

# Compilatori, Gruppo 10 – Assignment 2

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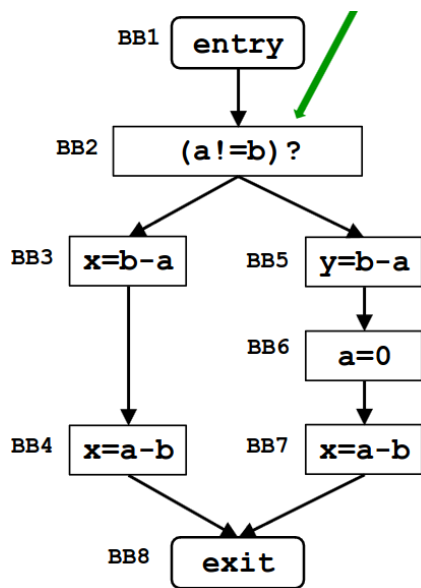
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## Problem 1: Very Busy Expressions



	Dataflow problem 1
Domain	Espressioni
Direction	Backward $IN[b] = f_b(OUT[b])$ $OUT[b] = \wedge IN[succ(b)]$
Transfer function	$Gen(b) \cup (OUT[b] - Kill[b])$
Meet operator	$\cap$ , Intersezione
Boundary condition	$IN[Exit] = \emptyset$
Initial Interior points	$IN[b] = U$

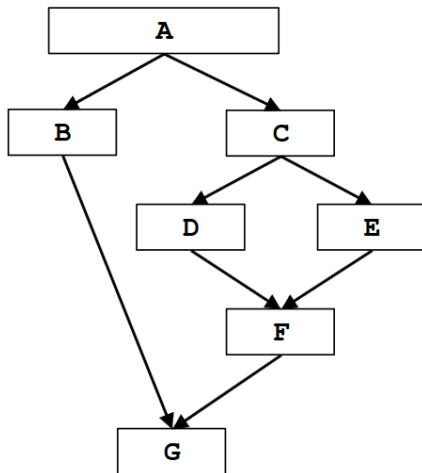
	GEN	KILL
BB1	/	/
BB2	/	/
BB3	x	BB4, BB7
BB4	x	BB3, BB7
BB5	y	/
BB6	a	/
BB7	x	BB3, BB4
BB8	/	/

Table 1: Tabella GEN/KILL

	Prima iterazione		Seconda iterazione	
	IN[BB]	OUT[BB]	IN[BB]	OUT[BB]
BB8	$\emptyset$	$\emptyset$	$\emptyset \cup ((a - b) - \emptyset) =$ $(a - b)$	$\emptyset$
BB7	$\emptyset$	$(a - b)$	$(a - b) \cup (\emptyset - x) * (a - b)$ NC	$(a - b)$
BB6	$\emptyset$	$(a - b)$	$\emptyset \cup ((a - b) - (a - b)(b - a)) =$ $\emptyset$ NC	$(a - b)$
BB5	$\emptyset$	$(b - a)$	$(b - a) \cup (\emptyset - y) =$ $(b - a)$	$\emptyset$
BB4	$\emptyset$	$(a - b)$	$(b - a) \cup (\emptyset - (b - a)(a - b))$ $= (a)(b - a)$	
BB3	$\emptyset$	$(b - a)$	$b - a \cup (b - a - x) =$ $(b - a)$	$(b - a)$
BB2	$\emptyset$	$(a \neq b)$	$a \neq b \cup (a \neq b - \emptyset) =$ $a \neq b$	$(a \neq b)$
BB1	$\emptyset$	$\emptyset$		

Figure 3: Tabella Iterazioni

## Problem 2: Dominator Analysis

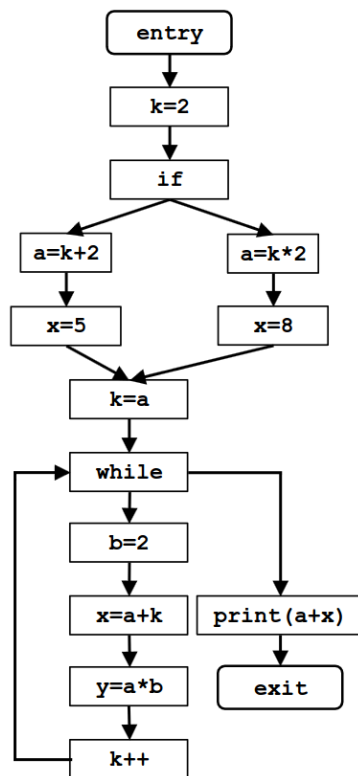


	Dataflow problem 2
Domain	Blocchi
Direction	Forward $OUT[b] = f_b(IN[b])$ $IN[b] = \bigwedge OUT[pred(b)]$
Transfer function	$f_b(x) = \{b\} \cup x$
Meet operator	$\cap$
Boundary condition	$OUT[Entry] = Entry$
Initial Interior points	$OUT[b] = U$

