

* Problem statement :-

- Tic tac toe is played on a 3×3 matrix where two players A & B play their moves.
- Player A is always the first player in every game.
- A: X & B: O
- X & O is played only on empty squares & are never overwritten.
- We are given a matrix called moves where $\text{moves}[i] = [\text{row}_i, \text{col}_i]$ indicates that the i^{th} move will be played on grid $[\text{row}_i, \text{col}_i]$
- Return the winner of game is A or B.
- If no winner → "Draw"
- If game can still continue → "Pending"
- A move is only valid if $\text{grid}[\text{row}][\text{col}] = ""$
- If all squares are non-empty & no-winner → "Draw"

* Examples :-

1) moves = $[[0,0], [2,0], [1,1], [2,1], [2,2]]$
Output = A

2) moves = $[[0,0], [1,1], [0,1], [0,2], [1,0], [2,0]]$
Output = B

3) moves = $[[0,0], [1,1], [2,0], [1,0], [1,2], [2,1], [0,1], [0,2], [2,2]]$
Output = "Draw"

* Solution :-

* Winning condition :-

1) Row check (Assume player = "A")

$\text{grid}[0][0]$ & $\text{grid}[0][1]$ & $\text{grid}[0][2] = \text{player}$ OR
 $\text{grid}[1][0]$ & $\text{grid}[1][1]$ & $\text{grid}[1][2] = \text{player}$ OR
 $\text{grid}[2][0]$ & $\text{grid}[2][1]$ & $\text{grid}[2][2] = \text{player}$ } Then return true for that player.

2) Col check (Assume player = "A")

$\text{grid}[0][0] \neq \text{grid}[1][0] \neq \text{grid}[2][0] = \text{player}$ OR
 $\text{grid}[0][1] \neq \text{grid}[1][1] \neq \text{grid}[2][1] = \text{player}$ OR
 $\text{grid}[0][2] \neq \text{grid}[1][2] \neq \text{grid}[2][2] = \text{player}$ } \left. \begin{array}{l} \text{Then return} \\ \text{true for that player.} \end{array} \right\}

3) Main diagonal

$\text{grid}[0][0] \neq \text{grid}[1][1] \neq \text{grid}[2][2] = \text{player}$

Anti diagonal

$\text{grid}[0][2] \neq \text{grid}[1][1] \neq \text{grid}[2][0] = \text{player}$

Return main Diagonal || anti diagonal

* Playing the game :-

i) Create a grid of 3×3 & initialize it with " ".

2) Loop over the rows of moves

i) $\text{moves}[i] \rightarrow \text{currentMove}$

ii) $x = \text{currentMove}[0]$ (x coordinate on grid)

iii) $y = \text{currentMove}[1]$ (y coordinate on grid)

iv) Since "A" is the first player & we are starting from $i=0$, every even i^{th} value = A's chance.

$\therefore \text{player} = i \% 2 == 0 ? \text{"A"} : \text{"B"}$

v) $\text{grid}[x][y] = \text{player}$

So, if current move = $[1, 2]$,

$x = 1, y = 2, \text{grid}[1][2] = \text{player}$

		"A"

vi) Check the winning conditions after each move.

vii) If any winning condition returns true, return that player.

viii) Else check if $\text{total moves} == 9$, then return "Draw" else return "Pending"

Time complexity :- $O(n)$ where n is total moves played

Space complexity :- $O(1)$