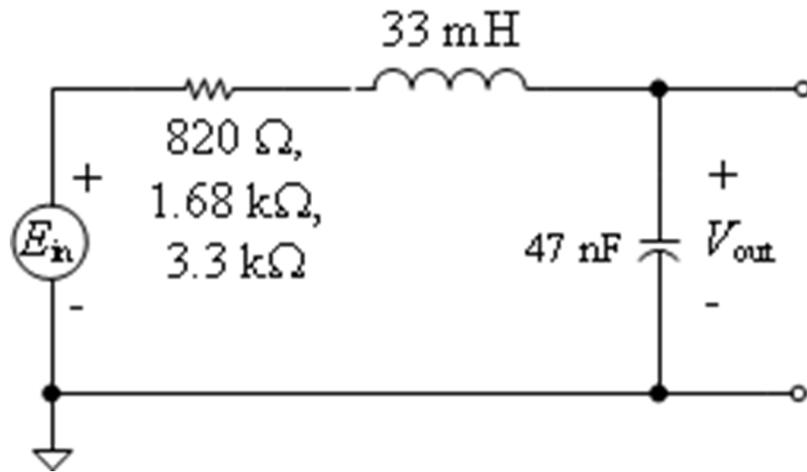


Low Pass – Quick Look



1. V_{out} at DC ?

cap is _____

inductor is _____

2. V_{out} at high f ?

cap is _____

inductor is _____

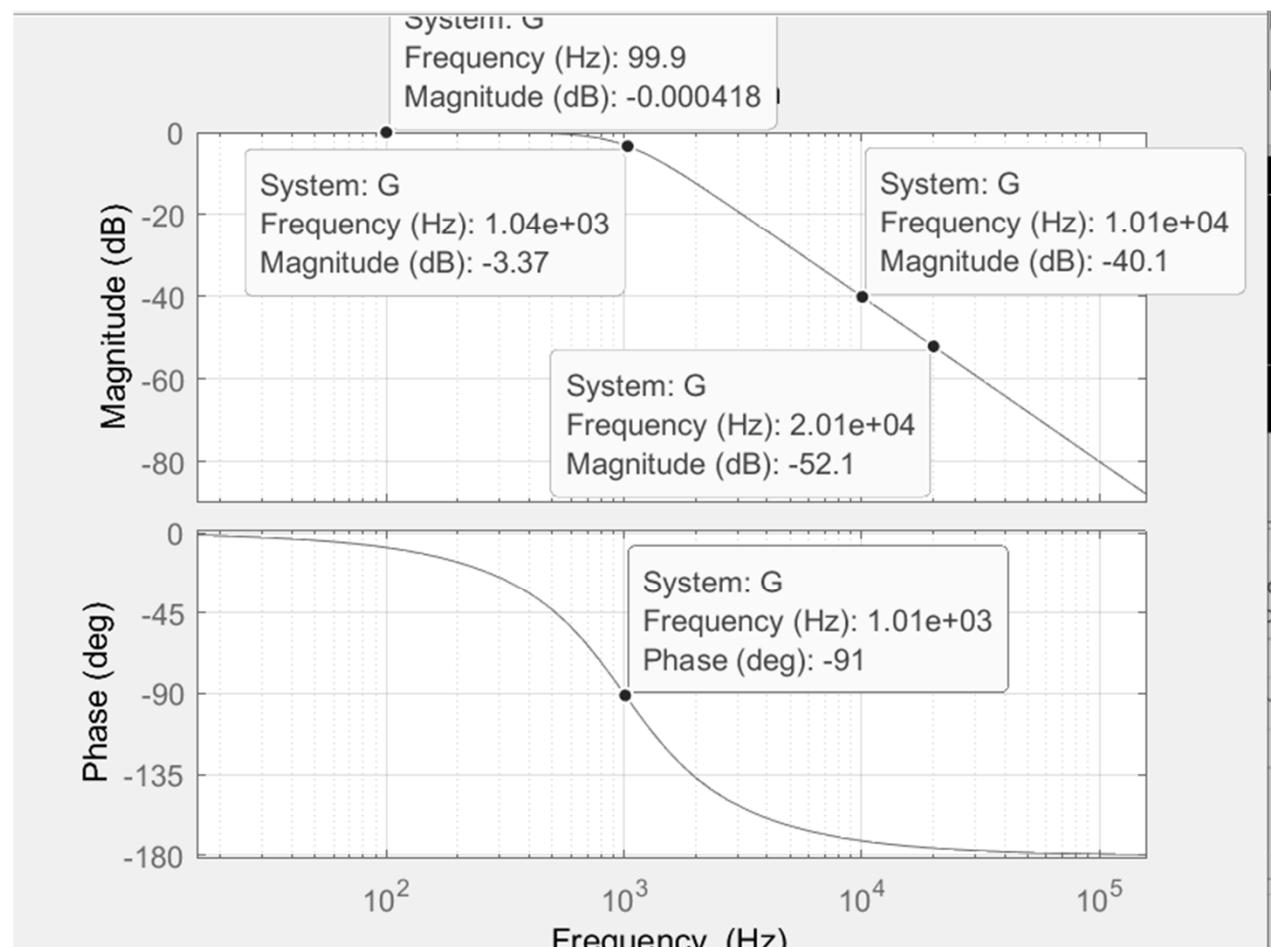
$$\frac{\frac{1}{LC}}{s^2 + \frac{R}{L}s + \frac{1}{LC}}$$

$$\frac{\frac{1}{LC}}{s^2 + \frac{R}{L}s + \frac{1}{LC}} \quad \longleftrightarrow \quad \frac{\omega_n^2}{s^2 + 2\zeta\omega_n s + \omega_n^2}$$

```

1 - clear
2 - format short G
3 - s=tf('s')
4 -
5 - Ao=1;
6 - fo=1e3;
7 - wo=2*pi*fo;
8 - zeta=0.707;
9 -
10 - G=Ao*wo^2/(s^2+2*zeta*wo*s+wo^2)
11 -
12 - opts = bodeoptions('cstprefs');
13 - opts.FreqUnits = 'Hz';
14 - opts.grid = 'on';
15 - opts.PhaseWrapping = 'on';
16 - opts.MagLowerLimMode = 'manual';
17 - opts.MagLowerLim = -90;
18 -
19 - bodeplot(G,{1e2,1e6},opts);

