

# Chapter 2: Assembly Programming

## Assembly Language Program Structure

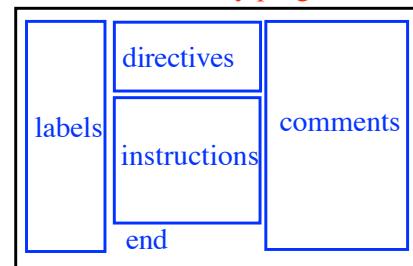
An assembly language program consists of a sequence of statements that tells the computer to perform the desired operations.

An assembly program consists of three sections: **assembler directives**, **assembly language instructions**, and **comments**.

**Assembler Directives:** Instruct the assembler how to process subsequent assembly language instructions, provide a way to define program constants, and reserve space for dynamic variables:

- Define data and symbol.
- Reserve and initialize memory locations.
- Set assembler and linking condition.
- Specify output format.
- Specifies the end of a program.

structure of an assembly program in a text editor



**Instructions:** Consists of operations and operands. (See Appendix A of the textbook for complete list.)

**Comments:** Explain the function of a single or a group of instructions or directives, making a program more readable. Use ; to indicate the beginning of a comment.

Each line of an assembly program, excluding certain special constructs, consists of four distinct fields: **label**, **operation**, **operand**, and **comment**.

### The Label Field

- Labels are symbols defined by the user to identify memory locations in the programs and data areas of the assemble module
- Begin with a letter and followed by letters, digits, or special symbols (\_ or .)
- Must start at column 1 if not ended with ":"
- Can start from any column if ended with ":"

The machine code of a program is stored in the memory line-by-line in the binary form → a programmer doesn't need to keep track of the memory address of each line, and simply refers as line by the line's "label."

\$1034	begin:	LDAA #10	; label begins in column 1
	...		
	print:	JST hexout	; label is terminated by a colon
\$11FB		JMP begin	; jump to the line labeled as “begin”

For example, the line with the label “begin” is in the memory location with the address \$1034 and the line with “print” is in \$11FB, JMP instruction will redirect the back to address \$1034.

### The Operation Field

- Contains the **mnemonic name** for a machine **instruction** or an assembler **directive**.
- Separated from the label by at least one space.
- Consists of **one opcode per line**.

	ADDA	#\$02	; ADDA is the instruction mnemonic
true	EQU	1	; equate directive EQU occupies the operation field

### The Operand Field

- Separated from the operation field by at least one space.
- Contains operands for instructions or arguments for assembler directives.
- Consists of **nothing**, **a number** (prefixed with a #), or an **address** per line.

tcnt	EQU	\$0084	; \$0080 is the operand field
	ADDA	\$0090	; \$0090 is the operand field

### The Comment Field [optional]

- Must have a \* or ; prefixing any comment.
- Separated from the operand and operation field for at least one space.

; this program computes the square root of a 8-bit integer N  
 org \$1000 ; set the location counter to memory location \$1000  
 dec lp\_cnt ; decrement the loop counter

Example:

label	opcode	operand	comment
loop	ADDA	#\$40	; add #\$40 (hex) to accumulator A

- “ADDA” is an instruction mnemonic
- “#\$40” is the operand (**# = a number**, not an address)
- “add #\$40 to accumulator A” is a comment

# Assembler Directives

Look just like instructions, but they **tell the assembler to do something** other than creating the machine code for an instruction.

## end

- Ends a program to be processed by an assembler
- Any statement following END is ignored

## org (origin)

- ORG sets a new value for the location counter of the assembler.
- Mainly used to **force a data table or a segment of instructions to start with a certain memory address**.
- Should be **used as infrequently as possible**. Using **too many ORG** will make a program **less reusable**.

ORG	\$1000	; forces the location counter to be set to \$1000
LDAB	#\$FF	; put the <b>opcode</b> byte at <b>location \$1000</b>

## dc.b (define constant byte)

### db (define byte)

### fcb (form constant byte)

- **Define the value of a byte or bytes** that will be placed at a given memory address.
- Often preceded by ORG.
- Multiple bytes can be defined at a time by using commas.

array	org	\$1000
	dc.b	\$11, \$22, \$33, \$44

\$1000	\$11
\$1001	\$22
\$1002	\$33
\$1003	\$44

initializes the contents of memory locations at \$1000, \$1001, \$1002, and \$1003 to \$11, \$22, \$33 and \$44, respectively. The label, array, is used as the symbolic address of the first byte whose initial value is \$11.

## dc.w (define constant word; 1 word = 2 bytes)

### dw (define word)

### fdb (form double bytes)

- Define the value of a word or words that will be placed at a given memory address.

vec_tab	dc.w	\$1234, \$5678
---------	------	----------------

\$12
\$34
\$56
\$78

initializes the two words starting from the current location counter to \$1234 and \$5678, respectively. After this statement, the location will be incremented by four.

### **fcc (form constant character)**

- Define a string of characters (**a message**).
- Each character is represented by its **ASCII** form and stored in **memory**.
- A character string outputting to a LCD display is often defined using this directive.

msg:        fcc "Please enter 1, 2, or 3." ; each character is stored in **ASCII**  
alpha:      fcc "def"                            ; d=\$64, d=\$65, f=\$66 in **ASCII**

"mg and "alpha" are **labels = symbolic addresses** of the first byte of the two arrays = **starting addresses** of the two arrays **in memory**.

[See p. 14 of this lecture note for the **ASCII** table.]

### **fill (fill memory)**

- **Fill** a certain **number of memory locations with a given value**.
- Syntax:      **fill      value, count**

space\_line:    fill    \$20, 40                ; a vector of 40 elements with values of \$20

fills **40 bytes** with the **value of \$20** starting from the **memory location** reference to by the label "space\_line". The address of the first byte is "space\_line".

### **ds.b (define storage bytes)**

#### **ds (define storage)**

#### **rmb (reserve memory byte)**

- **Reserves** a number of **bytes** given as the arguments to the directive. (for **variables**)
- The **location counter** will be **incremented by the number** that follows the directive mnemonic.

buffer:        ds.b    100                        ; reserve memory space for a vector of 100 bytes

reserves 100 bytes in memory starting from the location represented by the label "buffer". After this directive, the location **counter** will be **incremented by 100**.

### **ds.w (define storage word)**

#### **rmw (reserve memory word)**

- Each of these directives increments the **location counter** by the value indicated in the **number-of-words** argument **multiplied by two**.

dbuf:        ds.w    20                            ; a vector of **40 bytes**

reserves 40 bytes starting from the momory location counter represented by the label "dbuf".

### **equ (equate)**

- Assigns a **constant** value to a label.
- Define constants will make a program more readable.

```
arr_cnt    equ    100           ; arr_cnt is now a constant = 100
```

informs the assembler that the symbol “arr\_cnt” should be replaced with the value of 100 whenever it is encountered. **arr\_cnt contains a constant = 100, not an address location/label.**

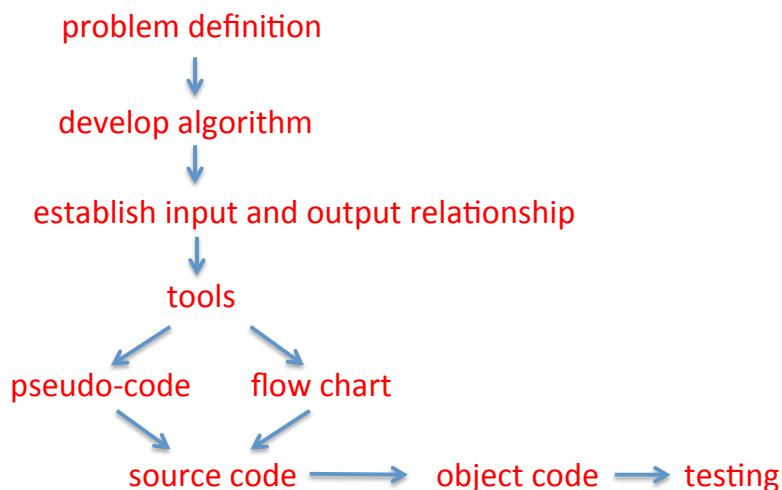
### **loc**

- Increments and produces an internal **counter** used in conjunction with the backward tick mark (^).
- By using the loc directive and the ^ mark, one can write program segments like the following example, **without** thinking up new labels:

	loc	equivalent to	loc
	ldaa #2		ldaa #2
loop`	deca	→ loop001	deca
	bne loop`		bne loop001
	loc		loc
loop`	brclr 0, X, \$55, loop`	→ loop002	brclr 0, X, \$55, loop002

The left segment will work perfectly fine because the **first loop** label will be seen as loop001, whereas the **second loop** label will be seen as loop002. The assembler actually sees the right segment.

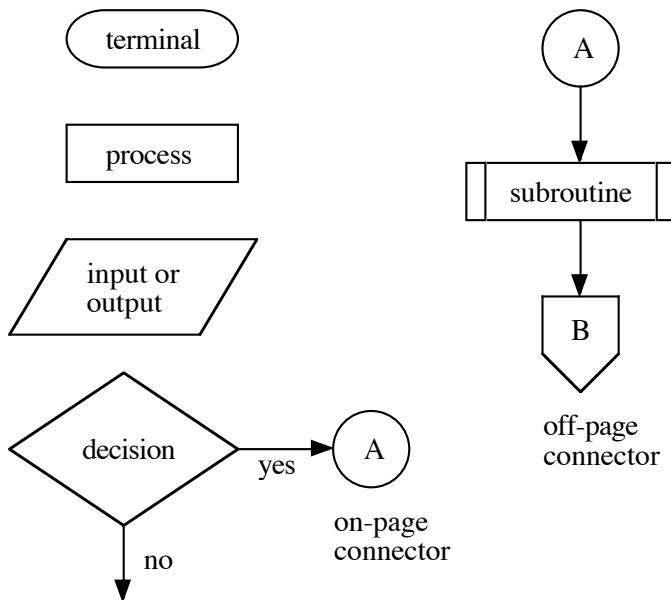
## **Software Development Issues**



1. Software development starts with **problem definition**, identifying to be done.
2. Develop the **algorithm**, which presents the overall plan for solving the problem.
  - An algorithm is a sequence of computational steps that transforms the input into the output. That is, the desired **input/output relationship**.
  - An algorithm, in **pseudo-code**, documents the software to be developed.

Step 1  
...  
Step 2  
...

  - Another way to express overall plan is to use **flowchart**, showing the way a program operates, illustrating the logic flow of the program.



The **terminal** box is used at the beginning (with the word **Start**) and end (with the word **Stop**) of each program.

The **process** box indicates what must be done at this point in the program execution.

The **input/output** box is used to represent data that are either read or displayed by the computer.

The **decision** box contains a question that can be answered by either yes or no.

The **on-page connector** indicates that the flowchart continues elsewhere on the same page. The place where it is continued will have the same label as the on-page connector.

The **off-page connector** indicates that the flowchart continues on another page with matching off-page connector.

Normal flow on a flowchart is from top to bottom and from left to right. Any line that does not follow this normal flow should have an **arrowhead** on it.

3. After you are satisfied with the algorithm or flowchart, convert it to source code in the assembly or high-level language.
4. Program testing.

## Arithmetic Examples

Example: Add the numbers stored at memory locations \$1000, \$1001, and \$1002, and save the sum at memory location \$1100.

