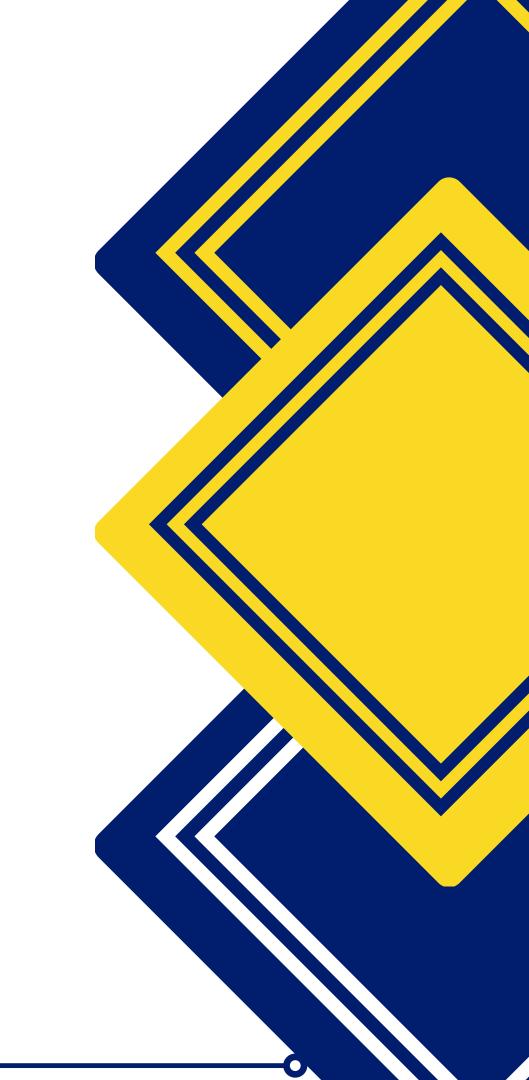
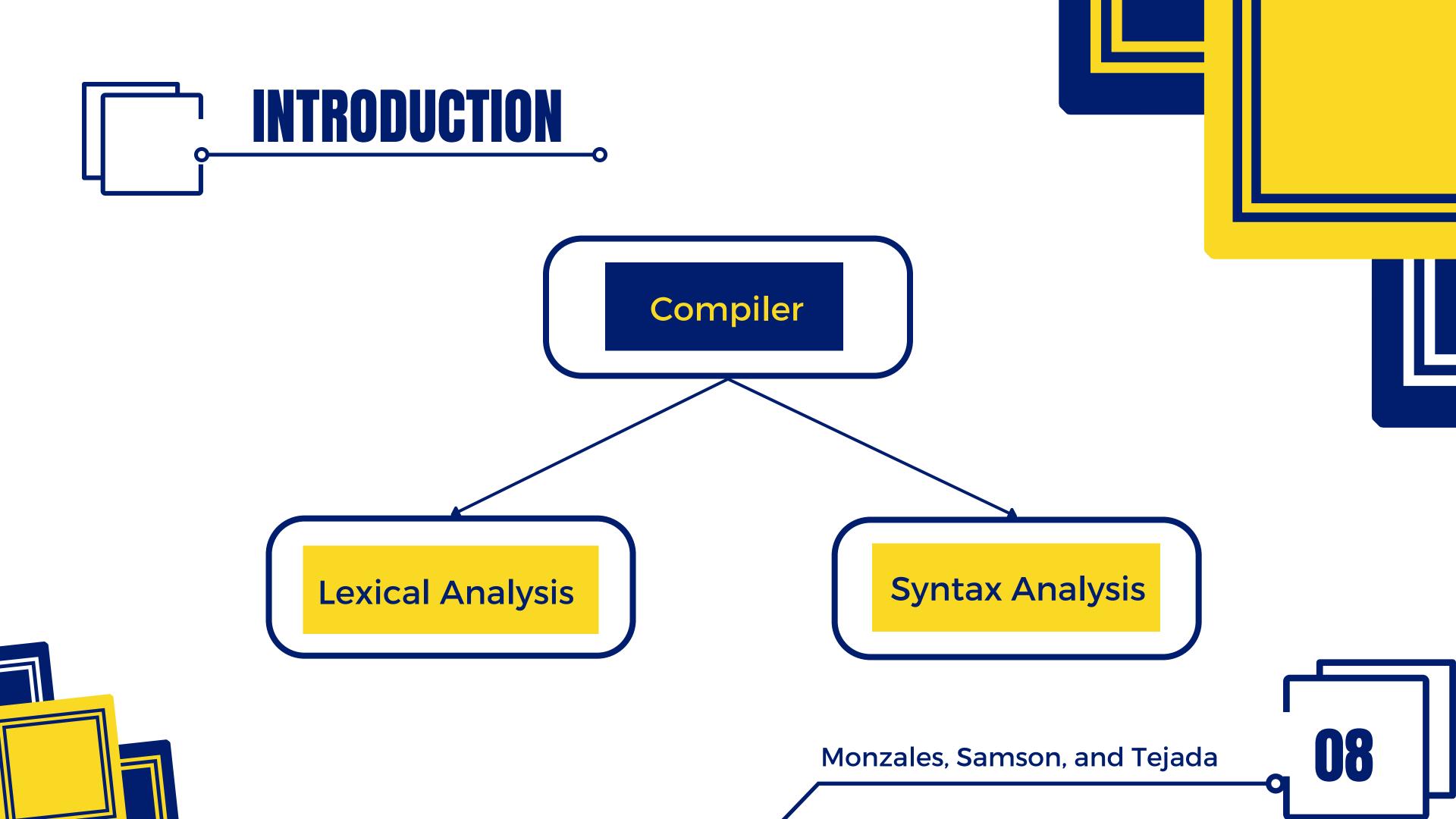
EKICAL SYNTAX



ANALYSIS





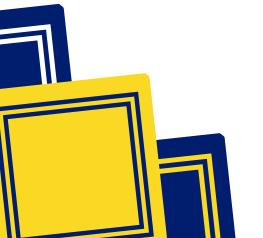






Why do we separate Lexical and Syntax Analysis?

- Simplicity lexical analysis is less complex
- Efficiency lexical analysis can be optimized since it requires more compilation time
- Portability lexical analyzer is platform dependent whereas syntax analyzer is platform independent







Lexical Analyzer

- is a pattern matcher for character strings
- is a "front-end" for the parser
- Identifies substrings of the source program that belong together - lexemes
 - Lexemes match a character pattern, which is associated with a lexical category called a token





Lexical Analyzer

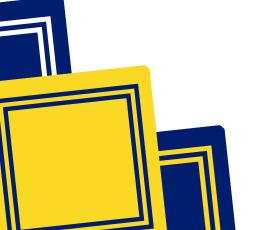
- Scans the Pure HLL (High-Level Language) code line by line
- Takes Lexemes as input and produces Tokens as output
- Removes comments and whitespaces from the Pure HLL code



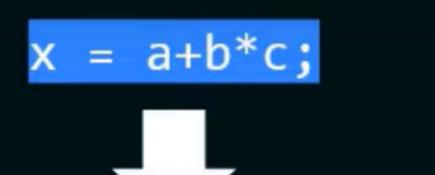


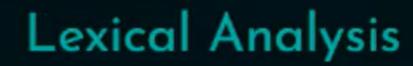
Lexical Analyzer







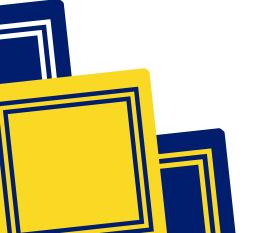






Lexemes	Tokens
x	identifier
=	operator
а	identifier
+	operator
Ь	identifier
*	operator
С	Monzales, Sams identifier

n, and Tejada





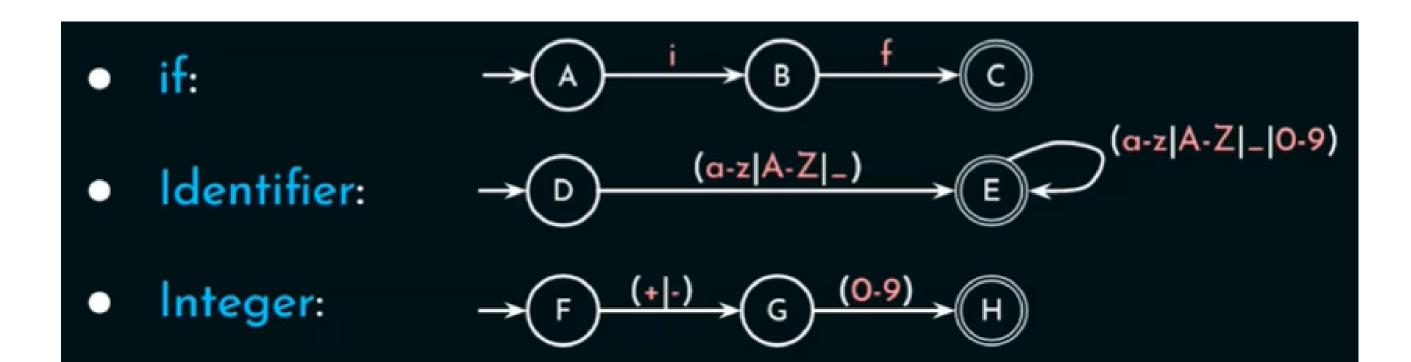
Three approaches to building a lexical analyzer:

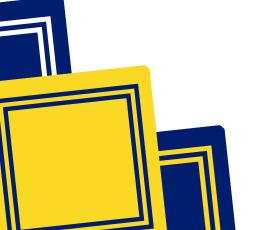
- Write a formal description of the tokens and use a software tool that constructs table-driven lexical analyzers given such a description
- Design a state diagram that describes the tokens and write a program that implements the state diagram
- Design a state diagram that describes the tokens and hand-construct a table-driven implementation of the state diagram



LEXICAL ANALYSIS

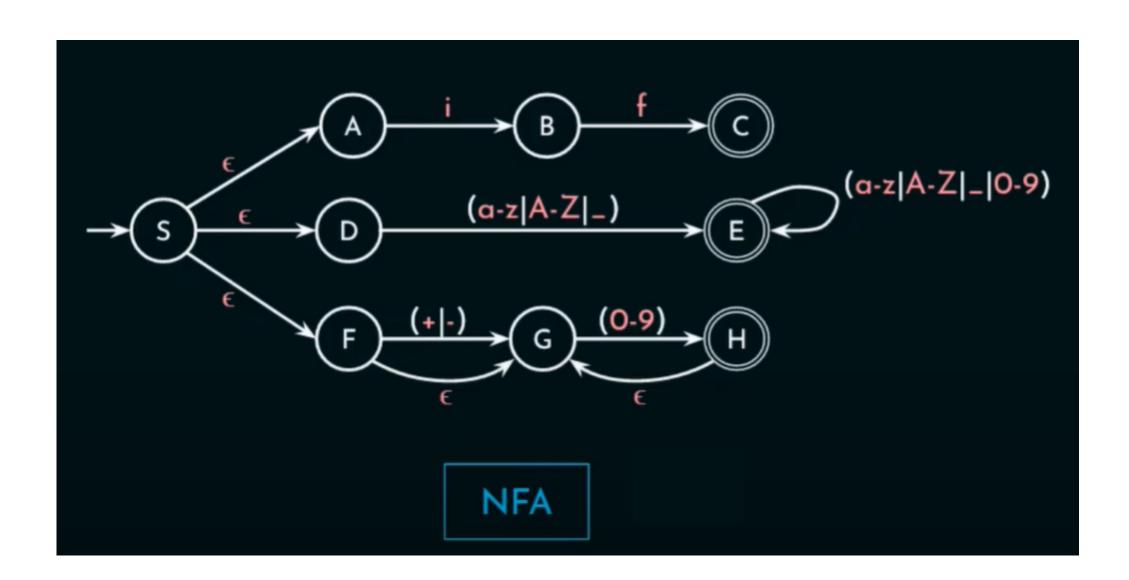
C-Tokens:







