

✓ A1: Hash Table (Linear Probing & Double Hashing)

Q1: What is a hash function?

→ A hash function maps a key to an index in the hash table using a formula like $\text{key} \% \text{table_size}$.

Q2: Linear probing with vs. without replacement?

→ *Without replacement*: Insert next empty slot if collision occurs.

→ *With replacement*: Replace if current slot's hashed key is different and reinsert the old one.

Q3: How does double hashing reduce clustering?

→ It uses two hash functions to find new positions, avoiding clusters from linear probing.

Q4: Time complexity of searching?

→ **Average:** $O(1)$; **Worst:** $O(n)$, when many collisions occur.

Q5: Comparisons in worst case?

→ Linear probing may need up to n comparisons. Double hashing usually needs fewer due to better distribution.

✓ A4: Set ADT

Q1: What is a set?

→ A collection of unique elements with no duplicates.

Q2: Difference from a list?

→ Sets don't allow duplicates, and order doesn't matter.

Q3: What is union, intersection, difference?

→ *Union*: All unique elements from both sets.

→ *Intersection*: Only common elements.

→ *Difference*: Elements in one but not in the other.

Q4: What does `contains()` do?

→ Returns True if element exists in the set.

Q5: Subset check?

→ All elements of B are in A \Rightarrow B is a subset of A.

✓ A5: General Tree (Book Structure)

Q1: What is a general tree?

→ A tree where each node can have multiple children.

Q2: How is memory allocated?

→ Typically using arrays or pointers to child nodes (e.g., `child[10]`).

Q3: Time complexity to build tree?

→ $O(n)$, where n is number of nodes (chapters + sections + subsections).

Q4: Space complexity?

→ Also $O(n)$, storing all node pointers and labels.

Q5: Recursive implementation possible?

→ Yes, tree creation and traversal are naturally recursive.

✓ **B7: Expression Tree**

Q1: What is an expression tree?

→ A binary tree that represents an arithmetic expression.

Q2: Build tree from prefix?

→ Scan from right to left; use stack for operands, then pop for operator's children.

Q3: Postorder traversal meaning?

→ Left → Right → Root (used to convert prefix to postfix).

Q4: Why use stack?

→ To simulate recursive function call order non-recursively.

Q5: How is tree deleted?

→ Using postorder traversal: delete left, right, then root.

✓ **B11: BST Dictionary**

Q1: What is a BST?

→ A binary tree where $\text{left} < \text{root} < \text{right}$.

Q2: Insert vs. search?

→ Insert: place node in sorted order.

→ Search: follow BST rules until node found or NULL.

Q3: Handle duplicates?

→ Usually duplicates are not allowed or are handled via counters or lists.

Q4: Time complexity (best/worst)?

→ Best: $O(\log n)$, Worst: $O(n)$ if tree is skewed.

Q5: How is sorting done?

→ In-order traversal gives ascending order.

✓ C13: DFS/BFS on Graph

Q1: DFS vs. BFS?

→ DFS: depth-first (stack or recursion), BFS: level-order (queue).

Q2: Matrix vs. List?

→ Matrix: uses 2D array, good for dense graphs.

→ List: space-efficient for sparse graphs.

Q3: BFS preferred when?

→ When shortest path or level-wise traversal is needed.

Q4: What's used for DFS and BFS?

→ DFS: stack (explicit or implicit via recursion)

→ BFS: queue.

✓ C15: Prim's MST

Q1: What is MST?

→ A tree connecting all vertices with minimum total weight and no cycles.

Q2: How does Prim's work?

→ Start with any node, always add the cheapest edge connecting a new node.

Q3: Why sort edges by weight?

→ To ensure minimum cost at each step.

Q4: What is the data structure used?

→ Vector or priority queue for sorted edge selection.

Q5: Time complexity?

→ Using adjacency matrix: $O(V^2)$; with heap: $O(E \log V)$.

✓ D18: OBST

Q1: What is OBST?

→ A binary search tree that minimizes expected search cost based on probabilities.

Q2: Why use probabilities?

→ To model frequent vs. rare searches; more frequent keys should be nearer root.

Q3: How to choose root?

→ Try all possible roots and pick the one minimizing cost: DP-based.

Q4: Cost function?

→ $C[i][j] = \min \text{ over } k (C[i][k-1] + C[k][j]) + \text{weight}[i][j]$

Q5: Time & space complexity?

→ Time: $O(n^3)$, Space: $O(n^2)$

✓ D19: AVL Tree Dictionary

Q1: What is AVL tree?

→ A balanced BST where the height difference (balance factor) of each node is ≤ 1 .

Q2: Rotations in AVL?

→ LL, RR, LR, RL – used to maintain balance after insert/delete.

Q3: AVL vs BST?

→ AVL maintains balance; guarantees $O(\log n)$ operations.

Q4: Balance ensured how?

→ After each insertion/deletion, check balance and rotate if needed.

Q5: Height complexity?

→ $O(\log n)$, better than unbalanced BST.

✓ E20: Priority Queue (Hospital)

Q1: What is a priority queue?

→ A queue where each element has a priority and highest priority is served first.

Q2: How patients prioritized?

→ Based on an integer (3 = serious, 2 = medium, 1 = general).

Q3: Data structure used?

→ Singly linked list (with sorted insertion based on priority).

Q4: Time complexity?

→ Insertion: $O(n)$, Deletion (front): $O(1)$

Q5: Can we use arrays?

→ Yes, but linked list is more flexible for dynamic sizes.

✓ F23: Sequential File - Student Info

Q1: What is sequential file?

→ File where records are stored in order of arrival.

Q2: Add/delete/search – how?

→ Read/write line by line; for delete, copy all except deleted one to new file.

Q3: Limitation?

→ Search is slow: $O(n)$; not good for large datasets.

Q4: Display matching records?

→ Compare roll no. while reading file line by line.

Q5: How stored on disk?

→ Usually as plain text or binary; one record per line.

**F24: Indexed Sequential File - Employee Info****Q1: What is indexed sequential file?**

→ Combines index (for faster access) and sequential file.

Q2: How is it better than sequential?

→ Uses index to jump to approximate location, reducing search time.

Q3: What is an index?

→ A table mapping keys (like employee ID) to positions in file.

Q4: Can we use binary search?

→ Yes, on the index array.

Q5: How is deletion done?

→ Mark record as deleted, or remove from file and rebuild index.