### Pseudo code

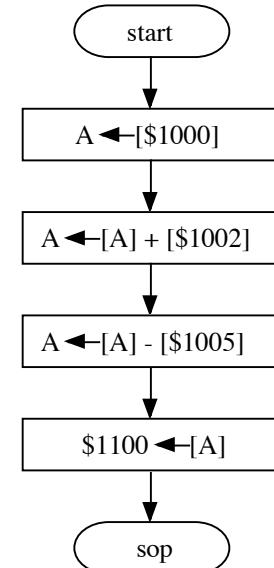
Step 1:	$A \leftarrow m[1000]$	; use LDAA (load into A)
Step 2:	$A \leftarrow A + m[1001]$	; use ADDA (add w/o carry)
Step 3:	$A \leftarrow A + m[1002]$	
Step 4:	$\$1100 \leftarrow A$	; use STAA (store to m[\$1100])

ORG	\$2000	; starting memory location of the program
LDAA	\$1000	; place the contents at location \$1000 into A
ADDA	\$1001	; add the contents at location \$1001 into A
ADDA	\$1002	; add the contents at location \$1002 into A
STAA	\$1100	; store the sum at location \$1100
SWI		; release the control back to D-Bug12
END		; tell assembler this is the end of program

Example: Subtract the number stored at the memory location \$1005 from the sum of the memory locations at \$1000 and \$1002, and store the difference at \$1100.

use flow chart →		
ORG	\$2000	
LDAA	\$1000	; $A \leftarrow m[1000]$
ADDA	\$1002	; $A \leftarrow A + m[1002]$
SUBA	\$1005	; $A \leftarrow A - m[1005]$
STAA	\$1100	
SWI		
END		

SUBA = subtract the number in a memory location from A w/o borrow;  $A \leftarrow A - m[???$



Example: Subtract 5 from two memory locations at \$1000 and \$1001.

In the HCS12, a **memory location cannot** be the **destination** of an ADD or SUB instruction.

Step 1: load the memory location into an accumulator. ;  $A \leftarrow m[\$1000]$   
Step 2: add (or subtract) the number to (from) the accumulator ;  $A \leftarrow A - \#5$   
Step 3: store the result at the specified memory location ;  $m[\$1000] \leftarrow A$

	ORG	\$2000	; start address of the program
1:	LDAA	\$1000	; copy the content at location \$1000 to A
2:	SUBA	#5	; subtract 5 from A
3:	STAA	\$1000	; store the result back to \$1000
<hr/>			
1:	LDAA	\$1001	; repeat the instructions with location \$1001
2:	SUBA	#5	; “
3:	STAA	\$1001	; “
	SWI		
	END		

Example: Add two 16-bit numbers that are stored at \$1000-\$1001 and \$1002-\$1003.  
Afterwards, store the sum at \$1100-\$1101.

ORG	\$2000	;
LDD	\$1000	; place the 16-bit number in $D \leftarrow m[1000:1001]$
ADDD	\$1002	; add the 16-bit number at \$1002-\$1003 to D ; $D \leftarrow D + m[1002:1003]$
STD	\$1100	; save the sum from $D \rightarrow m[1100:1101]$
SWI		
END		

### The Carry/Borrow Flag

- Bit 0 of the CCR register
- Set to 1 when the addition operation produces a **carry 1**
- Set to 1 when the subtraction operation produces a **borrow 1**
- Enables the user to implement **multiprecision (> 16 bits) arithmetic**.



LDD #\\$8654 ; 16-bit number needs to use accumulator D  
ADDD #\\$9978 ; C flag = 1 in the CCR register

$$\begin{array}{r} \$8\ 6\ 4\ 5 \\ + \$9\ 9\ 7\ 8 \\ \hline \$1\ 1\ F\ B\ D \\ \text{carry}\ |\ \text{sum} \end{array}$$



Example: Add two 4-byte numbers that are stored at \$1000-\$1003 and \$1004-\$1007, and store the sum at \$1010-\$1013.

Note: no instruction for 16-bit addition with carry.

Addition starts from the least significant byte and proceeds toward the most significant byte.

```

org      $2000      ; starting address of the program
ldd      $1002      ; copy the lowest two bytes of the first operand in D
1:      addd $1006      ; add the least significant two bytes
          std      $1012      ; save the sum of the least significant two bytes
; needs to use accumulator A because there is no "add with carry" in D
          ldaa    $1001      ; add and save the second most significant bytes
2:      adca $1005      ; "add with carry to A" from bit 0 of the CCR
          staa    $1011      ;
; repeat the steps with the most significant bytes
          ldaa    $1000      ; add and save the most significant bytes
3:      adca $1004      ;
          staa    $1010      ;
          swi
end

```

$$\begin{array}{r}
 \text{ADCA} & \text{ADCA} & \text{ADDD} \\
 \text{C} & \text{C} & \\
 \boxed{\$1000} & \boxed{\$1001} & \boxed{\$1002} & \boxed{\$1003} \\
 + & \boxed{\$1004} & \boxed{\$1005} & \boxed{\$1006} & \boxed{\$1007} \\
 \hline
 \text{C} & \boxed{\$1010} & \boxed{\$1011} & \boxed{\$1012} & \boxed{\$1013}
 \end{array}$$

perform addition  
from right to left

3      2      1      steps

Example: Subtract the 4-byte number stored at \$1004-\$1007 from the 4-byte number stored at \$1000-\$1003, and save the result at \$1100-\$1103.

Note: no instruction for 16-bit subtraction with borrow. Subtraction starts from the least significant byte and proceeds toward the most significant byte.

Simply replace ADDD with SUBD and ADCA with SBCA.

```

org      $2000
ldd      $1002 ; copy the lowest two bytes of the minuend to D
1:      subd $1006 ; subtract the lowest two bytes of the subtrahend from D
          std      $1102 ; save the lowest two bytes of the difference
; needs to use accumulator A because there is no "subtract with carry" in D
          ldaa    $1001 ; subtract the second to most significant bytes
2:      sbcu $1005 ; "subtract with the borrow from A"
          staa    $1101 ; save the difference of the second to most significant bytes
; repeat the steps with the most significant bytes
          ldaa    $1000 ; subtract and save the difference of the
3:      sbcu $1004 ; most significant bytes
          staa    $1100 ;
          swi
end

```

### Binary-Coded-Decimal (BCD) Addition

- Each **decimal digit** is encoded by **4 bits**. Simplifies I/O conversion.
- Example: **2538** (= **%100111101010**) can be represented by **0010 0101 0011 1000** in **BCD** format.
- The **addition of two BCD numbers** is performed by binary addition (ADDA, ADCA, or ABA) and **followed by** an adjust operation using the **DAA instruction**.
- **DAA = 4-bit binary sum + 6** [See **ENGG 32A** book or lecture note]
- DAA does not work with subtraction.

LDAA	\$1000	; load two BCD digits into A
ADDA	\$1001	; add two BCD digits in A
DAA		; decimal adjust the sum in A
STAA	\$1002	; save the sum in BCD form

### Multiplication and Division

[Be careful on which registers are used.]

Mnemonic	Function	Operation
<b>EMUL</b>	unsigned <b>16 by 16</b> multiply	(D) x (Y) → Y:D = <b>32 bits</b>
<b>EMULS</b>	signed 16 by 16 multiply	(D) x (Y) → Y:D
<b>MUL</b>	unsigned <b>8 by 8</b> multiply	(A) x (B) → A:B = <b>16 bits</b>
<b>EDIV</b>	unsigned <b>32 by 16</b> divide	(Y:D) ÷ (X) quotient → Y; remainder → D
<b>EDIVS</b>	signed 32 by 16 divide	(Y:D) ÷ (X) quotient → Y; remainder → D
<b>FDIV</b>	<b>16 by 16 fractional</b> divide [quotient in fraction between 0 & 1]	(D) ÷ (X) → X (quotient) remainder → D
<b>IDIV</b>	unsigned <b>16 by 16</b> integer divide [quotient in integer]	(D) ÷ (X) → X (quotient) remainder → D
<b>IDIVS</b>	signed 16 by 16 integer divide	(D) ÷ (X) → X (quotient) remainder → D

**EMUL** multiplies the 16-bit unsigned integers stored in D and Y. The **upper 16 bits** of the product are found in **Y** and the **lower 16 bits** of the product are found in **D**.

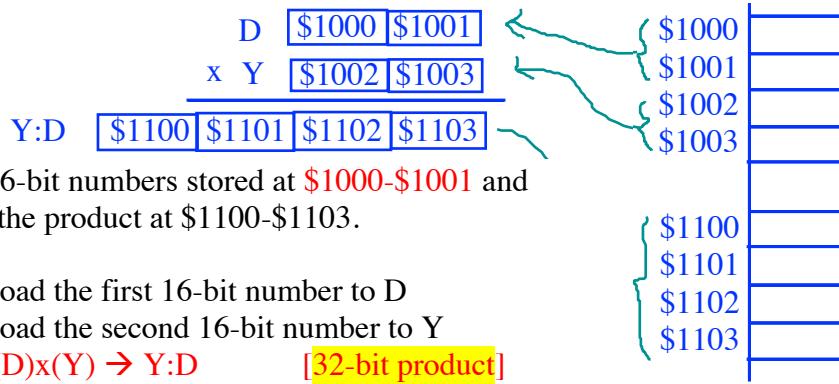
**EDIV** performs an unsigned 32-bit by 16-bit division. The **upper 16-bit dividend** is found in **Y** and the **lower 16-bit dividend** is found in **D**. X is the divisor. After division, the quotient and remainder are placed in Y and D, respectively.

$$D=\$0003 \quad FDIV \rightarrow D/X = 0.5 \text{ (fraction is stored in X)}$$

$$X=\$0006$$

$$X: \boxed{1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0 \ \dots \ 0}$$

$$\begin{array}{l} \text{positional} \\ \text{notation} \end{array} \quad \begin{array}{l} 2^{-1} \ 2^{-2} \ 2^{-3} \ 2^{-4} \ \dots \end{array}$$



Example: **Multiply** the 16-bit numbers stored at **\$1000-\$1001** and **\$1002-\$1003**, and store the product at **\$1100-\$1103**.

```
LDD $1000      ; load the first 16-bit number to D
LDY $1002      ; load the second 16-bit number to Y
EMUL          ; (D)x(Y) → Y:D [32-bit product]
STY $1100      ; $1100 has the higher byte
STD $1102      ; $1102 has the lower byte
```

Example: Multiply the contents of X and D. Store the product at **\$1000-\$1003**.

No instruction to **multiply X and D**; need to transfer the content of X to Y.

```
STY $1010      ; save Y in a temporary location
TFR X, Y      ; transfer the contents of X to Y
EMUL          ; (D)x(Y) → Y: D [32-bit product]
STY $1000
STD $1002
LDY $1010      ; restore the value of Y
```

Example: Divide the unsigned 16-bit number stored at **\$1005-\$1006** by the unsigned 16-bit number at **\$1020-\$1021**. Store the **quotient** and **remainder** at **\$1100** and **\$1102**, respectively.

```
LDD $1005      ; place the dividend in D
LDX $1020      ; place the divisor in X
IDIV          ; (D)÷(X) → quotient X & remainder D
STX $1100      ; store the quotient
STD $1102      ; store the remainder
```

### Exchange between accumulator D and index registers X and Y

Because most arithmetic operations are performed only on accumulators, we need to transfer the contents of index register X to accumulator D so that further division on the quotient can be performed.