State diagram: Non-deterministic Finite Automata (NFA)





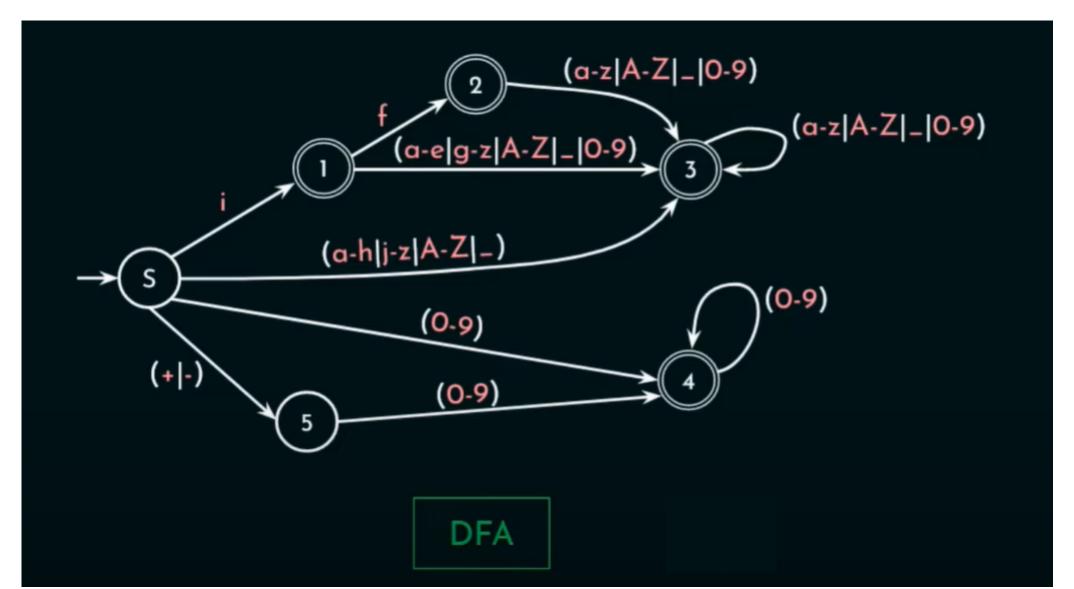
State Diagram

- NFA is purely conceptual, so it cannot be implemented.
- Hence, conversion to **DFA** is **necessary**.





State diagram: Deterministic Finite Automata (DFA)



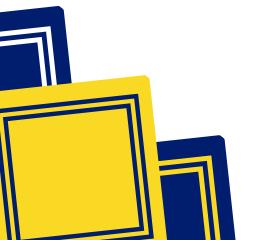
Monzales, Samson, and Tejada

18

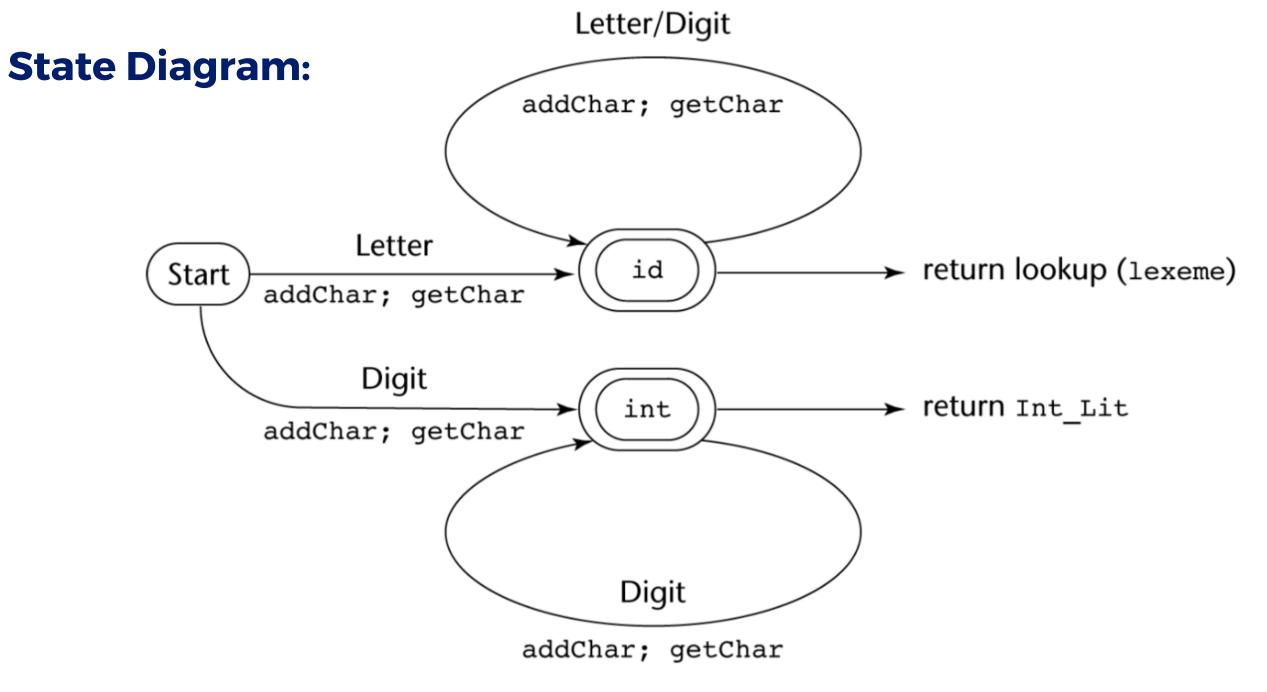


Convenient utility subprograms:

- getChar gets the next character of input, puts it in
- nextChar, determines its class and puts the class in charClass
- addChar puts the character from nextChar into the place the lexeme is being accumulated, lexeme
- lookup determines whether the string in lexeme is a reserved word (returns a code)



LEXICAL ANALYSIS





Implementation:

SHOW front.c (pp. 176-181)

Following is the output of the lexical analyzer offront.c when used on (sum + 47) / total

Next token is: 25 Next lexeme is (

Next token is: 11 Next lexeme is sum

Next token is: 21 Next lexeme is +

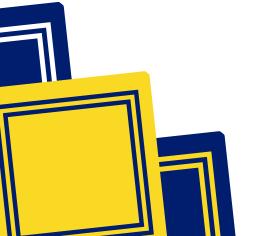
Next token is: 10 Next lexeme is 47

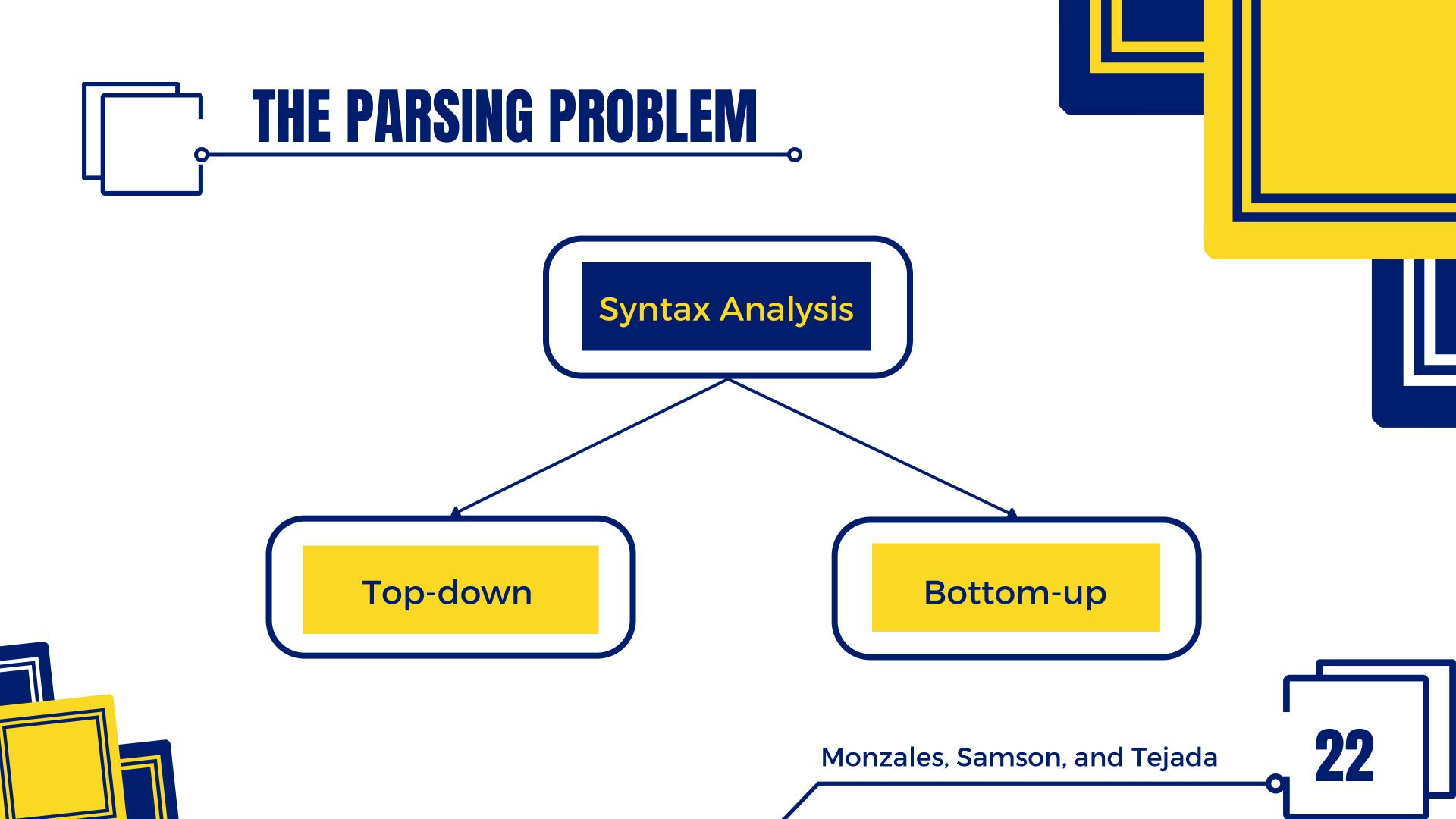
Next token is: 26 Next lexeme is)

Next token is: 24 Next lexeme is /

Next token is: 11 Next lexeme is total

Next token is: -1 Next lexeme is EOF







Two distinct goals of syntax analysis:

- 1. Check for syntax errors and produce a diagnostic message and recover
- 2. Produce a complete parse tree, or at least trace the structure of the complete parse tree



