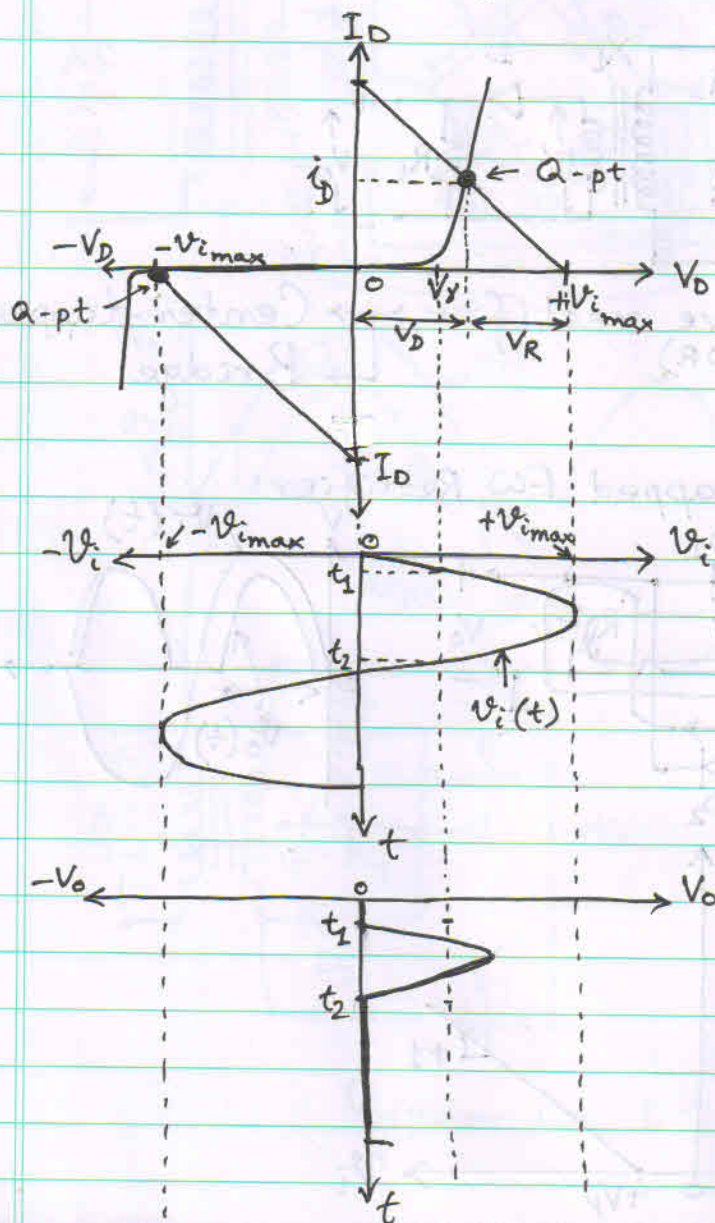
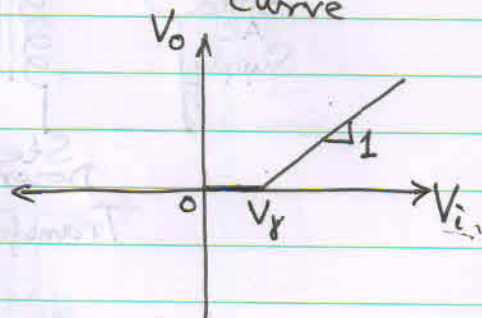


$$V_i = V_R + V_D$$

$$V_i = V_o + V_D$$

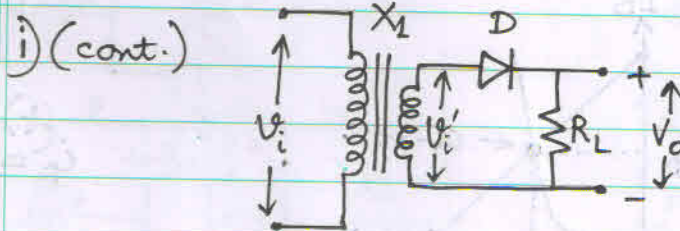
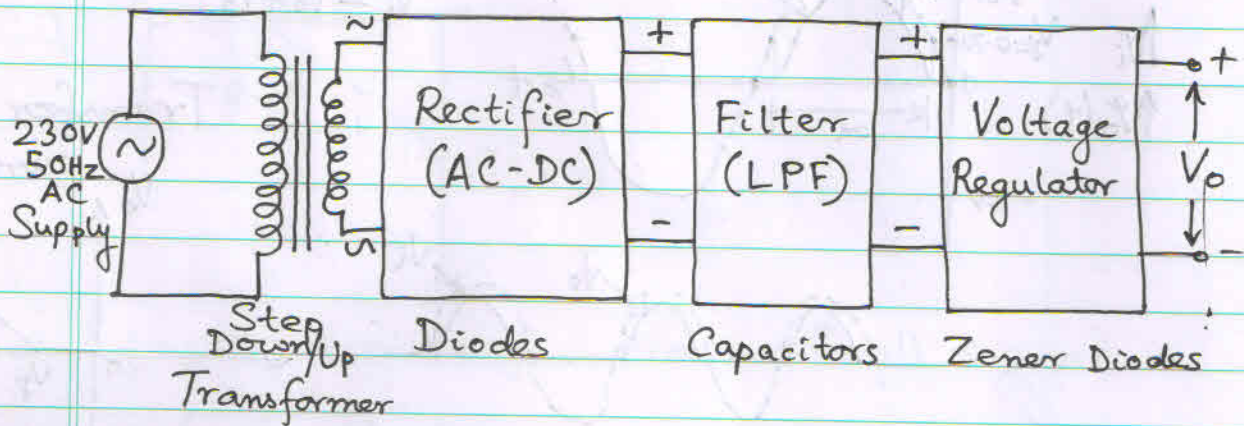
Transfer func<sup>n</sup>  
curve