**XGDX** exchanges the contents of D and X

**XGDY** exchanges the contents of D and Y

### 32-bit by 32-bit Multiplication (4 bytes x 4 bytes = 8-byte product)

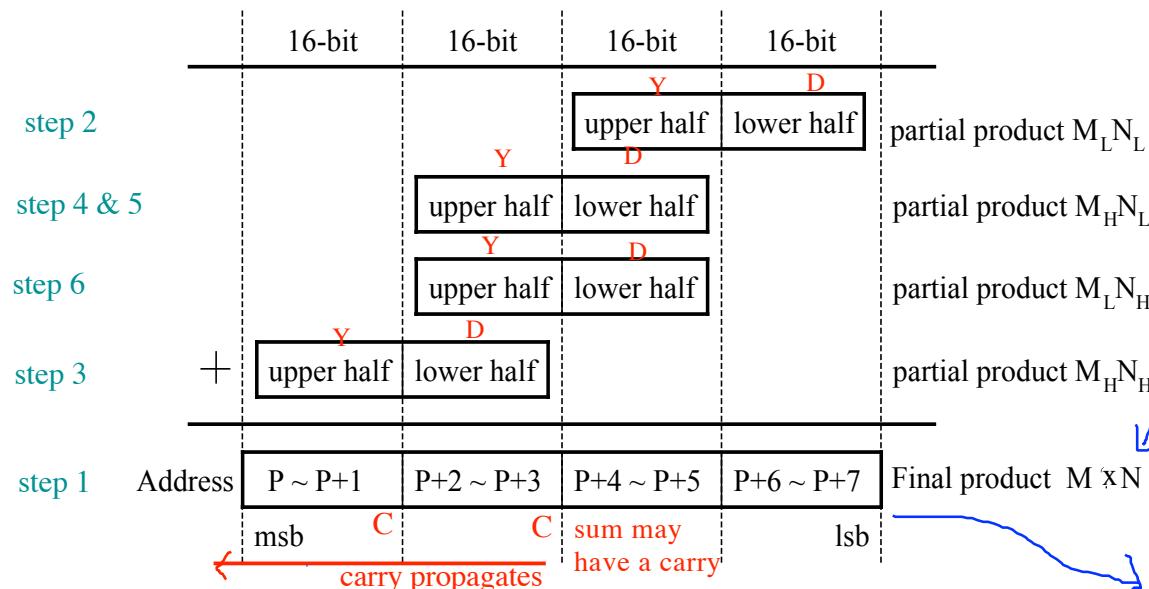
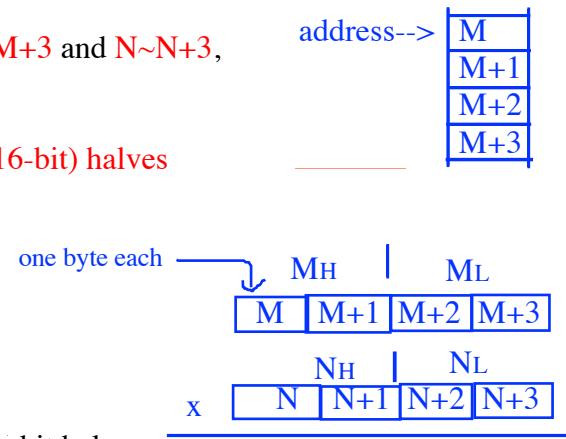
Multiply two unsigned 32-bit numbers stored at  $M \sim M+3$  and  $N \sim N+3$ , respectively, and store the product at  $P \sim P+7$ .

Two 32-bit numbers  $M$  and  $N$  are divided into **two (16-bit) halves**

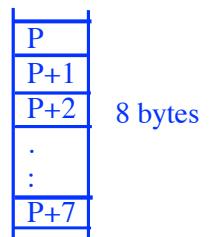
$$M = M_H M_L$$

$$N = N_H N_L$$

Use the **four 16-bit by 16-bit multiplications** [EMUL:  $D \times Y \rightarrow Y:D$ ] to synthesize the operation. Their **4-byte (=32-bits) partial products** are finally added together to give a **8-byte (=64-bits) product**.



- Step 1: Allocate 8 bytes to hold the product at locations  $P \sim P+7$ .
- Step 2: Generate the partial product  $M_L N_L$  (in  $Y:D$ ) and save it at  $P+4 \sim P+7$ .
- Step 3: Generate the partial product  $M_H N_H$  (in  $Y:D$ ) and save it at  $P \sim P+3$ .
- Step 4: Generate the partial product  $M_H N_L$  (in  $Y:D$ ) and add it to locations  $P+2 \sim P+5$ . The C flag may be set to 1 after this addition.
- Step 5: [Allow Carry to propagate to the left.] Add the C flag to location  $P+1$  using ADCA (or ADCB). This addition may also set the C flag to 1 after this addition. So, again, add the C flag to location  $P$ .
- Step 6: [Allow Carry to propagate to the left.] Generate the partial product  $M_L N_H$  (in  $Y:D$ ) and add it to locations  $P+2 \sim P+5$ . The C flag may be set to 1 after this addition. So, add the C flag to location  $P+1$  and then add it to location  $P$ .



	org	\$1000	; starting address of the storage of the numbers
step 1	\$1000 -> M	ds.b	4 ; reserve 4 bytes to hold the multiplicand
	\$1004 -> N	ds.b	4 ; reserve 4 bytes to hold the multiplier
	\$1008 -> P	ds.b	8 ; reserve 8 bytes to hold the product
step 2		org	\$2000 ; starting address of the program
		ldd	M+2 ; place $M_L$ in D [M+2 = \$1002]
		ldy	N+2 ; place $N_L$ in Y [N+2 = \$1005]
		emul	; compute $M_L N_L$ (store in Y:D)
		sty	P+4 ; save the upper 16 bits of the partial product $M_L N_L$
		std	P+6 ; save the lower 16 bits of the partial product $M_L N_L$
step 3		ldd	M ; place $M_H$ in D
		ldy	N ; place $N_H$ in Y
		emul	; compute $M_H N_H$
		sty	P
		std	P+2
step 4		ldd	M ; place $M_H$ in D
		ldy	N+2 ; place $N_L$ in Y
		emul	; compute $M_H N_L$
	; the following instructions add $M_H N_L$ to memory locations P+2~P+5		
		addd	P+4 ; add lower half of $M_H N_L$ and upper half of $M_L N_L$
		std	P+4 ; save the sum to P+4~P+5
		tfr	Y,D ; move the upper half of $M_H N_L$ to A:B → P+2:P+3
		adcdb	P+3 ; “add with carry” upper half of $M_H N_L$ and
		stab	P+3 ; lower half of $M_L N_L$
		adca	P+2
		staa	P+2
	; the following instructions propagate carry to the most significant byte		
step 5		ldaa	P+1
		adca	#0 ; add carry to the location at P+1
		staa	P+1 ; “
		ldaa	P ; add carry to the location at P
		adca	#0 ; “
		staa	P ; “
step 6	; the following instructions compute $M_L N_H$		
		ldd	M+2 ; place $M_L$ in D
		ldy	N ; place $N_H$ in
		emul	; compute $M_L N_H$
	; the following instructions add $M_L N_H$ to memory locations P+2 ~ P+5		
		addd	P+4 ; add lower half of $M_L N_H$ with the contents of P+4
		std	P+4 ; save the sum to P+4~P+5
		tfr	Y,D ; transfer Y to D

adcb	P+3	; add upper half of M <sub>L</sub> N <sub>H</sub> with the contents of P+3
stab	P+3	
adca	P+2	
staa	P+2	

; the following instruction propagate carry to the most significant byte

clra		; clear A
adca	P+1	; add with carry
staa	P+1	; save sum to location P
ldaa	P	
adca	#0	; add C flag to location P
staa	P	
end		

## ASCII Table

differ by \$20

Decimal	Hex	ASCII	Decimal	Hex	ASCII	Decimal	Hex	ASCII	Decimal	Hex	ASCII
0	00	NUL	32	20	(blank)	64	40	@	96	60	.
1	01	SOH	33	21	!	65	41	À	97	61	a
2	02	STX	34	22	"	66	42	È	98	62	b
3	03	ETX	35	23	#	67	43	Ç	99	63	c
4	04	EOT	36	24	\$	68	44	Ð	100	64	d
5	05	ENQ	37	25	%	69	45	Ñ	101	65	e
6	06	ACK	38	26	&	70	46	Ñ	102	66	f
7	07	BEL	39	27	'	71	47	Ñ	103	67	g
8	08	BS	40	28	(	72	48	Ñ	104	68	h
9	09	HT	41	29	)	73	49	Ñ	105	69	i
10	0A	LF	42	2A	*	74	4A	Ñ	106	6A	j
11	0B	VT	43	2B	+	75	4B	Ñ	107	6B	k
12	0C	FF	44	2C	,	76	4C	Ñ	108	6C	l
13	0D	CR	45	2D	-	77	4D	Ñ	109	6D	m
14	0E	SO	46	2E	.	78	4E	Ñ	110	6E	n
15	0F	SI	47	2F	/	79	4F	Ñ	111	6F	o
16	10	DLE	48	30	0	80	50	Ñ	112	70	p
17	11	DC1	49	31	1	81	51	Ñ	113	71	q
18	12	DC2	50	32	2	82	52	Ñ	114	72	r
19	13	DC3	51	33	3	83	53	Ñ	115	73	s
20	14	DC4	52	34	4	84	54	Ñ	116	74	t
21	15	NAK	53	35	5	85	55	Ñ	117	75	u
22	16	SYN	54	36	6	86	56	Ñ	118	76	v
23	17	ETB	55	37	7	87	57	Ñ	119	77	w
24	18	CAN	56	38	8	88	58	Ñ	120	78	x
25	19	EM	57	39	9	89	59	Ñ	121	79	y
26	1A	SUB	58	3A	:	90	5A	Ñ	122	7A	z
27	1B	ESC	59	3B	:	91	5B	[	123	7B	{
28	1C	FS	60	3C	<	92	5C	\	124	7C	
29	1D	GS	61	3D	=	93	5D	]	125	7D	}
30	1E	RS	62	3E	>	94	5E	^	126	7E	~
31	1F	US	63	3F	?	95	5F	—	127	7F	(delete)

Example: Convert the 16-bit number stored at \$1000-\$1001 to BCD form, then convert each BCD digit into its ASCII code, and store the result at \$1100-\$1104.

[Application: Display a number stored in computer on a screen.]