```



$$s^2 + 2\zeta\omega_n s + \omega_n^2 = s^2 + \frac{R}{L}s + \frac{1}{LC}$$

$$\omega_n^2 = 2\zeta\omega_n =$$

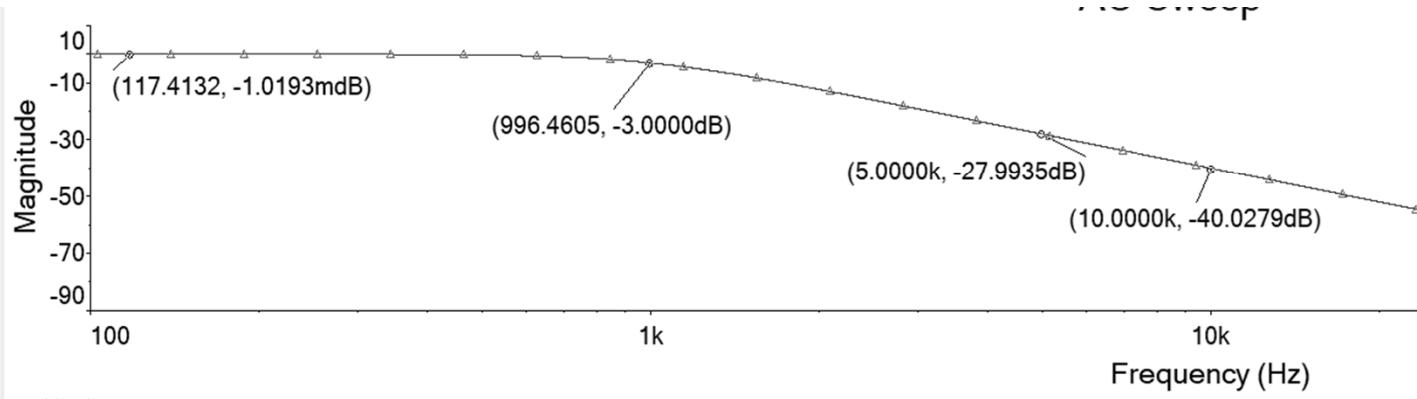
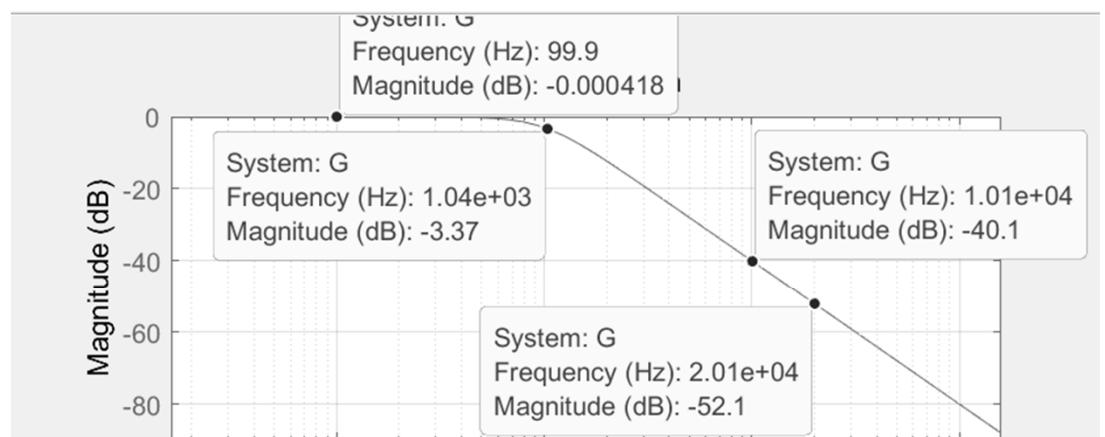
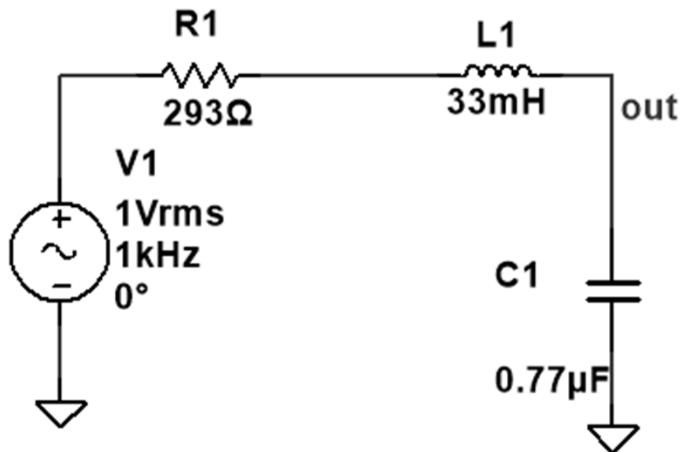
$$\omega_n = \zeta =$$

