

~~Null Hypothesis~~

31 December

Null Hypothesis

There is no difference between
winter And Nov-

No Halloween effect

$H_0: \mu_1 = \mu_2$

winter = summer Same

Alternative hypothesis

$H_1: \mu_1 \neq \mu_2$

$\left\{ \begin{array}{l} \mu_1 > \mu_2 \\ \mu_1 < \mu_2 \end{array} \right\}$

There is a difference
Halloween effect exist.

$\left\{ \begin{array}{l} \text{Nov - April} = 1 \\ \text{May - Oct} = 0 \end{array} \right.$

Nov-April = 1
May-Oct = 0

$$y = \beta_0 + \beta_1 x_1 + e$$

Log Return = intercept (β_0) + $\beta_1 \times$ St-dummy

Why we need log return. It gives better percentage difference.

Why log return Not compound return

Day 1 Sale \$ 50

Day 2 Sale 45

Logarithmic Return

$$\log\left(\frac{45}{50}\right) \times 100$$

$$= \log(0.9) \times 100$$

$$= -10.53$$

Why F-statistic

It is used to compare variance

The Higher - F statistic, the more variance explained

Z-Test: Compare sample with population parameter. Normal test

T-Test: When standard deviation is unknown, and sample is less than 30

F-Test: For compare multiple means, compare variance. Winter Vs Summer

Chi-Square Test: Categorical

Durbin-Watson: Residual Error

Breusch-Pagan : Standard-deviation

If p-value is less than 0.05 then we reject null hypothesis.

In here p-value (0.7176) which is greater than 0.05 that we fail to reject the null hypothesis
We accept null hypothesis. There is no significant difference.

If you flip coin Head and Tail.

$p(\text{Head}) = \frac{1}{2} = 0.5$

$P(\text{Tail}) = \frac{1}{2} = 0.5$

10 times 3,7 = We reject the null Hypothesis

10 times, 4,6 = We accept the null hypothesis

Null = Coin is fair

Alter = Coin is not fair

Reject

Coin is not fair

Flip the coin has