$$i_D(t) = \frac{V_i(t) - V_g}{R_L}$$

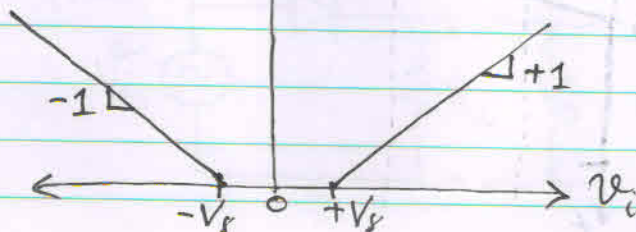
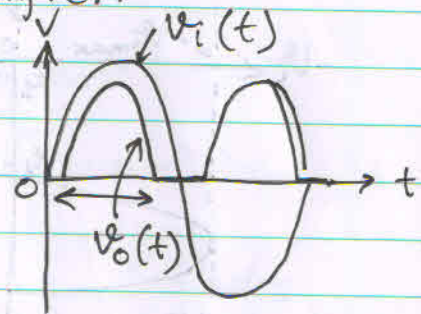
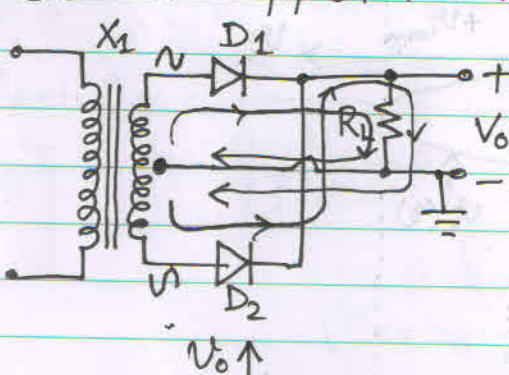
$$V_o(t) = V_i(t) - V_g$$

ii) A typical linear power supply: <sup>(DC)</sup>

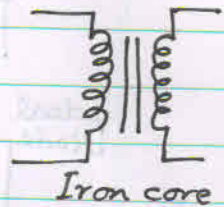
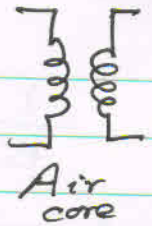
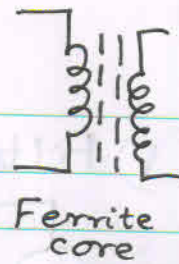
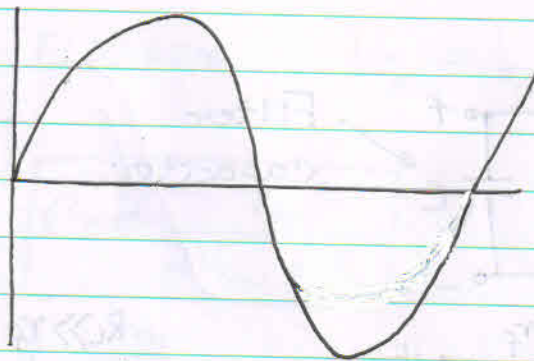


iii) Full-wave rectifier  $\rightarrow$  Center-tapped  
(FWR)  $\rightarrow$  Bridge

