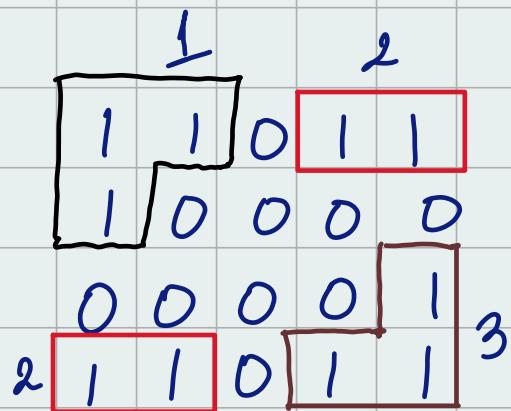
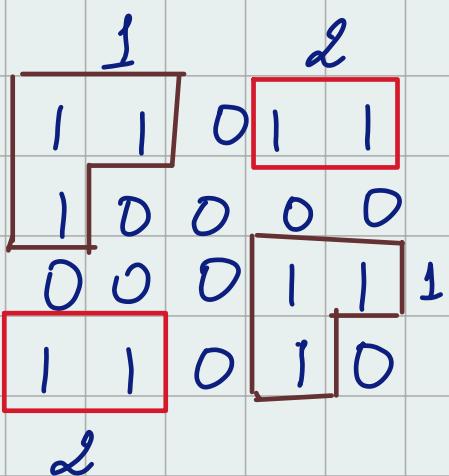


Q1) Number of distinct islands



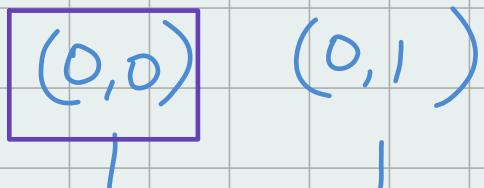
Here there are 3 unique distinct islands are there



In this grid there are 2 unique distinct islands are present

	0	1	2	3	4
0	1	1	0	1	1
1	1	0	0	0	0
2	0	0	0	1	1
3	1	1	0	1	0

Consider this as the base



(1,0)

Consider as a base

(2,3)

(2,4)

(3,3)

$\{(0,0), (0,1), (1,0)\}$

$(0,0) - (0,0) \quad [(0,1) - (0,0)]$

$[(1,0) - (0,0)] \quad (3,3)$

Similarly: $\{(0,0), (0,1), (1,0)\}$

$$[(2,3) - (2,3)] [(2,4) - (2,3)] [(3,3) - (2,3)]$$

Base
 $(0,3)$

$(0,4)$

Base
 $(3,0)$

$(3,1)$

$\{(0,0), (0,1)\}$

$\{(0,0), (0,1)\}$

$$[(0,3) - (0,3)] [(0,4) - (0,3)] [(3,1) - (3,0)]$$

$\{(0,0), (0,1), (1,0)\}$

$\{(0,0), (0,1), (1,0)\}$

$\{(0,0), (0,1)\}$

$\{(0,0), (0,1)\}$

Subtract the base
to store coordinates.

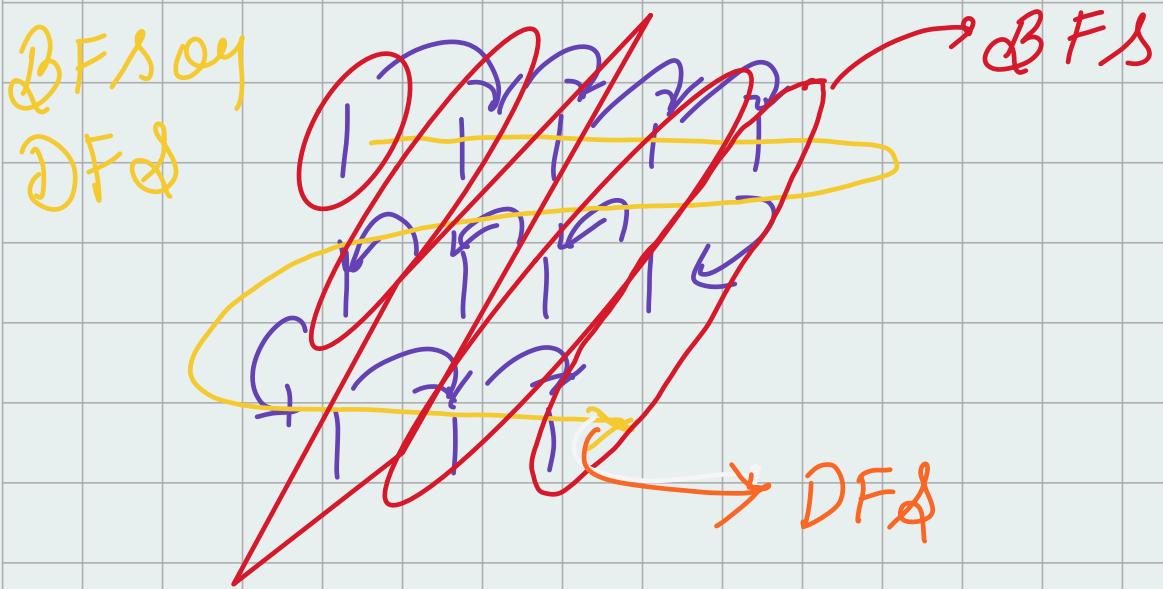
So apparently
if we store them

in a set data

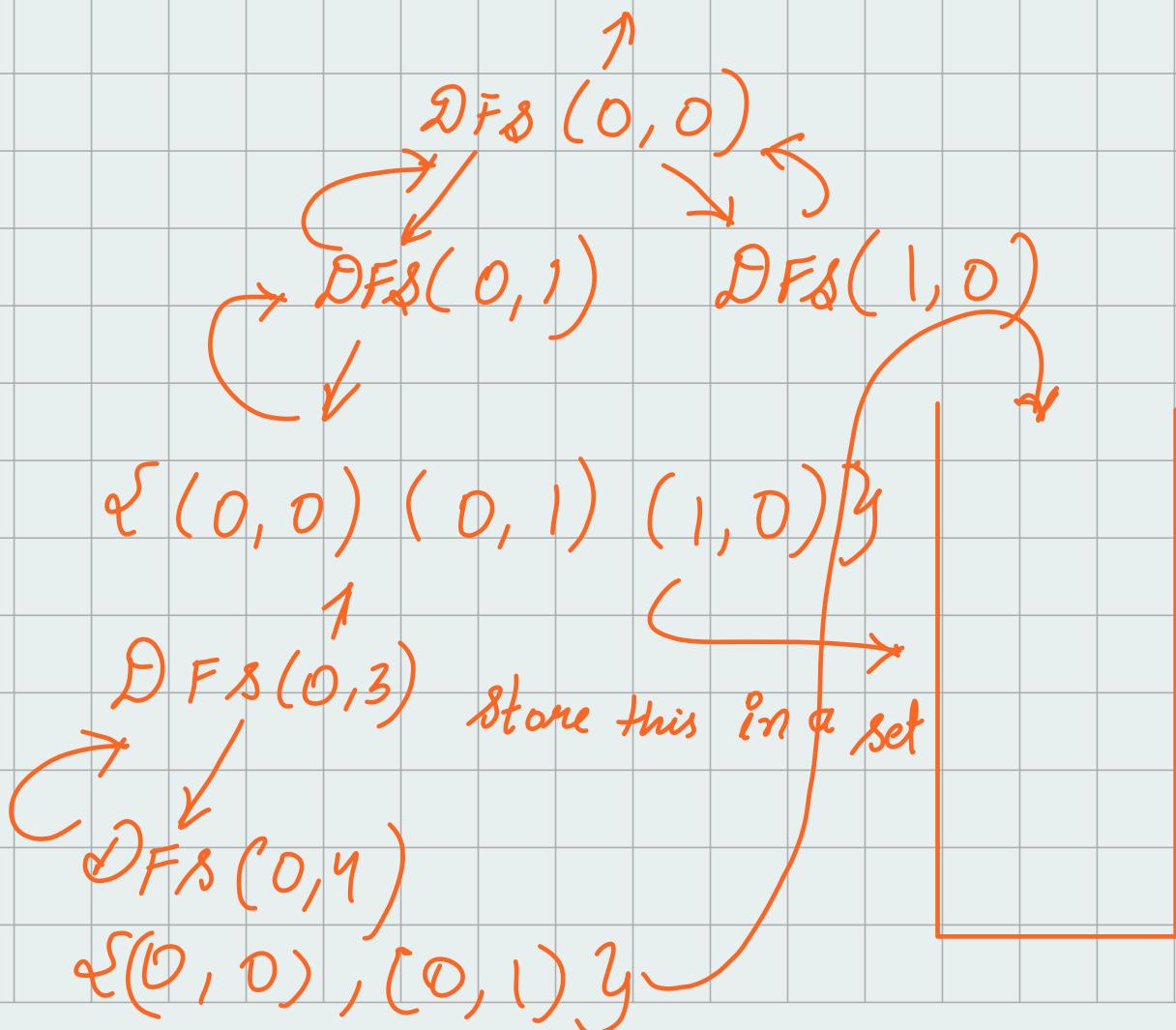
structure. Only 2 of them
will get stored and that is own ans.

* What if the islands are almost completely
filled with 1's than follow a particular

order to store the list. List ordering should stay same for everyone



→ Now we just need to store the islands for that we will use DFS.



$$T.C = n \times m \times (\log(\text{set.size}()) + n \times m \times 4)$$

Code :-

```
public int numDistinctIslands(int[][] grid)
```

```
int n = grid.length;
```

```
int m = grid[0].length,
```

```
int[][] vis = new int[n][m];
```

```
HashSet<ArrayList<String>> set = new  
        HashSet<>();
```

```
for (int i = 0; i < n; i++) {
```

```
    for (int j = 0; j < m; j++) {
```

```
        if (vis[i][j] == 0 && grid  
            [i][j] == 1) {
```

```
        ArrayList<String> vec = new  
                ArrayList<>();
```

// Vector is used here to store the path of
the island.

// $n \times m \times 4$

$\text{dfs}(i, j, \text{vis}, \text{vect grid},$
 $i, j) ;$

// here i, j are the base coordinates

}
}
}
}

// $n \times m \times \log(\text{Set size}()) + n \times m \times \text{un}$
return $\text{Set.size}();$

private void dfs (int row, int col,
int vis[][], int grid[],
ArrayList<String> vec, int rows0,
int cols0){

$\text{vis}[row][col] = 1;$

int n = grid.length;

int m = grid[0].length;

// Now, carry the ^{base} coordinates, to subtract the base coordinates from current co-ordinates.

vec.add((row - row0) + " "+ (col - col0));

// The string (" ") is used here to convert the integer to string

int [J] delRow = {-1, 0, +1, 0};

int [J] delCol = {0, 1, 0, -1};

for(int i=0 ; i<4; i++) {

int nRow = row + delRow[i];

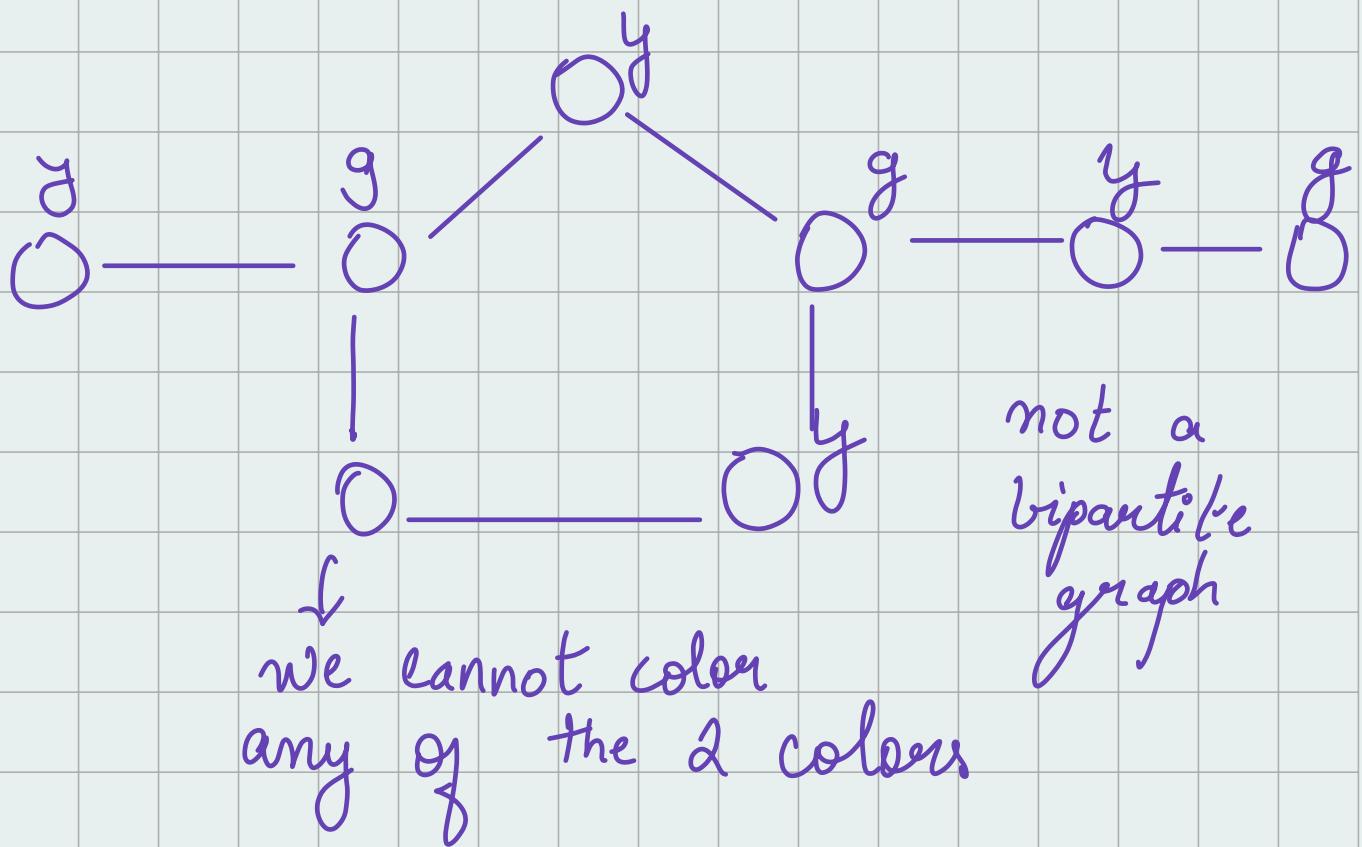
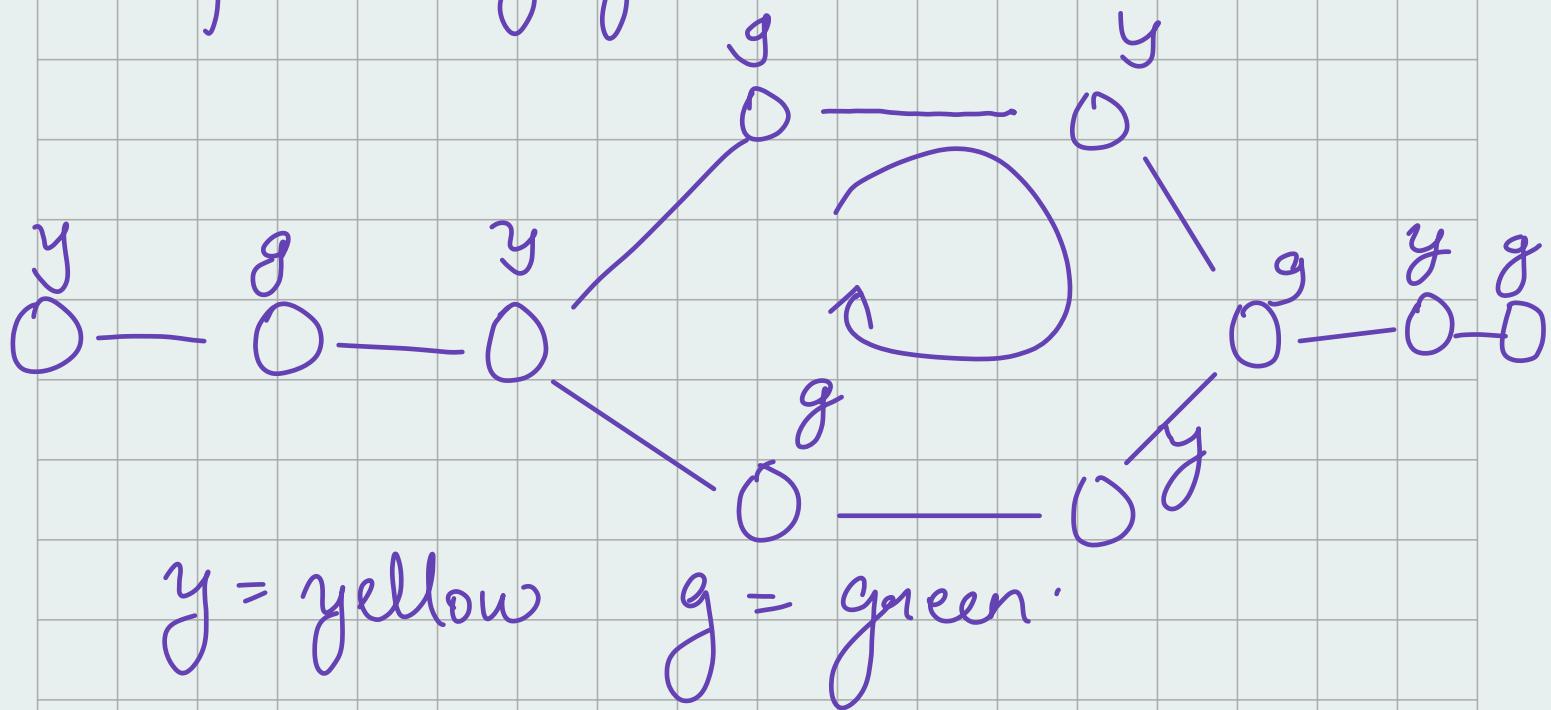
int nCol = col + delCol[i];

if (nRow >= 0 && nRow < n && nCol >= 0 && nCol < m && vis[nRow][nCol] == 0 && grid[nRow][nCol] == 1) {

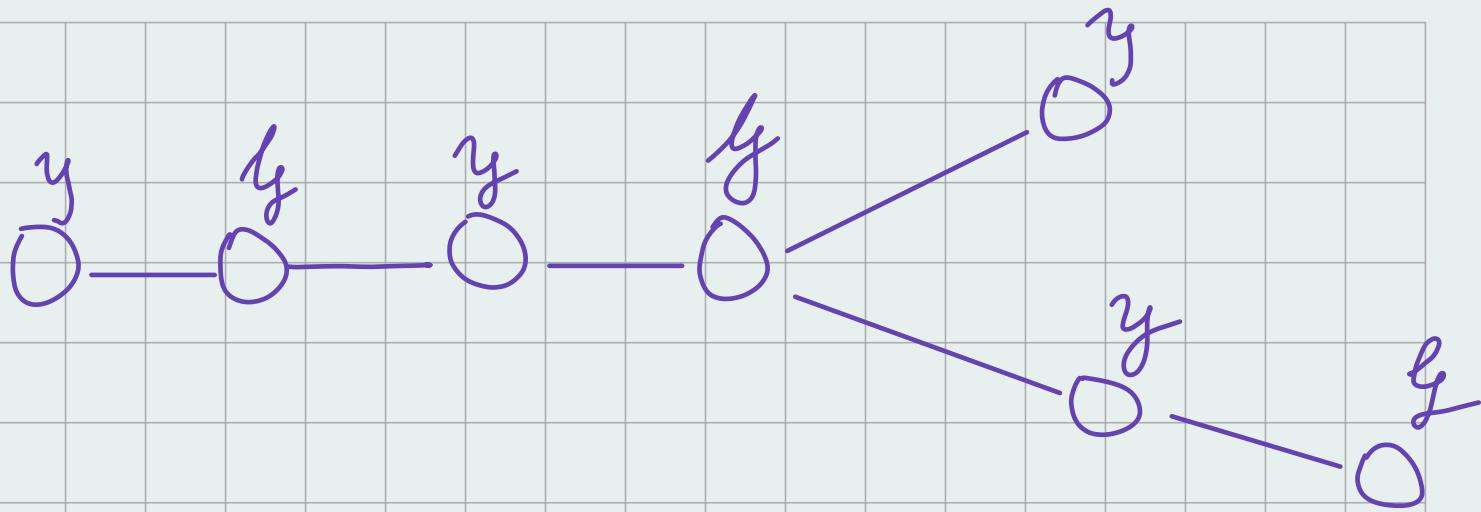
dfs (nRow, nCol, vis,
grid, vec, row 0, col 0);

}
}
}
}

* Bipartite graph.

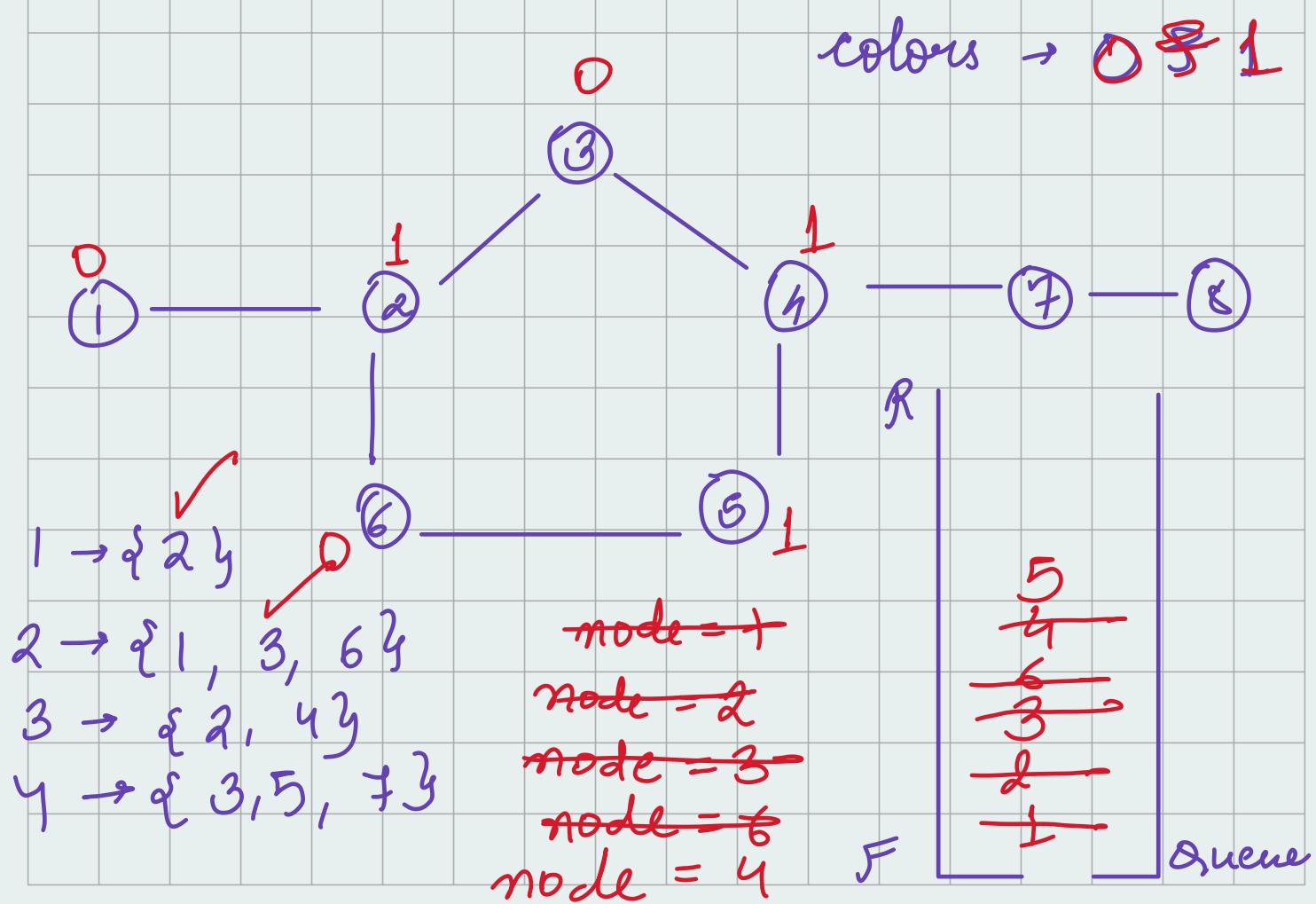


* linear graph with no cycles are always bipartite



* Any graph with even cycle length can also be bipartite.

* Any graph with odd length cycle can never be bipartite.



