LAB3

SIFT Code

Computes point correspondences between two images using sift. I have taken the sift code from NPTEL.

```
In [1]: |%%capture
        import numpy as np
        from scipy.linalg import null space
        import cv2
        def image size(image):
            if image.ndim == 2:
                return image.shape
            else:
                return image.shape[:-1]
        def sift(img1, img2):
            Computes point correspondences between two images using sift
                img1 (np.array): Query image
                img2 (np.array): Target image
            Returns:
                points (np.array): A 2 X num matches X 2 array.
                                    `points[0]` are keypoints in img1 and the corr
                                     keypoints in img2 are `points[1]`
            .....
            sift = cv2.xfeatures2d.SIFT create()
            #sift = cv2.SIFT create()
            #kp = sift.detect(gimg,None)
            kp1, des1 = sift.detectAndCompute(img1, None)
            kp2, des2 = sift.detectAndCompute(img2, None)
```

```
FLANN_INDEX_KDTREE = 0
index_params = dict(algorithm=FLANN_INDEX_KDTREE, trees=5)
search_params = dict(checks=50)

flann = cv2.FlannBasedMatcher(index_params, search_params)

matches = flann.knnMatch(des1, des2, k=2)

good_matches = []
for m, n in matches:
    if m.distance < 0.7 * n.distance:
        good_matches.append(m)

correspondences = np.zeros((2, len(good_matches), 2))

for i, match in enumerate(good_matches):
    correspondences[0, i, :] = np.flip(kp1[match.queryIdx].pt)
    correspondences[1, i, :] = np.flip(kp2[match.trainIdx].pt)</pre>
```

Computing Corresponding points in img1 and img3 wrt img2

Reading the images and Computing corresponding points using sift function

```
In [2]: import cv2
    src1=cv2.imread('img1.png',0)
    src2=cv2.imread('img2.png',0)
    src3=cv2.imread('img3.png',0)

#Run SIFT and obtain matching key points
    corresp12 = sift(src1,src2)
    corresp32 = sift(src3,src2)
    correspa1 = corresp12[0]
    correspc2 = corresp12[1]
    correspc1 = corresp32[0]
```

Importing Neccessary Libraries

```
In [3]: #Import libraries
    from pylab import *
    import cv2
    import random
    import csv
    from scipy.linalg import null_space
```

Bilinear Interpolation

Computes the intensity at each point of the target image by bilinearly interpolating intensities in the immediate 2 X 2 neighborhood of the corresponding source point of each target point.

```
Args:
src (np.array): The source image
H: Homography
rows= rows of the target image
cols= columns of the target image
Returns:
Pixel intensity

In [4]: #Bilinear
```

```
In [4]: #Bilinear
         #Rows and columns of the target as input
        def bilinear interpolation(src, H, rows, cols) :
              #Creating vector to multiply Hinv
              x1 = []
              y1=[]
              #t= np.array([ti,tj, 1])
              #Target to source mapping
              for xn in range(0, rows) :
                  for yn in range(0,cols) :
                       xy = array([xn, yn-cenx, 1])
                      xy temp = np.linalg.inv(H)@ xy
                      \#xy\_temp = xy\_temp.T
                      x = xy \text{ temp}[0]/xy \text{ temp}[2]
                       y = xy \text{ temp}[1]/xy \text{ temp}[2]
                       x1.append(x)
                       y1.append(y)
              #print (shape (x), shape (y))
              #xf = int(np.floor(x))
              #yf = int(np.floor(y))
              x2=array(x1)
              y2=array(y1)
              xf = x2.astype(int)
              yf = y2.astype(int)
              #distance from pixel
              a = x2-xf
              b = y2-yf
              Ival = np.zeros(shape(xf))
              #print(shape(src))
              #Find intensity
              for i in range(0,len(xf)) :
                   #if check[i] == False :
                   if xf[i] < shape(src)[0]-1 and yf[i] < shape(src)[1]-1 and xf[i
                         #print(yf[i])
                         Ival[i] = (1-a[i])*(1-b[i])*src[xf[i]][yf[i]] + (1-a[i])*(i)
              Ival = Ival.reshape(rows, cols)
              return Ival
```

RANSAC

Aras:

Computes a robust homography between the point correspondences using RANSAC

corresp1(np.array) : The reference image points

```
corresp2(np.array) : The target image corresponding points
           Returns:
               np.array: Robust homography
In [5]: #RANSAC
        def ransac(corresp1, corresp2) :
             fraction = 0 ## fraction: is the fraction of inliers
             n iterations = 0 ## No of iterations to run the RANSAC
             while(fraction <= 0.95) : ## If the total inliers are less than</pre>
                  #Generate 4 random numbers from the set
                  length = len(corresp1) ## Total corresponding points of the
                  r = random.sample(range(0,length),4) ## Generating 4 rando
                  a = [corresp1[r[i]] for i in range(0,len(r))] ## Getting the c
                  b = [corresp2[r[i]] for i in range(0,len(r))]
                  #Take these 4 points and find homography
                  #Generatiing the A Matrix
                  eqns = 4  # No of equations
                  A = np.zeros((int(2*eqns), 9))
                  #print(shape(A))
                  #Loop to fill in the values
                    For one corresponding points (one equation) we have 2 rows of
                    [[x,y,1,0,0,0,-x*x',-y*x',-x']
                     [0,0,0,x,y,1,-x*y',-y*y',-y']]
                  ## Iterating over the four equations to get 8 rows
                  for i in range(0,eqns) :
                                                              ##x
                                                                             bſi
                      A[int(2*i)][0] = b[i][0]
                       A[int(2*i)][1] = b[i][1]
                                                              ##y
                                                                              b[i
                                                              ##1
                       A[int(2*i)][2] = 1
                                                                             a[i
                                                              ##0
                                                                              a[i
                       A[int(2*i)][3] = 0
                       A[int(2*i)][4] = 0
                                                             ##0
                       A[int(2*i)][5] = 0
                                                             ##0
                                                            ##-x*x'
                       A[int(2*i)][6] = -b[i][0]*a[i][0]
                       A[int(2*i)][7] = -b[i][1]*a[i][0]
                                                            ##-y*x'
                       A[int(2*i)][8] = -a[i][0]
                                                              \#\#-X'
                                                              ##0
                       A[int(2*i)+1][0] = 0
                                                              ##0
                       A[int(2*i)+1][1] = 0
                                                              ##0
                       A[int(2*i)+1][2] = 0
                       A[int(2*i)+1][3] = b[i][0]
                                                              ##x
                       A[int(2*i)+1][4] = b[i][1]
                                                             ##y
                                                             ##1
                       A[int(2*i)+1][5] = 1
                       A[int(2*i)+1][6] = -b[i][0]*a[i][1]
                                                            ##-x*y'
                       A[int(2*i)+1][7] = -b[i][1]*a[i][1] ##-y*y'
                       A[int(2*i)+1][8] = -a[i][1]
                                                              ##-v'
```

```
#Find nullspace of the matrix
h = null space(A)
#print(shape(h))
#Put h in order
H=h.reshape((3,3))
#Check with remaining points and see fraction
         ## Array with the point of interest of the remaining
remaining points = list(set(np.arange(0,length)).difference(r))
[x",y",c].T = H @ [xi,yi,1].T ## See the equation in the not
threshold = 10
                      ## threshold(in pixels): margin of error
## Iterating over all the remaining points
for i in remaining points :
     xi = corresp2[i][0]
     yi = corresp2[i][1]
     #X = array([xi,yi,1]).T
     [x2, y2, c] = H @ array([xi, yi, 1]).T
     x3 = x2/c
     y3 = y2/c
     # Calculting the distance b/w the point that we got and th
     epsilon = np.sqrt(pow(corresp1[i][0]-x3,2) + pow(corresp1[
     if epsilon < threshold :</pre>
                               ## If the distance is less then
          B.append(i)
#Check how good is the consensus set
fraction = len(B)/len(remaining points)
n_iterations = n_iterations+1
```

Homography

Computing

```
H1: Homography Matrix of img1 with respect to img2
H2: Homography Matrix of img3 with respect to img2
frac1: Percentage of total inliers wrt H1
frac3: Percentage of total inliers wrt H3
```

```
In [6]: H1, frac1, n_iterations1, B1 = ransac(correspa2, correspa1)
    H3, frac3, n_iterations3, B3 = ransac(correspc2, correspc1)
    print(frac1, frac3)
    print(H1)
    print(H3)
    print(n_iterations1, n_iterations3)

#Define topcorer
    #print(shape(src1))
```

Creating Canvas

Computing:

```
canvas1: Canvas of img1
canvas2: Canvas of img2
canvas3: Canvas of img3
```

Counting how many images contribute at each pixel

Image Plot

```
In [9]: #Image plot
    canvas = canvas1 + canvas3 + canvas2
    #final_canvas=canvas/count
```

```
#np.seterr(invalid= 'ignore')
count[count == 0] = 1
final_canvas=np.divide(canvas, count)
plt.imshow(final_canvas,cmap = "gray")
plt.axis("off")
```



7 of 7