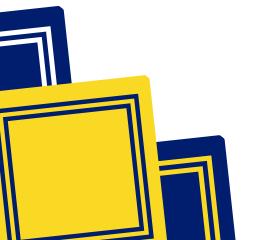


S



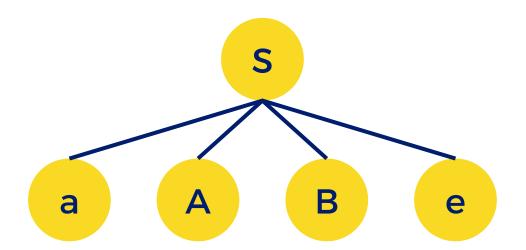
$$S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$$

aabcde



•

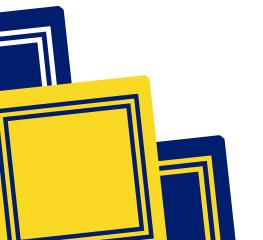
THE PARSING PROBLEM

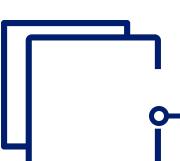


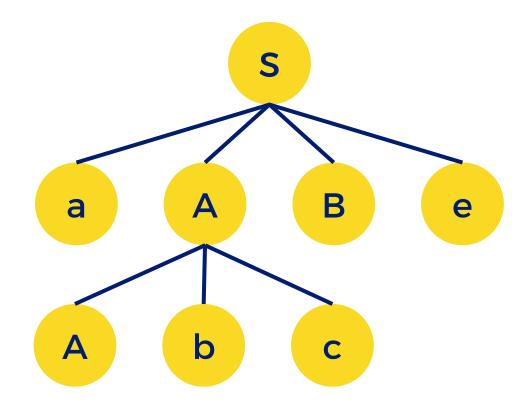
Top-down Approach

 $S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$

aabcde



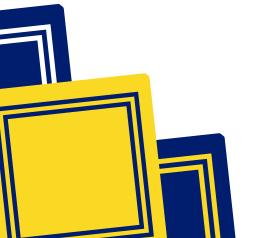


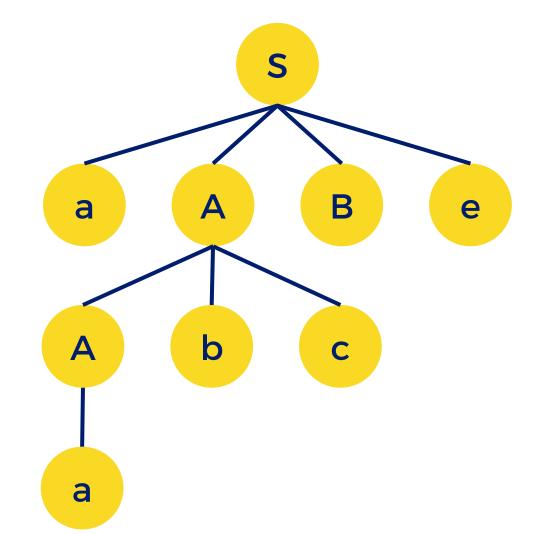




$$S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$$

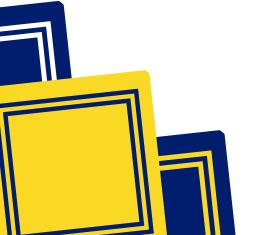
aabcde

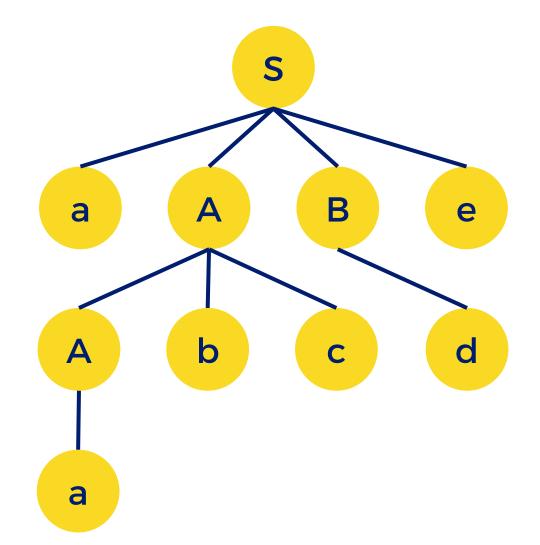




Top-down Approach

aabcde



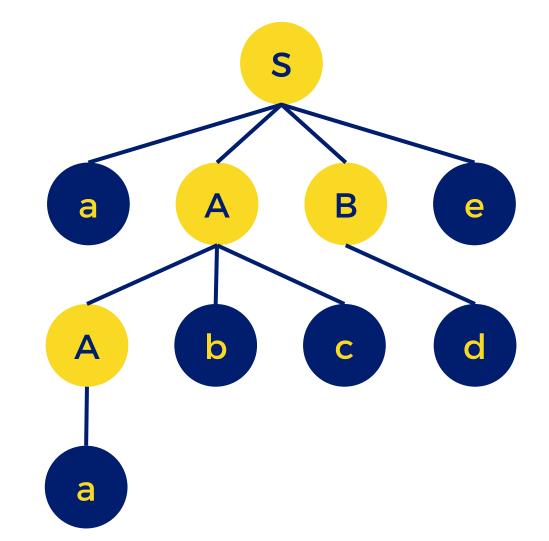


Top-down Approach

$$S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$$

aabcde





Top-down Approach

 $S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$

aabcde



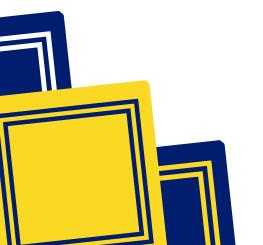


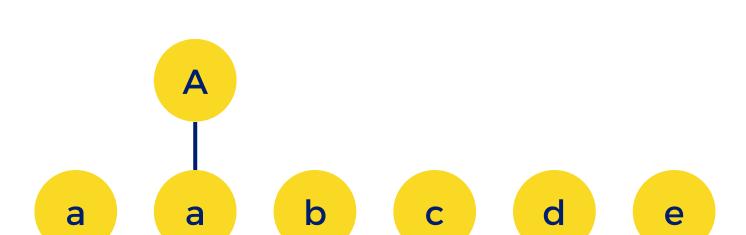
Bottom-up Approach

 $S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$

aabcde

a b c d e

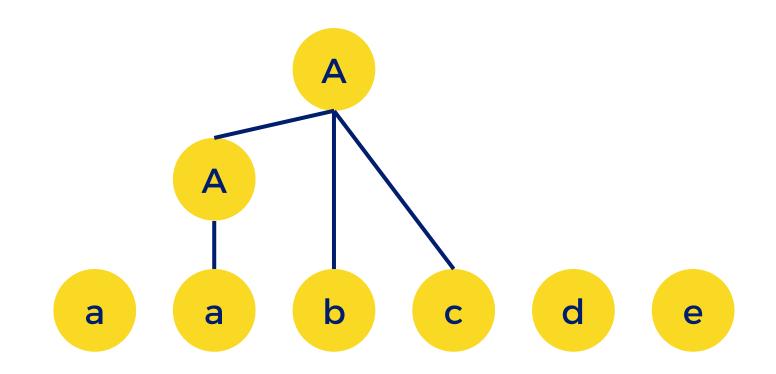




Bottom-up Approach

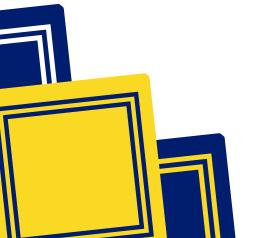
aabcde

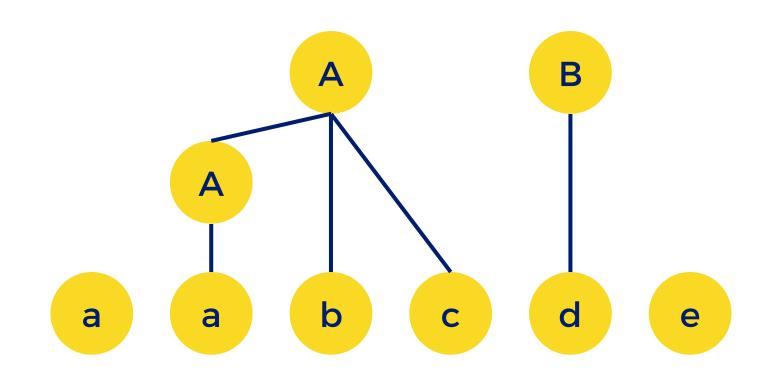




Bottom-up Approach

aabcde

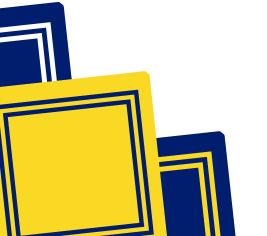


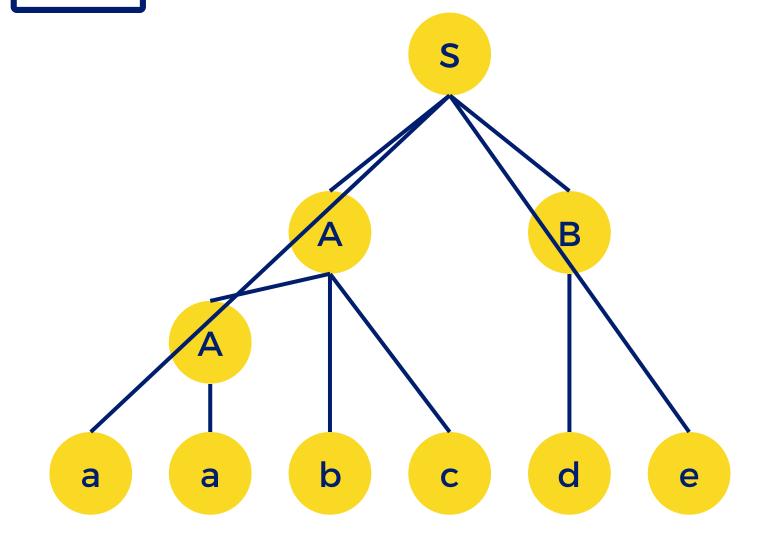


Bottom-up Approach

$$S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$$

aabcde

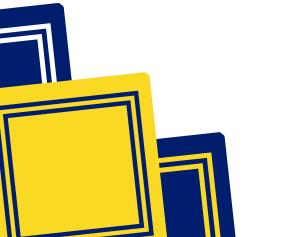


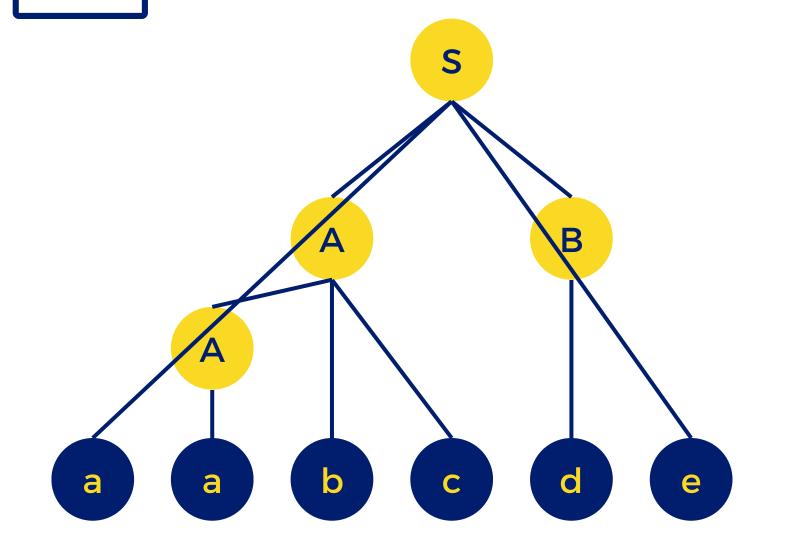


Bottom-up Approach

$$S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$$

aabcde

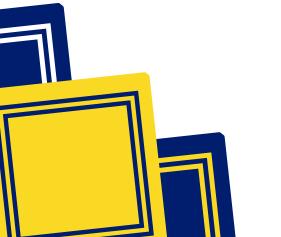


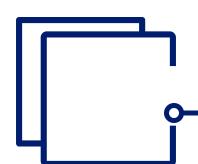


Bottom-up Approach

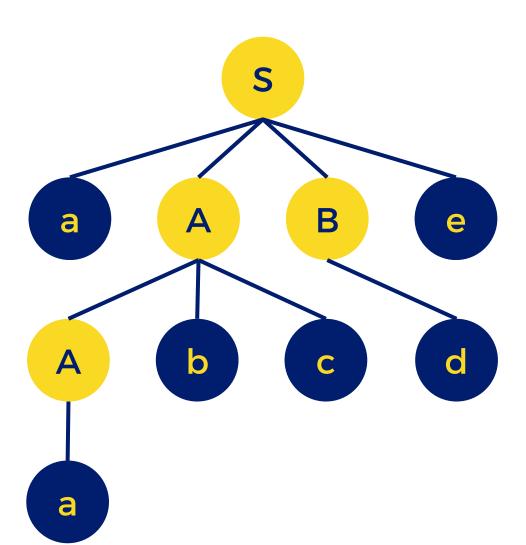
 $S \rightarrow aABe, A \rightarrow Abc \mid a, B \rightarrow d$

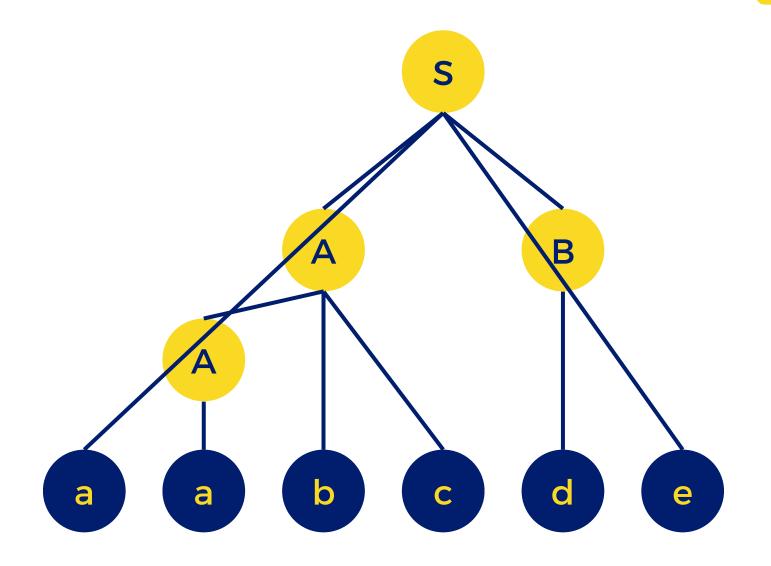
aabcde





Bottom-up Approach
Top-down Approach



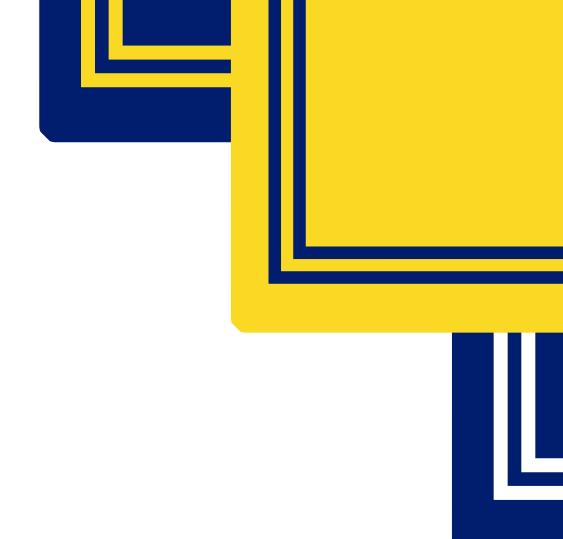




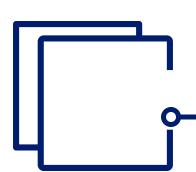
Time Complexity

Unambiguous grammar = O(n^3)

Commercial Compilers = O(n)







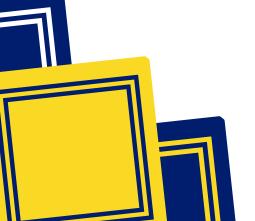
RECURSIVE-DESCENT PARSING