- A binary number can be converted to BCD format using division-by-10.
- The largest 16-bit binary number is 65535, which has 5 decimal digits.
- The remainder of the first division-by-10 obtains the least significant digit, the second division-by-10 obtains the second least significant digit, ...
- The ASCII code is obtained by adding \$30 to each BCD digit.

$$\begin{array}{r} 10 \backslash 12345 \\ 10 \backslash 1234 \dots 5 \\ 10 \backslash 123 \dots 4 \\ 10 \backslash 12 \dots 3 \\ \quad \quad \quad 1 \dots 2 \end{array}$$
  
 ↓  
 most significant digit

<b>data</b> org \$1000 dc.w 12345	; place a decimal number to be tested in ; the label "data" (stored as a 16-bit binary number)
<b>result</b> org \$1100 ds.b 5	; reserve 5 bytes to store the result
D = 12345 → Y = a pointer to the start address of "result" watch out the use of #result ! X = 10	
org \$2000 ; starting address of the program ldd data ; copy the 16-bit number to D ldy #result ; store the memory location of result in Y = \$1000 ldx #10 ; divide the number by 10 idiv ; (D) ÷ (X) → quotient X, remainder D=A:B [A=0] addb #\$30 ; convert the digit stored in B into ASCII code <u>stab 4,Y</u> ; save the least significant digit to location result+4 <u>xgdx</u> ; swap the quotient X to D	
<u>ldx #10</u> <u>idiv</u> <u>adc b #\$30</u> ; convert the digit into ASCII code <u>stab 3,Y</u> ; save the second-to-least significant digit	
<u>xgdx</u> <u>ldx #10</u> <u>idiv</u> <u>add b #\$30</u> <u>stab 2,Y</u> ; save the middle digit	
<u>xgdx</u> <u>ldx #10</u> <u>idiv</u> ; separate the most significant and second-to-most significant digits <u>add b #\$30</u> <u>stab 1,Y</u> ; save the second-to-most significant digit	
<u>xgdx</u> ; swap the most significant digit to B <u>add b #\$30</u> ; convert the digit into ASCII code <u>stab 0,Y</u> ; save the most significant digit <u>swi</u> ; ASCII form of 12345 (\$31, \$32, \$33, \$34, \$35) <u>end</u> ; can be found in memory location \$1100~\$1104	

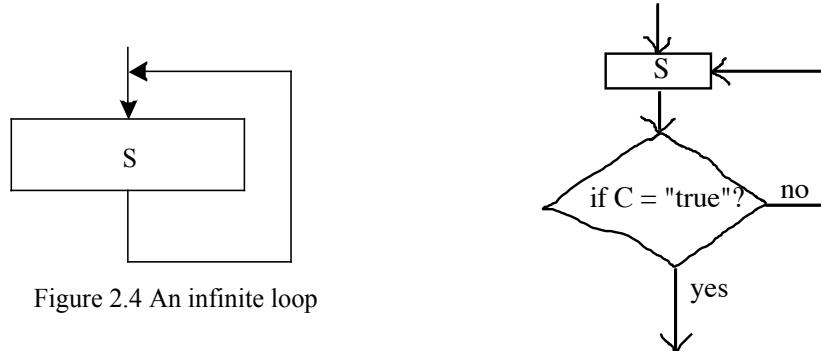
[What happens if the decimal number is less than 5 digits? How to shorten the program?]

# Program Loops

- For **repetitive operations**.
- Types of program loops: *finite* and *infinite* loops

## 1. Do statement S forever

- An infinite loop in which statement S is **repeated** forever.
- May add a **condition statement** “**If condition C=true then exit**” the infinite loop.



## 2. For $i = n1$ to $n2$ do statement S or For $i = n2$ downto $n1$ do statement S

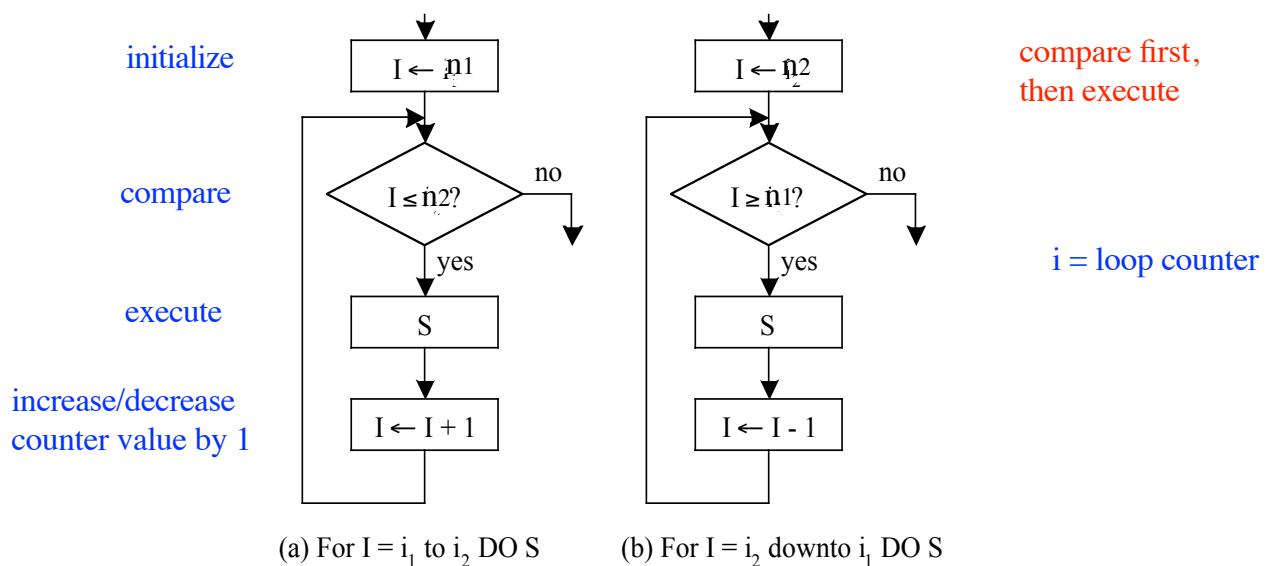
- Variable  $i$  is the **loop counter**, which can be **incremented or decremented**, and keeps track of the number of remaining times statement S is to be executed.
- Statement S is **repeated  $n2-n1+1$  times**, where  $n1 \leq n2$ .
- Four steps are required to implement a For loop:

Step 1: **Initialize** the loop counter and other variables.

Step 2: **Compare** the loop counter with the limit to see if it is within bounds. If it is, **execute** the specified operations. Otherwise, exit the loop.

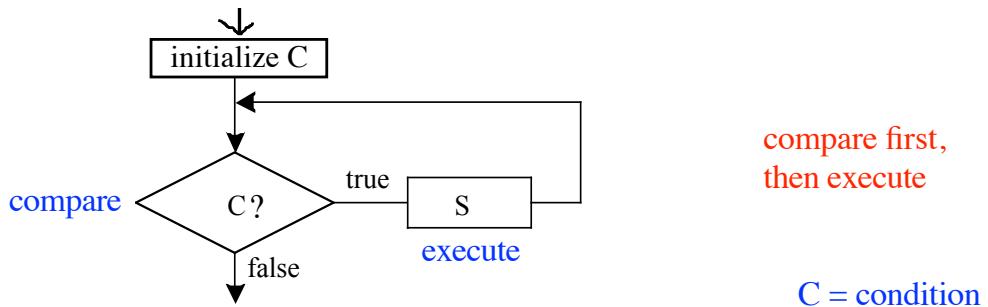
Step 3: **Increment** (or decrement) the loop counter.

Step 4: Go to step2.



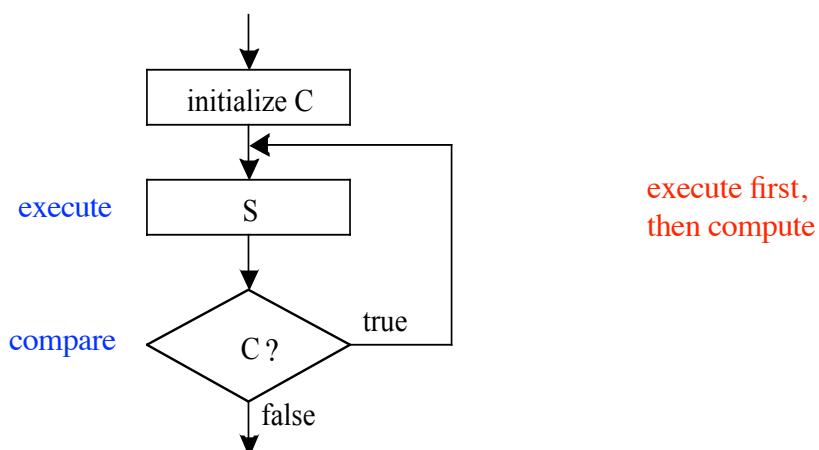
3. **While** condition  $C=true$  **do statement S**

- The logical expression C is evaluated first before executing the While construct
- Four steps are required to implement a While loop:
  - Step 1: Initialize the logical expression C. (C = condition)
  - Step 2: Evaluate the logical expression C.
  - Step 3: Execute the specified operations S, update C, and go to step 2 if C is true. If C is false, go to step 4 without executing S.
  - Step 4: Exit the loop.



4. **Repeat statement S until  $C=false$**

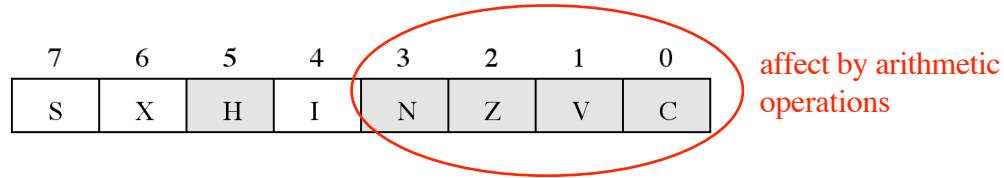
- Statement S is first executed and then the logical expression C is evaluated.
- If C is false, the next statement S will not be executed anymore.
- Three steps are required to implement a While loop:
  - Step 1: Initialize the logical expression C. (C = condition)
  - Step 2: Execute statement S and update C.
  - Step 3: Go to step 2 if C is true. Otherwise, exit.



[Where does the condition C come from?]

# Condition Code Register (CCR)

Program loops are implemented by using the **conditional branch instructions** and the execution of these instructions depends on the **contents** of the **CCR**.



The shaded characters are condition flags that reflect the status of an operation.

## C: the carry flag

- Whenever a **carry** is generated as the result of an operation, the flag **C = 1**.
- Otherwise, it will be cleared to 0.

## V: the overflow flag

- Whenever the result of a **2's complement arithmetic** operation is **out of range**, this flag **V = 1**.
- Otherwise, it will be cleared to 0.
- This flag will be set to 1 when the carry from the MSB and the second MSB differ as the result of an arithmetic operation.

## Z: the zero flag

- Whenever the **result** of an operation is **zero**, the flag **Z = 1**.
- Otherwise, it will be cleared to 0.

## N: the negative flag

- This flag indicates that the result of an operation is **negative**
- Whenever the **MSB (sign bit)** of the result of an operation is 1, the flag **N = 1**.
- Otherwise, it will be cleared to 0.

## H: the half-carry flag

- Whenever there is a **carry** from the **lower four bits** to the upper four bits as the result of an operation, the flag **H = 1**.
- Otherwise, it will be cleared to 0.

# Branch Instructions

- Branch instructions cause program flow to change when specific conditions exist.
- Four categories of branch instructions:
  1. **Unconditional branch:** always execute.
  2. **Simple branch:** a branch is taken when a specific bit of CCR is in a specific status as a result of a previous operation.
  3. **Unsigned branch:** a branch is taken when a comparison or test of *unsigned* numbers results in a specific combination of CCR bits.
  4. **Signed branch:** a branch is taken when a comparison or test of *signed* numbers results in a specific combination of CCR bits.
- Two kinds of branches
  1. **Short Branch:** a signed 8-bit offset is added to the value of the program counter (PC) when a specified condition is met. Program execution continues at the new address. The numeric range of the offset value is in the range of  $-128 \sim +127$  (or  $\$80 \sim \$7F$  in hex) bytes.
  2. **Long Branches:** a signed 16-bit offset is added to the value of the program counter (PC) when a specified condition is met. Program execution continues at the new address. The numeric range of the offset value is in the range of  $-32768 \sim 32767$  (or  $\$8000 \sim \$7FFF$  in hex) byte. This permits branching from any location in the 64-Kbyte address map.