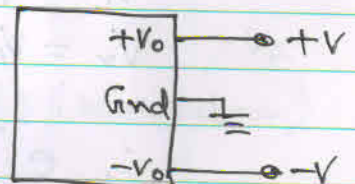
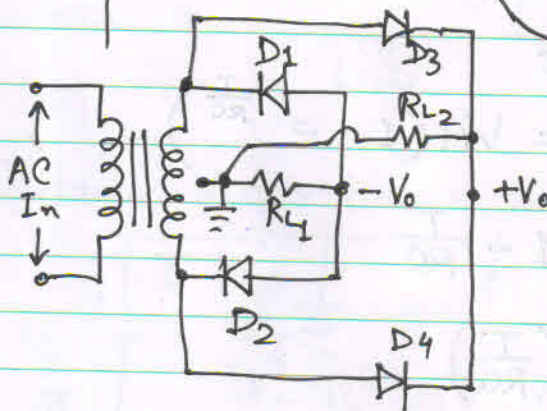
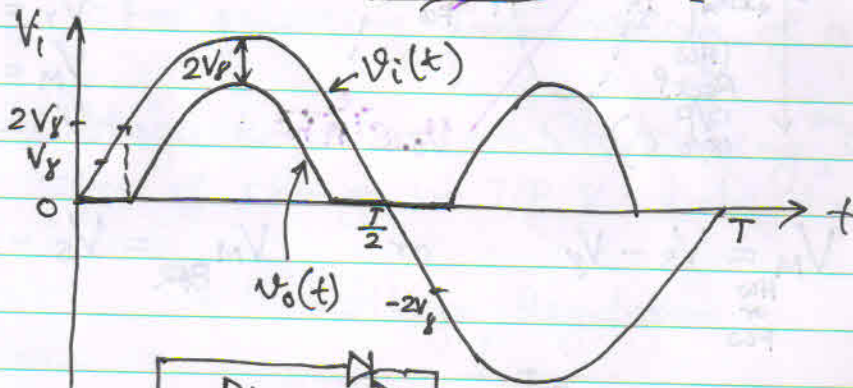
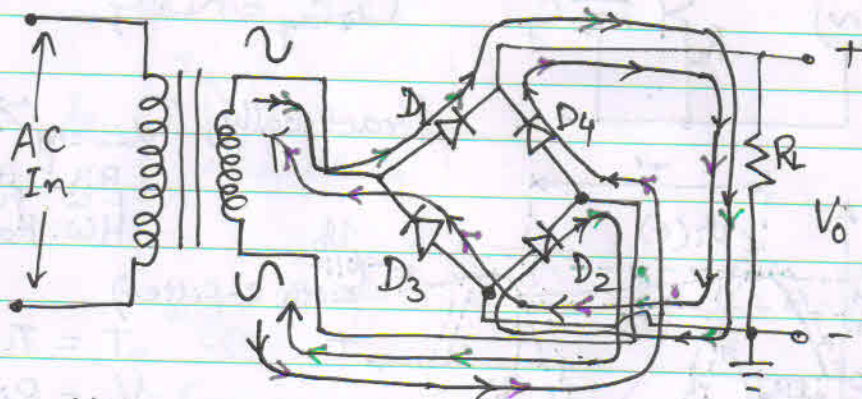
Center-tapped FW Rectifier:





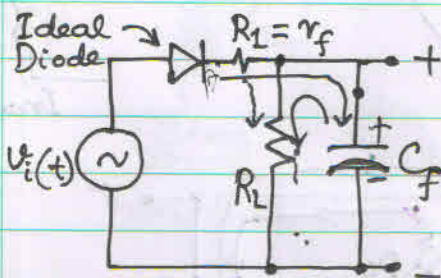
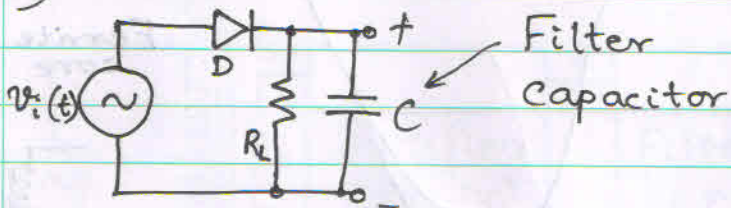


iv) Bridge (FW) Rectf.:



Bipolar Lin. DC. P.S.