$5 \rightarrow \{4, 6\}$

$\text{node} = 4 \rightarrow$ Go back not a bipartite graph.

$6 \rightarrow \{2, 5\}$

$7 \rightarrow \{4, 8\}$

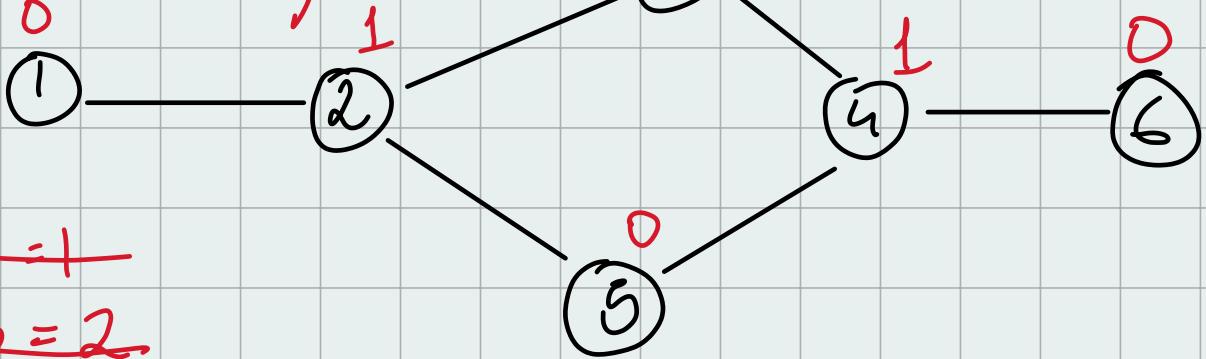
$8 \rightarrow \{7\}$

1	2	3	4	5	6	7	8
0/-1	1/-1	0/1	1/-1	1/-1	1/-1	1/-1	-1/-1

color



Bipartite Example



~~node = 1~~

~~node = 2~~

~~node = 3~~

0 1 2 3 4 5

color	0/-1	1/-1	1/0	1/0	1/-1	1/-1
-------	------	------	-----	-----	------	------

~~node = 5~~

~~node = 4~~

~~node = 6~~

Code's ~

class Solution {

private boolean check (int start, int v,
ArrayList < ArrayList < Integer >> adj, int
[] color) {

Queue < Integer > q = new LinkedList<x>;

q.add(start);

color [start] = 0;

while (!q.isEmpty()) {

int node = q.peek();

q.poll();

for (int adjacentNode : adj.get(node)) {

} if (color [adjacentNode] == -1) {

color [adjacentNode] = 1 -
color [node];

q.add(adjacentNode);

}

else if (color [adjacentNode] ==
color [node]) {

return false,

}

}

}

return true;

}

public boolean isBipartite(int V,
ArrayList<ArrayList<Integer>> adj) {

int [] color = new int [V] ;

for (int i = 0 , i < V ; i ++) {



color [i] = -1 ;

}

-1	-1	-1	-1	-1	-1	-1	-1
----	----	----	----	----	----	----	----

for (int i = 0 ; i < V ; i ++) {

if (! check (i , V , adj , color)) {

return false;

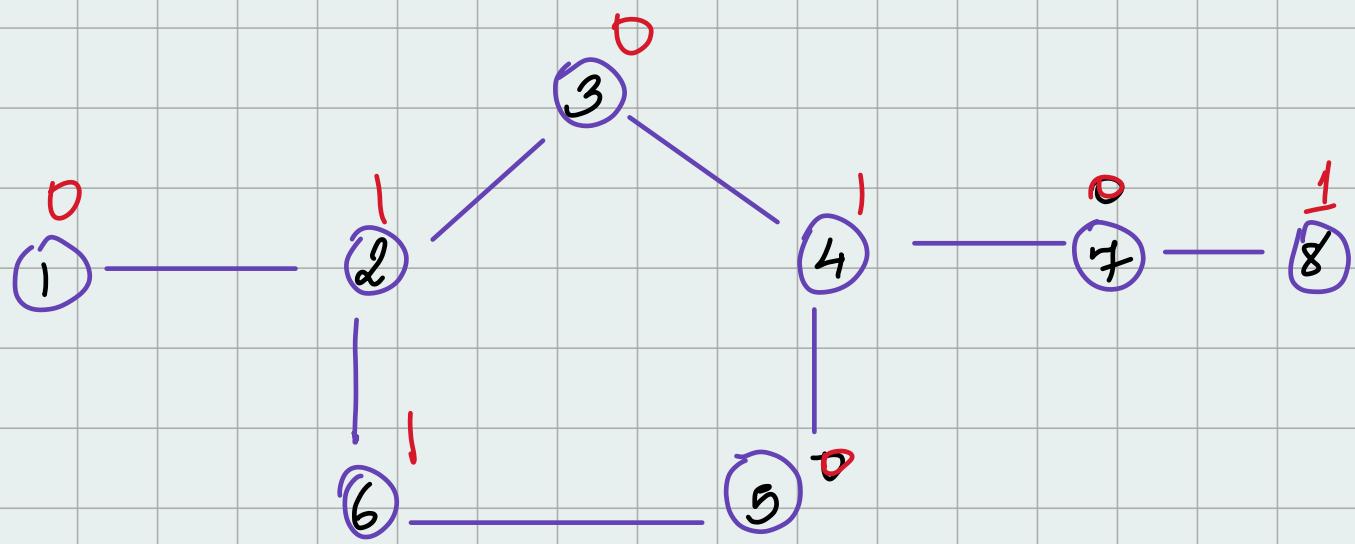
}
}
}

return true,

3

J

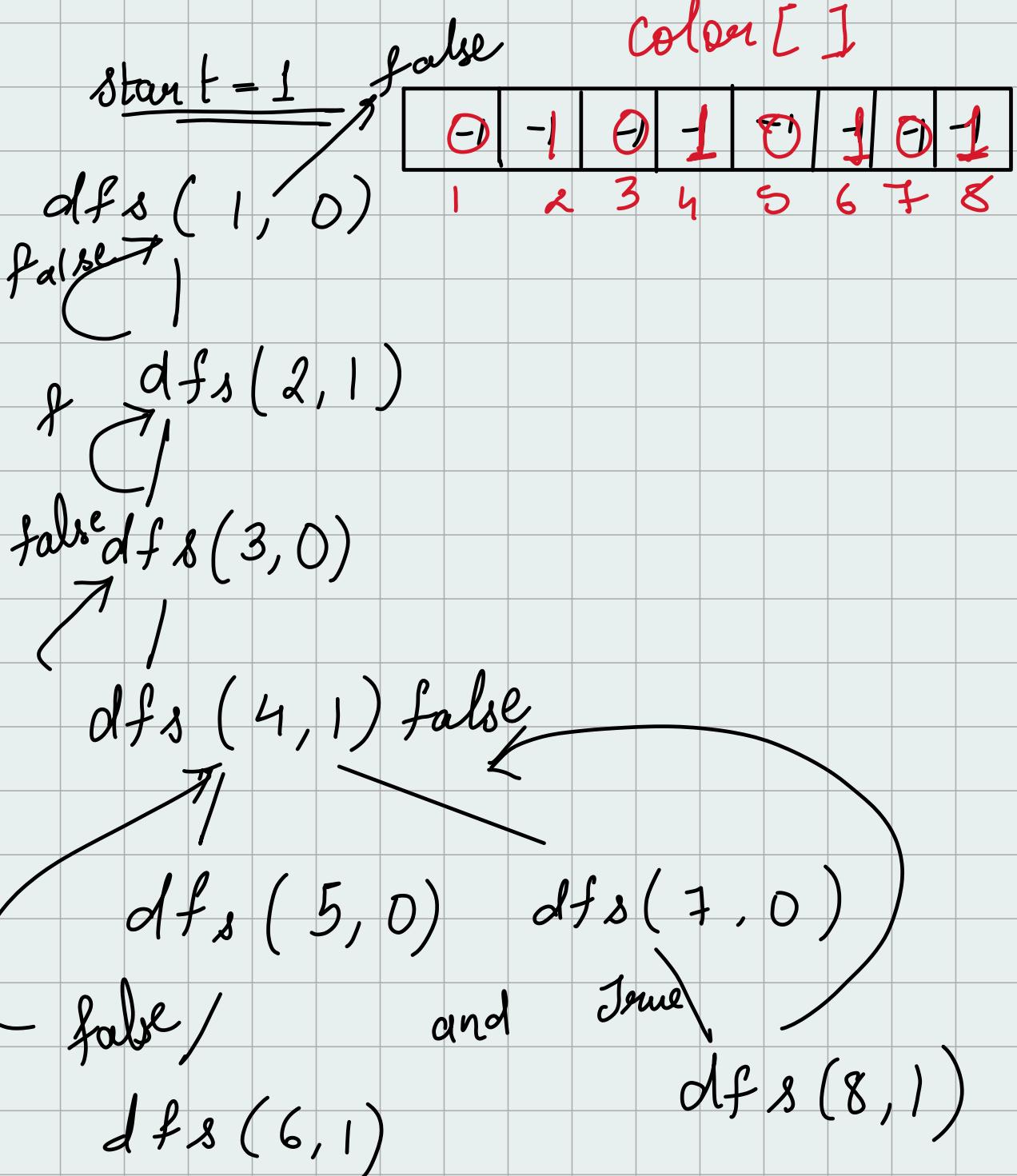
* Bipartite graph using Dfs :-



Now make an adjacency list

1 → {2, 3}

5 → {4, 6}

$2 \rightarrow \{1, 3, 6\}$ $6 \rightarrow \{2, 5\}$ $3 \rightarrow \{2, 4\}$ $7 \rightarrow \{4, 8\}$ $4 \rightarrow \{3, 5, 7\}$ $8 \rightarrow \{7\}$ 

Time Complexity: $O(V + 2E)$

Code :-

```
public boolean isBipartite (int v, ArrayList<  
ArrayList<Integer>> adj) {  
    int [] color = new int [v];  
  
    for (int i = 0; i < v; i++) {  
        color [i] = -1;  
    }  
  
    for (int i = 0; i < v; i++) {  
        if (color [i] == -1) {  
            if (!dfs (i, 0, adj, color)) {  
                return false;  
            }  
        }  
    }  
    return true;  
}  
  
private boolean dfs (int node, int col,  
ArrayList<ArrayList<Integer>> adj, int [] color){
```

color [node] = col;

for(int adjacentNode : adj.get(node) {
// Check for self loops

if (color[adjacentNode] == col) {

return false;

}

if (color[adjacentNode] == -1) {

if (!dfs (adjacentNode,
- col, adj, color)) {
return false;

}

else if (color [adjacentNode] = col) {

return false;

}

Y

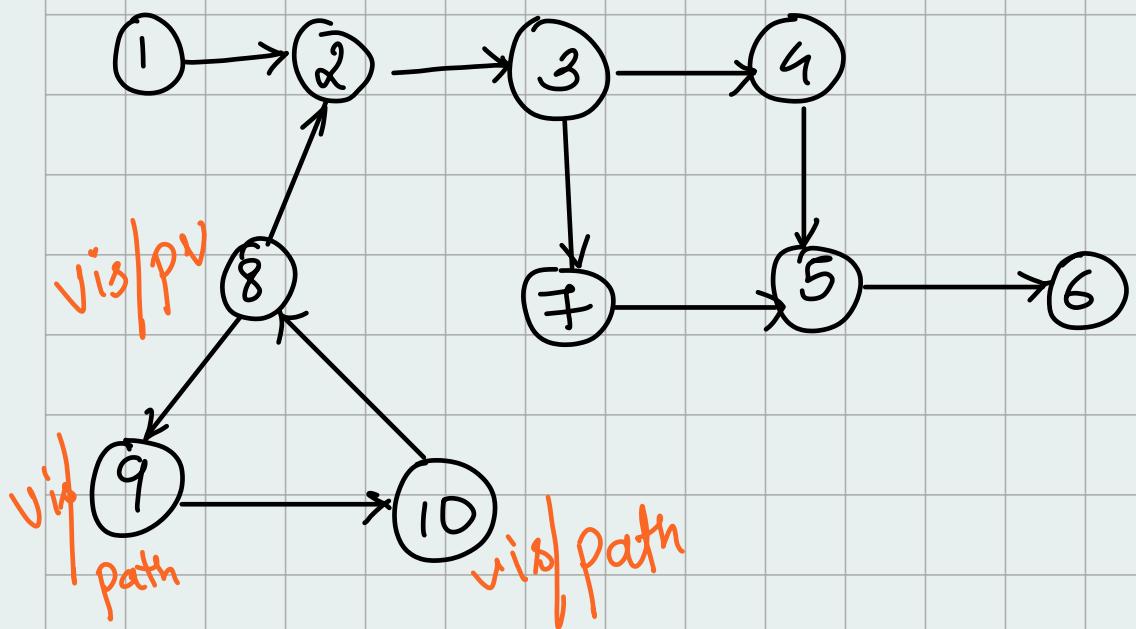
Y

return true,

Y

Y

* Detect cycle in a Directed graph (DFA)



* On the same path node has to be visited again then we can say it's a cycle. For ex: $8 \rightarrow 9 \rightarrow 10$

$$1 \rightarrow \{2\}$$

$$7 \rightarrow \{5\}$$

$$2 \rightarrow \{3\}$$

$$8 \rightarrow \{2, 9\}$$

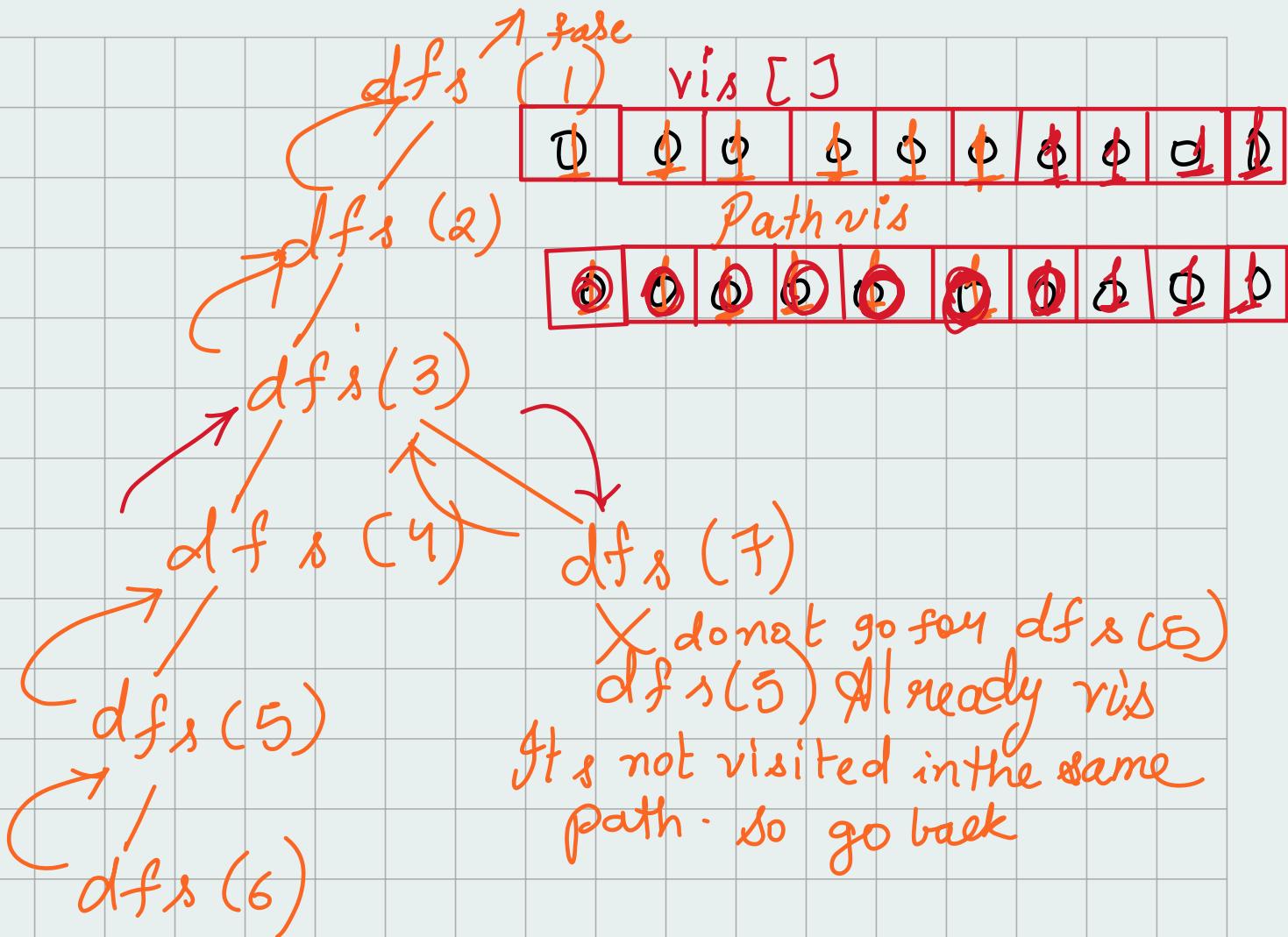
$$3 \rightarrow \{4, 7\}$$

$$9 \rightarrow \{10\}$$

$$4 \rightarrow \{5\}$$

$$10 \rightarrow \{8\}$$

$$6 \rightarrow \{\}$$



↳ when we go back from 6 we keep the vis marked as 1 but omit the path visited index $[6] = \text{X} 0$
 now go back to 5 omit the path visited to 0
 go back to 4 omit the Path visited to 0.
 3 will not be omitted because 7 is still remaining

After going back from calls of every one in the path vis will mark themselves as zero.

```
for (i = X + d  $\beta$  .  $\beta$  ;  

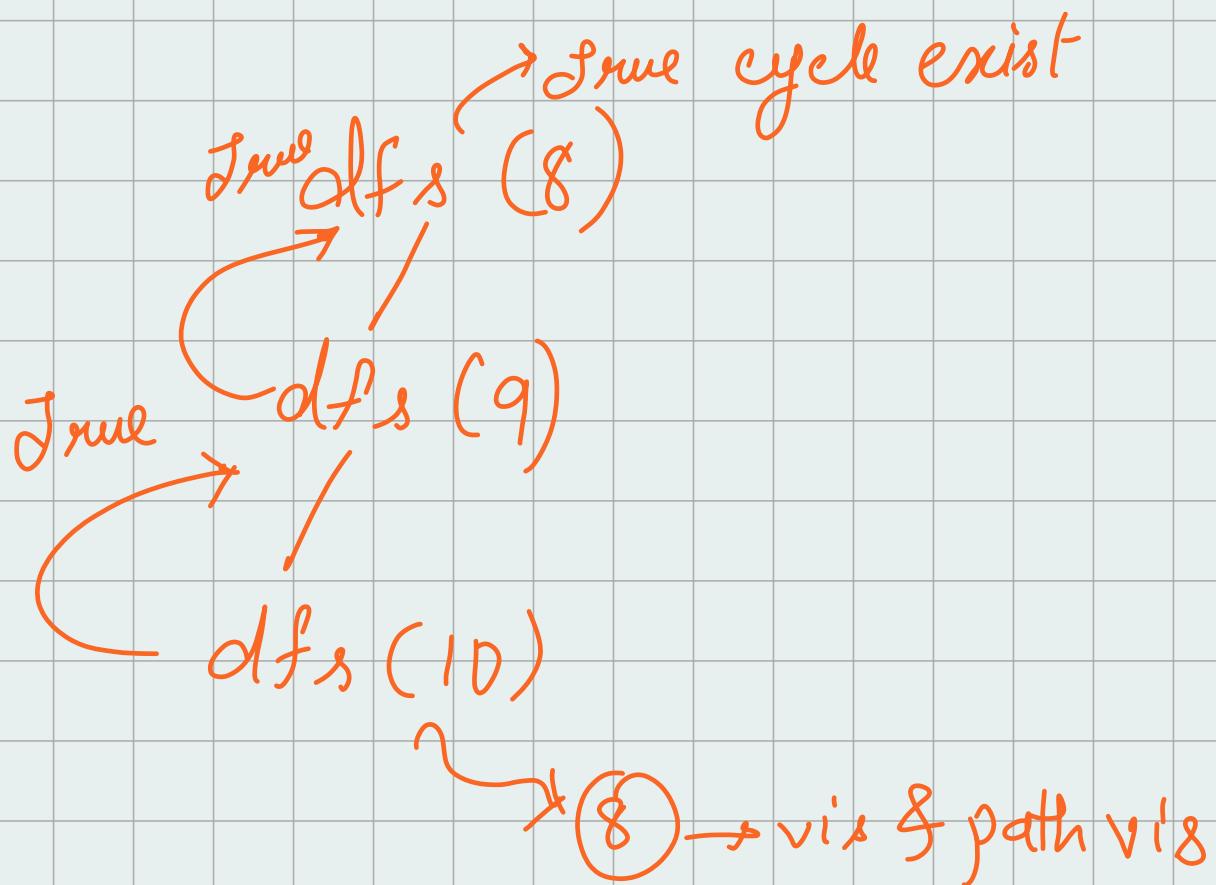
     i  $\rightarrow$  v) {  

    if (!vis[ $\tilde{\alpha}$ ]) {  

        if (dfs(i) == true )
```

3

return true;



Code :-

class Solution {

public boolean isCyclic (int v, ArrayList
{ArrayList<Integer>} adj){

int[] visited = new int[v];

// It is initialized with 0 in the vis[]

int[] pathVis = new int[v] ;

// It is initialized with 0.

```
for( int i=0 , i < v; i++) {  
    if (visited[i] == 0) {  
        if (dfsCheck( i, adj, visited,  
                      pathVis ) ) {  
            return true;  
        }  
    }  
}
```

```
return false;  
}
```

```
private boolean dfsCheck( int node,  
                        ArrayList<ArrayList<Integer>> adj,  
                        int [ ] visited, int [ ] pathVis ) {
```

visited[node] = 1; if it is visited then
mark it as 1
pathVis[node] = 1;

// traverse for adjacent nodes.

```
for (int adjNode : adj.get(node)) {
```

// if the node has a self loop then it
is a cycle

```
if (adjNode == node) {  
    return true;  
}
```

// check for immediate back edge
(not including the current node).

```
if (visited[adjNode] == 1 &&  
    pathVis[adjNode] == 1 &&  
    adjNode != node) {  
    return true;
```

```
}
```

// when the node is not visited

```
if (visited[adjNode] == 0) {
```

```
if (dfsCheck(adjNode, adj,  
            visited, pathVis)) {
```

```
return true;
```

}
 // if the node has been previously
 // visited

// But it has to be visited on the
// same path

else if (pathVis[adjNode] == 1){

 return true;

}

}

}

// remove the marked as 1 from the
// current / path Vis array

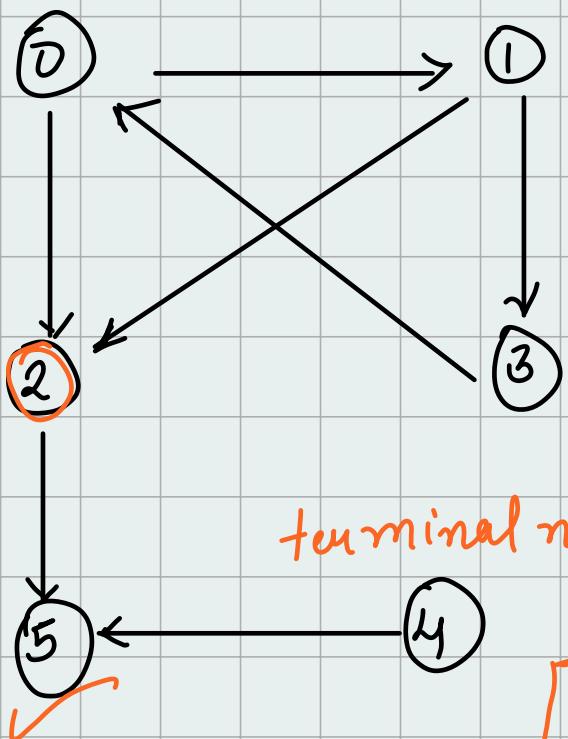
pathVis[node] = 0;

return false;

