

BİL/CSE 395 APPLIED DATA ANALYSIS

QUIZ #1

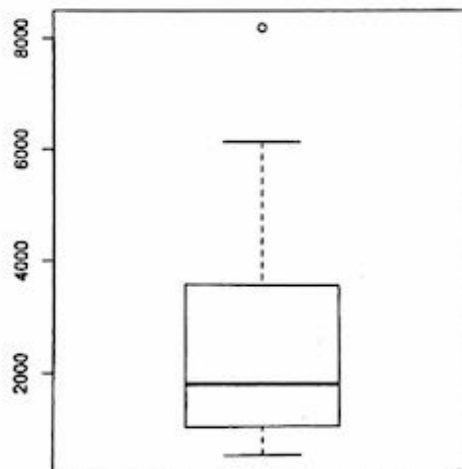
Name-Surname:.....**# KEY #**..... Number:.....

Question 1: Write the variable types and measurement levels of the variables given below.

Variables	Types of Variables (Quantitative/Qualitative)	Levels of Measurement (Nominal/ Ordinal/ Interval/ Ratio)
CPU Temperature (°C or °F)	(Nitel) Quantitative	Interval
Uptime of a Server (Hours)	(Nitel) Quantitative	Ratio
Number of Processors in a System (e.g., 1, 2, 4, 8)	(Nitel) Quantitative	Ratio
Network Protocol (TCP, UDP, HTTP, FTP)	Qualitative (Nitel)	Nominal
Internet Connection Speed Category (Slow, Moderate, Fast)	Qualitative (Nitel)	Ordinal

Question 2. A software engineering team collects memory usage (in MB) from different applications running on a server. They performed some analyses in the R program using this data. The functions and outputs used in R are listed below.

```
> memory_usage<-c(512, 1024,1024, 2048, 4096, 8192, 1024, 1536, 3072, 6144, 2048,1536)
> summary(memory_usage)
  Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
   512   1024   1792   2688   3328   8192
> sd(memory_usage)
[1] 2352.618
> var(memory_usage)
[1] 5534813
> boxplot(memory_usage)
```



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- What are the mean and median? What can you infer about the central tendency of memory usage from the mean and the median?
- What do you say about the shape of the distribution? Why?
- Based on the descriptive statistics, which data point do you identify as an outlier? How would removing the outlier from the dataset likely impact the summary statistics?

① Mean = $\bar{x} = 2688$
Median = 1792

Since the mean is higher than the median, this suggests that there is positive/right skewness in the data. Meaning there are a few higher values pulling the mean up.

min 512 max 8192

② mean > median and according to box plot \Rightarrow The data is right skewed.

③ 8192 MB is an outlier. When looking at the box plot, it is seen that the maximum value is the outlier.
* Removing this outlier substantially lowers the mean and standard deviation, bringing the mean closer to the median and reducing the right skewed of distribution.

Question 3. A network engineering team is testing 20 network switches. The probability of a failure on any given switch is 0.15. Some R outputs for this problem are given below.

```
> dbinom(x=5,size=20, prob=0.15)
[1] 0.1028452
> dbinom(x=0,size=20, prob=0.15)
[1] 0.03875953
> dbinom(x=1,size=20, prob=0.15)
[1] 0.1367983
> pbinom(6,20,0.15) => P(X ≤ 6) = F(6)
[1] 0.9780649
```

X : # of failures in 20 network switches.
 $X \sim \text{Binomial}(p=0.15, n=20)$

- What is the probability of having exactly 5 failures in 20 network switches?
- What is the probability of having more than 6 failures in 20 network switches?
- What is the probability of having 1 or fewer failures in 20 network switches?

① $P(X=5) = f(5) = 0.1028452$

② $P(X > 6) = 1 - P(X \leq 6) = 1 - F(6) = 1 - 0.9780649 = 0.0219351$

③ $P(X \leq 1) = P(X=0) + P(X=1) = f(0) + f(1) =$
 $= 0.03875953 + 0.1367983$
 $= 0.1755578 //$