## V) Filters

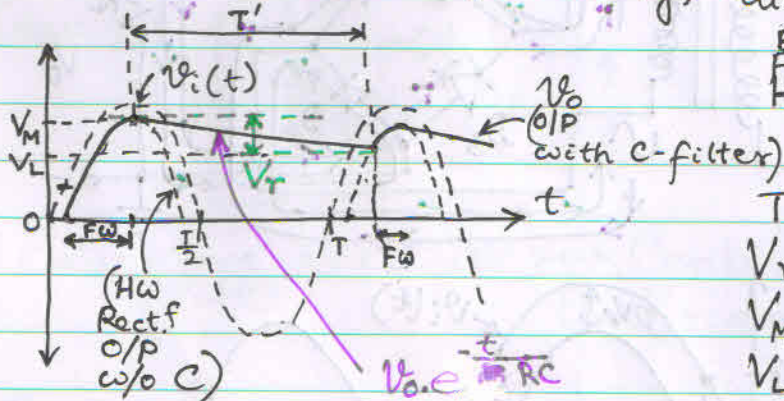


$$R_L \gg r_f$$

$$\tau_{\text{chg}} = R_1 \cdot C_f = r_f \cdot C_f$$

$$\tau_{\text{dis-chg}} = R_L \cdot C_f$$

Practically,  $\tau_{\text{dis-chg}} \gg \tau_{\text{chg}}$



BR: Bridge  
FW: Full-wave  
HW: Half-wave

$T$  = Time period of  $v_i$

$V_r$  = Ripple voltage

$V_M$  = Max. load  $V$

$V_L$  = Min. load  $V$

$$V_M = V_s - V_f \quad \text{or} \quad V_{M_{BR}} = V_s - 2V_f$$

$$V_L = V_M \cdot e^{-\frac{T'}{RC}}$$

$$V_r = V_M - V_L = V_M \left( 1 - e^{-\frac{T'}{RC}} \right)$$

$$; T' \ll R_L C_f$$

$$\therefore e^{-\frac{T'}{RC}} \approx 1 - \frac{T'}{RC}$$

$$\therefore V_r = V_M \left( \frac{T'}{RC} \right)$$

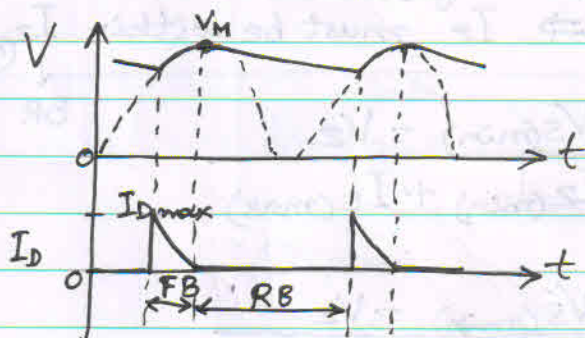
$$\text{Assuming, } T' \approx T ; V_{r_{HW}} = V_M \cdot \left( \frac{T}{RC} \right)$$



For, FW case,  $V_r = \frac{V_M}{2fRC}$  ;  $\therefore T' = \frac{1}{2f}$

$$C_f \geq \frac{V_M}{2V_{rFW} f \cdot R_L}$$

$$f = \frac{1}{T} = \text{Freq. of } V_i(t)$$



$$i_{D_{avg(FW)}} = \frac{1}{\pi} \sqrt{\frac{2V_r}{V_M}} \cdot \frac{V_M}{R} \left( 1 + \frac{\pi}{2} \sqrt{\frac{2V_M}{V_r}} \right)$$

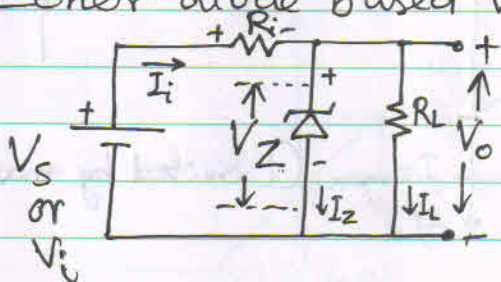
For selecting  $I_{max}$  rating of a diode.

vi) Voltage Regulator  $\rightarrow$  Stabilizing<sup>an</sup> O/P V irrespective of change in I/P V or load impedance.

Voltage Regulation

Line Load

Zener diode based V-reg.  $\rightarrow$  RB (break-down)



$$R_i = \frac{V_S - V_Z}{I_i} ; V_S > V_Z$$

$$= \frac{V_S - V_Z}{I_Z + I_L}$$

$$\therefore I_Z = \frac{V_S - V_Z}{R_i} - I_L ; I_Z \ll I_L$$

Also,  $I_L = \frac{V_Z}{R_L} = \frac{V_o}{R_L}$

For a reliable V-reg operation, a zener diode must be operated in a break-down region, & power dissipation (average) must not exceed its rated value  $\Rightarrow I_Z$  must be within  $I_{Z(\min)}$  &  $I_{Z(\max)}$

