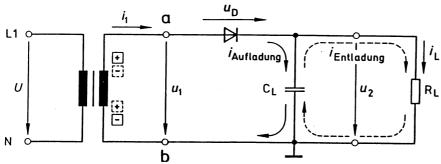
### **Formelsammlung**

$$R_{th\,JU} = \frac{9_J - 9_U}{P_V} \qquad \frac{9_J\,Temperatur\,Sperrschicht}{9_U\,Temperatur\,Umgebung} \qquad R_{th\,JU} = R_{th\,JG} + R_{th\,GK} + R_{th\,K}$$

#### Einweggleichrichter



$$\begin{split} &C_L = 10 \, \mu F * [I_L] \\ &U_{2-} = \sqrt{2} * U_1 - U_{\scriptscriptstyle Diode} (\approx 0.6 \, V \text{ im Leerlauf}) \\ &U_{2-} = 1.2 * U_1 \, Belastungsfall \\ &I_{FM} \geq 1.5 \dots 5 * J_L \\ &U_{RM} = 2 * \sqrt{2} * U_1 (Ung \ddot{u}nstigster \, Fall = Leerlauf) \\ &U_{RM} = 3 * \sqrt{2} * U_1 (praktisch \, sinnvolle \, Auswahl) \\ &Laststrom \, I_{L-} = \frac{U_{2-}}{R_{L \, min}} \end{split}$$

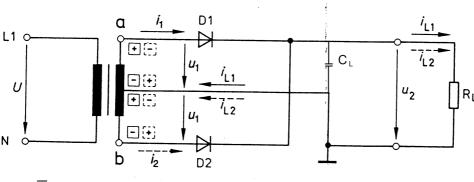
$$Trafo\"{u}bersetzung \ddot{U} = \frac{U_{Prim\"{u}r}}{U_{Sekund\"{u}r}} = \frac{230 \text{V}}{U_{1}}$$

$$U_{e} = 2...4 \text{x} \ U_{a} \quad prakt. 2 \text{x}$$

$$U_{Breff} = 4.8 * 10^{-3} * s * \frac{I_{L-}}{C_{L}}$$

$$W_{-} = \frac{U_{Breff}}{U_{L}} - \frac{U_{Breff}}{U_{L}} - \frac{U_{BrSS}}{U_{L}} - \frac{U_{B$$

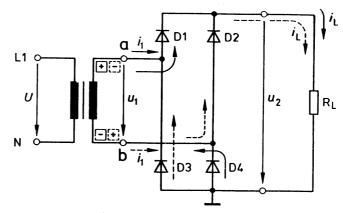
## Zweipols-Mittelpunkt-Schaltung (M2U)

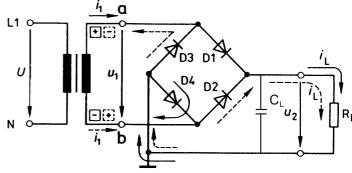


$$\begin{array}{lll} U_{2-} = \sqrt{2} * U_1 - U_F & U_{2-} \approx 1,3 * U_1 & U_{Breff} = 1,8 * 10^{-3} * s * \frac{I_{L-}}{C_L} \\ I_{FM} \geq 0,72 * I_{L-} & U_{RM} \geq 3 * \sqrt{2} * U_1 & U_{BrSS} - = 7 * 10^{-3} * s * \frac{I_{L-}}{C_L} \end{array}$$

### Brückengleichrichter = "Grätzbrücke"

$$\begin{split} &U_{2-leer} \!=\! \sqrt{2} * U_1 \!-\! 2 * U_F \\ &U_{2-} \!=\! 1,\! 3 * U_1 \\ &I_{FM} \!\geq\! 0,\! 72 * I_{L-} (an den \, Dioden) \\ &U_{RM} \!\geq\! 1,\! 5 * \sqrt{2} * U_1 (an \, den \, Dioden) \\ &U_{Breff} \!=\! 1,\! 8 * 10^{-3} * s * \frac{I_{L-}}{C_L} \\ &U_{BrSS} \!=\! 7 * 10^{-3} * s * \frac{I_{L-}}{C_L} \end{split}$$