	IN[B]	OUT[B]
A	/	{A}
B	$OUT[A] = \{A\}$	$\{B\} \cup IN[B] =$ $\{B\} \cup \{A\} = \{A, B\}$
C	$OUT[A] = \{A\}$	$\{C\} \cup IN[C] =$ $\{C\} \cup \{A\} = \{A, C\}$
D	$OUT[C] = \{A, C\}$	$\{D\} \cup IN[D] =$ $\{D\} \cup \{A, C\} = \{A, C, D\}$
E	$OUT[C] = \{A, C\}$	$\{E\} \cup IN[E] =$ $\{E\} \cup \{A, C\} = \{A, C, E\}$
F	$OUT[D] \cap OUT[E] =$ $\{A, C, D\} \cap \{A, C, E\} =$ $\{A, C\}$	$\{F\} \cup IN[F] =$ $\{F\} \cup \{A, C\} = \{A, C, F\}$
G	$OUT[B] \cap OUT[F] =$ $\{A, B\} \cap \{A, C, F\} =$ $\{A\}$	$\{G\} \cup IN[G] =$ $\{G\} \cup \{A\} = \{A, G\}$

Table 2: Tabella Iterazioni

### Problem 3: Constant Propagation



	Dataflow problem 3
Domain	Insieme di coppie <Variabile, Valore>
Direction	Forward $OUT[b] = f_b(IN[b])$ $IN[b] = (\wedge OUT[pred(b)])$
Transfer function	$f_b(x) = Gen_b \cup (x - Kill_b)$
Meet operator	$\cap$ , Intersezione
Boundary condition	$OUT[entry] = \emptyset$
Initial Interior points	$OUT[b] = U$

	<b>GEN</b>	<b>KILL</b>
BB1	k	BB7, BB12
BB2	/	/
BB3	a	BB5
BB4	x	BB6, BB10
BB5	a	BB3
BB6	x	BB4, BB10
BB7	k	BB1, BB12
BB8	/	/
BB9	b	/
BB10	x	BB4, BB6
BB11	y	/
BB12	k	BB7, BB1
BB13	/	/

Table 3: Tabella GEN/KILL

	Prima iterazione		Seconda iterazione	
	IN[BB]	OUT[BB]	IN[BB]	OUT[BB]
BB1	OUT[entry]	$\{(k, 2)\}$	OUT[entry]	$\{(k, 2)\}$
BB2	OUT[BB1]	$\{(k, 2)\}$	OUT[BB1]	$\{(k, 2)\}$
BB3	OUT[BB2]	$\{(a, 4), (k, 2)\}$	OUT[BB2]	$\{(a, 4), (k, 2)\}$
BB4	OUT[BB3]	$\{(x, 5), (a, 4), (k, 2)\}$	OUT[BB3]	$\{(x, 5), (a, 4), (k, 2)\}$
BB5	OUT[BB2]	$\{(a, 4), (k, 2)\}$	OUT[BB2]	$\{(a, 4), (k, 2)\}$
BB6	OUT[BB5]	$\{(x, 8), (a, 4), (k, 2)\}$	OUT[BB5]	$\{(x, 8), (a, 4), (k, 2)\}$
BB7	OUT[BB4] $\cup$ OUT[BB6]	$\{(a, 4), (k, 4)\}$	OUT[BB4] $\cup$ OUT[BB6]	$\{(a, 4), (k, 4)\}$
BB8	OUT[BB7] $\cup$ OUT[BB12]	$\{(a, 4), (k, 4)\}$	OUT[BB7] $\cup$ OUT[BB12]	$\{(a, 4)\}$
BB9	OUT[BB8]	$\{(b, 2), (a, 4)\}$	OUT[BB8]	$\{(b, 2), (a, 4)\}$
BB10	OUT[BB9]	$\{(x, 8), (b, 2), (a, 4)\}$	OUT[BB9]	$\{(b, 2), (a, 4)\}$
BB11	OUT[BB10]	$\{(y, 8), (b, 2), (a, 4)\}$	OUT[BB10]	$\{(y, 8), (b, 2), (a, 4)\}$
BB12	OUT[BB11]	$\{(k, 5), (y, 8), (x, 8),$ $(b, 2), (a, 4)\}$	OUT[BB11]	$\{(y, 8), (b, 2), (a, 4)\}$
BB13	OUT[BB8]	$\{(a, 4)\}$	OUT[BB8]	$\{(a, 4)\}$

Figure 5: Tabella Iterazioni, convergenza ottenuta nella terza iterazione, non vi sono più cambiamenti