

Cannabis Data Science

Meetup

March 10, 2021

By the numbers

There are now more American cannabis workers than electrical engineers

Leafly

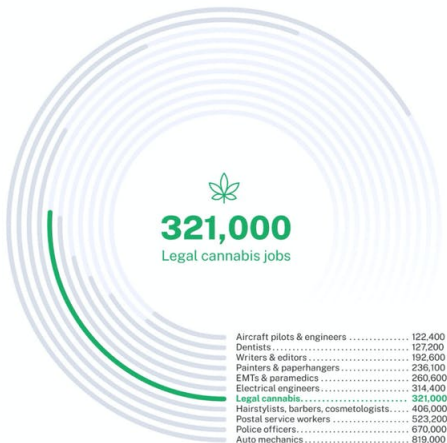


Table 1. Sample Firm Size of Cannabis Businesses

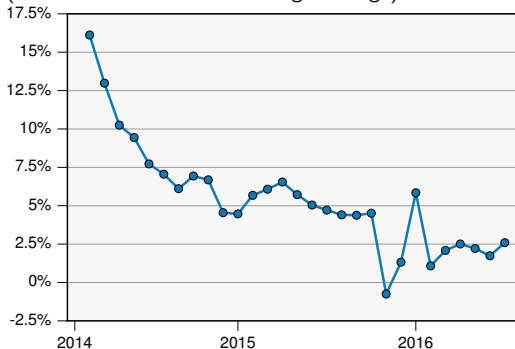
Percentage of Sample (%)		
1–10	Employees	25.4
11–20	Employees	29.3
21–30	Employees	18.2
31–40	Employees	4.4
41–50	Employees	6.6
51+	Employees	16.0

Notes: Organization size in 2014 as reported by survey participants, $N = 181$.

Source: [Work and Well-Being in the Colorado Cannabis Industry](#).

Growth of Occupational Licenses

(Month-over-Month Percentage Change)



Data Source: MED 2014-2016 Annual/Mid-Year Updates.

Handwritten blue scribbles and the year "2021" are present to the right of the graph.

Suppose that the total amount of flowers produced in a given period, y_t , is a simple function of the number of plants cultivated that period, k_t ,

$$y_t = A k_t^\alpha e^{\varepsilon_t}, \quad \text{B} \quad \text{L}_t$$

where A represents the state of cultivation technology and ε_t is a random production shock. Economic theory suggests that the production function should have diminishing marginal returns, such that $0 < \alpha < 1$. The function can be estimated after a linear transformation

$$\ln y_t = \ln A + \alpha \ln k_t + \varepsilon_t. \quad \text{B} \quad \text{L}_t$$

I will use the approximated area of cannabis cultivation as a proxy for the amount of capital, k_t , in any given month.

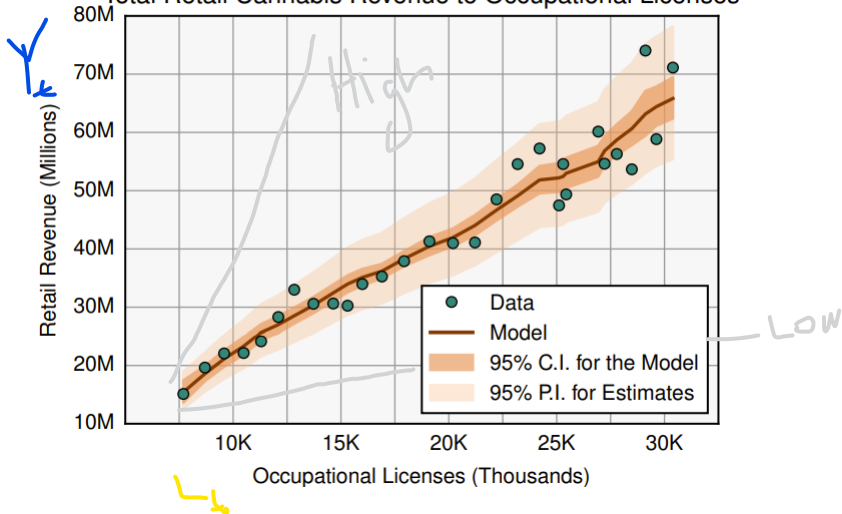
Now suppose that each producer, $i = 1, 2, \dots, I$, in the Colorado cannabis markets have neoclassical production functions that depend on capital, $k_{t,i}$, and labor, $l_{t,i}$. Assuming that there is an aggregate production function and a Cobb–Douglas specification for production, then

$$Y_t = F(K_t, L_t) = A_t K_t^\alpha X_t L_t^\beta$$

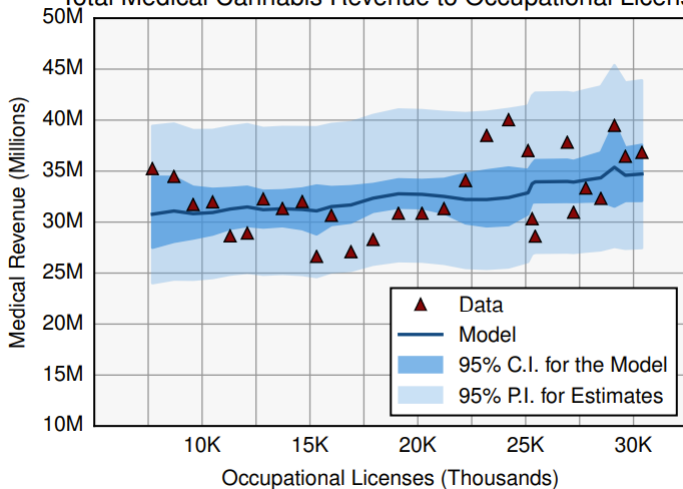
Handwritten annotations: "Tech" with an arrow pointing to X_t , "Eff. L" with an arrow pointing to L_t , and "Eff. K" with an arrow pointing to K_t .

where $K_t = \sum_{i=1}^I k_{t,i}$ is the sum of all capital, $L_t = \sum_{i=1}^I l_{t,i}$ is the sum of all labor, and $Y_t = \sum_{i=1}^I y_{t,i}$ is the sum of all cannabis output of all producers in the cannabis market in a given month. There is labor augmenting technology, X_t , and a component for random variability, Z_t .

Total Retail Cannabis Revenue to Occupational Licenses



Total Medical Cannabis Revenue to Occupational Licenses



Theoretically, the competitive average wage for labor in the production of cannabis in Colorado should be equal to the marginal product of labor

$$w = \beta \frac{Y_t}{L_t}$$

Calculate

For calculations, it is assumed that each employee of a cannabis business works 40 hours per week.

Table 2. Sample Job Types of Cannabis Employees

	Percentage of Sample (%)
Worker: Growing/Cultivation/Trimming	21.5
Worker: Dispensary/Retail	35.5
Manager: Growing/Cultivation/Trimming	5.1
Manager: Dispensary/Retail	14.0
Manager: Other Departments	7.0
Upper-Level Management	6.5
Ancillary	10.3

Notes: Job types held in 2014 reported by survey participants, $N = 214$.

Source: [Work and Well-Being in the Colorado Cannabis Industry](#).

Thank you for coming.