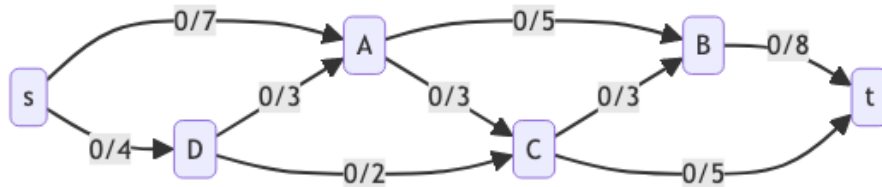


Q7

You are given the following flow network where every edge has a maximum flow capacity.



FORD-FULKERSON(G, s, t)

```

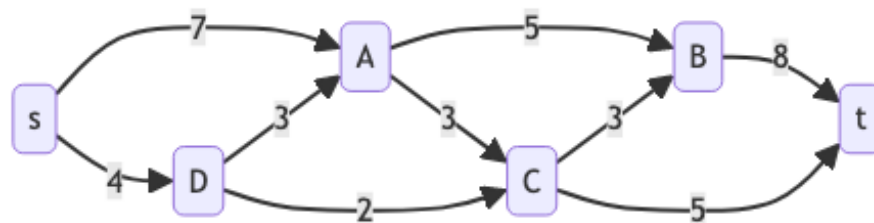
1  for each edge  $(u, v) \in G.E$ 
2     $(u, v).f = 0$ 
3  while there exists a path  $p$  from  $s$  to  $t$  in the residual network  $G_f$ 
4     $c_f(p) = \min \{c_f(u, v) : (u, v) \text{ is in } p\}$ 
5    for each edge  $(u, v)$  in  $p$ 
6      if  $(u, v) \in E$ 
7         $(u, v).f = (u, v).f + c_f(p)$ 
8      else  $(v, u).f = (v, u).f - c_f(p)$ 
  
```

Figure 1: Figure

Tasks

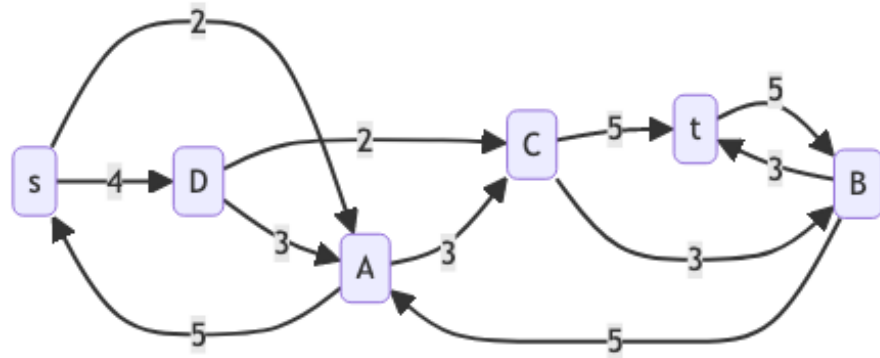
1. Draw the first and second residual networks when running the Ford-Fulkerson algorithm on the given network with source s and sink t .

First residual network



Second residual network

Depends on the chosen path but here is an example if we choose s, A, B, t we end up with a new residual network that looks like this:



2. What is the maximum flow in the network when the Source is s and Sink is t ?

10

3. Which edges in the network are limiting the network capacity?

(A, B) , (A, C) , (D, C)

10

4. What is the minimum cut capacity?

10

5. What would the maximum flow be if we use Edmonds-Karp algorithm?

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