There is a subprogram for each nonterminal in the grammar, which can parse sentences that can be generated by that nonterminal value.

EBNF is ideally suited for being the basis for a recursivedescent parser, because **EBNF** minimizes the number of nonterminals







- Assume we have a lexical analyzer named lex, which puts the next token code in nextToken
- The coding process when there is only one right-hand side (RHS):
 - For each terminal symbol in the RHS, compare it with the next input token; if they match, continue, else there is an error
 - For each nonterminal symbol in the RHS, call its associated parsing subprogram

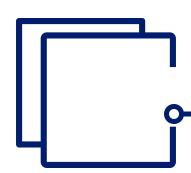




A nonterminal that has more than one RHS requires an initial process to determine which RHS it is to parse

- The correct RHS is chosen on the basis of the next token of input (the lookahead)
- The next token is compared with the first token that can be generated by each RHS until a match is found
- If no match is found, it is a syntax error





RECURSIVE-DESCENT PARSING



Recursive-Descent Parsing

Given grammar:

A -> abC | aBd | aAD

B -> bB | ε

 $C \rightarrow d \mid \epsilon$

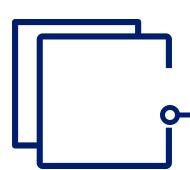
 $D \rightarrow a | b | \epsilon$

*Capital characters - non-terminal



Input: aaba

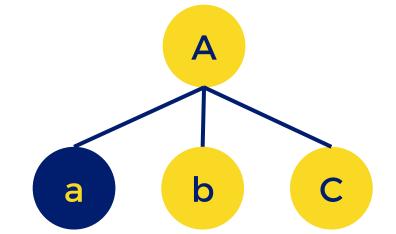




Recursive-Descent Parsing

a b a





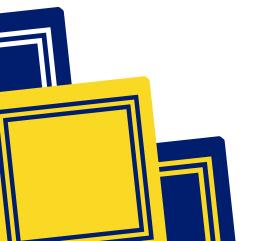
Given grammar:

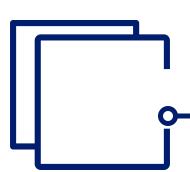
A -> abC | aBd | aAD

 $B \rightarrow bB \mid \epsilon$

C -> d | ε

D -> a | b | ε

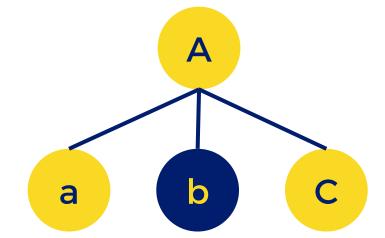




Recursive-Descent Parsing

a a b a





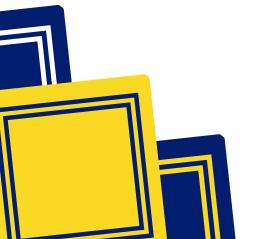


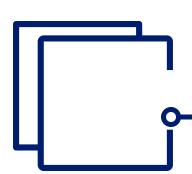
A -> abC | aBd | aAD

 $B \rightarrow bB \mid \epsilon$

C -> d | ε

D -> a | b | ε

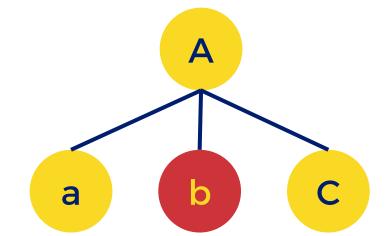




Recursive-Descent Parsing

aaba





Given grammar:

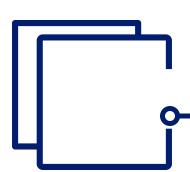
A -> abC | aBd | aAD

B -> bB | ε

C -> d | ε

 $D \rightarrow a | b | \epsilon$

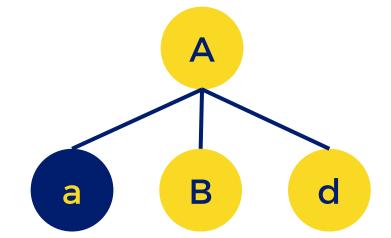




Recursive-Descent Parsing

a b a





Given grammar:

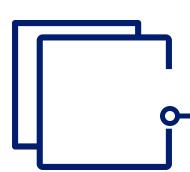
A -> abC | **aBd** | aAD

 $B \rightarrow bB \mid \epsilon$

C -> d | ε

 $D \rightarrow a | b | \epsilon$

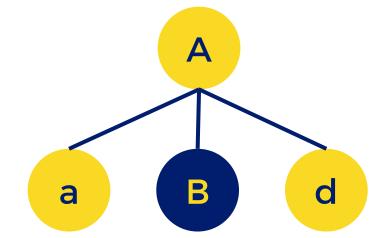




Recursive-Descent Parsing

a a b a







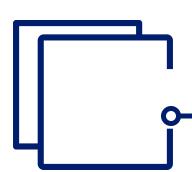
A -> abC | **aBd** | aAD

 $B \rightarrow bB \mid \epsilon$

C -> d | ε

 $D \rightarrow a | b | \epsilon$





Recursive-Descent Parsing

a a b a



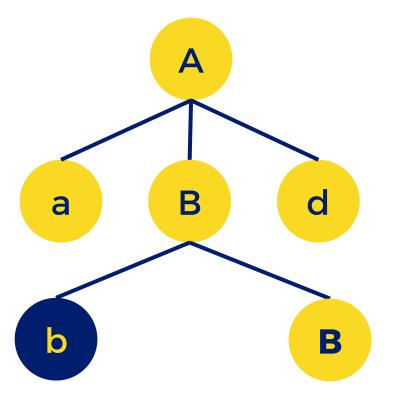


A -> abC | **aBd** | aAD

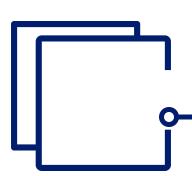
B -> **bB** | ε

C -> **d** | ε

 $D \rightarrow a | b | \epsilon$







Recursive-Descent Parsing

aaba



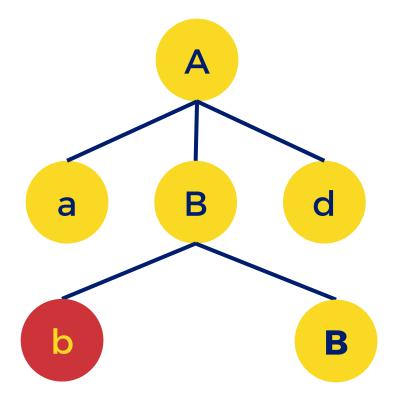


A -> abC | **aBd** | aAD

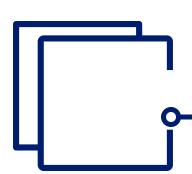
B -> **bB** | ε

C -> d | ε

 $D \rightarrow a | b | \epsilon$







Recursive-Descent Parsing

aaba



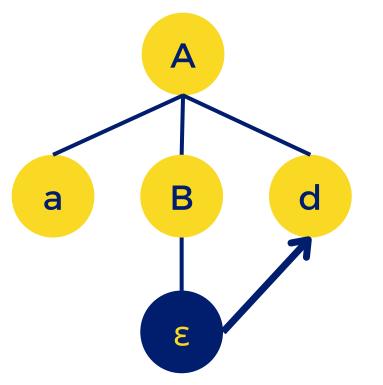


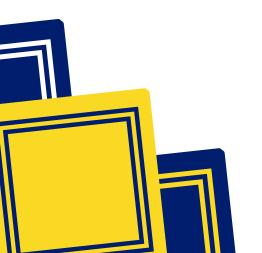
A -> abC | **aBd** | aAD

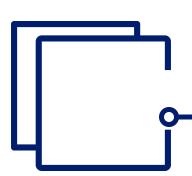
 $B \rightarrow bB \mid \epsilon$

C -> **d** | ε

D -> a | b | ε







Recursive-Descent Parsing

aaba



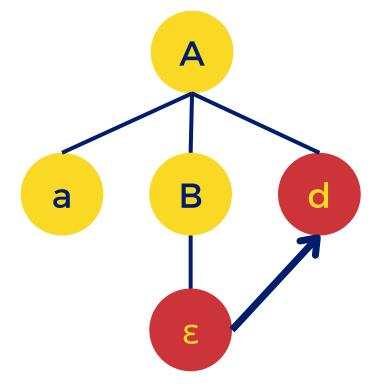


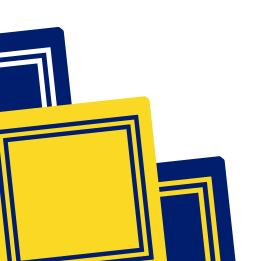
A -> abC | **aBd** | aAD

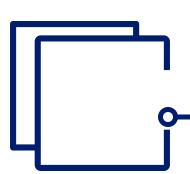
 $B \rightarrow bB \mid \epsilon$

C -> d | ε

D -> a | b | ε



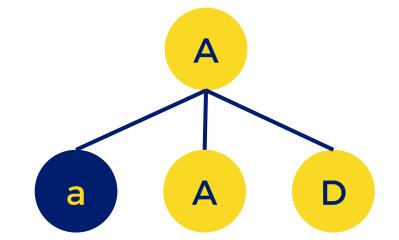




Recursive-Descent Parsing

a b a





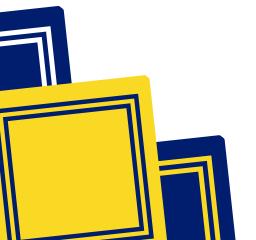
Given grammar:

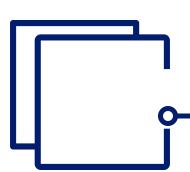
A -> abC | aBd | **aAD**

B -> bB | ε

C -> d | ε

D -> a | b | ε

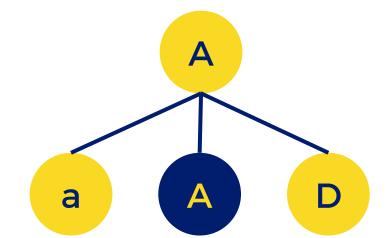




Recursive-Descent Parsing

a a b a





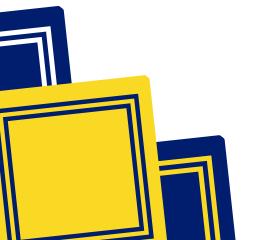
Given grammar:

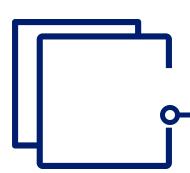
A -> abC | aBd | aAD

 $B \rightarrow bB \mid \epsilon$

C -> d | ε

D -> a | b | ε





Recursive-Descent Parsing

a a b a



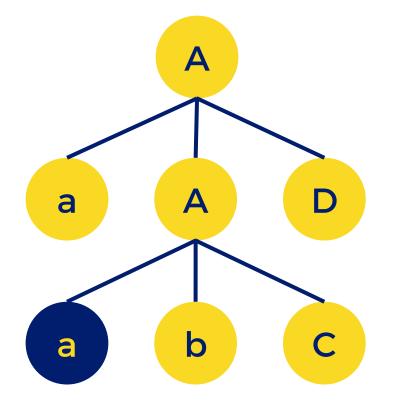
Given grammar:

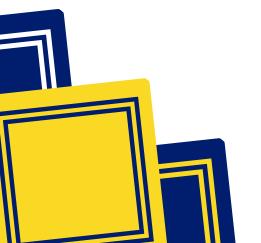
A -> abC | aBd | **aAD**

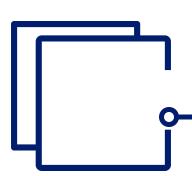
 $B \rightarrow bB \mid \epsilon$

 $C \rightarrow d \mid \epsilon$

 $D \rightarrow a | b | \epsilon$







Recursive-Descent Parsing

a a b a



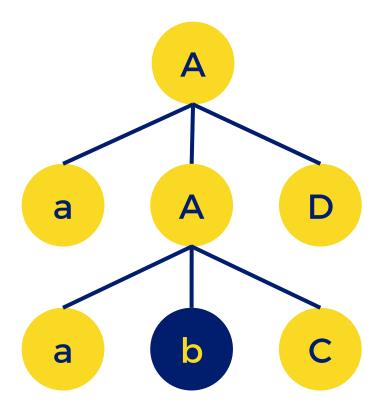


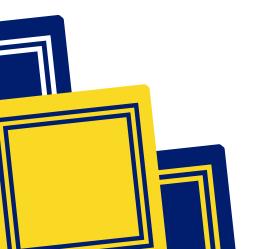
A -> abC | aBd | aAD

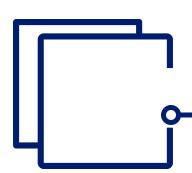
 $B \rightarrow bB \mid \epsilon$

C -> d | ε

 $D \rightarrow a | b | \epsilon$







Recursive-Descent Parsing

aaba



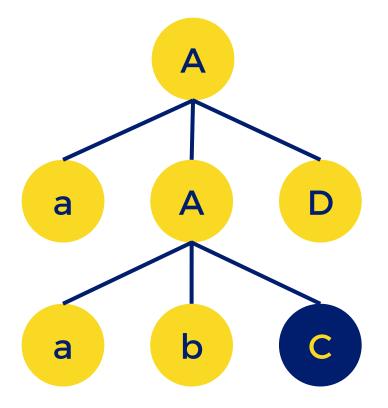
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A -> abC | aBd | aAD

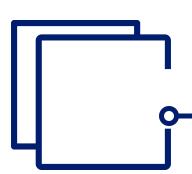
 $B \rightarrow bB \mid \epsilon$

C -> d | ε

 $D \rightarrow a | b | \epsilon$







Recursive-Descent Parsing

aaba



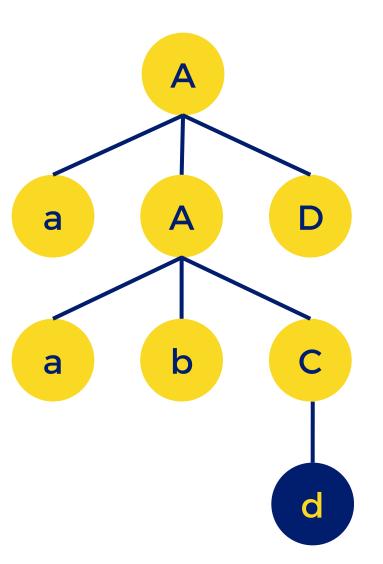
Given grammar:

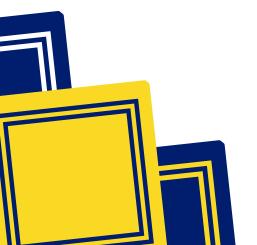
A -> abC | aBd | aAD

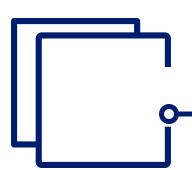
B -> bB | ε

C -> d | ε

 $D \rightarrow a | b | \epsilon$







Recursive-Descent Parsing

aaba



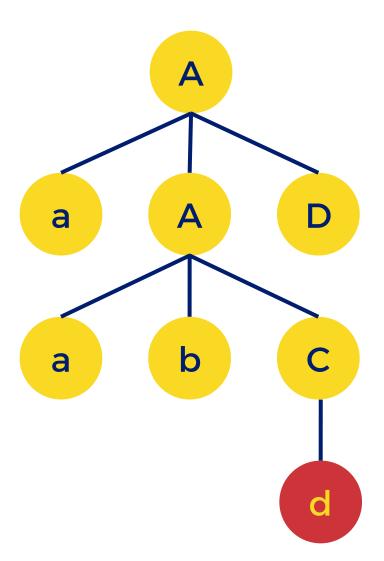
Given grammar:

A -> abC | aBd | aAD

B -> bB | ε

C -> d | ε

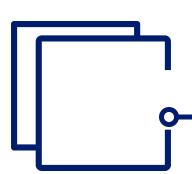
 $D \rightarrow a | b | \epsilon$





Monzales, Samson, and Tejada

55



Recursive-Descent Parsing

aaba



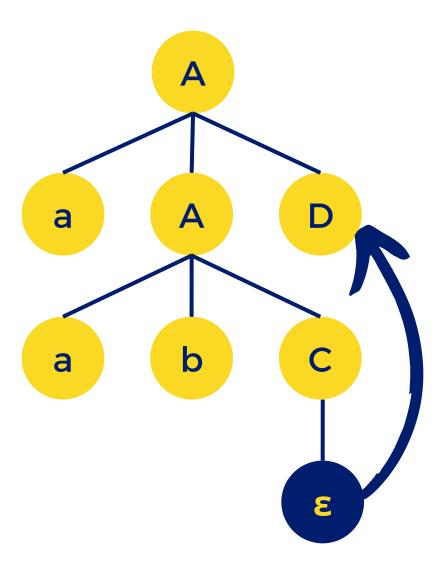
Given grammar:

