

FIT5215 Deep Learning

Generative Adversarial Networks And Diffusion Models

Teaching team

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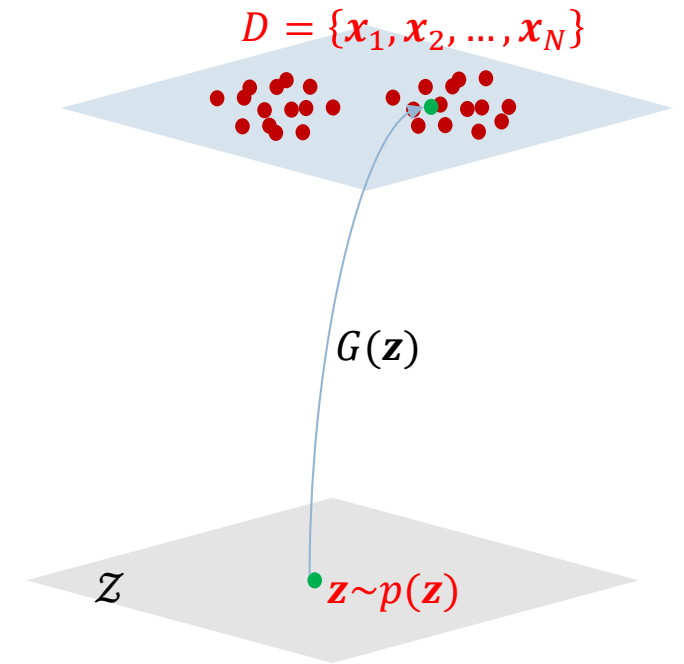
Question 1

- What is the main task of a generative model?
- A. Learn good latent codes by minimizing the reconstruction error.
- B. Learn a model to help predicting labels for a data example.
- C. Learn to generate meaningful and good examples that imitate realistic examples in a given dataset from noises
- D. Learn to divide data examples into groups for which those in a group have high similarity

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Question 2

□ What are correct about GANs?

- A. The noise is fed to the discriminator to generate fake examples
- B. GANs use a discriminator to be aware of the difference or divergence between the distribution of generated examples and the distribution of data
- C. The noise is fed to the generator to generate fake examples
- D. The discriminator tries to distinguish the real and fake data examples

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Question 3

- What are the tasks of generator and discriminator in GANs?
- A. Discriminator tries to discriminate the real and fake data
- B. Discriminator tries to set high values for real data and low values for fake data
- C. Generator tries to fool discriminator by generating examples that are dissimilar to real data
- D. Generator tries to fool discriminator by generating examples that mimic real data

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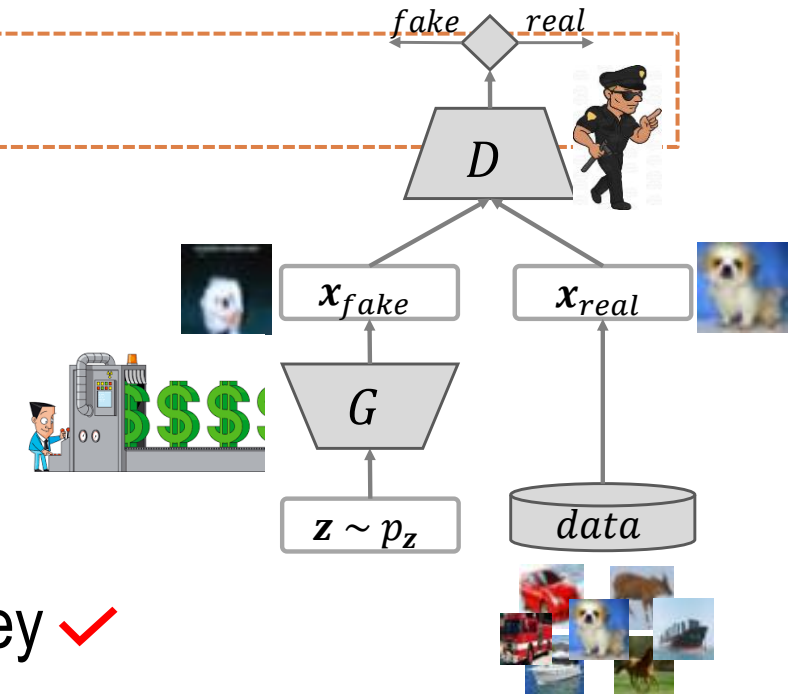
Question 4