}

Time Complexity $\approx O(V+E)$

Q) Find Eventual Safe states



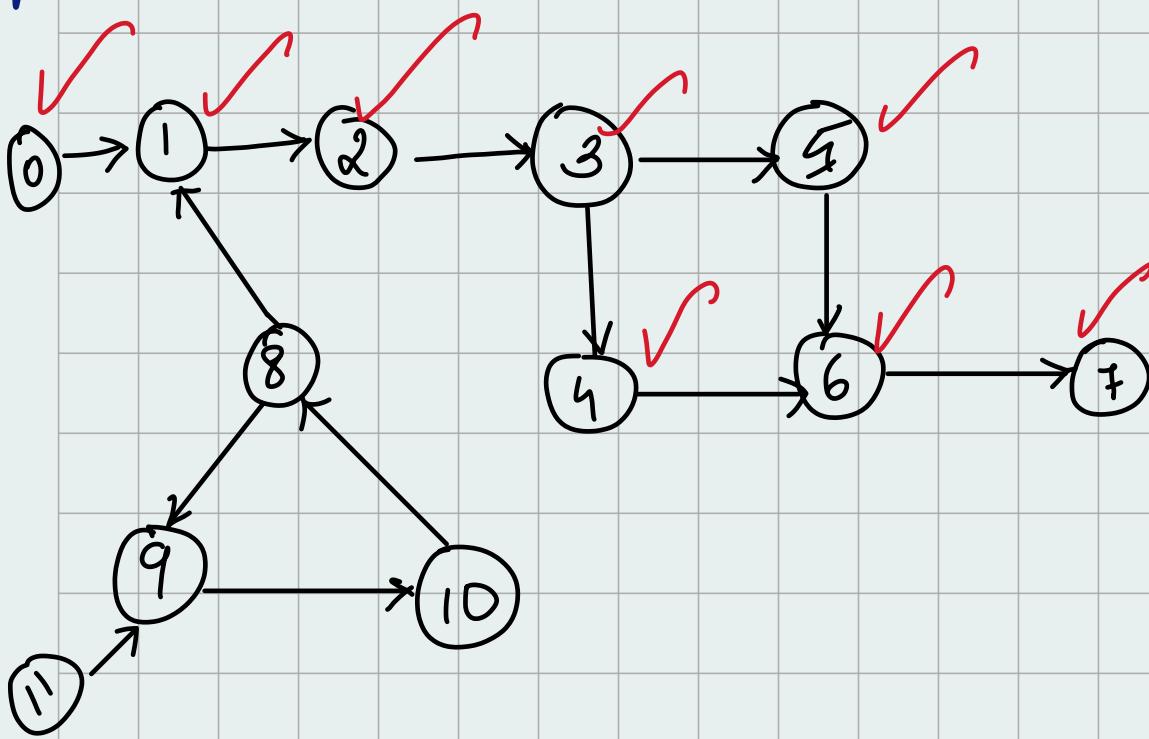
Safe nodes → ?
terminal nodes
outdegree → 0

terminal nodes: arr[2 4 5 6]

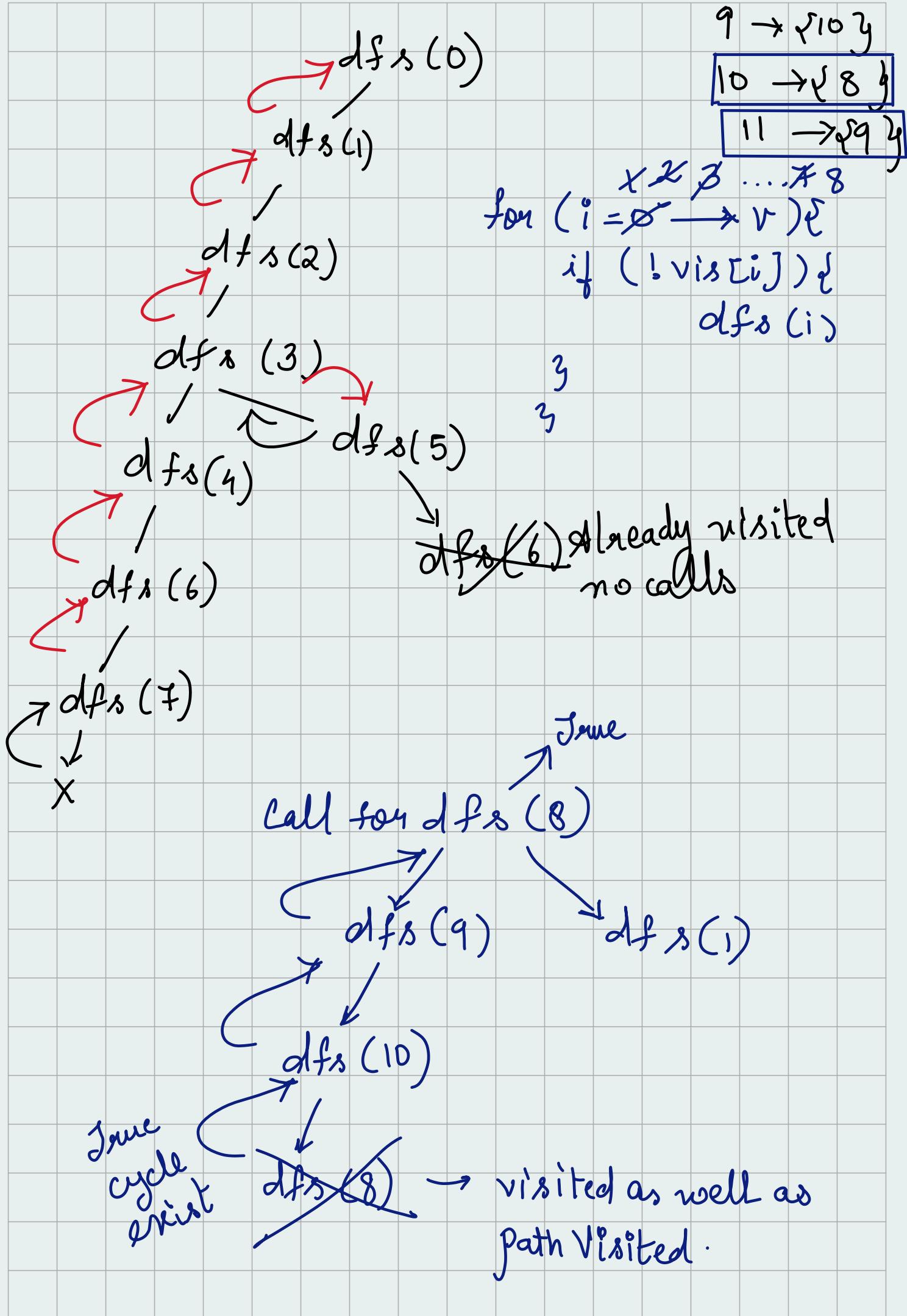
[0, 1, & 3 cannot be safe nodes as there a cycle exist]

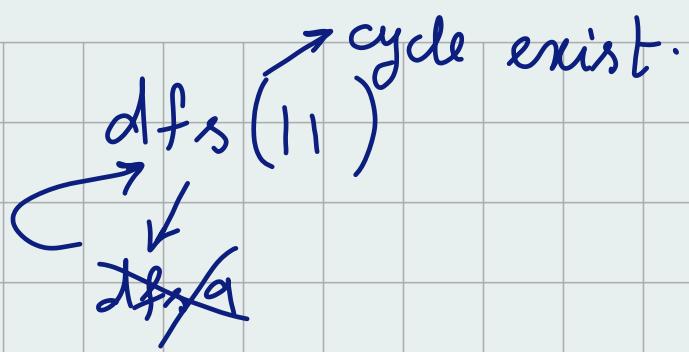
vis[]	0	1	2	3	4	5	6	7	8	9	10	11
vis[]	1	1	1	1	1	1	1	1	1	1	1	1

pathVPs	0	1	2	3	4	5	6	7	8	9	10	11
pathVPs	0	0	0	0	0	0	0	0	1	1	1	1



0 → {1, 3}
1 → {2, 4}
2 → {3, 5}
3 → {4, 5}
4 → {6, 9}
5 → {6, 9}
6 → {7, 10}
7 → {3, 5}
8 → {1, 9}





Code :-

class Solution{

public List<Integer> eventualSafeNodes (int v,
List<List<Integer>> adj) {

int[] vis = new int[v];

int[] pathVis = new int[v],

int[] check = new int[v];

List<Integer> safeNodes = new ArrayList<>();

for(int i=0 ; i<v ; i++) {

if (vis[i] == 0) {

dfsCheck (i, adj, vis, pathVis, check);

} // Check for all the nodes in the graph

// We want all the nodes that are safe

```
for (int i = 0; i < V; i++) {
```

```
    if (check[i] == 1) {  
        safeNodes.add(i);
```

```
}  
}
```

```
return safeNodes(i),
```

```
}
```

```
private boolean dfsCheck(int node, List<Integer> adj, int[] vis, int[] pathVis,  
int[] check) {
```

```
vis[node] = 1;
```

```
pathVis[node] = 1;
```

```
check[node] = 0; // Initially mark all  
the safeNodes as 0
```

```
// traverse for adjacent nodes.
```

```
for (int adjNodes : adj.get(node)) {
```

```
    if (adjacentNode == node) {
```

```
        check[node] = 0;
```

```
}  
return true;
```

This will
check in
ascending
order and
store them
in a list

```
i) (vis[adjNode] == 1 && pathVis[adjNode] == 1) {  
    check[node] = 0;  
    return true;  
}
```

```
i) (vis[adjNode] == 0) {  
    if (dfsCheck(adjNode, adj, vis, pathVis,  
        check)) {  
        // dfs check for adjNode, if it is a  
        // cycle then return true.  
    }  
}
```

```
check[node] = 0;  
return true,
```

```
}  
}  
}
```

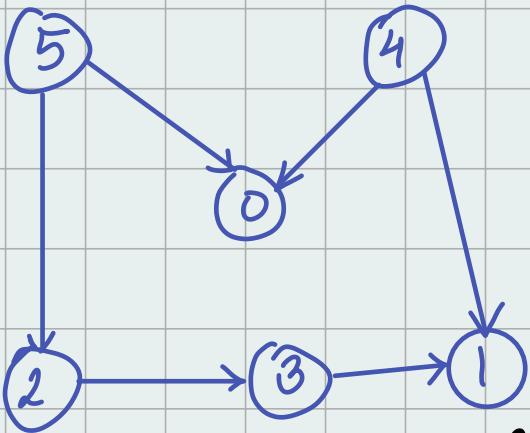
```
check[node] = 1; // if the node is safe  
mark it as 1.
```

```
pathVis[node] = 0; // mark 0 to all  
the position in pathVis  
arrays.
```

```
return false;
```

```
}  
}
```

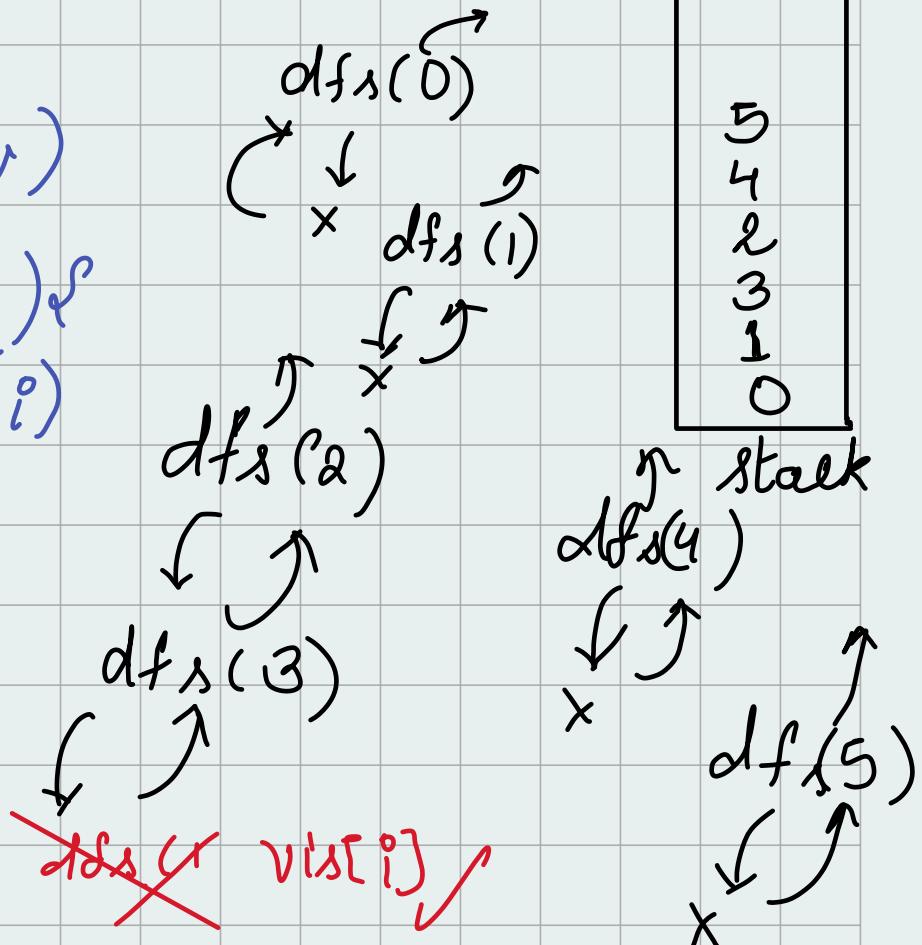
* Topological sort on Directed Acyclic graph



$0 \rightarrow \{3\}$
 $1 \rightarrow \{2\}$
 $2 \rightarrow \{3\}$
 $3 \rightarrow \{1\}$
 $4 \rightarrow \{0, 1\}$
 $5 \rightarrow \{0, 2\}$

	0	1	2	3	4	5
vis[]	0	0	0	0	0	0

for ($i = 0$ → v)
 if ($\neg vis[i]$)
 $dfs(i)$



$$ans = \{ 5, 4, 2, 3, 1, 0 \}$$

one of the linear
orderings

Code 2

```
public static int[] toposort(int V, ArrayList<ArrayList<Integer>> adj) {
    int[] vis = new int[V],
    Stack<Integer> stack = new Stack<>();
    for (int i = 0; i < V; i++) {
        if (vis[i] == 0)
            topodfs(i, V, vis, adj),
    }
    int[] ans = new int[V];
    int i = 0;
    while (!stack.isEmpty()) {
        ans[i++] = stack.peek();
        stack.pop();
    }
}
```

}

return ans;

}

private static void topodfs(int node,
ArrayList<ArrayList<Integer>> adj, int[] vis,
Stack<Integer> stack){

vis[node] = 1,

for (int adjNode : adj.get(node)){

if (vis[i] == 0){

topodfs(adjNode, adj, vis, stack),

}

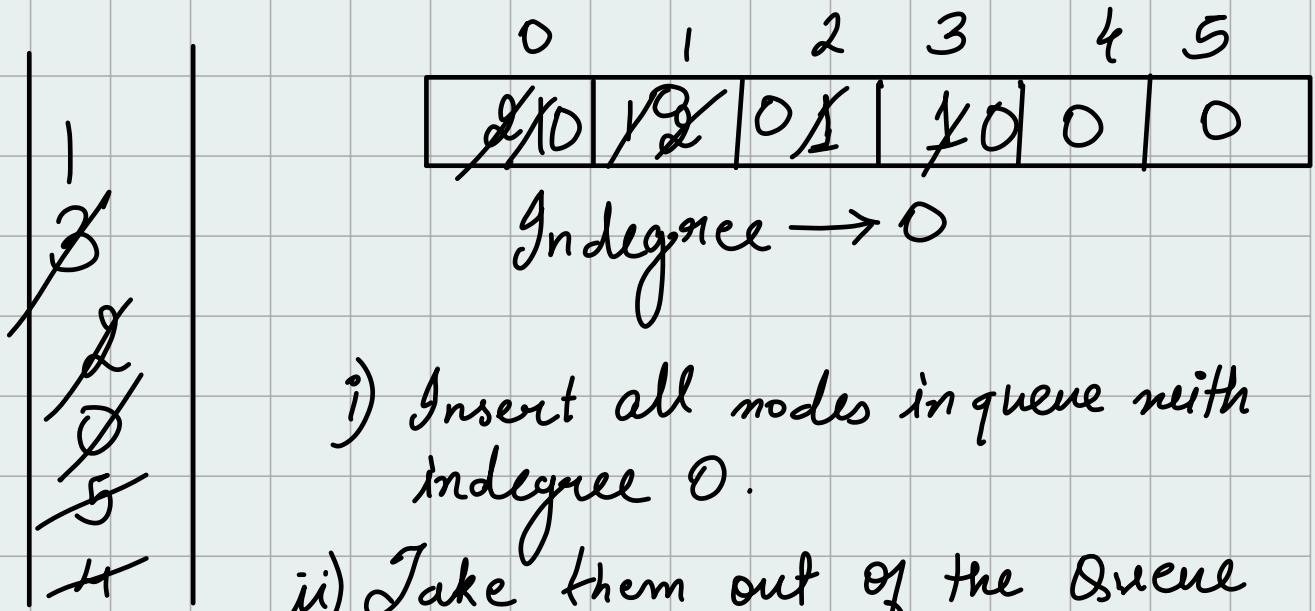
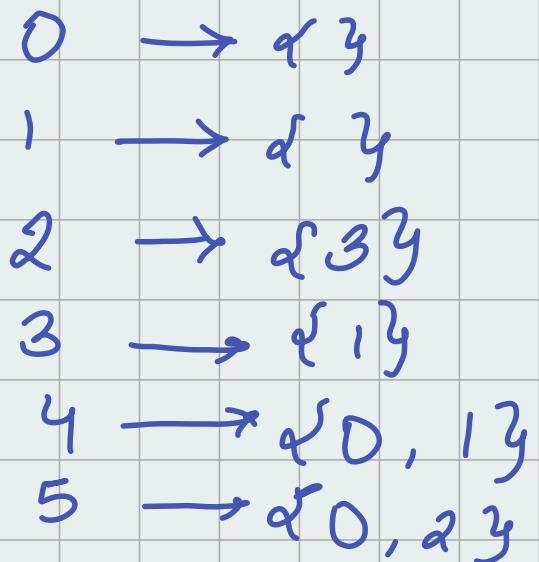
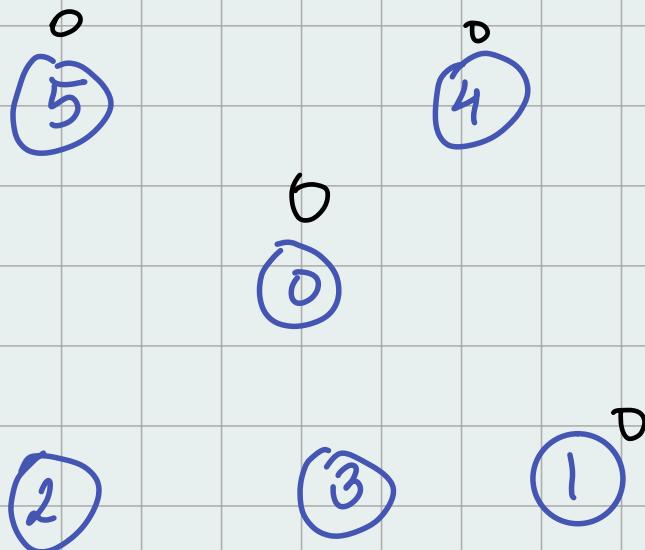
}

stack.push(node);

Y Y

* Topological Sorting (Kahn's Algorithm | BFS)

→ Linear ordering of vertices such that if there is an edge between $u \rightarrow v$, u appears before v in the ordering



- i) Insert all nodes in queue with indegree 0.
- ii) Take them out of the Queue and just reduce the indegree of adjacent nodes. If the indegree is 0 then go to the Queue and point out

TopoSort $\rightarrow \{4, 5, 0, 2, 3, 1\}$

Code :-

public class KahnAlgo{

 public static int[] toposort(int V,
 ArrayList<ArrayList<Integer>> adj){

 int[] indegree = new int[V];
 for (int i = 0; i < V; i++) {

 for (int adjnode : adj.get(i)) {

 indegree[adjnode]++;

}

}

 Queue<Integer> queue = new LinkedList<>();

 for (int i = 0; i < V; i++) {

 if (indegree[i] == 0) {

 queue.add(i);

}

}

int [] topo = new int [v];

int i = 0,

while (!queue.isEmpty()) {

int node = queue.peek(),

queue.remove(),

topo[i++] = node;

If node is in your toposort, now
remove all the edges -

for (int adjNode : adj.get(node))

indegree[adjNode]--;

} if (indegree[adjNode] == 0) {

queue.add(adjNode);

}

}

}

return topo;

g

g

* Course Schedule I and II

→ If the task can be performed with a yes
or no

1	2
4	3
2	4
4	1



X No, cause there forms a cycle
so task cannot be performed.

Topo Sort → Yes
(Directed graph) (DAG)
(Acyclic graph)

$u \rightarrow v$

possible → yes
→ No

Code:-

class Solution {

```
public boolean isPossible (int V,  
int [][] prerequisites) {
```

//Form a graph

```
ArrayList < ArrayList < Integer > adj = new  
ArrayList < > ();
```

```
for (int i = 0 ; i < V ; i++) {  
    adj.add (new ArrayList < >());
```

}

```
int m = prerequisites.length;
```

```
for (int i = 0 ; i < m ; i++) {  
    adj.get (prerequisites [i] [0]).add  
        (prerequisites [i] [1]);
```

}

int[] indegree = new int[v];

for (int i=0; i<v; i++){

for (int adjnodes : adj.get(i)){

indegree[adjnodes]++;

}
}

Queue<Integer> q = new LinkedList<Integer>();

for (int i=0; i<v; i++){

if (indegree[i] == 0){
q.add(i);

}
}

List<Integer> topo = new ArrayList<Integer>();

while (!q.isEmpty()){

int node = q.peek();

$q \cdot remove()$,

$topo \cdot add(node)$;

for (int adjNodes : adj.get(node)) {

 indegree[adjNodes] --;

 if (indegree[adjNodes] == 0) {

 q.add(adjNodes);

}

}

if (topo.size() == n) return true;

return false

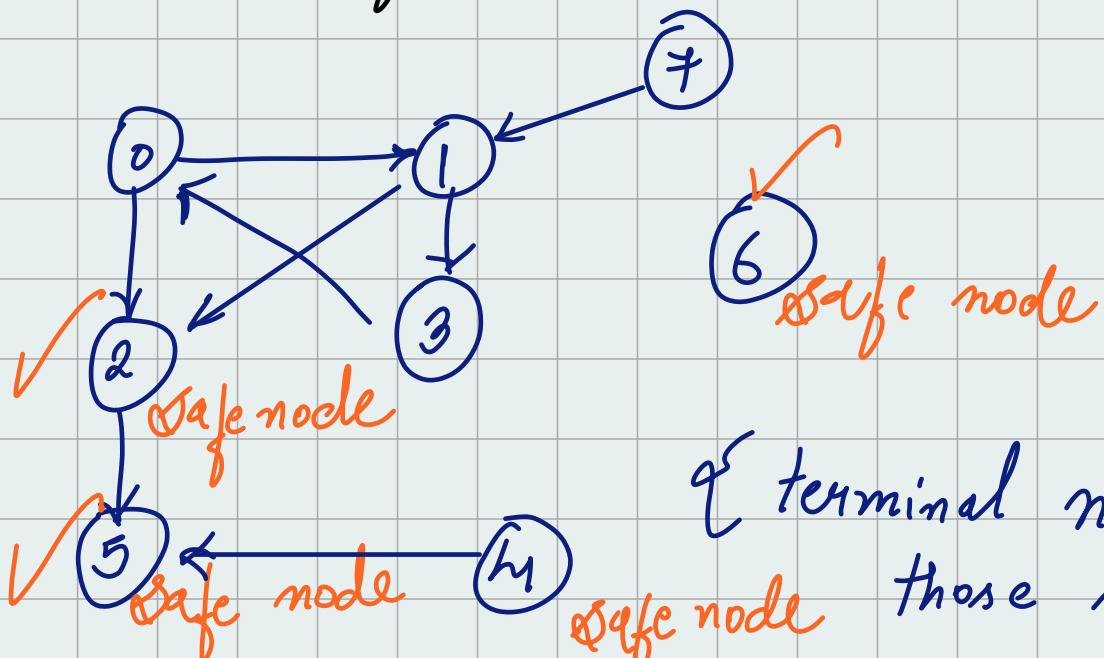
}

}

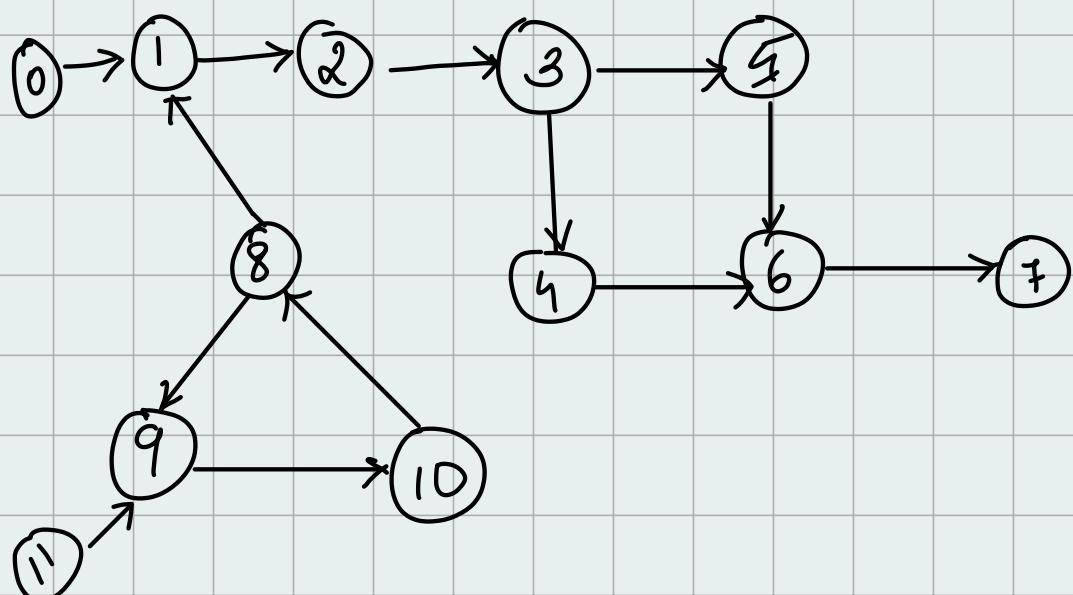
* Find Eventual safe nodes.