$$f_o = \frac{1}{2*\pi\sqrt{LC}}$$

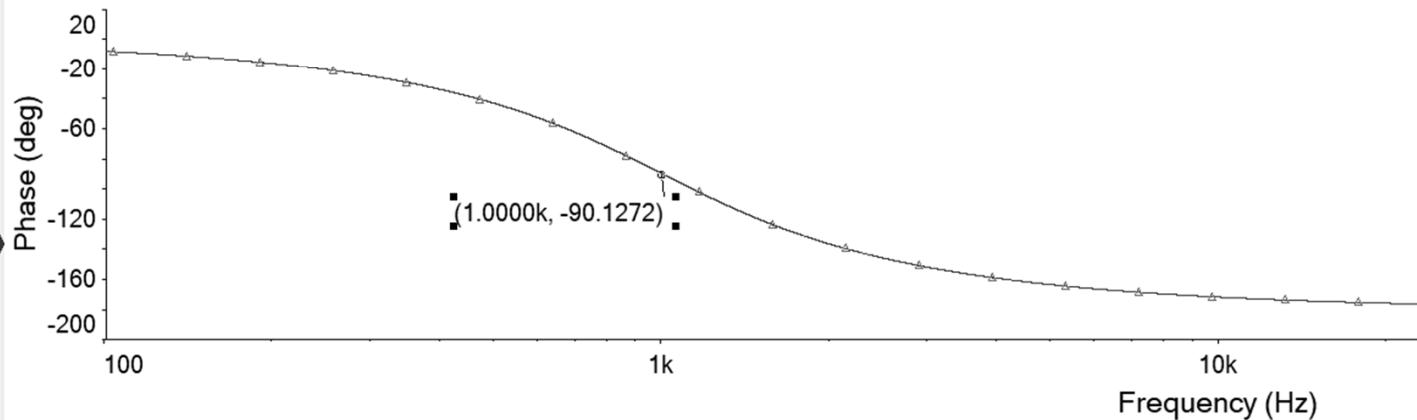
$$\zeta =$$

Butterworth low pass design

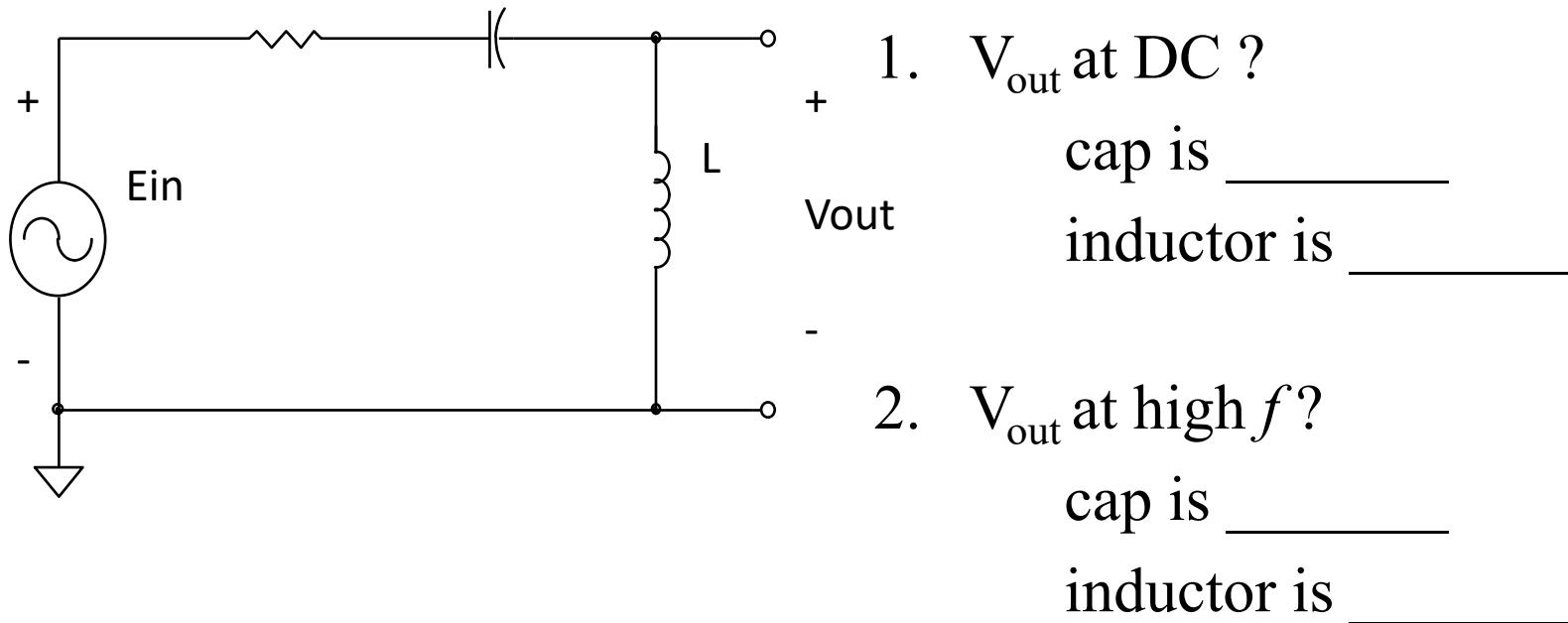
- Given: $\zeta = \dots$ $A_o = 1$ $f_o = 1 \text{ kHz}$
- Pick $L = 33 \text{ mH}$
- Calculate $C = \dots$ $f_o = \frac{1}{2*\pi\sqrt{LC}}$
- Calculate $R = \dots$ $\zeta = \frac{1}{2}R\sqrt{\frac{C}{L}}$



