

# Discrete event traffic simulation

## Part 2

### Traffic simulation of packet-oriented loss and waiting systems

Completion date: lesson 6

#### a) Loss system: Erlang-B distribution

Consider a packet-oriented loss system with  $N$  channels running at 1 Gbit/s each. Assume that the activity of all users who access the system is represented by a source that generates packets with an arrival rate  $\lambda = 200$  packets/ms (Poisson process) and that each packet transmission has an average duration  $d_m = 0.008$  ms, with exponential distribution (Erlang-B model).

Based on the event-driven simulation method, develop a simulation program of this system, enabling you to obtain, for a given  $N$ , the estimator of the blocking probability  $B$  (equal to the packet loss probability).

Compare the results of the blocking probability  $B$  with theoretical predictions (you may use, for example, the online traffic calculator available [here](#)).

#### b) Waiting system with infinite length queue: Erlang-C distribution

Adapt the previous program, considering that the packets that do not have available resources are placed in a queue with infinite length.

In this case, assuming that  $A$  is the packet delay, calculate:

- the estimator of the probability that a packet is delayed  $P(A>0)$ ;
- the estimator of the average delay  $A_m$  of all packets;
- the histogram of the delay of the packets that suffer delay ( $A>0$ );
- the estimator of the probability that a packet is delayed more than  $A_x$   $P(A>A_x)$ .

Compare the results of the **estimator of the probability that a packet is delayed**  $P(A>0)$  and the **estimator of the average delay  $A_m$  of all packets** with theoretical predictions (you may use, for example, the online traffic calculator available [here](#)).

#### c) General case – waiting system with finite length queue

Adapt the previous program, considering that the packets that do not have available resources are placed in a queue with finite length  $L$ .

Show that in this case, the previous results of the Erlang-B and Erlang-C distributions can be obtained by making  $L=0$  and  $L$  arbitrarily large, respectively. Compute the queue length  $L$ , which leads to a packet loss probability of 1%.

Compare your simulation results with theoretical predictions (you may use, for example, the online traffic calculator available [here](#)).