* Safe nodes are all the nodes that end up at terminal node (without any cycle present in their path).

Safe nodes → terminal nodes.



terminal nodes are those node which doesn't have any outgoing edges like 5, 6, 7



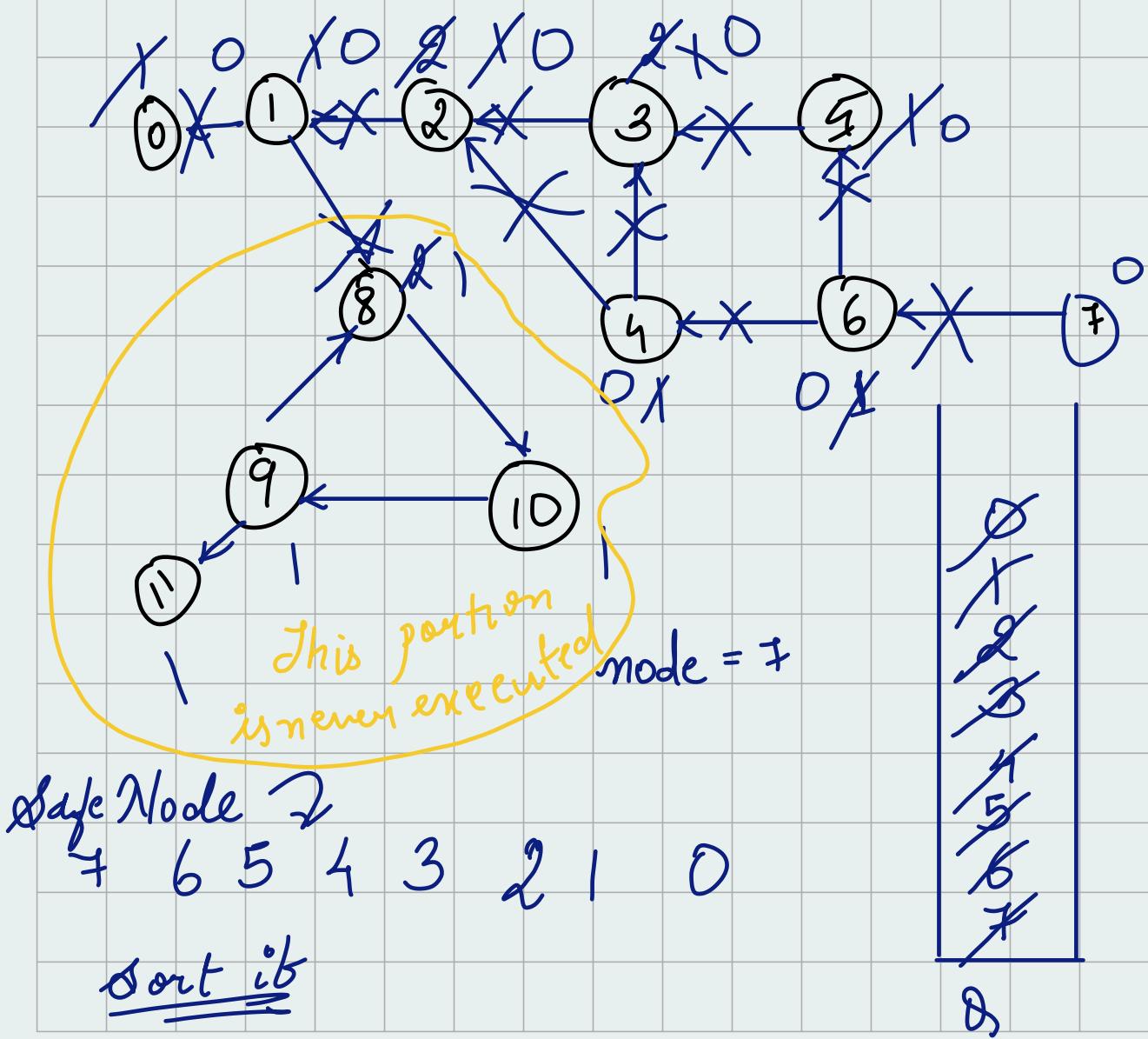
Safe Nodes

↓
terminal nodes

→ reverse all the edges.

→ get all the nodes with
indegree of 0.

→ do a removal of edges
on adjacent nodes!



Code:-

class Solution {

 List<Integer> eventualSafeNodes {

 int V, List<List<Integer> adj) {

 List<List<Integer>> adjRev = new
 ArrayList<>();

 int[] inDegree = new int[V];

 for (int i = 0, i < V, i++) {

 adjRev.add(new ArrayList<>());

 }

 for (int i = 0; i < V; i++) {

 for (int it : adj.get(i)) {

 adjRev.get(it).add(i);

 inDegree[it]++;

 }

3

Queue <Integer> queue = new LinkedList<>,
List <Integer> safeNodes = new ArrayList<>();

for (int i=0; i < v; i++) {
 if (inDegree[i] == 0)
 queue.add(i);
}

while (!queue.isEmpty()) {

int node = queue.poll();

safeNodes.add(node);

for (int adjNode : adjList.get(node)) {

inDegree[adjNode] --;

if (inDegree[adjNode] == 0)

queue.add(adjNode),

}
}

Collections.sort(safeNodes);

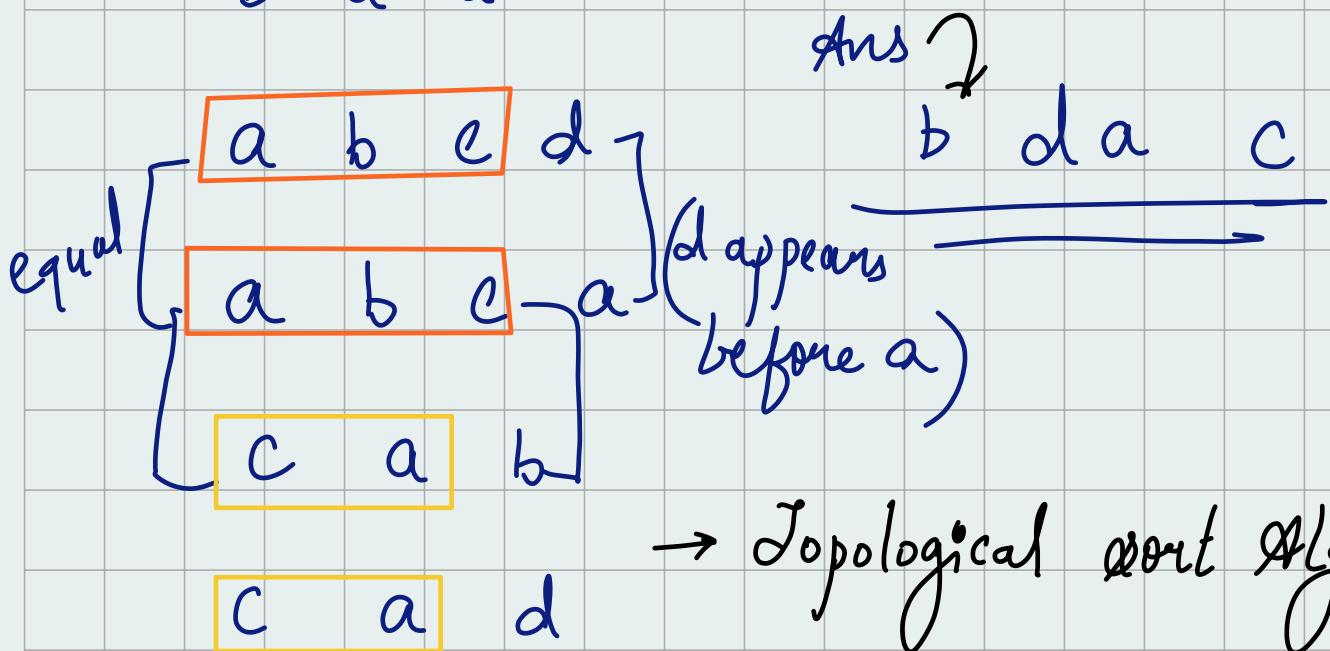
return safeNodes;

3
3

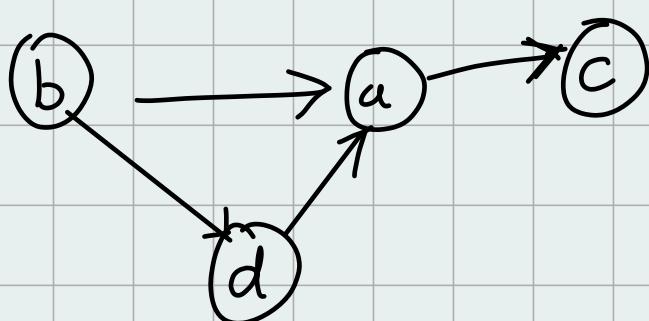
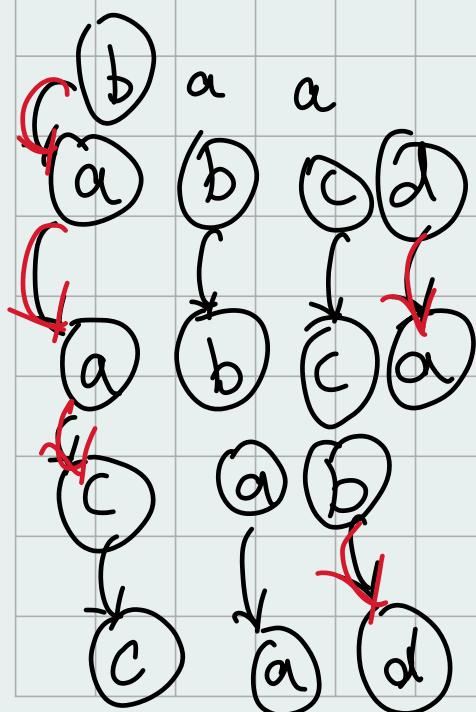
Q) Alien Dictionary

→ find out the alien order?

b appears before a (b a)



→ Topological sort Algorithm.



b d a c → return

Suppose there are nodes which are not connected to any of the Directed graph (DG) than it can be added in the return list in the start or in the end of the list ex: bdace or e bdd ace

$i = 0$	b	a	a	
1	a	b	c	d
2	a	b	c	a
3	c	a	b	
4	c	a	d	

$$i=0 \quad S_1 = arr[i] = b \ a \ a$$

$$S_2 = arr[i+1] = a \ b \ c \ d$$

The moment we find non equality we won't proceed further. Just add an edge between b to a



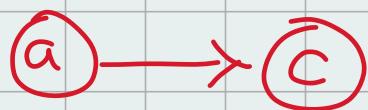
$$i=1 \quad S_1 = arr[i] = \cancel{a} \ b \ \cancel{c} \ \cancel{d} \downarrow$$

$$S_2 = arr[i+1] = a \ b \ c \ a$$



$i = 2$ $s_1 = arr[i] = a \ b \ c \ a$

$s_2 = arr[i+1] = c \ a \ b$



$i = 3$ $s_1 = arr[i] = c \ a \ b^x$

$s_2 = arr[i+1] = c \ a \ d$



Code :-

public class AlienDictionary {

 public String findOrder(String[] dict,
 int N, int k) {

 List<List<Integer>> adj = new ArrayList<>();

 for (int i = 0, i < k, i++) {

 adj.add(new ArrayList<>());

}

 for (int i = 0; i < N - 1; i++) {

 // N-1 because we are comparing till the second
 last with the last

String $s_1 = \text{dict}[i];$

String $s_2 = \text{dict}[i+1];$

for (int $\text{ptr} = 0; \text{ptr} < \text{Math.min}(s_1.length(), s_2.length()); \text{ptr}++)$ {

if ($s_1.charAt(\text{ptr}) \neq s_2.charAt(\text{ptr})$) {

adj.get($(s_1.charAt(\text{ptr}) - 'a')$)

add($(s_2.charAt(\text{ptr}) - 'a')$);

break;

}

}

}

List<Integer> topo = toposort(k, adj);

String ans = "";

for (int it : topo) {

```
ans = ans + (char)(it + (int)('a'));
```

}

```
return ans;
```

}

```
private List<Integer> topodsort (int v,  
List<List<Integer>> adj){
```

```
int [ ] inDegree = new int[v],
```

```
for (int i = 0; i < v; i++) {
```

```
for (int adjNode : adj.get(i)) {
```

```
inDegree [adjNode]++;
```

 }

```
Queue<Integer> q = new LinkedList<()>,
```

```
for (int i = 0; i < v; i++) {
```

```
if (inDegree [i] == 0) {
```

$q.add(i);$

}
}

List <Integer> topo = new ArrayList
 \leftrightarrow $\mathcal{O}(C)$;

while (!q.isEmpty()) {

int node = q.poll(),

topo.add(node);

for (int adjNode : adj.get(node)) {

inDegree[adjNode]--;

if (inDegree[adjNode] == 0) {

q.add(adjNode);

}

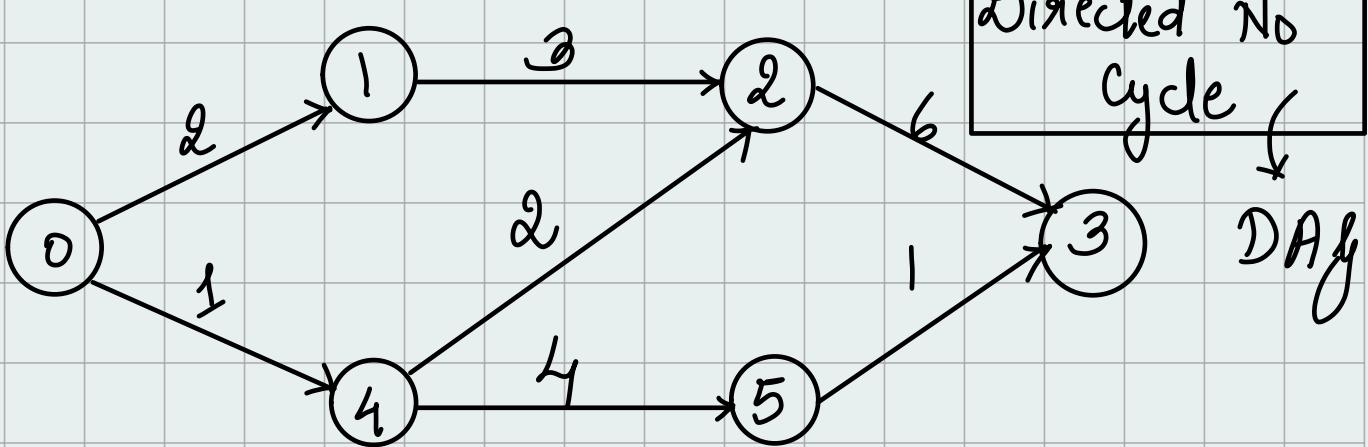
}

}

return topo,

3

* Shortest path in Directed Acyclic graph



$\text{dist} = 0$



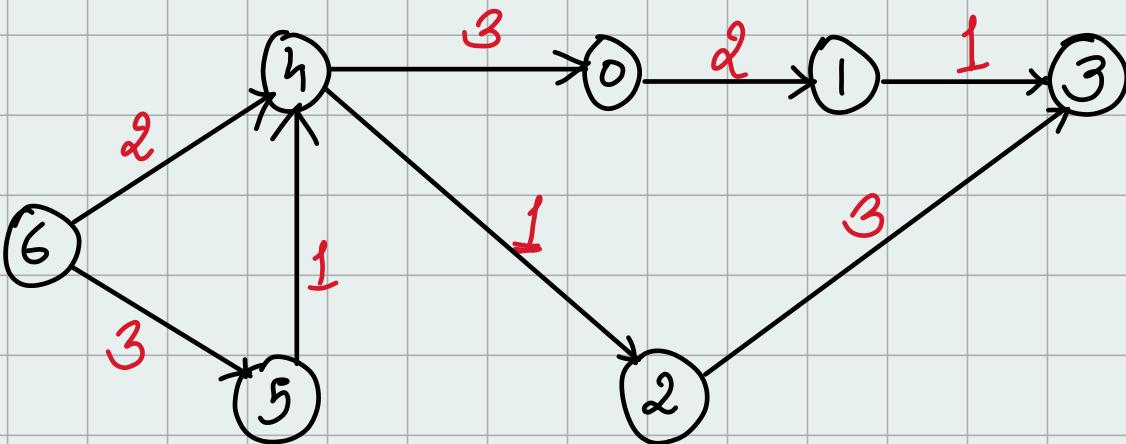
dist

0 1 2 3 4 5

..
(n-1)
node

dist to
itself dist is 0

shortest distance to travel.



* Make an adjacency list : pairs of nodes & list.

- 0 → {1, 2}
- 1 → {3, 1}
- 2 → {3, 3}
- 3 → {3}
- 4 → {0, 3} {2, 1}
- 5 → {4, 1}
- 6 → {4, 2} {5, 3}

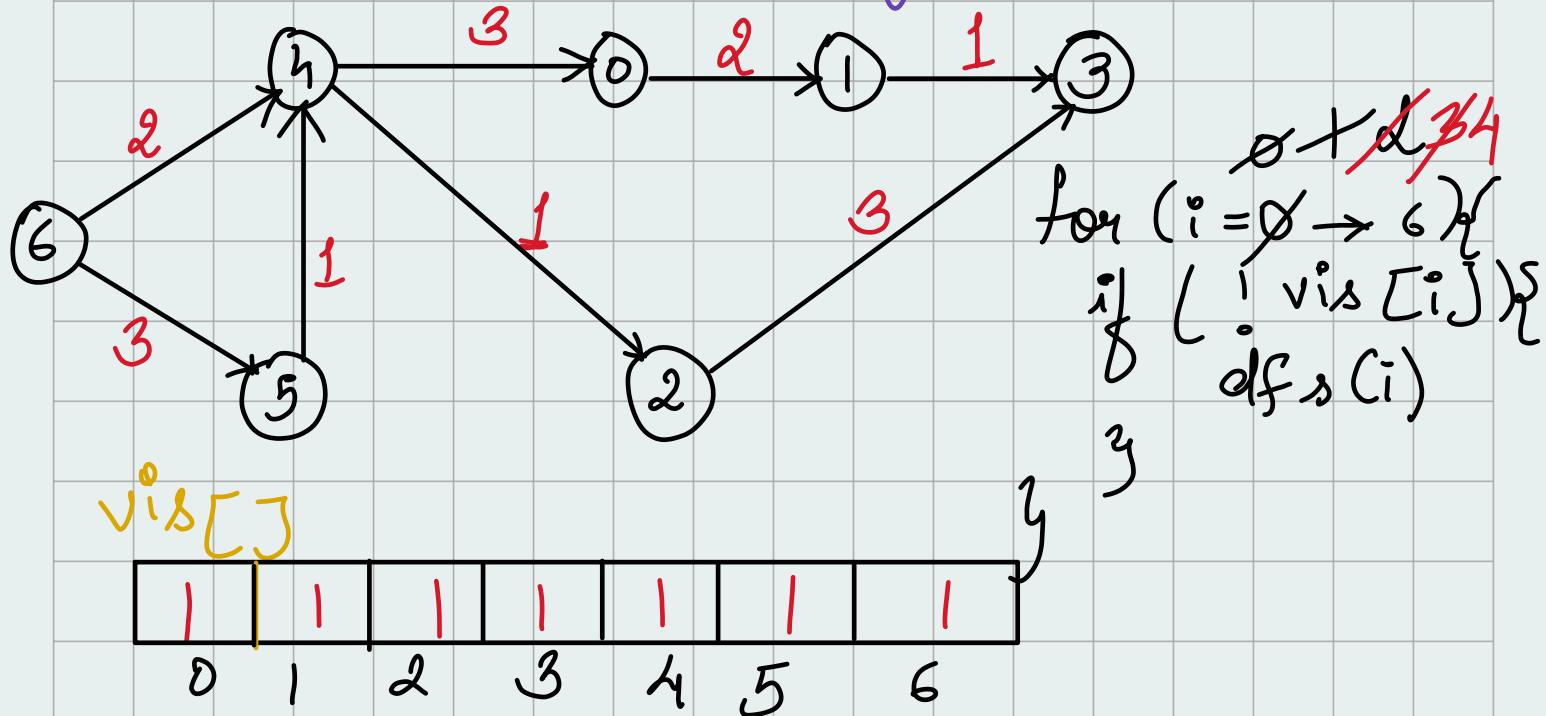
→ Algorithm
→ Code
→ Intuition at last.

`ArrayList<ArrayList<Pairs>>`

For this graph assume the src = 6.

Step 1 = Do a TopoSort on this DAlg.
(DFS method)

Step 2 = Take the nodes out of the stack and relax the edges.

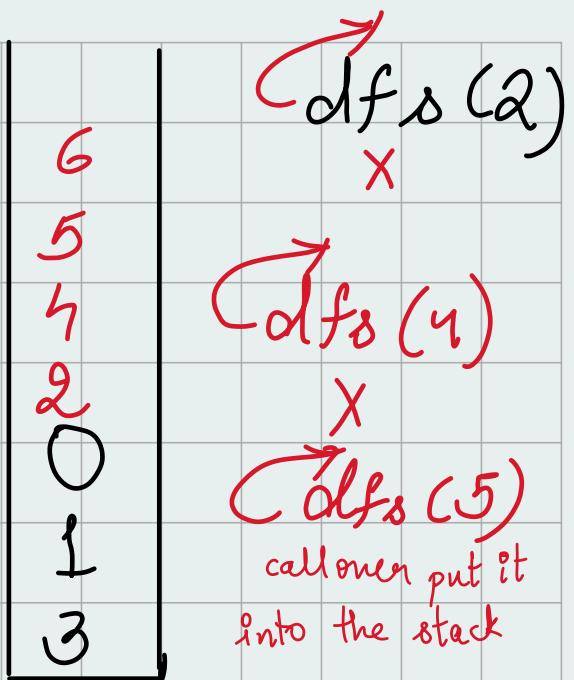


$\text{dfs}(0)$
 $\text{dfs}(1)$
 $\text{dfs}(2)$
 $\text{dfs}(3)$

call over put it
into the stack

Similarly for all nodes

* Now this stack will contain
the topological sorted nodes



Now step 2: In order to relax the edges
we need to declare a distance array
and it should be marked with infinity.

