

## Task: 01

Let us consider the task of developing a linear model as follows:

Linear model:  $y = w * x$

- In this task, you will create a linear model for given `x_data` and `y_data` (Supervised Learning).
- The main goal of this task is to make you familiar with python and provide a hands-on experience.
- You have to create function definitions for the forward-pass and loss-function and write a code snippet to find the optimal value of  $w$
- Eventually we also plot the value of  $w$  against the difference in the prediction and actual value.

```
In [5]: #First let us import necessary Libraries
import numpy as np
import matplotlib.pyplot as plt
```

Let us make use of a randomly-created sample dataset

```
In [6]: #sample-dataset
x_data = [1.0, 2.0, 3.0]
y_data = [2.0, 4.0, 6.0]
```

## Task: 01 - a

Implement the forward and loss functions

```
In [7]: #forward function to calculate y_pred for a given x according to the linear model
def forward(x):
    #implement the forward model to compute y_pred as w*x
    ## YOUR CODE STARTS HERE
    y = w * x
    return y
    ## YOUR CODE ENDS HERE

#loss-function to compute the mean-squared error between y_pred and y_actual
def loss(y_pred, y_actual):
    #calculate the mean-squared-error between y_pred and y_actual
    ## YOUR CODE STARTS HERE
    diff = y_pred - y_actual
    mse = (y_actual - y_pred)**2
    return mse
    ## YOUR CODE ENDS HERE
```

## Task: 01 - b

Compute the loss for different values of  $w$  and identify the  $w$  with minimum loss value

```
In [8]: #initialize weight and loss lists to monitor
```

```

weight_list=[]
loss_list=[]

for w in np.arange(0.0,4.1,0.1): # w can vary between 0 and 4 (both included) with a
    print("\nWeight : ", w)
    total_loss=0
    count = 0
    for x, y in zip (x_data, y_data):
        #call the forward and loss functions to compute the loss value for the given
        ## YOUR CODE STARTS HERE
        y_pred = forward(x)
        current_loss = loss(y_pred,y)
        ## YOUR CODE ENDS HERE
        total_loss += current_loss
        count += 1

    #calculate the average mse-loss across three samples in our dataset
    ## YOUR CODE STARTS HERE

    avg_mse = (0.5*total_loss)/count
    ## YOUR CODE ENDS HERE

    print("Average Mean Squared Error : ", avg_mse)
    weight_list.append(w)
    loss_list.append(avg_mse)

```

```

Weight : 0.0
Average Mean Squared Error : 9.333333333333334

Weight : 0.1
Average Mean Squared Error : 8.423333333333334

Weight : 0.2
Average Mean Squared Error : 7.560000000000001

Weight : 0.30000000000000004
Average Mean Squared Error : 6.743333333333332

Weight : 0.4
Average Mean Squared Error : 5.973333333333334

Weight : 0.5
Average Mean Squared Error : 5.25

Weight : 0.6000000000000001
Average Mean Squared Error : 4.5733333333333315

Weight : 0.7000000000000001
Average Mean Squared Error : 3.943333333333333

Weight : 0.8
Average Mean Squared Error : 3.3599999999999994

Weight : 0.9
Average Mean Squared Error : 2.823333333333333

Weight : 1.0
Average Mean Squared Error : 2.3333333333333335

Weight : 1.1
Average Mean Squared Error : 1.8899999999999995

Weight : 1.2000000000000002
Average Mean Squared Error : 1.4933333333333325

```

Weight : 1.3  
Average Mean Squared Error : 1.143333333333329

Weight : 1.400000000000001  
Average Mean Squared Error : 0.839999999999997

Weight : 1.5  
Average Mean Squared Error : 0.583333333333334

Weight : 1.6  
Average Mean Squared Error : 0.373333333333333

Weight : 1.700000000000002  
Average Mean Squared Error : 0.2099999999999974

Weight : 1.8  
Average Mean Squared Error : 0.0933333333333325

Weight : 1.900000000000001  
Average Mean Squared Error : 0.02333333333333293

Weight : 2.0  
Average Mean Squared Error : 0.0

Weight : 2.1  
Average Mean Squared Error : 0.02333333333333418

Weight : 2.2  
Average Mean Squared Error : 0.0933333333333349

Weight : 2.300000000000003  
Average Mean Squared Error : 0.2100000000000027

Weight : 2.400000000000004  
Average Mean Squared Error : 0.3733333333333396

Weight : 2.5  
Average Mean Squared Error : 0.583333333333334

Weight : 2.6  
Average Mean Squared Error : 0.840000000000004

Weight : 2.7  
Average Mean Squared Error : 1.143333333333346

Weight : 2.800000000000003  
Average Mean Squared Error : 1.493333333333334

Weight : 2.900000000000004  
Average Mean Squared Error : 1.8900000000000015

Weight : 3.0  
Average Mean Squared Error : 2.333333333333335

Weight : 3.1  
Average Mean Squared Error : 2.823333333333334

Weight : 3.2  
Average Mean Squared Error : 3.3600000000000017

Weight : 3.300000000000003  
Average Mean Squared Error : 3.943333333333334

Weight : 3.4000000000000004  
Average Mean Squared Error : 4.573333333333335

Weight : 3.5  
Average Mean Squared Error : 5.25

Weight : 3.6  
Average Mean Squared Error : 5.973333333333335

Weight : 3.7  
Average Mean Squared Error : 6.743333333333337

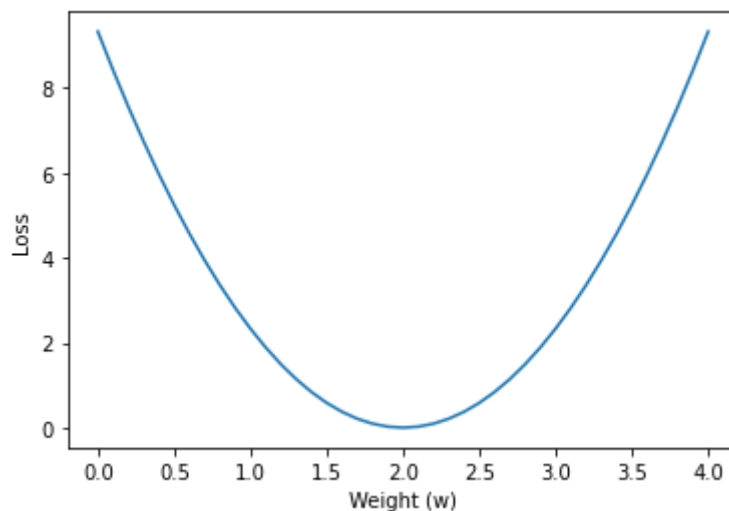
Weight : 3.8000000000000003  
Average Mean Squared Error : 7.560000000000002

Weight : 3.9000000000000004  
Average Mean Squared Error : 8.423333333333336

Weight : 4.0  
Average Mean Squared Error : 9.333333333333334

## Visualize the logs

```
In [9]: plt.plot(weight_list, loss_list)
plt.ylabel('Loss')
plt.xlabel('Weight (w)')
plt.show()
```



```
In [ ]:
```