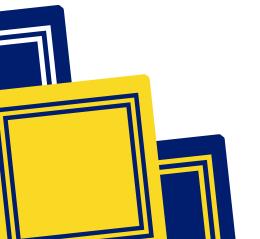
A -> abC | aBd | aAD

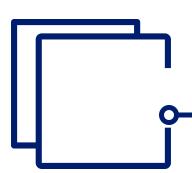
 $B \rightarrow bB \mid \epsilon$

 $C \rightarrow d \mid \epsilon$

 $D \rightarrow a | b | \epsilon$







Recursive-Descent Parsing

aaba



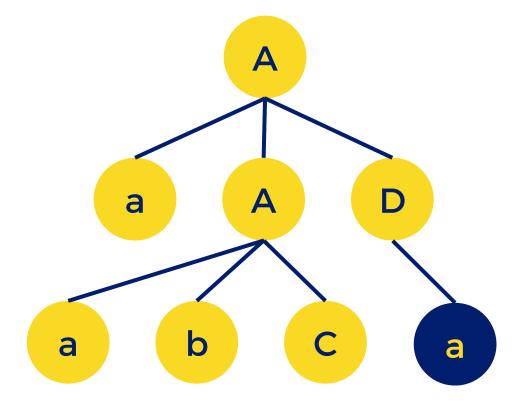


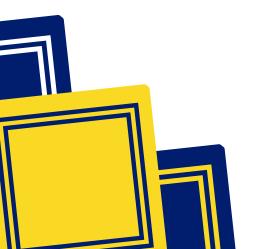
A -> abC | aBd | aAD

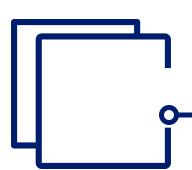
 $B \rightarrow bB \mid \epsilon$

C -> d | ε

D -> a | b | ε







Recursive-Descent Parsing

aaba

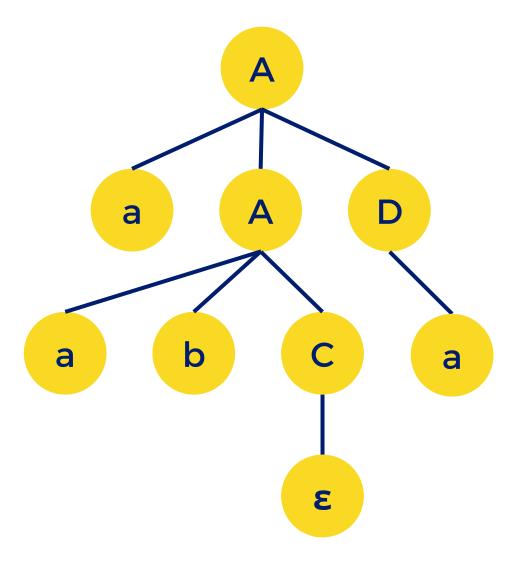
Given grammar:

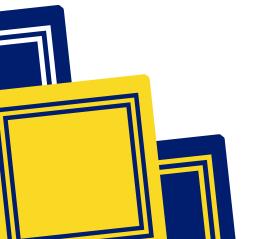
A -> abC | aBd | aAD

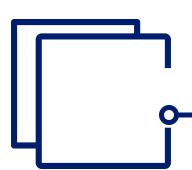
B -> bB | ε

C -> d | ε

 $D \rightarrow a | b | \epsilon$







Recursive-Descent Parsing

aaba

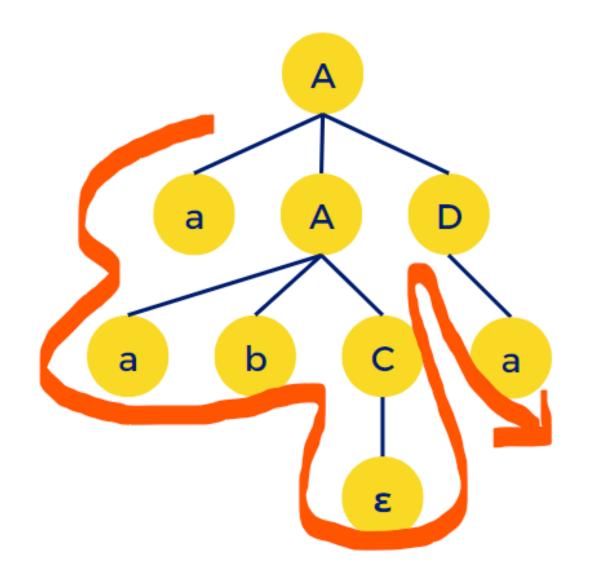
Given grammar:

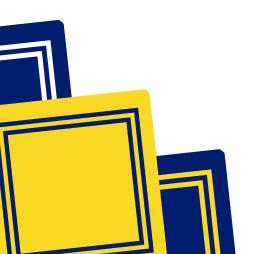
A -> abC | aBd | aAD

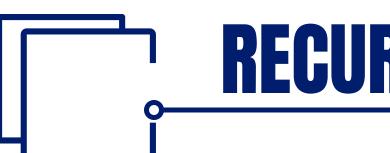
B -> bB | ε

C -> d | ε

 $D \rightarrow a | b | \epsilon$



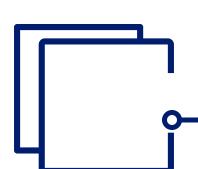




Problem with Left Recursion:

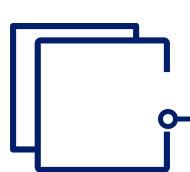
If a left recursion is present in any grammar then, during parsing in the syntax analysis part of compilation, there is a chance that the grammar will create an infinite loop. This is because, at every time of production of grammar, A will produce another A without checking any condition.





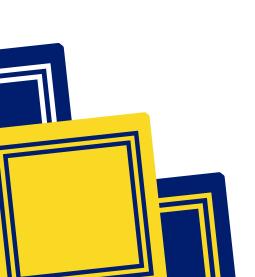
- The other characteristic of grammars that disallows top-down parsing is the lack of pairwise disjointness
 - The inability to determine the correct RHS on the basis of one token of lookahead
 - Def: FIRST(α) = {a | α =>* a β } (If α =>* ϵ , ϵ is in FIRST(α))

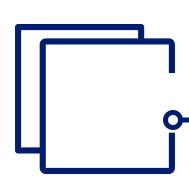


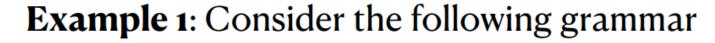


- Pairwise Disjointness Test:
 - For each nonterminal, A, in the grammar that has more than one RHS, for each pair of rules, $A \rightarrow \alpha_i$ and $A \rightarrow \alpha_j$, it must be true that

$$FIRST(\alpha_i) \cap FIRST(\alpha_i) = \varphi$$







A : a B

A:bAb

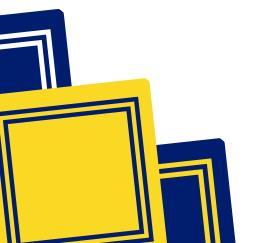
A:Bb

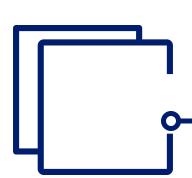
B : c B

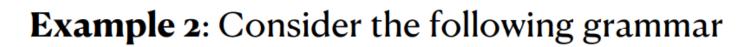
B:d

The FIRST sets for the RHS of A-rules are: $FIRST(aB) = \{a\}, FIRST(bAb) = \{b\}, and FIRST(Bb) = \{c, d\}.$ These are disjoint and hence PASS the pairwise disjoint test.

The FIRST sets for the RHS of B-rules are: $FIRST(cB) = \{c\}$ and $FIRST(d) = \{d\}$. These are disjoint and hence PASS the pairwise disjoint test.







A : a B

A : B A b

B : a B

B : b

The FIRST sets for the RHS of A-rules are: $FIRST(aB) = \{a\}$ and $FIRST(BAb) = \{a,b\}$. These are not disjoint and hence FAIL the pairwise disjoint test.

The FIRST sets for the RHS of B-rules are: $FIRST(aB) = \{a\}$ and $FIRST(b) = \{b\}$. These are disjoint and hence PASS the pairwise disjoint test.

So, the grammar as a whole fails the pairwise disjoint test and hence cannot be parsed using top-down parsers!



·

RECURSIVE-DESCENT PARSING

```
• Left factoring can resolve the problem Replace
```

```
<variable> → identifier | identifier [<expression>]
with
```

```
<variable> → identifier <new>
```

```
<new> \rightarrow \varepsilon \mid [<expression>]
```

or

```
<variable> → identifier [[<expression>]]
(the outer brackets are metasymbols of EBNF)
```





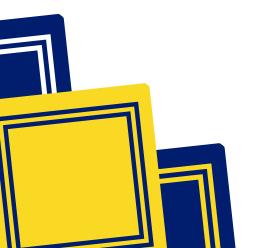
 $A \rightarrow a\alpha 1 / a\alpha 2 / a\alpha 3$

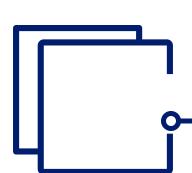
Left Factoring

 $\begin{array}{c} \textbf{A} \rightarrow \textbf{aA'} \\ \textbf{A'} \rightarrow \textbf{\alpha1} \, / \, \textbf{\alpha2} \, / \, \textbf{\alpha3} \end{array}$

Grammar with common prefixes

Left Factored Grammar







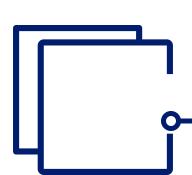
Problem-01:

Do left factoring in the following grammar-

$$S \rightarrow iEtS / iEtSeS / a$$

$$E \rightarrow b$$







The left factored grammar is-



$$S' \rightarrow eS / \in$$

$$E \rightarrow b$$

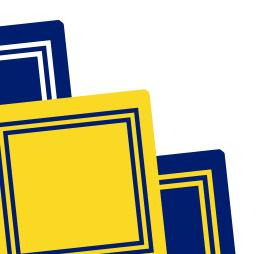


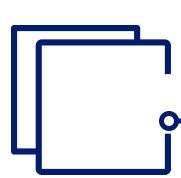


Problem-02:

Do left factoring in the following grammar-

 $A \rightarrow aAB / aBc / aAc$





Step-01:



 $A' \rightarrow AB / Bc / Ac$

Again, this is a grammar with common prefixes.



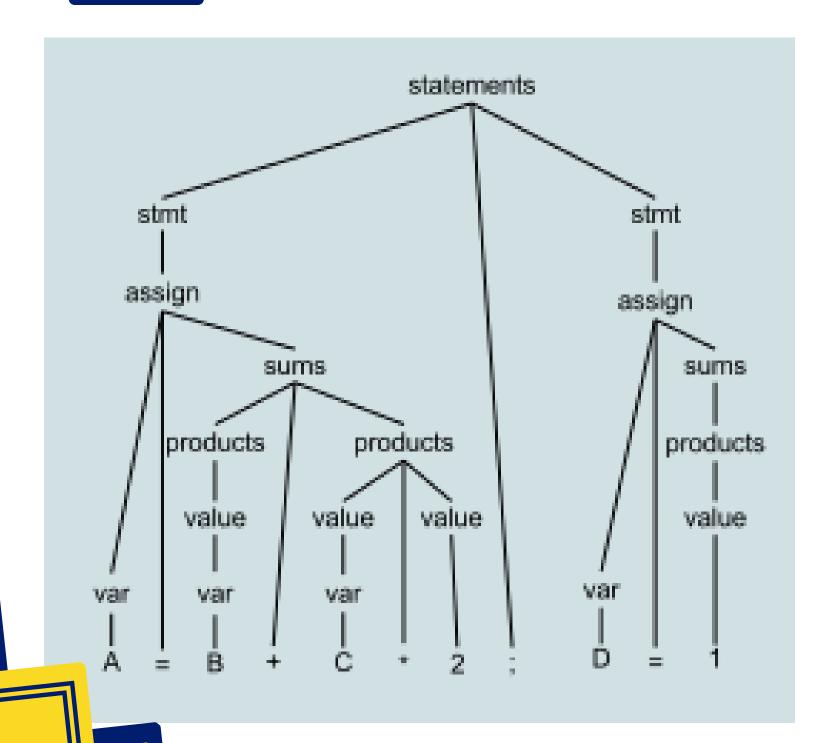
$$A \rightarrow aA'$$

$$A' \rightarrow AD / Bc$$

$$D \rightarrow B/c$$







The parsing problem is finding the correct RHS in a right-sentential form to reduce to get the previous right-sentential form in the derivation.