### RC-Siebung

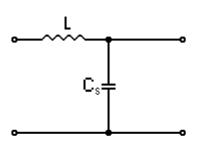
$$\frac{U_{Brl}}{\sqrt{R_{S}^{2}+x_{Cs}^{2}}} = \frac{U_{Br2}}{x_{Cs}} \qquad Vorraus setzung: R_{s} \gg x_{Cs} \rightarrow G \approx \frac{R_{s}}{x_{Cs}}$$
 
$$\frac{U_{Brl}}{U_{Br2}} = G - Gl \ddot{a} t t ung s f a k tor \quad x_{Cs} = \frac{1}{2\pi * f_{Br} * C_{s}}$$
 
$$G = \sqrt{(\frac{R_{s}}{x_{cs}})^{2} + 1} \qquad G s inn voll \ z w is chen \ 10 - 20$$
 
$$U_{A-} = U_{2-} - U_{Rs} \qquad U_{Rs} = R_{s} * I_{L-}$$
 
$$U_{BR} = \frac{U_{BR}}{x_{Cs}} = \frac{U_{BR}}{x_{Cs}}$$
 
$$U_{2-} = U_{BR}$$
 
$$U_{2-} = U_{2-} - U_{Rs} \qquad U_{2-} = U_{2-} - U_{Rs}$$
 
$$U_{2-} = U_{2-} - U_{Rs} \qquad U_{2-} = U_{2-} - U_{Rs}$$



$$G = \frac{x_L}{x_C} - 1$$

$$x_L = 2\pi * f_{Br} * L_s \quad x_C = \frac{1}{2\pi * f_{Br} * C_s}$$

$$G = (2\pi * f_{Br})^2 * L_s * C_s$$



#### Zehner-Diode

Fall 1:  $U_E = konst.$ ,  $J_L ist variabel$ 

ohne Last 
$$I_L = 0 \quad R_V = \frac{U_E - U_Z}{I_Z}$$
 mit Last 
$$R_V = \frac{U_E - U_Z}{I_Z + I_L} \qquad \qquad P_{tot} = I_{Z \, Max} * U_Z$$

Fall 3:  $U_E$  und  $I_L$  variabel

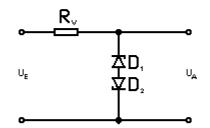
$$Fall 3: \quad U_{E} und I_{L} variabel \qquad \qquad S-relativer Stabilisierungs faktor \\ I_{Z min} = 0,1*I_{Z max} \qquad \qquad R_{V max} = \frac{U_{E min} - U_{Z}}{I_{Z min} + I_{L max}} \qquad S = \left(1 + \frac{R_{V}}{r_{z}}\right) * \frac{U_{a}}{U_{e}} \\ R_{V min} = \frac{U_{E max} - U_{Z}}{I_{Z max} + I_{L min}} \qquad S_{min} = \left(1 + \frac{R_{V} gew. min}{r_{z}}\right) * \frac{U_{a}}{U_{E max}}$$

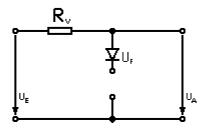
## a) Spannungsgrenzen mit Z-Dioden

pos. 
$$HW$$
  $U_a = U_S + U_{Z2}$   
neg.  $HW$   $U_a = U_S + U_{Z1}$ 

$$U_a = U_S + U_V$$

$$U_e > U_S + U_V$$

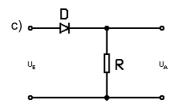




$$U_a = U_R$$

$$U_e = U_{S1} + U_{SL} + U_R$$

$$U_e < 2 * U_S$$



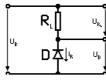
### **Diode als Schalter**

offener Schalter:

$$U_{B} = U_{Schalter}$$

$$U_{RL} = 0$$

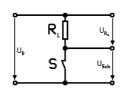
$$U_{B} = \mathbf{R}_{L}$$

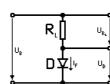


$$\begin{aligned} &U_{RL} = I_R * R_L \\ &U_{Diode} = U_R \approx U_B \\ &Gefahr : U_B > U_R \end{aligned}$$