$V(\text{out})$



High Pass – Quick Look

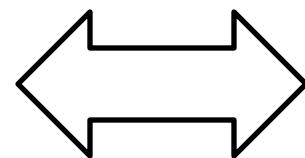


$$\frac{s^2}{s^2 + \frac{R}{L}s + \frac{1}{LC}}$$

$$\omega_n^2 =$$

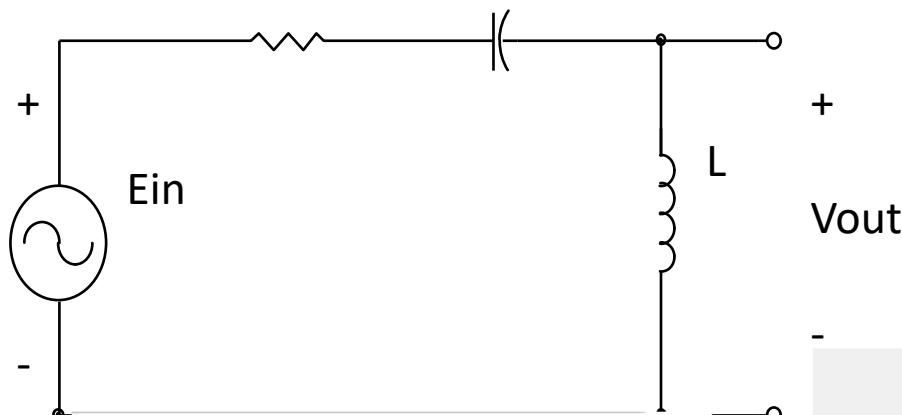
$$2\zeta\omega_n =$$

$$\frac{s^2}{s^2 + \frac{R}{L}s + \frac{1}{LC}}$$



$$\frac{s^2}{s^2 + 2\zeta\omega_n s + \omega_n^2}$$

High Pass – transfer function



```

clear
format short G
s=tf('s')

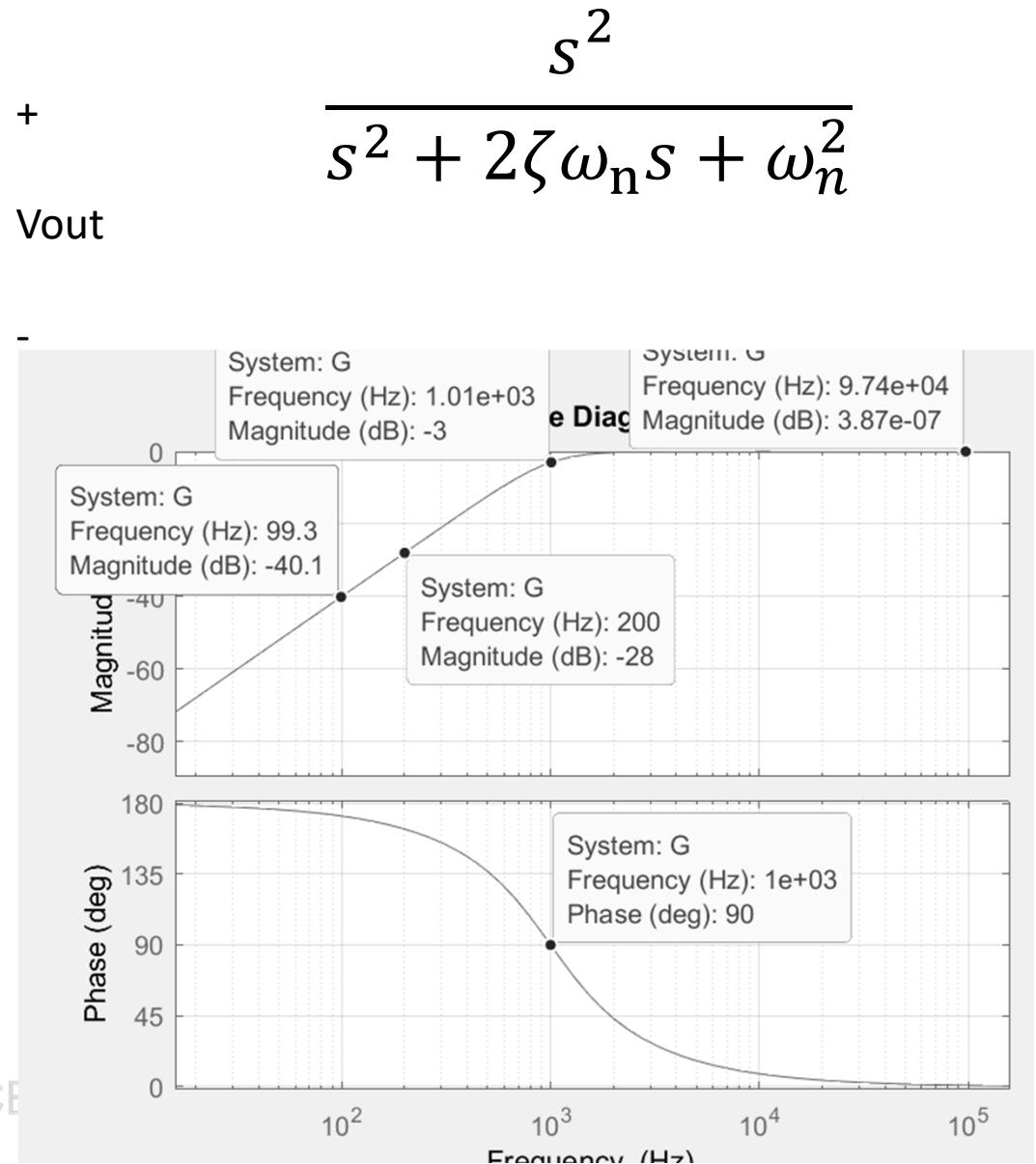
Ao=1;
fo=1e3;
