## The mathematical theory of gunpowder

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#### Abstract

In this paper, I describe the mathematical theory of gunpowder.

The paper ends with "The End"

### Introduction

Mixtures of the elements potassium, nitrogen, oxygen, sulphur and carbon have been used in battle since ancient times to the present. The general name for those mixtures is **gunpowder**.

In this paper, I describe the mathematical theory of gunpowder.

### The theoretical formula of gunpowder

The theoretical formula of gunpowder is

$$KNO_3 + S_8 + C_4$$

where

K is potassium, N is nitrogen, O is oxygen, S is sulphur and C is carbon.

### The mathematics of production of gunpowder

We look for positive integers  $\alpha, \beta, \chi, \delta, \epsilon$  such that

$$\alpha K + \beta N + \chi O + \delta S + \epsilon C = K + N + 3O + 8S + 4C$$

and

$$\alpha \tilde{K} + \beta \tilde{N} + \chi \tilde{O} + \delta \tilde{S} + \epsilon \tilde{C} = \tilde{K} + \tilde{N} + 3\tilde{O} + 8\tilde{S} + 4\tilde{C}$$

where

$$K = 19, N = 7, O = 8, S = 16, C = 6$$

are the atomic numbers of elemental Potassium, Nitrogen, Oxygen, Sulphur and Carbon. and

$$\tilde{K} = 39, \tilde{N} = 14, \tilde{O} = 16, \tilde{S} = 32, \tilde{C} = 12$$

are the atomic masses of the most common allotropes of Potassium, Nitrogen, Oxygen, Sulphur and Carbon.

# 14 solutions to the mathematics of production of gunpowder

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1.	$\alpha=1,\beta=9,\chi=2,\delta=5,\epsilon=4$
2.	$\alpha=1,\beta=9,\chi=3,\delta=3,\epsilon=8$
3.	$\alpha=1, \beta=1, \chi=3, \delta=5, \epsilon=12$
4.	$\alpha=1,\beta=1,\chi=1,\delta=3,\epsilon=20$
5.	$\alpha=1,\beta=15,\chi=1,\delta=1,\epsilon=9$
6.	$\alpha=1,\beta=5,\chi=7,\delta=5,\epsilon=2$
7.	$\alpha=1,\beta=7,\chi=4,\delta=6,\epsilon=1$
8.	$\alpha=1,\beta=3,\chi=8,\delta=2,\epsilon=11$
9.	$\alpha=1, \beta=15, \chi=2, \delta=2, \epsilon=5$
10.	$\alpha=1,\beta=1,\chi=10,\delta=3,\epsilon=8$
11.	$\alpha=1,\beta=1,\chi=8,\delta=1,\epsilon=16$
12.	$\alpha=1,\beta=1,\chi=6,\delta=2,\epsilon=16$
13.	$\alpha=1,\beta=9,\chi=1,\delta=1,\epsilon=16$
14.	$\alpha=1,\beta=1,\chi=5,\delta=1,\epsilon=20$

The End