geschlossener Schalter:

$$U_{B}=U_{RL}$$
 $U_{Schalter}=0$ 
 $I_{RL}$  zu beachten





$$U_{RL} = U_B - U_S$$
  
 $U_{Diode} = U_S$   
 $Gefahr: I_{RL} > I_F$   
 $Überbelastung Diode$ 

 $P_{S\max}$ =Schaltleistung der Diode= $U_{RL}*I_{F\max}$ 

$$P_{S max} = Schallesstung der Diode = U_{RL} * I_{F max}$$

$$U_{RL} = U_B - U_S \qquad I_{F max} = \frac{P_{tot}}{U_S} \qquad \rightarrow P_{S max} = P_{tot} (\frac{U_B}{U_S} - 1) \qquad R_{L min} = \frac{(U_B - U_S)^2}{P_{S max}}$$

$$R_{Lmin} = \frac{(U_B - U_S)^2}{P_{Smax}}$$

### Kapazitätsdioden

Verlustfaktor

$$\tan \delta = \frac{r_S}{X_C}$$
 $X_e = (2\pi f * C_D)^{-1}$  Güte  $Q = \frac{1}{\tan \delta} = \frac{X_C}{r_S} = \frac{1}{2\pi f C_D r_S}$ 

Bipolartransistoren
$$J_{B} \uparrow \to J_{C} \uparrow \qquad J_{B} = 0 \to J_{C} = 0$$
Gleichstromverstärkung  $B = \frac{J_{C}}{J_{D}}$ 

bei  $U_{CE}$ =konst.

dynamische Gleichstromverstärkung  $\beta = h_{21e} = \frac{\Delta I_C}{\Delta I_B}$ 

$$P_{\mathit{V}} = U_{\mathit{CE}} * I_{\mathit{C}} \underbrace{\left( + U_{\mathit{BE}} * J_{\mathit{B}} \right)}_{\mathit{vernachl\"{a}ssigbar\ klein}}$$

Eingangswiderstand Transistor  $r_{BE} = h_{11e} = \frac{\Delta U_{BE}}{\Delta I_{BF}}$ Ausgangswiderstand Transistor  $r_{CE} = h_{22e} = \frac{\Delta I_C}{\Delta U_{CE}} = \frac{1}{r_{CE}}$ Steilheit des Transistor  $S = y_{21} = \frac{\Delta U_{BE}}{\Delta I_{BE}}$ 

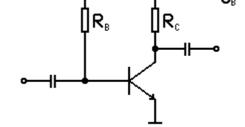
## Bestimmung $R_C$

$$U_{CE} \approx \frac{1}{2} U_B \qquad R_C = \frac{U_B - U_{CE(a)}}{J_{C(a)}}$$

## Erezegen der Basisvorspannung

- durch Basisvorwiderstand

$$R_{\scriptscriptstyle B} = \frac{U_{\scriptscriptstyle B} - U_{\scriptscriptstyle CE\,(a)}}{J_{\scriptscriptstyle B(a)}}$$



## - durch Basisspannungsteiler

$$J_{q} = 2...10 * \dot{J}_{B}$$

$$R_{1} = \frac{U_{B} - U_{BE(a)}}{I_{q} + I_{B}}$$

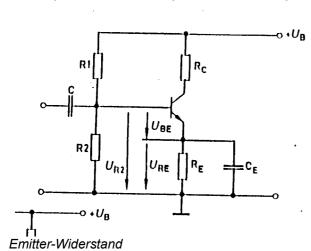
$$R_{2} = \frac{U_{BE(a)}}{I_{q}}$$

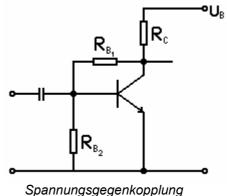


$$J_E = J_C + J_B$$
 $U_{RE} = R_E * I_E$ 
 $R_C = \frac{U_B - U_{CE} - U_B}{I_C}$ 
Widerstand