wo=2*pi*fo;
zeta=0.707;

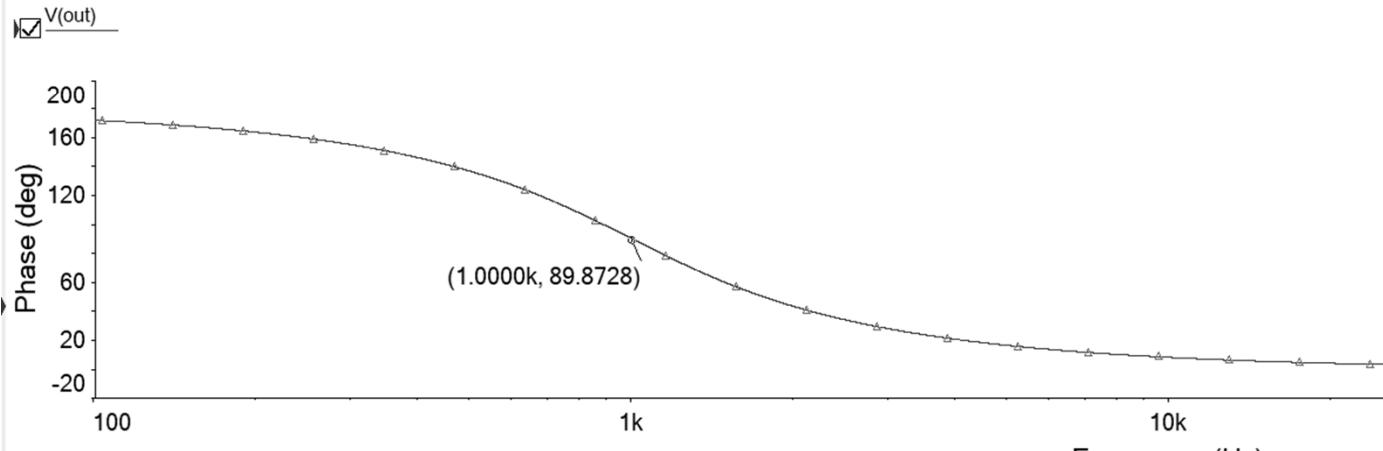
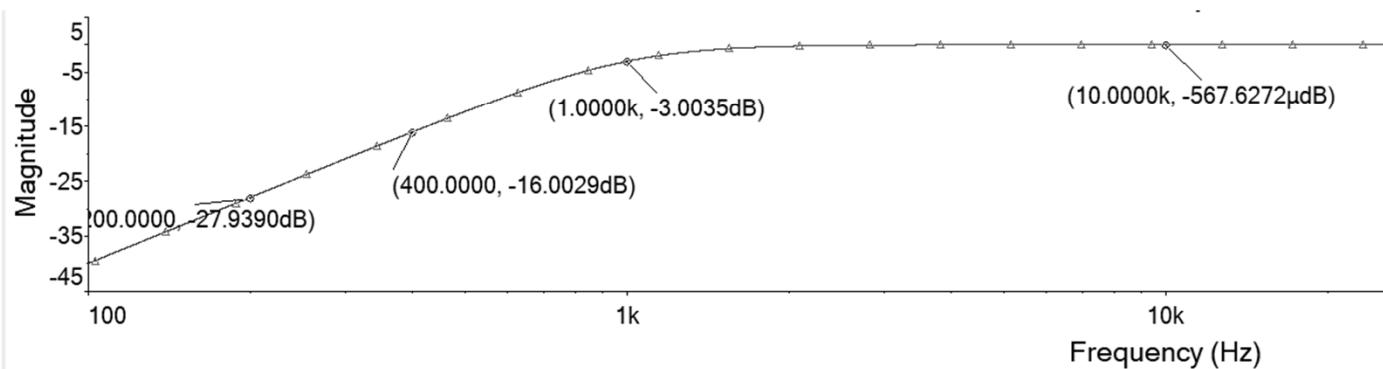
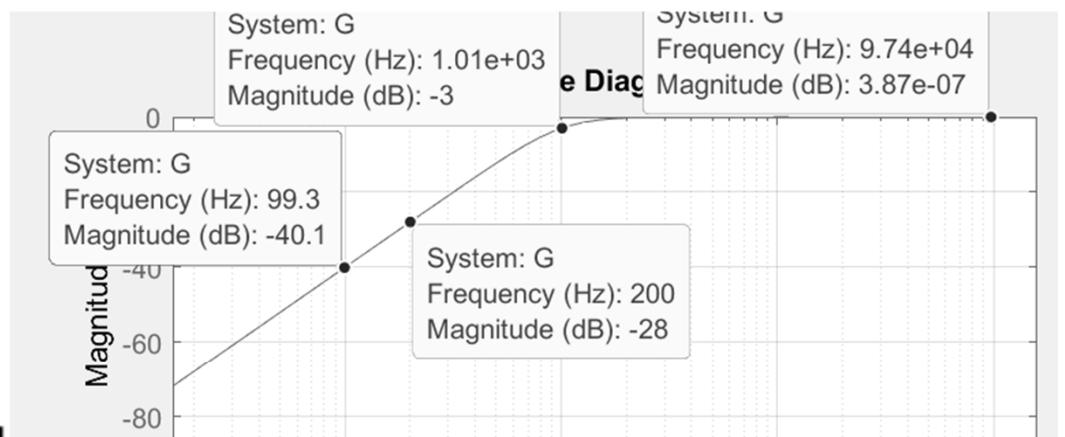
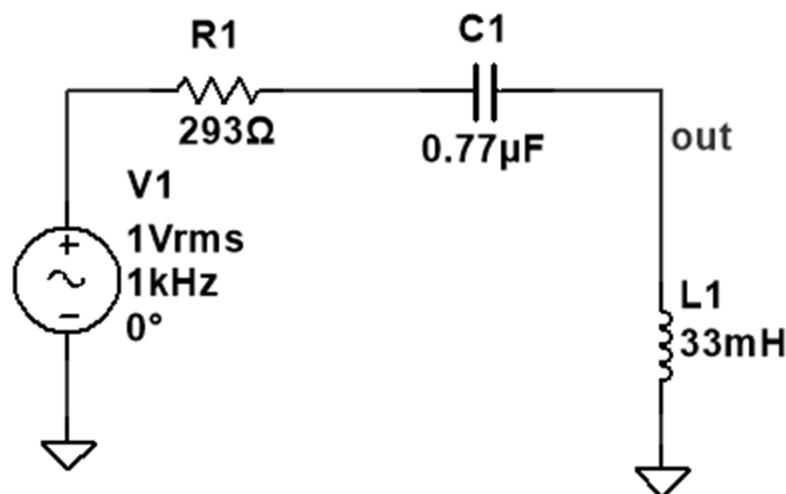
G=Ao*s^2/(s^2+2*zeta*wo*s+wo^2)

opts = bodeoptions('cstprefs');
opts.FreqUnits = 'Hz';
opts.grid = 'on';
opts.PhaseWrapping = 'on';
opts.MagLowerLimMode = 'manual';
opts.MagLowerLim = -90;

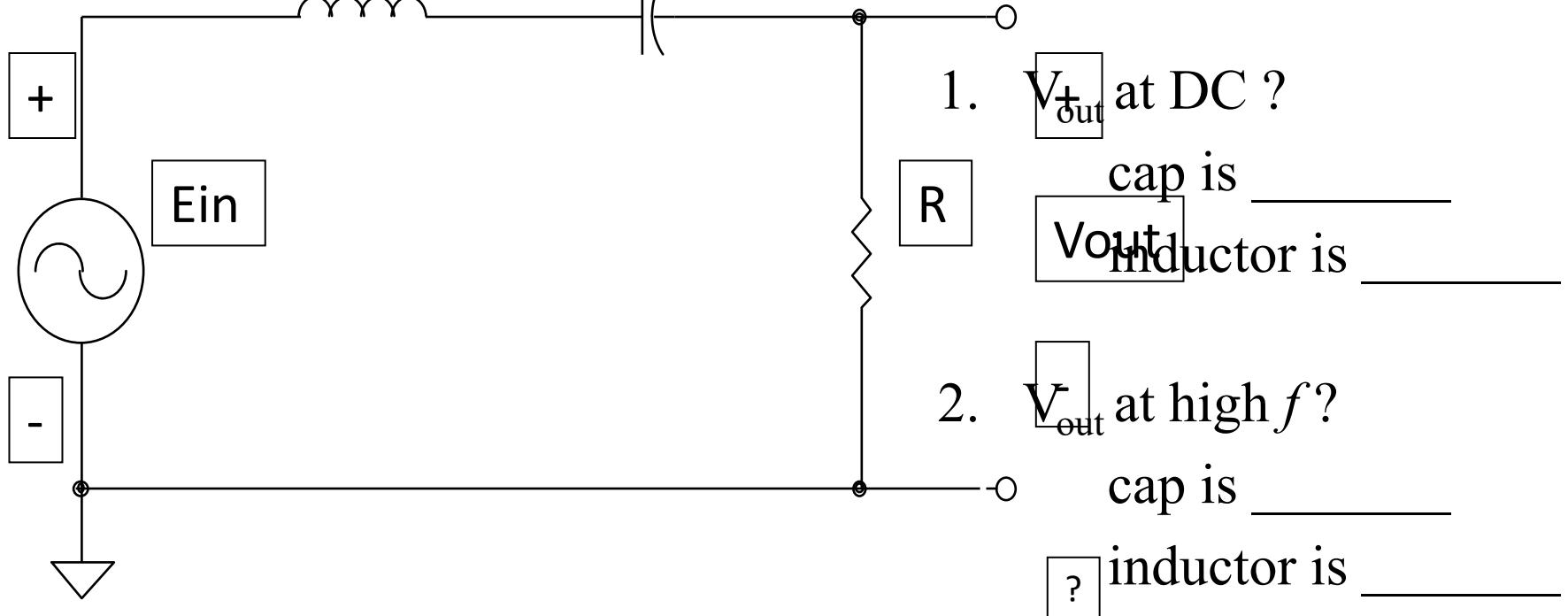
bodeplot(G,{1e2,1e6},opts);

