# **Occlusion Detection**

### **Importing Libraries**

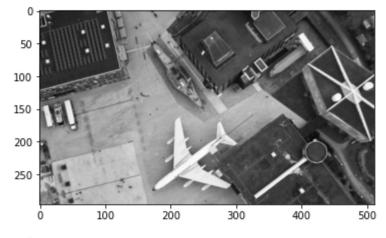
```
In [1]:
    #%matplotlib inline
    import numpy as np
    from matplotlib import pyplot as plt
    import cv2
    import imageio
    import SimpleITK
    import sys
    from pylab import *
```

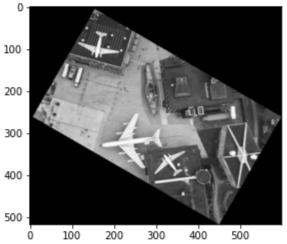
### Reading and Visualising the Images

```
In [2]: img1=cv2.imread('IMG1.png',0)
    img2=cv2.imread('IMG2.png',0)

plt.imshow(img1,cmap='gray')
    plt.show()

plt.imshow(img2,cmap='gray')
    plt.show()
```





#### Corresponding Points

```
In [3]: points = np.array([[29, 124], [157, 372]])
    corresponding_points = np.array([[93, 248], [328, 399]])
```

#### Bilinear Interpolation

```
In [4]:
        def bilinear interpolation(src, si, sj):
            #si , sj = src pt
            #si = ti - ty
            #sj = tj - tx
            si, sj=si+1, sj+1
            i=int(np.floor(si))
            j=int(np.floor(sj))
                                     ## Here i,j are the co-ordinate points of the to
            tl=i,j
            ##Now the remaining three co-ordinates with respect to i,j will be
                          # Top right
            t_r = i, j+1
            b l = i+1 , j # Bottom Left
            b r = i+1 , j+1 \# Bottom Right
            ## distance of source point from the top left corner would be
            di = si - i
            dj = sj - j
            ## Now calculating the pixel value at the source point by using bilinear
            ## Create a variable pxl val and assign the pixel value obtained by biline
            ## b l,b r
            ## di,dj that we got is used to obtain the weights for interpolation
            ## We ignore all the target points whose source points lies outside the so
            ## these pixel values as 0.
            if t 1[0] >= np.shape(src)[0]-1 or t 1[1] >=np.shape(src)[1]-1 or t 1[0]<</pre>
                pxl val = 0
            else :
                pxl val = (1-di)*(1-di)*src[t l] + (1-di)*(dj)*src[t r] + (di)*(1-dj)*
            return pxl val
```

### Calculating A matrix and Computing the H matrix

We know from our discussion in class that the solution for h vector is the vector corresponding to the smallest singular value of A. From the decomposition mentioned above, this is the last row of V Transpose when the singular values are in decreasing order. We then arrange the values appropriately to get the H matrix.

```
In [5]:
        n = len(points) ## number of corrrespondences
        def homography(corresponding points, points):
             # from each point correspondance we get two values
            A = np.zeros((2*n, 5)) ## n=len(points)=2 ## A will be 4 X 5 matrix
            for r in range(n):
                i,j = points[r]
                si,sj = corresponding points[r]
                 # As defined above
                A[2*r] = [si, sj, 1, 0, -i]
                A[2*r+1] = [sj, -si, 0, 1, -j]
             # NumPy SVD gives singular values in decreasing order
            u, s, v transpose = np.linalg.svd(A)
             # take the last row of v transpose
            a, b, c, d, h = v_{transpose}[-1]
             # construct the appropriate 3x3 matrix
            H = np.array([[a, b, c],
                           [-b, a, d],
                           [0, 0, h]])
            return H
```

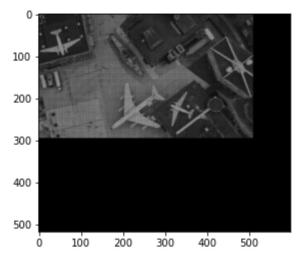
#### Transforming the image

Homognous coordinates of the form [a, b, c] can be converted to non homogenous only if c!=0. In case that condition is violated, we set the non homogenous coordinates to (0,0) even though in reality such a point does not have a finite representation in non homogenous coordinates

```
In [6]:
        def transform(src,H):
            r , c = np.shape(src)
            trg = np.zeros((r,c))
            H inv=np.linalg.inv(H)
             ## iterating over the target image and assign all the pixel values to the
            for ti in range(r):
                 for tj in range(c):
                     # convert to homogenous coordinates
                     t= np.array([ti,tj, 1])
                     s = H inv@t
                     if s[2]!=0:
                         si, sj=s[0]/s[2], s[1]/s[2]
                     else:
                         si,sj=0,0
                     #calculate the corresponding points for (ti,tj) in the source image
                     #si,sj are the corresponding points for (ti,tj)
                     #Assign the value using bilinear interpolation
                     #Assigniing the intensity values of the target image at (ti,tj) u
                     trg[ti][tj]=bilinear interpolation(src,si,sj)
            return tra
```

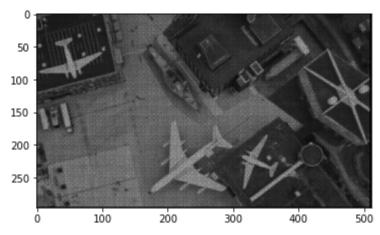
#### Transformed IMG2

```
In [7]:
    H= homography(corresponding_points, points)
    #H = homography(A)
    img2_new = transform(img2, H)
    plt.imshow(img2_new, cmap='gray')
    plt.show()
```



## Cropping the transformed image to the shape of img1

```
In [8]:
    x,y=img1.shape
    img2_new_cropped = img2_new[:x, :y]
    plt.imshow(img2_new_cropped,cmap='gray')
    plt.show()
```



# Calculating the difference

Subtract the aligned transformed img2 and img1 to notice any changes.

```
In [9]:
    diff=img1-img2_new_cropped
    plt.imshow(diff,cmap='gray')
    plt.show()
```