$$\frac{thermische Arbeitspunkstabilisierung}{\substack{J_E=J_C+J_B\\U_{\text{RE}}=R_E*I_E}} \quad R_C = \frac{U_B-U_{CE}-U_{BE}}{I_C} \qquad C_E \geq \frac{h_{21e}}{2\pi \, f_{\,gu}*(h_{11}e+R_i)} = \frac{\beta}{2\pi \, f_{\,gu}*(r_{BE}+R_i)} \quad \text{durch Emitter-}$$

$$R_1 = \frac{U_{\mathit{CE}} - U_{\mathit{BE}(a)}}{I_{\mathit{q}} + I_{\mathit{B}}} \qquad R_2 = \frac{U_{\mathit{BE}}}{I_{\mathit{q}}} \qquad R_{\mathit{C}} = \frac{U_{\mathit{B}} - U_{\mathit{CE}}}{I_{\mathit{C}} + I_{\mathit{B}} + I_{\mathit{q}}} \quad \text{durch Spannungsgegenkopplung}$$



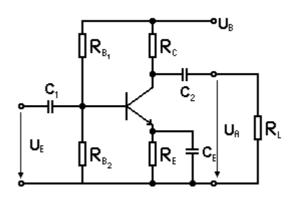


### **Transistor Grundschaltungen**

## **Emitter-Schaltung**

$$\begin{aligned} r_e &= R_1 \| R_2 \| r_{BE} \quad (wenn \ R_E mit \ C_E \ddot{u}berbr\ddot{u}ckt) \\ r_e &= R_1 \| R_2 \| (r_{BE} + \beta * R_E) \quad (ohne \ C_E) \end{aligned}$$

$$\begin{split} &r_{a} = R_{C} \, || \, r_{CE} \\ &V_{u} = \frac{\beta}{r_{BE}} * r_{a} \quad (ohne \ Last) \\ &V_{u} = \frac{\beta}{r_{BE}} * (r_{a} || \, R_{L}) \quad (mit \ Last) \\ &V_{i} = \beta * \frac{r_{CE}}{r_{CE} + R_{C}} \quad (ohne \ Last) \\ &V_{i} = \beta * \frac{r_{CE}}{r_{CE} + (R_{C} || \, R_{L})} \quad (mit \ Last) \\ &V_{p} = V_{u} * V_{i} \qquad \varphi = 180 \, ^{\circ} \end{split}$$



## Kollektor-Schaltung

$$\begin{aligned} r_e &= R_1 || [r_{BE} + \beta (R_E || r_{CE})] \quad (\textit{mit Basisvorwiderstand}) \\ r_e &= R_1 || R_2 || [r_{BE} + \beta (R_E || r_{CE})] \quad (\textit{mit Basisvorwiderstand}) \end{aligned}$$

$$r_a = R_E || \frac{r_{BE} + R_i}{\beta}$$

$$V_{u} = \frac{\beta * \dot{R}_{E}}{\beta * R_{E} + r_{BE}} \quad (ohne \ Last)$$

$$V_{u} = \frac{\beta * (R_{E} || R_{L})}{\beta * (R_{E} || R_{L}) + r_{BE}} \quad (mit \ Last)$$

$$V_i = \beta * \frac{r_{CE}(1+\beta)}{R_E + r_{CE}}$$
 (ohne Last)

$$V_{i} = \beta * \frac{r_{CE}(1+\beta)}{R_{E} + r_{CE}} \quad (ohne \ Last)$$

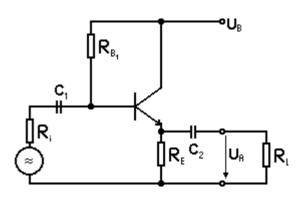
$$V_{i} = \beta * \frac{r_{CE}(1+\beta)}{(R_{E}||R_{L}) + r_{CE}} \quad (mit \ Last)$$

$$V_{p} = V_{u} * V_{i} \quad \varphi = 0^{\circ}$$

$$V_p = V_u * V_i \qquad \varphi = 0$$

$$C_{1} = \frac{1}{2 \pi f_{gu} * (r_{e} + R_{i})}$$

$$C_{2} = \frac{1}{2 \pi f_{gu} * (r_{a} + R_{L})}$$



#### Basisschaltung

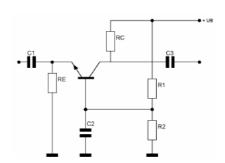
$$r_e = R_E \parallel \frac{r_{BE}}{\beta}$$