$$\therefore R_i = \frac{V_{S(\min)} - V_Z}{I_{Z(\min)} + I_{L(\max)}}$$

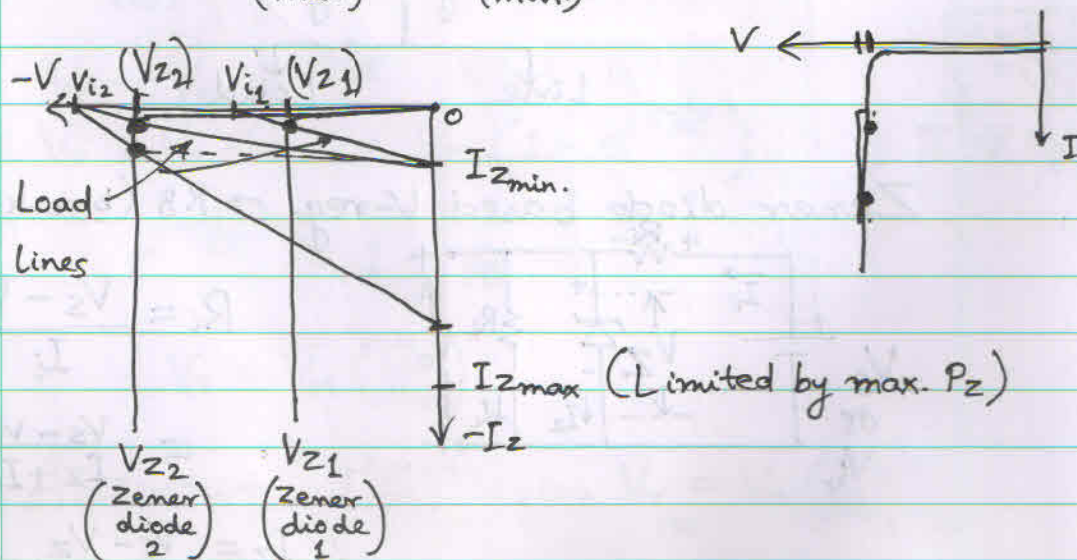
$$\& R_i = \frac{V_{S(\max)} - V_Z}{I_{Z(\max)} + I_{L(\min)}}$$

By equating these eq<sup>n</sup>s:-

$$I_{Z(\max)} = \frac{I_{L(\max)} \cdot [V_{S(\max)} - V_Z] - I_{L(\min)} \cdot [V_{S(\min)} - V_Z]}{V_{S(\min)} - 0.9 V_Z - 0.1 V_{S(\max)}}$$

& Power dissipation across a zener diode:

$$P_{Z(\max)} = I_{Z(\max)} \cdot V_Z$$





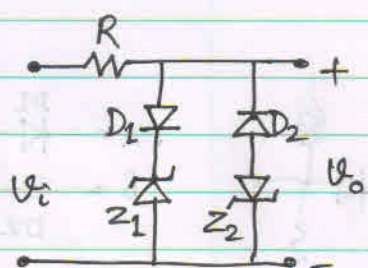
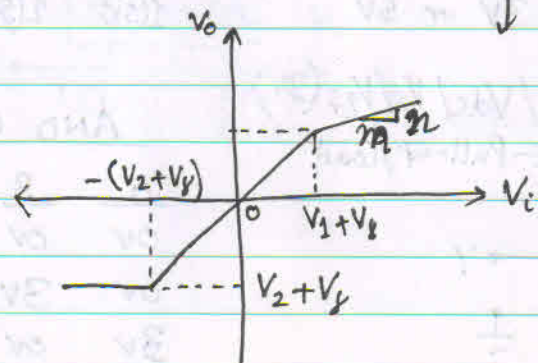
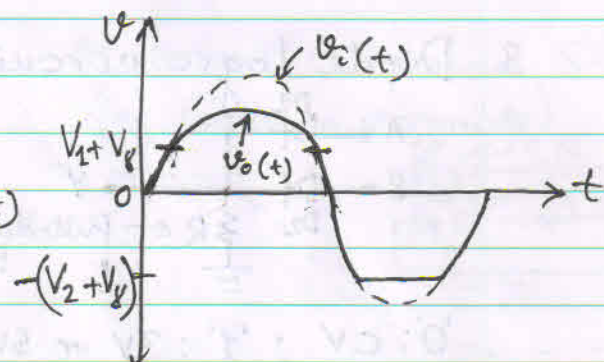
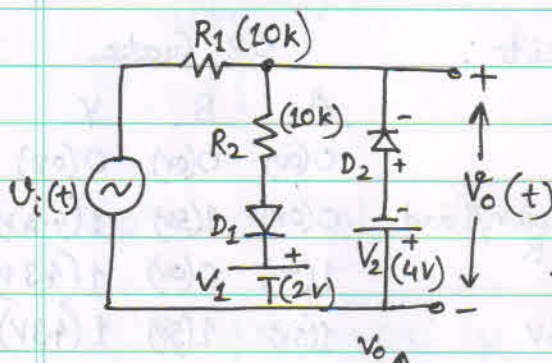
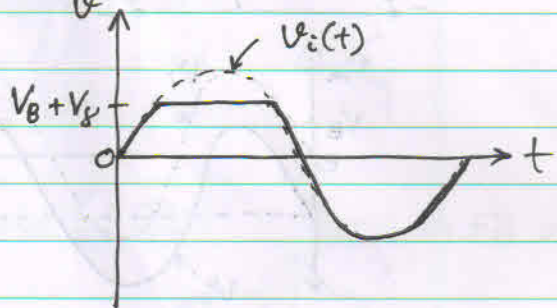
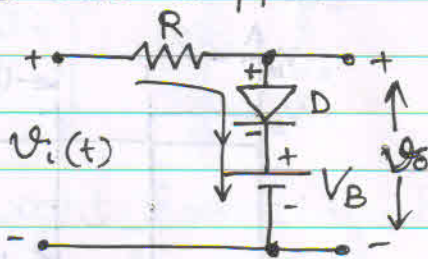
$$\text{Line/source regulation} = \frac{\Delta V_L}{\Delta V_{S}} \times 100\%$$