$\text{dist}[]$	5	+	3	6	2	3	0
	∞						
	0	1	2	3	4	5	6

$\text{src} = 6$ so make node 6 dist 0 to 0
start from 6 end at 6

$\text{node} = 6, \text{dist} = 0$
 $\xrightarrow{+3} \text{node} = 5, \text{dist} = 3$
 $\xrightarrow{+2} \text{node} = 4, \text{dist} = 2$



node = 5, dist = 3

+1

node = 4, dist = ~~4~~ [already have a better dist] don't take & omit it]

node = 4, dist = 2

+3

node = 0
dist = 5

+1

node = 2
dist = 3

node = 2, dist = 3

+3

node = 3, dist = 6

node = 0, dist = 5

+2

node = 1, dist = 7

node = 1, dist = 7

+1

node = 3, dist = ~~8~~ [already have 6]

Similarly for node = 3, dist = 6

this :-

dist []

	5	+	3	6	2	3	0
0	∞						
1							

Code :-

class Solution {

```
public int[] shortestPath (int N, int M,  
int[][] edges) {
```

```
ArrayList<ArrayList<pair>> adj =  
new ArrayList<>(),
```

```
for (int i = 0; i < N; i++) {  
    int u = edges[i][0],  
    int v = edges[i][1],  
    int wt = edges[i][2],  
    adj.get(u).add(new pair (v, wt));  
}
```

// find the topological sort

```
int[] visited = new int[N];  
Stack<Integer> stack = new Stack<>(),  
for (int i = 0; i < N; i++) {  
    if (visited[i] == 0) {
```

```
    } } toposort(i, adj, visited, stack);
```

```
// do the distance thing
int[] dist = new int[n];
Always fill (dist, -1);
dist[0] = 0;
```

```
while (!stack.isEmpty()) {
    int node = stack.pop();
    for (pair it : adj.get(node)) {
        int v = it.first;
        int wt = it.second;
        if (dist[node] != -1 & & (dist[v]
            == -1 || dist[node] + wt < dist[v])) {
            dist[v] = dist[node] + wt
        }
    }
}
```

```
} }
```

```
return dist;
```

```
private void toposort(int node, ArrayList<
    ArrayList<pair>> adj, int[] visited, Stack<
    Integer> stack) {
    visited[node] = 1;
    for (pair it : adj.get(node)) {
        int v = it.first;
        if (visited[v] == 0)
```

if ($\text{visited}[v] == 0$) {

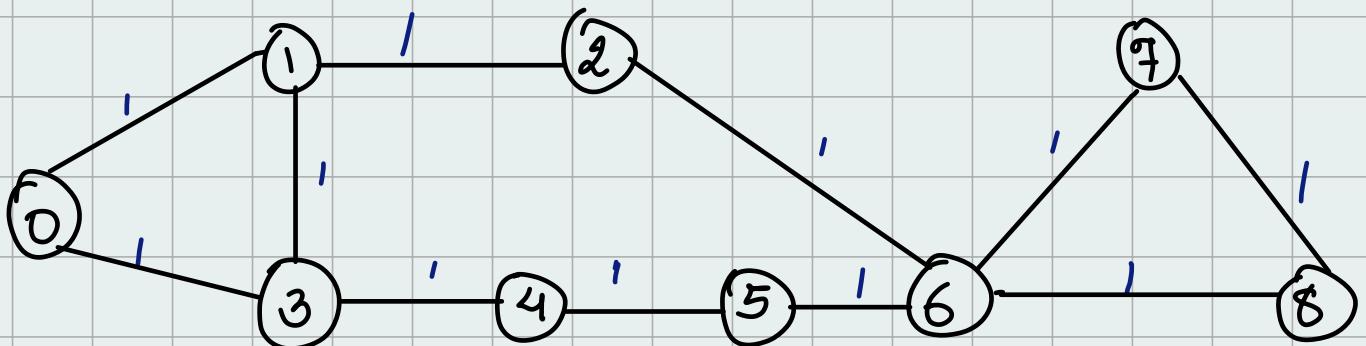
3
3
3

toposort($v, \text{adj}, \text{visited}, \text{stack}$);

3
3
3
 $\text{stack.push}(node)$

Q) Shortest path in undirected graph having unit distance.

$\text{src} = 0$



make an adjacency list ~

$$0 = \{1, 3\}$$

$$1 = \{0, 3, 2\}$$

$$2 = \{1, 6\}$$

$$3 = \{0, 1, 4\}$$

$$4 = \{3, 5\}$$

$$5 = \{4, 6\}$$

$$6 = \{2, 5, 7, 8\}$$

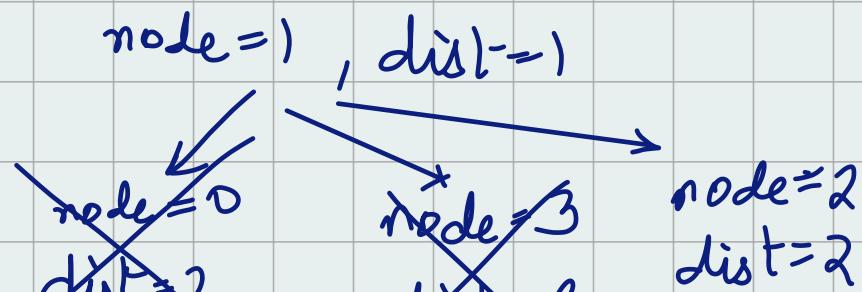
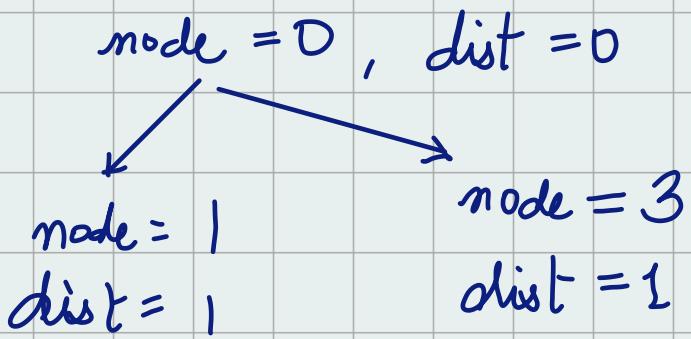
$$7 = \{6, 8\}$$

$$8 = \{6, 7\}$$

then declare a distance array with infinity init

src	0	1	2	3	4	5	6	7	8
dist[]	00	00	00	00	00	00	00	00	00
	0	1	2	3	4	5	6	7	8

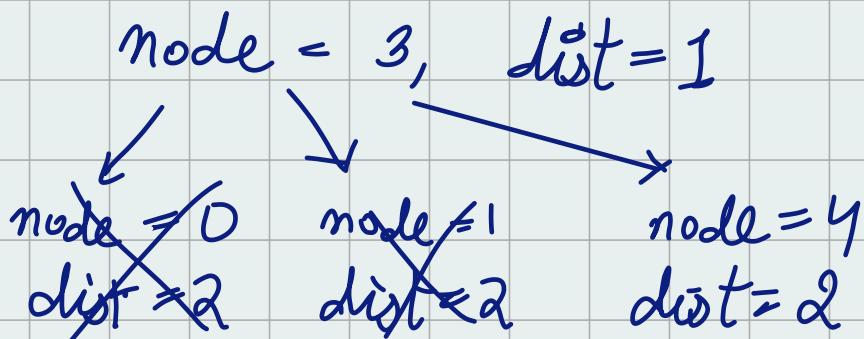
using BFS



shortest path is
already 1.

x	8, 1, 4
x	5, 2, 4, 3
x	6, 3, 4
x	6, 5, 4
x	7, 2, 4
x	8, 2, 4
x	9, 3, 4
x	9, 1, 4
x	10, 0, 4

Queue
{node, distance}



node = 4, dist = 2

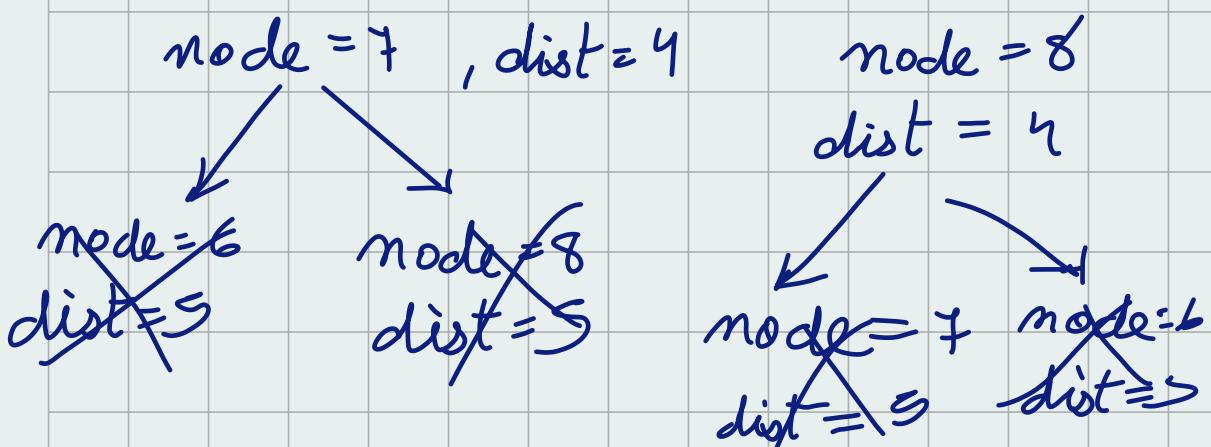
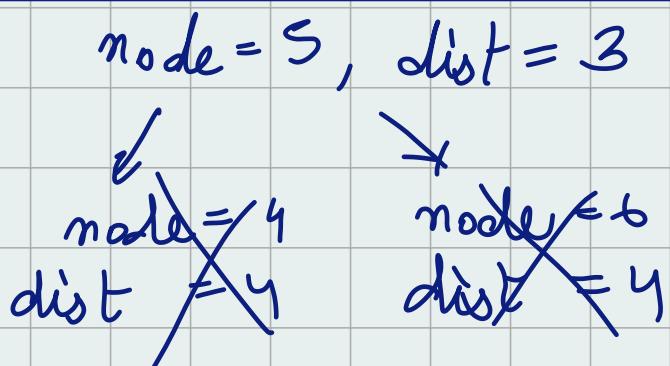
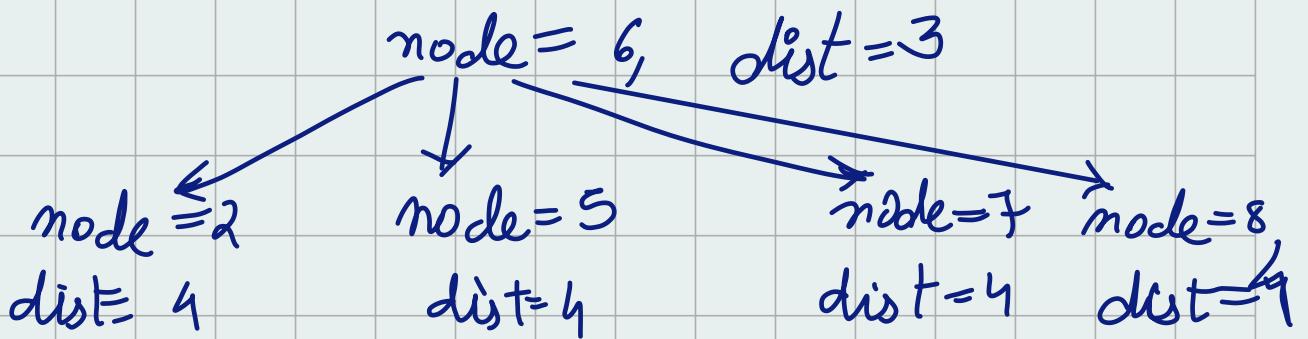
node = 3
dist = 3

node = 5
dist = 3

node = 2, dist = 2

node = 1
dist = 3

node = 6
dist = 3



Code ↴

class Solution

```
public int[] shortestPath (int[][] edges, int n,
int m, int src) {
```

```
ArrayList<ArrayList<Integer>> adj = new ArrayList<>();
```

```
for (int i = 0 ; i < n ; i++) {  
    adj.add (new ArrayList<>());  
}  
for (int i = 0 ; i < m ; i++) {  
    adj.get (edges[i][0]).add (edges[i][1]);  
    adj.get (edges[i][1]).add (edges[i][0]);  
}  
}
```

```
int[] dist = new int[n],  
Arrays.fill (dist, Integer.MAX_VALUE),  
dist[src] = 0;
```

```
Queue<Integer> q = new LinkedList<>();  
q.add (src);
```

```
while (!q.isEmpty ()) {
```

```
    int node = q.poll ();
```

```
    for (int adjNode : adj.get (node)) {  
        if (dist[node] + 1 < dist[adjNode]) {  
            dist[adjNode] = dist[node] + 1;  
            q.add [adjNode];  
        }  
    }  
}
```

}

}

// suppose we couldn't reach the node then
return it with -1

```
for (int i=0; i<n; i++) {  
    if (dist[i] == Integer.MAX_VALUE) {  
        dist[i] = -1;  
    }
```

}

}

return dist;

}

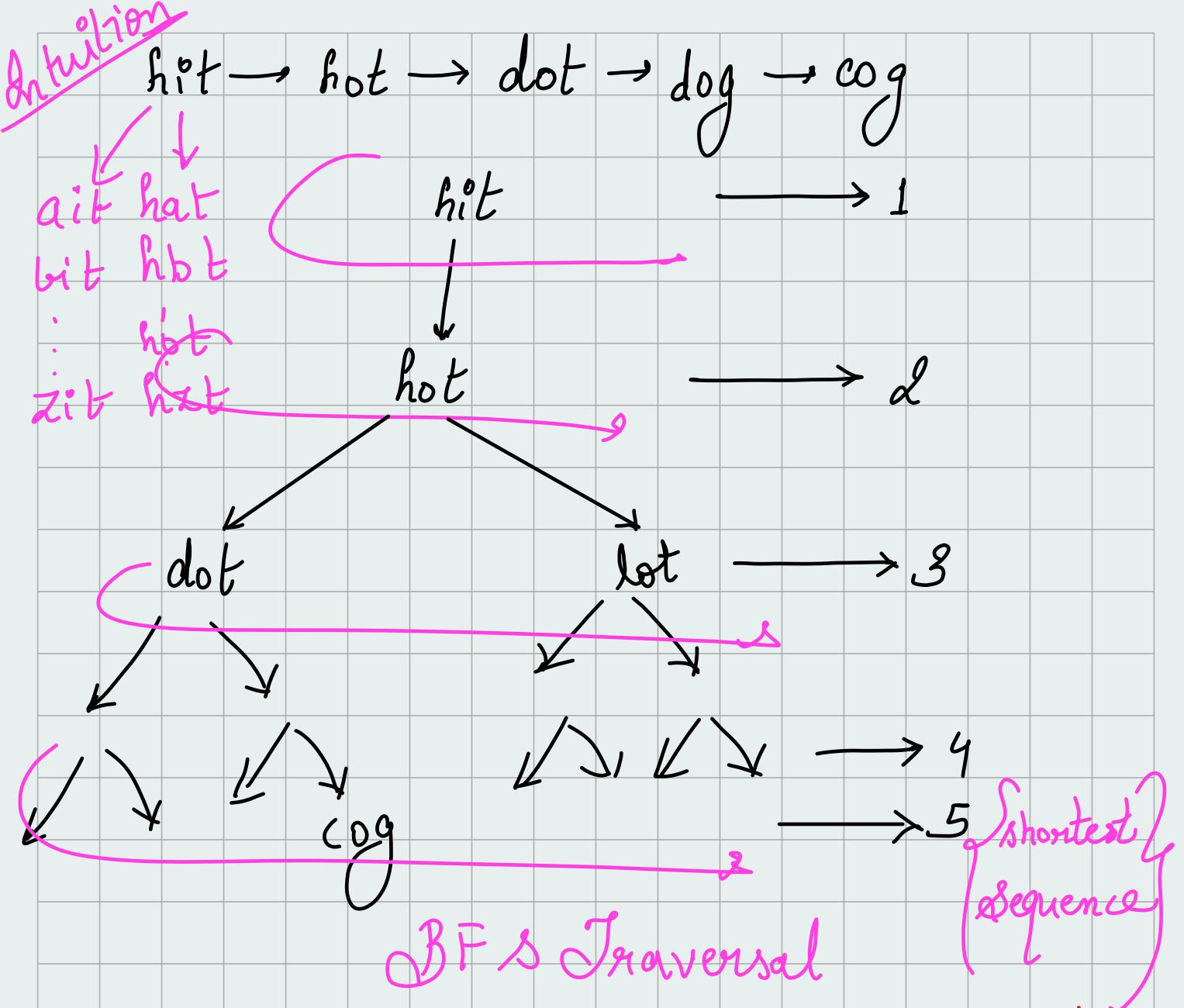
}

Time Complexity is same as BFS
Algorithm i.e. $\sqrt{V} \times 2E$

Q) Word Ladder (I)

beginWord = "hit"

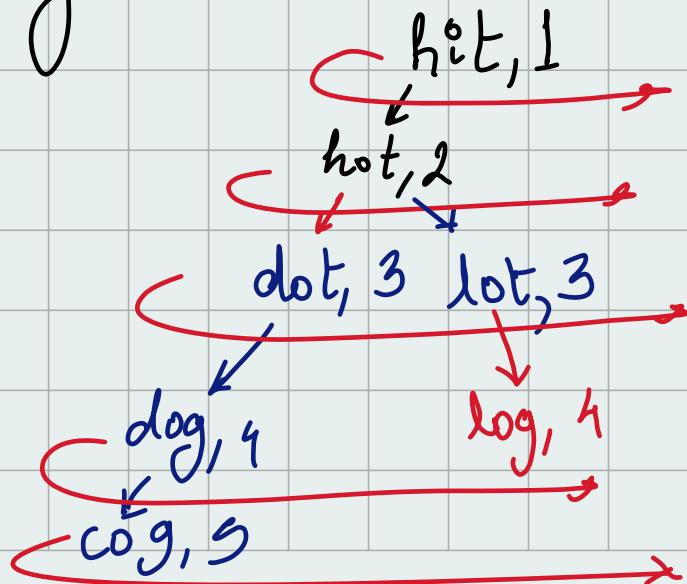
wordList = [hot, dot, dog, lot, log, cog]



Set = { ~~not~~, ~~dot~~, ~~dog~~, ~~lot~~, ~~log~~, ~~cog~~ }

wordlist = [hot, dot, dog, lot, log, cog]

beginWord = hit endWord = cog



ans = 5

else return 0, make a Pair class

Queue

{string, Integer}

If we do linear search in wordlist list it will take a lot of time. We create a set data structure and make sure that exact same wordlist is in the set if have a very less TC. If we find the records in set data structure we will delete it from the set. We are not using any visiting arrays as we mark them as visited once visited. So removing the words from the list will make sure of that the word list is not getting repeated and it gives us the correct word length.

Code :-

class Pair{

 string word;
 int length;

 Pair (string word, int length)

 this.word = word,

 this.length = length,

,

3

public class wordladder {

 public int wordLadderLength (String startWord,
 String targetWord, String [] wordList) {

 Queue <Pair> q = new LinkedList <>();

 q.add (new Pair (startWord, 1));

 Set <String> set = new HashSet <>();

 for (String word : wordList) {

 set.add (word);

}

 while (! q.isEmpty ()) {

 String word = q.peek ().word;

 int steps = q.peek ().length;

 q.poll ();

 if (word.equals (targetWord)) {

 return steps;

}

// word = hot → eog

```
for (int i=0; i<word.length(); i++) {
```

```
for (char ch='a'; ch<='z', ch++) {
```

char [] replaced Chararray = word.
to chararray();

replacedchararray[i] = ch ;

11) if it exist in the set then add it in the queue.

String replacedWord = new String
(replacedCharAnew);

```
i) if (set.contains(replacedWord))  
    set.remove(replacedWord);  
    q.add(new Pair(replacedWord,  
                    steps + 1));
```

Y
Y
Y

// if we could not find the target word,
then return 0.

return 0;

} } }

D) Word Ladder - II

bat → pat → pot → poz → coz

bat → bot → pot → poz → coz

wordlist = {~~pat, bot, pot, poz, coz.~~}

beginWord = bat

endWord = coz

{bat } word=bat
 ↓
 pat bot

After the level is completed
then only delete the words
from wordlist

{bat, bot, pot, poz, coz}	Level 5
{bat, pat, pot, poz, coz}	Level 4
{bat, bot, pot, poz}	Level 4
{bat, pat, pot, poz}	Level 3
{bat, bot, pot}	Level 3
{bat, pat, pot}	Level 2
{bat}	Level 1

{ bat, pat } word = pat
↓
pot

We cannot erase pot from wordlist as the entire level needs to be completed.

{ bat, bot } word = bot
↓
pot

Now we can erase the pot from wordlist

{ bat, pat, pot } word = pot
↓
poz

{ bat, bot, pot } word = got
↓
poz

{ bat, pat, pot, poz } word = poz
↓
coz

{ bat, bot, pot, poz } word = poz
↓
coz

{ bat, pat, pot, poz, coz }

↳ got last word
(ending sequence1)

{ bat, bot, pot, poz, coz }

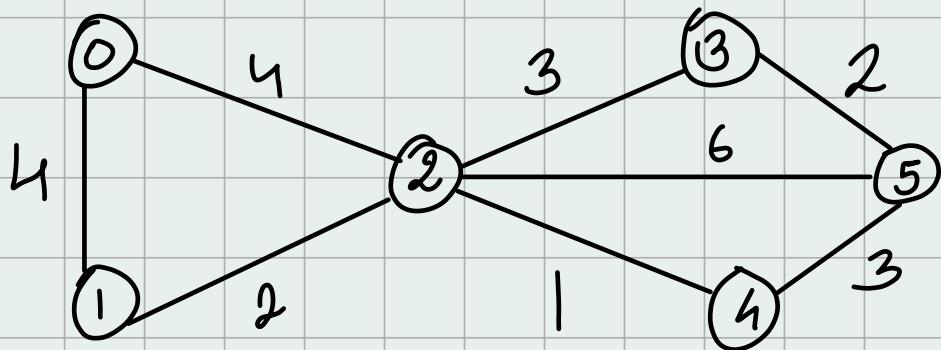
↳ ending sequence-2

store it in your ans arraylist

store it in arraylist
{ ans }

length word > 5 { break }

* Dijkstra's Algorithm



adjacency list

$$\begin{aligned}
 0 &\rightarrow \{1, 4\} \{2, 4\} \\
 1 &\rightarrow \{0, 2\} \{2, 2\} \\
 2 &\rightarrow \{0, 4\} \{1, 2\} \{3, 3\} \{5, 6\} \{4, 1\} \\
 3 &\rightarrow \{2, 3\} \{5, 2\} \\
 4 &\rightarrow \{2, 1\} \{5, 3\} \\
 5 &\rightarrow \{2, 6\} \{3, 2\} \{4, 3\}
 \end{aligned}$$

$d = 0$,
 $\text{node} = 0$ $\xrightarrow{+4}$ $\text{node} = 1$
 $\text{dist} = 4$

