,2) + \\
 &\text{SEQSUM}(5,3) \\
 &+ \text{SEQSUM}(5,4) \\
 &= 0 / 02878758115 \\
 &= 0
 \end{aligned}$$



## Chapter 7:

### Ex1:

a) "A man stopped at every truck stop."

This sentence is ambiguous due to its possible syntactic structures. It can be interpreted in two main ways:

1. The man stopped at every truck stop he encountered.

Paraphrase: The man halted at each truck stop along his journey.

2. There was a man at each truck stop who stopped.

Paraphrase: At each truck stop, there was a man who came to a halt.

b) "Several people ate the pizza."

This sentence is ambiguous due to its possible word senses. It can be interpreted in two main ways:

1. Different groups of people consumed the pizza separately.

Paraphrase: Multiple groups of individuals had pizza.

2. A group of people together consumed the pizza.

Paraphrase: A number of people shared in eating the pizza.

c) "We saw her duck."

This sentence is ambiguous due to a combination of syntactic structures and word senses. It can be interpreted in two main ways:

1. We observed the duck belonging to her.

Paraphrase: We witnessed the duck that belongs to her.

2. We observed her perform the action of ducking.

Paraphrase: We witnessed her ducking (bending down quickly).

### EX2:

1) George ate a pizza at every road stop.

Ambiguity: The sentence could mean either that George ate one distinct pizza at each road stop, or he ate portions of the same pizza across multiple road stops.

### Quasi-Logical Forms:

Distinct Pizzas Interpretation:

$$\forall s(s \text{ in RoadStops} \rightarrow \exists p(p \text{ in Pizzas} \wedge \text{EAT}(\text{George}, p, s)))$$

This interpretation suggests that for each road stop  $s$ , there is a different pizza  $p$  that George ate.

Same Pizza, Multiple Stops Interpretation:

$$\exists p(p \text{ in Pizzas} \wedge \forall s(s \text{ in RoadStops} \rightarrow \text{EAT}(\text{George}, p, s)))$$

This form suggests that there is one pizza  $p$  that George ate across all road stops.

2) Several employees from every company bought a pizza.

Ambiguity: This sentence could mean either that a group of employees from each company collectively purchased one pizza, or each employee from every company purchased a separate pizza.

### Quasi-Logical Forms:

Collective Purchase Interpretation:

$$\forall c(c \text{ in Companies} \rightarrow \exists e(e \text{ in Employees of } c \wedge \exists p(p \text{ in Pizzas} \wedge \text{BUY}(e, p))))$$

This interpretation means that for each company  $c$ , there is a group of employees  $e$  who collectively buy at least one pizza  $p$ .

Individual Purchase Interpretation:

$$\forall c(c \text{ in Companies} \rightarrow \forall e(e \text{ in Employees of } c \rightarrow \exists p(p \text{ in Pizzas} \wedge \text{BUY}(e, p))))$$

This form implies that every employee  $e$  from each company  $c$  buys their own individual pizza  $p$ .

3) We saw John in the park by the beach.

Ambiguity: The sentence might mean that John was seen in a park located next to the beach, or it might mean that John was seen at both the park and also independently by the beach.

### Quasi-Logical Forms:

Park Adjacent to the Beach Interpretation:

$$\text{SEE}(\text{We}, \text{John}, \text{IN}(\text{Park adjacent to Beach}))$$

This implies that the park where John was seen is next to the beach.

Separate Locations Interpretation:

$$\text{SEE}(\text{We}, \text{John}, \text{IN}(\text{Park}) \wedge \text{IN}(\text{Beach}))$$

This interpretation suggests that John was seen both in the park and, separately, at the beach.

## Chapter 8:

### EX1:

$(\lambda x(Px)A)$  simplifies to  $PA$

$((\lambda x(xA))(\lambda y(Qy)))$  simplifies to  $QA$

$((\lambda x((\lambda y(Py))x))A)$  simplifies to  $PA$

### EX2:

#### Syntactic Analysis:

NP1 (The man)

VP (gave the apple to Bill)

V (gave)

NP2 (the apple)

PP (to Bill)

P (to)

NP3 (Bill)

#### Lexical Entries:

man:  $\lambda m (\text{MAN } m1)$

apple:  $\lambda a (\text{APPLE } a1)$

Bill:  $\lambda b$  (NAME b1 "Bill")

gave:  $\lambda x \lambda y \lambda z$  (PAST (GIVE x y z)) - where x is the giver, y is the thing given, and z is

the receiver.

to:  $\lambda t$  (TO t1)

**Semantic Interpretation:**

NP1:

the:  $\lambda P \lambda x$  (THE x (P x))

man:  $\lambda m1$  (MAN m1)

SEM(NP1) =  $(\lambda P \lambda x$  (THE x (P x)))  $(\lambda m1$  (MAN m1)) =  $\lambda m1$  (THE m1 (MAN m1))