```





L Band Pass – Quick Look

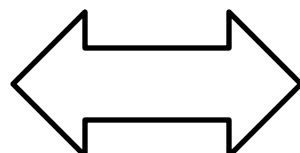


$$\frac{\frac{R}{L}s}{s^2 + \frac{R}{L}s + \frac{1}{LC}}$$

$$\omega_n^2 =$$

$$2\zeta\omega_n =$$

$$\frac{\frac{R}{L}s}{s^2 + \frac{R}{L}s + \frac{1}{LC}}$$



$$\frac{2\zeta\omega_n s}{s^2 + 2\zeta\omega_n s + \omega_n^2}$$

```

clear
format short G
s=tf('s')

Ao=1;
fo=1e3;
wo=2*pi*fo;
zeta=0.707;

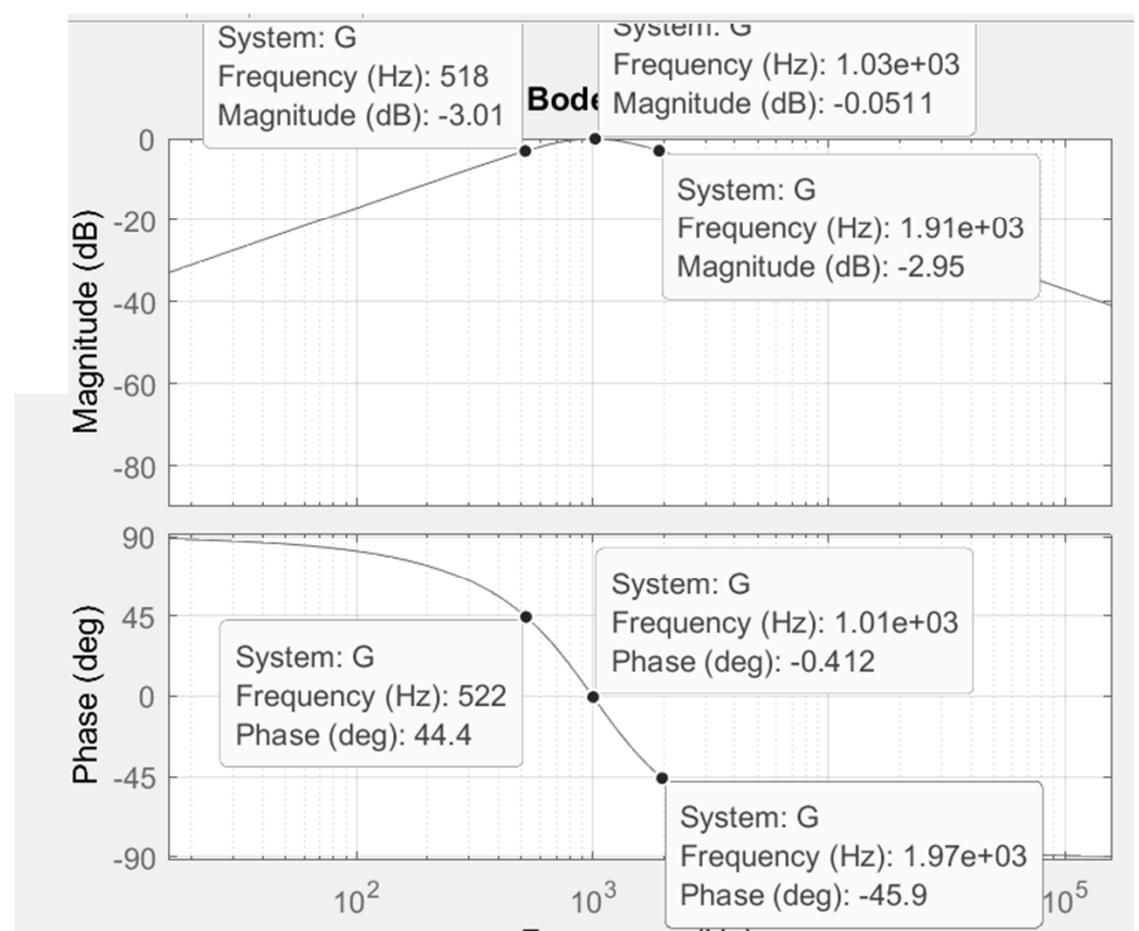