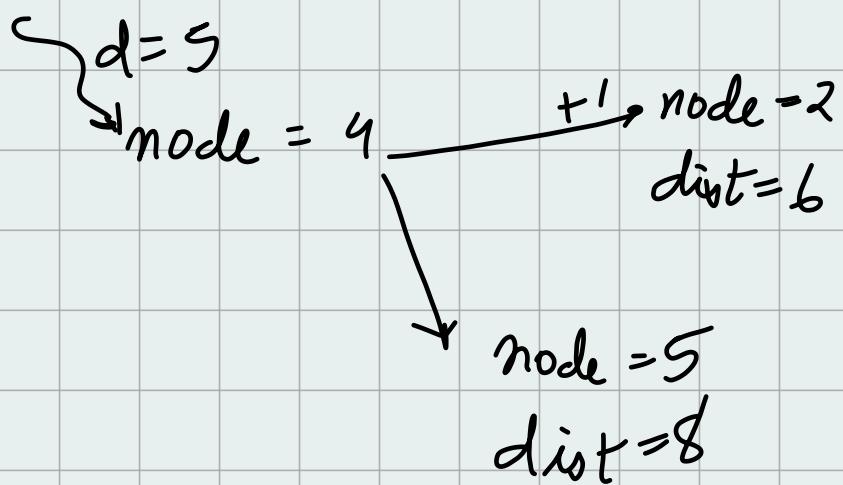
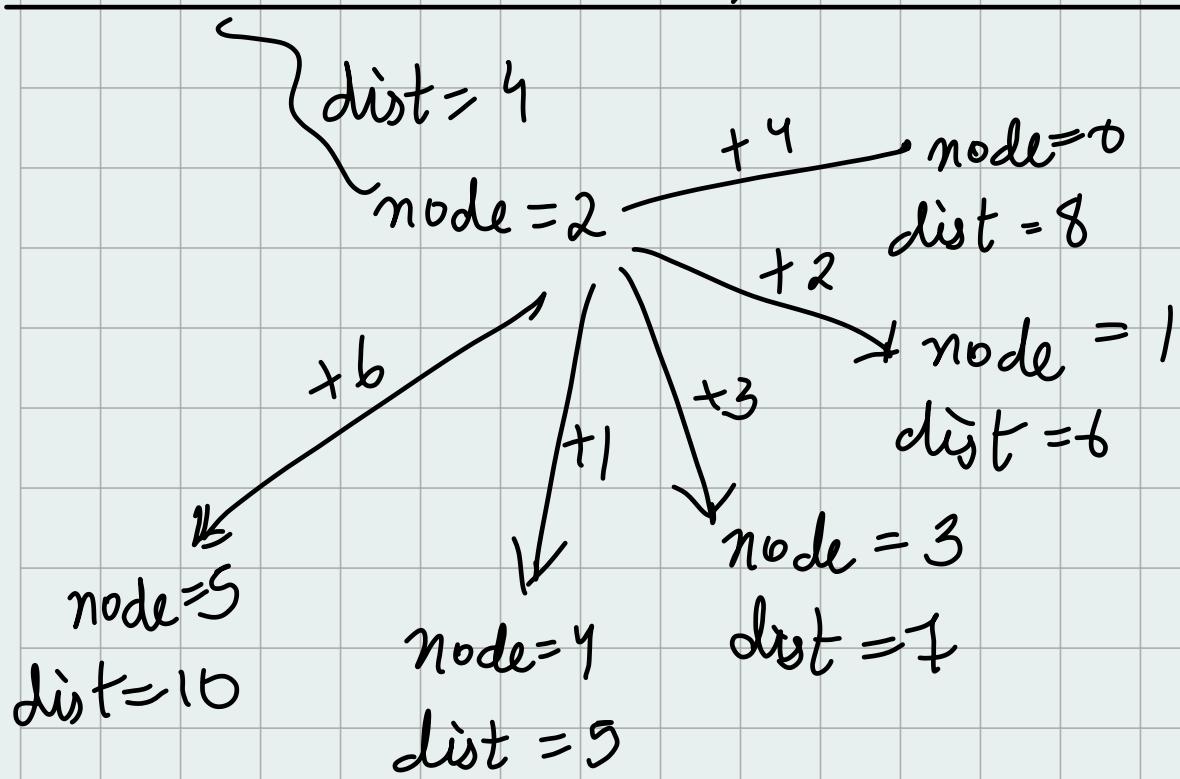
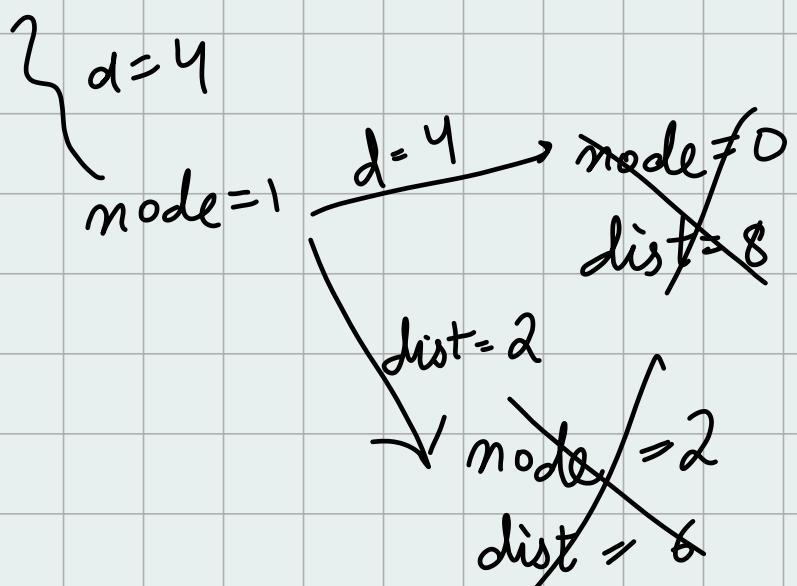
$\text{node} = 2$
 $\text{dist} = 4$

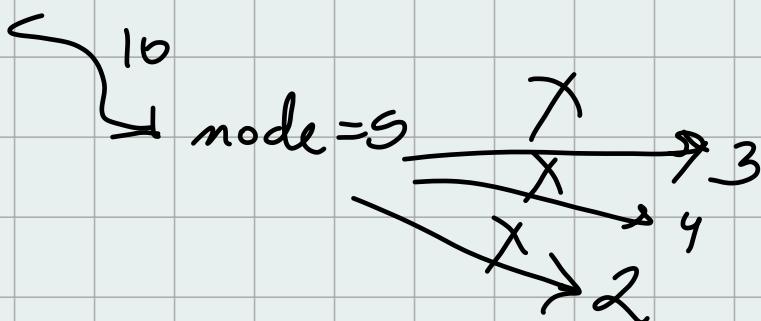
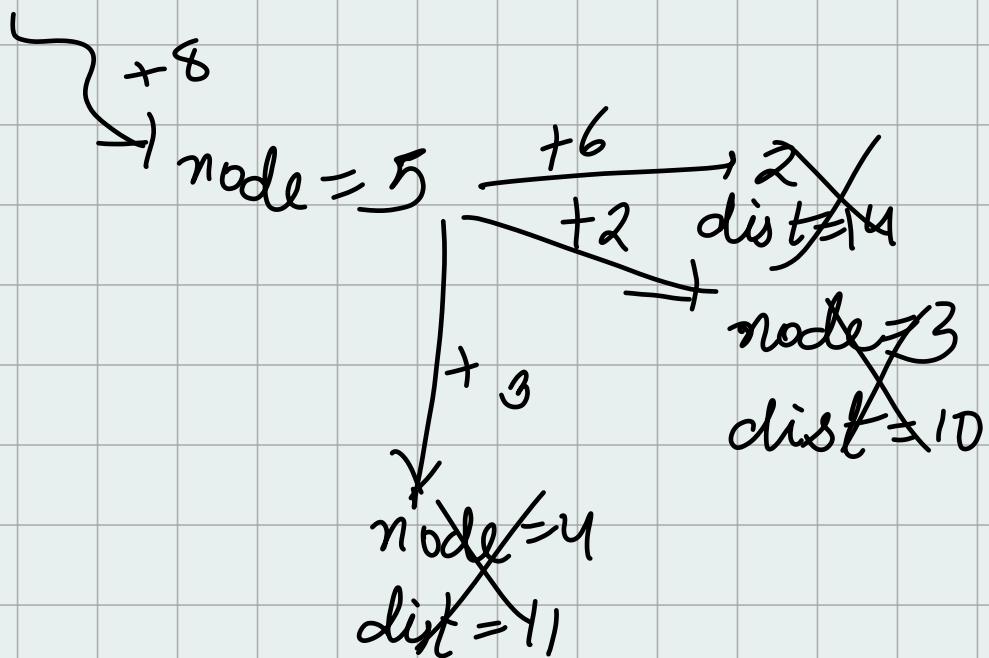
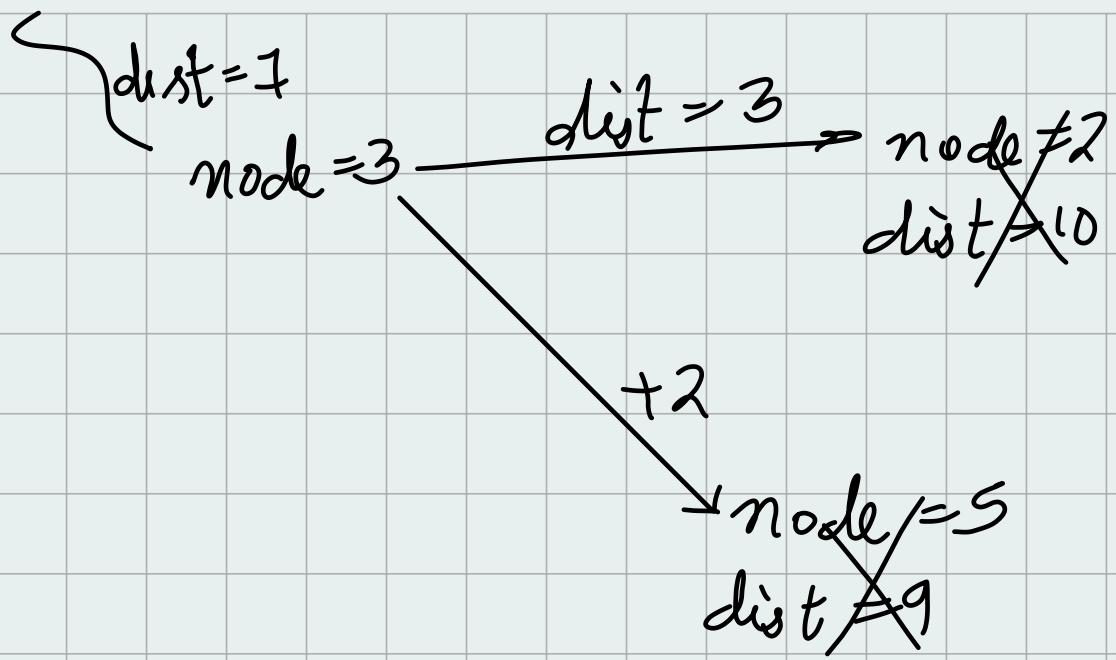
(2, 5)
(1, 5)
(5, 4)
(1, 3)
(1, 2)
(4, 1)
(0, 0)

taking out lesser distance
node first in ascending
order (min heap) by

min-heap
 $(\text{dist}, \text{node})$

dist []	0	100	200	300	400	1000	8
	0	1	2	3	4	5	





class Solution {

```

static int [ ] dijkstra ( int v, ArrayList<
ArrayList < ArrayList < Integer >> adj, int s )
    
```

// create a priority queue for storing the nodes as a pair {distance, node}
// where distance is the dist from src to node

Priority Queue <Pair> pq = new Priority Queue<
<>((x,y) → x · distance - y ·
distance);

int[] dist = new int[v];

Arrays.fill(dist, Integer.MAX_VALUE);

dist[S] = 0

pq.add(new Pair(0, S));

while (!pq.isEmpty()) {

int dis = pq.peek().distance;

int node = pq.peek().node;

pq.remove();

// check for all adjacent Nodes that popped
out element whether the prev dist is
// larger than current or not

for (int i = 0; i < adj.get(node).size(); i++) {

int edgeWeight = adj.get(node).get(i) - get(i);

List<List<List<Integer>>
get(i) get(j) get(i)

int node = adj.get(node).get(i).get(0);

// if current distance is smaller than put it
into the queue

i) (dist[adjNode] > dis + edgeWeight)
dist[adjNode] = dis + edgeWeight;
pq.add(new Pair(dist[adjNode],
adjNode));

} } }

return dist;

} }

Class Pair {

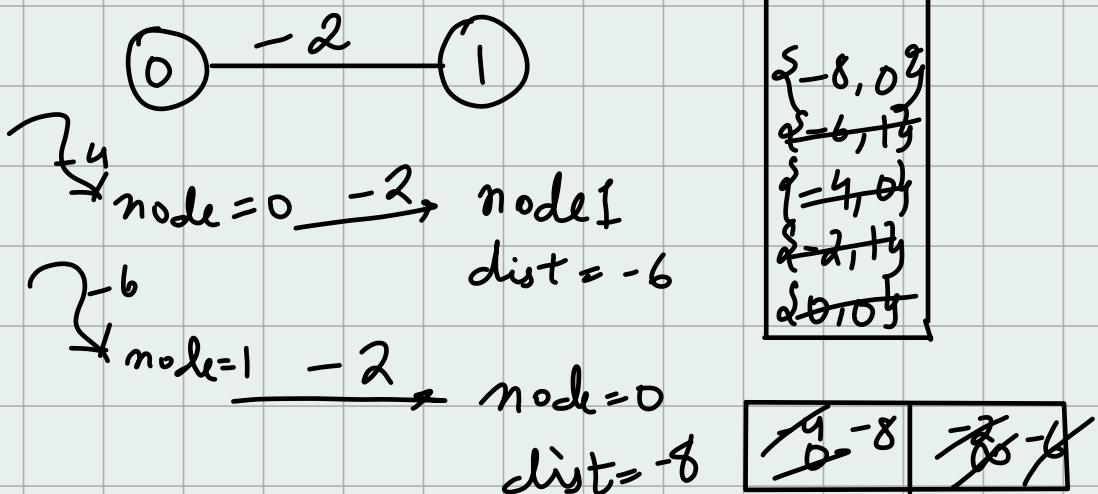
int node;
int distance;

public pair (int distance, int node) {
 this.node = node;
 this.distance = distance;

3
3
3

Note: The dijkstra's algorithm won't work for negative weight cycle.

* Because of this it will fall in infinite loop.



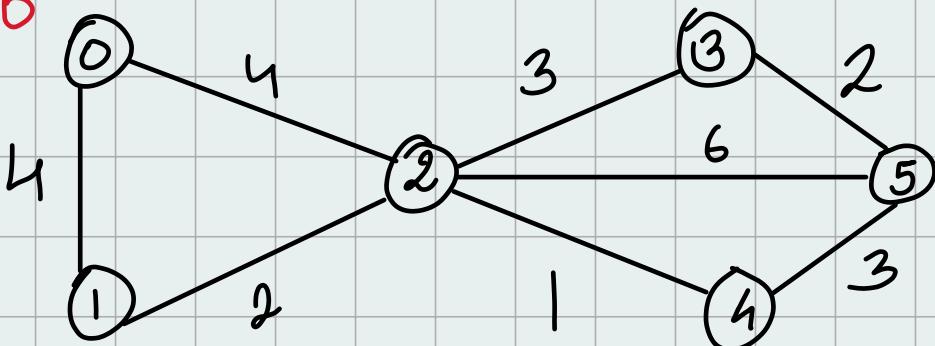
Time Complexity: $E \log V$

Total number of edges

Total number of nodes

*Q) Dijkstra's Algorithm - Using set

~~src = 0~~

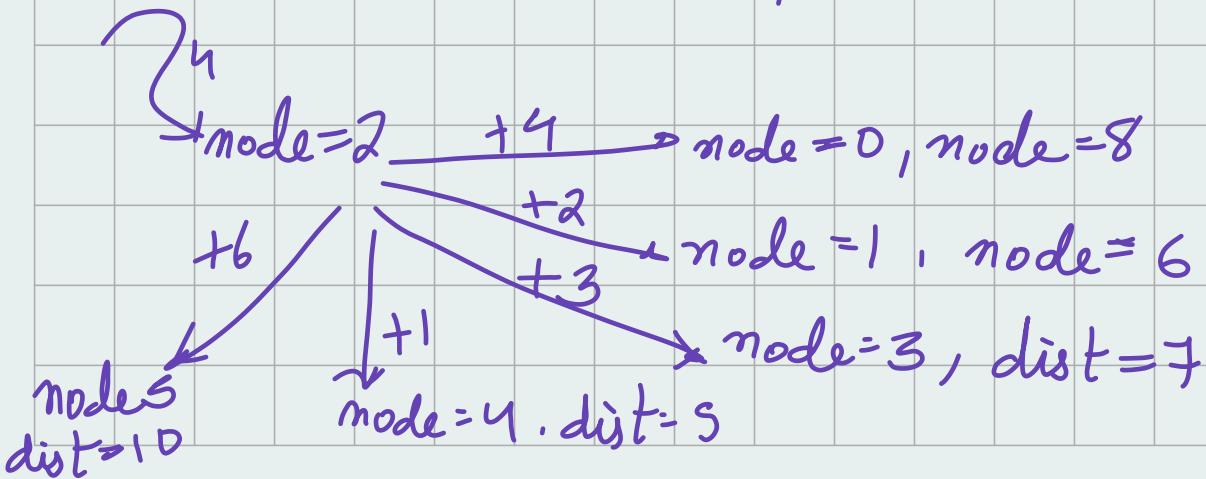
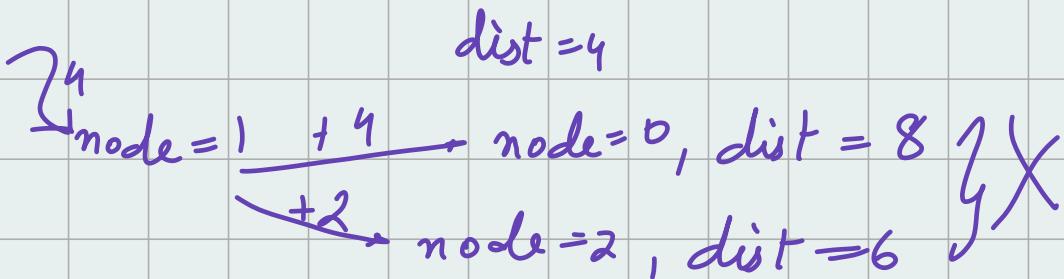
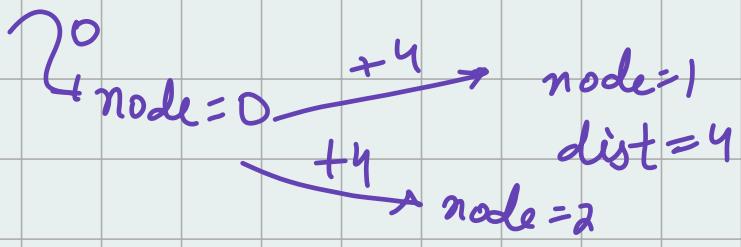


d[0,0]y
d[4,1]y
d[4,2]y
d[5,1]y
d[5,3]y
d[10,5]y

$\text{dist}[] = \boxed{0 \ | \ \cancel{0}4 \ | \ \cancel{0}4 \ | \ 08 \ | \ 08 \ | \ 08 \ | \ 10}$

Set DS stores the element in ascending order. The smallest would be at the top.

Set DS
(dist, node)



node = 5 → node = 2, dist = 6
 → node = 5, dist = 8

Now $\{10, 5\}$ is already in the set and dist 10 is there in node 5 it means someone already reached 5 with a distance 10.

But we got a better distance than 10 which is 8 in node 5 so set will erase the $\{10, 5\}$ and keep the $\{8, 5\}$ in the set. This is what was missing in Priority Queue data structure. An extra (not needed) iteration using extra time of space complexity - set will ~~erase~~ already existing path. But it will take a logarithmic time to erase inside the set. So a minute difference in TC.

* In Java using TreeSet or a HashSet is not possible.

So no Set Code

* PQ Time complexity derivation

while ($! \text{pq}.\text{isEmpty}()$) → V

{

$\text{dis, node} = \text{pop}() \rightarrow \log(\text{heap size})$
 for (iterate on adjacentNodes)
 {

if (conditional check)
 {
 update dist,
 y Push/add in pq
 y y

$O(V \times (\text{pop vertex from min heap} + \text{no of edges on each vertex} \times \text{push onto pq}))$

$O(V \times (\log(\text{heap size}) + \text{no. of edges} \times \log(\text{heap size})))$

$O(V \times (\log(\text{heap size}) \times ((V-1) + X)))$

$O(V \times V \log(\text{heap size}))$

$O(V^2 \times \log(\text{heap size}))$

$O(V^2 \times \log(V^2))$

$O(E \times 2 \times \log V) \approx O(E \log V)$

one vertex can have $(V-1)$ edges.

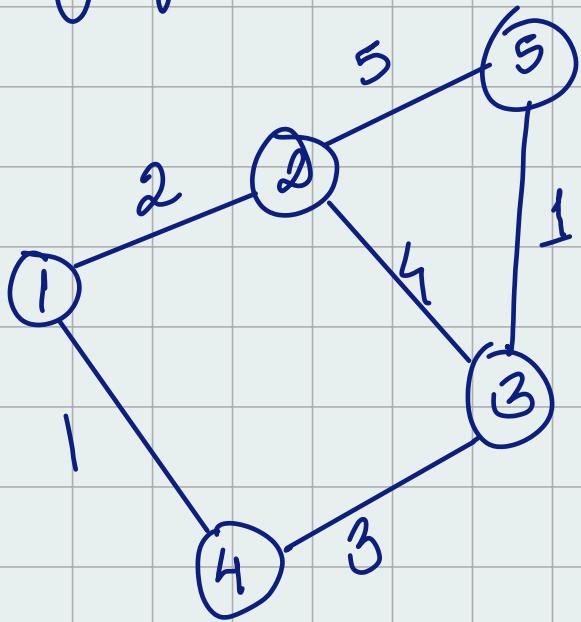
$$E = V^2$$

Total edges

$$O(E \log V)$$

$$V \times (V-1) \geq V^2 \rightarrow E \text{ (Total number of edges)}$$

Q) Shortest Path in weighted undirected graph (Print the shortest Path)



$$\text{src} = 1$$

destination = 5

shortest path :-

$$[1 \rightarrow 4 \rightarrow 3 \rightarrow 5]$$

or else

~~[-1]~~ [8] not possible
shortest path then return
~~-1.~~

To remember path we have to maintain a parent[] and back track it

parent [1 | 1 | 2 | 4 | 3 | 1 | 4 | 2 | 5 | 3]

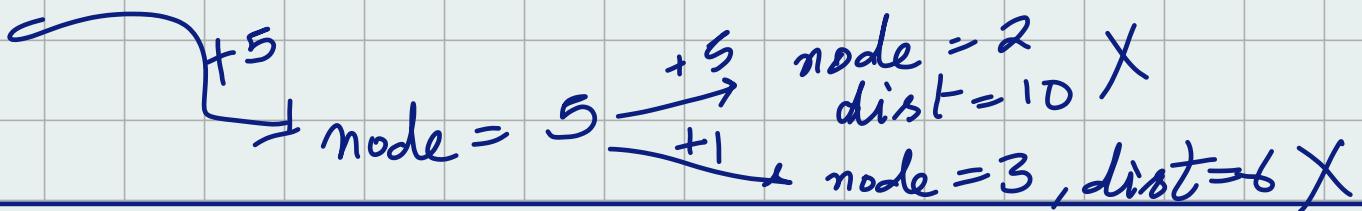
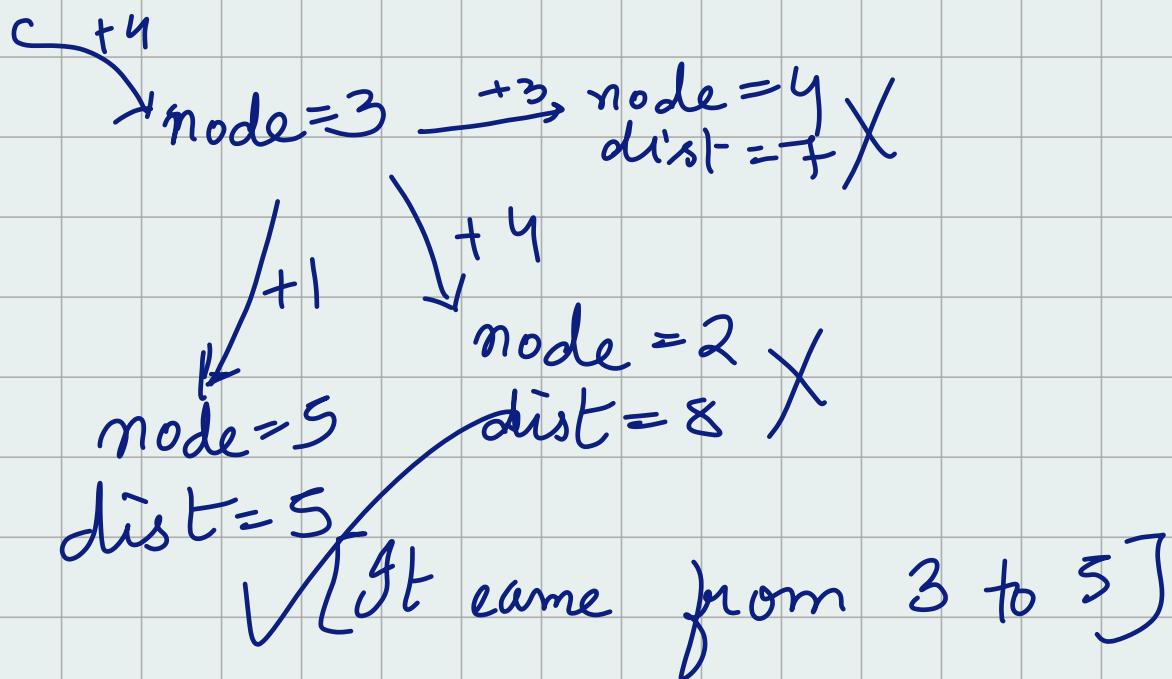
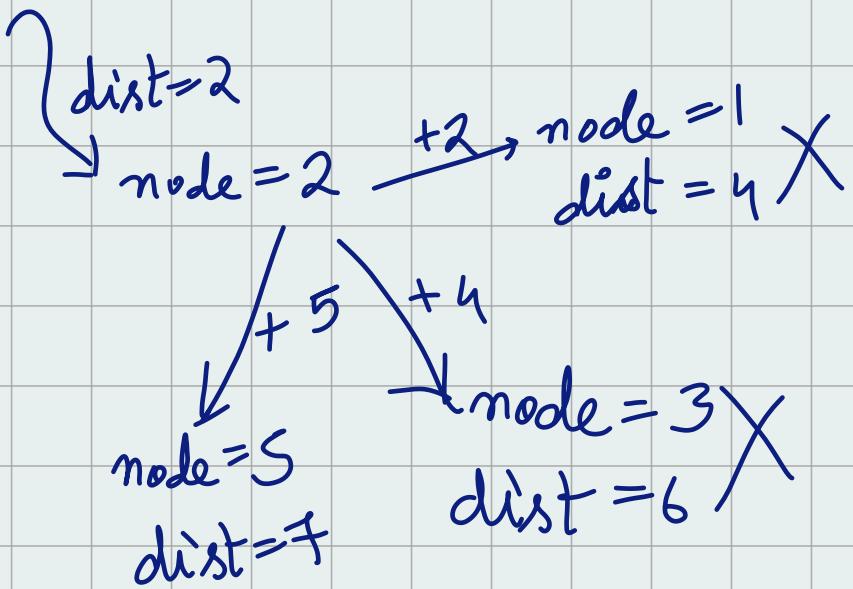
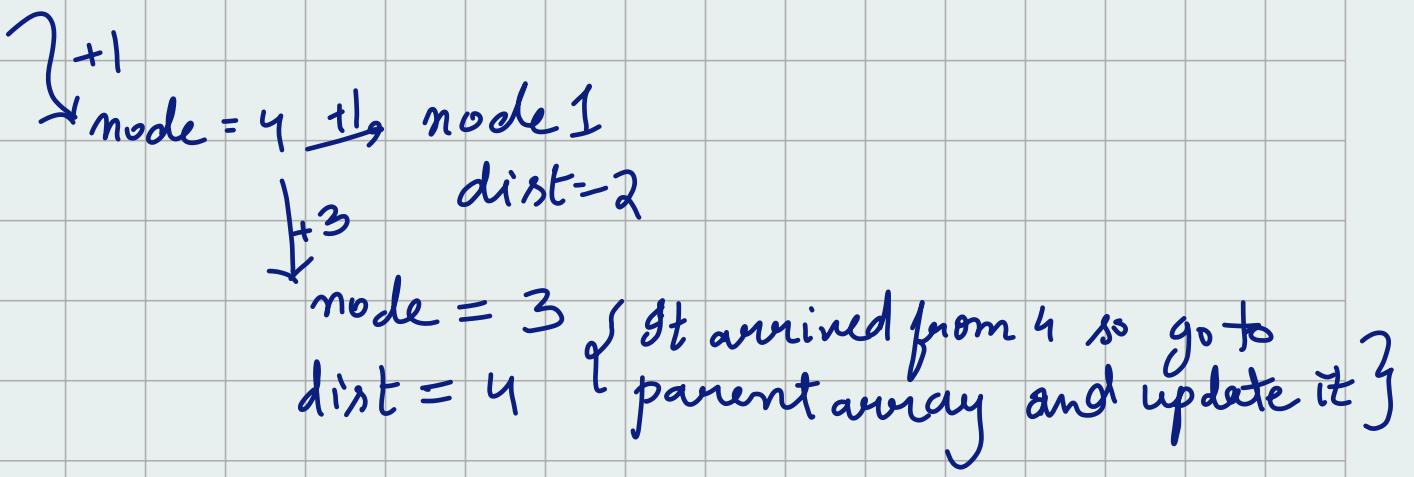
src = 1