NP2:

the:  $\lambda P \lambda x$  (THE x (P x))

apple:  $\lambda a1$  (APPLE a1)

SEM(NP2) =  $(\lambda P \lambda x$  (THE x (P x)))  $(\lambda a1$  (APPLE a1)) =  $\lambda a1$  (THE a1 (APPLE a1))

PP:

to:  $\lambda t$  (TO t1)

Bill:  $\lambda b1$  (NAME b1 "Bill")

SEM(PP) =  $\lambda t$  (TO t1)  $(\lambda b1$  (NAME b1 "Bill")) = TO (NAME "Bill")

VP:

gave:  $\lambda x \lambda y \lambda z$  (PAST (GIVE x y z))

NP2:  $\lambda a1$  (THE a1 (APPLE a1))

PP: TO (NAME "Bill")

SEM(VP) =  $\lambda x \lambda y \lambda z$  ( (TO (NAME "Bill")) PAST (GIVE x y z))  $(\lambda a1$  (THE a1 (APPLE a1))) (NAME "Bill") =  $\lambda x$  ( (TO (NAME "Bill")) PAST (GIVE x  $(\lambda a1$  (THE a1 (APPLE a1))) (NAME "Bill"))

S:

NP1:  $\lambda m1$  (THE m1 (MAN m1))

VP:  $\lambda x$  (PAST (GIVE x  $(\lambda a1$  (THE a1 (APPLE a1))) ) TO (NAME "Bill"))

SEM(S) =  $\lambda x$  ( (TO (NAME "Bill")) PAST (GIVE x  $(\lambda a1$  (THE a1 (APPLE a1))) ) (NAME "Bill")  $(\lambda m1$  (THE m1 (MAN m1))) = (TO (NAME "Bill")) PAST (GIVE  $\lambda m1$  (THE m1 (MAN m1))  $(\lambda a1$  (THE a1 (APPLE a1))) (NAME "Bill"))

**EX3:**

I use python to draw .



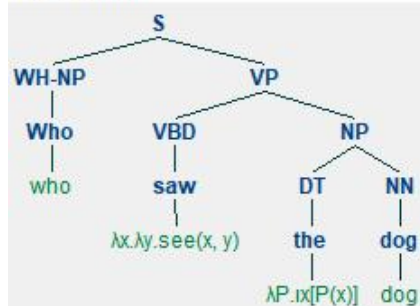
```

BTCN.py > create_trees
1  import nltk
2  from nltk import Tree
3
4  # Define the function to display a parse tree
5  def draw_parse_tree(tree):
6      tree.draw()
7
8  # Define the function to create parse trees with semantic annotations
9  def create_trees():
10     # Tree for "Who saw the dog?"
11     t1 = Tree('S', [
12         Tree('WH-NP', [Tree('Who', ['who'])]),
13         Tree('VP', [
14             Tree('VBD', [Tree('saw', ['λx.λy.see(x, y)'])]),
15             Tree('NP', [
16                 Tree('DT', [Tree('the', ['λP.λx[P(x)'])]),
17                 Tree('NN', [Tree('dog', ['dog'])])
18             ])
19         ])
20     ])
21