Common formats:

loop: ...	or	loop: ...
.	.	.
:	:	:
<b>Bcc</b> loop		<b>LBcc</b> loop

**B** = short branch; **LB** = long branch

From pp. 20 & 21, **cc** is one of the condition codes: CC, CS, EQ, MI, NE, PL, VC, VS, HI, HS, LO, LS, GE, GT, LS, and LT.

Usually a comparison or arithmetic instruction (see p. 22) is executed to set up the CCR bits before the conditional branch instruction.

Table 2.2 Summary of short branch instructions

Unary Branches		
Mnemonic	Function	Equation or Operation
BRA	Branch always	$1 = 1$
BRN	Branch never	$1 = 0$
Simple Branches		
Mnemonic	Function	Equation or Operation
BCC	Branch if carry clear (or borrow)	$C = 0$
BCS	Branch if carry set (or borrow)	$C = 1$
BEQ	Branch if equal	$Z = 1$
BMI	Branch if minus	$N = 1$
BNE	Branch if not equal	$Z = 0$
BPL	Branch if plus	$N = 0$
BVC	Branch if overflow clear	$V = 0$
BVS	Branch if overflow set	$V = 1$
Unsigned Branches		
Mnemonic	Function	Equation or Operation
BHI	Branch if higher	$C + Z = 0$
BHS	Branch if higher or same	$C = 0$
BLO	Branch if lower	$C = 1$
BLS	Branch if lower or same	$C + Z = 1$
Signed Branches		
Mnemonic	Function	Equation or Operation
BGE	Branch if greater than or equal	$N \oplus V = 0$
BGT	Branch if greater than	$Z + (N \oplus V) = 0$
BLE	Branch if less than or equal	$Z + (N \oplus V) = 1$
BLT	Branch if less than	$N \oplus V = 1$

compare two signed numbers

Unsigned Branches

+ = or

first perform A-B

if  $A-B > 0$ , then no borrow and  $Z=0$   
 $Z = 0$  or 1

if  $A-B < 0$ , then borrow exists

compare two signed numbers

Signed Branches

Need to run a comparison instruction before running a branch instruction! (see p. 22)

Table 2.3 Summary of long branch instructions

Unary Branches		
Mnemonic	Function	Equation or Operation
LBRA	Long branch always	$1 = 1$
LBRN	Long branch never	$1 = 0$
Simple Branches		
Mnemonic	Function	Equation or Operation
LBCC	Long branch if carry clear	$C = 0$
LBCS	Long branch if carry set	$C = 1$
LBEQ	Long branch if equal	$Z = 1$
LBMI	Long branch if minus	$N = 1$
LBNE	Long branch if not equal	$Z = 0$
LBPL	Long branch if plus	$N = 0$
LBVC	Long branch if overflow is clear	$V = 0$
LBVS	Long branch if overflow set	$V = 1$
Unsigned Branches		
Mnemonic	Function	Equation or Operation
LBHI	Long branch if higher	$C + Z = 0$
LBHS	Long branch if higher or same	$C = 0$
LBLO	Long branch if lower	$C = 1$
LBLS	Long branch if lower or same	$C + Z = 1$
Signed Branches		
Mnemonic	Function	Equation or Operation
LBGE	Long branch if greater than or equal	$N \oplus V = 0$
LBGT	Long branch if greater than	$Z + (N \oplus V) = 0$
LBLE	Long branch if less than or equal	$Z + (N \oplus V) = 1$
LBLT	Long branch if less than	$N \oplus V = 1$

## Compare and Test Instructions

- CCR flags need to be set up before a conditional branch instruction is executed.
- A group of compare instructions for setting the CCR flags.
- A group of instructions for testing the CCR flags.
- Most instructions update CCR flags automatically.

Table 2.4 Summary of compare and test instructions

Compare instructions		
Mnemonic	Function	Operation
CBA	Compare A to B	(A) - (B)
CMPA	Compare A to memory	(A) - (M)
CMPB	Compare B to memory	(B) - (M)
CPD	Compare D to memory	(D) - (M:M+1)
CPS	Compare SP to memory	(SP) - (M:M+1)
CPX	Compare X to memory	(X) - (M:M+1)
CPY	Compare Y to memory	(Y) - (M:M+1)
Test instructions		
Mnemonic	Function	Operation
TST	Test memory for zero or minus	(M) - \$00
TSTA	Test A for zero or minus	(A) - \$00
TSTB	Test B for zero or minus	(B) - \$00

## Decrementing and Incrementing Instructions

- Often need to add or subtract one from a variable in a program.
- Instructions to increment or decrement a variable by one.
- Application: increase/decrease a loop counter or address pointer by 1

Decrement instructions		
Mnemonic	Function	Operation
DEC	Decrement memory by 1	$M \leftarrow (M) - \$01$
DECA	Decrement A by 1	$A \leftarrow (A) - \$01$
DECB	Decrement B by 1	$B \leftarrow (B) - \$01$
DES	Decrement SP by 1	$SP \leftarrow (SP) - \$01$
DEX	Decrement X by 1	$X \leftarrow (X) - \$01$
DEY	Decrement Y by 1	$Y \leftarrow (Y) - \$01$

Increment instructions		
Mnemonic	Function	Operation
INC	Increment memory by 1	$M \leftarrow (M) + \$01$
INCA	Increment A by 1	$A \leftarrow (A) + \$01$
INCB	Increment B by 1	$B \leftarrow (B) + \$01$
INS	Increment SP by 1	$SP \leftarrow (SP) + \$01$
INX	Increment X by 1	$X \leftarrow (X) + \$01$
INY	Increment Y by 1	$Y \leftarrow (Y) + \$01$

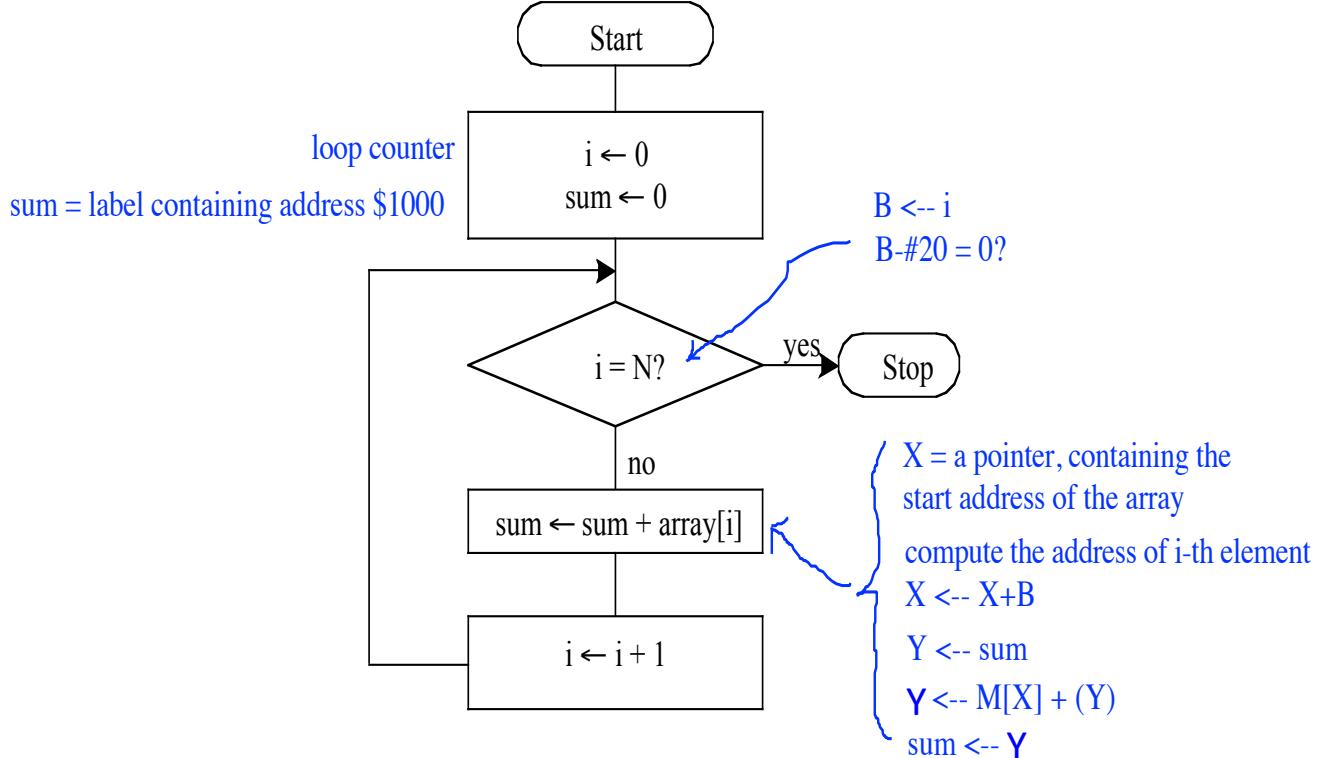
Table 2.6 ■ Summary of decrement and increment instructions

Example:

LDAA	i	; this sequence is the same as INC i
ADDA	#1	
STAA	i	

Example: Add an array of N 8-bit numbers and store the sum at memory locations \$1000~\$1001. Use the For  $i = n1$  to  $n2$  do looping construct.

assume  $N=20$  elements



Variable  $i$  is the **loop counter**, used to keep track of the number of iterations remained to be performed.

$i$  can also be served as the **array index**.

Variable **sum** has **2 bytes** to hold the sum of array elements.

```

constant --> N    equ   20      ; array size = 20 = the number of 8-bit numbers
                   org   $1000   ; starting address of on-chip SRAM
$1000 --> sum   rmb   2       ; reserve 2 bytes for the sum
$1002 --> i     rmb   1       ; reserve 1 byte for index i (loop counter)

initialize          org   $2000   ; starting address of the program
                     ldaa  #0
                     staa  i       ; load A to i for initializing loop counter to 0
                     staa  sum     ; load 0 to the lower byte of the sum
                     staa  sum+1   ; load 0 to the upper byte of the sum

; iteration
loop   ldab  i       ; copy index i to B. (i starts from 0)
       cmpb #N      ; is i = N? [cmpb #N = (B) - #$20]
       beq   done    ; if equal, then branch to the address of the label done
       ldx   #array   ; if not, use index register X as a pointer to the array
                     abx
                     ldab  0,X
                     ldy   sum
                     aby
                     sty   sum
                     inc   i
                     bra   loop

done   swi           ; return to D-Bug12 monitor

; the array is defined in the following statement
array dc.b 11, 22, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20
end

```

**watch out the use of "#"**

**#array** = a number = the start address of the array = the address of the first element.

What is LDX array?

Without the "#", the content of the address contained in the label "array" is loaded.  
→ **X = \$1122** in this example because "11" is the first element of the array and X contains 2 bytes (from 2 consecutive addresses).

## Loop Primitive Instructions

- Program loops are usually implemented by incrementing or decrementing the value of a loop counter.
- Loop-primitive instructions can decrement or increment a loop counter to determine if the looping should be continued.
- These instructions test a counter value in a register or accumulator (A, B, D, X, Y, or SP) for zero or nonzero value as a branch condition.
- The range of the branch is -128 ~ +127 (or \$80 ~ \$7F in hex) byte from the instruction immediately following the loop primitive instruction.