G=Ao*2*zeta*wo*s/(s^2+2*zeta*wo*s+wo^2)

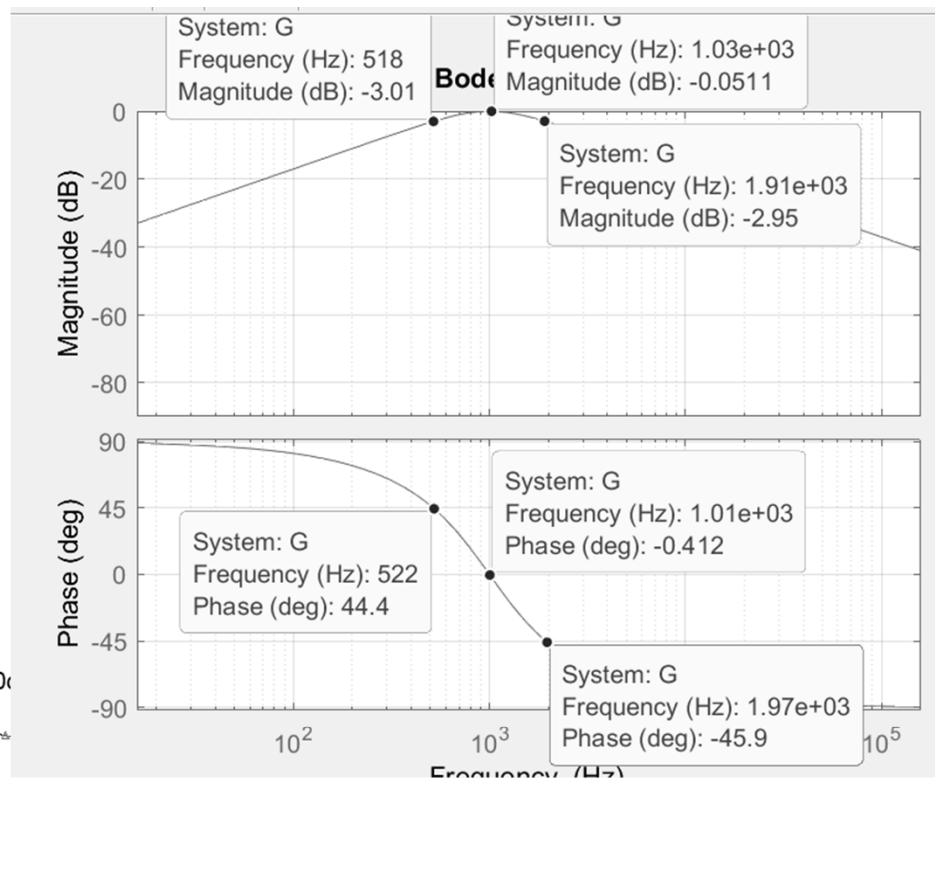
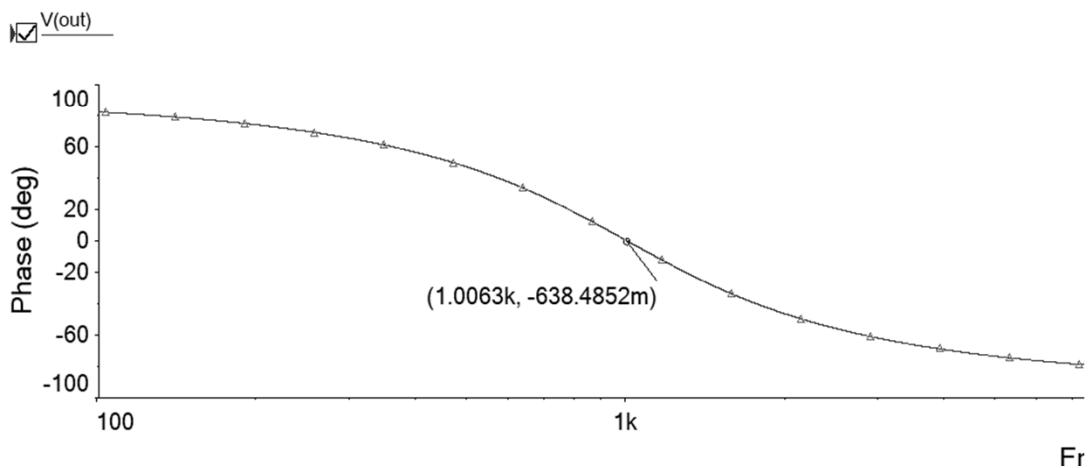
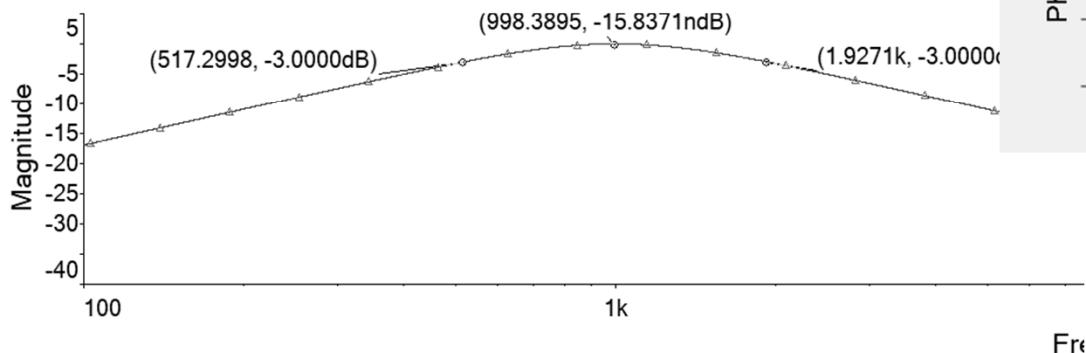
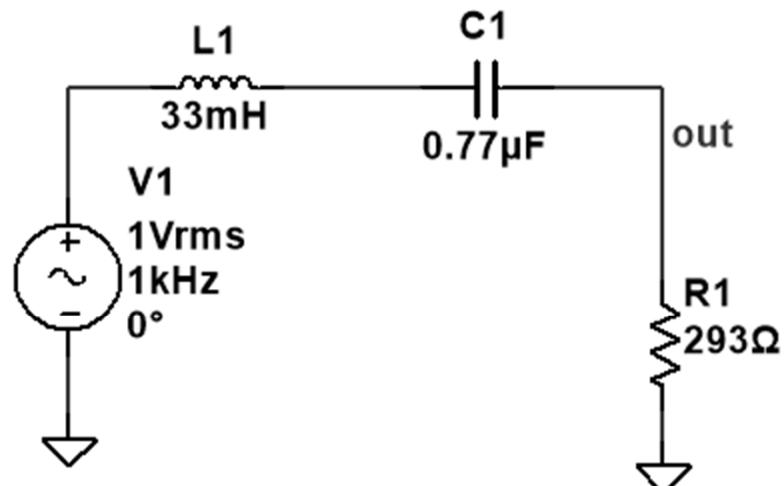
opts = bodeoptions('cstprefs');
opts.FreqUnits = 'Hz';
opts.grid = 'on';
opts.PhaseWrapping = 'on';
opts.MagLowerLimMode = 'manual';
opts.MagLowerLim = -90;

bodeplot(G,{1e2,1e6},opts);