- What are correct about the analogy of GANs?
- A. Discriminator is the machine that produces fake money
 - B. Generator is the police who attempts to detect fake money
 - C. Generator is the machine that produces fake money
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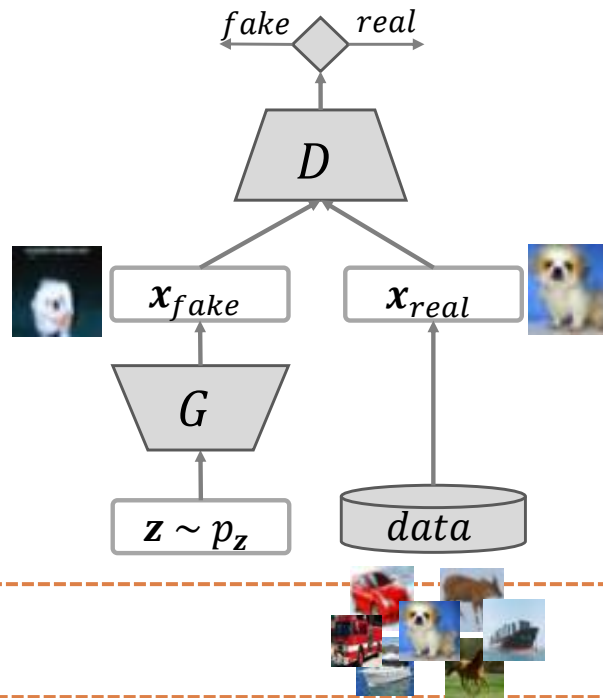
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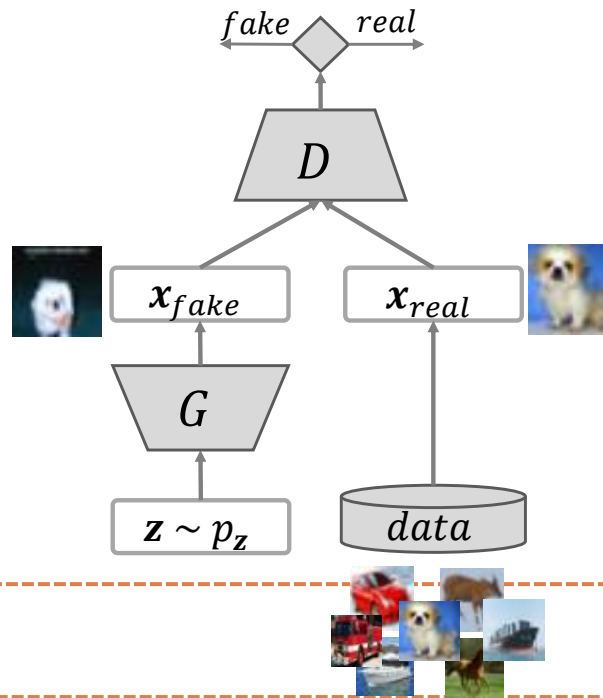
Question 5



□ How to train GANs?

- A. $\min_G \max_D J(G, D) = \mathbb{E}_{x \sim p_d(x)} [\log D(x)] + \mathbb{E}_{z \sim p(z)} [\log(1 - D(G(z)))]$
- B. $\min_{\theta, \Phi} \mathbb{E}_{x \sim \mathbb{P}} [d(\tilde{x}, g_{\Phi}(f_{\theta}(x)))]$
- C. $\max_G \min_D J(G, D) = \mathbb{E}_{x \sim p_d(x)} [\log D(x)] + \mathbb{E}_{z \sim p(z)} [\log(1 - D(G(z)))]$
- D. $\min_G \max_D J(G, D) = \mathbb{E}_{x \sim p_d(x)} [\log(1 - D(x))] + \mathbb{E}_{z \sim p(z)} [\log D(G(z))]$

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Just label real examples 0 and fake examples 1. Discriminator is still trained distinguish real and fake data.

Question 6

□ How to update the generator and discriminator alternatively?