Combine increment/decrement of a loop counter and comparison in one instruction.

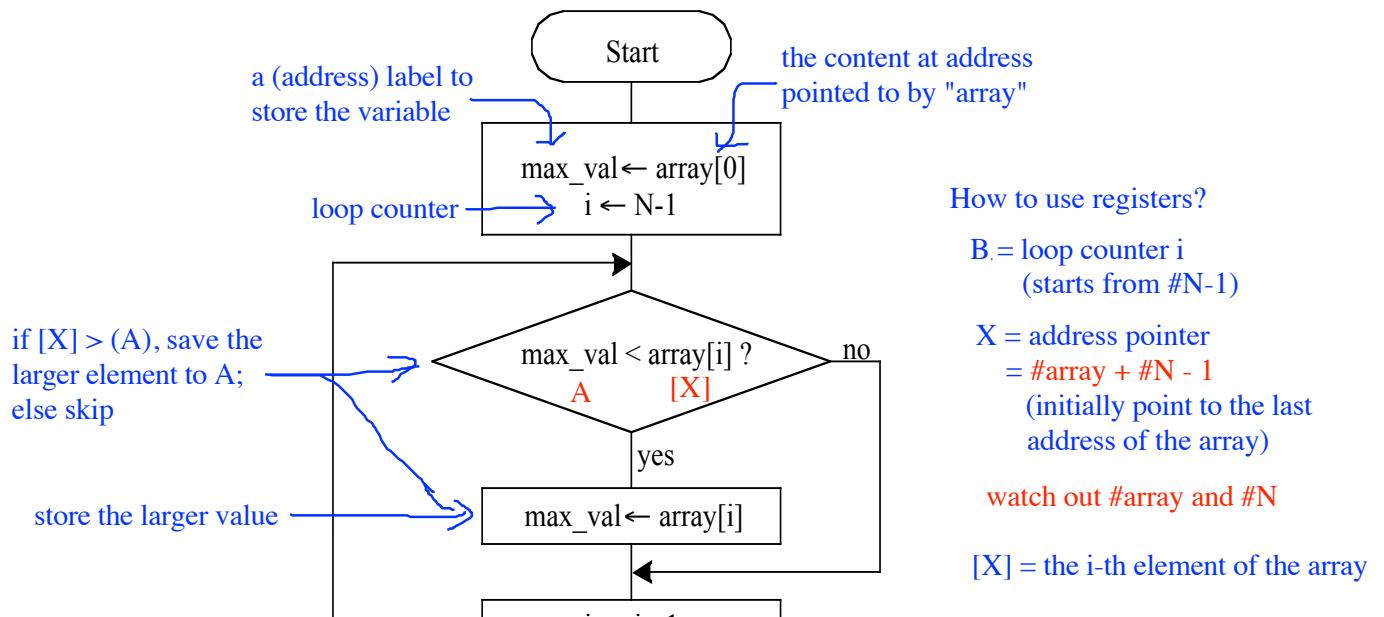
	Mnemonic	Function	Equation or Operation
D = decrement I = increment	DBEQ cntr, rel	Decrement counter and branch if = 0 (counter = A, B, D, X, Y, or SP)	counter $\leftarrow$ (counter) - 1 If (counter) = 0, then branch else continue to next instruction
B = branch	DBNE cntr, rel	Decrement counter and branch if $\neq$ 0 (counter = A, B, D, X, Y, or SP)	counter $\leftarrow$ (counter) - 1 If (counter) $\neq$ 0, then branch else continue to next instruction
EQ = equal to 0	IBEQ cntr, rel	Increment counter and branch if = 0 (counter = A, B, D, X, Y, or SP)	counter $\leftarrow$ (counter) + 1 If (counter) = 0, then branch else continue to next instruction
NE = not equal to 0	IBNE cntr, rel	Increment counter and branch if $\neq$ 0 (counter = A, B, D, X, Y, or SP)	counter $\leftarrow$ (counter) + 1 If (counter) $\neq$ 0, then branch else continue to next instruction
cntr = counter rel = label	TBEQ cntr, rel	Test counter and branch if = 0 (counter = A, B, D, X, Y, or SP)	If (counter) = 0, then branch else continue to next instruction
	TBNE cntr, rel	Test counter and branch if $\neq$ 0 (counter = A, B, D, X, Y, or SP)	If (counter) $\neq$ 0, then branch else continue to next instruction

Note. 1. **cntr** is the loop counter and can be accumulator A, B, or D and register X, Y, or SP.

2. **rel** is the relative branch offset and is usually a label

Example: Find the **value** of the maximum element from an array of **N** 8-bit elements using the **repeat S until C** looping construct.

Use the variable *i* as the **array index** and also as the **loop counter**. The variable *max\_val* will be used to hold the array maximum.



N	equ	20	; array size
max_val	org	\$1000	; starting address of on-chip SRAM
	ds.b	1	; memory location to hold array maximum value
	org	\$2000	; starting address of program
	ldaa	array	; load array[0] to A [Why A=3?]
	staa	max_val	; set array[0] as the temporary array maximum
	idx	#array+N-1	; [Why address \$1000 contains 3?] ; X has the address of the last element of the array ; [N-1=19; why not 20?]
	ldab	#N-1	; use B to set loop count to N-1 [=19]
loop			
no replace	ldaa	max_val	; A has the content of the max_val [A←max_val]
	bge	0, X	; compare max_val with array[i] = (A)-[X] 0,X = offset mode
or replace	ldaa	0, X	; no update if max_val is larger or equal ; if not, move the address of array[i] to A ; update the address of max_val = content of the address pointed to by X+0
	staa	max_val	
chk_end			
or	dex		; move the array pointer by decrement X by 1
	dbne	B, loop	; decrement the loop count, branch if not zero yet
array	db	3,1,5,6,19,41,53,28,13,42,76,14	
	db	20,54,64,74,29,33,41,45	
	end	X initially points to here	After executing one loop, max_val = 45 & B=18.
			Continuously running the loop, max-val becomes 74, and finally 76.

array = a **label** contains the **address** of the **first element** of the array

# Bit Conditional Branch Instructions

Make branch decisions based on the value of a few bits. (Application: check the status of an I/O port.)

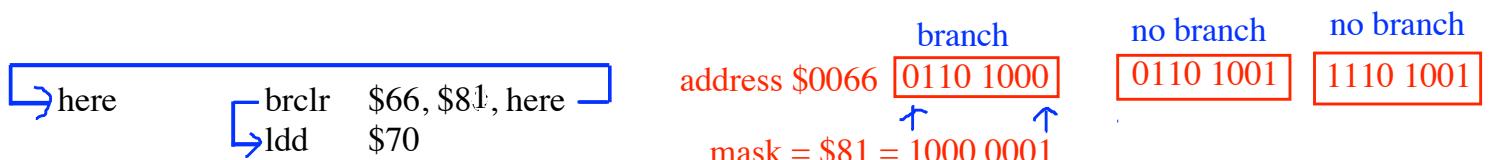
- **BRCLR** performs bitwise logical AND on the contents of the specified memory location and the mask supplied with the instruction, then branch if all bits corresponding to 1s in the mask byte are 0s in the tested byte.

[<label>] **BRCLR (opr) (msk) (rel)**

**opr** specifies the memory location to be checked and can be specified using direct, extended, and all indexed addressing modes

**msk** is an 8-bit mask that specifies the bits of the memory location to be checked. The bits to be checked correspond to those bit positions that are ones in the mask.

**rel** is the branch offset and is specified in 8-bit relative mode.



the BRCLR instruction will be continued to execute if the MSB and LSB of the memory location at \$0066 are both 0 because the mask \$81=1000001. Otherwise, the next instruction will be executed.

- **BRSET** performs bitwise logical AND on the contents of the specified memory location and the mask supplied with the instruction, then branch if all bits corresponding to 1s in the mask byte are 1s in the tested byte.

[<label>] **BRSET (opr) (msk) (rel)**

```
loop      inc      count  
...  
brset    $66,$E0,loop
```

the branch will be taken if the most significant three bits of the memory location at \$0066 are all 1s because the mask \$E0 = 11100000.

Example: Write a program to **count** the number of **elements** that are **divisible by 4** in an array of N 8-bit numbers. Use the **repeat S until C** looping construct.

Method 1: **number/4** and then check **remainder = 0**

Method 2: A number divisible by 4 would have the **least significant two bits equal 00**.

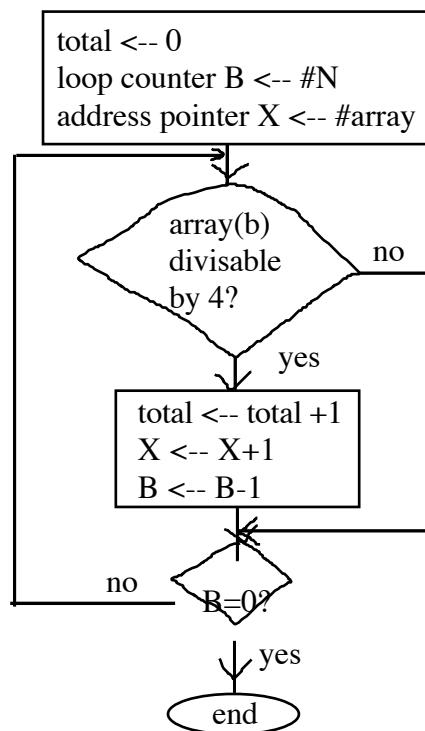
```

N      equ   20          ; there are 20 numbers to count
      org   $1000        ; start address of SRAM
total  ds.b  1          ; reserve one byte for the counter

      org   $2000
      clr   total        ; initialize total to 0
      ldx   #array        ; X as the array pointer;
                           ; X contains the start address of “array”
      ldab  #N            ; use B as the loop counter = 20

loop   brclr 0,X,$03,yes ; check bits 1 and 0; address = (X)+0
      bra   chkend
yes    inc   total        ; add 1 to the total
      inx
      dbne B,loop        ; Is loop counter = N? If not, go to loop
      swi
array  db    2,3,4,8,12,13,19,24,33,32,20,18,53,52,80,82,90,94,100,102
      end

```



## Variable Initialization Instructions

1. [label] CLR opr ; specified memory location is initialized to zero

opr is a **memory location** specified using the *extended* or *index* addressing (direct and indirect) modes. The.

2. [label] CLRA ; Accumulator A is cleared to 0.

3. [label] CLRB ; Accumulator B is cleared to 0.

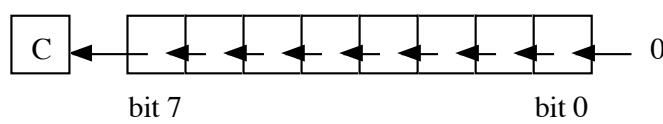
## Shift & Rotate Instructions

- Shift and rotate instructions are useful for **bit field manipulation**.
- Used to speed up the integer **multiply and divide** operation if one of the operands is a **power of two**.
- Shift/rotate the operand by one bit.
- Apply to a **memory location**, accumulators **A, B, and D**.
- A memory operand must be specified using the extended addressing mode or (direct or indirect) indexed addressing modes.