```

NLTK

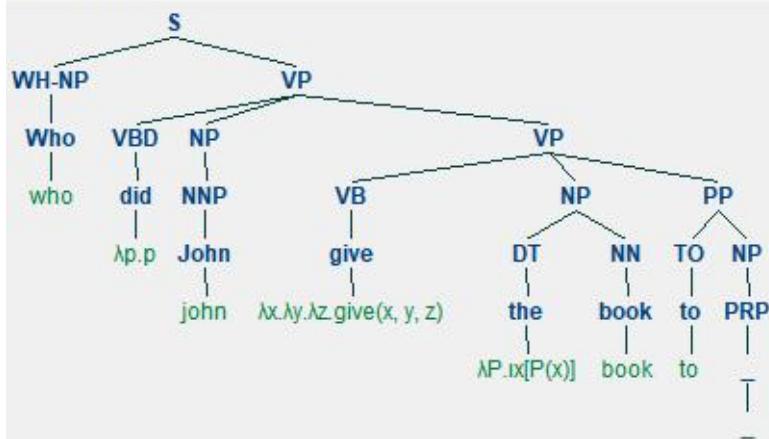
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```
# Tree for "Who did John give the book to?"
t2 = Tree('S', [
    Tree('WH-NP', [Tree('who', ['who'])]),
    Tree('VP', [
        Tree('VBD', [Tree('did', ['λp.p'])]),
        Tree('NP', [Tree('NNP', [Tree('John', ['john'])])]),
        Tree('VP', [
            Tree('VB', [Tree('give', ['λx.λy.λz.give(x, y, z)'])]),
            Tree('NP', [
                Tree('DT', [Tree('the', ['λP.λx[P(x)'])]),
                Tree('NN', [Tree('book', ['book'])])
            ]),
            Tree('PP', [
                Tree('TO', [Tree('to', ['to'])]),
                Tree('NP', [Tree('PRP', [Tree('_', ['_'])])])
            ])
        ])
    ])
])
```

NLTK

File Zoom



## Chapter 9 :

### EX1:

- For "bridge/STRUCTURE1":
  - Count (the/bridge/STRUCTURE1) = 5500
  - Count (suspension/bridge/STRUCTURE1) = 200
  - Count (bridge/STRUCTURE1) = 5651
  - Count (construction/bridge/ STRUCTURE1) = 1
  - Count (the) in the corpus = 500,000
  - Count (suspension) in the corpus = 2000
  - Count (construction) in the corpus = 1000
- For "bridge/DENTAL-DEV37":
  - Count (the/bridge/DENTAL-DEV37) = 180
  - Count (suspension/bridge/DENTAL-DEV37) = 1

- Count (bridge/DENTAL-DEV37) = 194
- Count (construction/bridge/DENTAL-DEV37) = presumed low 0.1 due to it being rare
- STRUCTURE1:  
 $Cn(\text{the/bridge/STRUCTURE1}) = 10^7 \times 5500 / 5651 \times 500000 \approx 1.94$   
 $Cn(\text{suspension/bridge/STRUCTURE1}) = 10^7 \times 200 / 5651 \times 2000 \approx 17.7$   
 $Cn(\text{construction/bridge/STRUCTURE1}) = 10^7 \times 1 / 5651 \times 1000 \approx 1.8$
- DENTAL-DEV37:  
 $Cn(\text{the/bridge/DENTAL-DEV37}) = 10^7 \times 180 / 194 \times 500000 \approx 1.84$   
 $Cn(\text{suspension/bridge/DENTAL-DEV37}) = 10^7 \times 1 / 194 \times 2000 \approx 2.6$   
 $Cn(\text{construction/bridge/DENTAL-DEV37}) = 10^7 \times 0.1 / 194 \times 1000 \approx 0.005$

## EX2:

The given grammar is enough to appropriately interpret these sentences.

Extend the lexicon and sense hierarchy:

route (N AGR 3s SEM ROUTE1)

route (N AGR 3s SEM ROUTE2)

book (N AGR 3s SEM BOOK2)

gave (V SUBCAT \_np VFORM past SUBJ ?subj OBJ? SEM (& (GIVES1 \*)

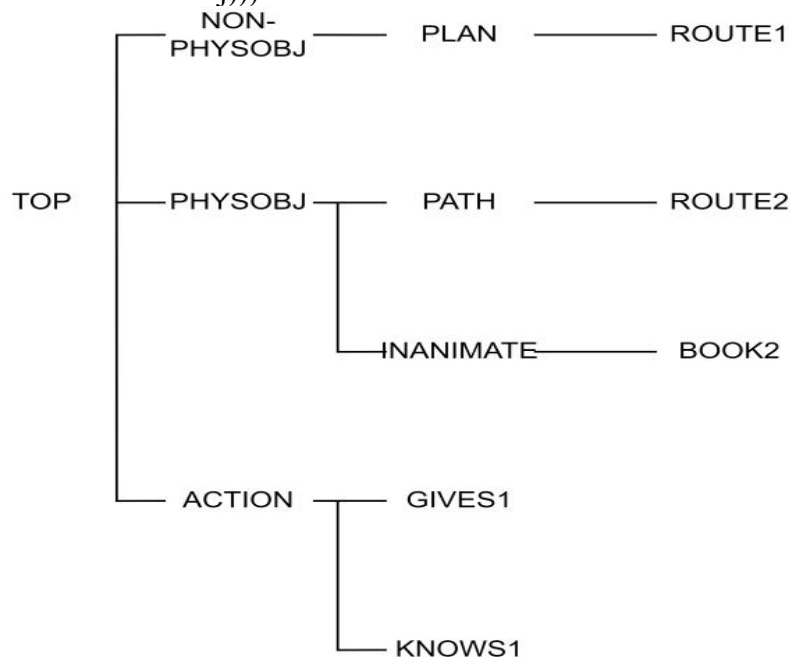
(AGENT \* ?subj)

(THEME \* ?semobj)))

knows (V SUBCAT \_np VFORM pres SUBJ ?subj OBJ? SEM (& (KNOWS1 \*)

(AGENT \* ?subj)

(THEME \* ?semobj)))



Extend the selectional restrictions:

(AGENT GIVES1 PERSON)

(THEME GIVES1 PHYSOBJ)

(AGENT KNOWS1 PERSON)

(THEME KNOWS1 NON-PHYSOBJ || PHYSOBJ)