A.
$$\max_D J(G, D) = \mathbb{E}_{\mathbf{x} \sim p_d(\mathbf{x})} [\log D(\mathbf{x})] + \mathbb{E}_{\mathbf{z} \sim p(\mathbf{z})} [\log(1 - D(G(\mathbf{z})))]$$

$$\max_G \mathbb{E}_{\mathbf{z}} [\log(D(G(\mathbf{z})))]$$

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Question 7

- When the distribution of generated/fake examples p_g and the data distribution p_d becomes more overlapping, what are correct?
- A. The task of discriminator becomes easier.
 - B. The task of discriminator becomes harder.
 - C. The accuracy of discriminator approaches 50% (random guess).
 - D. The discriminator loss (binary cross-entropy loss) becomes smaller.

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Question 8

□ What are correct about the discriminator?

- A. We need to apply sigmoid at the output layer of discriminator
- B. $D(\mathbf{x})$ is the probability \mathbf{x} to be a fake/generated example
- C. $D(\mathbf{x})$ is the probability \mathbf{x} to be a real example
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Question 9

- Given a distribution of generated examples with pdf p_g and data distribution with pdf p_d , the discriminator D tries to discriminate generated and real examples by minimizing the binary cross-entropy. What are correct for the optimal discriminator D^* ?

A.
$$D^*(\mathbf{x}) = \frac{1}{p_g(\mathbf{x}) + 1}$$

B.
$$D^*(\mathbf{x}) = \frac{p_g(\mathbf{x})}{p_g(\mathbf{x}) + p_d(\mathbf{x})}$$

C.
$$D^*(\mathbf{x}) = \frac{p_d(\mathbf{x})}{p_g(\mathbf{x}) + p_d(\mathbf{x})}$$

D.
$$D^*(\mathbf{x}) = \frac{1}{1 + \frac{p_g(\mathbf{x})}{p_d(\mathbf{x})}}$$

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- C. $D^*(\mathbf{x}) = \frac{p_d(\mathbf{x})}{p_g(\mathbf{x})+p_d(\mathbf{x})}$ ✓
- D. $D^*(\mathbf{x}) = \frac{1}{1+\frac{p_g(\mathbf{x})}{p_d(\mathbf{x})}}$ ✓

Question 10

□ At the Nash equilibrium point of the min-max game of GAN, what are correct?

A. $D^*(\mathbf{x}) = 1, \forall \mathbf{x}$

B. $D^*(\mathbf{x}) = 0.5, \forall \mathbf{x}$

C. $p_d(\mathbf{x}) = p_g^*(\mathbf{x}), \forall \mathbf{x}$

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Question 11

□ Mode collapse of GANs happens when

- A. The generator is too strong and can generate data to cover all data modes
- B. The generator is too weak and can generate data to cover all data modes
- C. The discriminator cannot classify well real and fake data
- D. The generated data can cover only a few modes in real data and miss many other modes

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Question 12

- What is the main source of mode collapsing problem of GANs?
- A. The generator is too weak and cannot generate data to cover all data modes
- B. The discriminator cannot classify well real and fake data
- C. We cannot solve the min-max problem of GANs perfectly
- D. When updating the generator, there is not any constraints for it to generate data corresponding to all modes

Question 12

□ What is the main source of mode collapsing problem of GANs?

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$\max_G \mathbb{E}_z [\log(D(G(z)))] \longrightarrow$ Just guide $G(z)$ to move toward some modes to gain high D values
Not require to move generated examples to all data modes.

Question 13

□ What are the issues of training GANs?

- A. Mode collapse, unrealistic generated images for complex datasets, unstable training
- B. Mode collapse, unrealistic generated images, too many parameters
- C. Mode collapse, hard to train discriminator, too many parameters
- D. Mode collapse, hard to train discriminator, hard to train generator

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Question 14

```
import torch
import torch.nn as nn

class Model(nn.Module):
    def __init__(self):
        super(Model, self).__init__()

        self.model = nn.Sequential(
            nn.Linear(100, 7 * 7 * 256, bias=False), # Dense layer in Keras is equivalent to Linear in PyTorch
            nn.BatchNorm1d(7 * 7 * 256),
            nn.LeakyReLU(),
            nn.Unflatten(1, (256, 7, 7)), # Reshape in Keras is equivalent to Unflatten in PyTorch

            nn.ConvTranspose2d(256, 128, kernel_size=(5, 5), stride=(3, 3), padding=(2, 2), output_padding=(0, 0), bias=False)
        )

    def forward(self, x):
        return self.model(x)

# Example usage
model = Model()
x = torch.randn(16, 100) # Example input with batch size 16 and input shape (100,)
output = model(x)
print(output.shape) # Should match the output shape after the transpose convolution
```

□ What are the shape of the output tensor of the model (not count the batch size)?