1. Three 8-bit **arithmetic shift left** instructions and one 16-bit arithmetic shift left instruction:

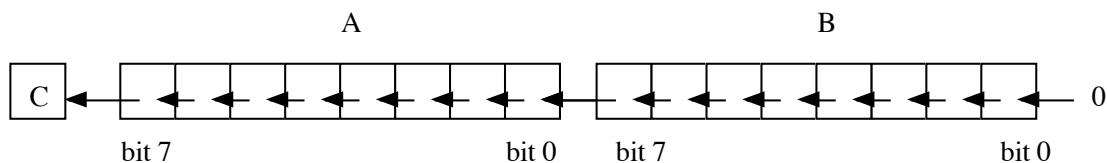
ASL <opr>	; memory location opr is shifted left one bit
ASLA	; accumulator A is shifted left one bit
ASLB	; accumulator B is shifted left one bit

**same as logical shift left (LSL)**  
**= x2 each shift**  
**may cause overflow**



affect CCR bits

ASLD ; accumulator D is shifted left one bit



2. Three 8-bit **arithmetic shift right** instructions:

**ASR <opr>**

; memory location *opr* is shifted right one bit

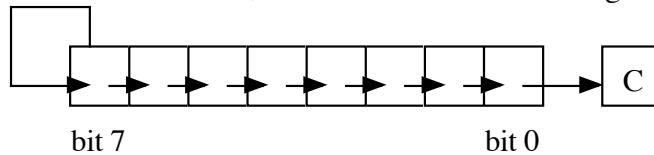
**ASRA**

; accumulator A is shifted right one bit

**ASRB**

; accumulator B is shifted right one bit

= /2 each shift



keep sign bit unchanged

affect CCR bits

3. Three 8-bit **logical shift left** instructions and one 16-bit logical shift left instruction:

**LSL <opr>**

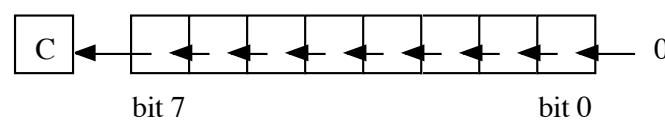
; memory location *opr* is shifted left one bit

**LSLA**

; accumulator A is shifted left one bit

**LSLB**

; accumulator B is shifted left one bit

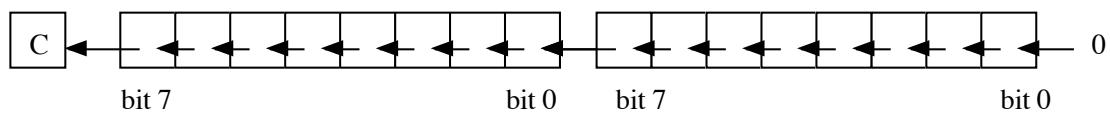


**LSLD**

; accumulator D is shifted left one bit

A

B



4. Three 8-bit **logical shift right** instructions and one 16-bit logical shift right instruction.

**LSR <opr>**

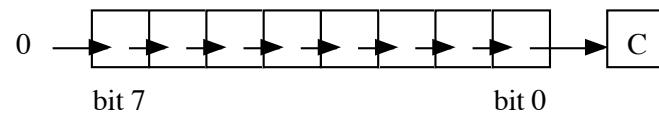
; memory location *opr* is shifted right one bit

**LSRA**

; accumulator A is shifted right one bit

**LSRB**

; accumulator B is shifted right one bit

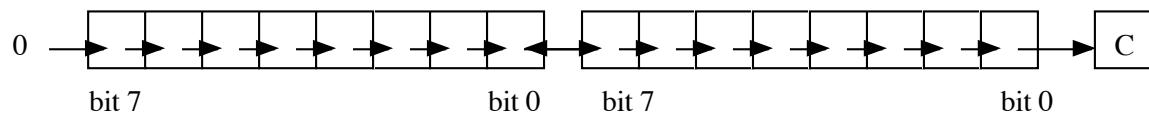


**LSRD**

; accumulator D is shifted right one bit

A

B



5. Three 9-bit *rotate left* instructions:

**ROL <opr>**

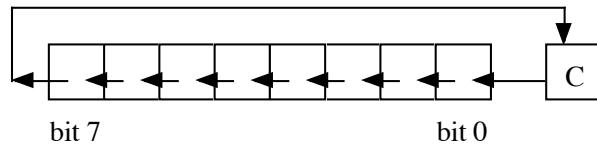
; memory location *opr* is rotated left one bit

**ROLA**

; accumulator A is rotated left one bit

**ROLB**

; accumulator B is rotated left one bit



6. Three 9-bit *rotate right* instructions:

**ROR <opr>**

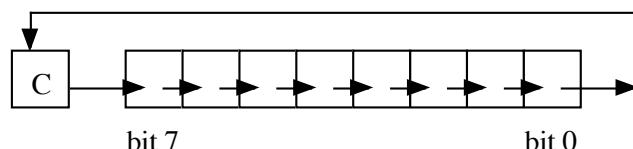
; memory location *opr* is rotated right one bit

**RORA**

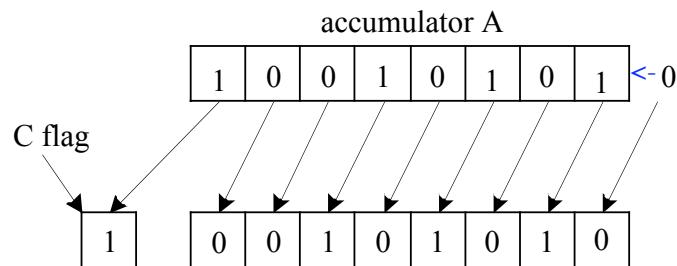
; accumulator A is rotated right one bit

**RORB**

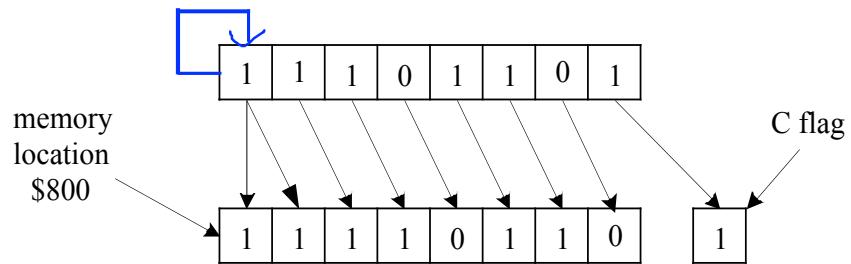
; accumulator B is rotated right one bit



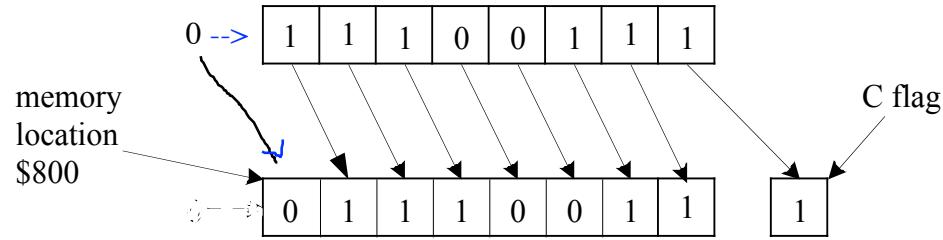
Example: Suppose that  $[A] = \$95$  and  $C = 1$ . Compute the new values of A and C after the execution of the instruction [ASLA](#).



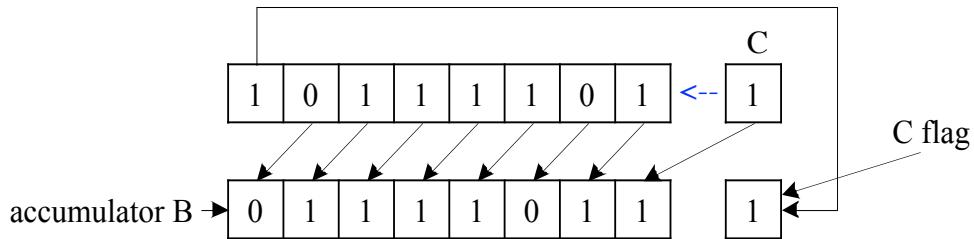
Example: Suppose that  $m[\$800] = \$ED$  and  $C = 0$ . Compute the new values of  $m[\$800]$  and the C flag after the execution of the instruction [ASR \\$800](#).



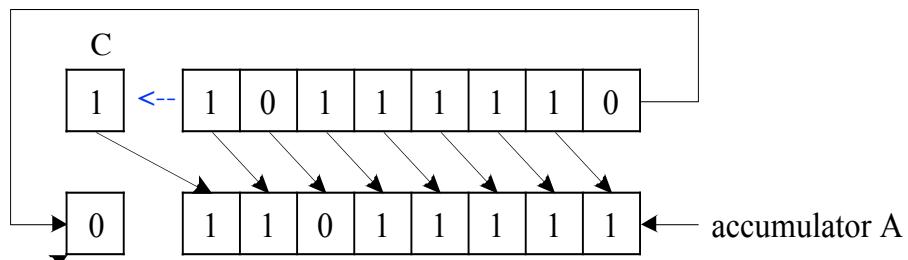
Example: Suppose that  $m[\$800] = \$E7$  and  $C = 1$ . Compute the new contents of  $m[\$800]$  and the C flag after the execution of the instruction **LSR \$800**.



Example: Suppose that  $[B] = \$BD$  and  $C = 1$ . Compute the new values of B and the C flag after the execution of the instruction **ROLB**.



Example: Suppose that  $[A] = \$BE$  and  $C = 1$ . Compute the new values of A and C after the execution of the instruction **RORA**.



Example: Write a program to **count** the number of **zeros** in the **16-bit number** stored at **\$1000-\$1001** and save the result in **\$1005**.

- Step 1: Initialize the **loop counter** to 16 and the **zero counter** to 0.
- Step 2: Load the **16-bit number** into D.
- Step 3: Shift D to the **right** one bit → least significance bit to the **C flag** in CCR
- Step 4: If the bit shifted out into **C** is a **0**, then **increment** the **zero counter** by 1.
- Step 5: **Decrement loop counter** by 1.
- Step 6: If loop counter is 0, the stop. Otherwise, go to step 3.

	org	\$1000	; starting address of the 16-bit number
	db	\$23,\$55	; define the 16-bit number as \$2355 (2 bytes)
	org	\$1005	; starting address of SRAM
zero_cnt	rmr	1	; reserve 1 byte for zero counter [Why not use A?]
lp_cnt	rmr	1	; reserve 1 byte for loop counter [Why not use B?]
	org	\$2000	
step 1	clr	zero_cnt	; initialize the zero counter to 0
	ldaa	#16	; initialize the loop counter to 16
	staa	lp_cnt	;
step 2	ldd	\$1000	; place the number in D (2 bytes) ← D=A:B is used
step 3 loop	lsrd		; shift the LSB of D to the C flag
step 4	bcs	chkend	; is the C flag a 0? If not, jump to chkend
	inc	zero_cnt	; if yes, increment zero counter by 1
step 5 chkend	dec	lp_cnt	; decrement loop counter by 1
step 6	bne	loop	; if loop counter is 0, go back to the loop
	swi		;
	end		

**BCS = branch if carry is set (C flag = 1)**

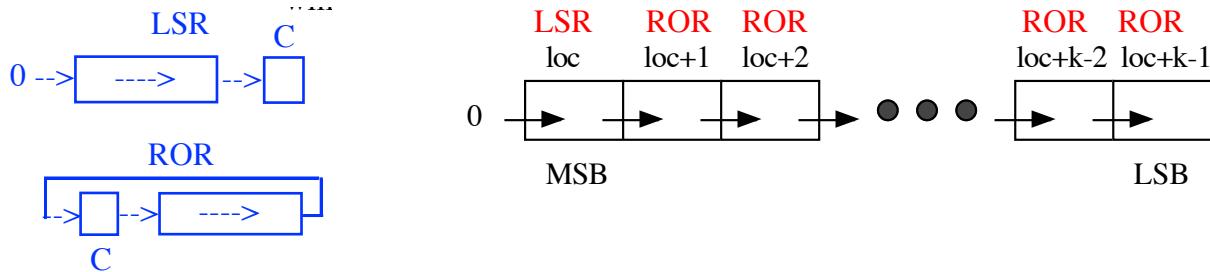
**BNE = branch if not equal to zero (Z flag = 0).**

# Shift a Multibyte Number

- Shift a number **larger than 16 bits**.
- Suppose there is a k-byte number that is stored at  $loc$  to  $loc+k-1$ . (MSB is in  $loc$  and LSB is in  $loc+k-1$ .)