$$\text{Load regulation} = \frac{V_L(\text{no-load}) - V_L(\text{full-load})}{V_L(\text{full-load})} \times 100\%$$

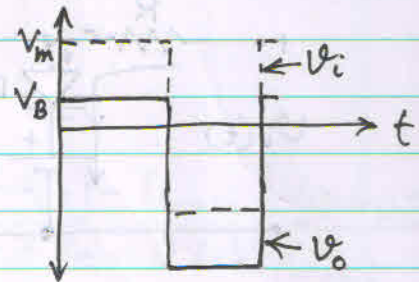
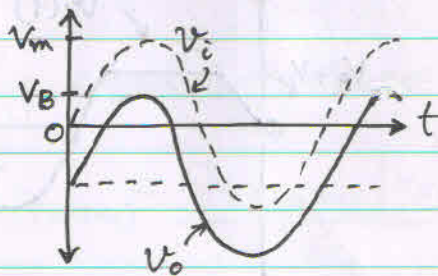
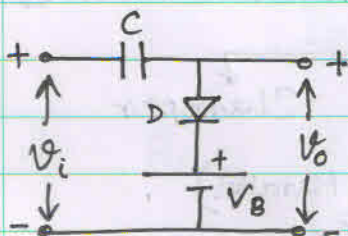
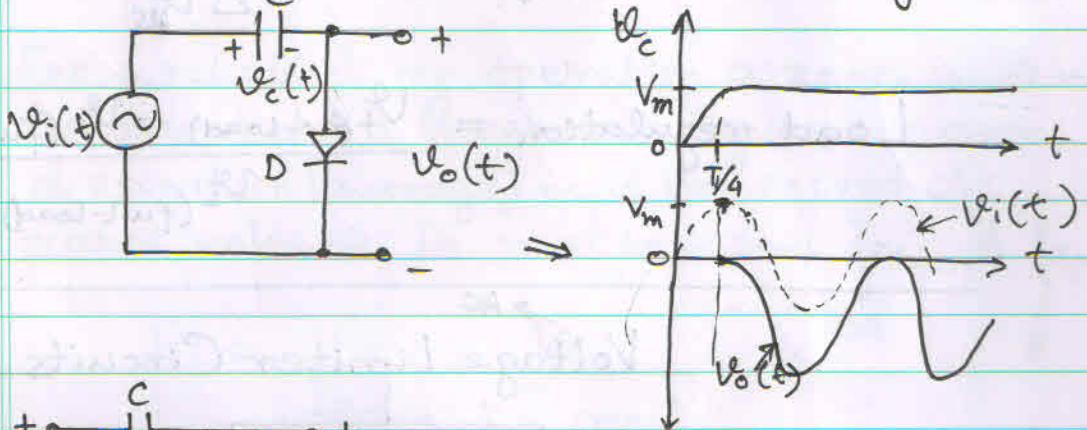
## → AC Voltage Limiter Circuits

↓                      ↓  
Clipper                  Clamper

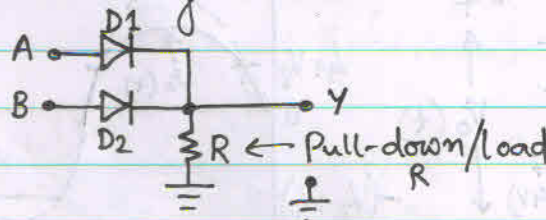
### 1) Diode Clipper: (Series & Parallel)