- A. (16,128, 19, 19)
- B. (16,128, 20, 20)
- C. (16,128, 19, 18)
- D. (16,128, 21, 21)

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Output Size = $(I-1) \times S - 2P + K + \text{output padding}$
 $(7-1) \times 3 - 4 + 5 = 19$

Question 15

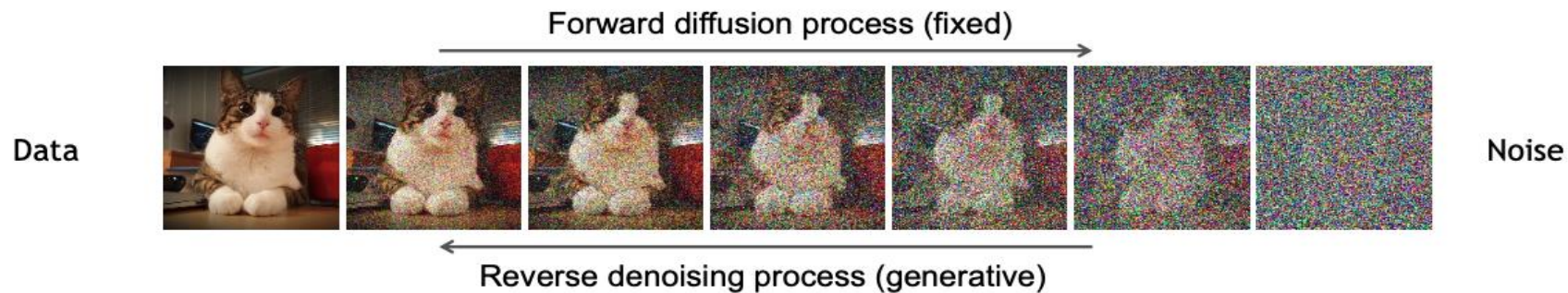
□ Matching the forward and backward processes of diffusion models (DMs) to?

- A. Forward process of DMs
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Question 16

□ What are correct about the forwarding process of DMs?

- A. $x_t = \sqrt{1 - \beta_t}x_{t-1} + \sqrt{\beta_t}\epsilon$ where $\epsilon \sim N(0, \mathbb{I})$
- B. $x_{t-1} = \sqrt{1 - \beta_t}x_t + \sqrt{\beta_t}\epsilon$ where $\epsilon \sim N(0, \mathbb{I})$
- C. $x_t = \sqrt{\bar{\alpha}_t}x_0 + \sqrt{1 - \bar{\alpha}_t}\epsilon$ where $\epsilon \sim N(0, \mathbb{I})$ and $\bar{\alpha}_t = \prod_{i=1}^t (1 - \beta_i)$
- D. $x_t = \sqrt{\bar{\alpha}_t}\epsilon + \sqrt{1 - \bar{\alpha}_t}x_0$ where $\epsilon \sim N(0, \mathbb{I})$ and $\bar{\alpha}_t = \prod_{i=1}^t (1 - \beta_i)$

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- What are correct about the U-Net $\epsilon_\theta(x_t, t)$ network of DMs?
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 - B. We train this network by maximizing $\|\epsilon_\theta(x_t, t) - x_t\|_2^2$ where $x_t = \sqrt{\bar{\alpha}_t}x_0 + \sqrt{1 - \bar{\alpha}_t}\epsilon$ with $\epsilon \sim N(0, \mathbb{I})$ and $\bar{\alpha}_t = \prod_{i=1}^t(1 - \beta_i)$
 - C. This network aims to predict the Gaussian noise ϵ we added to a clean image x_0 from its corresponding noisy version $x_t = \sqrt{\bar{\alpha}_t}x_0 + \sqrt{1 - \bar{\alpha}_t}\epsilon$
 - D. This network is crucial to denoise noises to gain clear/clean images
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Thanks for your attention!