

Cryptarithmic

Solve

$$\begin{array}{r} \text{SEND} \\ + \text{MORE} \\ \hline \text{MONEY} \end{array}$$

⇒ Given.

$$\begin{array}{r} \text{C}_4 \quad \text{C}_3 \quad \text{C}_2 \quad \text{C}_1 \\ \text{S} \quad \text{E} \quad \text{N} \quad \text{D} \\ + \quad \text{M} \quad \text{O} \quad \text{R} \quad \text{E} \\ \hline \text{M} \quad \text{O} \quad \text{N} \quad \text{E} \quad \text{Y} \end{array}$$

Character	Code
S	9
E	5
N	6
D	7
M	1
O	0
R	8
Y	2

- ① $S + M + C_3 = 0$ gives carry C_4 i.e. M.
 Two choice for $C_4 < 10$.
 M can not 0. So $M = 1$

- ② $S + M + C_3 = 0 + 10$ ~~or~~ $C_3 < 10$
 C_3 can be 0 or 1.
 → If we assume $C_3 = 0$
 $S + 1 + 0 = 0 + 10$ (carry for C_4)
 $S = 9$
 So $S + M$ becomes $9 + 1 = 10$. Thus 0 becomes 0.

$$\boxed{S=9}$$

$$\boxed{O=0}$$

$$\textcircled{3} \quad E + O + C_2 = N.$$

C_2 can take value of 0 or 1.

→ if $C_2 = 0$.

$$E + 0 + 0 = N \quad \text{i.e.} \quad E = N \quad (\text{which is not possible}).$$

So C_2 must be 1.

$$\therefore E + 0 + 1 = N. \quad \therefore \boxed{E+1=N}$$

$$\textcircled{4} \quad N + R + C_1 = E + 10$$

$$\therefore \cancel{N} + R + C_1 = E + 10$$

$$E + 1 + R + C_1 = E + 10$$

$$\text{i.e.} \quad C_1 + R = 9.$$

Now if C_1 is 9, R becomes 0 (which is not possible because $S=9$).

$$\text{So } C_1 = 1.$$

$$1 + R = 9.$$

$$\therefore \boxed{R=8}$$

$$\textcircled{5} \quad D + E = Y + C_1 \quad \text{---} \quad \textcircled{1}$$

The value of E can be $\{7, 6, 5, 4, 3, 2\}$

→ If you take $E=7$, then $N=8$.

(which is not possible as $R=8$)

→ If you take $E=6$ then $N=7$.

if we put in eqⁿ $\textcircled{1}$

$$D + 6 = 10 + Y$$

$$D = 4 + Y$$

Here if we assume $Y=2$.

$D=6$ (which is not possible as $E=6$)

if $Y=3$ (not possible because $N=7$).

$Y=4$ (not possible because $R=8$)

$Y=5$ (" " " $S=9$)

Thus ~~$D=9$~~ Not possible.
 $E=6$ →

→ If you take $E=5$, then $N=6$.

Put in eqⁿ $\textcircled{1}$

$$D + 5 = 10 + Y$$

$$D = 5 + Y \quad \text{if } Y = 2, \therefore D = 7.$$

Which is true.

So. $E = 5, N = 6, D = 7, Y = 2.$

eqⁿ become

$$\begin{array}{r} 9567 \\ + 1085 \\ \hline 10652 \end{array}$$

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