$$r_a = R_C \parallel r_{CE}$$

$$V_u = \frac{\beta}{r_{BE}} * r_a$$

$$V_i = \frac{\beta}{\beta + 1}$$

$$V_p = V_u * V_i \qquad \varphi = 0^\circ$$



## Selektivverstärker

$$\begin{split} f_o &= \frac{1}{2\pi\sqrt{L*C}} \qquad Q = G \ddot{u} t e = \frac{R \| r_{CE}}{X_C} = \frac{R \| r_{CE}}{X_L} \\ X_C &= \frac{1}{2\pi f*C} \qquad X_L = 2\pi f*L \\ b_{oL} &= \frac{f_0}{Q} = \frac{f_0*X_C}{R \| r_{CE}} = \frac{f_0*X_L}{R \| r_{CE}} \qquad V_u = Y_{21}(R \| r_{CE}) \\ b_{mL} &= \frac{f_0*X_C}{R \| r_{CE} \| R_L} = \frac{f_0*X_L}{R \| r_{CE} \| R_L} \end{split}$$

#### Schaltverstärker

Schaltfrequenz 
$$f_{max} = \frac{1}{t_{ein} + t_{aus}}$$
  $R_1 = \frac{U_B - U_{CX}}{I_{BX}}$   $R_2 = \frac{U_e - U_{BE}}{I_{BX}}$ 

$$J_{BX} = \frac{\ddot{u} * U_{B}}{R_{C} * B} \qquad U_{IH} \ge R_{1} \left( J_{BX} + \frac{U_{BEX} + |U_{n}|}{R_{2}} \right) + U_{BEX}$$

$$\frac{R_{1} * (U_{BEX} + |U_{H}|)}{U_{IH} - U_{BEX} - I_{BX} * R_{1}} \le R_{2} \le \frac{R_{1} (U_{BEY} + |U_{H}|)}{U_{II} - U_{BEY}} \qquad R_{1} = \frac{(U_{IH} - U_{BEX})(U_{BEY} + U_{H}) - (U_{BEX} + U_{H})(U_{IL} - U_{BEY})}{I_{BX} * (U_{BEY} + U_{H})}$$

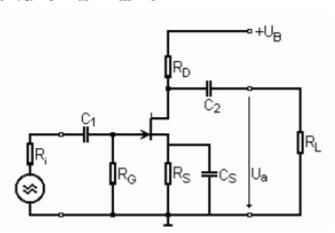
## 4. Feldeffekt-Transistoren

Vorwärtssteilheit 
$$y_{21} = \frac{\Delta I_D}{\Delta U_{GS}} = S$$
 Ausgangsleitwert  $y_{22} = \frac{\Delta I_D}{\Delta U_{DS}} = \frac{1}{r_{DS}}$   $P_{tot} = U_{DS} * I_D$ 

$$\begin{aligned} &U_{RS} = I_{D} * R_{S} & Automatische \ Gate - Spannungs - Erzeugung \\ &R_{1} = \frac{U_{B} - U_{GS} - U_{RS}}{I_{q}} & R_{2} = \frac{U_{GS} + U_{RS}}{I_{q}} & Gatespannungserzeuger \ mit \ Gatespannungsteiler \end{aligned}$$

