

5) The code below returns the number of zeros at the end of  $n!$  [factorial  $n$ ]

```
int zeros(int n)
{
    int res = 0;
    while (n!=0)
    {
        res += n/5;
        n /= 5;
    }
    return res;
}
```

$\text{int zeros(int } n) \{$

$\text{if } (n==0);$   
 $\text{return } 0;$

$\text{return zeros}(n/5) + n/5;$

$\}$

Rewrite this method recursively:

6. Write a recursive function that returns the product of the digits of its integer input parameter,  $n$ . You may assume that  $n$  is non-negative. For example,  $\text{productDigits}(243)$  should return 24, since  $2 \times 4 \times 3 = 24$ .

```
int productDigits (int n) {
```

$\text{if } (n==0)$

$\text{return } 1;$

$\text{return productDigits}(n/10) * n\%10;$

$\}$

7. Let us define the weighted sum of an integer array  $a[0], a[1], a[2], \dots, a[n-1]$  be  $a[0]*1 + a[1]*2 + a[2]*3 + \dots + a[n-1]*n$ . For example, the weighted sum of the array  $[5, 2, 6]$  would be  $5*1 + 2*2 + 6*3 = 27$ . Write a recursive function that takes in an array `numbers` and its length  $n$ , and returns its weighted sum. You can assume  $n$  is non-negative integer.

```
int weightedSum(int numbers[], int n) {
```

$\text{if } (n==0)$

$\text{return } 0;$

$\text{return numbers}[n-1]*n + \text{weightedSum}(\text{numbers}, n-1);$

$\}$