

## PHYS101 Tutorial 4 – PHYS101-21S2

These questions are to be started in your tutorial session and the answers to be submitted post-tutorial via LEARN.

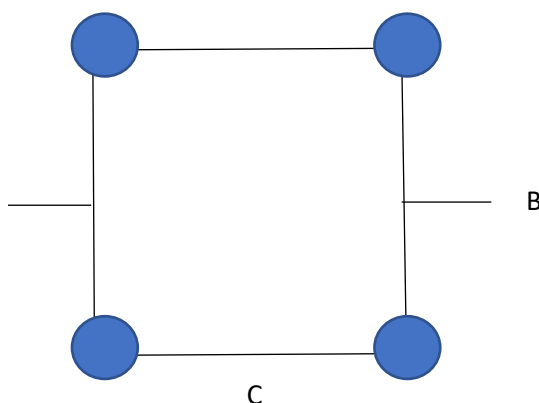
1. A disk is spinning with an initial angular velocity of 2 rad/s. It is measured 5 seconds later and found to be spinning at 6 rad/s. Assuming that the angular acceleration is constant, calculate the angular acceleration of the disk and the angular displacement that the disk went through over these 5 seconds? Is it possible to solve this problem if we do not assume that the angular acceleration is constant?

no

$$\frac{4}{5} = \alpha \quad \frac{4}{5} \text{ rad } 5^{-2}$$

2. An object is constructed using four balls that weigh 2 kg each and four rigid but massless rods that are 1 m in length (as shown below). It is fixed at points A and B (halfway along the rods) so that it cannot move linearly but remains free to rotate about these points. A force of 15 N (into the page) is applied on a rod at point C.
  - a. Calculate the inertia of the system
  - b. Calculate the magnitude of the torque that results from the force
  - c. Calculate the angular acceleration that results from this force
  - d. If this force remains acting on the bar but does not change direction, describe what will happen to the system.

I + will  
reach equilibrium  
at 90° from start  
position



$$I = \sum mr^2$$

$$= 4(2 \times 0.5^2)$$

$$= 2 \text{ kg m}^2$$

$$\tau = 0.5 \times 15$$

$$= 7.5 \text{ Nm}$$

$$\alpha = \tau / I = 3.75$$

3. A wheel is mounted on a wall and given a push to start it spinning. This wheel has very light spokes and a heavy rim so can be considered a ring with a radius of 70 cm that weighs 8 kg. It is timed to be rotating at a constant rate of 5 revolutions per minute.
  - a. Calculate the rotational kinetic energy of the system
  - b. A torque is applied to the rim of the wheel which slows the rotation down to 3 revolutions per minute. Calculate the work done by this torque
  - c. If the deceleration in question b happens over 2.5 seconds calculate the power associated with this change in rotation rate.

$$E_k = \frac{1}{2} I \omega^2$$

$$I = mr^2 = 8 \times 0.7^2 = 3.92$$

$$\omega = 0.523$$

$$= 0.538$$

$$W = E_f - E_i \quad E_f = 0.193$$

$$W = \frac{0.344 \text{ J}}{2.5} = P = 0.137 \text{ W}$$