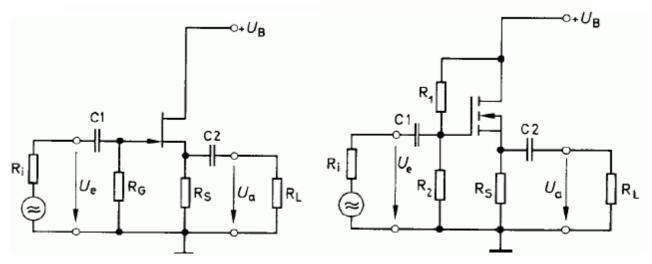
### Source-Schaltung

Source-Schaltung 
$$C_{S} = 0.2* \frac{y_{22}}{f_{gu}} \quad C_{1} = \frac{1}{2\pi f_{gu}(R_{i} + r_{e})} \quad C_{2} = \frac{1}{2\pi f_{gu}(R_{L} + r_{a})} \quad R_{G} = \frac{U_{GS} = 0.5 \, V}{I_{GSS}} \quad R_{GS} = \frac{-U_{GS}}{-I_{GSS}} \quad R_{S} = \frac{U_{GS}}{I_{D}} = \frac{U_{RS}}{I_{D}} = \frac{U_{RS}}$$



#### Drain-Schaltung

$$r_{e} = R_{GS}(1 + y_{21} * R_{S}) || R_{G} \quad bzw. \ bei \ Gate \ Sp - Teiler: r_{e} = R_{GS}(1 + y_{21} * R_{S}) || R_{1} || R_{2} \qquad r_{a} = R_{S} || \frac{1}{y_{22}} y_{21}!! \ \text{nicht } y_{22} \\ V_{U} = \frac{y_{21} * R_{S}}{1 + y_{21} * R_{S}} \quad \varphi = 0 \, \circ \qquad R_{G} = \frac{-U_{GS}}{I_{GSS}} \quad R_{S} = \frac{U_{RS}}{I_{D}} \quad R_{GS} = \frac{-U_{GS}}{-I_{GSS}} \qquad R_{1}, R_{2} \ \text{siehe } 4. \ GS - Erzeuger$$



### 5. OPV

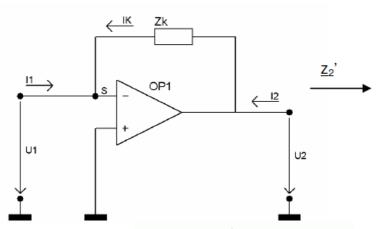
$$V_{ldb} = 20 \lg \frac{U_a}{U_e}$$
 Verstärkung

$$I_{1}+I_{K}=0 I_{K}=\frac{U_{2}-U_{1}}{Z_{K}}$$

$$\underline{Z}_{1}=\frac{U_{1}}{\underline{I}_{1}}=\frac{U_{1}}{-\underline{I}_{K}}$$

$$\underline{Z}_{1}=\frac{z_{K}}{-V_{0}+1}$$

$$U_{1}=\frac{U_{2}}{V_{0}} z_{2}=\frac{z_{K}}{1+\frac{1}{-V_{0}}}$$

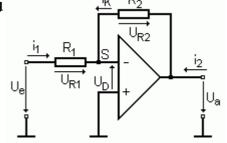


## Anwendungen mit Frequenz-Unabhängiger Gegenkopplung Invertierender Verstärker/Umkehrverstärker

$$r_e = R_1$$
 $r_a' = r_a * \frac{V}{V_0}$ 
 $U_a = -\frac{R_2}{R_1} * U_e$ 
 $V = -\frac{R_2}{R_1}$ 

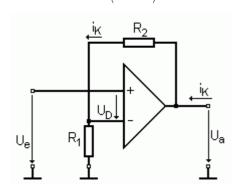
Einfluss der endlichen Verstärkung auf einen realen OPV

$$V = -\frac{V_0 * R_K}{R_K + R_1 * V_0 + R_1}$$

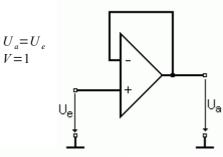


## Nicht-Invertierter Verstärker/Elektrometerverstärker

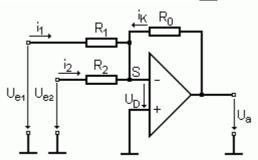
$$V = 1 + \frac{R_K}{R_1}$$
  $U_a = \left(1 + \frac{R_K}{R_1}\right) * U_e$   $R_2 \rightarrow R_K$ 