2. Diode clamper  $\rightarrow$  Shifts entire signal.



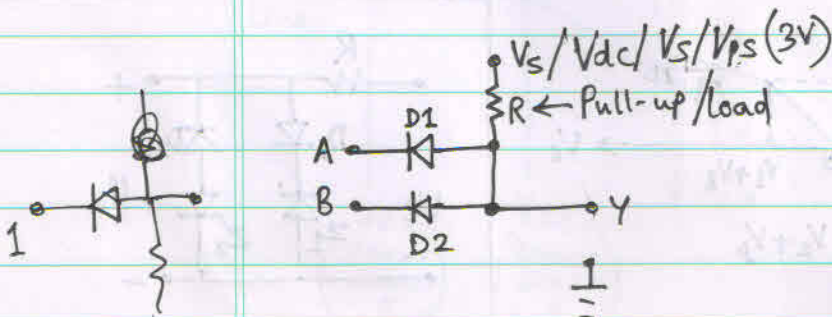
3. Diode logic circuit:



'0': 0V ; '1': 3V or 5V

OR Gate

A	B	Y
0(0v)	0(0v)	0(0v)
0(0v)	1(5v)	1(4.3v)
1(5v)	0(0v)	1(4.3v)
1(5v)	1(5v)	1(4.3v)



AND Gate

A	B	Y
0v	0v	0.7v
0v	3v	0.7v
3v	0v	0.7v
3v	3v	3v



## Photo-diode

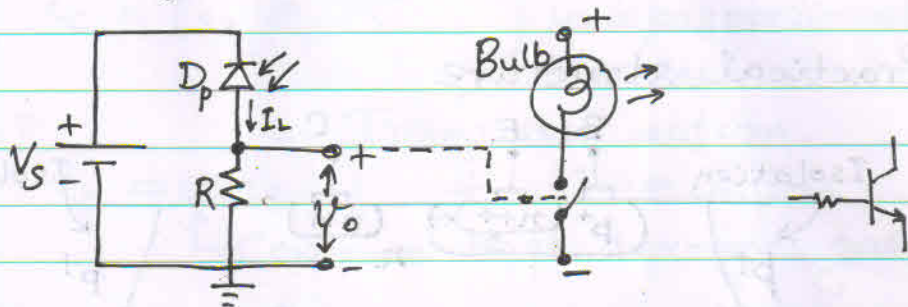
### 4. Diode as a light sensor:



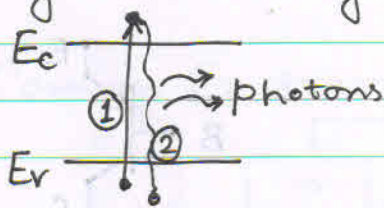
Photons supplied at a p-n junction <sup>(RB)</sup> causes generation of excess  $e^-$  &  $h^+$ . An applied E-field utilizes such carriers & contributes to an increased RB leakage  $I$  (also known as photo-current)

$$I_p = \eta e \phi A$$

Photo-current  $\nearrow$   $I_p$   
 Quantum efficiency  $\nearrow \eta$   
 Charge of an electron  $\nearrow e$   
 Photon flux density  $\nearrow \phi$   
 Junction area  $\nearrow A$

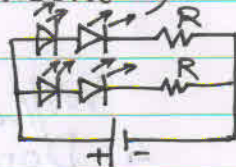
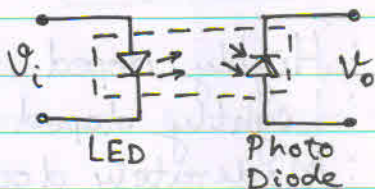


### 5. Light Emitting Diode (LED) : Used in FB only



Material: Compound S-C.  
(e.g. Gallium arsenide)

### 6. Opto-coupler/isolator:

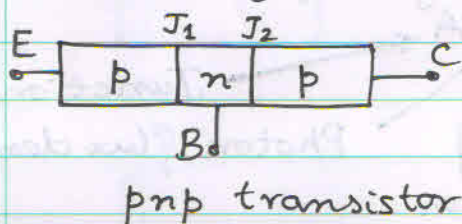


# Bipolar Junction Transistor (BJT)

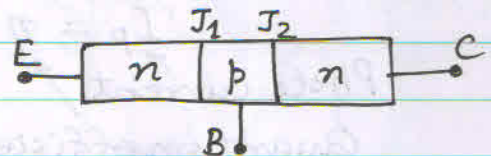
1. Transistor: Transfer of resistance (I/P to O/P).