## Method for logical shifting right (by one bit)

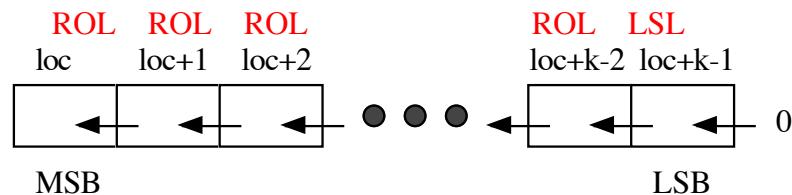
- Bit 7 of each byte will receive bit 0 of the byte on its immediate left with the exception of the most significant byte, which will receive a 0.
- Each byte will be shifted to the right by one bit. Bit 0 of the least significant byte will be lost.



- Step 1: Shift the byte at  $loc$  to the **right one place**. (Use **LSR <opr>**)  
 Step 2: **Rotate** the byte at  $loc+1$  to the right one place. (Use **ROR <opr>**)  
 Step 3: Repeat Step 2 for the remaining bytes.

## Method for logical shifting left (by one bit)

- Bit 0 of each byte will receive bit 7 of the byte on its immediate right with the exception of the least significant byte, which will receive a 0.
- Each byte will be shifted to the left by one bit. Bit 7 of the most significant byte will be lost.



- Step 1: Shift the byte at  $loc+k-1$  to the left one place. (Use **LSL <opr>**)  
 Step 2: Rotate the byte at  $loc+K-2$  to the left one place. (Use **ROL <opr>**)  
 Step 3: Repeat Step 2 for the remaining bytes.

----> right shift 4 bits --->

0000	→ \$1020	\$1021	\$1022	\$1023
------	----------	--------	--------	--------

Example: Write a program to shift the **32-bit number** stored at **\$1020-\$1023** to the **right four places**. (The most significant to the least significant bytes are stored at \$1020~\$1023, respectively.)

```

ldab #4          ; set up B as the loop counter to shift 4 times
ldx #$1020       ; use X as the pointer to the leftmost byte

again lsr 0,X    ; shift right the left most byte
      ror 1,X    ; rotate right
      ror 2,X    ;
      ror 3,X    ; the rightmost byte

      dbne B, again ; decrement B by 1, branch if B is not zero

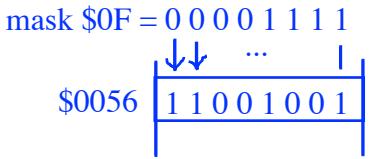
```

## Boolean Logic Instruction

- **BITWISE logic operations** can be used to change a **few I/O port pins** easily.
- The operand *opr* can be specified using all except the relative addressing modes.
- **AND** instruction to *clear* one or a few bits.
- **OR** instruction to *set* one or a few bits.
- **XOR** instruction to *toggle* one or a few bits.
- **COMA** and **COMB** that perform *1's complement* can be used if all the port pins needed to be toggled.

*<opr>* acts like a mask

Mnemonic	Function	Operation
ANDA <opr>	AND A with memory	$A \leftarrow (A) \bullet (M)$
ANDB <opr>	AND B with memory	$B \leftarrow (B) \bullet (M)$
ANDCC <opr>	AND CCR with memory (clear CCR bits)	$CCR \leftarrow (CCR) \bullet (M)$
EORA <opr>	Exclusive OR A with memroy	$A \leftarrow (A) \oplus (M)$
EORB <opr>	Exclusive OR B with memory	$B \leftarrow (B) \oplus (M)$
ORAA <opr>	OR A with memory	$A \leftarrow (A) + (M)$
ORAB <opr>	OR B with memory	$B \leftarrow (B) + (M)$
ORCC <opr>	OR CCR with memory	$CCR \leftarrow (CCR) + (M)$
CLC	Clear C bit in CCR	$C \leftarrow 0$
CLI	Clear I bit in CCR	$I \leftarrow 0$
CLV	Clear V bit in CCR	$V \leftarrow 0$
COM <opr>	One's complement memory	$M \leftarrow \$FF - (M)$
COMA	One's complement A	$A \leftarrow \$FF - (A)$
COMB	One's complement B	$B \leftarrow \$FF - (B)$
NEG <opr>	Two's complement memory	$M \leftarrow \$00 - (M)$
NEGA	Two's complement A	$A \leftarrow \$00 - (A)$
NEGB	Two's complement B	$B \leftarrow \$00 - (B)$



Examples:

LDAA	\$56	; this instruction sequence <b>clears</b> the
ANDA	#\$0F	; upper four pins of the I/O port located at \$56
STAA	\$56	; because $\$0F = 00001111$ ; \$0056 contains 0000 1001
LDAA	\$56	; this instruction sequence <b>sets</b> the
ORAA	#\$0F	; bit 0 of the I/O port located at \$56
STAA	\$56	; because $\$01 = 00000001$ ; \$0056 contains 1100 1111
LDAA	\$56	; this instruction sequence <b>toggle</b> the
EORA	#\$0F	; lower four bits of the I/O port located at \$56
STAA	\$56	; \$0056 contains 1100 0110

## Bit Test and Manipulation Instructions

- Use a mask value to **test or change** the value of **individual bits** in an accumulator or in a memory location.
- **BITA** and **BITB** provide a convenient means of **testing bits without altering** the value of either operand.

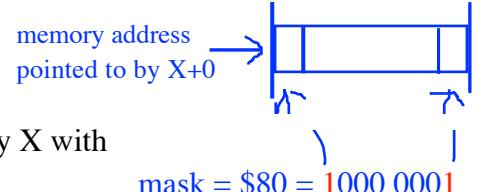
Mnemonic	Function	Operation
BCLR <opr> <sup>2</sup> , msk8	Clear bits in memory	$M \leftarrow (M)x(\overline{mm})$
BITA <opr> <sup>1</sup>	Bit test A	$(A)x(M)$
BITB <opr> <sup>1</sup>	Bit test B	$(B)x(M)$
BSET <opr> <sup>2</sup> , msk8	Set bits in memory	$M \leftarrow (M)x(mm)$

Note:

1. <opr> can be specified by using all except relative addressing modes for BITA and BITB.
2. <opr> can be specified by using direct, extended, and indexed (exclude indirect) addressing modes.
3. msk8 is an 8-bit value.

**BCLR 0,X, \$81 ; 0,X = offset addressing mode**

clears the MSB and LSB of the memory location pointed to by X with 0 offset.



**BITA #44 ; mask = \$44 = 0100 0100**

tests bit 6 and bit 2 of A, and updates the Z and N flags of CCR accordingly. The V flag in CCR is cleared.

BITB #\\$22 ; mask \\$22 = **0010 0010**  
 tests bit 5 and bit 1 of B, and **updates** the Z and N flags of CCR accordingly. The V flag in CCR is cleared.

BSET 0,Y,\$33 ; mask \$33 = **0011 0011**  
 sets bits 5, 4, 1, and 0 of the memory location pointed to by Y with 0 offset.

## Program Execution Time

- HCS12 uses the **ECLK** signal as a timing reference (clock).
- Frequency of **ECLK (24 MHz)** is **half** of that of the crystal oscillator (**48 MHz**).
- Execution times of instructions are measured in the **number of E cycles**.
- Many applications require the generation of time delays.
- **Program loops** are often used to create some amount of (not so accurate) **delay**:
  1. Select a sequence of instructions that takes a certain amount of time to execute
  2. Repeat the selected instruction sequence for an appropriate number of times

Example: the following instruction sequence takes **40 E cycles** to execute.

The HCS12 has a **E-clock of 24 MHz**. This corresponds to 1E cycle = 1/24,000,000 sec.  
 The following instruction sequence will take about **40/24,000,000 = 1.6667 μs** to execute.

---

loop	psha	; <b>2 E cycles</b>
	pula	; <b>3 E cycles</b>
	psha	
	pula	
	psha	
	pula	
	psha	; <b>7 pairs</b> of psha and pula gives <b>35 E cycles</b>
	pula	
	psha	; these instructions do nothing useful;
	pula	; just set up times in order to generate time delay
	psha	
	pula	
	psha	
	pula	
	nop	; <b>1 E cycle</b>
	nop	; <b>1 E cycle</b>
dbne	X,loop	; <b>3 E cycles</b>

---

Example: A **delay of 100 ms** can be created by repeating the previous loop **60,000 times** because  $100 \text{ ms} / [40 / 24,000,000] = 100 \text{ ms} / 1.6667 \mu\text{s} = 60,000$ .

```

        ldx    #60000      ; 2 E cycles
loop   psha          ; 2 E cycles
        pula          ; 3 E cycles
        psha
        pula
        psha
        pula
        psha      ; 7 pairs of psha and pula gives 35 E cycles
        pula
        psha
        pula
        psha
        pula
        psha
        pula
        nop       ; 1 E cycle
        nop       ; 1 E cycle
dbne   X,loop       ; 3 E cycles

```

Example: By repeating the previous instruction sequence **100 times**, we can create a **delay of 10 seconds**. This is done by creating a **2-layer loop**.

```

out_loop ldab #100      ; outer loop (1 E cycle overhead)
in_loop   ldx #60000    ; inner loop (2 E cycles overhead)
          psha          ; 2 E cycles
          pula          ; 3 E cycles
          psha          ; ...
          pula          ; ...
          ...
          ...
          psha          ; 7 pairs of psha and pula gives 35 E cycles
          pula
          psha
          pula
          nop       ; 1 E cycle
          nop       ; 1 E cycle
dbne   X,in_loop    ; 3 E cycles
dbne   B,out_loop   ; 3 E cycles (overhead)

```

The time delay created by using loops is **not accurate**. Some overhead is required to set up the loop count. For example, the one-layer loop has a 2-E-cycle overhead while the two-layer loop has

$$\begin{aligned}\text{Overhead} = & \quad \text{1 E cycle (caused by "ldab #100")} \\ & + \text{100 x 2 E cycles (caused by out_loop "Idx #60000")} \\ & + \text{100 x 3 E cycles (caused by "dbne B,out_loop")} \\ = & \text{501 E cycles} \\ = & \text{20.875 us (at 24 MHz E-clock) per 10sec delay}\end{aligned}$$

This overhead can be reduced by placing a larger value in X and a smaller value in B.

If higher accuracy is required, you should use one of the **timer functions** in the HCS12 to create the desired time delay.

End of Chapter 2