### Spannungsfolger

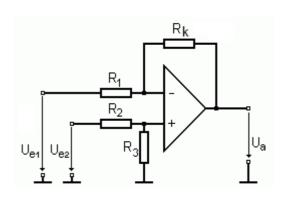


$$\frac{\text{Addierverstärker}}{-U_a = \frac{R_k}{R_1} * U_{el} + \frac{R_k}{R_2} * U_{e2}} \quad I_1 + I_2 = -I_k$$



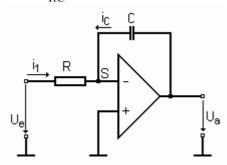
# Subtrahierer-Verstärker

$$-U_a = \frac{R_K}{R_1} * U_{el} - \left(1 + \frac{R_K}{R_1}\right) * \frac{R_3}{R_2 + R_3} * U_{e2}$$



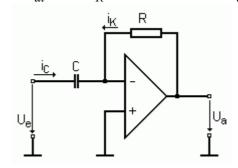
# OPV mit frequenzunabhängiger Gegenkopplung

$$\frac{\text{Integrier-Verstärker}}{-U_{a} = \frac{1}{RC} * \int U_{e} dt - U_{0}}$$

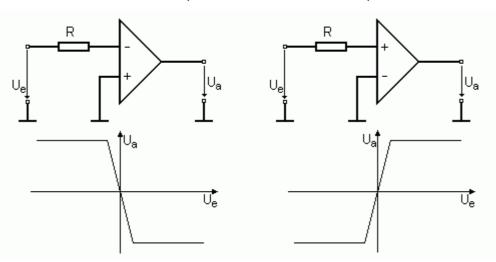


Komparator/Vergleicher

$$\begin{array}{ll} \underline{\text{Differenzierer}} \\ i_C = C * \frac{du_C}{dt} & i_k = \frac{U_a}{R} = -i_c & -U_a = RC * \frac{du_e}{dt} \end{array}$$



invertierter Komparator / nicht-invertierter Komparator



## **Schmidtt-Trigger**

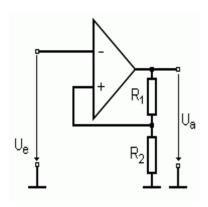
invertierter SWS

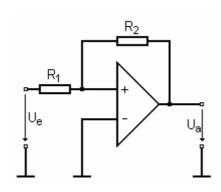
$$U_{ein} = \frac{R_2}{R_1 + R_2} * U_{a-1}$$
 $U_{aus} = \frac{R_2}{R_1 + R_2} * U_{a+1}$ 
 $U_{Hys} = U_{aus} - U_{ein}$ 

nicht-Invertierter SWS

$$U_{ein} = -\frac{R_1}{R_2} * U_{a-1}$$

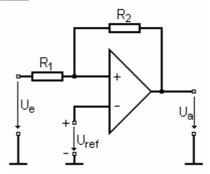
$$U_{aus} = -\frac{R_1}{R_2} * U_{a+1}$$





nicht-invertierter SWS mit Referenzspannungsquelle

$$\begin{split} &U_{\mathit{ein}}\!\!=\!-\frac{R_{1}}{R_{2}}\!*U_{\mathit{amin}}\!+\!U_{\mathit{ref}}\!\left(1\!+\!\frac{R_{1}}{R_{2}}\right) \\ &U_{\mathit{aus}}\!\!=\!-\frac{R_{1}}{R_{2}}\!*U_{\mathit{amax}}\!+\!U_{\mathit{ref}}\!\left(1\!+\!\frac{R_{1}}{R_{2}}\right) \end{split}$$



invertierter SWS mit Referenzspannungsquelle

$$\begin{split} &U_{\mathit{ein}} \! = \! \frac{R_2}{R_1 \! + \! R_2} \! * U_{\mathit{amin}} \! + U_{\mathit{ref}} \! \left( 1 \! - \! \frac{R_2}{R_1 \! + \! R_2} \right) \\ &U_{\mathit{aus}} \! = \! \frac{R_2}{R_1 \! + \! R_2} \! * U_{\mathit{a \, max}} \! + \! U_{\mathit{ref}} \! \left( 1 \! - \! \frac{R_2}{R_1 \! + \! R_2} \right) \end{split}$$