list [] [0 | 0 | 0 | 0 | 0 | 0]
 1 2 3 4 5

~~1, 5, 4~~
~~2, 3, 5~~
~~2, 4, 3~~
~~1, 4, 2~~
~~2, 2, 1~~
~~1, 1, 1~~

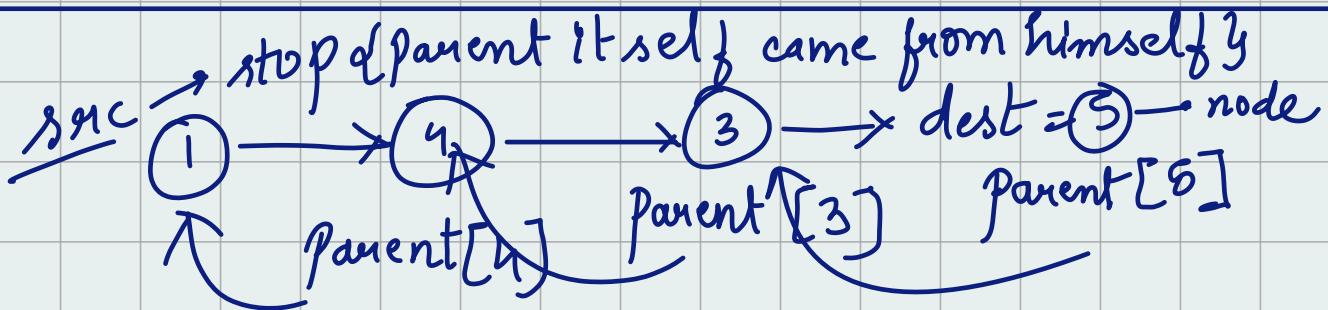
node 1 $\xrightarrow{+2}$ node 2 (came from 1)
 dist = 2
 update 2 to 1
 + 1
 node 4
 dist = 1

PO
 (dist, node)



\leftarrow
 ++
 $\text{node} = 5$

It will yield me nothing as we saw {5, 5} above).



$\text{node} = \emptyset$ $\text{arr} \rightarrow [] 5 3 4$ break
 $\text{while } (\text{parent}[\text{node}] \neq \text{node}) \{$
 // store the node

$\text{arr_add}(\text{node})$

$\text{node} = \text{parent}[\text{node}]$

3

$\text{arr_add}(\text{src});$ // add it manually

$\text{collection_reverse}(\text{arr});$

$\underline{\underline{\{1 \rightarrow 3 \rightarrow 4 \rightarrow 5\}}}$

* Code

```
public class PointPath{
```

```
    public static List<Integer> shortestPath(
```

int n, int m, int[][] edges){

```
        ArrayList<ArrayList<Pair>> adj =
```

new ArrayList<>();

```
        for (int i=0, i<=n, i++) {
```

```
            adj.add(new ArrayList<>());
```

```
}
```

```
        for (int i=0; i<m; i++) {
```

```
            adj.get(edges[i][0]).add(
```

```
                new Pair(edges[i][1], edges[i][2]));
```

```
            adj.get(edges[i][1]).add(new Pair(
```

```
                edges[i][0], edges[i][2])),
```

```
}
```

```
// create a priority Queue for storing the  
nodes along with distances in the form of  
a pair {dist, node}
```

Priority Queue < pair $pq = new$
Priority Queue < $\rightarrow ((x,y) \rightarrow x \cdot \text{first} -$
 $y \cdot \text{first});$

int[] dist = new int[n+1] // from 1 to N
int[] parent = new int[n+1] // from 1 to N.

Arrays.fill(dist, Integer.MAX_VALUE);

for (int i = 0; i <= n; i++) {
 parent[i] = -1;

}

dist[1] = 0;

pq.add(new pair(0, 1));
// distance 0, node 1

while (!pq.isEmpty()) {

pair it = pq.peek();

int dis = it.distance;

int node = it.node;

pq.poll();

```
for (pair iter : adj.get(node)){  
    int adjNode = iter.node;  
    int edgeWeight = iter.distance,  
        if (dis + edgeWeight < dist[  
            adjNode]) {
```

dist[adjNode] = dis + edgeWeight;

pq.add(new Pair(dis + adjNode));

}

}

}

List<Integer> path = new ArrayList<>();

if (dist[n] == Integer.MAX_VALUE){

path.add(-1),

return path;

}

// backtracking the path $O(N) + E \log V$

int node = n;

while (parent[node] != node){
 path.add(node);
 node = parent[node];

}

path.add(1),

Collections.reverse(path);

return path,

Y

Y

* Shortest Distance in a Binary maze

	0	1	2	3
0	1	1	1	1
1	1	1	0	1
2	1	1	1	1
3	1	1	0	0
4	1	0	0	0

Dijkstra's
Algorithm

Distⁿ

It can only
travel in 4
directions

(3, (1, 3))
(2, (1, 0))
(2, (2, 1))
(2, (0, 3))
(1, (0, 0))
(1, (1, 1))
(1, (0, 2))

As the distⁿ is in the increasing fashion
order simple Queue is efficient. Cause

the log(N) is
not added in
the J.C. now

Priority Queue
{dist, row, col}

	0	1	2	3
0	∞	0	∞	∞
1	0	2	1	∞
2	0	9	0	3
3	0	0	0	0
4	∞	∞	∞	∞

dist [] []

1

(0, 3) → (0, 3)
+1
dist = 2

(1, 2)
dist = 2

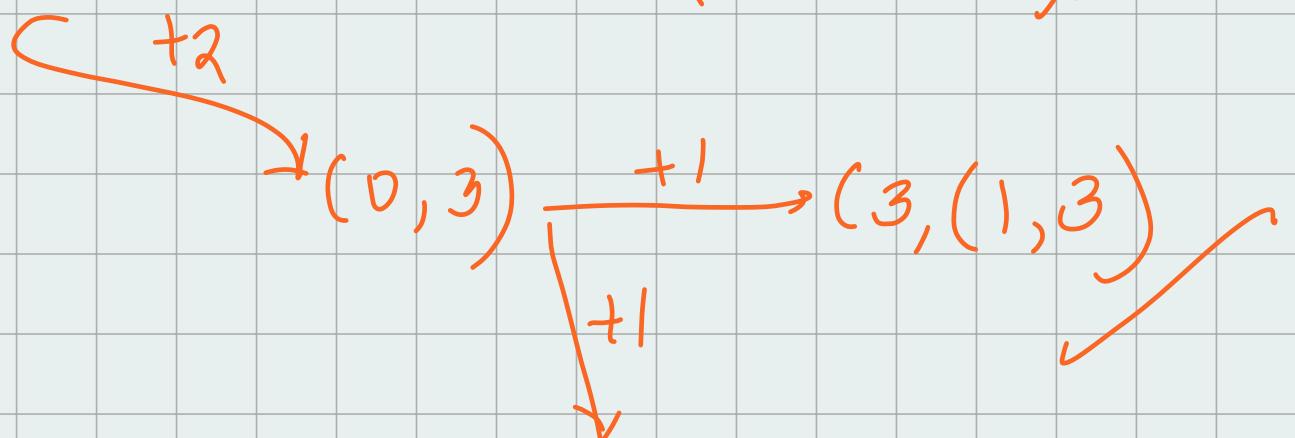
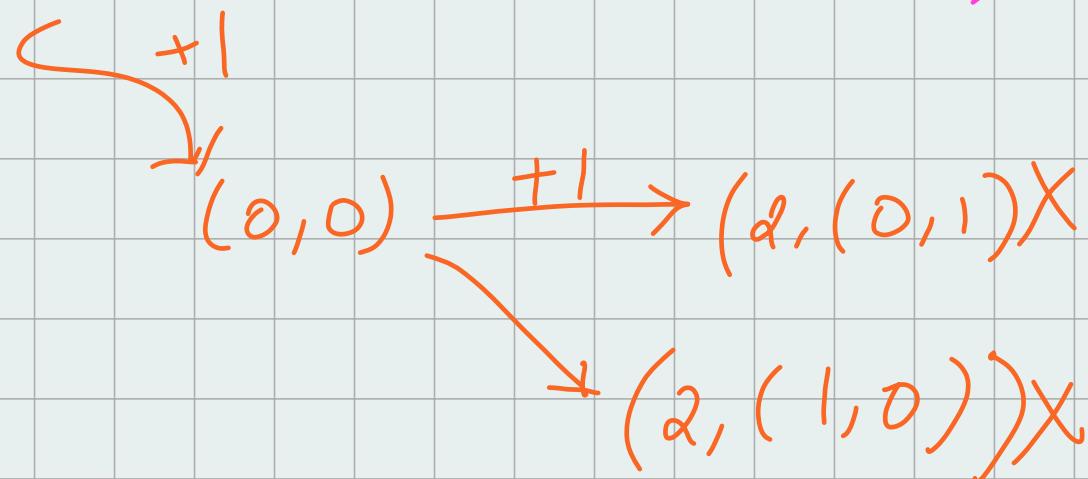
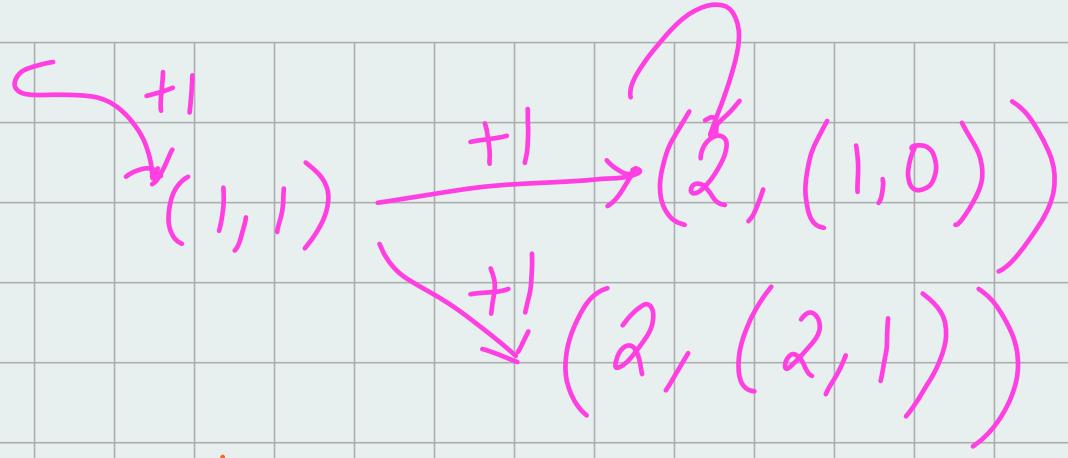
(0, 0)
dist = 1

+0

(0, 1) → (0, 2)
+1
dist = 1

X cannot
be consider

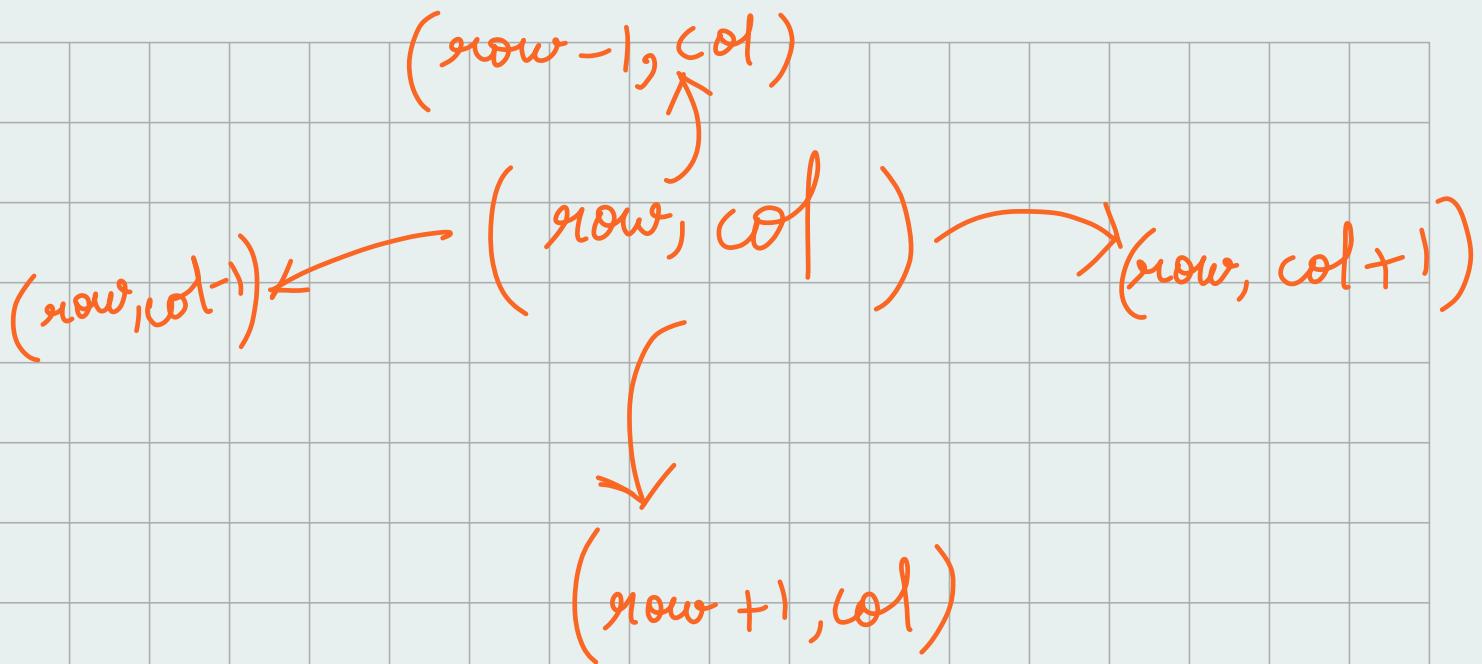
+1
(1, 1)
dist = 1



Already reachable with a distance of 1.



d=3 \rightarrow ans $(3) (2, 2)$



$\text{del row}[] = \{-1, 0, 1, 0\}$

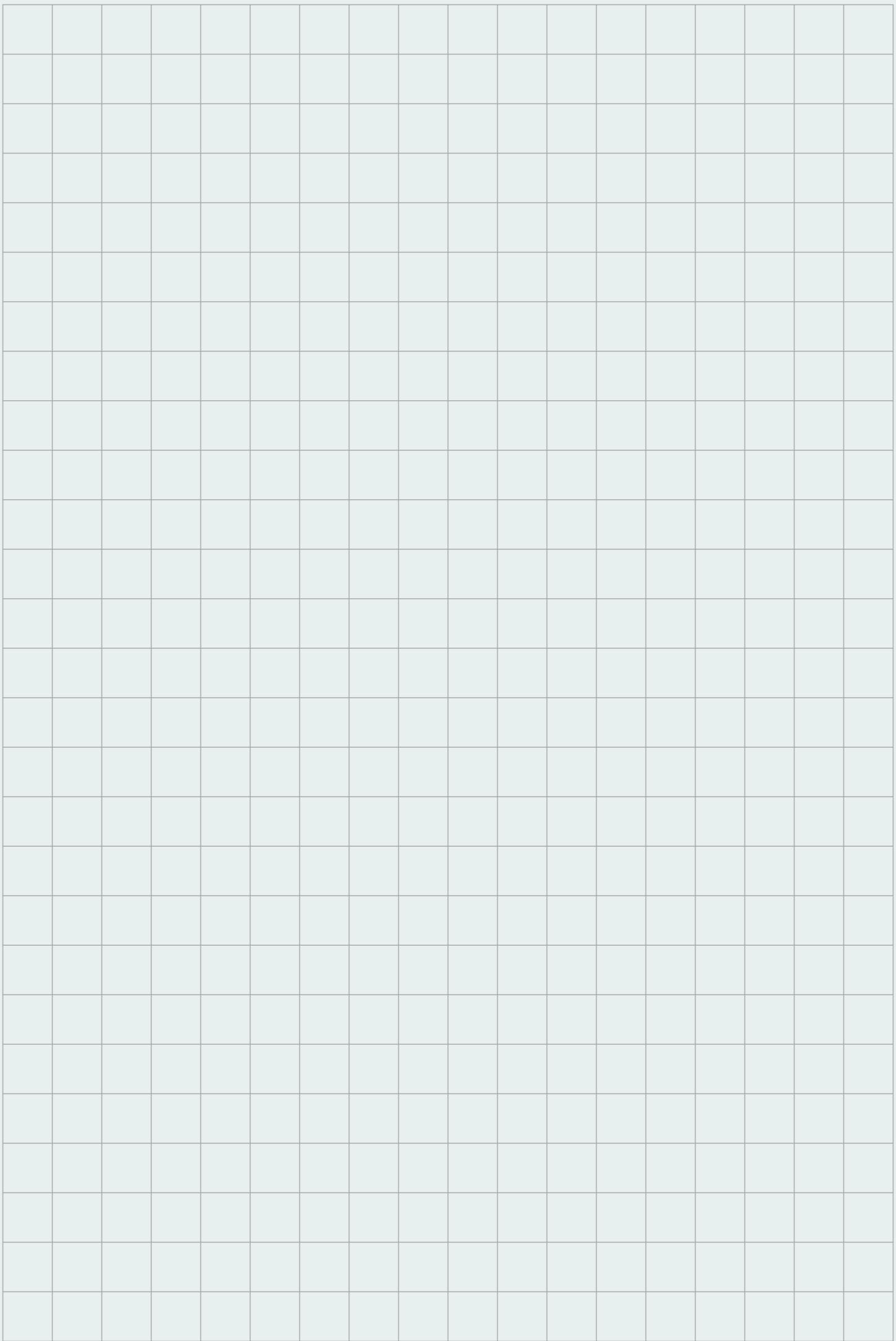
$\text{del col}[] = \{0, +1, 0, -1\}$

index → 0 1 2 3

Code ↴

public class shortestDistance{

int shortestPath(int[]



* Path with minimum effort ?

1	2	2
3	8	2
5	3	5

Source

* Max of all difference in the path is the effort

Destination

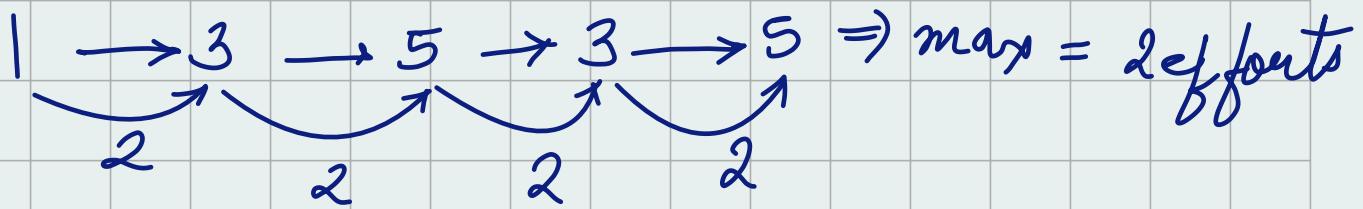
1 → 2 → 2 → 2 → 5 $\Rightarrow \max = 3$ effort

(absolute)
difference

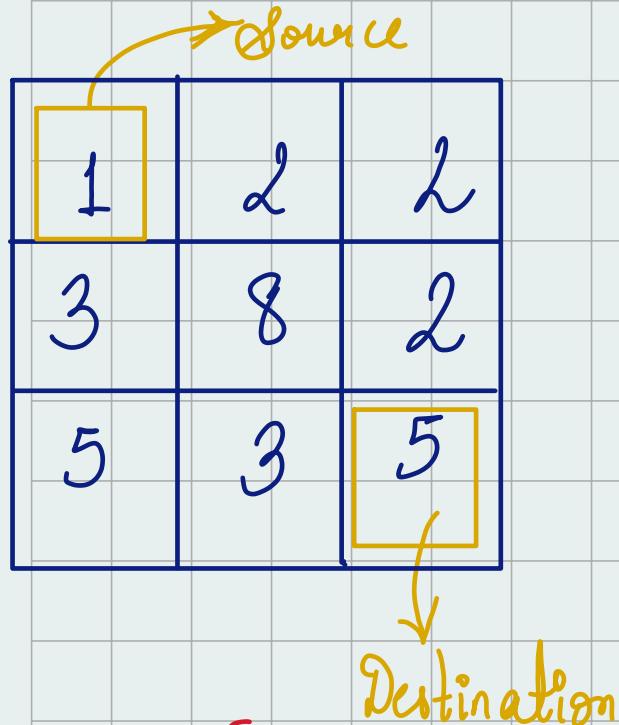
1 → 3 → 8 → 2 → 5 $\Rightarrow \max = 6$ effort