```

$$\frac{2\zeta\omega_n s}{s^2 + 2\zeta\omega_n s + \omega_n^2}$$

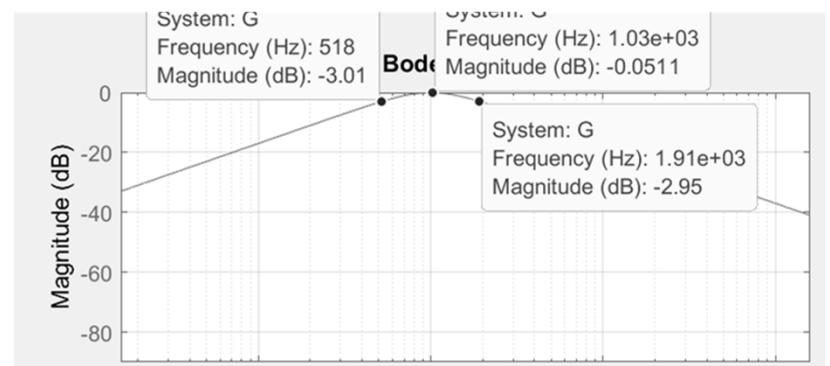
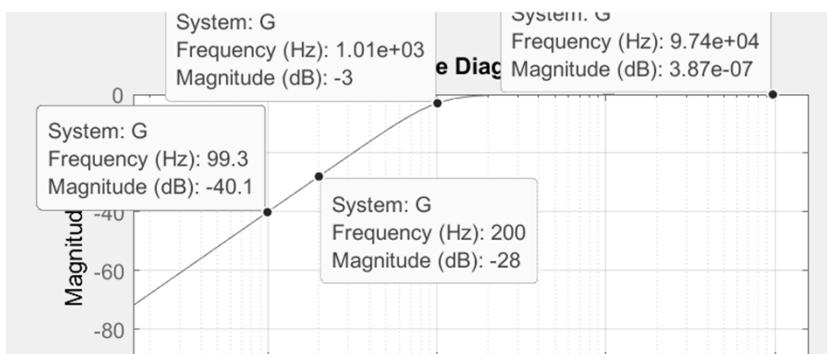
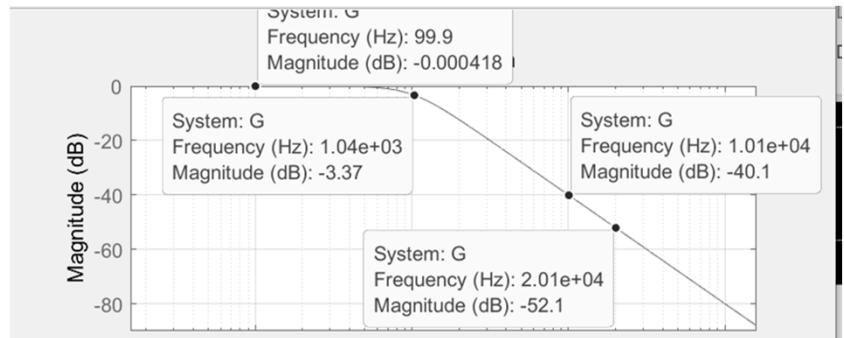




$$\frac{1}{s^2 + 2\zeta\omega_n s + \omega_n^2}$$

$$\frac{1}{s^2 + 2\zeta\omega_n s + \omega_n^2}$$

$$\frac{1}{s^2 + 2\zeta\omega_n s + \omega_n^2}$$

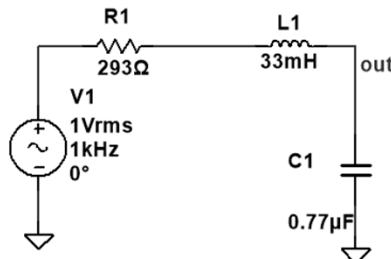


$$\omega_n = \frac{1}{\sqrt{LC}}$$

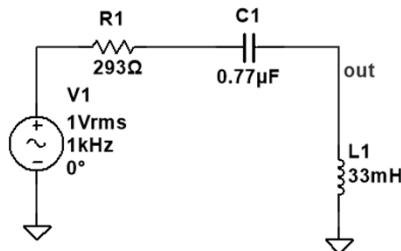
$$f_o = \frac{1}{2*\pi\sqrt{LC}}$$

$$\zeta = \frac{1}{2} R \sqrt{\frac{C}{L}}$$

$$s^2 + \frac{R}{L}s + \frac{1}{LC}$$



$$s^2 + \frac{R}{L}s + \frac{1}{LC}$$



$$s^2 + \frac{R}{L}s + \frac{1}{LC}$$

