1. For this challenge, forget how to add two numbers together. The best explanation on what to do for this function is this meme:



Examples:

meme_sum(26, 39) \rightarrow 515 # 2+3 = 5, 6+9 = 15 # 26 + 39 = 515 meme_sum(122, 81) \rightarrow 1103 # 1+0 = 1, 2+8 = 10, 2+1 = 3 # 122 + 81 = 1103 meme_sum(1222, 30277) \rightarrow 31499

Ans:

```
In [24]: 1 def meme_sum(num1,num2):
               a,b = str(num1),str(num2)
          4
               while len(a) != len(b):
                  if len(a) < len(b):</pre>
                       a ='0'+a
          6
          7
                  else:
          8
                       b='0'+b
               for i in range(len(a)):
          9
                 add += str(int(a[i])+int(b[i]))
         11
               print(f'meme_sum{num1,num2} → {add}')
         12 meme_sum(26, 39)
         13 meme_sum(122, 81)
         14 meme_sum(1222, 30277)
         meme_sum(26, 39) → 515
        meme_sum(122, 81) \rightarrow 1103
         meme_sum(1222, 30277) → 31499
```

2. Given an integer, create a function that returns the next prime. If the number is prime, return the number itself.

```
Examples:
```

```
next_prime(12) \rightarrow 13
next_prime(24) \rightarrow 29
next_prime(11) \rightarrow 11
# 11 is a prime, so we return the number itself
```

Ans:

```
In [6]: 1 def next_prime(num):
               output = 0
               list1 =[]
if num == 2 or num == 3:
          3
          5
                    list1.append(num)
              for i in range(num,1000):
          7
                  if (i+1)%6==0 or (i-1)%6==0:
          8
                         list1.append(i)
          9
               for i in list1:
                 for n in range(2,i):
         10
         11
                      if i%n == 0:
         12
                             list1.remove(i)
         13
                             break
         14
              output = min(list1)
print(f'next_prime({num}) → {output}')
         15
         16 next_prime(12)
         17 next prime(24)
         18 next_prime(11)
        next_prime(12) \rightarrow 13
        next_prime(24) \rightarrow 29
        next_prime(11) \rightarrow 11
```

3. If a person traveled up a hill for 18mins at 20mph and then traveled back down the same path at 60mph then their average speed traveled was 30mph.

Write a function that returns the average speed traveled given an uphill time, uphill rate and a downhill rate. Uphill time is given in minutes. Return the rate as an integer (mph). No rounding is necessary.

```
Examples: ave_spd(18, 20, 60) \rightarrow 30
```

```
ave_spd(30, 10, 30) \rightarrow 15 ave_spd(30, 8, 24) \rightarrow 12 Ans:
```

4. The Kempner Function, applied to a composite number, permits to find the smallest integer greater than zero whose factorial is exactly divided by the number.

```
kempner(6) \rightarrow 3

1! = 1 % 6 > 0

2! = 2 % 6 > 0

3! = 6 % 6 === 0

kempner(10) \rightarrow 5

1! = 1 % 10 > 0

2! = 2 % 10 > 0

3! = 6 % 10 > 0

4! = 24 % 10 > 0

5! = 120 % 10 === 0
```

A Kempner Function applied to a prime will always return the prime itself.

kempner(2) \rightarrow 2 kempner(5) \rightarrow 5

Given an integer n, implement a Kempner Function.

```
Examples:
kempner(6) \rightarrow 3
kempner(10) \rightarrow 5
kempner(2) \rightarrow 2
```

Ans:

```
In [10]: 1 def kempner(num):
                   def factorial(num):
                       if num == 1:
                           return 1
                       else:
                           return num * factorial(num-1)
                  for i in range(1,num+1):
                       if factorial(i)%num == 0:
           8
           9
                           output = i
           10
                            break
           11
                  print(f'kempner({num}) → {output}')
           12
           13 kempner(6)
           14 kempner(10)
           15 kempner(5)
           16 kempner(2)
          kempner(6) \rightarrow 3
          kempner(10) \rightarrow 5
          kempner(5) \rightarrow 5
          kempner(2) \rightarrow 2
```

5. You work in a factory, and your job is to take items from a conveyor belt and pack them into boxes. Each box can hold a maximum of 10 kgs. Given a list containing the weight (in kg) of each item, how many boxes would you need to pack all of the items?

Examples:

```
boxes([2, 1, 2, 5, 4, 3, 6, 1, 1, 9, 3, 2]) \rightarrow 5

# Box 1 = [2, 1, 2, 5] (10kg)

# Box 2 = [4, 3] (7kg)

# Box 3 = [6, 1, 1] (8kg)

# Box 4 = [9] (9kg)

# Box 5 = [3, 2] (5kg)
```

Ans:

```
def boxes(in list):
       in_list_copy = in_list.copy()
       output = []
4
       temp = []
5
       while True:
           if len(in list) != 0:
6
7
               if sum(temp) <= 10:
8
                   temp.append(in_list.pop(0))
9
10
                   in_list.insert(0,temp.pop())
11
                    output.append(temp)
12
                    temp = []
13
           else:
14
               output.append(temp)
                temp = []
15
16
               break
17
       print(f'boxes({in_list_copy}) → {output} → {len(output)}')
18
19 boxes([2, 1, 2, 5, 4, 3, 6, 1, 1, 9, 3, 2])
20 boxes([5, 5, 5, 5, 5, 5, 2, 3, 4, 5, 6])
```

boxes([2, 1, 2, 5, 4, 3, 6, 1, 1, 9, 3, 2]) \rightarrow [[2, 1, 2, 5], [4, 3], [6, 1, 1], [9], [3, 2]] \rightarrow 5 boxes([5, 5, 5, 5, 5, 5, 2, 3, 4, 5, 6]) \rightarrow [[5, 5], [5, 5], [5, 5], [2, 3, 4], [5, 6]] \rightarrow 5