→ 3 terminals (Emitter, Base & Collector)  
(E) (B) (C)

→ 2-junctions ( $J_1$  &  $J_2$ )

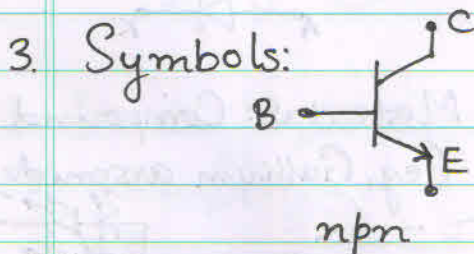
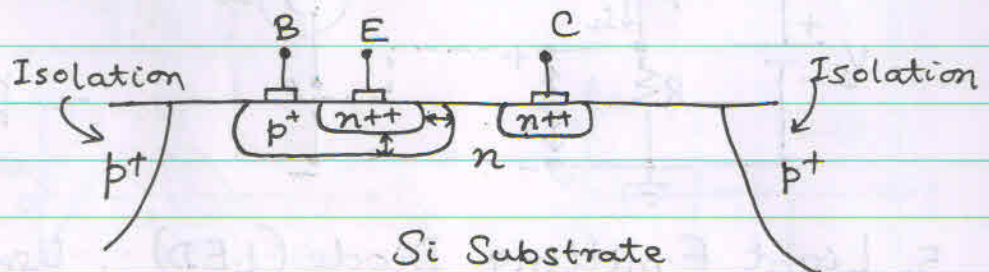


pnp transistor

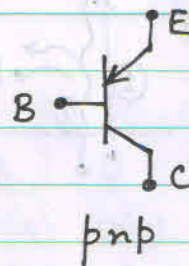


npn transistor

2. Practical structure



nnp



pnp

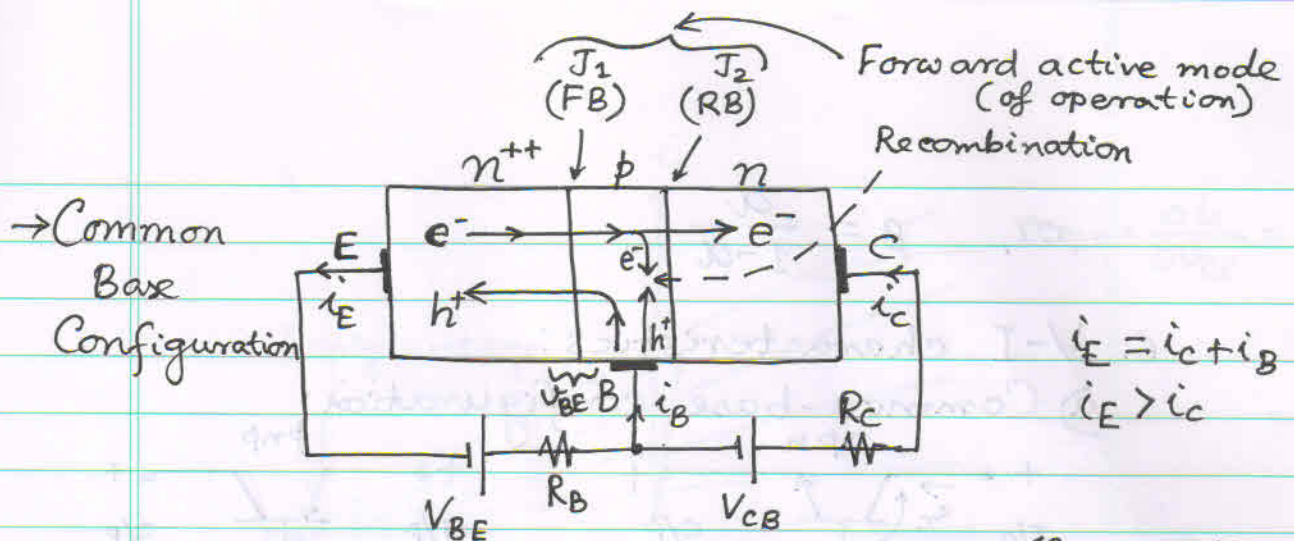
Vol./Area &

4. Doping profile:

(Medium) Emitter (E) : Highly doped ( $10^{19}$ )  
(Largest) Collector (C) : Lightly doped ( $10^{15}$ )  
(Smallest) Base (B) : Moderately doped ( $10^{17}$ ) }  $\text{cm}^{-3}$

5. Transistor currents (BJT): Both  $e^-$  &  $h^+$  are responsible (bipolar).





$$i_E = I_{E0} \left[ e^{\frac{V_{BE}}{V_T}} - 1 \right] \cong I_{E0} \cdot e^{\frac{V_{BE}}{V_T}} \quad \leftarrow 10^{-12} \text{ to } 10^{-15} \text{ A}$$

$$i_C = I_s \cdot e^{\frac{V_{BE}}{V_T}} \quad \left| \begin{array}{l} i_C \text{ is proportional to } e^{\frac{V_{BE}}{V_T}} \\ \& \text{ independent of } R_B \text{ B-C V.} \end{array} \right.$$

Transistor action.

$$i_C = \alpha \cdot i_E \quad \& \quad I_s = \alpha \cdot I_{E0}$$

$\uparrow$  Common-base current gain ( $\leq 1$ )

$$i_B \propto e^{\frac{V_{BE}}{V_T}}$$