3

6



now, $\min(3, 6, 2) = \underline{\underline{2}} \text{ days}$

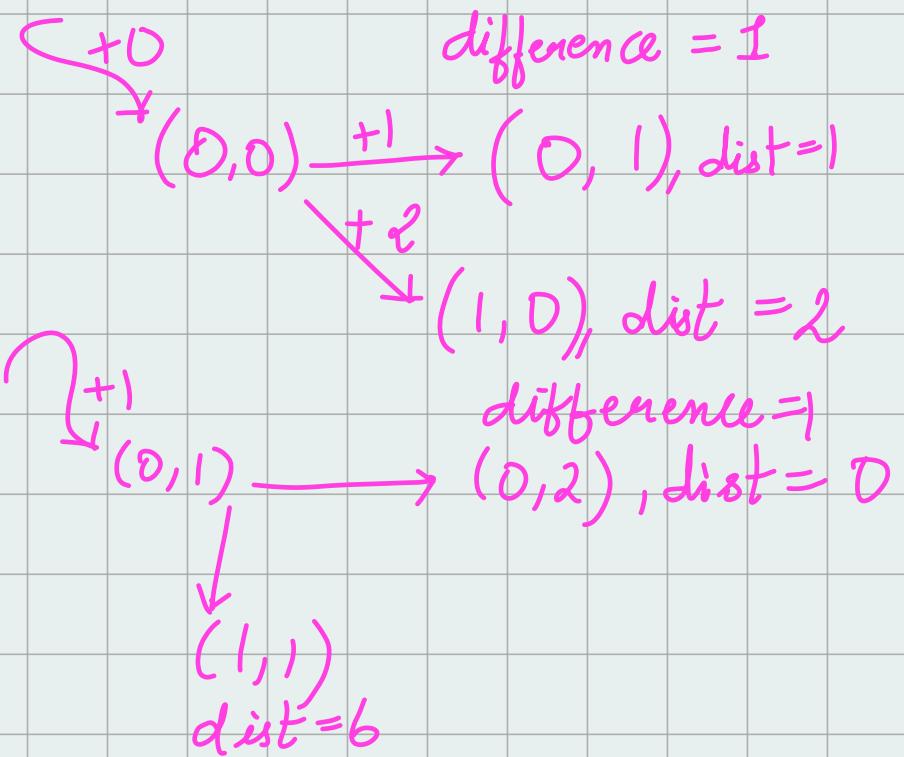


$\text{dist}[][]$

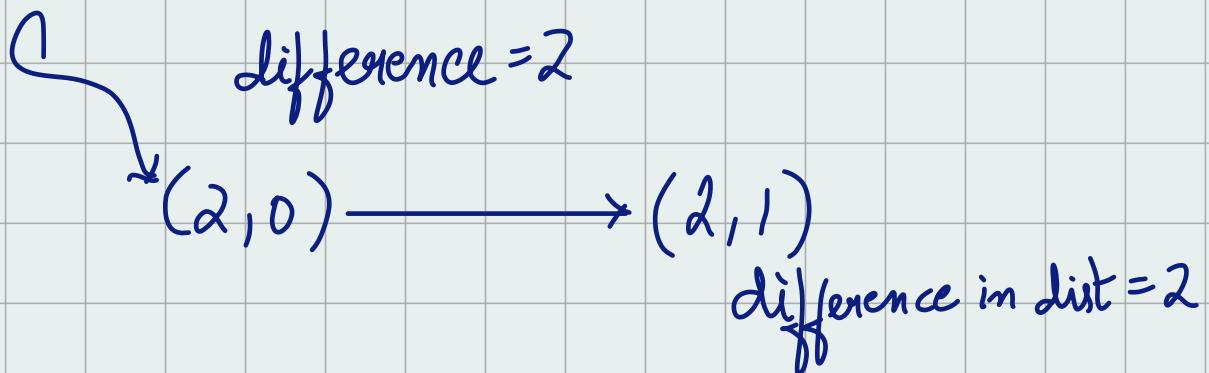
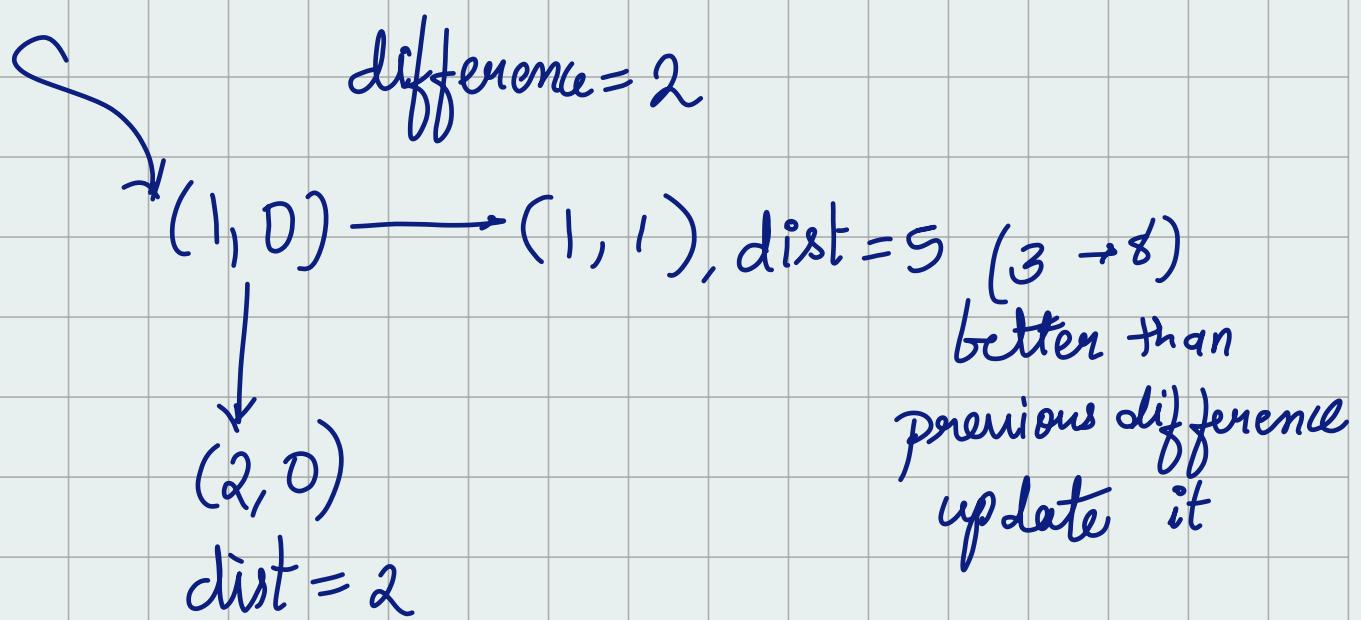
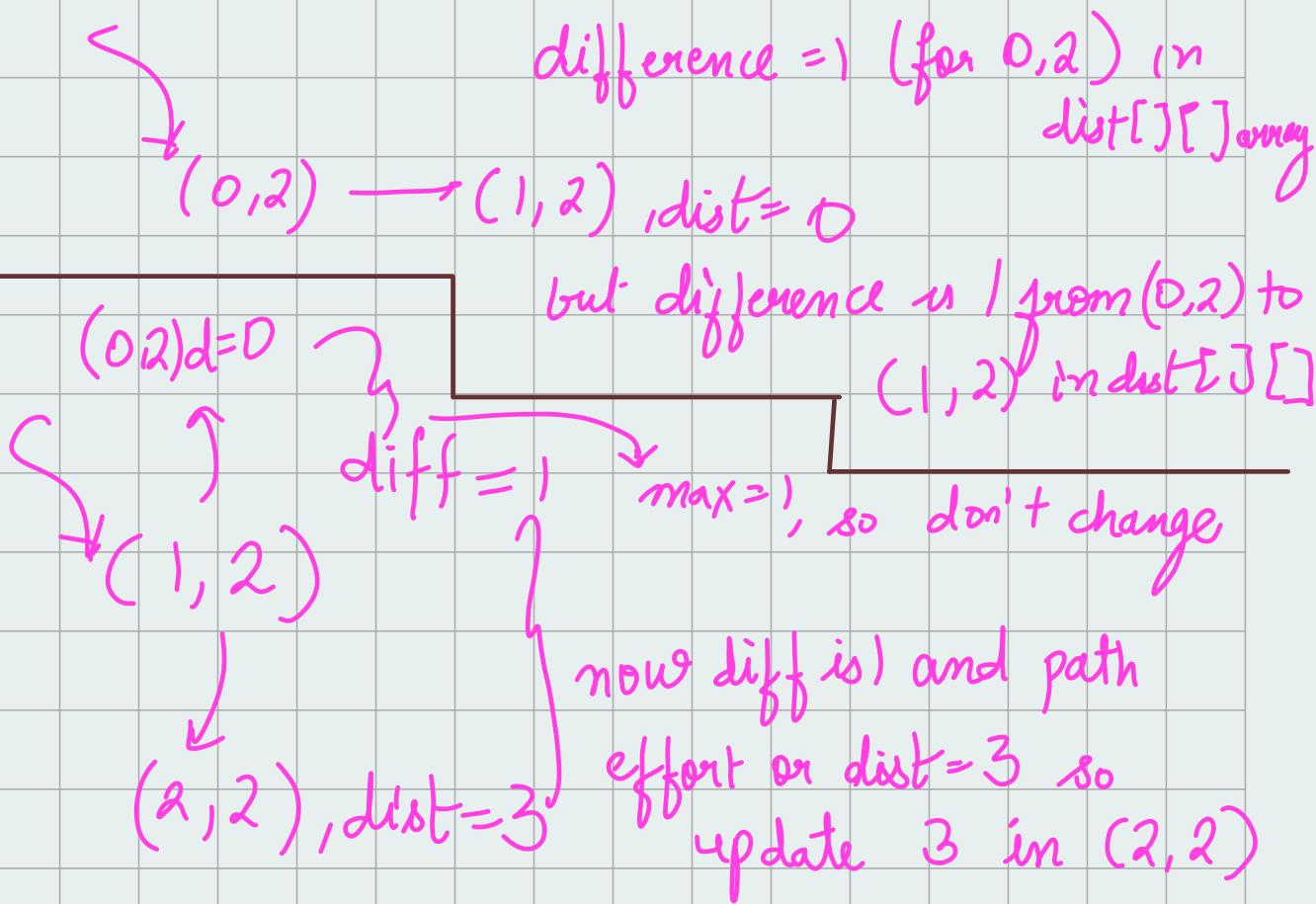
0	1	2	
0	0	001	001
1	002	5 / 006	001
2	002	002	003

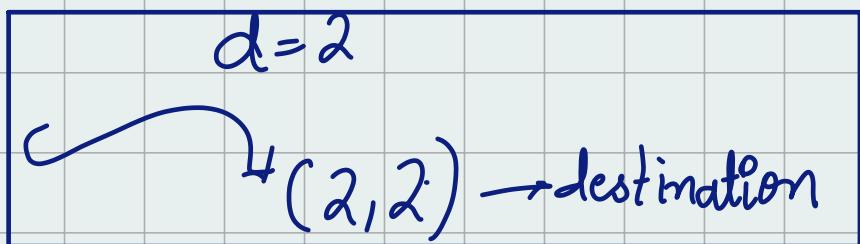
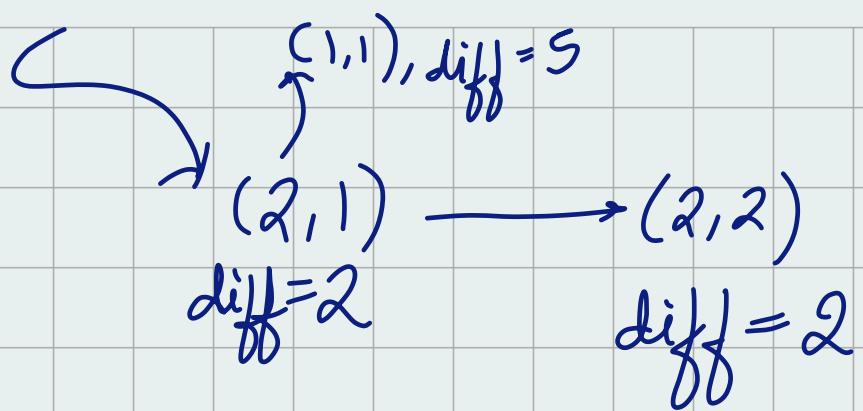
effort $\rightarrow \left\{ \begin{array}{l} \text{Max of all difference in the path} \\ \text{if } 00 \end{array} \right\}$

- ~~(2, (2, 2))~~
- ~~(2, (2, 1))~~
- ~~(2, (2, 0))~~
- ~~(5, (1, 1))~~
- ~~(3, (2, 2))~~
- ~~(1, (1, 2))~~
- ~~(6, (1, 1))~~
- ~~(1, (0, 2))~~
- ~~(2, (1, 0))~~
- ~~(1, (0, 1))~~
- ~~(0, (0, 0))~~



{ diff, Priority Queue (min heap)
 { diff, row, col }}





* check for destination while taking out of pq and not while inserting.

effort $\rightarrow 2$

Code :-

public class minimumEffort {

public int minimumEffortPath (int rows,
int columns, int[][] heights) {

Priority Queue < Tuple > pq = new

Priority Queue $\langle \rangle((a, b) \rightarrow a \cdot \text{distance} - b \cdot (\text{distance}))$;

int $n = \text{heights.length}$;
int $m = \text{heights[0].length}$,

int $[\text{] } [\text{] } \text{distance} = \text{new int } [n][m]$,

for (int $i=0$; $i < n$; $i++$) {

 for (int $j=0$; $j < m$; $j++$) {

 distance $[i][j] = \text{Integer.}$

 MAX_VALUE;

y

}

 distance $[0][0] = 0$,

 pq.add(new Tuple(0, 0, 0)),

 int $[\text{] } \text{delRow} = \{ -1, 0, 1, 0 \}$;

 int $[\text{] } \text{delCol} = \{ 0, 1, 0, -1 \}$;

// $n * m$

while (!pq.isEmpty()) {

Tuple itr = pq.poll();

int diff = itr.distance;

int row = itr.row;

int col = itr.col;

// 4 directions

for (int i = 0; i < 4; i++) {

int newRow = row + delRow[i];

int newCol = col + delCol[i];

if (newRow == n - 1 && newCol == m - 1) {

return diff;

}

} (newRow >= 0 && newCol >= 0
&& newRow < n && newCol < m)

{

int newEffort = Math.max

(diff, Math.abs(heights[newRow][newCol] - heights[newRow][newCol])));

if (newEffort < distance[newRow][newCol]) {

distance[newRow][newCol] = newEffort;

pq.add(new Tuple(newEffort, newRow, newCol));

} } }

return D;

} }

class Tuple {

```
int distance;  
int row,  
int col;
```

```
public tuple( int distance, int row, int col ) {
```

```
    this.distance = distance;
```

```
    this.row = row;
```

```
    this.col = col;
```

}

}

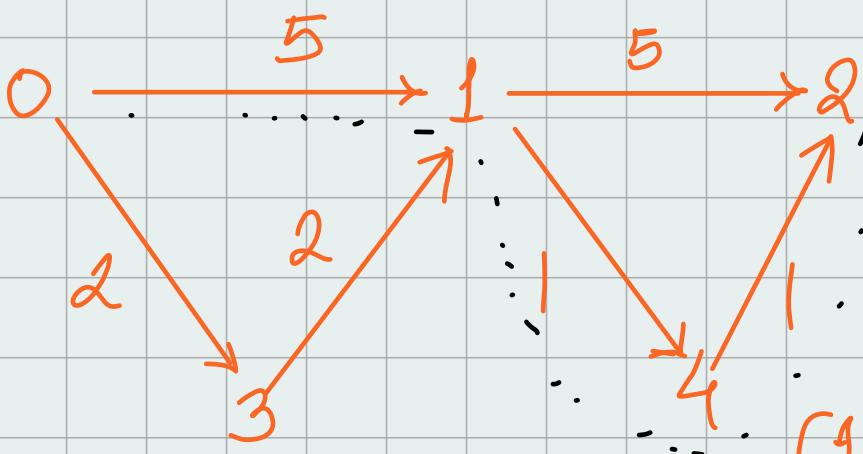
Q) Cheapest flights within k stops.

src = 0

dest = 2

$k = 2$

Here storing shortest distance will not work cause we have to complete maximum 2 stops in between, 3 taking the last destination. In Priority Queue the dist array will stop the algorithm and return the intermediate ans even if the passenger not completely went to dest. Queue will work perfectly



$\text{src} = 0$
 $\text{dest} = 2$
 $k = 2$

(Including des^n)
 $\text{stops} \leq 3$

src	0	1	2	3	4	dest
	0	5	10	100	1000	5

~~{3, 4, 5}~~
~~{3, 2, 7}~~
~~{2, 1, 4}~~
~~{1, 6}~~
~~{2, 2, 10}~~
~~{1, 3, 2}~~
~~{1, 5}~~
~~{0, 0, 0}~~

$\text{node} = 0 \xrightarrow{+5} \text{node} = 1$
 $\text{dist} = 5$
 $\text{stop} = 1$

$\text{node} = 0 \xrightarrow{+2} \text{node} = 3$
 $\text{dist} = 2$
 $\text{stop} = 1$

{ $\text{stops}, \text{node}, \text{dist}^n$ }

$\text{node} = 1 \xrightarrow{+5} \text{node} = 2$
 $\text{dist} = 10$
 $\text{stop} = 2$

$\text{node} = 1 \xrightarrow{+1} \text{node} = 4$
 $\text{dist} = 6$
 $\text{stop} = 2$

$\text{stop} = 1$ { previously }

+2
node = 3 +2 → node =)
stop = 1 dist = 4
 stop = 2

→ No need to go for $(2, 2, 10)$ already reached
go for next item in Queue

Diagram illustrating a connection between two nodes:

- Left node: $\text{node} = 4$, $\text{stops} = 2$
- Right node: $\text{node} = 1$, $\text{dist} = 7$, $\text{stops} = 3$

A curved arrow labeled $t+b$ points to the left node. An arrow points from the left node to the right node. A large red \times is drawn over the entire diagram.

+ 1
↓
node = 2
dist = 7
stops = 3

\rightarrow \curvearrowleft $+4$ $(k > \text{stops}) \text{ continue}$

node = 1 $\xrightarrow{+5}$ node = 2
 stop = 2 dist = 5 stop = 3 X
 ↓
 +1
 node = 4 dist = 5 stop = 3 X

$d = 7$
 $+1$
 node = 2
 stops = 3 } no more going forward
 reached the destination

Code :-

public class cheapestFlight{

public int CheapestFlight (int n, int [][] flights,
 int src, int dst, int k){

\langle ArrayList < ArrayList < Pair >> adj = new
 ArrayList <>();
 \rangle

for (int i=0 ; i<n ; i++) {
 adj.add (new ArrayList <>());

}

// Fill adjacency list with flight data.

for (int [] flight : flights) {
 adj.get(flight[0]).add(
 new Pair (flight[1], flight[2]));

Queue < Tuple > q = new LinkedList < > (),

q.add (new Tuple (0, src, 0)),

int [] distance = new int [n],

Always fill (distance, Integer . MAX_VALUE).

distance [src] = 0 ;

while (! q . isEmpty ()) {

Tuple ite = q . poll ();

int stops = ite . stops ;

int node = ite . node ,

int cost = ite . cost ;

// continue if the number of steps
// is allowed neither the range

if (stops <= K) {

for (pair iter : adj . get [node]) {

ite adjNode = iter . node ;

iter edW = iter.distance;

if (cost + edW < distance[adjNode]) {

distance[adjNode] = cost + edW;

q.add(new Tuple(stops + 1, adjNode, cost + edW));

}

}

}

}

if (distance[dst] == Integer.MAX_VALUE) {
 return -1;

}

return distance[dst];

}

}

class Pair {

 int node;
 int distance;

 public Pair (int node, int distance) {

 this . node = node,

 this . distance = distance;

 }

}

class Tuple {

 int stops;
 int node;
 int cost;

 public Tuple (int stops, int node,
 int cost) {

 this . stops = stops;

 this . node = node;

 this . cost = cost;

 }

}

* Minimum multiplications to reach end.

$$\text{mod} = [100000]$$

$$\text{start} = 3$$

$$\text{end} = 30$$

$$\text{start} = 7 \quad \text{end} = 66175$$

$$\text{arr}[] = \{2, 5, 7\}$$

$$\text{arr}[] = \{3, 4, 65\}$$

$$\text{start} = 3 \xrightarrow{x2} 6 \xrightarrow{x5} \underline{\underline{30}}$$

$$\begin{aligned} \text{start} = 7 &\xrightarrow{x3} 21 \xrightarrow{x3} 63 \\ &\xleftarrow{x65} 4095 \xrightarrow{x65} 266175 \end{aligned}$$

→ now mod it number is
too big

$$\rightarrow 266175 \% 100000$$

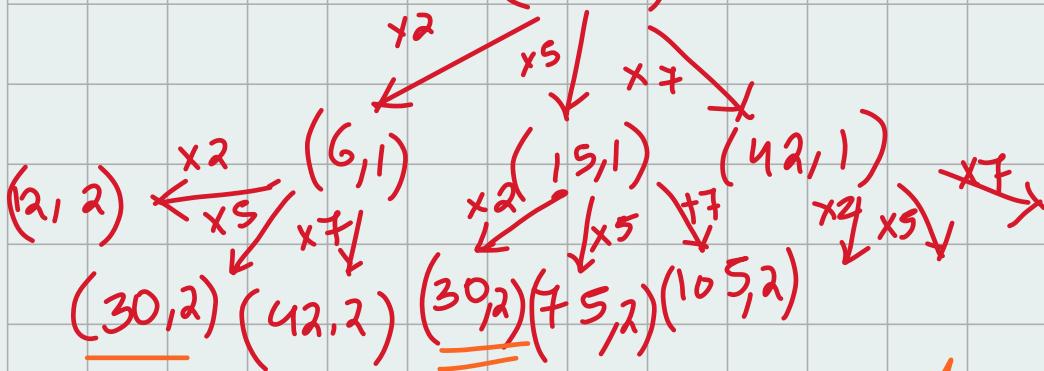
$$\text{ans } \underline{\underline{66175}}$$

$$\text{start} = 3$$

$$\text{arr}[] = \{2, 5, 7\}$$

$$\text{end} \rightarrow 30$$

$(3, 0) \rightarrow (\text{src, distance})$



$$\text{steps} = 2$$

$$\text{steps} = 2 \rightarrow \text{ans}$$

0, 1, 2, 3, 4, ... - 9998, 9999

start = 3, end = 75, mod = 1000000

arr = {2, 5, 7}

dist[]

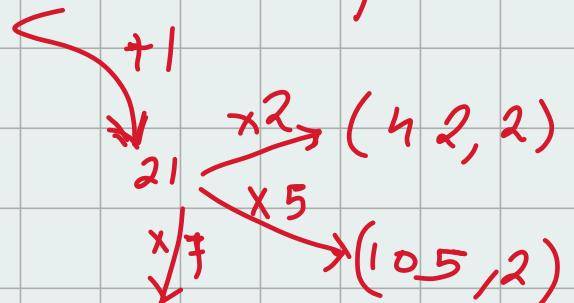
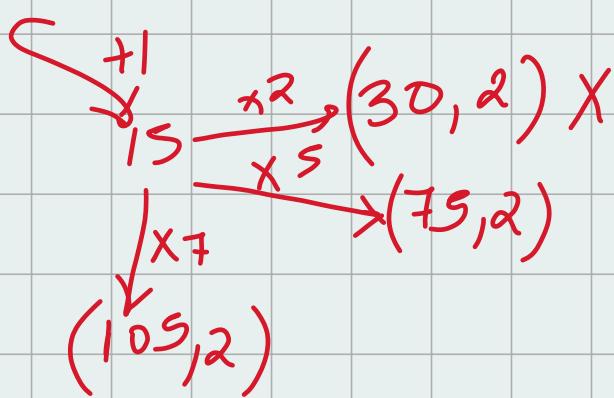
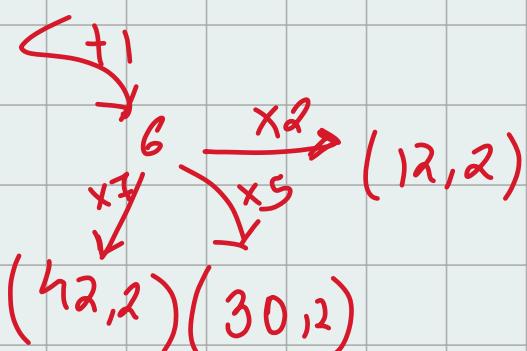
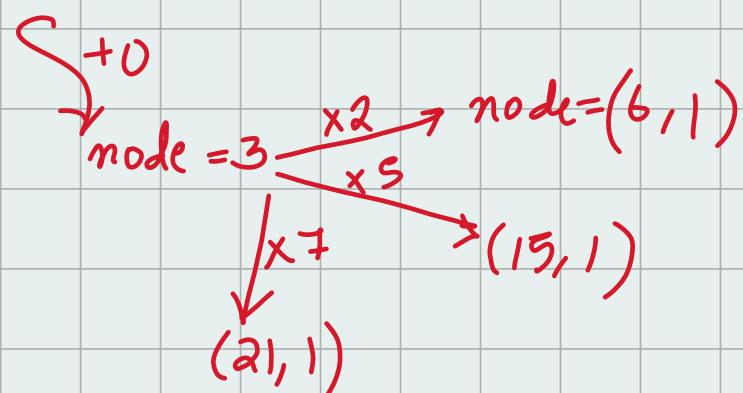
0	0	00	0	10	00	6	10	10	11	10	100
0	1	2	3	4	5	6	7	12	15	21	30

10^5

(2, 147)
(2, 105)
(2, 42)
(2, 105)
(9, 75)
(2, 30)

(2, 42)
(2, 30)
(2, 12)

(-, 21)
(-, 15)
(-, 6)
(0, 5)



Similarly → for 2 steps at 75 (147, 2)
will return with 2 steps'