Right sentential form a sentential form that occurs in the rightmost derivation of some sentence.

The process of deriving a string by expanding the rightmost non-terminal at each step is called as rightmost derivation.

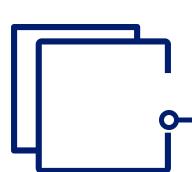


Handle - string of symbols to be replaced at each stage of parsing

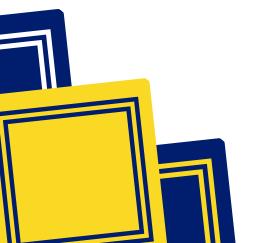
```
S → aABe
A → Abc/b
B → d

Input: abbcde

a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e a b b c d e
```



- Intuition about handles:
 - Def: β is the *handle* of the right sentential form $\gamma = \alpha \beta w$ if and only if $S = >*_{rm} \alpha Aw = >_{rm} \alpha \beta w$
 - Def: β is a *phrase* of the right sentential form γ if and only if $S = > * \gamma = \alpha_1 A \alpha_2 = > + \alpha_1 \beta \alpha_2$
 - Def: β is a *simple phrase* of the right sentential form γ if and only if $S = >^* \gamma = \alpha_1 A \alpha_2 = > \alpha_1 \beta \alpha_2$

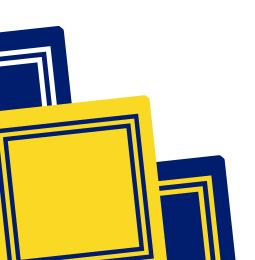


- The handle of a right sentential form is its leftmost simple phrase
- Given a parse tree, it is now easy to find the handle
- Parsing can be thought of as handle pruning



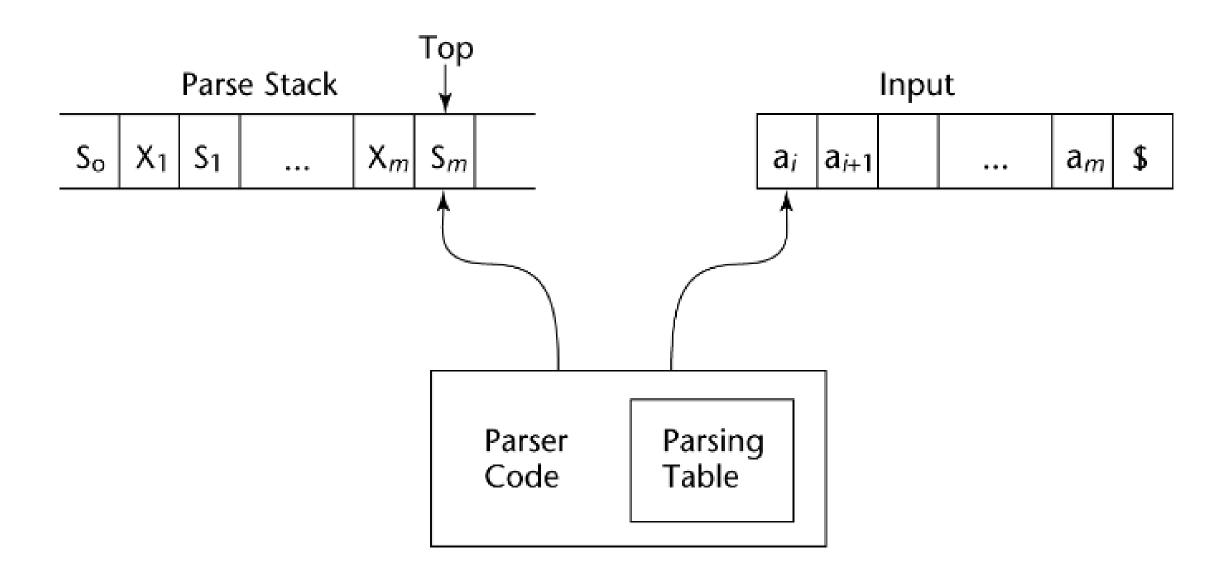


- L left to right scanning of input string
- R start with rightmost derivation



- Advantages of LR parsers:
 - They will work for nearly all grammars that describe programming languages.
 - They work on a larger class of grammars than other bottom-up algorithms, but are as efficient as any other bottom-up parser.
 - They can detect syntax errors as soon as it is possible.
 - The LR class of grammars is a superset of the class parsable by LL parsers.

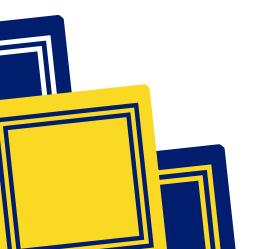
- LR parsers must be constructed with a tool
- Knuth's insight: A bottom-up parser could use the entire history of the parse, up to the current point, to make parsing decisions
 - There were only a finite and relatively small number of different parse situations that could have occurred, so the history could be stored in a parser state, on the parse stack





Bottom up parsers make use of Shift-Reduce Algorithms

- Shift-Reduce Algorithms
 - Reduce is the action of replacing the handle on the top of the parse stack with its corresponding LHS
 - Shift is the action of moving the next token to the top of the parse stack





- LR parsers are table driven, where the table has two components, an ACTION table and a GOTO table
 - The ACTION table specifies the action of the parser, given the parser state and the next token
 - Rows are state names; columns are terminals
 - The GOTO table specifies which state to put on top of the parse stack after a reduction action is done
 - Rows are state names; columns are nonterminals

2.
$$E \rightarrow T$$

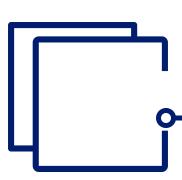
4.
$$T \rightarrow F$$

5.
$$\mathbf{F} \rightarrow (\mathbf{E})$$

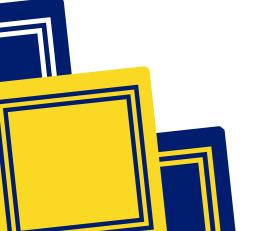
6.
$$F \rightarrow id$$

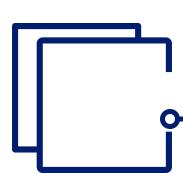
			Action				Goto			
State	id	+	*	()	\$	E	Т	F	
0	\$5		S4				1	2	3	
1		S6				accept				
2		R2	S 7		R2	R2				
3		R4	R4		R4	R4				
4	S5			S4			8	2	3	
5		R6	R6		R6	R6				
6	S5			S4				9	3	
7	55			S4					10	
8		S6			S11					
9		R1	S 7		R1	R1				
10		R3	R3		R3	R3				
11		R5	R5		R5	R5				





- Initial configuration: (S₀, a₁...a_n\$)
- Parser actions:
 - If ACTION[S_m , a_i] = Shift S, the next configuration is: $(S_0X_1S_1X_2S_2...X_mS_ma_iS, a_{i+1}...a_n\$)$
 - If ACTION[S_m, a_i] = Reduce A $\rightarrow \beta$ and S = GOTO[S_{m-r}, A], where r = the length of β , the next configuration is $(S_0X_1S_1X_2S_2...X_{m-r}S_{m-r}AS, a_ia_{i+1}...a_n\$)$
 - If ACTION[S_m, a_i] = Accept, the parse is complete and no errors were found.
 - If ACTION[S_m, a_i] = Error, the parser calls an error-handling routine.





1	H.	_	\mathbf{F}_{i}	_	Т
		-			

2.	\mathbf{E}	\rightarrow	T
----	--------------	---------------	---

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

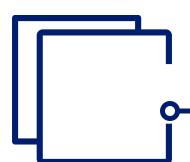
5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

0			lexeme
			state

<u>shift</u>



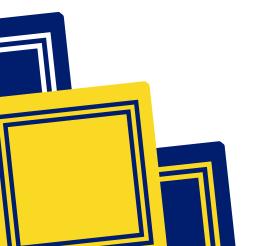
<u>Action:</u>

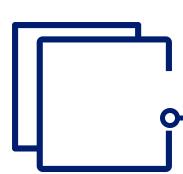
Shift

$$ACTION[0,id] = S5$$

Push leftmost element of input string into the parse stack

Push state
number from
ACTION into the
stack



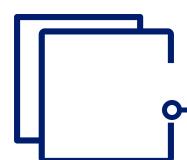


1	172		12		
L	L	\rightarrow	E	+	

- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

a	id			lexeme
•				state



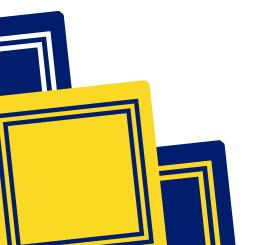
Action:

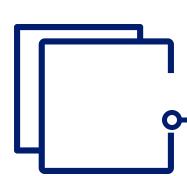
Shift

$$ACTION[0,id] = S5$$

Push leftmost element of input string into the parse stack

Push state
number from
ACTION into the
stack







2. E-	÷	П	1
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3.
$$T \rightarrow T * F$$

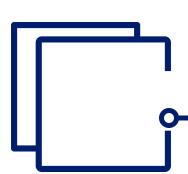
4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

0	id			lexeme
	5			state

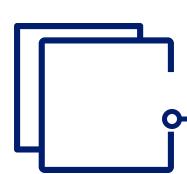


1	\mathbf{F}	_	\mathbf{F}	_	Т

- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

α	id			lexeme
0	5			state



1	\mathbf{F}	\rightarrow	\mathbf{F}	4	T
		-	_		-

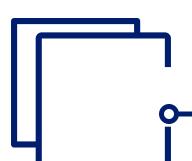
- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

\pm	id	*	id	\$
-------	----	---	----	----

0	id			lexeme
	5			state

<u>reduce</u>



Action:

Reduce

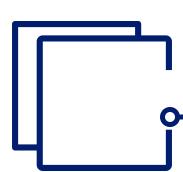
$$ACTION[5,+] = R6$$

Pop the symbol/s on the topmost of the stack (with its corresponding states) that is in the RHS of the rule number indicated in ACTION

Push the RHS of the rule indicated in ACTION

Push the state number indicated in the GOTO





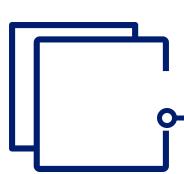
1	14	- 8	III.	4	
					_

- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			



0	id			lexeme
	15			state



1		-			
	м.	\rightarrow	м.	-	
•					_

2.	\mathbf{E}	\rightarrow	T
----	--------------	---------------	---

3.
$$T \rightarrow T * F$$

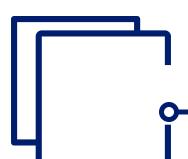
4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

			Action					Goto	
State	id	+	*	()	\$	Е	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

0			lexeme
0			state



Action:

Reduce

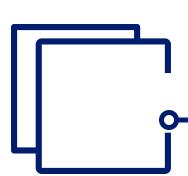
$$ACTION[5,+] = R6$$

Pop the symbol/s on the topmost of the stack (with its corresponding states) that is in the RHS of the rule number indicated in ACTION

Push the RHS of the rule indicated in ACTION

Push the state number indicated in the GOTO





1	\mathbf{F}	_	\mathbf{F}	_	Т

2.	\mathbf{E}	\rightarrow	Т

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

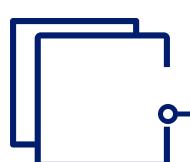
5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

a	F			lexeme
				state

<u>GOTO[0,F]</u>



Action:

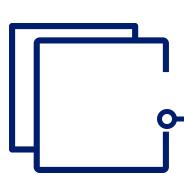
Reduce

$$GOTO[0,F] = 3$$

Pop the symbol/s on the topmost of the stack (with its corresponding states) that is in the RHS of the rule number indicated in ACTION

Push the RHS of the rule indicated in ACTION Push the state number indicated in the GOTO





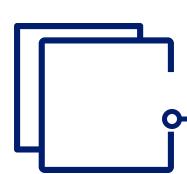
í	TZ.	\mathbf{T}^{2}		
L			-	

- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			



Ø	F			lexeme
	3			state





3	112	4
4	E	

3.
$$T \rightarrow T * F$$

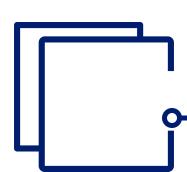
4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

			Action					Goto	
State	id	+	*	()	\$	Е	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		\$6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

0	F			lexeme
0	3			state



\mathbf{F}	\rightarrow	\mathbf{E}	_	Т
	_			

- E → T
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

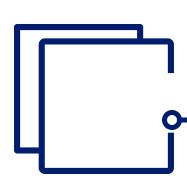
				Goto					
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

<u>+</u>	id	*	id	\$

a	F			lexeme
0	3			state

reduce (rule

<u>4)</u>



\mathbf{F}	\rightarrow	\mathbf{E}	_	Т
	_			

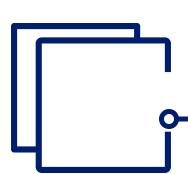
- E → T
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

				Goto					
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

\pm	id	*	id	\$
-------	----	---	----	----

0	T			lexeme
				state

<u>GOTO[0,T]</u>

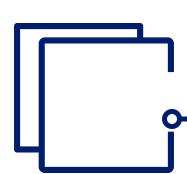


1	\mathbf{F}	_	\mathbf{F}	_	Т

- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

				Goto					
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

a	Т			lexeme
	2			state



1.	\mathbf{E}	\rightarrow	\mathbf{E}	+	T

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

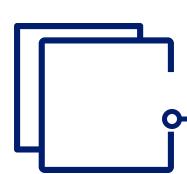
				Goto					
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

<u>+</u>	id	*	id	\$
				_

0	T			lexeme
	2			state

reduce (rule

<u>2</u>)



1	\mathbf{F}	\rightarrow	\mathbf{F}	4	T
		-	_		-

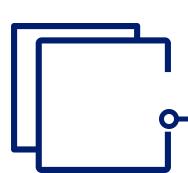
- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

				Goto					
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

<u>+</u>	id	*	id	\$
				-

0	Ε			lexeme
				state

GOTO[0,E]



1	\mathbf{F}	 F	_	T
			-	_

2.	\mathbf{E}	\rightarrow	T
----	--------------	---------------	---

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

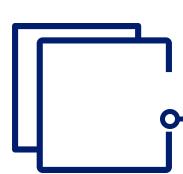
5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

				Goto					
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

0	E			lexeme
0	1			state

<u>shift</u>



1	\mathbf{F}	\rightarrow	\mathbf{F}	4	T
		-	_		-

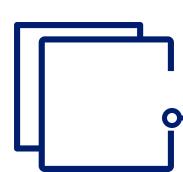
- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	S5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			



0	E	+		lexeme
9	1	6		state

<u>shift</u>



ĺ	\mathbf{F}	_	\mathbf{F}	_	Т
ļ,					

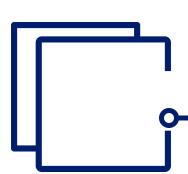
- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			



0	E	+	id		lexeme
o	1	6	5		state

reduce (rule



1	\mathbf{F}	_	\mathbf{F}	_	Т

2.	\mathbf{E}	\rightarrow	T
----	--------------	---------------	---

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

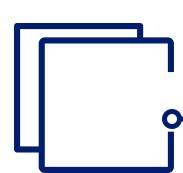
6.
$$F \rightarrow id$$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

*	id	\$
•		

0	E	+	F		lexeme
	1	6			state

<u>GOTO[6,F]</u>



1.	\mathbf{E}	\rightarrow	E	+	T

- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	S5			S4			8	2	3
5		R6	R6		R6	R6			
6	S5			S4				9	3
7	S5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

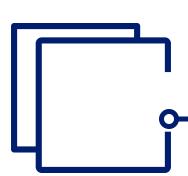
	• .	Φ.
*	1 d	
1	TU	J

9	E	+	F		lexeme
V	1	6	3		state

reduce (rule

6) Monzales, Samson, and Tejada

79



1	\mathbf{E}	\mathbf{E}		T
L	\mathbf{r}	E	-	

2.	\mathbf{E}	\rightarrow	Т

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

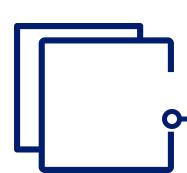
6.
$$F \rightarrow id$$

				Goto					
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

*	1	\$
	1 d	$\mathbf{\Psi}$
		T

a	E	+	T		lexeme
	1	6			state

GOTO[6,T]



1.	E.	\rightarrow	F.	+	Т

|--|

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

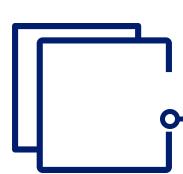
6.
$$F \rightarrow id$$

			Goto						
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

*	id	\$
•		

a	Ε	+	T		lexeme
	1	6	9		state

<u>shift</u>



1	\mathbf{F}	\rightarrow	\mathbf{F}	4	T
		-	_		-

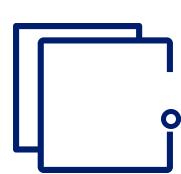
- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action				Goto		
State	id	+	*	()	\$	E	Т	F
0	S5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

<u>id</u> \$

a	E	+	T	*	lexeme
	1	6	9	7	state

<u>shift</u>



1_	\mathbf{E}	\rightarrow	\mathbf{E}	+	Т
		_			

2.	\mathbf{E}	\rightarrow	1	Γ

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

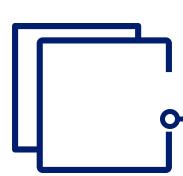
6.
$$F \rightarrow id$$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

a	E	+	T	*	id	lexeme
0	1	6	9	7	5	state

reduce (rule





1.	\mathbf{E}	\rightarrow	E	+	T

2.	\mathbf{E}	\rightarrow	T
----	--------------	---------------	---

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

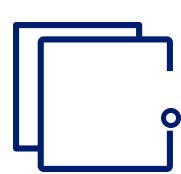
6.
$$F \rightarrow id$$

			Action				Goto		
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		\$6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

\$

a	E	+	T	*	F	lexeme
	1	6	9	7		state

<u>GOTO[7,F]</u>



ĺ	\mathbf{F}	\rightarrow	\mathbf{F}	_	Т
					-

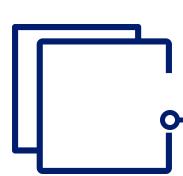
- 2. $E \rightarrow T$
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	\$5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			



0	E	+	T	*	F	lexeme
	1	6	9	7	10	state

reduce (rule



ı	172	17		and the
Ļ	$\mathbf{F}_{\mathbf{r}}$		-	_

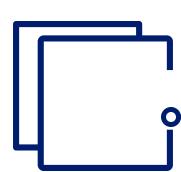
- 2. E → T
- 3. $T \rightarrow T * F$
- 4. $T \rightarrow F$
- 5. $F \rightarrow (E)$
- 6. $F \rightarrow id$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	S5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

<u>\$</u>

0	E	+	T		lexeme
	1	6			state

GOTO[6,T]



1_	\mathbf{E}	\rightarrow	\mathbf{E}	+	Т
		_			

2.	\mathbf{E}	\rightarrow	1	Γ

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

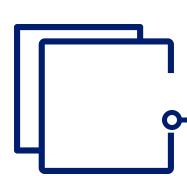
			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	S5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

\$

0	Ε	+	T		lexeme
V	1	6	9		state

reduce (rule

1)



1	F.	_	\mathbf{E}	+	Т

2.	\mathbf{E}	\rightarrow	T
----	--------------	---------------	---

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

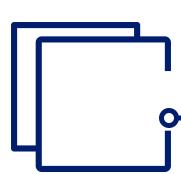
6.
$$F \rightarrow id$$

			Action					Goto	
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		\$6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	S5			S4				9	3
7	\$5			S4					10
8		S6			\$11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

\$

0	Ε			lexeme
				state

GOTO[0,E]



1.	E	\rightarrow	\mathbf{E}	+	T

2. E-	÷	Ί	1
-------	---	---	---

3.
$$T \rightarrow T * F$$

4.
$$T \rightarrow F$$

5.
$$F \rightarrow (E)$$

6.
$$F \rightarrow id$$

			Goto						
State	id	+	*	()	\$	E	Т	F
0	\$5		S4				1	2	3
1		S6				accept			
2		R2	S 7		R2	R2			
3		R4	R4		R4	R4			
4	\$5			S4			8	2	3
5		R6	R6		R6	R6			
6	S5			S4				9	3
7	\$5			S4					10
8		S6			S11				
9		R1	S 7		R1	R1			
10		R3	R3		R3	R3			
11		R5	R5		R5	R5			

\$

a	E			lexeme
	1			state

<u>accept</u>



Syntax analysis is normally based on a formal syntax description of the language being implemented, commonly using BNF.

Parts of Syntax Analysis:

- Lexical Analysis
- Syntax Analysis

Reasons for Separating Lexical and Syntax Analysis:

- Simplicity
- Efficiency
- Portability





SUMMARY

- Lexical Analyzer is a pattern matcher that isolated lexemes, which is the basic lexical unit of a language.
- Lexemes are categorized by tokens.

Goals of Syntax Analysis:

- detect syntax errors and provide diagnostic message if an error exists
- produce a parse tree which would be used for code generation

Approaches to Syntax Analysis:

- Top-Down Approach
- Bottom Up Approach

SUMMARY

- **Top Down Approach**: Given a sentential form, x the parser must choose the correct A-rule to get the next sentential form in the leftmost derivation, using only the first token produced by A. Commonly uses Recursive Descent parsing algorithm. Subprogram driven.
- Bottom Up Approach: The parsing problem is finding the correct RHS in a right-sentential form to reduce to get the previous right-sentential form in the derivation. Table driven.

